

# **DSA 1.1**

#### ChatGPT 3.5



4. Explain asymptotic notations with example. Define Time complexity and Space complexity. Calculate time complexity for given expression.

```
for (k=0; k<n; k++)
rows[k] = 0; for (j=0; j<n; j++)
rows[k] = rows[k] + matrix[k][j];
total = total + matrix[k][j];
}
in table step wise
```



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Sure, let's break down your questions one by one:

# **Asymptotic Notations:**

Asymptotic notations are used to describe the limiting behavior of a function when the argument tends towards a particular value or infinity. The three most common asymptotic notations are:

- 1. Big O Notation (O): It represents the upper bound of an algorithm's running time. If a function f(n) is 0(g(n)), it means that f(n) grows at the most as fast as g(n) as nincreases.
- 2. **Omega Notation** ( $\Omega$ ): It represents the lower bound of an algorithm's running time. If a function f(n) is  $\Omega(g(n))$ , it means that f(n) grows at least as fast as g(n) as nincreases.
- 3. **Theta Notation (0)**: It represents both the upper and lower bounds of an algorithm's running time. If a function f(n) is  $\theta(g(n))$ , it means that f(n) grows at the same rate as g(n) as `n` increases.

# **Time Complexity:**

Time complexity is a measure of the amount of time an algorithm takes to run as a function of the length of the input. It is often expressed using Big O notation. For example, an algorithm with time complexity  $0(n^2)$  means that the algorithm's running time increases quadratically with the size of the input.



# **Space Complexity:**

Space complexity is a measure of the amount of memory an algorithm uses as a function of the length of the input. It is also often expressed using Big O notation. For example, an algorithm with space complexity O(n) means that the algorithm's memory usage increases linearly with the size of the input.

# **Calculating Time Complexity:**

To calculate the time complexity of your given code snippet, we'll analyze the number of basic operations it performs in terms of the input size  $\mathbf{n}$ .

Here's the given code snippet:

```
for (k=0; k<n; k++)
{
    rows[k] = 0;
    for (j=0; j<n; j++)
    {
       rows[k] = rows[k] + matrix[k][j];
       total = total + matrix[k][j];
    }
}</pre>
```

# **Step-by-Step Analysis:**

- 1. The outer loop runs `n` times.
- 2. Inside the outer loop, the inner loop also runs `n` times.
- 3. Within the inner loop, there are two basic operations:

```
o `rows[k] = rows[k] + matrix[k][j];`
o `total = total + matrix[k][j];`
```

### **Total Operations:**

The total number of basic operations is:

- `2` operations inside the inner loop.
- This inner loop runs `n` times for each iteration of the outer loop, so `2 \* n`.
- The outer loop itself runs `n` times.

So, the total number of operations is 2 \* n \* n, which simplifies to  $2n^2$ .

# Time Complexity:

The time complexity of the given code snippet is  $0(n^2)$  because the number of operations grows quadratically with the input size n.

# **Space Complexity:**

The space complexity is `O(n)` because the `rows` array and `total` variable will each take up space proportional to `n`.



# Summary in a Table:

Step	Operations	<b>Total Operations</b>
1	Initialization	1
2	Outer Loop (`k` iterations)	`n`
3	Inner Loop (`j` iterations)	`n`
4	Inner Loop Operations	`2`
5	Total Inner Loop Operations	5`2 * n`
6	Outer Loop Operations	`2 * n * n`
	Total	`2n^2`

This table summarizes the step-wise operations and the total operations, leading to the time complexity of  $0(n^2)$  and space complexity of 0(n) for the given code.



6. What is recursion? Explain factorial with algorithm.



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Recursion is a programming technique where a function calls itself in its own definition. In simpler terms, recursion occurs when a function solves a problem by reducing it to smaller versions of the same problem. Recursion is a powerful concept used in many algorithms and can lead to elegant and concise solutions.

# **Factorial Using Recursion:**

Factorial is a mathematical function that multiplies a given number by every natural number less than itself but greater than zero. It's denoted by `n!` and defined as:

$$n! = n \times (n-1) \times (n-2) \times ... \times 3 \times 2 \times 1$$

Here's the factorial function implemented using recursion:

#### Algorithm for Factorial Using Recursion:

```
plaintext
```

```
factorial(n):
   if n == 0:
                    // Base case: factorial of 0 is 1
       return 1
   else:
       return n * factorial(n-1)
```

# **Explanation:**

• Base Case: The base case is when `n` is 0. In this case, the factorial is 1. This serves as the stopping condition for the recursion.



- Recursive Step: For `n` greater than 0, the function `factorial(n)` calls itself with `n-1` until it reaches the base case.
- Each recursive call reduces the problem by one, eventually reaching the base case.
- When the base case is reached (`n == 0`), the function starts returning values up the chain of recursive calls, multiplying each `n` by the result of the next smaller `n` until it reaches the original call.

# **Example:**

Let's say we want to find `factorial(5)` using this recursive function.

```
1. `factorial(5)` calls `factorial(4)`
2. `factorial(4)` calls `factorial(3)`
3. `factorial(3)` calls `factorial(2)`
4. `factorial(2)` calls `factorial(1)`
5. `factorial(1)` calls `factorial(0)`
```

At this point, `factorial(0)` returns `1` (base case reached).

#### Then:

```
• `factorial(1)` returns `1 * 1 = 1`
• `factorial(2)` returns `2 * 1 = 2`
• `factorial(3)` returns `3 * 2 = 6`
• `factorial(4)` returns `4 * 6 = 24`
• `factorial(5)` returns `5 * 24 = 120`
```

So, `factorial(5)` is `120`.

# **Summary:**

Recursion can be a very intuitive and elegant solution for problems that can be broken down into smaller, similar sub-problems. However, it's important to define a base case to prevent infinite recursion. In the case of the factorial function, the base case is when `n` is 0, which returns 1.



- 7. Solve following problems:
- I. Given a two-dimensional array Z1(2:9, 9:18) stored in column-major order with base address 100 and size of each element is 4 bytes, find address of the element
- II. Consider array int a [3][4] declared in C program. if the base address is 1050 find the address of the element a [3][2] with row major & column major representation.



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# I. Address Calculation in Column-Major Order:

In column-major order, elements are stored column by column. Given:



- Two-dimensional array `**z1**` with indices ranging from 2 to 9 for rows and 9 to 18 for columns.
- Base address of `z1` is 100.
- Size of each element is 4 bytes.

To find the address of `Z1(4, 12)`:

- 1. Calculate the offset for the row and column.
- 2. Add the offset to the base address.

#### Offset Calculation:

- Row index `4` is 2 rows after the starting row index.
- Column index `12` is 3 columns after the starting column index.

#### **Offset Calculation:**

- Offset for row `4` = `(4 2) \* (18 9 + 1) \* 4`
- Offset for column `12` = `(12 9) \* 4`

#### **Total Address Calculation:**

- Total offset = Offset for row + Offset for column
- Address = Base Address + Total Offset

#### **Calculations:**

- Offset for row `4` = `(4 2) \* (18 9 + 1) \* 4 = 2 \* 10 \* 4 = 80`
- Offset for column `12` = `(12 9) \* 4 = 3 \* 4 = 12`
- Total offset = Offset for row + Offset for column = `80 + 12 = 92`
- Address = Base Address + Total Offset = `100 + 92 = 192`

So, the address of `Z1(4, 12)` in column-major order is `192`.

# II. Address Calculation in Row-Major and Column-Major:

For array `a[3][4]` declared in C:

- Base address is 1050.
- Size of each element is not specified, so we'll assume it's 1 for simplicity.

#### **Row-Major Order:**

In row-major order, elements are stored row by row. The address is calculated as:  $Address = Base Address + (row \times number of columns + column) \times size of each element$ 

For `a[3][2]` in row-major order:

• Row `3` and Column `2`.

#### Calculations:

- Address = Base Address + (3 \* 4 + 2) \* 1
- Address = 1050 + 14

Address = 1064

So, the address of `a[3][2]` in row-major order is `1064`.

# Column-Major Order:

In column-major order, elements are stored column by column. The address is calculated as:  $Address = Base Address + (column \times number of rows + row) \times size of each element$ 

For `a[3][2]` in column-major order:

• Column `2` and Row `3`.

Calculations:

- Address = Base Address + (2 \* 3 + 3) \* 1
- Address = 1050 + 9
- Address = 1059

So, the address of `a[3][2]` in column-major order is `1059`.

# **Summary:**

- Address of `Z1(4, 12)` in column-major order is `192`.
- Address of `a[3][2]` in row-major order is `1064`.
- Address of `a[3][2]` in column-major order is `1059`.



8. Evaluate the following postfix expression using stack:



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To evaluate postfix expressions using a stack, we follow these steps:

- 1. Start scanning the expression from left to right.
- 2. If we encounter an operand, push it onto the stack.
- 3. If we encounter an operator, pop the required number of operands from the stack, perform the operation, and push the result back onto the stack.
- 4. Continue this process until the entire expression is scanned.
- 5. At the end, the result will be the only element left on the stack.

Let's evaluate the given postfix expressions:

### Steps:

- 1. Start with an empty stack.
- 2. Scan the expression from left to right.



Token	Action	Stack
9	Push 9	9
3	Push 3	93
4	Push 4	934
*	Pop 4, Pop 3, Multiply	9 12
8	Push 8	9 12 8
+	Pop 8, Pop 12, Add	21
4	Push 4	21 4
1	Pop 4, Pop 21, Divide	5
-	Pop 5, Pop 9, Subtract	-4

#### **Result:**

The result of the expression  $^{9}$  3 4 \* 8 + 4 / -  $^{\circ}$  is  $^{\circ}$ -4 $^{\circ}$ .

# **Steps:**

- 1. Start with an empty stack.
- 2. Scan the expression from left to right.

Token	Action	Stack
5	Push 5	5
6	Push 6	5 6
2	Push 2	562
+	Pop 2, Pop 6, Add	5 8
*	Pop 8, Pop 5, Multiply	40
1	Push 1	40 1
2	Push 2	40 1 2
4	Push 4	40 1 2 4
/	Pop 4, Pop 2, Divide	40 1 0
-	Pop 0, Pop 1, Subtract	40 -1
+	Pop -1, Pop 40, Add	39

# **Result:**

The result of the expression  $^5$  6 2 + \* 1 2 4 / - + $^{\circ}$  is  $^3$ 9 $^{\circ}$ .

# **Summary:**

- The result of `9 3 4 \* 8 + 4 / -` is `-4`.
- The result of `5 6 2 + \* 1 2 4 / + ` is `39`.





9. What is sparse matrix? Explain (more information) memory representation of sparse matrix(array and linked list).



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# **Sparse Matrix:**

A sparse matrix is a matrix where most of the elements are zero. In contrast, a dense matrix has a significant number of non-zero elements. Sparse matrices are common in many applications such as scientific computing, image processing, and network analysis, where large matrices with mostly zero values are encountered.

# **Memory Representation:**

To efficiently store and work with sparse matrices, we use different data structures than we would for dense matrices. Two common representations for sparse matrices are:

- 1. Array Representation
- 2. Linked List Representation

# **Array Representation:**

In the array representation of a sparse matrix, we store only the non-zero elements along with their row and column indices. The structure typically consists of three arrays:

- `value[]`: Contains the non-zero values of the matrix.
- `row[]`: Contains the corresponding row indices of the non-zero values.
- `col[]`: Contains the corresponding column indices of the non-zero values.

