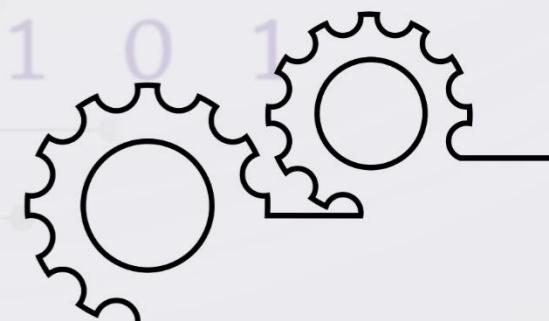


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SIMATS
School of Engineering

Compiler Design

Computer Science and Engineering

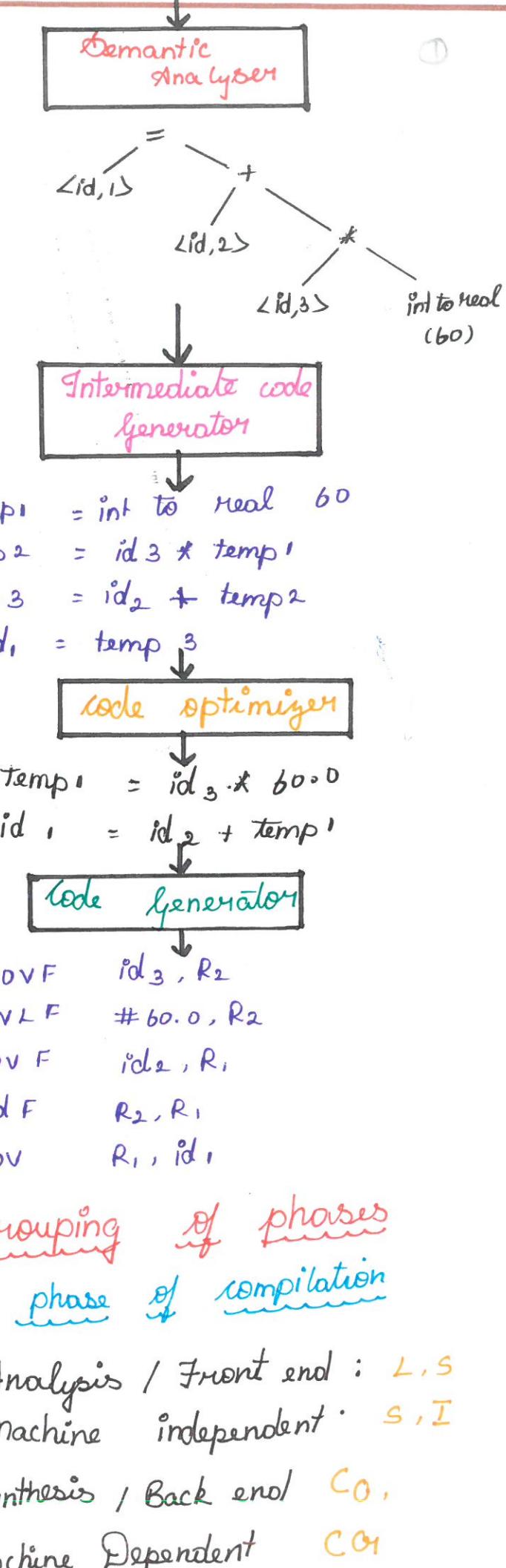
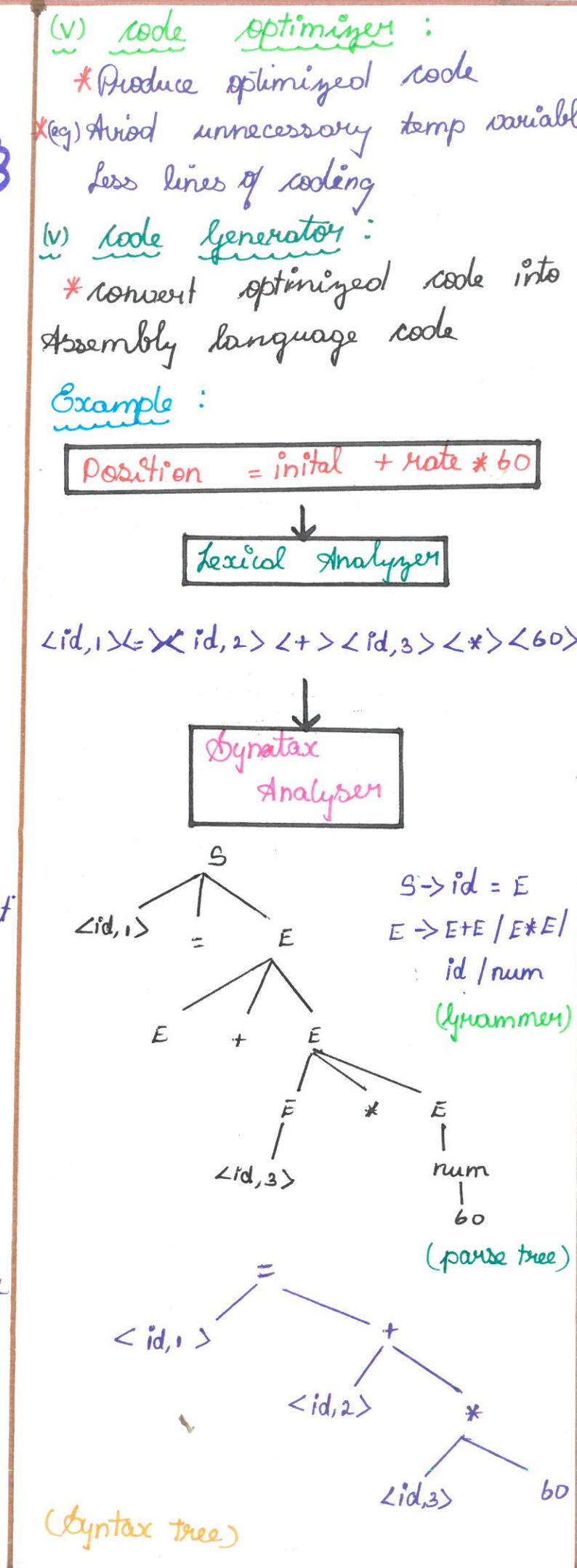
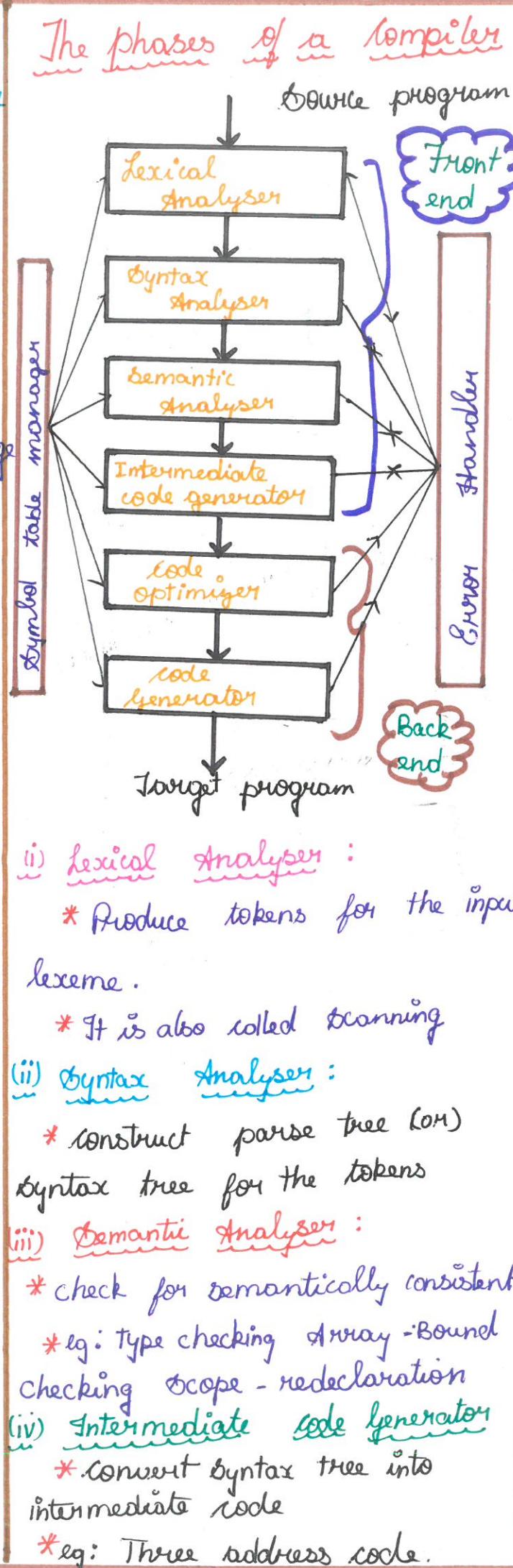
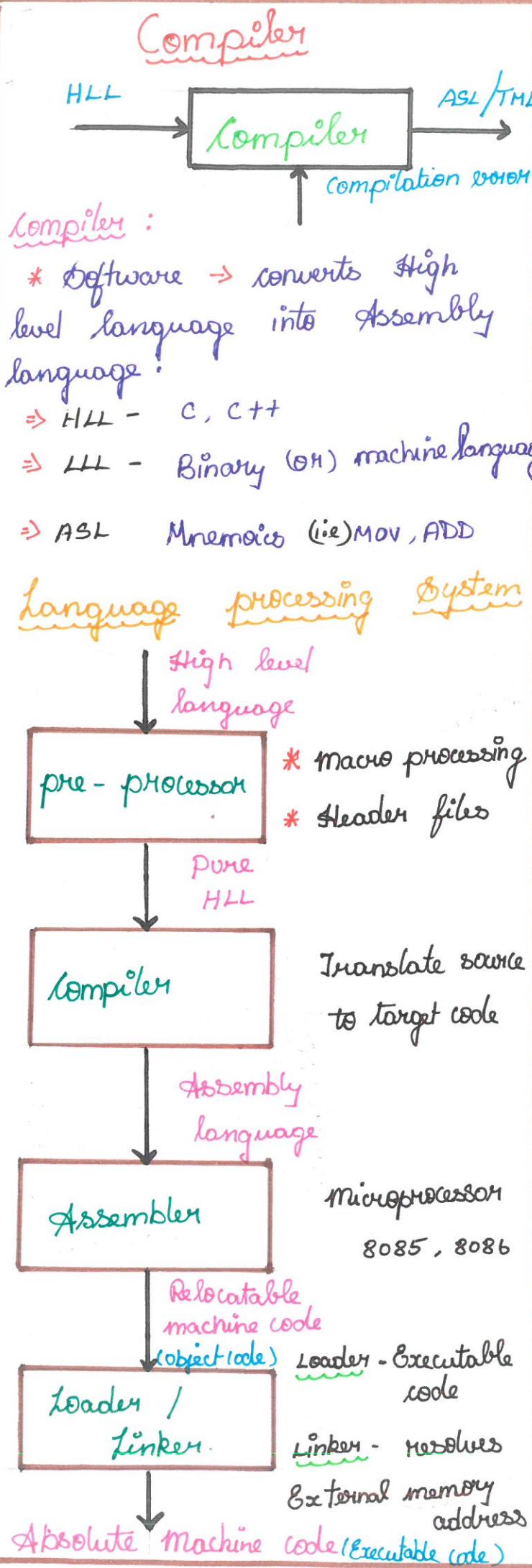


