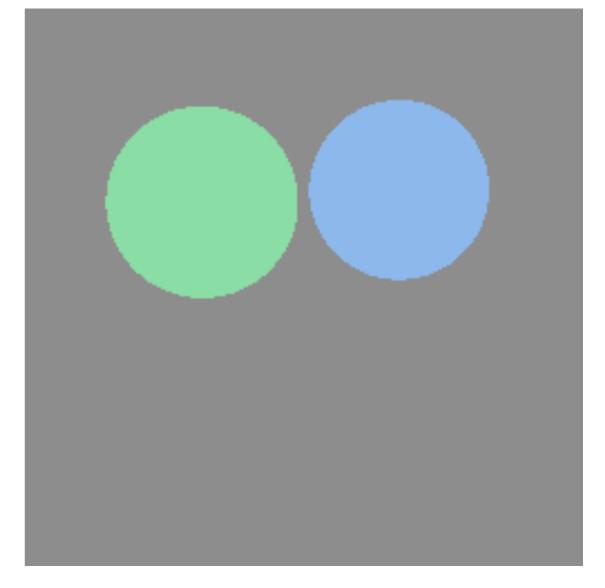
Ray Tracing: shading

CS 4620 Lecture 5

Image so far

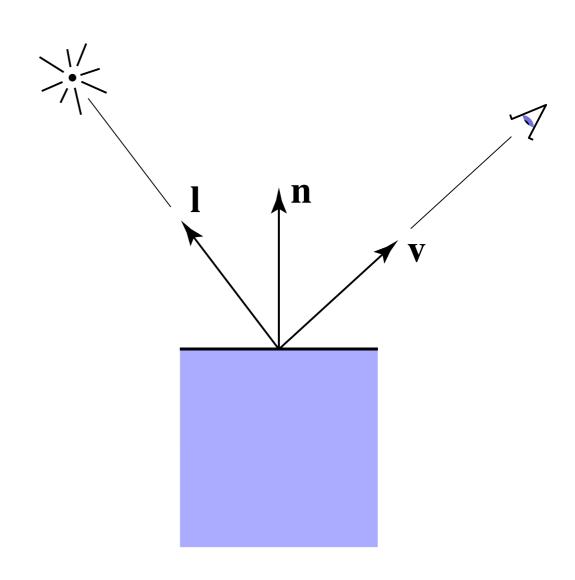
With eye ray generation and scene intersection

```
for 0 <= iy < ny
    for 0 <= ix < nx {
        ray = camera.getRay(ix, iy);
        c = scene.trace(ray, 0, +inf);
        image.set(ix, iy, c);
    }
...
Scene.trace(ray, tMin, tMax) {
    surface, t = surfs.intersect(ray, tMin, tMax);
    if (surface != null) return surface.color();
    else return black;
}</pre>
```



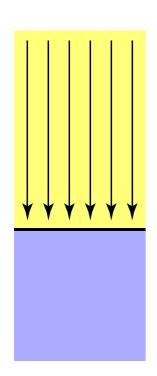
Shading

- Compute light reflected toward camera
- Inputs:
 - eye direction
 - light direction(for each of many lights)
 - surface normal
 - surface parameters(color, shininess, ...)

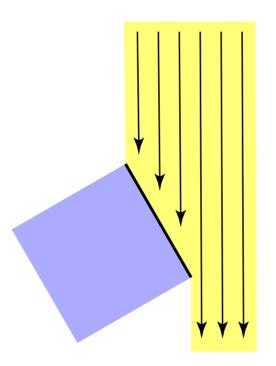


Diffuse reflection

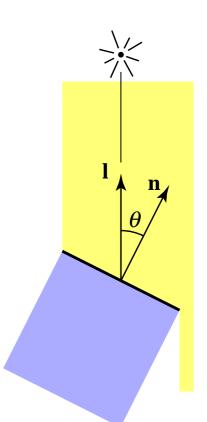
- Light is scattered uniformly in all directions
 - the surface color is the same for all viewing directions
- Lambert's cosine law