# **Example:**

Consider a sparse matrix:

$$A = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 \\ 5 & 8 & 0 & 0 & 0 \\ 0 & 0 & 3 & 0 & 0 \\ 0 & 6 & 0 & 0 & 0 \\ 0 & 0 & 0 & 9 & 0 \end{bmatrix}$$

Array Representation:

- `value[]`: [5, 8, 3, 6, 9] (Non-zero values)
- `row[]`: [1, 1, 2, 3, 4] (Corresponding row indices)
- `col[]`: [0, 1, 0, 1, 3] (Corresponding column indices)

# **Linked List Representation:**

In the linked list representation, we create a linked list for each row of the matrix. Each node in the linked list represents a non-zero element, containing the value, column index, and a pointer to the next non-zero element in the row.



# **Example:**

Consider the same sparse matrix as before:

Linked List Representation:

- Row 1: (1, 0) -> (5, 1) -> NULL
- Row 2: (8, 1) -> NULL
- Row 3: (3, 2) -> NULL
- Row 4: (6, 1) -> NULL
- Row 5: (9, 3) -> NULL

In this representation, each row is a separate linked list, and the head of each list points to the first non-zero element in that row. The linked list nodes store the non-zero values along with their column indices.

# **Comparison:**

# • Array Representation:

- Advantages:
  - More space-efficient when the number of non-zero elements is relatively small compared to the matrix size.
  - Provides faster access to elements using indices.
- o Disadvantages:
  - Wasteful if the matrix is highly sparse, as it stores many zeros.
  - Insertions and deletions can be costly as they may require shifting elements.

# • Linked List Representation:

- Advantages:
  - Efficient for highly sparse matrices as it only stores non-zero elements.
  - Insertions and deletions are easier and more efficient.
- Disadvantages:
  - Requires more memory due to the pointers in each node.
  - Slower access times compared to arrays due to traversal.

# **Summary:**

- Sparse matrices are those with mostly zero elements.
- Array representation stores non-zero values along with row and column indices.
- Linked list representation creates a linked list for each row with nodes storing value, column index, and pointer to the next non-zero element.
- Array representation is more space-efficient but can be inefficient for highly sparse matrices.
- Linked list representation is efficient for highly sparse matrices but uses more memory and has slower access times.



10. What is Stack? Write down algorithms for performing PUSH, POP, CHANGE and PEEP operations on a stack.

List out the applications of the stack?

Write a pseudo code for PUSH and POP operations of stack.



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#### Stack:

A stack is a linear data structure that follows the Last In, First Out (LIFO) principle. This means that the last element added to the stack is the first one to be removed. Think of it like a stack of plates where you can only add or remove the top plate.

# **Operations on a Stack:**

The main operations performed on a stack are:

- 1. **PUSH**: Adds an element to the top of the stack.
- 2. **POP**: Removes and returns the element from the top of the stack.
- 3. **PEEK** (or PEEP): Views the top element without removing it.
- 4. **CHANGE** (or UPDATE): Modifies the value of the top element.

# **Algorithms for Stack Operations:**

#### 1. PUSH:

- To add an element `item` to the top of the stack:
  - Increment `top` by 1.
  - Assign `item` to `stack[top]`.

#### 2. POP:

- To remove and return the element from the top of the stack:
  - If `top` is less than 0, stack is empty.
  - Retrieve `item` from `stack[top]`.
  - Decrement `top` by 1.
  - Return `item`.

#### 3. PEEK (or PEEP):

- To view the top element of the stack:
  - If `top` is less than 0, stack is empty.
  - Return `stack[top]`.

#### 4. CHANGE (or UPDATE):

- To modify the value of the top element:
  - If `top` is less than 0, stack is empty.
  - Assign new value `newValue` to `stack[top]`.

# **Applications of Stack:**

Stacks are used in various applications, including:

• Expression evaluation (like infix to postfix conversion, solving postfix expressions).



- Function call management (keeping track of functions called and their return addresses).
- Undo mechanisms in text editors.
- Backtracking algorithms.
- Memory management in recursive algorithms.
- Implementing algorithms like DFS (Depth First Search) in graphs.
- Browser history management (Back and Forward buttons).
- Evaluation of arithmetic expressions.

# **Pseudo Code for PUSH and POP Operations:**

Here's a simple pseudo code for a stack implemented using an array:

# **Algorithm for PUSH:**

```
plaintext
```

```
PUSH(item):
    if top == MAX_SIZE - 1:
        // Overflow, stack is full
        return "Stack Overflow"
    else:
        top = top + 1
        stack[top] = item
```

# **Algorithm for POP:**

```
plaintext
```

```
POP():
    if top == -1:
        // Underflow, stack is empty
        return "Stack Underflow"
    else:
        item = stack[top]
        top = top - 1
        return item
```

# **Example Usage:**

Let's say we have a stack `stack` implemented as an array with a `MAX\_SIZE` of 5. Initially, `top` is -1.

plaintext

```
MAX_SIZE = 5
top = -1
stack[MAX_SIZE]

PUSH(10) // Stack: [10], top = 0

PUSH(20) // Stack: [10, 20], top = 1

PUSH(30) // Stack: [10, 20, 30], top = 2

item = POP() // Stack: [10, 20], top = 1, item = 30

item = POP() // Stack: [10], top = 0, item = 20
```

# **Summary:**

- A stack is a Last In, First Out (LIFO) data structure.
- Main operations: PUSH (add), POP (remove), PEEK (view top), CHANGE (modify top).



- Applications include expression evaluation, function call management, undo mechanisms, backtracking, and more.
- Pseudo code for PUSH adds an element to the top of the stack, and POP removes and returns the top element.
- Stacks are often implemented using arrays or linked lists.



(ORRRRR) 10. What is Stack? Write down all (Pseudo Code ) algorithms for performing PUSH, POP, CHANGE and PEEP

operations on a stack.

List out the applications of the stack?

Write a pseudo code for PUSH and POP operations of stack.



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#### Stack:

A stack is a linear data structure that follows the Last In, First Out (LIFO) principle. This means that the last element added to the stack is the first one to be removed. It can be visualized as a stack of plates where you can only add or remove the top plate.

# **Operations on a Stack:**

The main operations performed on a stack are:

- 1. **PUSH**: Adds an element to the top of the stack.
- 2. **POP**: Removes and returns the element from the top of the stack.
- 3. **PEEK** (or PEEP): Views the top element without removing it.
- 4. **CHANGE** (or UPDATE): Modifies the value of the top element.

# Algorithms for Stack Operations (Pseudo Code):

# 1. PUSH:

```
plaintext
```

```
PUSH(item):
   if stack is full:
      return "Stack Overflow"
   else:
      top = top + 1
      stack[top] = item
```

#### 2. POP:

plaintext

```
POP():
   if stack is empty:
     return "Stack Underflow"
   else:
```



```
item = stack[top]
top = top - 1
return item
```

# 3. PEEK (or PEEP):

plaintext

```
PEEK():
   if stack is empty:
      return "Stack is Empty"
   else:
      return stack[top]
```

# 4. CHANGE (or UPDATE):

```
plaintext
```

```
CHANGE(newValue):
   if stack is empty:
      return "Stack is Empty"
   else:
      stack[top] = newValue
```

# **Applications of Stack:**

Stacks are used in various applications, including:

- Expression evaluation (like infix to postfix conversion, solving postfix expressions).
- Function call management (keeping track of functions called and their return addresses).
- Undo mechanisms in text editors.
- Backtracking algorithms.
- Memory management in recursive algorithms.
- Implementing algorithms like DFS (Depth First Search) in graphs.
- Browser history management (Back and Forward buttons).
- Evaluation of arithmetic expressions.

# Pseudo Code for PUSH and POP Operations:

Here's a simple example of pseudo code for a stack implemented using an array:

# **Algorithm for PUSH:**

```
plaintext
```

```
PUSH(item):
   if top == MAX_SIZE - 1:
       // Overflow, stack is full
      return "Stack Overflow"
   else:
      top = top + 1
      stack[top] = item
```

# **Algorithm for POP:**



#### plaintext

```
POP():
    if top == -1:
       // Underflow, stack is empty
        return "Stack Underflow"
    else:
        item = stack[top]
        top = top - 1
        return item
```

# **Example Usage:**

Let's say we have a stack `stack` implemented as an array with a `MAX SIZE` of 5. Initially, `top` is -1.

#### plaintext

```
MAX_SIZE = 5
top = -1
stack[MAX_SIZE]
PUSH(10) // Stack: [10], top = 0
PUSH(20) // Stack: [10, 20], top = 1
PUSH(30) // Stack: [10, 20, 30], top = 2
item = POP() // Stack: [10, 20], top = 1, item = 30
item = POP() // Stack: [10], top = 0, item = 20
```

# **Summary:**

- A stack is a Last In, First Out (LIFO) data structure.
- Main operations: PUSH (add), POP (remove), PEEK (view top), CHANGE (modify top).
- Applications include expression evaluation, function call management, undo mechanisms, backtracking, and more.
- Pseudo code for PUSH adds an element to the top of the stack, and POP removes and returns the top element.
- Stacks are often implemented using arrays or linked lists.



11. Write an algorithm to convert infix expression into postfix expression with parenthesis and write an algorithm to convert infix to prefix expression and explain it with example.



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# Algorithm to Convert Infix to Postfix Expression with Parentheses:

- 1. Create an empty stack `operatorStack` to hold operators.
- 2. Create an empty string `postfix` to store the postfix expression.
- 3. Scan the infix expression from left to right:
  - If the current token is an operand, append it to `postfix`.
  - If the current token is an opening parenthesis '(', push it onto `operatorStack`.
  - If the current token is a closing parenthesis ')':



- Pop operators from `operatorStack` and append them to `postfix` until an opening parenthesis '(' is encountered. Discard the '('.
- If the current token is an operator:
  - While the top of `operatorStack` has higher or equal precedence to the current token:
    - Pop the top operator from `operatorStack` and append it to `postfix`.
  - Push the current token onto `operatorStack`.
- 4. After scanning all tokens, pop and append any remaining operators from `operatorStack` to `postfix`.
- 5. The final `postfix` expression is the desired output.

# **Example:**

Let's convert the infix expression `(A + B) \* C - D / E` to postfix:

- 1. Expression: (A + B) \* C D / E
- 2. Start with an empty `postfix` and `operatorStack`.
- 3. Scan each token:
  - o '(': Push onto stack
  - o 'A': Append to `postfix`
  - '+': Push onto stack
  - ∘ 'B': Append to `postfix`
  - o ')': Pop and append operators until '(' is found. Result: `AB+`
  - o '\*': Push onto stack
  - o 'C': Append to `postfix`
  - o '-': Push onto stack
  - o 'D': Append to `postfix`
  - o '/': Push onto stack
  - o 'E': Append to `postfix`
- 4. Pop remaining operators from `operatorStack`. Result: `AB+C\*DE/-`
- 5. Final postfix expression: `AB+C\*DE/-`

# **Algorithm to Convert Infix to Prefix Expression:**

- 1. Reverse the input infix expression.
- 2. Apply the algorithm to convert infix to postfix (without parentheses).
- 3. Reverse the resulting postfix expression to get the prefix expression.

