## 3. code 1 chương trình bài toán động học ngược

```
close all; clear all; clc;
11 = 0.25; 12 = 0.194; 13 = 0.265; a1 = 0.03;
% du doan nghiem dau
q=[0.7649928327;-0.3812343942;-0.3543431040];
% thoi gian chuyen dong
t = 1.1780972450:0.01:1.178097245*3.01;
for i=1:length(t)
  % phuong trinh Xe(q) - X(t)
  f1 = 13*\cos(q(2) + q(3))*\cos(q(1)) - \cos(q(1))*(a1 - 12*\cos(q(2))) - (0.25 + q(2))
0.09*\cos(t(i)/0.75);
  f2=13*\cos(q(2)+q(3))*\sin(q(1))-\sin(q(1))*(a1-12*\cos(q(2)))-(0.15+q(2))
0.09*\sin(t(i)/0.75));
  f3=11 + 12*\sin(q(2)) + 13*\sin(q(2) + q(3));
  k=1:
  while(norm([f1; f2; f3],2)>1e-12) \%norm(lk,2) = norm(lk)
    % Jacobian
    J=zeros(3,3);
    J(1,1) = \sin(q(1))*(a1 - 12*\cos(q(2))) - 13*\cos(q(2) + q(3))*\sin(q(1));
     J(1,2) = -12*\cos(q(1))*\sin(q(2)) - 13*\sin(q(2) + q(3))*\cos(q(1));
     J(1,3) = -13*\sin(q(2) + q(3))*\cos(q(1));
     J(2,1) = 13*\cos(q(2) + q(3))*\cos(q(1)) - \cos(q(1))*(a1 - 12*\cos(q(2)));
     J(2,2) = -12*\sin(q(1))*\sin(q(2)) - 13*\sin(q(2) + q(3))*\sin(q(1));
     J(2,3) = -13 * \sin(q(2) + q(3)) * \sin(q(1));
     J(3,1)=0;
     J(3,2)=12*\cos(q(2))+13*\cos(q(2)+q(3));
     J(3,3)=13*\cos(q(2)+q(3));
     delta=-inv(J)*[f1;f2;f3];
     q=q+delta;
    % pt liên kết
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f1 = 13*\cos(q(2) + q(3))*\cos(q(1)) - \cos(q(1))*(a1 - 12*\cos(q(2))) - (0.25 + 1)
0.09*\cos(t(i)/0.75);
                    f2 = 13 \cos(q(2) + q(3)) \sin(q(1)) - \sin(q(1)) (a1 - 12 \cos(q(2))) - (0.15 + 12 \cos(q(2))) - (0.15 + 12 \cos(q(2))) + (0.15 + 12 \cos(q(2))) - (0.15 + 12 \cos(q(2))) + (0.15 + 12 \cos(q(2))) - (0.15 + 12 \cos(q(2))) + (0.
0.09*\sin(t(i)/0.75));
                    f3=11+12*\sin(q(2))+13*\sin(q(2)+q(3));
                   k=k+1;
          end
          % xac dinh Vector toa do suy rong tai thoi diem t(i)
         q1(i)=q(1); q2(i)=q(2); q3(i)=q(3);
          % xac dinh Vector van toc suy rong tai thoi diem t(i)
          vEx = -0.12*sin(1.3*t(i));
          vEy = 0.12*cos(1.3*t(i));
          vEz=0;
          dX=[vEx;vEy;vEz];
          dq=inv(J)*dX;
          dq1(i)=dq(1); dq2(i)=dq(2); dq3(i)=dq(3);
          % xac dinh Vector gia toc suy rong tai thoi diem t(i)
          d2xE = -0.16*\cos(1.3*t(i));
          d2vE = -0.16*sin(1.3*t(i));
          d2zE=0;
          d2X=[d2xE;d2yE;d2zE];
                    % dao ham jacobian theo t(i)
          dJq=zeros(3,3);