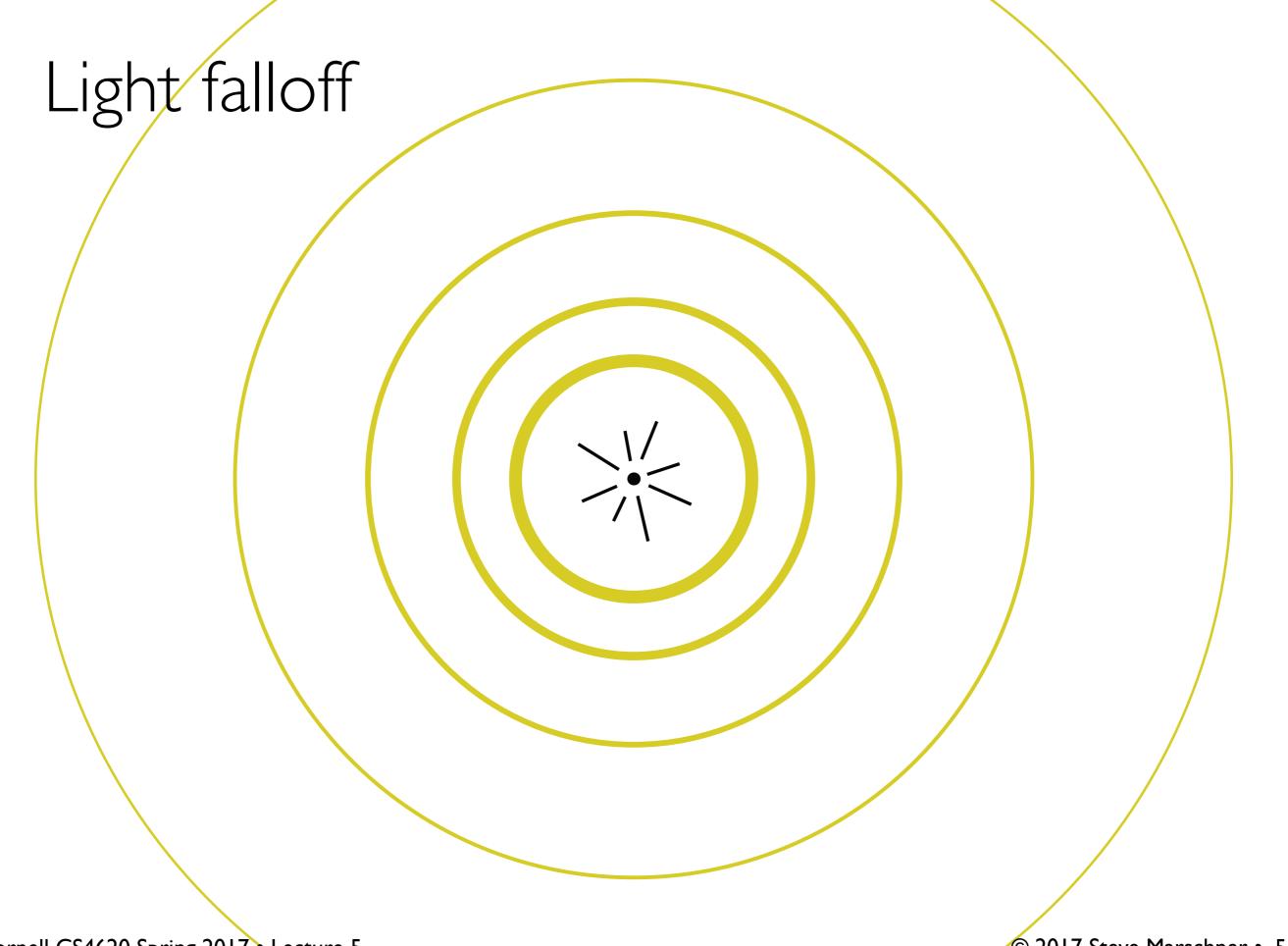
Top face of cube receives a certain amount of light