# **Example:**

Let's convert the infix expression `(A + B) \* C - D / E` to prefix:

- 1. Reverse the infix expression: `E / D C \* (B + A)`
- 2. Convert the reversed infix expression to postfix:
  - Start with an empty `postfix` and `operatorStack`.
  - Scan each token (reversed):
    - ')': Push onto stack
    - 'E': Append to `postfix`
    - '/' : Push onto stack
    - 'D': Append to `postfix`
    - '-': Pop and append operators until '(' is found. Result: `ED/`



- 'C': Append to `postfix`
- '\*': Push onto stack
- '(': Push onto stack
- 'B': Append to `postfix`
- '+': Push onto stack
- 'A' : Append to `postfix`
- ')': Pop and append operators until '(' is found. Result: `ED/CBA+\*`
- '(': Pop and append remaining operators. Result: `ED/CBA+\*`
- 3. Reverse the resulting postfix expression: `\*+ABC/DE`

So, the prefix expression equivalent to (A + B) \* C - D / E is \*+ABC/DE.

# **Summary:**

- To convert infix to postfix with parentheses:
  - Use a stack to manage operators.
  - Append operands to the output.
  - Handle parentheses by pushing and popping operators.
  - Apply precedence rules to determine order.
- To convert infix to prefix:
  - Reverse the infix expression.
  - Convert the reversed expression to postfix.
  - Reverse the resulting postfix expression to get the prefix.



ORRRR 11. Write an algorithm (Pseudo Code ) to convert infix expression into postfix expression with parenthesis

and write an algorithm (Pseudo Code ) to convert infix to prefix expression and explain it with example.



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# Algorithm to Convert Infix to Postfix Expression with Parentheses (Pseudo Code):

#### plaintext

```
FUNCTION infixToPostfix(expression):
    operatorStack = Empty Stack
    postfix = Empty String
    FOR each token in expression:
       IF token is an operand:
           Append token to postfix
        ELSE IF token is '(':
           Push token onto operatorStack
        ELSE IF token is ')':
            WHILE top of operatorStack is not '(':
                Pop operator from operatorStack and append to postfix
            Discard '(' from operatorStack
        ELSE IF token is an operator:
            WHILE operatorStack is not empty AND precedence(token) <= precedence(top of
operatorStack):
                Pop operator from operatorStack and append to postfix
```



```
Push token onto operatorStack

// Append remaining operators from operatorStack to postfix

WHILE operatorStack is not empty:
    Pop operator from operatorStack and append to postfix

RETURN postfix

FUNCTION precedence(op):
    If op is '*' OR op is '/':
        RETURN 2

ELSE IF op is '+' OR op is '-':
        RETURN 1

ELSE:
    RETURN 0
```

# **Example:**

Let's convert the infix expression `(A + B) \* C - D / E` to postfix:

```
1. Expression: (A + B) * C - D / E
```

2. Apply the algorithm:

```
Token: `(` -> Push onto stack
Token: `A` -> Append to `postfix`
Token: `+` -> Push onto stack
Token: `B` -> Append to `postfix`
Token: `)` -> Pop and append operators until `(` is found. Result: `AB+`
Token: `*` -> Push onto stack
Token: `C` -> Append to `postfix`
Token: `-` -> Push onto stack
Token: `D` -> Append to `postfix`
Token: `/` -> Push onto stack
Token: `/` -> Push onto stack
Pop remaining operators from stack and append to `postfix`. Result: `AB+C*DE/-`
```

Final postfix expression: `AB+C\*DE/-`

# **Algorithm to Convert Infix to Prefix Expression (Pseudo Code):**

```
plaintext
```

```
FUNCTION infixToPrefix(expression):
    // Reverse the expression
    reversedExpression = Reverse(expression)

// Apply the algorithm for infix to postfix (without parentheses)
    postfix = infixToPostfix(reversedExpression)

// Reverse the resulting postfix expression to get the prefix expression
    prefix = Reverse(postfix)

RETURN prefix
```

# **Example:**

Let's convert the infix expression `(A + B) \* C - D / E` to prefix:



- 1. Expression: (A + B) \* C D / E
- 2. Reverse the expression: E / D C \* (B + A)
- 3. Apply the algorithm:
  - Token: `E` -> Append to `postfix`
  - Token: `/` -> Push onto stack
  - Token: `D` -> Append to `postfix`
  - o Token: `-` -> Push onto stack
  - Token: `C` -> Append to `postfix`
  - Token: `\*` -> Push onto stack
  - Token: `(` -> Push onto stack
  - Token: `B` -> Append to `postfix`
  - Token: `+` -> Push onto stack
  - Token: `A` -> Append to `postfix`
  - Token: `)` -> Pop and append operators until `(` is found. Result: `ED/CBA+\*`

Final postfix expression: `\*+ABC/DE`

Reverse the postfix expression to get the prefix: `\*+ABC/DE`

So, the prefix expression equivalent to `(A + B) \* C - D / E` is `\*+ABC/DE`.

# **Summary:**

- The algorithm for infix to postfix conversion with parentheses involves using a stack to manage operators and precedence rules.
- The algorithm for infix to prefix conversion is similar:
  - Reverse the expression.
  - Convert the reversed expression to postfix.
  - Reverse the resulting postfix expression to get the prefix.



Solve following problems: Translate the following string into polish notation and trace the content of stack i. A - (B / C + (D % E \* F) / G) \* H (show in table)



### **ChatGPT**

To translate the infix expression into Polish (Prefix) notation and trace the content of the stack, we'll follow these steps:

- 1. Convert the infix expression to postfix expression.
- 2. Reverse the postfix expression to get the prefix notation.
- 3. Maintain a stack to trace the content of the stack during the conversion process.

#### **Infix to Postfix Conversion:**

Given infix expression:  $^A - (B / C + (D \% E * F) / G) * H$ 

# Algorithm:

- 1. Create an empty stack for operators and an empty string for the postfix expression.
- 2. Scan the infix expression from left to right:
  - If the current token is an operand, add it to the postfix expression.
  - If the current token is an opening parenthesis '(', push it onto the stack.
  - If the current token is a closing parenthesis ')':
    - Pop operators from the stack and add them to the postfix expression until an opening parenthesis '(' is encountered. Discard the '('.
  - If the current token is an operator:
    - While the stack is not empty and the precedence of the current operator is less than or equal to the precedence of the top of the stack:
      - Pop the top of the stack and add it to the postfix expression.
    - Push the current operator onto the stack.
- 3. After scanning all tokens, pop and add any remaining operators from the stack to the postfix expression.

#### **Trace Table:**

We'll create a trace table to show the content of the stack during each step of the conversion process.

Token	Stack	<b>Postfix Expression</b>
	[empty]	[empty]
Α	[empty]	Α
-	-	Α
(	- (	Α
В	- (	AB
/	- (/	AB
C	- (/	ABC
+	- (/ +	ABC
(	- (/ + (	ABC
D	- (/ + (	ABCD
%	- (/ + ( %	ABCD
Е	- (/ + ( %	ABCDE
*	- (/ + ( % *	ABCDE
F	- (/ + ( % *	ABCDEF
)	- (/ + ( % *	ABCDEF*%+
/	- (/ + ( % * /	ABCDEF*%+
G	- (/ + ( % * /	ABCDEF*%+G
)	- (/ + ( % * /	ABCDEF*%+G/
*	_ *	ABCDEF*%+G/
Н	_ *	ABCDEF*%+G/H
	[empty]	ABCDEF*%+G/H*-

# **Prefix Notation:**



The postfix expression `ABCDEF\*%+G/H\*-` in reverse order gives us the prefix notation:

```
Prefix Notation: `- * + A B / C + % D E F / G H`
```

So, the prefix (Polish) notation for the infix expression `A - (B / C + (D % E \* F) / G ) \* H` is `- \* + A B / C + % D E F / G H` and the trace of the stack during conversion is shown in the table above.



13. Write algorithm for postfix to infix and prefix to infix.



#### **ChatGPT**

# **Algorithm to Convert Postfix to Infix Expression:**

### Steps:

- 1. Create an empty stack for operands.
- 2. Scan the postfix expression from left to right.
- 3. If the current token is an operand, push it onto the stack.
- 4. If the current token is an operator:
  - Pop the top two operands from the stack.
  - o Concatenate them with the operator in between to form a sub-expression.
  - Enclose the sub-expression in parentheses.
  - Push the new sub-expression back onto the stack.
- 5. After scanning all tokens, the top of the stack contains the final infix expression.

#### Algorithm (Pseudo Code):

plaintext

```
FUNCTION postfixToInfix(postfix):
    operandStack = Empty Stack

FOR each token in postfix:
    IF token is an operand:
        Push token onto operandStack
    ELSE IF token is an operator:
        operand2 = Pop operandStack
        operand1 = Pop operandStack
        subExpression = "(" + operand1 + token + operand2 + ")"
        Push subExpression onto operandStack

RETURN Top of operandStack as the final infix expression
```

# **Example:**

Let's convert the postfix expression `ABC\*+DE/F\*-` to infix:

- 1. Postfix expression: `ABC\*+DE/F\*-`
- 2. Apply the algorithm:



- Token: `A` -> Push onto stack
- Token: `B` -> Push onto stack
- Token: `c` -> Push onto stack
- Token: `\*` -> Pop operands `B` and `C`, form sub-expression `(B\*C)`, Push onto stack
- Token: `+` -> Pop operands `A` and `(B\*C)`, form sub-expression `(A+(B\*C))`, Push onto stack
- Token: `**p**` -> Push onto stack
- Token: `E` -> Push onto stack
- Token: `/` -> Pop operands `E` and `D`, form sub-expression `(E/D)`, Push onto stack
- Token: `F` -> Push onto stack
- Token: `\*` -> Pop operands `(E/D)` and `F`, form sub-expression `((E/D)\*F)`, Push onto stack
- Token: `-` -> Pop operands `(A+(B\*C))` and `((E/D)\*F)`, form sub-expression `((A+(B\*C))-((E/D)\*F))`, Push onto stack

Final infix expression: `((A+(B\*C))-((E/D)\*F))`

# **Algorithm to Convert Prefix to Infix Expression:**

# Steps:

- 1. Create an empty stack for operands.
- 2. Scan the prefix expression from right to left.
- 3. If the current token is an operand, push it onto the stack.
- 4. If the current token is an operator:
  - Pop the top two operands from the stack.
  - Concatenate them with the operator in between to form a sub-expression.
  - Enclose the sub-expression in parentheses.
  - Push the new sub-expression back onto the stack.
- 5. After scanning all tokens, the top of the stack contains the final infix expression.

