MUHUMOTEH abromat

Penagua Ha Maixur-Heroyy; Hena LCZ* RLEZ*x Z* x RLy (-) \fee E* xzel (-) yzeL Ly penagua Ha exbubanenthoct Kracubete Ha ekb. Ca CBCTUSHUSTU Ha Muhumarhust abtumut za L.

2001 Σ= 1 α, β}

• L= { W ∈ Σ* | W 3 απο4 βα α 3 αβ ερωβα }

• α ρλ3 ρυ4 μα ση κβα χ.?

Knacobe Hu eub. Ha Ri?

auri bo? 4e!

[a] = {w|w 3ano46a ca} a____6
u 3ab3e46a ca}

$$[E] = \{E\}$$

$$[ab] = \{w \mid w \quad 3ano46a \quad c \quad a \}_{CP}$$

$$[ba] = \{w \mid w \quad 3ano46a \quad c \quad b \}_{CP}$$

$$[ba] = \{w \mid w \quad 3ano46a \quad c \quad b \}_{CP}$$

$$[ba] = \{w \mid w \quad 3ano46a \quad c \quad b \}_{CP}$$

$$[ba] = \{w \mid w \quad 3ano46a \quad c \quad b \}_{CP}$$

$$[ba] = \{ab\}_{CP}$$

$$[ab] = \{ab\}_{CP}$$

$$[ab$$

Muhanuzayas

ROLTO HE E MUHLMANEH!

$$L_{\mu}(q_{4}) = \{\alpha, \alpha\alpha, \alpha\beta\alpha...\}$$
 $L_{\mu}(q_{4}) = \emptyset$
 $L_{\mu}(q_{5}) = \{\epsilon, \alpha, \alpha\alpha\}$

$$L_{A}^{1}[q_{4}] = \{a\}$$
 $L_{A}^{2}[q_{5}] = L_{A}^{2} \cup \{a, a, a, a, b, a, b, a, b, a\}$

$$L(p) = \{ w \in \Sigma^* \mid \delta(p, w) \in F \}$$

$$L(A) = L(Qu) \quad b.(J.(J), \quad cs. cscree. 0$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$P = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturbanent mout$$

$$E = \{ e \} \quad kn. \quad Ho \quad exturban$$

HUID DUIJM:
$$= \frac{1}{4} \neq = \frac{1}{4} \neq \cdots \neq = \frac{1}{4} \neq \frac{1}{4} \frac{$$

三升

$$\beta k_{\mathcal{O}} \equiv_{A}^{n} \neq \equiv_{A}^{n+1} =) \mid \Xi_{A}^{n} \mid \langle \mid \Xi_{A}^{n+1} \mid$$

$$\equiv_{A}^{0} -351 = \{0,1,4,6\} 52 = \{2,3,5\}$$

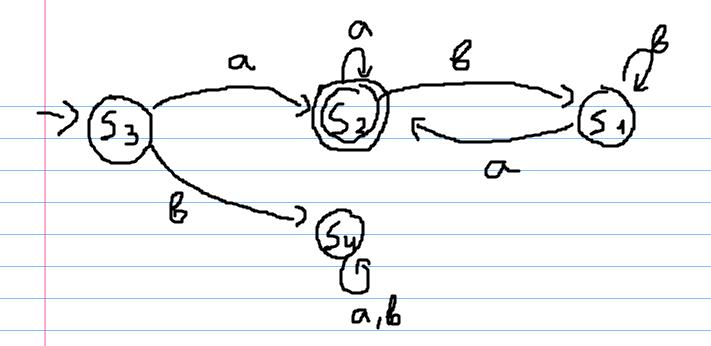
$$\begin{array}{c|cccc}
0 & 51 & 54 \\
1 & 51 & 51 \\
4 & 52 & 51 \\
6 & 52 & 51 \\
2 & 52 & 51 \\
3 & 52 & 51 \\
5 & 52 & 51
\end{array}$$

$$=\frac{1}{4}$$
 $S_1 = \{0,4,6\}, S_2 = \{2,3,5\}, S_3 = \{1\}$

$$=\frac{2}{4} \quad 5_{1} = \{4,6\}, \quad 5_{2} = \{2,3,5\}, \quad 5_{3} = \{0\}$$