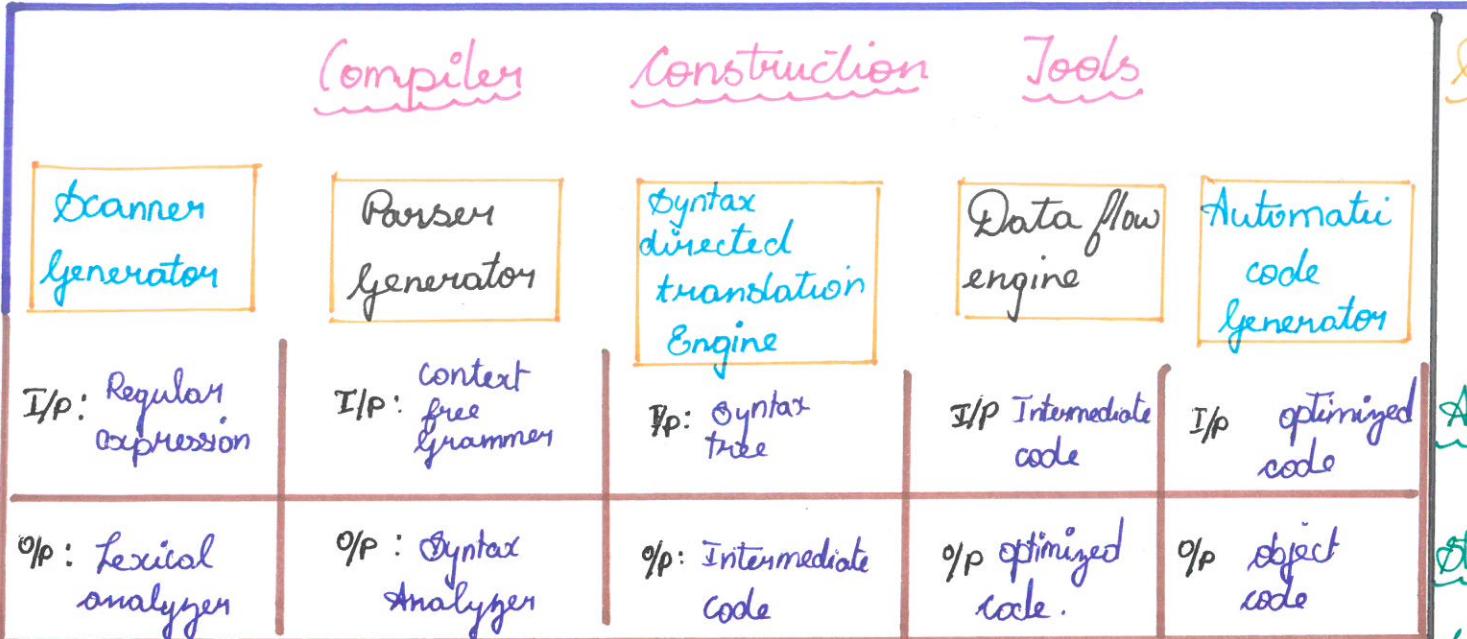
Saveetha Institute of Medical And Technical Sciences,Chennai.



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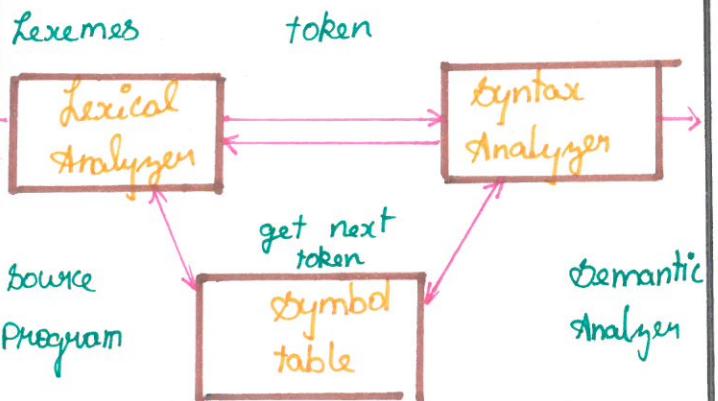
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Role of Lexical Analyzer

- * Read input character (lexemes)
- * produce tokens



Function:

- * Generate tokens
- * Remove white space
- * Remove comments
- * correlates error message.

