

## Unsupervised Labelling

### Import required libraries

In [40]:

```
import numpy as np
import matplotlib.pyplot as plt
```

In [25]:

```

# Reference Used :
#####
# author : Dr. Satyanath Bhat
# filename : classdemo.py
#####

import numpy as np

ta = 0.1 # bias of coin a
tb = 0.8 # BIAS of coin b
d = 10
n = 3000 #total samples
z = np.zeros(n) #hidden A =0 B=1
x = np.zeros(n) #number of heads
for i in range(n):
    if np.random.uniform() < 0.5:
        x[i] = np.random.binomial(d, ta)
    else:
        x[i] = np.random.binomial(d, tb)
        z[i] = 1

## forget zs
currAEst = 0.51 #beta or uniform choices are ok
currBEst = 0.534

repeatcount = 1000 # instead of checking for convergence
gammaiA = np.zeros(n)
gammaiB = np.zeros(n)
for i in range(repeatcount):
    ## EStep starts
    for j in range(n):
        gammaiA[j] = 0.5 * np.power(currAEst, x[j]) * np.power(1 - currAEst, d - x[j])
        gammaiA[j] /= (0.5 * np.power(currAEst, x[j]) * np.power(1 - currAEst, d - x[j]) + 0.5 * np.p
        gammaiB[j] = 1 - gammaiA[j]
    numA = denA = numB = denB = 0
    #Estep ends

    #MStep starts
    for k in range(n):
        numA += gammaiA[k] * x[k]
        numB += gammaiB[k] * x[k]
        denA += gammaiA[k] * d
        denB += gammaiB[k] * d
    currAEst = numA / denA
    currBEst = numB / denB
    #Msteps ends

print(ta, tb, currAEst, currBEst)

```

0.1 0.8 0.102109498846473 0.8003189042847692

In [29]:

```
# classify each coin based on current estimate of biases

classified_Z = []
for i in range(len(x)):
    p = x[i]/d
    j = np.argmin([abs(currAEst-p), abs(currBEst-p)])
    classified_Z.append(j*1.0)

# Error rate
Error = [ 0 if classified_Z[i]==z[i] else 1 for i in range(n)]

error_rate = ( sum(Error)/len(Error) )*100
print("Error Rate : %f "%error_rate,"%")
```

Error Rate : 0.266667 %

**Lets Simulate this experiment**

In [36]:

```

# Reference Used :
#####
# author : Dr. Satyanath Bhat
# filename : classdemo.py
#####

def one_experiment(ta = 0.1, tb = 0.8, d=10, n=3000):
    z = np.zeros(n) #hidden A =0 B=1
    x = np.zeros(n) #number of heads
    for i in range(n):
        if np.random.uniform() < 0.5:
            x[i] = np.random.binomial(d,ta)
        else:
            x[i] = np.random.binomial(d,tb)
            z[i]=1

    ## forget zs
    currAEst = 0.51 #beta or uniform choices are ok
    currBEst = 0.534

    repeatcount = 1000 # instead of checking for convergence
    gammaiA = np.zeros(n)
    gammaiB = np.zeros(n)
    for i in range(repeatcount):
        ## EStep starts
        for j in range(n):
            gammaiA[j] = 0.5* np.power(currAEst,x[j]) *np.power(1-currAEst,d-x[j])
            gammaiA[j] /= (0.5*np.power(currAEst,x[j]) *np.power(1-currAEst,d-x[j]) + 0.5*
            gammaiB[j] = 1 - gammaiA[j]
            numA = denA = numB = denB = 0
        #Estep ends

        #MStep starts
        for k in range(n):
            numA += gammaiA[k]*x[k]
            numB += gammaiB[k]*x[k]
            denA += gammaiA[k]*d
            denB += gammaiB[k]*d
        currAEst = numA/denA
        currBEst = numB/denB
        #Msteps ends

    # classify each coin based on current estimate of biases

    classified_Z = []
    for i in range(len(x)):
        p = x[i]/d
        j = np.argmin([abs(currAEst-p), abs(currBEst-p)])
        classified_Z.append(j*1.0)

    # Error rate
    Error = [ 0 if classified_Z[i]==z[i] else 1 for i in range(n)]

    error_rate = ( sum(Error)/len(Error) ) *100
    return error_rate

def n_experiments(ta = 0.1, tb = 0.8, d=10, n=3000):
    errors = []

```

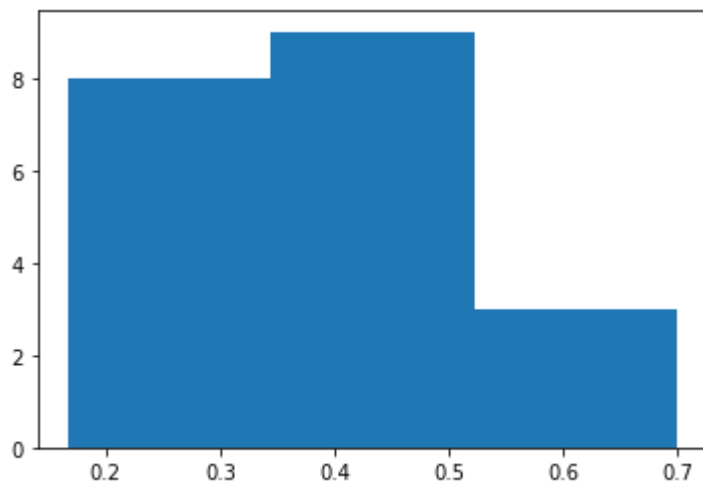
```
for i in range(20):  
    error = one_experiment(ta, tb, d, n)  
    errors.append(error)  
return errors
```

In [37]:

```
ta = 0.1 # bias of coina  
tb = 0.8 # bias of coinb  
d = 10  
n = 3000 #total samples  
errors = n_experiments(ta,tb,d,n)
```

In [44]:

```
plt.hist(errors,bins=3)  
plt.show()  
  
print("Average Error : ", np.mean(errors))
```



Average Error : 0.39666666666666666

In [ ]: