Binimial random variables: Say X is a Binomial(n,p)

Thadom variable if X has mass $p_X(x) = \binom{n}{x} p_X^{x-x}$ again

for x = 0,1,...,n.

Interpretation: X is the number of successes in n independent trials that each have probability p of success, probability got soiling. If we define X,,..., Xn as n independent Bernoulli(p)

E.g. random variables (i.e. n independent indicator random variables)

then $X = X_1 + X_2 + + X_n$ is a Binomial (n, p) random variable.

E.g. if X=3 need 3 successes, 2 failures

Know $(\frac{5}{3})=\frac{5!}{3!2!}=10$ ways to

Specify 3 successes, 2 failures.

Each such setup has probability of $\frac{3}{9}$ of going "as planned"

So $\rho_X(3)=\rho(X=3)=\frac{5}{3}\rho_{\frac{3}{9}}^3$ In general $\rho_X(x)=\frac{1}{3}(X=x)=\frac{n}{2}\rho_{\frac{3}{9}}^3$.