1. <u>Height of Binary Tree After Subtree Removal</u> **Queries:-**

Time Complexity: O(n+q)O(n+q)O(n+q)Space Complexity: O(n)O(n)O(n)def subtree heights (root): heights = {} def dfs(node): if not node: return 0 left height = dfs(node.left) right height = dfs(node.right) height = 1 + max(left height, right height) heights[node] = height return height dfs(root) return heights def height_after_removal(root, queries): heights = subtree heights (root) results = []for query in queries: node = find node(root, query) if node in heights: results.append(heights[root] - heights[node]) results.append(heights[root])

2. Sort Array by Moving Items to Empty Space:-

- Time Complexity: O(nlog n)O(n log n)O(nlog n)
- Space Complexity: O(1)O(1)O(1)

return results

```
return ops
nums = [1, 0, 2, 4, 3]
print(min_operations_to_sort(nums))
```

3. Apply Operations to an Array:-

Time Complexity: O(n)O(n)O(n)Space Complexity: O(1)O(1)O(1)

```
def apply_operations(nums):
    n = len(nums)
    for i in range(n - 1):
        if nums[i] == nums[i + 1]:
            nums[i] *= 2
            nums[i + 1] = 0
        nums.sort(key=lambda x: x == 0)
    return nums

nums = [1, 2, 2, 1, 1, 0]
print(apply_operations(nums))
```

4. Maximum Sum of Distinct Subarrays With Length K:-

• Time Complexity: O(n)O(n)O(n)

• Space Complexity: O(k)O(k)O(k)

```
def max sum of distinct subarrays (nums, k):
    if len(nums) < k:
       return 0
   max_sum = 0
    current_sum = 0
    window = set()
    for i in range(len(nums)):
        if nums[i] in window:
           return 0
        current sum += nums[i]
        window.add(nums[i])
        if i \ge k:
            current sum -= nums[i - k]
            window.remove(nums[i - k])
        if len(window) == k:
            max_sum = max(max_sum, current_sum)
```

```
return max_sum nums = [1, 5, 4, 2, 9, 9, 9] k = 3 print(max sum of distinct subarrays(nums, k))
```

5. Total Cost to Hire K Workers:-

- Time Complexity: $O(n \log n)O(n \log n)O(n \log n)$
- Space Complexity: O(n)O(n)O(n)

```
import heapq
def total cost to hire k workers(costs, k, candidates):
    n = len(costs)
    left = costs[:candidates]
    right = costs[-candidates:] if candidates <= n else costs[candidates:]</pre>
    heapq.heapify(left)
    heapq.heapify(right)
    total cost = 0
    for in range(k):
        if left and (not right or left[0] <= right[0]):</pre>
            total cost += heapq.heappop(left)
        else:
            total cost += heapq.heappop(right)
    return total cost
costs = [3, 2, 7, 7, 1, 2]
k = 3
candidates = 2
print(total_cost_to_hire_k_workers(costs, k, candidates))
```

6. Minimum Total Distance Traveled:-

- Time Complexity: $O(n \log n)O(n \log n)O(n \log n)$
- Space Complexity: O(1)O(1)O(1)

```
python
Copy code
def min_total_distance(robot, factory):
    robot.sort()
    factory.sort(key=lambda x: x[0])
    total_distance = 0

for r in robot:
    min_distance = float('inf')
    for f, limit in factory:
```

7. Minimum Subarrays in a Valid Split

- Time Complexity: O(nlog n)O(n log n)O(nlog n)
- Space Complexity: O(1)O(1)O(1)

```
import math

def min_subarrays_in_valid_split(nums):
    n = len(nums)
    subarray_count = 0
    start = 0

while start < n:
    end = start
    while end < n and math.gcd(nums[start], nums[end]) > 1:
        end += 1

    if start == end:
        return -1

    subarray_count += 1
    start = end
    return subarray_count

nums = [2, 6, 3, 4, 3]
print(min_subarrays_in_valid_split(nums))
```

8. Number of Distinct Averages:-

- Time Complexity: O(nlog n)O(n log n)O(nlog n)
- Space Complexity: O(n)O(n)O(n)

```
def number_of_distinct_averages(nums):
    nums.sort()
    averages = set()
```

```
while nums:
    min_val = nums.pop(0)
    max_val = nums.pop()
    avg = (min_val + max_val) / 2
    averages.add(avg)

return len(averages)

nums = [4, 1, 4, 0, 3, 5]
print(number of distinct averages(nums))
```

9. Count Ways To Build Good Strings:-

```
def countGoodStrings(low, high, zero, one):
  MOD = 10**9 + 7
  dp0 = [0] * (high + 1)
  dp1 = [0] * (high + 1)
  dp0[0] = 1
  dp1[0] = 1
  for i in range(1, high + 1):
    dp0[i] = (dp0[i-1] + dp1[i-1]) \% MOD
    dp1[i] = dp0[i-1]
  cumulative sum = [0] * (high + 1)
  cumulative_sum[0] = 1 \# dp0[0] and dp1[0] both contribute 1 to cumulative_sum[0]
  for i in range(1, high + 1):
    cumulative\_sum[i] = (cumulative\_sum[i-1] + dp0[i] + dp1[i]) \% \ MOD
  if low == 0:
    return (cumulative_sum[high] - 1) % MOD
  else:
    return (cumulative_sum[high] - cumulative_sum[low-1]) % MOD
```

10. Most Profitable Path in a Tree:-

```
def max_profit_in_tree(n, edges, amount, bob):
   import collections

graph = collections.defaultdict(list)
   for a, b in edges:
```

```
graph[a].append(b)
        graph[b].append(a)
   alice_profit = [-float('inf')] * n # Alice's max profit starting from
each node
   bob_arrival = [-1] * n # Bob's arrival time at each node
   def dfs bob(node, parent):
        for neighbor in graph[node]:
            if neighbor == parent:
                continue
            bob_arrival[neighbor] = bob_arrival[node] + 1
            dfs_bob(neighbor, node)
   bob arrival[bob] = 0
    dfs_bob(bob, -1)
    def dfs alice(node, parent):
        if amount[node] >= 0:
            alice_profit[node] = amount[node] # Reward node
        else:
            alice profit[node] = 0 # Cost node, assume 0 profit initially
        for neighbor in graph[node]:
            if neighbor == parent:
                continue
         neighbor
            if bob_arrival[neighbor] > bob_arrival[node]:
                # Bob reaches neighbor before Alice
               profit_to_neighbor = alice_profit[node] + amount[neighbor]
            else:
simultaneously
```