1.文件flowering.txt为100株玉米的开花时间,试利用read.table()读入数据:

- (1) 计算基本描述统计值,包括平均数、中值、方差、标准差。
- (2) 测验数据是否服从正态分布,作出说明。
- (3) 试作直方图, 箱线图 boxplot, 正态分布 QQ 图, 并将3个图放在一个图中。
- (4) 试测验该数据与理论均值 μ =68是否存在显著差异,并对结果给以说明。

执行代码如下:

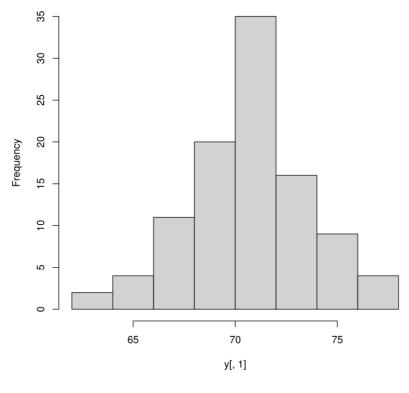
```
y=read.table("C:\\Users\\czh\\Desktop\\flowering.txt",sep="\t",header=T)
mean(y[,1])
median(y[,1])
var(y[,1])
sd(y[,1])
shapiro.test(y[,1])
par=(mfrow=c(1,3))
hist(y[,1])
boxplot(y[,1])
qqnorm(y[,1])
qqline(y[,1],col=" red")
t.test(y[,1],mu=68)
```

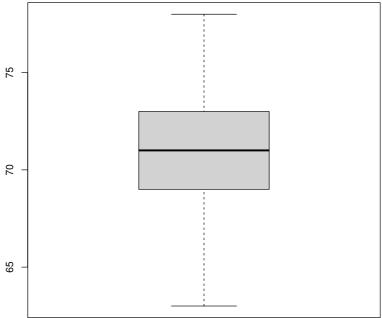
结果如下:

其中第一行为平均数,第二行为中值,第三行为方差,第四行为标准差。

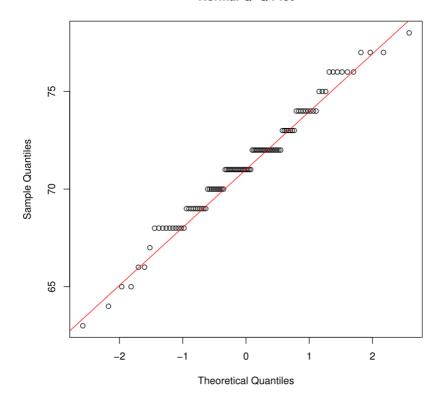
```
PS C:\Users\czh> Rscript "c:\Users\czh\Desktop\Code\try.r"
[1] 71.24752
[1] 71
[1] 8.668119
[1] 2.944167
        Shapiro-Wilk normality test
data: y[, 1]
W = 0.97952, p-value = 0.1181
        One Sample t-test
data: y[, 1]
t = 11.085, df = 100, p-value < 2.2e-16
alternative hypothesis: true mean is not equal to 68
95 percent confidence interval:
70.66631 71.82874
sample estimates:
mean of x
 71.24752
```







Normal Q-Q Plot



分析略.

2.文件 fertilizer.txt 为新肥料(new)与原肥料(old)产量比较试验数据,试测验两样本方差是否差异显著,并分析新肥料与原肥料的产量平均值是否有差异。并利用 boxplot 显示新肥料和原肥料的表现.

执行代码如下:

```
a=read.table("C:\\Users\\czh\\Desktop\\fertilizer.txt", sep="\t", header=T)
y=a[1:30,2]
z=a[31:60,2]
var.test(y,z)
t.test(y,z)
boxplot(y,z,col=c(" red", " blue"), ylab="field", xlab="treatment", names=c("new", "old"))
```

结果如下:

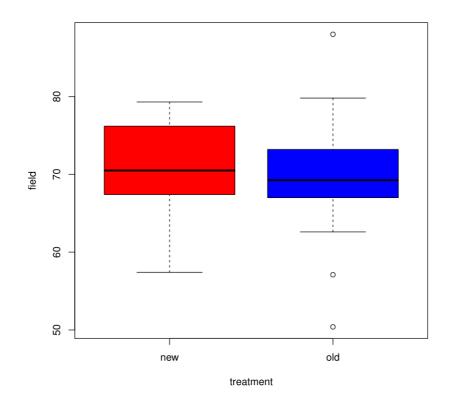
```
PS C:\Users\czh> Rscript "c:\Users\czh\Desktop\Code\try.r"

F test to compare two variances

data: y and z
F = 0.70793, num df = 29, denom df = 29, p-value = 0.3577
alternative hypothesis: true ratio of variances is not equal to 1
95 percent confidence interval:
0.3369484 1.4873522
sample estimates:
ratio of variances
0.7079273

Welch Two Sample t-test

data: y and z
t = 0.81847, df = 56.352, p-value = 0.4165
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
-1.895851 4.515851
sample estimates:
mean of x mean of y
70.71667 69.40667
```



分析略.