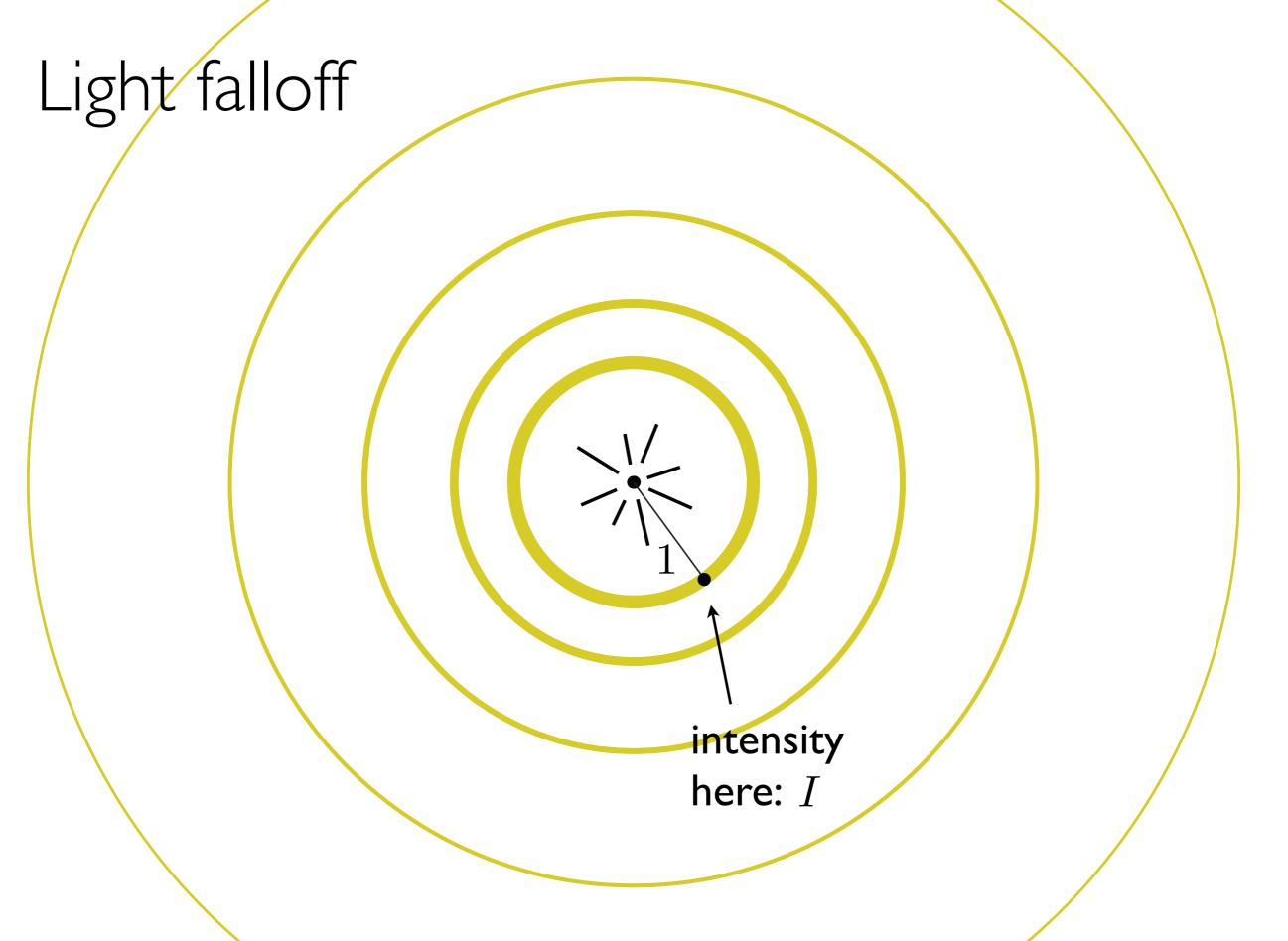


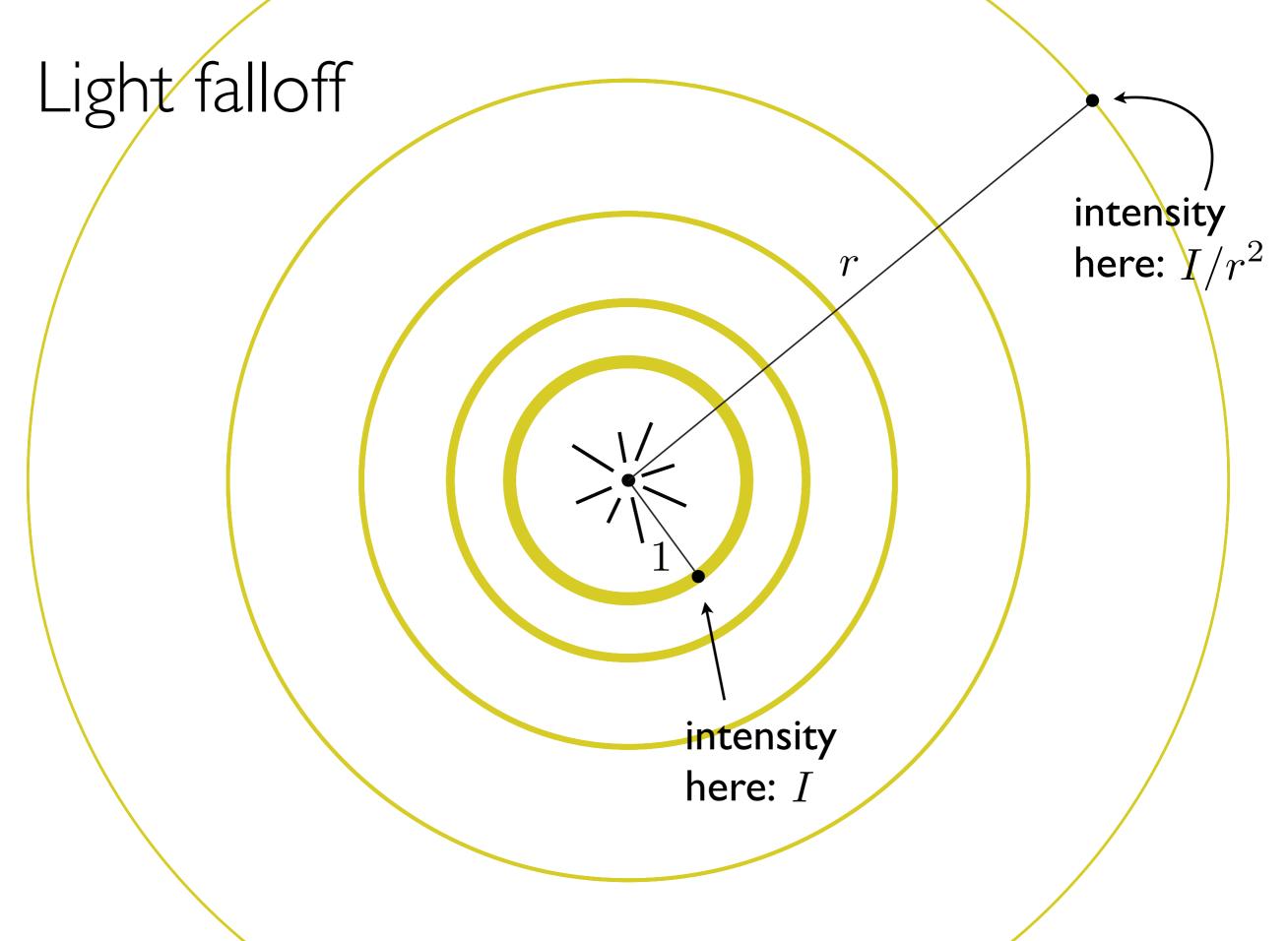
Top face of 60° rotated cube intercepts half the light