Need:

- * Simple design
- * Compiler efficiency is improved
- * compiler portability is enhanced

Error Recovery Schemes:

- * Panic mode recovery
- * Local correction
- * Global correction

Tokens, Patterns, Lexemes

Tokens: * valid sequence of characters

1. Keyword - if while
2. Constants - Pi,
3. Identifier - a, b
4. String - "Name", "age"
5. Number - 0, 1, 2 ...
6. Operators Punctuation - +, *, (,)

Patterns:

* Regular expression on grammar rule used to form tokens

Lexemes:

* instance of token (m)

Sequence of characters

Ex: a*b	Lexemes	Tokens
C = a*b + 80	a	Identifier
	*	multiplication
	b	Identifier

Specification of Tokens

Three Specification

1. String
2. language
3. Regular expression

Alphabet: * Character \rightarrow Finite Set of symbols

String: * Finite sequence of symbols

Language: * Countable Set of strings

Operation on Strings:

- * Length of string : |s|
- * prefix : Substring at beginning
- * suffix : Substring at end
- * substring : String at start, end & middle.

Operation on languages

- * Union : L ∪ S
- * Concatenation : LS
- * Kleene Closure : L*
- * Positive closure : L+

Language for Specifying Lexical Analyser

- * 1. E - RE then L(E) = {ε}
- * 2. a - RE then L(a) = {a}
- * 3. M, S \rightarrow RE then L(M) \cup L(S)

* n | s \rightarrow L(n) \cup L(s)

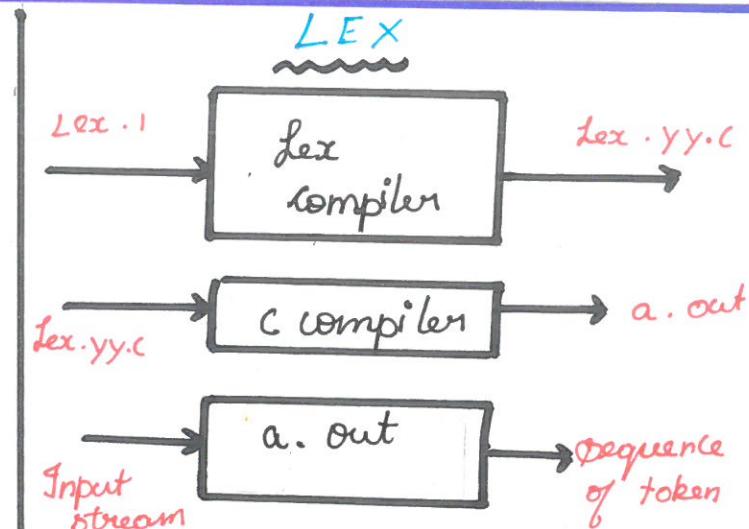
* (n) (s) \rightarrow L(n) . L(s)

* n* \rightarrow (L(n))*

* unary * Highest precedence - left associate

* concatenation - 2nd highest - left associate

* 1 - lowest Precedence - left associate



Lex Specification

* consist of three parts

- (i) Declaration :
- { definitions }
 - 1. 1.

* Includes declaration of variables, constants & Regular expression

- (ii) Translation Rules:

* Includes statement of form

- P₁ { action 1 }
P₂ { action 2 }
:
P_n { action n }

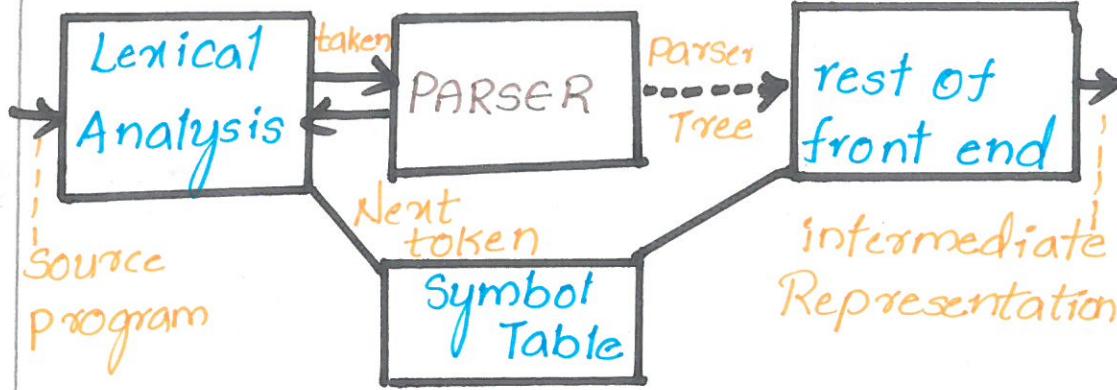
- (iii) Auxiliary procedure:

- D₁ = R₁
:
D_n = R_n

* optional
* compiled separately & loaded with lexical Analyser

ROLE OF THE PARSER

- Input - tokens (or) stream of Tokens
- Output - Parse Tree.



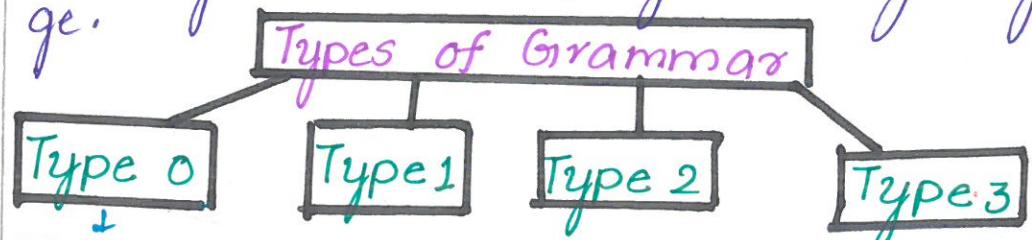
Functions:-

- Verify structure based on Grammar
- Construct parse tree
- Reports the error.
- Perform error recovery

Issues:- Cannot detect error such as

- Variable redeclaration
- Variable initialization before use
- Data type mismatch

Grammar: It is used to describe the syntax of a programming language.