          dJq(1,1) = cos(q1(i))*dq1(i)*(a1-
12*\cos(q2(i))) + \sin(q1(i))*12*\sin(q2(i))*dq2(i) + 13*\sin(q2(i)+q3(i))*(dq2(i)+dq3(i))*\sin(q2(i)+q3(i))*(dq2(i)+q3(i))*\sin(q2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i))*(dq2(i)+q3(i)+q3(i))*(dq2(i)+q3(i)+q3(i))*(dq2(i)+q3(i)+q3(i)+q3(i))*(dq2(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i)+q3(i
(q1(i))-13*cos(q2(i)+q3(i))*cos(q1(i))*dq1(i);
          dJq(1,2) = -
13*\cos(q2(i)+q3(i))*(dq2(i)+dq3(i))*\cos(q1(i))+13*\sin(q2(i)+q3(i))*\sin(q1(i))*dq1(i)+q3(i)
12*\sin(q1(i))*dq1(i)*\sin(q2(i))-12*\cos(q1(i))*\cos(q2(i))*dq2(i);
          dJq(1,3) = -
13*\cos(q2(i)+q3(i))*(dq2(i)+dq3(i))*\cos(q1(i))+13*\sin(q2(i)+q3(i))*\sin(q1(i))*dq1(i);
          dJq(2,1) = -13*sin(q2(i)+q3(i))*(dq2(i)+dq3(i))*cos(q1(i)) -
13*\cos(q_2(i)+q_3(i))*\sin(q_1(i))*dq_1(i)+\sin(q_1(i))*dq_1(i)*(a_1-l_2*\cos(q_2(i)))
\cos(q1(i))*12*\sin(q2(i))*dq2(i);
          dJq(2,2) = -13*cos(q2(i)+q3(i))*(dq2(i)+dq3(i))*sin(q1(i)) -
13*\sin(q2(i)+q3(i))*\cos(q1(i))*dq1(i) - 12*\cos(q1(i))*dq1(i)*\sin(q2(i))-
12*\sin(q1(i))*\cos(q2(i))*dq2(i);
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dJq(2,3) = -13*\cos(q2(i)+q3(i))*(dq2(i)+dq3(i))*\sin(q1(i)) -
13*\sin(q2(i)+q3(i))*\cos(q1(i))*dq1(i);
     dJq(3,1)=0;
     dJq(3,2) = -13*sin(q2(i)+q3(i))*(dq2(i)+dq3(i))-12*sin(q2(i))*dq2(i);
     dJq(3,3) = -13*sin(q2(i)+q3(i))*(dq2(i)+dq3(i));
     d2q=inv(J)*(d2X - dJq*dq);
     d2q1(i)=d2q(1); d2q2(i)=d2q(2); d2q3(i)=d2q(3);
     % tim To
     % Ma tran Cq
     Cq = zeros(3,3);
     \mathbf{Cq}(1,1) = (-0.1*\cos(q2(i))*\sin(q2(i))+0.1e-1*\sin(q2(i))-0.2e-
1*\cos(q2(i)+q3(i))*\sin(q2(i)+q3(i))+0.3e-2*\sin(q2(i)+q3(i))-0.2e-
1*\sin(q2(i)+q3(i))*\cos(q2(i))-0.2e-1*\cos(q2(i)+q3(i))*\sin(q2(i)))*dq2(i)-0.2e-1
1*\sin(q2(i)+q3(i))*(\cos(q2(i)+q3(i))-0.2+\cos(q2(i)))*dq3(i);
     Cq(1,2) = -0.4e-2*cos(q1(i))*sin(q1(i))*dq3(i);
     Cq(1,3) = -0.4e-2*cos(q1(i))*sin(q1(i))*dq2(i)-0.4e-2*cos(q1(i))*sin(q1(i))*dq3(i);
     \mathbf{Cq(2,1)} = -(0.5*(-0.1*\cos(q2(i))*\sin(q2(i))+0.1e-1*\sin(q2(i))-0.2e-
1*\cos(q2(i)+q3(i))*\sin(q2(i)+q3(i))+0.3e-2*\sin(q2(i)+q3(i))-0.2e-
1*\sin(q2(i)+q3(i))*\cos(q2(i))-0.2e-1*\cos(q2(i)+q3(i))*\sin(q2(i)))*dq1(i);
     Cq(2,2) = (0.2e-1*cos(q2(i)+q3(i))*sin(q2(i))-0.2e-
1*\sin(q2(i)+q3(i))*\cos(q2(i)))*dq3(i);
     Cq(2,3) = 0.8e-2*cos(q1(i))*sin(q1(i))*dq1(i)+(0.9e-2*cos(q2(i)+q3(i))*sin(q2(i))-