In general, light per unit area is proportional to $\cos \theta = \mathbf{I} \cdot \mathbf{n}$

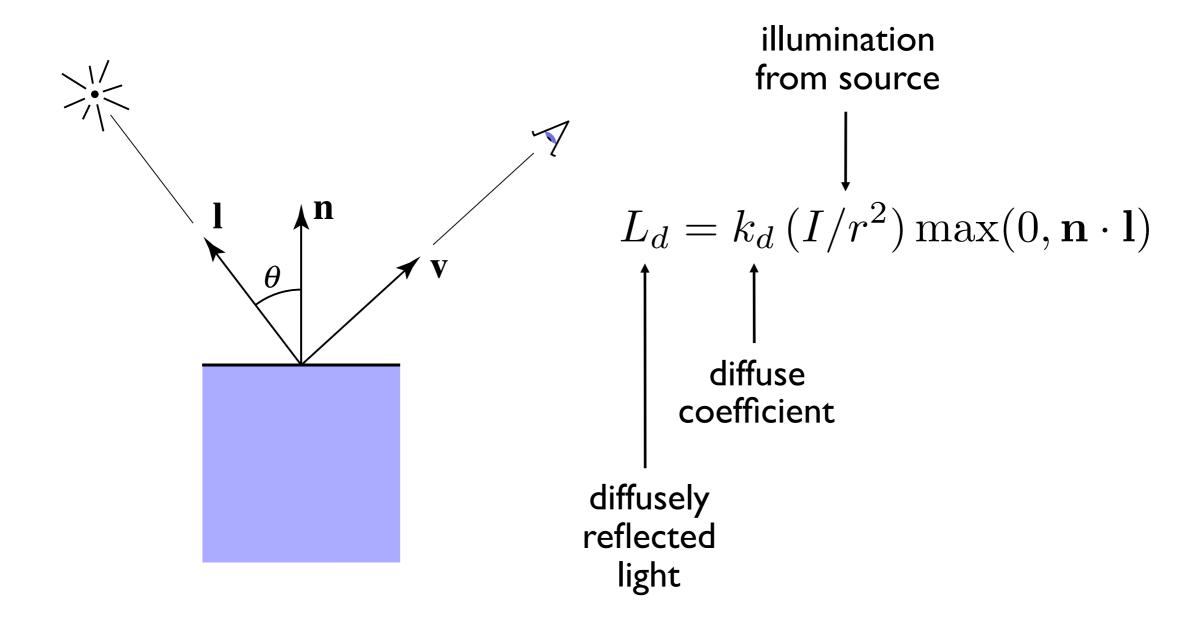






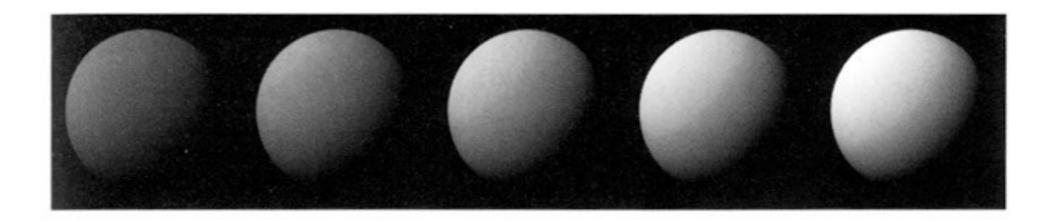
Lambertian shading

Shading independent of view direction



Lambertian shading

Produces matte appearance



 $k_d \longrightarrow$

Diffuse shading

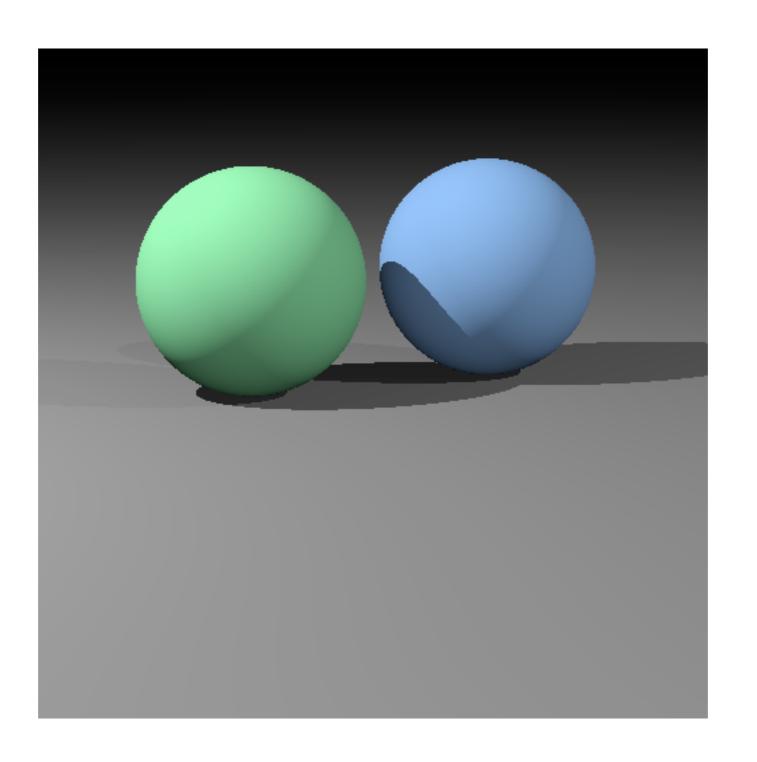
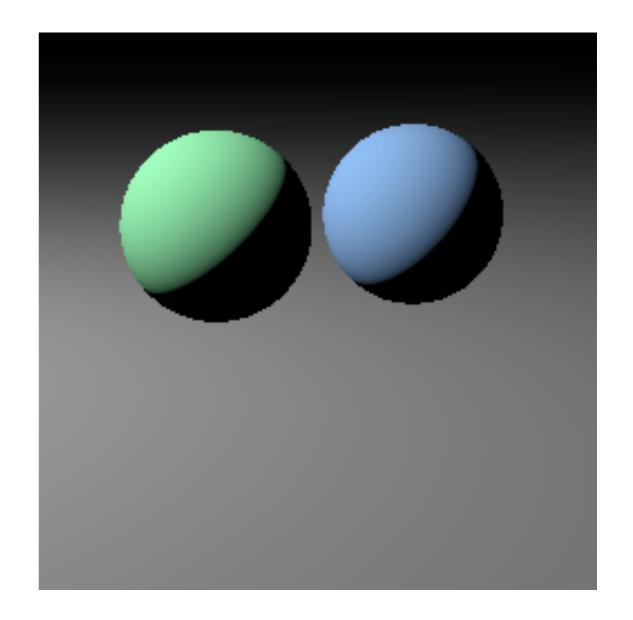


Image so far

```
Scene.trace(Ray ray, tMin, tMax) {
  surface, t = hit(ray, tMin, tMax);
  if surface is not null {
