

## 8\_avg\_rl\_true.py

### 1. For all bots which are currently at a node & idle

Update:

- true idleness of all nodes in graph (true) =  $+\Delta t$
- Store all the true idleness values at this time stamp
- Expected idleness of nodes at which bots are currently present is calculated as the avg of true idleness while going through a particular edge (now, expected idleness is function of edge not node)

**Calculate:** here, learning rate ( $\alpha$ ) = 0.1, discount factor ( $\gamma$ ) = 0.95

- Value function all edges where bots are present ( $Q$ ) =

$$Q^{new}(s_t, a_t) \leftarrow \underbrace{Q(s_t, a_t)}_{\text{old value}} + \underbrace{\alpha}_{\text{learning rate}} \cdot \underbrace{\left( \underbrace{r_t}_{\text{reward}} + \underbrace{\gamma}_{\text{discount factor}} \cdot \underbrace{\max_a Q(s_{t+1}, a)}_{\text{estimate of optimal future value}} - \underbrace{Q(s_t, a_t)}_{\text{old value}} \right)}_{\text{new value (temporal difference target)}}$$

temporal difference

- Reward ( $r_t$ ) = true idleness
- Softmax of Value function = value\_exp =  $\frac{e^{\frac{Q_i}{k}}}{\sum_{j=i} e^{\frac{Q_j}{k}}}$  (summation over all edges)

Set:

- True idleness of nodes where bots are present = 0
- Expected idleness of nodes wrt the corresponding bot = 0

**OBSERVATION model:** bot will calculate the expected idleness as an average of all the past true idleness it has seen when it last visited the node while travelling **along that particular edge**.

The name 8\_avg\_rl\_true indicates => avg = averaging true idleness to get expected idleness

(OBSERVATION model)

rl = using reinforcement learning (Q-learning algorithm to calculate the value function)

true = since reward is changed to true idleness

## 2. For a bot deciding the next node to visit

Set:

- True idleness of the node where the bot is present = 0

**Decision Making:** here, we chose  $\varepsilon=0.1$

- With  $(1 - \varepsilon)$  probability, check all neighbours and visit the one with highest value of  $= [\text{expected idleness}] \times \mathbf{max}([value\_exp])$

Here, for each neighbour, we first calculate the maximum value\_exp value we can get going to that node. Then we choose the highest value of  $\{ \text{expect} * \text{max}(\text{value\_exp}) \}$  over all neighbours.

- With  $\varepsilon$  probability, go to a random node

-----END-----