0.9e-2*\sin(q2(i)+q3(i))*\cos(q2(i)))*dq3(i);
     Cq(3,1) = 0.1e-1*sin(q2(i)+q3(i))*(cos(q2(i)+q3(i))-0.2+cos(q2(i)))*dq1(i);
     Cq(3,2) = 0.8e-2*cos(q1(i))*sin(q1(i))*dq1(i)+(0.8e-2*cos(q2(i)+q3(i))*sin(q2(i))-
0.8e-2*\sin(q2(i)+q3(i))*\cos(q2(i)))*dq3(i)-(0.5*(0.2e-1*\cos(q2(i)+q3(i))*\sin(q2(i))-(0.5*(0.2e-1*\cos(q2(i)+q3(i)))*\sin(q2(i))-(0.5*(0.2e-1*\cos(q2(i)+q3(i)))*\sin(q2(i))-(0.5*(0.2e-1*\cos(q2(i)+q3(i)))*\sin(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.5*(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i)))*in(q2(i))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i))))*in(q2(i))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e-1*\cos(q2(i)))-(0.2e
0.2e-1*\sin(q2(i)+q3(i))*\cos(q2(i))) * dq2(i)-(0.5*(0.9e-2*\cos(q2(i)+q3(i))*\sin(q2(i))-q3(i))
0.9e-2*\sin(q2(i)+q3(i))*\cos(q2(i)))*dq3(i);
     Cq(3,3) = 0.8e-2*cos(q1(i))*sin(q1(i))*dq1(i)-(0.5*(0.8e-
2*\cos(q2(i)+q3(i))*\sin(q2(i))-0.8e-2*\sin(q2(i)+q3(i))*\cos(q2(i)))*dq2(i);
     %ma tran Mq
     Mq = zeros(3,3);
     Mq(1,1) = 0.147e-2+0.52e-1*cos(q2(i))^2-0.135e-1*cos(q2(i))+0.1e-
1*\cos(q2(i)+q3(i))^2-0.3e-2*\cos(q2(i)+q3(i))+0.2e-1*\cos(q2(i)+q3(i))*\cos(q2(i));
     Mq(1,2) = 0;
     Mq(1,3) = 0;
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Mq(2,1) = 0;
  Mq(2,2) = 0.62e-1+0.2e-1*\sin(q2(i)+q3(i))*\sin(q2(i))+0.2e-1
1*\cos(q2(i)+q3(i))*\cos(q2(i));
  Mq(2,3) = 0.1e-1-0.4e-2*cos(q1(i))^2+0.9e-2*sin(q2(i)+q3(i))*sin(q2(i))+0.9e-
2*\cos(q2(i)+q3(i))*\cos(q2(i));
  Mq(3,1) = 0;
  Mq(3,2) = 0.1e-1-0.4e-2*cos(q1(i))^2+0.8e-2*sin(q2(i)+q3(i))*sin(q2(i))+0.8e-
2*\cos(q2(i)+q3(i))*\cos(q2(i));
  Mq(3,3) = 0.1e-1-0.4e-2*cos(q1(i))^2;
  %ma tran Gq
  Gq = zeros(3,1);
  Gq(1,1) = 0;
  Gq(2,1) = 1.9*cos(q2(i))+0.41*cos(q2(i)+q3(i));
  Gq(3,1) = 0.41*cos(q2(i)+q3(i));
  %tinh momen dan dong
  tau = Mq*d2q + Cq*dq + Gq;
  tau1(i) = tau(1); tau2(i) = tau(2); tau3(i) = tau(3);
end
% Ve do thi toa do suy rong
figure(1)
plot(t,q1,'k-',t,q2,'r-.',t,q3,'b--','linewidth',1);grid on;
hold on
xlabel('t[s]');ylabel('q[rad]');
title('Do thi cac toa do suy rong');
legend('q 1','q 2','q 3');
% Ve do thi cac van toc suy rong
figure(2)
plot(t,dq1,'k-',t,dq2,'r-.',t,dq3,'b--','linewidth',1);grid on;
xlabel('t[s]');ylabel('dq/dt[rad/s]');
title('Do thi cac van toc suy rong');
legend('dq 1/dt','dq 2/dt','dq 3/dt');
% Ve do thi cac gia toc suy rong
figure(3)
plot(t,d2q1,'k-',t,d2q2,'r-.',t,d2q3,'b--','linewidth',1);grid on;