     point = ray.evaluate(t);
     normal = surface.getNormal(point);
     return surface.shade(ray, point,
       normal, light);
  else return backgroundColor;
Surface.shade(ray, point, normal, light) {
  v = -normalize(ray.direction);
  l = normalize(light.pos - point);
  // compute shading
```

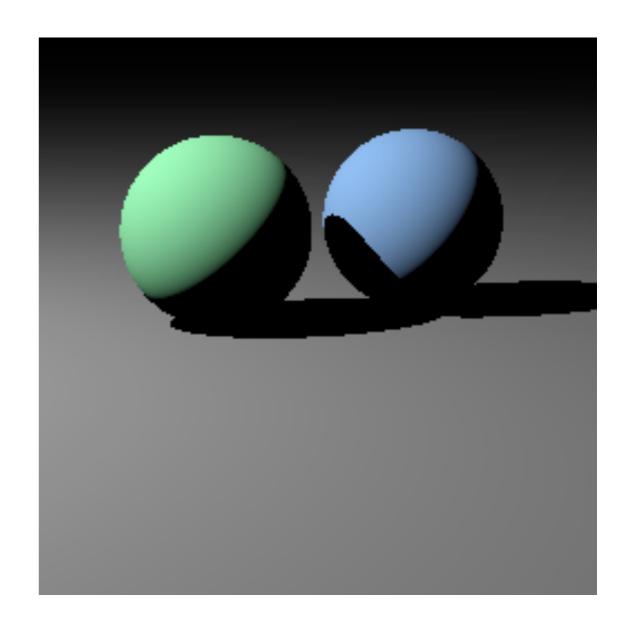


Shadows

- Surface is only illuminated if nothing blocks the light
 - i.e. if the surface can "see" the light
- With ray tracing it's easy to check
 - just intersect a ray with the scene!

