ASSIGNMENT – 7 MA227

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Q1-MATLAB CODE

```
I = imread('image.jpg','jpg');
figure; imshow(I)
title('Original Image')
R=I(:,:,1);
G=I(:,:,2);
B=I(:,:,3);
components sizes=[50 100 500];
for i=1:length(components sizes)
    RR=double(R);
    [R coeff,R score,R latent]=pca(RR);
R compressed=uint8(R score(:,1:components sizes(i))*R coeff(:,1:
components s zes(i))' + mean(R));
    GG=double(G);
    [G_coeff,G_score,G_latent]=pca(GG);
G compressed=uint8(G score(:,1:components sizes(i))*G coeff(:,1:
components_sizes(i))' + mean(G));
    BB=double(B);
    [B_coeff,B_score,B_latent]=pca(BB);
B compressed=uint8(B score(:,1:components sizes(i))*B coeff(:,1:
components sizes(i))' + mean(B));
compressed image=cat(3,R compressed,G compressed,B compressed);
figure;
```

```
imshow(compressed_image)
title(['Compressed Image using PCA =
',num2str(components_$ize$(i))]); End
```

OUTPUT FROM COMMAND WINDOW -





Compressed Image using PCA = 50



Compressed Image using PCA = 100



Compressed Image using PCA = 500



Q2-MATLAB CODE

function

[lam,x,no_iter]=SelfPower(A,x0,maxNumIter,tol) x=x0; lam=zeros(maxNumIter,1); k=1;

VERIFICATION -

MATLAB CODE -

OUTPUT FROM COMMAND WINDOW -

```
dominant eigen vector :
x =
    0.4484
0.4483    0.4478
0.4497
    0.4418 no. of
iterations required :
    no_iter
=
    10 required
table :
Iter lambda
```

```
1.0000
              54.4351
2.0000
                       3.0000
         63.6263
64.6978
             4.0000
64.7916
             5.0000
64.8013
             6.0000
64.8023
             7.0000
64.8024
             8.0000
64.8024
             9.0000
64.8024
            10.0000
64.8024
            11.0000
64.8024
            12.0000
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            13.0000
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    47.0000
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    48.0000
               64.8024
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49.0000
               64.8024
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           96.0000
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97.0000
                       98.0000
          64.8024
64.8024
            99.0000
                       64.8024
```

100.0000

64.8024

Q3-MATLAB CODE

```
function
[U,no iter]=SelfQRIter(A,maxNumIter,tol) k=1;
[n,n]=size(A); while k<=maxNumIter</pre>
    B=A;
    [Q,R]=HouseSelf(A,n,n);
    A=R*Q;
    M = tril(B);% lower traingular portion of B
N = tril(A);% lower traingular portion of A
if k>1
        if norm(N-M, 'fro') <= tol*norm(A, 'fro')</pre>
            no iter=k;
break:
               end
end
        k=k+1; end U=A;
if k>maxNumIter
no iter=maxNumIter; end
VERIFICATION -
MATLAB CODE -
A=[17\ 24\ 1\ 8\ 15;23\ 5\ 7\ 14\ 16;4\ 6\ 13\ 20\ 22;10\ 12\ 19\ 21\ 3;11\ 18\ 25
2 81;
disp('eigen values of A using built-in function :')
eig(A) maxNumIter=10000; tol=10.^(-8);
[U,no_iter]=SelfQRIter(A,maxNumIter,tol);
disp('upper triangular form of A containing eigen value of A
:');
U
disp('no. of iterations required :'); no iter
OUTPUT FROM COMMAND WINDOW -
eigen values of A using built-in function
 ans
  64.802406480784541 -
21.678696364211952
 -13.155732897078570
  21.289162623345796
  12.742860157160198 upper triangular form of A
containing eigen value of A:
```

```
64.8024 -0.0179 0.0237 -0.0206 -0.0121 -
0.0000 -21.6787 2.4637 -2.3946 -3.4732
0.0000 0.0000 21.2892 3.3983 2.8616 -
0.0000 -0.0000 -0.0000 -13.1557 -2.5286
-0.0000 0.0000 0.0000 0.0000 12.7429
no. of iterations required
:
no_iter
=
1081
```