#### Algorithm (Pseudo Code):

### plaintext

```
FUNCTION prefixToInfix(prefix):
    operandStack = Empty Stack

FOR each token in reverse of prefix:
    IF token is an operand:
        Push token onto operandStack
    ELSE IF token is an operator:
        operand1 = Pop operandStack
        operand2 = Pop operandStack
        subExpression = "(" + operand1 + token + operand2 + ")"
        Push subExpression onto operandStack

RETURN Top of operandStack as the final infix expression
```

# **Example:**

Let's convert the prefix expression `\*-+ABC/\*DEF` to infix:

Prefix expression: `\*-+ABC/\*DEF`



- 2. Reverse the prefix expression to `FED/\*C+BA-\*`
- 3. Apply the algorithm:
  - Token: `F` -> Push onto stack
  - Token: `E` -> Push onto stack
  - Token: `p` -> Push onto stack
  - Token: `/` -> Pop operands `E` and `D`, form sub-expression `(E/D)`, Push onto stack
  - Token: `\*` -> Pop operands `F` and `(E/D)`, form sub-expression `((E/D)\*F)`, Push onto stack
  - Token: `c` -> Push onto stack
  - Token: `+` -> Pop operands `C` and `((E/D)\*F)`, form sub-expression `(C+((E/D)\*F))`, Push onto stack
  - Token: `B` -> Push onto stack
  - Token: `A` -> Push onto stack
  - Token: `-` -> Pop operands `B` and `A`, form sub-expression `(B-A)`, Push onto stack
  - Token: `\*` -> Pop operands `(B-A)` and `(C+((E/D)\*F))`, form sub-expression `((B-A)\*(C+ ((E/D)\*F)))`, Push onto stack

Final infix expression: `((B-A)\*(C+((E/D)\*F)))`

# **Summary:**

- The algorithm to convert postfix to infix and prefix to infix involves using a stack to manage operands.
- For postfix to infix, we scan from left to right, and for prefix to infix, we scan from right to left.
- Operands are pushed onto the stack, and when an operator is encountered, the top two operands are popped, and a new sub-expression is formed.
- The final infix expression is the top of the stack after scanning all tokens.



14. Evaluate the following postfix expression in tabular form showing stack after every step. 76 + 4 \* 410 + -5 + (Show in table)



#### **ChatGPT**

To evaluate the postfix expression  $^{7}$  6 + 4 \* 4 10 + - 5 + $^{7}$ , we'll create a table to show the stack after every step.

# **Steps to Evaluate Postfix Expression:**

- 1. Create an empty stack to hold operands.
- 2. Scan the postfix expression from left to right.
- 3. For each token in the expression:
  - If the token is an operand, push it onto the stack.
  - o If the token is an operator, pop the top two operands from the stack, apply the operation, and push the result back onto the stack.
- 4. After scanning all tokens, the top of the stack will contain the final result.



# Table:

Token	Stack	Operation
	[empty]	
7	7	Push 7
6	7, 6	Push 6
+	13	Pop 7, 6, add, Push 13
4	13, 4	Push 4
*	52	Pop 13, 4, multiply, Push 52
4	52, 4	Push 4
10	52, 4, 10	Push 10
+	52, 14	Pop 4, 10, add, Push 14
-	38	Pop 52, 14, subtract, Push 38
5	38, 5	Push 5
+	43	Pop 38, 5, add, Push 43

# **Final Result:**

The final result of the postfix expression  $^{7}$  6 + 4 \* 4 10 + - 5 +  $^{1}$  is  $^{43}$ .



17. Write a C program to reverse a string using stack.



#### **ChatGPT**

Sure! Here's a simple C program to reverse a string using a stack:

С

```
#include <stdio.h>
#include <string.h>
#define MAX_SIZE 100
// Structure to represent stack
struct Stack {
   int top;
    char array[MAX SIZE];
};
// Function to create an empty stack
struct Stack createStack() {
    struct Stack stack;
    stack.top = -1; // Initialize top to -1
    return stack;
}
// Function to check if stack is empty
int isEmpty(struct Stack* stack) {
   return (stack->top == -1);
// Function to push an element onto the stack
void push(struct Stack* stack, char item) {
```



```
if (stack->top == MAX SIZE - 1) {
        printf("Stack Overflow\n");
        return;
    stack->array[++stack->top] = item;
}
// Function to pop an element from the stack
char pop(struct Stack* stack) {
    if (isEmpty(stack)) {
        printf("Stack Underflow\n");
        return '\0'; // Return null character for empty stack
    return stack->array[stack->top--];
}
// Function to reverse a string using stack
void reverseString(char* str) {
   int len = strlen(str);
    struct Stack stack = createStack();
    // Push each character onto the stack
    for (int i = 0; i < len; i++) {
        push(&stack, str[i]);
    // Pop each character from the stack to reverse the string
    for (int i = 0; i < len; i++) {</pre>
        str[i] = pop(&stack);
}
int main() {
    char str[MAX_SIZE];
    printf("Enter a string: ");
    fgets(str, MAX_SIZE, stdin);
    // Remove the newline character from fgets
    str[strcspn(str, "\n")] = '\0';
    printf("Original String: %s\n", str);
    reverseString(str);
    printf("Reversed String: %s\n", str);
    return 0;
}
```

# **Explanation:**

- The program defines a `struct Stack` to represent a stack, with functions to create, push, and pop elements.
- The `reverseString` function takes a string as input, creates an empty stack, pushes each character onto the stack, and then pops each character back to reverse the string.
- In the `main` function, it reads a string from the user, calls `reverseString` to reverse it, and then prints the original and reversed strings.

# **Example Output:**

```
Enter a string: Hello World!
Original String: Hello World!
Reversed String: !dlroW olleH
```



This program demonstrates the use of a stack to reverse a given string.



18. What is Queue? Write an algorithm to implement insert and delete operation into a Simple Queue using array representation of Queue



#### **ChatGPT**

# Queue:

A queue is a linear data structure that follows the First In, First Out (FIFO) principle. In a queue, elements are added at the rear (enqueue) and removed from the front (dequeue). It is similar to a queue of people waiting in line for a service.

# Algorithm to Implement Insert (Enqueue) and Delete (Dequeue) in a Simple **Queue using Array:**

#### **Data Structures:**

- `MAX\_SIZE`: Maximum size of the queue.
- `queue[]`: Array to store the elements.
- `front`: Index of the front element.
- `rear`: Index of the rear element.

#### **Operations:**

- 1. **Insert (Enqueue)**: Adds an element to the rear of the queue.
- 2. **Delete (Dequeue)**: Removes an element from the front of the queue.

# Algorithm (Pseudo Code):

# plaintext

```
CONSTANT MAX_SIZE = 100 // Maximum size of the queue
VARIABLE front = -1
                          // Initialize front and rear to -1
VARIABLE rear = -1
ARRAY queue[MAX_SIZE]
                         // Array to store elements
FUNCTION isEmpty():
    // Queue is empty if both front and rear are -1
RETURN (front == -1 AND rear == -1)
FUNCTION isFull():
    // Queue is full if rear is at the last index
    RETURN (rear == MAX_SIZE - 1)
FUNCTION insert(element):
    IF isFull():
        PRINT "Queue is full"
    ELSE IF isEmpty():
        // For the first element, increment both front and rear
        front = 0
        rear = 0
        queue[rear] = element
```



```
ELSE:
        // Increment rear and add element to the rear
        rear = rear + 1
        queue[rear] = element
FUNCTION delete():
    IF isEmpty():
        PRINT "Queue is empty"
    ELSE IF front == rear:
        // For the last element, reset front and rear to -1
        queue[front] = NULL // Optional: set the value to NULL or empty
        front = -1
        rear = -1
    ELSE:
        // Remove element at front and increment front
        queue[front] = NULL // Optional: set the value to NULL or empty
        front = front + 1
FUNCTION display():
    IF isEmpty():
        PRINT "Queue is empty"
    ELSE:
        FOR i from front to rear:
            PRINT queue[i]
```

# **Example:**

Let's implement and perform operations on a simple queue using the above algorithm:

С

```
#include <stdio.h>
#define MAX_SIZE 100
int queue[MAX_SIZE];
int front = -1;
int rear = -1;
int isEmpty() {
    return (front == -1 && rear == -1);
int isFull() {
    return (rear == MAX SIZE - 1);
void insert(int element) {
   if (isFull()) {
        printf("Queue is full\n");
    } else if (isEmpty()) {
        front = 0;
        rear = 0;
        queue[rear] = element;
    } else {
        rear++:
        queue[rear] = element;
    }
}
void delete() {
    if (isEmpty()) {
        printf("Queue is empty\n");
    } else if (front == rear) {
        queue[front] = 0; // Optional: set the value to NULL or empty
        front = -1;
        rear = -1;
    } else {
        queue[front] = 0; // Optional: set the value to NULL or empty
        front++;
```



```
void display() {
    if (isEmpty()) {
        printf("Queue is empty\n");
    } else {
        printf("Queue elements: ");
for (int i = front; i <= rear; i++) {</pre>
             printf("%d ", queue[i]);
        printf("\n");
    }
}
int main() {
    // Insert elements into the queue
    insert(10);
    insert(20);
    insert(30);
    // Display the queue
    display(); // Queue elements: 10 20 30
    // Delete an element
    delete();
    // Display the queue after deletion
    display(); // Queue elements: 20 30
    // Insert more elements
    insert(40);
    insert(50);
    // Display the queue after insertion
    display(); // Queue elements: 20 30 40 50
    return 0;
}
```

# **Explanation:**

- The `insert` function adds an element to the rear of the queue, and `delete` removes an element from the front.
- The `display` function prints all elements in the queue.
- In the `main` function, we insert elements `10`, `20`, and `30`, then delete an element, and finally insert `40` and `50`.
- At the end of each operation, we display the current state of the queue.

# **Output:**

```
yaml
```

```
Queue elements: 10 20 30
Queue elements: 20 30
Queue elements: 20 30 40 50
```

This C program demonstrates a simple queue implemented using an array, with insert, delete, and display operations.



19. Write an algorithm and (pseudo code) for circular queue that insert an element at rear end.



#### **ChatGPT**

# **Circular Queue Insertion Algorithm (Insert at Rear End):**

Here's the algorithm for inserting an element at the rear end of a circular queue:

#### **Data Structures:**

- `MAX\_SIZE`: Maximum size of the circular queue.
- `queue[]`: Array to store the elements.
- `front`: Index of the front element.
- `rear`: Index of the rear element.

# **Operations:**

- 1. Circular Insert (Enqueue): Adds an element to the rear of the circular queue.
  - If the queue is full, display an overflow message.
  - If the queue is empty, set both `front` and `rear` to 0.
  - Otherwise, increment `rear` in a circular manner.
  - Assign the element to `queue[rear]`.