Type 0 - unrestricted Grammar

Type 1 - Sensitive context free Grammar

Type 2 - Regular Grammar

Context Free Grammar

CFG is a Quadruple that consists of Terminals, Non-terminals, start symbol and production. It is type 2 Grammar

$$G = (V, T, P, S)$$

Non-Terminal are variables

V - variables

T - Terminals

P - production

S - start symbol

Context Free Language:-

Collections of input string which are terminals derived from Start symbol.

Terminals :-

Lower case a, b

Operators +, *

Digit 0, 1, ..., 9

id, if ()

Non-Terminals :-

Upper case A, B, C

Lowercase italic expr, stmt.

Start Symbol :-

First in Grammar

Head of production

Production:- LHS \rightarrow RHS

Head \rightarrow Body

Head - Only Non-Terminals

Body - Terminal (or) Non-Terminals

Types of parser

Top down parser

Back tracking

Predictive parser

Shift reduce

LR

SLR Parser

LALR Parser

LR Parser

Parsing Techniques

Recursive Descent parsing

- Top Down parser

- Collection of recursive procedure

↓
parsing given ip string

Steps:-

- Non terminal - call the procedure
- Terminal - Matched with look ahead from input
- Production rule has many alternates

All these alternates has to be combined into single body of procedure

- Parser - activated

↓
Procedure corresponding to start symbol.

Example:

$E \rightarrow iE' \quad E' \rightarrow iE' / \epsilon$

some

$E()$

{ if (input == 'i')
input ++;

$E PRIME()$

{ if (input == '+')
input ++;

{ if (input == '+')
input ++;

$E PRIME()$

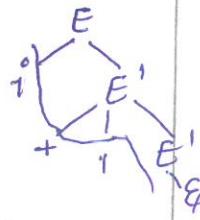
{ if (input == '+')
input ++;

$E PRIME()$

{ else
return;

$main()$ {
 $E()$
if (input == '\$')
printf("Parsing success");

{ if string - it's



Shift Reduce Parser

* bottom-up parser

* leaves to the root

* Reduction are done
↑

* While constructing the parse tree

Consider the following grammar

$$S \rightarrow CC$$

$$C \rightarrow CC$$

$$C \rightarrow d$$

Input string : cdcd

⇒ cdcd = Reduction by $C \rightarrow d$

⇒ cdcc = Reduction by $C \rightarrow CC$

⇒ cdcC = Reduction by $C \rightarrow d$

⇒ ccc = Reduction by $C \rightarrow CC$

⇒ cc = Reduction by $S \rightarrow CC$

⇒ S

Handles

* Substring that matches the right side of a production

Example: $A \rightarrow axb$

$$x \rightarrow c$$

→ Here 'c' is a handle

→ It reduces to x

I/P String acc

⇒ acb Reduction by $x \rightarrow c$

⇒ axb Reduction by $A \rightarrow axb$

⇒ A

Handle pruning :

* process of obtaining the starting non-terminal.

↳ Reducing handles to the respective non-term

Stack Implementation of Shift Reduce parser

* Stack - grammar symbols

* Initially pushed with the terminal \$

* i/p buffer - i/p string \$

Parsing Actions

* Shift next i/p symbol

Shift - * When there is no handle for reduction

Reduce - * Reduce by a non terminal

* non terminal ⇒ pushed ⇒ state

↓ by replacing the handle

Accept - input string → valid

Error - * Syntax error
* parser fails error
recovery routine

Example :

$$S \rightarrow CC$$

$$C \rightarrow CC$$

$$C \rightarrow d$$

I/P String : ccdd

State	I/P String	Action	Stack	Input	Action
\$	ccdd\$	Shift	\$L	(a, a, a)\$	Shift
\$C	ccdd\$	Shift	\$L,	(a, a, a)\$	Shift
\$CC	dd\$	Shift	\$L, C	(a, a, a)\$	Shift
\$CCD	d\$	Reduce by $C \rightarrow d$	\$L, CA	, (a, a)\$	Reduce $S \rightarrow a$
\$CCCL	d\$	Reduce by $C \rightarrow CC$	\$L, CS	, (a, a)\$	Reduce $L \rightarrow S$
\$CL	d\$	Reduce by $C \rightarrow CC$	\$L, L	, a)\$	Shift
\$C	d\$	Shift	\$L, L,	a)\$	Shift
\$CD	\$	Reduce by $C \rightarrow d$	\$L, L, a)\$	Reduce $S \rightarrow a$
\$CC	\$	Reduce by $S \rightarrow CC$	\$L, L, S)\$	Reduce $L \rightarrow L, S$
\$S	\$	accept; parsing is successfully done	\$L, L)\$	Shift
			\$L, L)\$	Reduce $S \rightarrow (L)$
			\$L, L)\$	Reduce $L \rightarrow L, S$
			\$L, L)\$	Shift
			\$L, L)\$	Reduce $S \rightarrow (L)$
			\$L, L)\$	Reduce $L \rightarrow L, S$
			\$L, L)\$	Shift
			\$L, L)\$	Reduce $S \rightarrow (L)$
			\$L, L)\$	Accept

Example :

Consider the following grammar

$$S \rightarrow (L) / a$$

$$L \rightarrow L, S / S$$

parse the input string (a, a, a) using a Shift-reduce parser.

