Examples

1) Suppose an average salary is \$2000 and also suppose that the standard deviation of the salaries is 5000.

Find the probability a randomly chosen person's salary is more than 15000 away from the mean.

 $P(|X-82000| \ge 15000) = P(X \ge 97000 \text{ or } X \le 67000) \le \frac{1}{3^2} = \frac{1}{9}$ $(k)(\sigma_x)$ (3)(5000)by Chebyshev's Inequality

D Suppose people yet, on overage, 5.2 pieces of mail in a given day. Also suppose that the standard deviation of the amount of mail received by a person is 2.

 $P(|X-5,2| \le 4) = P(1,2 \le X \le 9,2) \ge |-\frac{1}{2^2} = \frac{3}{4}$ $(k)(\sigma_x)$ (k)(x) (k)(x) (k)(x) hequality