

## 9\_ses\_sim.py

### 1. For all bots which are currently at a node & idle

Update:

- true idleness of all nodes in graph (true) =  $+\Delta t$
- Store all the true idleness values at this time stamp
- Expected idleness of nodes at which bots are currently present is calculated by performing simple exponential smoothing (ses) of true idleness for a particular edge (now, expected idleness is function of edge not node)
- We have chosen last 5 values at any instant and  $\alpha = 0.4$  for SES.

Calculate:

- Value function all edges where bots are present ( $Q$ ) -  $= \frac{(expect - true)}{expect}$
- Softmax of Value function =  $value\_exp = \frac{e^{Q_i}}{\sum_{j=i} e^{Q_j}}$  (summation over all edges)

Set:

- True idleness of nodes where bots are present = 0

**OBSERVATION model:** bot will calculate the expected idleness as an average of all the past true idleness it has seen when it last visited the node while travelling **along that particular edge**.

### 2. For a bot deciding the next node to visit

Set:

- True idleness of the node where the bot is present = 0

Decision Making: here, we chose  $\epsilon=0.1$

- With  $(1 - \epsilon)$  probability, check all neighbours and visit the one with highest value of  $= [expected\ idleness] \times [value\_exp]$
- With  $\epsilon$  probability, go to a random node

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#### DOUBTS:

- Here, there is no need of expected idleness to depend on edge right?  
It is just a function of time, bot and current node.
- Is it correct to initialize the value function to zero?

#### MAJOR DRAWBACK:

- The decision making of next node is  $[expected\ idleness] \times [value\_exp]$   
So when expect=true; implies no other bot has visited this node yet,  
this bot also has no incentive to visit this node and hence, true idleness can go to very high values.