Solution:

Applications:

1. Implementation of High-level programming.
2. Design of new Computer architectures.
3. Software productivity tool

SLR Parsing

Implementation Steps:

1. Augment G and Produce G'
2. Construct the canonical collection of set of items c for G'
3. Construct the parsing action function action & goto using algorithm that require FOLLOW(A) for each non-terminal of Grammar.

Example for SLR Parsing:

Construct SLR parsing for the following Grammar:

$$G: E \rightarrow E + T \mid T \\ T \rightarrow T * F \mid F \\ F \rightarrow (E) \mid id$$

Step 1: Augment G:

$$G: E' \rightarrow E \\ E \rightarrow E + T \\ E \rightarrow T \\ T \rightarrow T * F \\ T \rightarrow F \\ F \rightarrow (E) \\ F \rightarrow id$$

Step 2: LR(0)

$$I_0: E' \rightarrow .E \\ E \rightarrow .E + T \\ E \rightarrow .T \\ T \rightarrow .T * F \\ T \rightarrow .F \\ F \rightarrow .(E) \\ F \rightarrow .id$$

GOTO(I₀, id):
I₅: F \rightarrow id. I₅

GOTO(I₁, +):
I₆: E \rightarrow E + T
T \rightarrow T * F
T \rightarrow .F I₆
F \rightarrow .(E)
F \rightarrow .id

GOTO(I₂, *):

I₇: T \rightarrow T * F
F \rightarrow .(E) I₁
F \rightarrow .id

GOTO(I₄, E):

I₈: F \rightarrow (E.)
E \rightarrow E + T I₈

GOTO(I₄, T):

I₉: E \rightarrow T.
T \rightarrow T * F I₂

GOTO(I₄, F):

I₁₀: T \rightarrow F.
F \rightarrow (E.) I₃

GOTO(I₀, C):

I₄: F \rightarrow (E.)
E \rightarrow .E + T I₄

GOTO(I₄, T):

E \rightarrow .T
T \rightarrow .T * F I₄

GOTO(I₄, F):

T \rightarrow .F
F \rightarrow .(E.) I₄

GOTO(I₄, id):

F \rightarrow .id

SLR Parsing

GOTO(I₀, id):
I₅: F \rightarrow id

GOTO(I₆, T):
E \rightarrow E + T. I₉
T \rightarrow T. * F

GOTO(I₆, F):
T \rightarrow F. I₃

GOTO(I₆, C):

F \rightarrow (.E)
E \rightarrow .E + T I₄
E \rightarrow .T
T \rightarrow .T * F
T \rightarrow .F

GOTO(I₆, id):
F \rightarrow id. I₅

FOLLOW(E) = { \$, + } , FOLLOW(T) = { \$, +, *, (,) }
FOLLOW(F) = { *, +,), \$ }.

Step 3: Parsing Table:

	ACTION						GOTO		
	id	+	*	()	\$	E	T	F
I ₀	S ₅					S ₄			
I ₁		S ₆							ACC
I ₂		R ₂	S ₇				R ₂		
I ₃		R ₄	R ₄				R ₄		
I ₄		S ₅							
I ₅		R ₆	R ₆			R ₆	R ₆		
I ₆	S ₅					S ₄			
I ₇	S ₅					S ₄			
I ₈		S ₆					S ₁₁		
I ₉		R ₁	S ₇				R ₁	R ₁	
I ₁₀		R ₃	R ₃				R ₃	R ₃	
I ₁₁		R ₅	R ₅				R ₅	R ₅	

Check id + id * id is valid or NOT

Stack	Input	Action
O	id + id * id \$	GOTO(I ₀ , id) = S ₅ , shift
O id 5	+ id * id \$	GOTO(I ₅ , +) = R ₆ , R, F \rightarrow id
O F 3	+ id * id \$	GOTO(I ₀ , F) = R ₆
O T 2	+ id * id \$	GOTO(I ₃ , +) = R ₄ , R, T \rightarrow F
O E 1	+ id * id \$	GOTO(I ₂ , +) = R ₂ , R \rightarrow E \rightarrow T
O E 1 + 6	- id * id \$	GOTO(I ₀ , E) = R ₁ , R \rightarrow E \rightarrow T
O E 1 + 6 id 5	* id \$	GOTO(I ₁ , +) = S ₆ , shift
O E 1 + 6 F 3	* id \$	GOTO(I ₆ , F) = R ₆
O E 1 + 6 T 9	* id \$	GOTO(I ₃ , +) = R ₄ , R, T \rightarrow F
O E 1 + 6 T 9 + 7	id \$	GOTO(I ₂ , +) = R ₂ , R \rightarrow E \rightarrow T
O E 1 + 6 T 9 + 7 id 5	\$	GOTO(I ₀ , E) = R ₁ , R \rightarrow E \rightarrow T
O E 1 + 6 T 9 + 7 F 20	\$	GOTO(I ₁ , +) = S ₆ , shift
O E 1 + T 6 T 9	\$	GOTO(I ₆ , T) = R ₆
O E 1	\$	GOTO(I ₀ , E) = R ₁ , R \rightarrow E \rightarrow T
	\$	GOTO(I ₁ , +) = accept