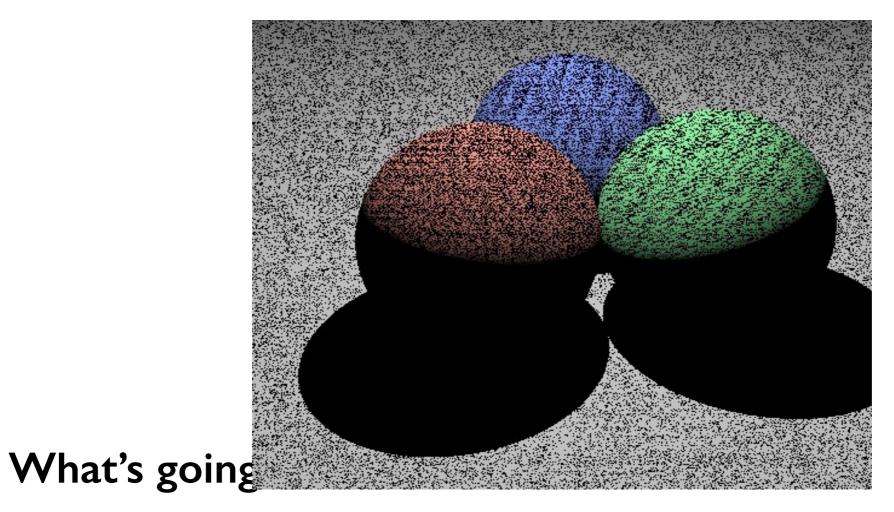
Image so far

```
Surface.shade(ray, point, normal, light) {
    shadRay = (point, light.pos - point);
    if (shadRay not blocked) {
        v = -normalize(ray.direction);
        l = normalize(light.pos - point);
        // compute shading
    }
    return black;
}
```



Shadow rounding errors

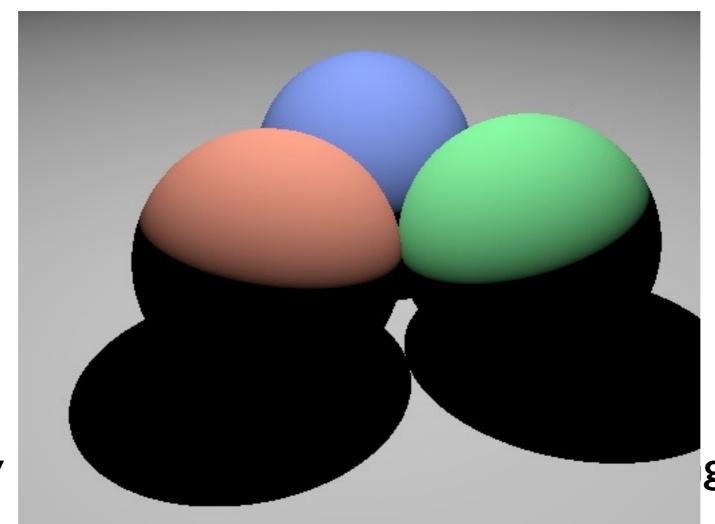
Don't fall victim to one of the classic blunders:



– hint: at what t does the shadow ray intersect the surface you're shading?

Shadow rounding errors

Solution: shadow rays start a tiny distance from the surface



Do this by

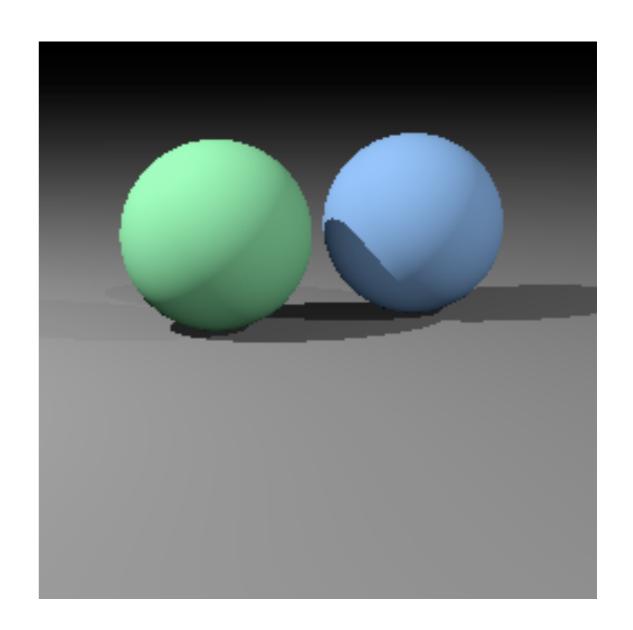
g the t range

Multiple lights

- Important to fill in black shadows
- Just loop over lights, add contributions
- Ambient shading
 - black shadows are not really right
 - one solution: dim light at camera
 - alternative: add a constant "ambient" color to the shading...

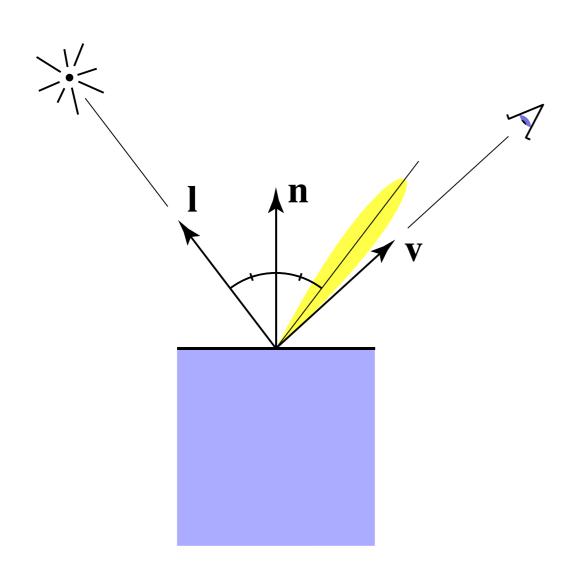
Image so far

```
shade(ray, point, normal, lights) {
    result = ambient;
    for light in lights {
        if (shadow ray not blocked) {
            result += shading contribution;
        }
    }
    return result;
}
```