# Algorithm (Pseudo Code):

plaintext

```
CONSTANT MAX SIZE = 100 // Maximum size of the circular queue
VARIABLE front = -1
                        // Initialize front and rear to -1
VARIABLE rear = -1
ARRAY queue[MAX_SIZE]
                        // Array to store elements
FUNCTION isEmpty():
    // Queue is empty if both front and rear are -1
    RETURN (front == -1 AND rear == -1)
FUNCTION isFull():
    // Queue is full if (rear + 1) % MAX_SIZE equals front
    RETURN ((rear + 1) % MAX SIZE == front)
FUNCTION circularInsert(element):
    IF isFull():
        PRINT "Circular Queue Overflow"
    ELSE IF isEmpty():
        // For the first element, increment both front and rear
        front = 0
        rear = 0
        queue[rear] = element
        // Increment rear in a circular manner
        rear = (rear + 1) % MAX_SIZE
        queue[rear] = element
```

# **Example:**

Let's implement and perform insertion operations on a circular queue using the above algorithm:

С



```
#include <stdio.h>
#define MAX_SIZE 5
int queue[MAX_SIZE];
int front = -1;
int rear = -1;
int isEmpty() {
    return (front == -1 && rear == -1);
int isFull() {
    return ((rear + 1) % MAX SIZE == front);
}
void circularInsert(int element) {
    if (isFull()) {
        printf("Circular Queue Overflow\n");
    } else if (isEmpty()) {
        front = 0;
        rear = 0;
        queue[rear] = element;
    } else {
        rear = (rear + 1) % MAX SIZE;
        queue[rear] = element;
    }
}
void display() {
    if (isEmpty()) {
        printf("Circular Queue is empty\n");
        printf("Circular Queue elements: ");
        int i = front;
        do {
            printf("%d ", queue[i]);
            i = (i + 1) \% MAX_SIZE;
        } while (i != (rear + 1) % MAX_SIZE);
        printf("\n");
    }
}
int main() {
    // Insert elements into the circular queue
    circularInsert(10);
    circularInsert(20);
    circularInsert(30);
    circularInsert(40);
    circularInsert(50); // Circular Queue Overflow
    // Display the circular queue
    display(); // Circular Queue elements: 10 20 30 40
    return 0;
}
```

# **Explanation:**

- The `circularInsert` function adds an element to the rear of the circular queue.
- The `display` function prints all elements in the circular queue, handling the circular nature of the queue.
- In the `main` function, we insert elements `10`, `20`, `30`, and `40`, and try to insert `50` (which causes an overflow).
- The `display` function prints the current state of the circular queue.

# **Output:**

CSS

Circular Queue Overflow Circular Queue elements: 10 20 30 40

This C program demonstrates the insertion of elements at the rear end of a circular queue using an array representation, handling circularity and overflow conditions.



20. Explain types of Queues? Compare Simple Queue and Circular Queue. Write an algorithm to implement insert and delete operation into a Double Ended Queue using array representation of Queue. (without c code only algorithm - pseudo code)



#### **ChatGPT**

# **Types of Queues:**

# 1. Simple Queue:

- o Follows First In, First Out (FIFO) principle.
- Elements are inserted from the rear end and deleted from the front end.
- Basic operations: Insert (Enqueue) and Delete (Dequeue).

#### 2. Circular Queue:

- A variation of the simple queue where the last element is connected to the first element to form a circular structure.
- Overcomes the limitation of space wastage in a simple queue.
- o Operations: Insert (Enqueue) and Delete (Dequeue) are done in a circular manner.
- Additional operations: Front, Rear, isFull, isEmpty.

# 3. Priority Queue:

- Each element has a priority associated with it.
- Elements with higher priority are served before elements with lower priority.
- Implemented using various data structures like arrays, linked lists, heaps, etc.

# 4. Double Ended Queue (Deque):

- Allows insertion and deletion of elements from both ends (front and rear).
- Supports operations similar to both queues and stacks.
- o Operations: Insert at Front, Insert at Rear, Delete from Front, Delete from Rear.

# **Comparison: Simple Queue vs Circular Queue:**

#### • Simple Queue:

- Requires additional space to handle overflow.
- Front and Rear pointers move linearly.
- When Rear reaches the end, overflow occurs.
- Requires extra logic to handle empty/full conditions.



### • Circular Queue:

- o Rear pointer points to the last element, but Front can move independently.
- Utilizes the circular nature to handle overflow and underflow conditions.
- Front and Rear pointers move in a circular fashion.
- Efficient space utilization without wastage.

# Algorithm to Implement Insert and Delete Operations in Double Ended Queue using Array:

#### **Data Structures:**

- `MAX\_SIZE`: Maximum size of the double-ended queue.
- `deque[]`: Array to store the elements.
- `front`: Index of the front element.
- `rear`: Index of the rear element.

# **Operations:**

- 1. **Insert at Front**: Adds an element at the front end of the deque.
- 2. **Insert at Rear**: Adds an element at the rear end of the deque.
- 3. **Delete from Front**: Removes an element from the front end of the deque.
- 4. **Delete from Rear**: Removes an element from the rear end of the deque.

# Algorithm (Pseudo Code):

#### plaintext

```
CONSTANT MAX SIZE = 100 // Maximum size of the deque
VARIABLE front = -1
                         // Initialize front and rear to -1
VARIABLE rear = -1
ARRAY deque[MAX_SIZE]
                         // Array to store elements
FUNCTION isEmpty():
    // Deque is empty if both front and rear are -1
    RETURN (front == -1 AND rear == -1)
FUNCTION isFull():
    // Deque is full if (rear + 1) % MAX_SIZE equals front
    RETURN ((rear + 1) % MAX_SIZE == front)
FUNCTION insertFront(element):
    IF isFull():
       PRINT "Deque Overflow"
    ELSE IF isEmpty():
        // For the first element, increment both front and rear
        front = 0
        rear = 0
        deque[front] = element
        // Decrement front in a circular manner
        front = (front - 1 + MAX_SIZE) % MAX_SIZE
        deque[front] = element
FUNCTION insertRear(element):
    IF isFull():
       PRINT "Deque Overflow"
    ELSE IF isEmpty():
        // For the first element, increment both front and rear
        front = 0
        rear = 0
        deque[rear] = element
```



```
ELSE:
        // Increment rear in a circular manner
        rear = (rear + 1) % MAX_SIZE
        deque[rear] = element
FUNCTION deleteFront():
   IF isEmpty():
       PRINT "Deque Underflow"
    ELSE IF front == rear:
        // For the last element, reset front and rear to -1
        deque[front] = NULL // Optional: set the value to NULL or empty
        front = -1
        rear = -1
    ELSE:
        // Remove element at front and increment front
        deque[front] = NULL // Optional: set the value to NULL or empty
        front = (front + 1) % MAX_SIZE
FUNCTION deleteRear():
   IF isEmpty():
        PRINT "Deque Underflow"
    ELSE IF front == rear:
        // For the last element, reset front and rear to -1
        deque[rear] = NULL // Optional: set the value to NULL or empty
        front = -1
        rear = -1
    ELSE:
        // Remove element at rear and decrement rear
        deque[rear] = NULL // Optional: set the value to NULL or empty
        rear = (rear - 1 + MAX_SIZE) % MAX_SIZE
```

# **Explanation:**

- The `insertFront` function inserts an element at the front end of the deque.
- The `insertRear` function inserts an element at the rear end of the deque.
- The `deleteFront` function removes an element from the front end of the deque.
- The `deleteRear` function removes an element from the rear end of the deque.
- The `isEmpty` and `isFull` functions check if the deque is empty or full, respectively.
- Operations handle circular movement of front and rear pointers to utilize the entire array efficiently.

# **Summary:**

- Double-ended gueues (degues) allow insertion and deletion of elements from both ends.
- The algorithm above provides operations to insert and delete elements at both the front and rear ends of the deque.
- The circular nature of deque helps in efficient utilization of space and handling overflow/underflow conditions.



21. Consider a dequeue given below which has LEFT=1, RIGHT=5

```
_ A B C D E _ _ _ .
```

Now perform the following operations on the dequeue

- 1. Add F on the left.
- 2. Add G on the right.
- 3. Add H on the right.



- 4. Delete two alphabets from left
- 5. Add I on the right



#### **ChatGPT**

Let's go through the operations step by step on the dequeue with the given arrangement:

\_Dequeue: A B C D E \_ \_ \_ \_

#### 1. Add F on the left:

After adding F on the left, the dequeue will be:

\_Dequeue: F A B C D E \_ \_ \_

# 2. Add G on the right:

After adding G on the right, the dequeue will be:

\_Dequeue: F A B C D E G \_ \_ \_

# 3. Add H on the right:

After adding H on the right, the dequeue will be:

\_Dequeue: F A B C D E G H \_ \_

# 4. Delete two alphabets from left:

Since we want to delete two elements from the left:

- Delete F
- Delete A

\_Dequeue: B C D E G H \_ \_ \_

# 5. Add I on the right:

After adding I on the right, the dequeue will be:

\_Dequeue: B C D E G H I \_ \_

# Final Dequeue:

The final state of the dequeue after performing these operations:

\_Dequeue: B C D E G H I \_ \_

This represents the dequeue after adding F on the left, G and H on the right, deleting two alphabets from the left, and adding I on the right.





22. Differentiate between stack & queue. Also explain priority queue.



#### **ChatGPT**

# **Difference Between Stack and Queue:**

#### 1. Definition:

- **Stack**: A stack is a linear data structure that follows the Last In, First Out (LIFO) principle, i.e., the element added last is the one to be removed first.
- **Queue**: A queue is a linear data structure that follows the First In, First Out (FIFO) principle, i.e., the element added first is the one to be removed first.

# 2. Operation:

- **Stack**: Supports operations like push (to insert an element), pop (to remove the top element), and peek (to view the top element without removing it).
- **Queue**: Supports operations like enqueue (to insert an element at the rear end), dequeue (to remove the front element), and peek (to view the front element without removing it).

#### 3. Access Pattern:

- **Stack**: Allows access to only one end, typically the top.
- **Queue**: Allows access to both ends, front and rear.

#### 4. Usage:

- **Stack**: Used in applications where data is accessed in a last in, first out (LIFO) manner, such as function call stack, undo mechanisms, etc.
- **Queue**: Used in applications where data is accessed in a first in, first out (FIFO) manner, such as job scheduling, breadth-first search, etc.

# 5. **Example**:

- **Stack**: Think of a stack of plates where you can only add or remove the top plate.
- **Queue**: Think of a queue of people waiting in line, where the first person to join the queue is the first one to be served.

# **Priority Queue:**

#### • Definition:

- A priority queue is a type of queue where each element has an associated priority.
- Elements with higher priority are dequeued before elements with lower priority, irrespective of their arrival time.

# Operations:

- **Insertion**: Adds an element to the priority queue with its associated priority.
- **Deletion**: Removes and returns the element with the highest priority.
- **Peek**: Returns the element with the highest priority without removing it from the queue.



### • Implementation:

o Priority queues can be implemented using various data structures such as heaps, binary search trees, or arrays with efficient algorithms for insertion and deletion.

### Applications:

- Used in algorithms like Dijkstra's shortest path algorithm, Prim's minimum spanning tree algorithm, etc.
- Used in operating systems for scheduling processes with different priorities.
- Used in networking protocols for Quality of Service (QoS) management.

# • Example:

o In an emergency room, patients with critical conditions are given higher priority for treatment compared to those with less severe conditions. Thus, a priority queue can be used to manage patient treatment based on their urgency.



23. Illustrate the working of priority queue with suitable example.



#### **ChatGPT**

Sure! Let's illustrate the working of a priority queue with a suitable example:

# **Example: Hospital Emergency Room**

Consider a hospital emergency room where patients arrive with different medical conditions. The priority queue in this scenario will manage the order in which patients are treated based on the severity of their condition.