Operator Precedence Parsing & YACC

Operator Precedence Parsing

- Bottom up parsing
- Class of Grammars \rightarrow Operator Grammar

Operator Grammar Properties:-

- no two variables are adjacent
- no ϵ production

E^n :

$$E \rightarrow E + E / E * E / id$$

\hookrightarrow Operator grammar

$$E \rightarrow EAE / id$$

\curvearrowleft Adjacent

$$A \rightarrow + / *$$

$$E \rightarrow E + E / E * E / id$$

Operator Precedence Relations

Relation	Meaning
$a < b$	a has less precedence than b
$a > b$	a has more precedence than b
$a = b$	a has equal precedence than b

Precedence & Associativity

Operator	Precedence
()	1
-(unary minus)	2
\uparrow	3
*	4

+, - 5

Left associative - +, *, - /

Right associative - ↑

id - highest precedence
compared to all the operators

\$ - least precedence

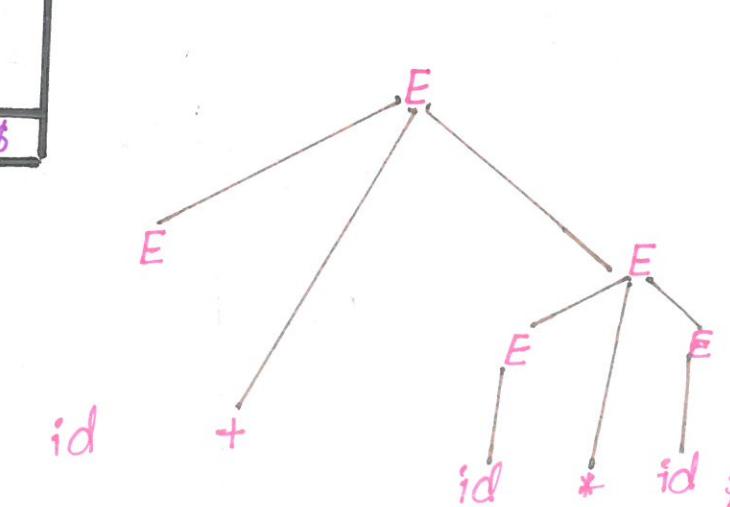
$$\begin{array}{l} E \xrightarrow{*} \\ E \rightarrow E + E / E * E / id \end{array}$$

	id	+	*	\$
id		⇒	⇒	⇒
fd			⇒	⇒
f*	⇒	⇒	⇒	⇒
*	⇒	⇒	⇒	⇒
\$	⇒	⇒	⇒	

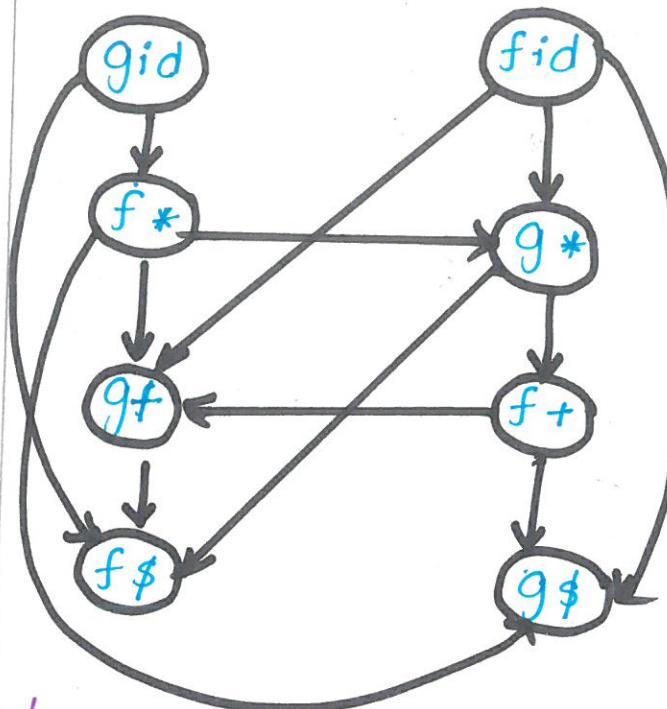
Blank - error

⇒ (or) \doteq \rightarrow push

⇒ \rightarrow POP



Operator Precedence Flow Graph :-



Longest Path for each node :-

$$fid \Rightarrow fid \Rightarrow g* \Rightarrow f+ \Rightarrow g+ \Rightarrow f\$ \Rightarrow 4$$

$$f+ \Rightarrow f+ \Rightarrow g+ \Rightarrow f\$ \Rightarrow 2$$

$$f* \Rightarrow f* \Rightarrow g* \Rightarrow f+ \Rightarrow g+ \Rightarrow f\$ \Rightarrow 4$$

$$gid \Rightarrow gid \Rightarrow f* \Rightarrow g* \Rightarrow f+ \Rightarrow g+ \Rightarrow f\$ \Rightarrow 5$$

$$g+ \Rightarrow g+ \Rightarrow f\$ \Rightarrow 1$$

$$g* \Rightarrow g* \Rightarrow f+ \Rightarrow g+ \Rightarrow f\$ \Rightarrow 3$$

$$f\$ \Rightarrow 0$$

$$g\$ \Rightarrow 0$$

Operator Precedence relation function :-

	id	+	*	\$
f	4	2	4	0
g	5	1	3	0

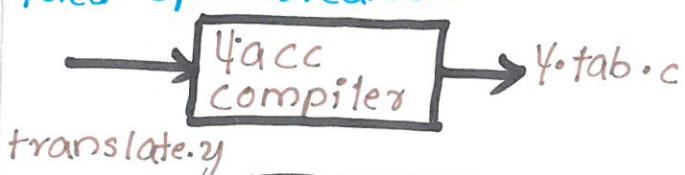
operator precedence parser \rightarrow ambiguous grammar