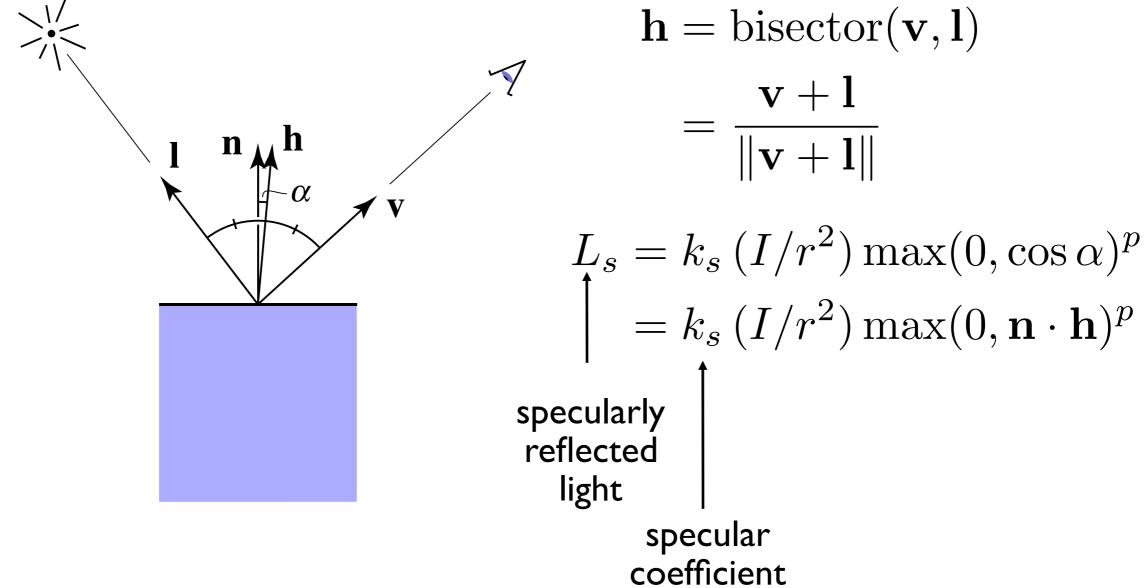
Specular shading (Blinn-Phong)

- Intensity depends on view direction
 - bright near mirror configuration



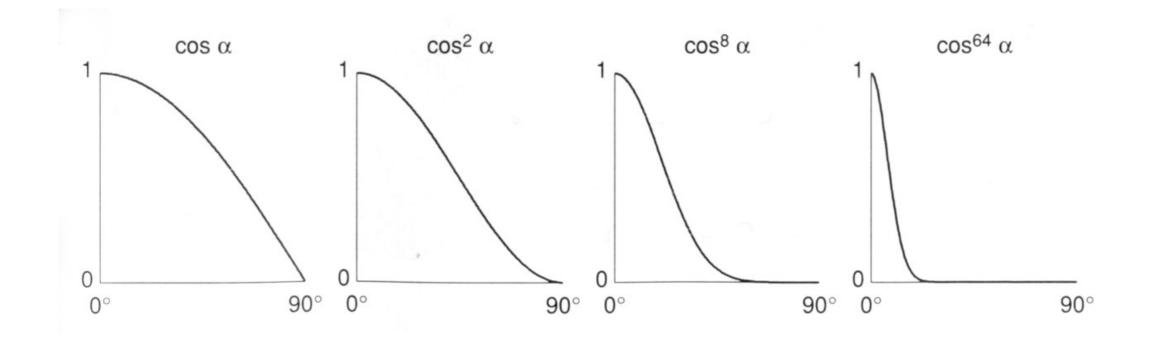
Specular shading (Blinn-Phong)

