

## AI Pseudocodes.

### MAP coloring.

col[]: array containing all the colours to be used  
open[]: all the nodes that are not colored yet  
close[]: all the nodes that are colored.

STEP 1: Create a graph with each map element as a vertex and connect the neighboring elements using edges.

STEP 2: Repeat while (open[] != EMPTY)  
for (i = 0; i < len.open; i++)  
i) find all nodes connected to open[i]  
ii) eliminate all used colors  
iii) choose color for 'i' from the remaining available colors

end of loop

STEP 3: if (open == EMPTY)  
goto STEP 4;

else

print (could not color entire map)  
goto STEP 5;

STEP 4: Print color sequence of all map elements

STEP 5: END

## WATER JUG - BFS.

### Preconditions

$J_1$ : Max capacity of jug 1

$J_2$ : Max capacity of jug 2

$G_1$ : Value of Jug 1 in goal state

$G_2$ : Value of Jug 2 in goal state

$open[]$ : nodes whose children are not calculated

$close[]$ : children are calculated

$n_1$ : current value of Jug 1

$n_2$ : current value of Jug 2

- Initially both jugs are empty
- rules have been declared

STEP 1: Accept values of  $J_1, J_2, G_1, G_2$  from the user & set root node as  $n_1 = 0$  &  $n_2 = 0$ .

STEP 2: i) Apply all rules on root node to find the possible child nodes

ii) if (child\_node == GOAL)

goto STEP 4

iii) update  $open[]$ ,  $close[]$ .

STEP 3: i) Find leftmost leaf node of root, repeat till goal state is reached.

ii) Apply all rules to find all possible child nodes

## City Distances 8 PUZZLE - Hill Climbing.

### Prereqs

- initial and goal states are predefined
- `misplaced_tiles()` - no. of misplaced tiles from the goal state

STEP 1: Set the root node as initial state.

STEP 2: Repeat while (`node(misplaced_tiles) != 0` || local maxima)

- get successors by checking neighboring empty tiles
- calculate heuristic value for each successor

```
for (i=0; i < child_nodes; i++)
```

```
{ change = 0
```

```
  if (child (misplaced_tile) == 0)
```

```
    print (goal state achieved)
```

```
    goto STEP 3;
```

```
  if (child (misplaced_tile) < parent (misplaced_tile))
```

```
    parent = child
```

```
    change = 1
```

```
  if (change == 0)
```

```
    print (Local maxima)
```

```
    goto STEP 3;
```

end of loop.

STEP 3: END



# Robot Navigation A\*

board[]: a (9x5) matrix representing the robots arena

class Node: for (x,y) with parent & manhattan dist.

open[]: open priority queue to store path.

close[]: normal queue to store shut down nodes

STEP 1: define initial node with the initial coordinates of the robot and get the manhattan distance(). as well as the goal state.

STEP 2: Start search with initial node

```
search (init) {  
    open.append (init)  
    while (open not EMPTY)  
    {  
        if (open.top == GOAL)  
            return NODE  
        else  
        {  
            i) get possible successors  
            ii) add best choice to open if its  
                not in close[]  
            iii) best choice =  $g(h) = f(h) + h(n)$   
        }  
    }  
}
```

STEP 3: Point all parents of the node to get the path

STEP 4: END.

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iii) if (child-node == GOAL)

goto STEP 4

else

update close[], open[]

backtrack to parent node

find next leftmost node.

STEP 4: Print open[] to see the path from root to goal.

### WATER JUG - DFS

preconditions: same as BFS.

STEP 1: Take  $J_1, J_2, G_1, G_2$  as input and set root node as  $x_1 = 0$  &  $x_2 = 0$

STEP 2: Repeat while (child-node == unique)

{  
find child\_node of parent

if (child\_node == GOAL)

goto STEP 4

else

update open[], close[]

end loop.

STEP 3: Backtrack to parent of current leaf node & find next child\_node. • goto STEP 2:

STEP 4: Print open[] for path

END.

- STEP3: Repeat step 2 till ( $q! = n+1$ )
- STEP4: display board
- STEP5: END.

## Magic Square

pre conditions:

$N$  = size of matrix

$n$  = possible number to be filled

$i, j$  = cell co-ordinates

- STEP1: set  $i=0, j=N/2$  initially (to place the number in the top row, center)

$$arr[i][j] = n, n+1$$

- STEP2:  $nexti = (i-1) \% N$   
 $nextj = (j+1) \% N$

if ( $\neg (nexti, nextj)$ )  
     $i++;$

else

$i, j = nexti, nextj$

- STEP3: print arr.



## N Queens

pre conditions:

arr[i][j]: board of

n: no. of queens to be placed

qno: queen number.

STEP 1: Accept the value of 'n' from user.

Create a 2D matrix with  $n \times n$  as dimensions and set the values to zero ('0')

STEP 2:  $i = 0, j = q - 1$

if (arr[i][j] == 0)

i) arr[i][j] = q

ii) set all board tiles in the row, column and diagonal of queen (q) to '-q'

q++

else

i++

if ( $i == n$  &&  $j == q - 1$ )

i) set all board tiles in the row, column and diagonal of queen (q-1) to

ii) Remove queen (q-1) & set tile to -1

STEP3: Repeat step 2 till ( $q \leq n+1$ )

STEP4: display board

STEP5: END.