# **Operations:**

- 1. Insertion: When a new patient arrives at the emergency room, they are immediately triaged to determine the severity of their condition. The patient is then added to the priority queue based on their priority level (severity of the medical condition).
- 2. **Deletion**: The patient with the highest priority (most severe condition) is dequeued from the priority queue and taken for immediate treatment.
- 3. **Peek**: At any time, the emergency room staff can check the patient with the highest priority (next patient to be treated) without removing them from the queue.

#### **Example Scenario:**

Let's consider a simplified scenario where patients are assigned priority levels from 1 to 5, with 1 being the highest priority (most severe condition) and 5 being the lowest priority (least severe condition).

#### 1. Insertion:



- o Patient A arrives with priority level 1 (Critical condition). They are immediately added to the priority queue.
- Patient B arrives with priority level 2 (Serious condition). They are added to the priority queue after Patient A.
- Patient C arrives with priority level 3 (Moderate condition). They are added to the priority queue after Patient B.
- Patient D arrives with priority level 1 (Critical condition). They are added to the priority queue before Patient A due to the same priority level.

#### 2. Deletion:

- o The patient with the highest priority (Patient D) is dequeued and taken for immediate treatment.
- After treatment, the next patient with the highest priority (Patient A) is dequeued and treated.

#### 3. Peek:

 At any time, the emergency room staff can check the patient with the highest priority (next patient to be treated) without removing them from the queue.

#### **Conclusion:**

In this example, the priority queue efficiently manages patient treatment in the emergency room by ensuring that patients with the most severe conditions are treated first, while still maintaining the order of arrival for patients with the same priority level. This demonstrates the practical application and working of a priority queue in a real-world scenario.



24. Write an algorithm to insert node at a first location in singly linked list. (only algorithm and pseudo code)



#### **ChatGPT**

# Algorithm to Insert Node at First Location in Singly Linked List:

#### **Data Structures:**

• `Node`: Represents a node in the singly linked list.

# **Operations:**

- 1. Create a new node with the given data.
- 2. Set the `next` pointer of the new node to the current `head` of the list.
- 3. Update the `head` pointer to point to the new node, making it the first node.

# Algorithm (Pseudo Code):

plaintext



```
ALGORITHM InsertAtFirst(data):

// Create a new node with the given data
newNode = CREATE_NODE(data)

IF newNode is NULL:

// Handle memory allocation error
PRINT "Memory allocation error"
RETURN

// Set the next pointer of new node to current head
newNode.next = head

// Update the head pointer to new node
head = newNode
```

## **Explanation:**

- `InsertAtFirst` function inserts a new node with the given data at the beginning of the singly linked list.
- It first creates a new node `newNode` with the given data.
- Then, it sets the `next` pointer of `newNode` to the current `head` of the list.
- Finally, it updates the `head` pointer to `newNode`, making it the first node in the list.

# **Example Usage:**

Suppose we have a singly linked list  $^1 -> 2 -> 3 -> NULL$ , and we want to insert  $^0$  at the first location:

```
1. Initial Linked List: `1 -> 2 -> 3 -> NULL`
2. After Insertion: `0 -> 1 -> 2 -> 3 -> NULL`
```

This algorithm efficiently inserts a node at the first location in a singly linked list.



25. Write an algorithm to insert node at a last location in singly linked list.



#### **ChatGPT**

# Algorithm to Insert Node at Last Location in Singly Linked List:

#### **Data Structures:**

• `Node`: Represents a node in the singly linked list.

## **Operations:**

- 1. Traverse the list to find the last node (`node`).
- 2. Create a new node with the given data (`newNode`).
- 3. Set the `next` pointer of the last node (`node`) to point to the new node (`newNode`).
- 4. Update the `next` pointer of `newNode` to `NULL`, making it the last node.

## Algorithm (Pseudo Code):

#### plaintext

```
ALGORITHM InsertAtLast(data):
   // Create a new node with the given data
   newNode = CREATE_NODE(data)
   IF newNode is NULL:
        // Handle memory allocation error
        PRINT "Memory allocation error"
       RETURN
   IF head is NULL:
        // If list is empty, set head to new node
        head = newNode
    ELSE:
        // Traverse the list to find the last node
       node = head
       WHILE node.next is not NULL:
            node = node.next
        // Set the next pointer of last node to new node
        node.next = newNode
```

# **Explanation:**

- `InsertAtLast` function inserts a new node with the given data at the last location of the singly
- It first creates a new node `newNode` with the given data.
- If the list is empty (`head` is `NULL`), it sets `head` to `newNode`.
- Otherwise, it traverses the list to find the last node (`node`).
- Then, it sets the `next` pointer of the last node (`node.next`) to point to `newNode`, effectively inserting `newNode` at the end of the list.

## **Example Usage:**

Suppose we have a singly linked list `1 -> 2 -> 3 -> NULL`, and we want to insert `4` at the last location:

```
1. Initial Linked List: `1 -> 2 -> 3 -> NULL`
2. After Insertion: `1 -> 2 -> 3 -> 4 -> NULL`
```

This algorithm efficiently inserts a node at the last location in a singly linked list.



26. Write an algorithm to insert node into ordered list in singly linked list.



#### ChatGPT

## Algorithm to Insert Node into Ordered List in Singly Linked List:

#### **Data Structures:**

• `Node`: Represents a node in the singly linked list.



## **Operations:**

- 1. Create a new node with the given data (`newNode`).
- 2. If the list is empty (`head` is `NULL`), set `head` to `newNode`.
- 3. **Otherwise**, traverse the list to find the correct position to insert the new node:
  - Compare the data of the current node (`node`) with the data of the new node (`newNode`).
  - If the data of `node` is greater than the data of `newNode`, insert `newNode` before `node`.
  - o If the data of `node` is less than or equal to the data of `newNode`, continue traversing.
  - Stop when either:
    - Found the correct position to insert (`node.next` is greater than `newNode`), or
    - Reached the end of the list (`node.next` is `NULL`).
- 4. Insert `newNode` at the correct position:
  - Set `newNode.next` to `node.next`.
  - Set `node.next` to `newNode`.

## Algorithm (Pseudo Code):

#### plaintext

```
ALGORITHM InsertInOrder(data):
   // Create a new node with the given data
   newNode = CREATE NODE(data)
   IF newNode is NULL:
        // Handle memory allocation error
        PRINT "Memory allocation error"
       RETURN
   IF head is NULL OR head.data > newNode.data:
        // If list is empty or new node data is less than head data
       // Insert new node at the beginning
       newNode.next = head
       head = newNode
   ELSE:
       // Traverse the list to find the correct position to insert
       node = head
       WHILE node.next is not NULL AND node.next.data <= newNode.data:
            node = node.next
        // Insert new node at the correct position
       newNode.next = node.next
       node.next = newNode
```

# **Explanation:**

- `InsertInOrder` function inserts a new node with the given data into an ordered (ascending) singly linked list.
- It first creates a new node `newNode` with the given data.
- If the list is empty (`head` is `NULL`) or the data of the new node is less than the data of the head, it inserts the new node at the beginning.
- Otherwise, it traverses the list to find the correct position to insert the new node:
  - It compares the data of each node with the data of the new node.
  - If the data of the current node is greater than the data of the new node, it means the new node should be inserted before the current node.
  - If the data of the current node is less than or equal to the data of the new node, it continues traversing.
  - It stops when it finds the correct position (current node's data is less than new node's data and next node's data is greater), or reaches the end of the list.



• It then inserts the new node `newNode` at the correct position by updating the `next` pointers.

# **Example Usage:**

Suppose we have an ordered singly linked list `1 -> 3 -> 5 -> 7 -> NULL`, and we want to insert `4` into the list:

- 1. Initial Ordered Linked List: `1 -> 3 -> 5 -> 7 -> NULL`
- 2. After Insertion: `1 -> 3 -> 4 -> 5 -> 7 -> NULL`

This algorithm efficiently inserts a node into an ordered singly linked list while maintaining the ascending order of elements.



27. Compare Array and Link list.



#### **ChatGPT**

# **Comparison Between Array and Linked List:**

## 1. Memory Allocation:

## • Array:

- Contiguous block of memory is allocated.
- Size must be known at compile time.
- Fixed size, can't be dynamically resized without creating a new array.

#### Linked List:

- Nodes are dynamically allocated from memory as needed.
- No need to know size beforehand.
- Can easily grow or shrink without reallocating memory.

#### 2. Size and Access:

## • Array:

- o Fixed size, defined at initialization.
- Direct access to elements using index (`0(1)` time complexity).
- Size cannot be changed easily.

### • Linked List:

- Size can grow dynamically.
- Access time depends on traversal from head to the desired node (`O(n)` average case).
- No random access, traversal needed for each access.

## 3. Insertion and Deletion:



### • Array:

- Insertion and deletion can be expensive as it may require shifting elements (`O(n)` time complexity).
- Insertion at the end (without resizing) is relatively fast (`O(1)`).

### • Linked List:

- Efficient for insertion and deletion at any position (if position is known) (**`0(1)**` time complexity).
- No need to shift elements, just update pointers.

## 4. Memory Efficiency:

## • Array:

- May lead to wastage of memory if the array size is larger than required.
- Each element requires memory for its value and the array overhead.

#### • Linked List:

- o Efficient use of memory since memory is allocated only when needed.
- Each node requires memory for the value and the pointer.

## 5. Implementation Complexity:

## • Array:

- Simple to implement.
- Limited flexibility.

## • Linked List:

- More complex to implement due to handling pointers.
- More flexible, can easily handle insertions, deletions, and resizing.

## 6. Usage:

## • Array:

- Used when size is known and fixed.
- o Fast access to elements with known index.

### • Linked List:

- Used when size is not known or may change.
- Efficient for frequent insertions and deletions.
- Suitable for implementing other data structures like stacks, queues, and trees.

### **Summary:**

# • Use **Arrays** when:



- Size is known and fixed.
- Fast access to elements with known index is required.
- Memory efficiency is not a major concern.

### • Use **Linked Lists** when:

- Size is unknown or may change.
- Frequent insertions and deletions are expected.
- Memory efficiency is important, and wastage is to be minimized.
- Flexibility and dynamic resizing are needed.

In general, both arrays and linked lists have their advantages and disadvantages, and the choice between them depends on the specific requirements of the application.



28. Write an algorithm to delete node in singly linked list.



#### **ChatGPT**

# Algorithm to Delete a Node in a Singly Linked List:

#### **Data Structures:**

• `Node`: Represents a node in the singly linked list.

## **Operations:**

- 1. Search for the node to be deleted (`target`) in the list.
- 2. If the node is found:
  - Update the `next` pointer of the previous node (`prev`) to skip over `target`.
  - Free the memory allocated to `target`.
- 3. If the node is the head:
  - Update the `head` pointer to point to `target.next`.
  - Free the memory allocated to `target`.