xlabel('t[s]');ylabel('dq^2/dt[rad/s^2]');
title('Do thi cac gia toc suy rong');
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legend('dq 1^2/dt','dq 2^2/dt','dq 3^2/dt');
% Ve do thi toa do suy rong q1
figure(4)
plot(t,q1,'k-',t,dq1,'r-.',t,d2q1,'b--','linewidth',1);grid on;
xlabel('t[s]');ylabel('q[rad],dq/dt[rad/s],dq^2/dt[rad/s^2]');
title('Do thi toa do suy rong q 1');
legend('q 1','dq 1/dt','dq 1^2/dt');
% Ve do thi toa do suy rong q2
figure(5)
plot(t,q2,'k-',t,dq2,'r-.',t,d2q2,'b--','linewidth',1);grid on;
xlabel('t[s]');ylabel('q[rad],dq/dt[rad/s],dq^2/dt[rad/s^2]');
title('Do thi toa do suy rong q 2');
legend('q 2','dq 2/dt','dq_2^2/dt');
% Ve do thi toa do suy rong q3
figure(6)
plot(t,q3,'k-',t,dq3,'r-.',t,d2q3,'b--','linewidth',1);grid on;
xlabel('t[s]');ylabel('q[rad],dq/dt[rad/s],dq^2/dt[rad/s^2]');
title('Do thi toa do suy rong q 3');
legend('q 3','dq 3/dt','dq 3^2/dt');
% Ve cau hinh cua robot
x0=0; y0=0; z0=0; z1=11;
OAx = [x0,-a1]; OAy = [y0,y0]; OAz = [z0,z1];
j = 1.1780972450:0.01:1.178097245*3.01;
ABx = 0.250 + 0.090.*\cos(i./0.750);
ABy = 0.150 + 0.090.*sin(i./0.750);
ABz = zeros(1, length(ABy));
figure(7);
hold on;
plot3(x0,y0,z0,'ob','linewidth',2,'Markersize',6);grid on
plot3(ABx,ABy,ABz,'r-','linewidth',1);
for i=1:13:length(t)
  qq1=[q1(i);q2(i);q3(i)];
  %RO3
  O3x = -\cos(qq1(1))*(a1 - 12*\cos(qq1(2)));
  O3y= -\sin(qq1(1))*(a1 - 12*\cos(qq1(2)));
```

```
O3z = 11 + 12*\sin(qq1(2));
  RO3=[O3x;O3y;O3z];
  %RO2
  O2x = -a1*cos(qq1(1));
  O2y = -a1 * sin(qq1(1));
  O2z=11;
  RO2=[O2x;O2y;O2z];
  %RE
  Ex = 13*\cos(qq1(2) + qq1(3))*\cos(qq1(1)) - \cos(qq1(1))*(a1 - 12*\cos(qq1(2)));
  Ey = 13*\cos(qq1(2) + qq1(3))*\sin(qq1(1)) - \sin(qq1(1))*(a1 - 12*\cos(qq1(2)));
  Ez = 11 + 12*\sin(qq1(2)) + 13*\sin(qq1(2) + qq1(3));
  RE=[Ex;Ey;Ez];
  AEx=[0,RO2(1),RO3(1),RE(1)];
  AEy=[0,RO2(2),RO3(2),RE(2)];
  AEz=[0,RO2(3),RO3(3),RE(3)];
  plot3(AEx,AEy,AEz,'k-','linewidth',1);
  plot3(RO2(1),RO2(2),RO2(3),'ob-','linewidth',1);
  plot3(RO3(1),RO3(2),RO3(3),'ob-','linewidth',1);
  plot3(RE(1),RE(2),RE(3),'or-','linewidth',1);
  axis equal
end
figure(9)
plot(t,tau1,'k-',t,tau2,'b--',t,tau3,'r-.','linewidth',1); grid on
xlabel('t[s]'); ylabel('tau[Nm]');
title('Do thi cac momen dan dong');
legend('tau 1','tau 2','tau 3');
% Gia tri lon nhat cua cac momen dan dong
Tau1Max = max(tau1)
Tau2Max = max(tau2)
Tau3Max = max(tau3)
```