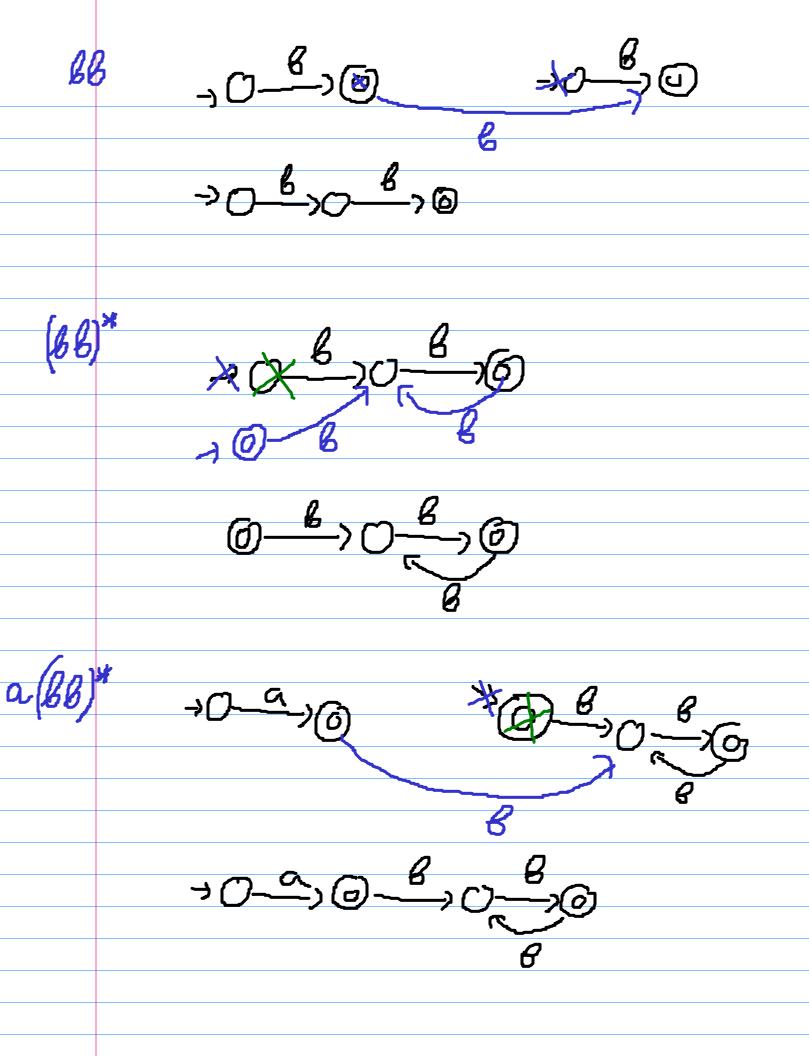
$$5_{4} = \{1\}$$

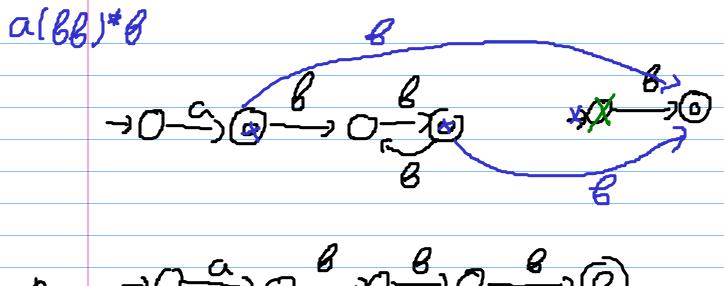
$$= > = \frac{3}{\mu} = \frac{2}{4} = > = \frac{2}{\mu} = \frac{2}{4}$$



рег. израз Си(вв)*в

J CTPOUM abTUMATA ->0-5)0 ->0->0





III Тотдлен и детерминистичен

$$=\frac{1}{9}$$
 $5_1=\frac{1}{2}$ $5_2=\frac{1}{2}$ $5_3=\frac{1}{2}$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-3(51)$$

$$-$$