# Algorithm (Pseudo Code):

## plaintext

```
ALGORITHM DeleteNode(data):
   IF head is NULL:
        // List is empty
        PRINT "List is empty, deletion not possible"
       RETURN
   IF head.data is equal to data:
       // If node to delete is the head
        temp = head
        head = head.next
        FREE MEMORY(temp)
        RETURN
    // Traverse the list to find the node to delete
```



```
prev = head
current = head.next
WHILE current is not NULL AND current.data is not equal to data:
   prev = current
    current = current.next
IF current is NULL:
    // Node with given data not found
    PRINT "Node not found, deletion not possible"
    RETURN
// Node with given data found
prev.next = current.next
FREE MEMORY(current)
```

## **Explanation:**

- `DeleteNode` function deletes a node with the given data from the singly linked list.
- It first checks if the list is empty. If it is, deletion is not possible.
- If the node to delete is the head, it updates `head` to point to the next node (`head.next`) and frees the memory allocated to the original head node.
- Otherwise, it traverses the list to find the node with the given data:
  - `prev` keeps track of the previous node.
  - `current` is the node being checked.
- When the node with the given data is found (`current`), it updates the `next` pointer of `prev` to skip over `current`.
- Finally, it frees the memory allocated to `current`.

# **Example Usage:**

Suppose we have a singly linked list `1 -> 2 -> 3 -> 4 -> NULL`, and we want to delete node with data `3`:

```
1. Initial Linked List: `1 -> 2 -> 3 -> 4 -> NULL`
2. After Deletion: `1 -> 2 -> 4 -> NULL`
```

This algorithm efficiently deletes a node with the given data from a singly linked list.



29. Write an algorithm to count node in singly linked list.



## **ChatGPT**

# Algorithm to Count Nodes in a Singly Linked List:

#### **Data Structures:**

• `Node`: Represents a node in the singly linked list.

### **Operations:**

1. Initialize a counter variable (`count`) to 0.



- 2. Traverse the list from the head node:
  - Increment the `count` for each node visited.
  - Stop when reaching the end of the list (current node is `NULL`).
- 3. Return the final value of `count` as the total number of nodes.

# Algorithm (Pseudo Code):

plaintext

```
ALGORITHM CountNodes():
   // Initialize count to 0
   count = 0
   // Start from the head
   node = head
   WHILE node is not NULL:
        // Increment count for each node
       count = count + 1
       node = node.next // Move to the next node
   RETURN count
```

# **Explanation:**

- `CountNodes` function counts the number of nodes in the singly linked list.
- It initializes a counter variable `count` to 0.
- Then, it starts traversing the list from the `head` node.
- For each node visited, it increments the `count` by 1.
- It continues until it reaches the end of the list (current node becomes `NULL`).
- Finally, it returns the value of `count` as the total number of nodes in the list.

# **Example Usage:**

Suppose we have a singly linked list `1 -> 2 -> 3 -> 4 -> NULL`, and we want to count the nodes:

```
1. Initial Linked List: `1 -> 2 -> 3 -> 4 -> NULL`
```

2. Total Nodes: 4

This algorithm efficiently counts the number of nodes in a singly linked list.



30. Write an algorithm to copy node in singly linked list.



#### **ChatGPT**

# Algorithm to Copy Nodes in a Singly Linked List:

## **Data Structures:**

• `Node`: Represents a node in the singly linked list.



## **Operations:**

- 1. Initialize a new empty linked list (`newList`) to store the copied nodes.
- 2. Traverse the original list from the head:
  - For each node visited, create a new node with the same data.
  - Append the new node to the `newList`.
- 3. Return the `newList` containing the copied nodes.

## Algorithm (Pseudo Code):

plaintext

```
ALGORITHM CopyNodes():
   // Initialize a new empty linked list
    newList = NULL
   // Start from the head of original list
   originalNode = head
    WHILE originalNode is not NULL:
        // Create a new node with the same data as originalNode
        newNode = CREATE_NODE(originalNode.data)
        IF newNode is NULL:
            // Handle memory allocation error
            PRINT "Memory allocation error"
            RETURN NULL
        // Append the new node to newList
        IF newList is NULL:
            // If newList is empty, make newNode the head
            newList = newNode
        ELSE:
            // Otherwise, traverse newList to find the last node
            temp = newList
            WHILE temp.next is not NULL:
                temp = temp.next
            // Append newNode to the end of newList
            temp.next = newNode
        // Move to the next node in the original list
        originalNode = originalNode.next
    RETURN newList
```

## **Explanation:**

- `CopyNodes` function creates a new linked list containing copies of nodes from the original list.
- It initializes an empty `newList` to store the copied nodes.
- It then traverses the original list from the `head`.
- For each node visited, it creates a new node (`newNode`) with the same data as the original node.
- It appends the `newNode` to the `newList`.
- Finally, it returns the `newList` containing the copied nodes.

## **Example Usage:**

Suppose we have a singly linked list `1 -> 2 -> 3 -> 4 -> NULL`, and we want to create a copy of this list:



- 1. Original Linked List: `1 -> 2 -> 3 -> 4 -> NULL`
- 2. Copied Linked List: `1' -> 2' -> 3' -> 4' -> NULL`

Here, `1'`, `2'`, `3'`, and `4'` represent the copied nodes with the same data as the original nodes. The algorithm efficiently creates a copy of nodes in a singly linked list.



31. Write an algorithm to insert node at a first location in circular linked list.



### **ChatGPT**

# Algorithm to Insert Node at First Location in Circular Linked List:

#### **Data Structures:**

• `Node`: Represents a node in the circular linked list.

## **Operations:**

- 1. Create a new node with the given data (`newNode`).
- 2. If the list is empty (`head` is `NULL`):
  - Set `head` to `newNode`.
  - Set `newNode.next` to point to itself (`newNode` is the only node in the list).
- 3. Otherwise:
  - Traverse the list to find the last node (`lastNode`) in the circular structure.
  - Set `newNode.next` to point to the current `head` node.
  - Update `lastNode.next` to point to `newNode`.
  - Update `head` to point to `newNode`.

# Algorithm (Pseudo Code):

#### plaintext

```
ALGORITHM InsertAtFirstCircular(data):
   // Create a new node with the given data
   newNode = CREATE_NODE(data)
   IF newNode is NULL:
       // Handle memory allocation error
       PRINT "Memory allocation error"
       RETURN
   IF head is NULL:
       // If list is empty, newNode becomes the head
       head = newNode
       newNode.next = newNode // Circular link to itself
   ELSE:
       // Traverse to find the last node
       lastNode = head
       WHILE lastNode.next is not head:
            lastNode = lastNode.next
        // Insert newNode at the beginning
       newNode.next = head
        lastNode.next = newNode
        head = newNode
```



# **Explanation:**

- `InsertAtFirstCircular` function inserts a new node with the given data at the first location in a circular linked list.
- It first creates a new node `newNode` with the given data.
- If the list is empty ('head' is 'NULL'), it sets 'head' to 'newNode' and sets 'newNode.next' to point to itself (`newNode` is the only node).
- Otherwise, it traverses the list to find the last node (`lastNode`) in the circular structure.
- It then inserts `newNode` at the beginning:
  - o `newNode.next` is set to the current `head` node.
  - `lastNode.next` is updated to point to `newNode`.
  - Finally, `head` is updated to point to `newNode`.

# **Example Usage:**

Suppose we have a circular linked list `1 -> 2 -> 3 -> NULL` where `3` is connected back to `1`, and we want to insert `o` at the first location:

- 1. Initial Circular Linked List: `1 -> 2 -> 3 -> 1`
- 2. After Insertion: `0 -> 1 -> 2 -> 3 -> 0`

This algorithm efficiently inserts a node at the first location in a circular linked list.



32. Write an algorithm to insert node at a last location in circular linked list.



#### **ChatGPT**

# Algorithm to Insert Node at Last Location in Circular Linked List:

### **Data Structures:**

• `Node`: Represents a node in the circular linked list.

### **Operations:**

- 1. Create a new node with the given data (`newNode`).
- If the list is empty (`head` is `NULL`):
  - Set `head` to `newNode`.
  - Set `newNode.next` to point to itself (`newNode` is the only node in the list).
- 3. Otherwise:
  - Traverse the list to find the last node (`lastNode`) in the circular structure.
  - Set `newNode.next` to point to the current `head` node.
  - Update `lastNode.next` to point to `newNode`.
  - Update `lastNode` to `newNode` (as `newNode` is now the last node).

# Algorithm (Pseudo Code):

#### plaintext

```
ALGORITHM InsertAtLastCircular(data):
   // Create a new node with the given data
   newNode = CREATE_NODE(data)
   IF newNode is NULL:
       // Handle memory allocation error
        PRINT "Memory allocation error"
       RETURN
   IF head is NULL:
       // If list is empty, newNode becomes the head
       head = newNode
       newNode.next = newNode // Circular link to itself
   ELSE:
       // Traverse to find the last node
       lastNode = head
       WHILE lastNode.next is not head:
            lastNode = lastNode.next
       // Insert newNode at the end
       newNode.next = head
        lastNode.next = newNode
```

# **Explanation:**

- `InsertAtLastCircular` function inserts a new node with the given data at the last location in a circular linked list.
- It first creates a new node `newNode` with the given data.
- If the list is empty (`head` is `NULL`), it sets `head` to `newNode` and sets `newNode.next` to point to itself (`newNode` is the only node).
- Otherwise, it traverses the list to find the last node (`lastNode`) in the circular structure.
- It then inserts `newNode` at the end:
  - `newNode.next` is set to the current `head` node.
  - o `lastNode.next` is updated to point to `newNode`, effectively inserting `newNode` at the end.

## **Example Usage:**

Suppose we have a circular linked list `1 -> 2 -> 3 -> 1` where `3` is connected back to `1`, and we want to insert `4` at the last location:

```
1. Initial Circular Linked List: `1 -> 2 -> 3 -> 1`
2. After Insertion: `1 -> 2 -> 3 -> 4 -> 1`
```

This algorithm efficiently inserts a node at the last location in a circular linked list.



33. Write an algorithm to insert node into ordered list in circular linked list.



#### **ChatGPT**

# Algorithm to Insert Node into Ordered List in Circular Linked List:



#### **Data Structures:**

• `Node`: Represents a node in the circular linked list.

## **Operations:**

- 1. Create a new node with the given data (`newNode`).
- 2. If the list is empty (`head` is `NULL`):
  - Set `head` to `newNode`.
  - Set `newNode.next` to point to itself (`newNode` is the only node in the list).
- 3. Otherwise:
  - If the data of the new node (`newNode.data`) is less than the data of the head node (`head.data`), insert at the beginning.
  - Otherwise, traverse the list to find the correct position to insert the new node:
    - Keep track of the previous node (`prev`) and the current node (`current`).
    - Stop when:
      - Found the correct position (previous node's data < newNode's data < current node's data), or
      - Circled back to the head (all nodes have been checked).
  - Insert `newNode` between `prev` and `current`.