- - Measure "near" by dot product of unit vectors

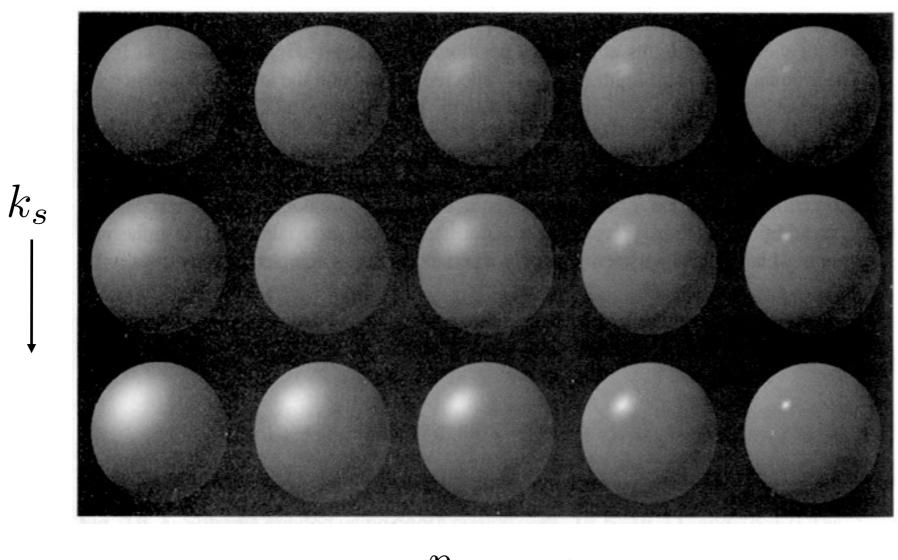


Phong model—plots

Increasing p narrows the lobe

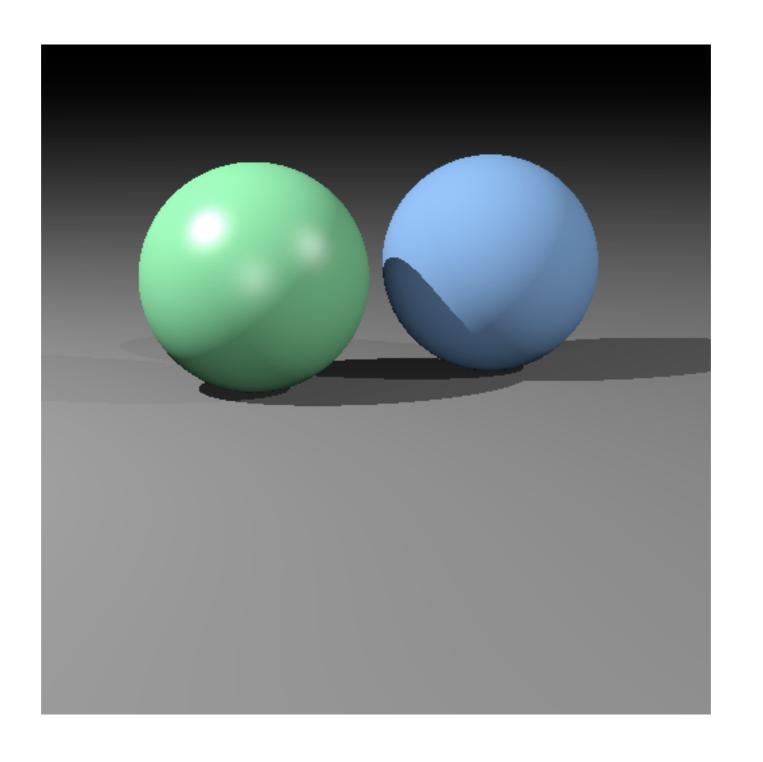


Specular shading



 $p \longrightarrow$

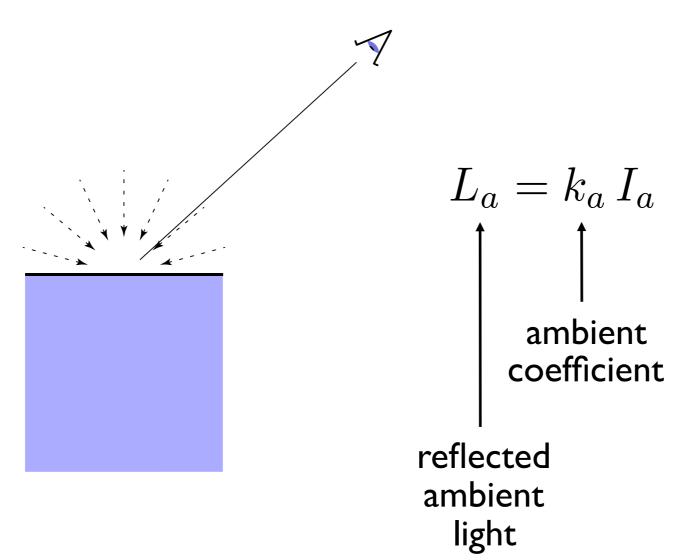
Diffuse + Phong shading



Ambient shading

Shading that does not depend on anything

add constant color to account for disregarded illumination and fill in black shadows



Putting it together

Usually include ambient, diffuse, Phong in one model

$$L = L_a + L_d + L_s$$

= $k_a I_a + k_d (I/r^2) \max(0, \mathbf{n} \cdot \mathbf{l}) + k_s (I/r^2) \max(0, \mathbf{n} \cdot \mathbf{h})^p$

The final result is the sum over many lights

$$L = L_a + \sum_{i=1}^{N} [(L_d)_i + (L_s)_i]$$

$$L = k_a I_a + \sum_{i=1}^{N} \left[k_d \left(I_i / r_i^2 \right) \max(0, \mathbf{n} \cdot \mathbf{l}_i) + \right]$$

$$k_s (I_i/r_i^2) \max(0, \mathbf{n} \cdot \mathbf{h}_i)^p$$