

# Brute Force

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Name	Efficiency	Notes
Towers of Hanoi	$O(2^n)$	
Selection Sort	$O(n^2)$	
Bubble Sort	$O(n^2)$	
String Matching	$O(m * n)$	$m = \text{text}, n = \text{pattern}$
Closest Pair	$O(n^2)$	
Convex Hull	$O(n^3)$	
Travelling Salesman Problem	$O(n!)$	
Cheapest Job Assignment	$O(n!)$	
Knapsack	$O(2^n)$	
Matrix Multiplication	$O(n^3)$	
Polynomial Evaluation	$O(n^2)$	

# Decrease and Conquer

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Name	Efficiency	Notes
Insertion Sort	$O(n^2)$	Decrease by constant
Fake Coin Problem	$O(\log n)$	Decrease by constant factor
Euclid's GCD	$O(\log n)$	Variable size decrease
Interpolation Sort	$O(\log \log n + 1)$ average, $O(n)$ worst	

# Divide & Conquer

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Name	Efficiency	Notes
Matrix Multiplication	$O(n^3)$	
Strassen Method	$O(n^{2.8})$	$7T(n/2) + n^2$ recurrence
Closest Pair	$O(n \log n)$	Presorting is $O(\log n)$ , every other step is $O(n)$

Name	Efficiency	Notes
Convex Hull	$O(n \log n)$ average, $O(n^2)$ worst	
Binomial Coefficient	$O(2^n)$	

## Transform & Conquer

Name	Efficiency	Notes
Horner's Rule	$O(n)$	Polynomial evaluation

## Space Time & DP

Type	Worst Case	Best Case	Notes
Horspool	$O(nm)$	$\Theta(n)$	Faster on average than brute-force, often at least as efficient as Boyer-Moore
Binomial Coefficient	$O(n^2)$	$O(n * k)$	
Warshall	$O(n^3)$	$O(n^3)$	The space complexity can possibly be $O(n^2)$
Floyd	$O(n^3)$	$O(n^3)$	