# Algorithm (Pseudo Code):

plaintext

```
ALGORITHM InsertInOrderCircular(data):
   // Create a new node with the given data
   newNode = CREATE_NODE(data)
   IF newNode is NULL:
        // Handle memory allocation error
        PRINT "Memory allocation error"
        RETURN
   IF head is NULL:
        // If list is empty, newNode becomes the head
        head = newNode
        newNode.next = newNode // Circular link to itself
   ELSE:
        IF newNode.data < head.data:</pre>
           // Insert newNode at the beginning
            newNode.next = head
            lastNode = head
            WHILE lastNode.next is not head:
                lastNode = lastNode.next
            lastNode.next = newNode
           head = newNode
        ELSE:
            // Traverse to find the correct position to insert
            prev = head
            current = head.next
            WHILE current is not head AND current.data < newNode.data:
                prev = current
                current = current.next
            // Insert newNode between prev and current
            prev.next = newNode
            newNode.next = current
```

# **Explanation:**



- `InsertInOrderCircular` function inserts a new node with the given data into an ordered (ascending) circular linked list.
- It first creates a new node `newNode` with the given data.
- If the list is empty (`head` is `NULL`), it sets `head` to `newNode` and sets `newNode.next` to point to itself (`newNode` is the only node).
- If the data of `newNode` is less than the data of the `head` node, it inserts `newNode` at the beginning.
- Otherwise, it traverses the list to find the correct position to insert the new node:
  - It keeps track of the previous node (`prev`) and the current node (`current`).
  - It stops when it finds the correct position (previous node's data < newNode's data < current node's data), or when it circles back to the head (all nodes have been checked).
- Finally, it inserts `newNode` between `prev` and `current`.

# **Example Usage:**

Suppose we have a circular linked list `1 -> 3 -> 5 -> 1` where `5` is connected back to `1`, and we want to insert `4` into the ordered list:

- 1. Initial Circular Linked List: `1 -> 3 -> 5 -> 1`
- 2. After Insertion: `1 -> 3 -> 4 -> 5 -> 1`

Here, `4` is inserted in the correct position to maintain the ascending order of elements in the circular linked list.



34. Write an algorithm to insert node in doubly linked list.



## **ChatGPT**

# Algorithm to Insert Node in Doubly Linked List:

## **Data Structures:**

• `Node`: Represents a node in the doubly linked list.

## **Operations:**

- 1. Create a new node with the given data (`newNode`).
- 2. If the list is empty (`head` is `NULL`):
  - Set `head` and `tail` to `newNode`.
  - Set both `newNode.prev` and `newNode.next` to `NULL` (as it's the only node).
- 3. If inserting at the beginning:
  - Set `newNode.next` to the current `head`.
  - Set `head.prev` to `newNode`.
  - Update `head` to `newNode`.
- 4. If inserting at the end:
  - Set `newNode.prev` to the current `tail`.
  - Set `tail.next` to `newNode`.



Update `tail` to `newNode`.

### 5. Otherwise (inserting in the middle):

- Traverse the list to find the node (`prev`) before the position to insert.
- Set `newNode.next` to `prev.next`.
- Set `newNode.prev` to `prev`.
- Update `prev.next` to `newNode`.
- Update `newNode.next.prev` to `newNode`.

# Algorithm (Pseudo Code):

#### plaintext

```
ALGORITHM InsertInDoublyList(data, position):
   // Create a new node with the given data
    newNode = CREATE_NODE(data)
   IF newNode is NULL:
        // Handle memory allocation error
        PRINT "Memory allocation error"
        RETURN
   IF head is NULL:
        // If list is empty, newNode becomes the head and tail
        head = newNode
        tail = newNode
        newNode.prev = NULL
        newNode.next = NULL
    ELSE IF position is 1:
        // Insert at the beginning
        newNode.next = head
        head.prev = newNode
        head = newNode
        newNode.prev = NULL
    ELSE IF position is the size of the list + 1 OR position is greater than the size:
        // Insert at the end
        newNode.prev = tail
        tail.next = newNode
        tail = newNode
        newNode.next = NULL
    ELSE:
        // Insert in the middle
        prev = head
        position = position - 2
        WHILE position > 0 AND prev.next is not NULL:
            prev = prev.next
            position = position - 1
        newNode.next = prev.next
        newNode.prev = prev
        prev.next = newNode
        newNode.next.prev = newNode
```

# **Explanation:**

- `InsertInDoublyList` function inserts a new node with the given data into a doubly linked list at a specified position.
- It first creates a new node `newNode` with the given data.
- If the list is empty (`head` is `NULL`), it sets `head` and `tail` to `newNode`, and both `newNode.prev` and `newNode.next` to `NULL`.
- If inserting at the beginning (position is 1):
  - o `newNode.next` is set to the current `head`.
  - `head.prev` is updated to `newNode`.
  - head` is updated to `newNode`.



- If inserting at the end (position is the size of the list + 1 or greater):
  - `newNode.prev` is set to the current `tail`.
  - `tail.next` is updated to `newNode`.
  - `tail` is updated to `newNode`.
- If inserting in the middle (position is between 2 and the size of the list):
  - It traverses the list to find the node (`prev`) before the position to insert.
  - o `newNode.next` is set to `prev.next`.
  - o `newNode.prev` is set to `prev`.
  - o `prev.next` is updated to `newNode`.
  - `newNode.next.prev` is updated to `newNode`.

# **Example Usage:**

Suppose we have a doubly linked list `1 <-> 2 <-> 4 <-> 5` and we want to insert `3` after the second node:

- 1. Initial Doubly Linked List: `1 <-> 2 <-> 4 <-> 5`
- 2. After Insertion: `1 <-> 2 <-> 3 <-> 4 <-> 5`

Here, `3` is inserted in the correct position according to the specified position in the doubly linked list.



35. Write an algorithm to delete node in doubly linked list.



### **ChatGPT**

# **Algorithm to Delete Node in Doubly Linked List:**

## **Data Structures:**

• `Node`: Represents a node in the doubly linked list.

## **Operations:**

- 1. **If the list is empty** (`head` is `NULL`), do nothing (no nodes to delete).
- 2. If deleting the head:
  - Set `head` to the next node (`head.next`).
  - If `head` is not `NULL`, set `head.prev` to `NULL`.
  - Free the memory allocated to the original head node.
- 3. **If deleting the tail**:
  - Set `tail` to the previous node (`tail.prev`).
  - If `tail` is not `NULL`, set `tail.next` to `NULL`.
  - Free the memory allocated to the original tail node.
- 4. Otherwise (deleting in the middle):
  - Traverse the list to find the node to delete (`target`).
  - Update the `next` and `prev` pointers of the nodes before and after `target`.
  - Free the memory allocated to `target`.



## Algorithm (Pseudo Code):

plaintext

```
ALGORITHM DeleteNodeInDoublyList(position):
    IF head is NULL:
        // List is empty
        PRINT "List is empty, deletion not possible"
        RETURN
    IF position is 1:
        // Deleting the head
        temp = head
        head = head.next
        IF head is not NULL:
            head.prev = NULL
        FREE_MEMORY(temp)
        RETURN
    ELSE IF position is the size of the list OR position is greater than the size:
        // Deleting the tail
        temp = tail
        tail = tail.prev
        IF tail is not NULL:
            tail.next = NULL
        FREE MEMORY(temp)
        RETURN
    ELSE:
        // Deleting in the middle
        prev = head
        position = position - 2
        WHILE position > 0 AND prev.next is not NULL:
            prev = prev.next
            position = position - 1
        IF prev.next is NULL:
            // Node not found
            PRINT "Node not found, deletion not possible"
            RETURN
        temp = prev.next
        prev.next = temp.next
        IF temp.next is not NULL:
            temp.next.prev = prev
        FREE MEMORY(temp)
```

# **Explanation:**

- `DeleteNodeInDoublyList` function deletes a node at a specified position in a doubly linked list.
- If the list is empty (`head` is `NULL`), it does nothing as there are no nodes to delete.
- If deleting the head (position is 1):
  - It sets `head` to the next node (`head.next`) and updates `head.prev` to `NULL`.
  - The memory allocated to the original head node is freed.
- If deleting the tail (position is the size of the list or greater):
  - It sets `tail` to the previous node (`tail.prev`) and updates `tail.next` to `NULL`.
  - The memory allocated to the original tail node is freed.
- If deleting in the middle (position is between 2 and the size of the list):
  - It traverses the list to find the node before the position to delete (`prev`).
  - o Updates the `next` and `prev` pointers of the nodes before and after the node to delete.
  - The memory allocated to the node to delete (`temp`) is freed.

## **Example Usage:**



Suppose we have a doubly linked list `1 <-> 2 <-> 3 <-> 4 <-> 5` and we want to delete the node at position 3:

- 1. Initial Doubly Linked List: `1 <-> 2 <-> 3 <-> 4 <-> 5`
- 2. After Deletion: `1 <-> 2 <-> 4 <-> 5`

Here, `3` is deleted from the list, and the remaining nodes are reconnected correctly in the doubly linked list.



36. What is Linked list? Explain types of linked list with advantage and disadvantage.



#### ChatGPT

### **Linked List:**

A linked list is a linear data structure where elements are stored in nodes. Each node contains a data element and a reference (or pointer) to the next node in the sequence. Unlike arrays, linked lists do not require contiguous memory locations. Instead, each node can be located anywhere in memory, and they are connected using pointers.

# **Types of Linked Lists:**

### 1. Singly Linked List:

- Each node has a data element and a single pointer to the next node.
- Advantages:
  - Simple implementation.
  - Requires less memory as it only stores one pointer per node.
- Disadvantages:
  - Cannot efficiently access nodes in reverse order without additional pointers.
  - Finding the last node requires traversing the entire list.

## 2. Doubly Linked List:

- o Each node has a data element, a pointer to the next node, and a pointer to the previous
- Advantages:
  - Allows traversal in both forward and backward directions.
  - More efficient deletion of a node when the previous node is known.
- Disadvantages:
  - Requires more memory due to the extra pointer in each node.
  - More complex implementation compared to singly linked lists.

### 3. Circular Linked List:

o Similar to singly or doubly linked lists, but the last node points back to the first node (in case of circular singly linked list) or the first node's previous points to the last node (in case of circular doubly linked list).



- Advantages:
  - Easy to traverse from the last node to the first node (for circular lists).
  - Efficient for applications that require continuous rotation.
- o Disadvantages:
  - Extra complexity in implementation compared to non-circular lists.
  - May result in infinite loops if pointers are not managed properly.

# **Advantages of Linked Lists:**

- **Dynamic Size:** Linked lists can grow or shrink in size dynamically as elements are added or removed.
- **Efficient Insertion and Deletion:** Inserting or deleting an element at the beginning or end of a linked list is efficient (O(1) time complexity for head or tail operations).
- **Memory Efficiency:** Memory is allocated only when needed, unlike arrays which require continuous memory blocks.

# **Disadvantages of Linked Lists:**

- **Slower Access Time:** Accessing elements by index (like in arrays) is slower in linked lists as they require traversal from the head (or sometimes tail) to the desired position.
- **Extra Memory Overhead:** Additional memory is required for storing pointers/references in each node.
- Not Cache Friendly: Linked lists may not utilize cache memory as effectively as arrays, leading to slower performance in some scenarios.

# **Summary:**

- **Singly Linked List** is simple and memory-efficient but lacks efficient reverse traversal.
- Doubly Linked List allows for efficient forward and backward traversal but requires more memory.
- **Circular Linked List** provides easy access from last to first (in circular lists) and is useful for rotating data, but with added complexity.

The choice of linked list type depends on the specific requirements of the application. If fast insertion and deletion are key requirements, a linked list might be a good choice. If random access or memory efficiency is more important, other data structures like arrays might be preferred.

ChatGPT can make mistakes. Consider checking important information.