#### SCALER &

## Agenda

- 1. Longest Subarray with sum = 0
- 2. Pair sum
- 3. Count of Pair Sum
- 4. Check if there exits a subarray with sum = 0
- 5. Check if there exits a subarray with sum = K

< **Question** >: Given an arr[N] and K.

Check if there exists a pair (i, j) such that, arr[i] + arr[j] = K & i! = j

$$arr \rightarrow \begin{bmatrix} 8 & 9 & 1 & -2 & 4 & 5 & 11 & -6 & 4 \\ \hline 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 \end{bmatrix}$$

$$K = 6$$
 true
$$K = 22 \text{ false}$$

$$K = 8 \text{ true}$$

#### Quiz:

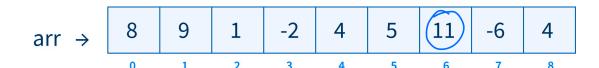
ans - tom

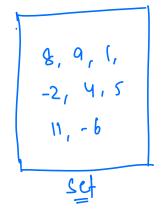


Consider all the pairs.

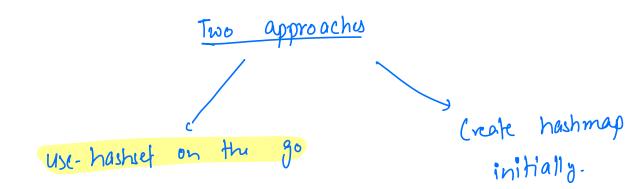


Idea -, use-hashset





$$\frac{K=6}{K=8}$$
 Approach will fall here.







$$K=6$$
 => form.  
 $K=22$  => false.

#### </> </> Code

$$arr[9 \rightarrow [3, 5, 1, 2, 1, 2], \underbrace{k=3}_{0}, \underbrace{k=3}_{1}, \underbrace{k=3}_{1},$$

## Count the number of pairs with sum = K

arr[] 
$$\rightarrow$$
 [  $\overset{\checkmark}{2}$   $\overset{\checkmark}{5}$   $\overset{\checkmark}{2}$   $\overset{\checkmark}{5}$   $\overset{\checkmark}{8}$   $\overset{\checkmark}{5}$   $\overset{\checkmark}{8}$   $\overset{\checkmark}{5}$   $\overset{\checkmark}{6}$   $\overset{\checkmark}{7}$   $\overset{\checkmark}{6}$   $\overset{\checkmark}{7}$   $\overset{\checkmark}{6}$   $\overset{\checkmark}{7}$ 

ans=
$$0+1+2+2+1+3$$
=  $9$ 

```
</>
</>
Code
```

Hashmap c integer, integer > map;

ons = 0;

$$\begin{cases}
m(i=0; i \le N; i+1) \\
map. scarch(K-arrii) == tru) \\
map. scarch(K-arrii);
\end{cases}$$

$$\begin{cases}
map. scarch(arrii) == false) \\
map. add(orrii, 1);
\end{cases}$$

$$\begin{cases}
map. add(orrii, 1);
\end{cases}$$

$$\begin{cases}
map. add(orrii, 1);
\end{cases}$$

$$\begin{cases}
map. get(arrii);
\end{cases}$$

$$return ans;
\end{cases}$$

Telur ans;
$$\begin{cases}
Tc \rightarrow o(n) \\
s \cdot C \rightarrow o(n)
\end{cases}$$

#### **Subarray with Sum 0**

< **Question** >: Given an array of N elements. Check if there exists a subarray with sum<sub>5</sub> equal to 0.

$$N = 11$$
 arr  $\rightarrow [2 2 1 -3 4 3 1 -2 -3 2]$ 

ans: tom.

- Consider all the subarrays and for every subarrays

check if sum = 0 or not.

```
Jor (i-o; ic N; i+t) {

Jor (j-i; j < N; j+t) d

Sum=0;

Jor (K-i; K \left ; Kn+) {

Sum += arr(K);

H (sum==0) {return tow 3}

Therefore I alse;
```

[T.L->0(N3)] S.(->0(1)] / using (.f or psum ()



# Idea -2 Use plum []

if elements are repeating in psum17, then we can say

that we have a subarray with sum = 0

If

Simply check for repeating element in psum17.

arr 
$$\rightarrow$$
 [ -2 -1 3 5 ] 0 1 2 3

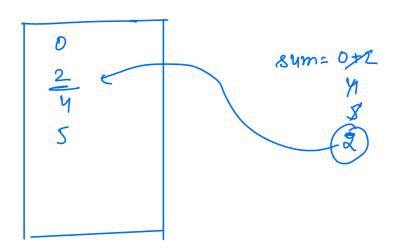
psum[]  $\rightarrow$  [-2 -3 0 5]

To handle this case , insent o initially in the set.



## dry-run

$$N = 10$$



### Code -

```
Hashset < integer> set;

set. add (0):

Sum = 0;

for ( i = 0; ic N; i ++) =

sum += arr(i);

if ( set. search (sum) == tow) <

yeturn tow;

set. add (sum);

3
```

refurn false;

$$\begin{bmatrix} F(C \to O(N)) \\ S(C \to O(N)) \end{bmatrix}$$

< **Question** > : Given an array[ N ]. Check if there is a subarray with sum = k  $(1 \le N \le 10^6)$ 

$$arr[\ ] \rightarrow [\ 2\ 3\ 9\ -4\ 1\ 5\ 6\ 2\ 5\ ] \qquad K = 11 \rightarrow few$$

$$0 \quad 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6 \quad 7 \quad 8 \qquad K = 10 \rightarrow few$$

arr[] 
$$\rightarrow$$
 [ 5 10 20 100 105 ]  $K = 110 \rightarrow \text{ false}$ 



- Consider an the subarrays and for every subarrays and for every subarrays check if sum = X or not.

 $\begin{bmatrix}
T\cdot L \rightarrow O(N^{2}) \\
S\cdot (\rightarrow O(1))
\end{bmatrix}$   $\downarrow \quad usiy \quad (\cdot f \text{ or plum(7)}$   $o(N^{2})$ 

€ Idea = check for a pair voith difference = K in psum 17.

=> hashset on the go

arr[]  $\rightarrow$  [ 2 3 9 -4 1 5 6 2 5 ] K = 150 1 2 3 4 5 6 7 8  $psum[] \rightarrow [2] 5 14 16 11 16 22 24 29], V=15$ 

a-?=x

```
</>

Code
```

```
Hoshsetcints set;
  Sum=0;
  for [ i=0; icn; i+1) {

8um += arr[i];
      if (setisearch(sum-12) = = tow) {

return tow;

Setindd(sum);
                                                                               \begin{array}{c} (T.C \rightarrow O(N)) \\ S.C \rightarrow O(N) \end{array}
      return false;
```

Sum 
$$\rightarrow f.0$$
.

D  $\rightarrow -1$ 

2  $\rightarrow 0$ 

T  $\rightarrow 1$ 

10  $\rightarrow 2$ 

14  $\rightarrow 3$ 

8  $\rightarrow 4$ 

12  $\rightarrow 6$ 

17  $\rightarrow 8$ 



# todo.

Confot. -

Arrays.

B. M

Hashiy

Recursion

Sorting

=) Assign. & Additional

- Pon sum divisible by M.