YACC - Yet Another Compiler Compiler

- Stephen Johnson
- LALR parser

token \rightarrow LALR \rightarrow parse tree

Creating an Input/Output translation with Yacc specification



translate.y

Y.tab.c \rightarrow C Compiler \rightarrow a.out

Input \rightarrow a.out \rightarrow Output

A YACC source Program - 3 parts

1. declarations % %;
2. translation rules % %;
3. supporting c routines

declarations

- Ordinary c declarations delimited by % % and % %
- Declarations of grammar tokens

Translation Rules :-

Grammar production \rightarrow Semantic-
action General production form
<head> \rightarrow <body1>/<body2>/--

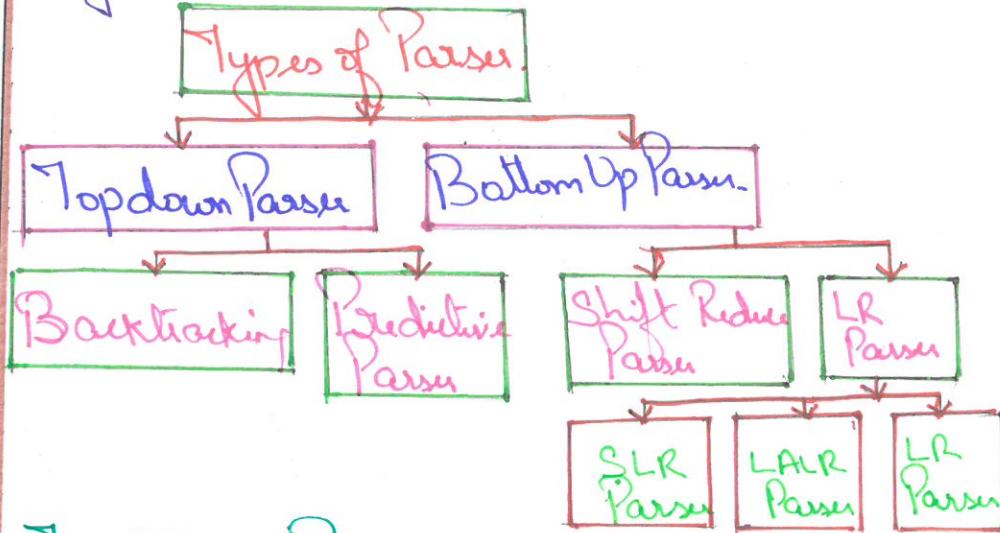
Supporting routines :-

yylex() - lexical analyzer

TOP DOWN PARSER, ERROR HANDLING & RECOVERY

PARSING TECHNIQUES:-

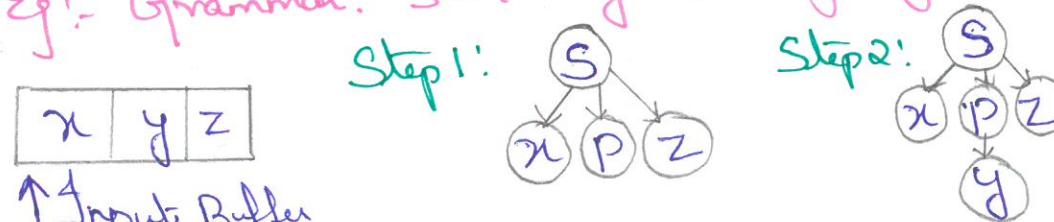
- * Parser Scans the Input String from left to right and Identifies that the derivation is leftmost or rightmost.



TOP-DOWN PARSER:-

- * Tree generated from top to bottom
- * Derivation terminates when the required input string terminates.
- * Leftmost derivation matches this requirement
- * Main task is to find the appropriate Production rule in order to produce the correct input string.

Eg:- Grammar: $S \rightarrow xPy \rightarrow P \rightarrow ywly$.

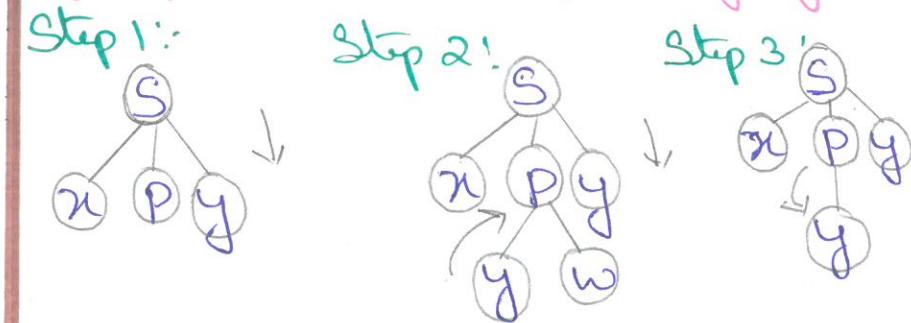


$x \ y \ z$
↑ Input Buffer

BACKTRACKING:-

Technique in which for expansion of non terminal symbol choose one alternative and if mismatch try another alternate any.

Eg:- Grammar: $S \rightarrow xPy, P \rightarrow ywly$.



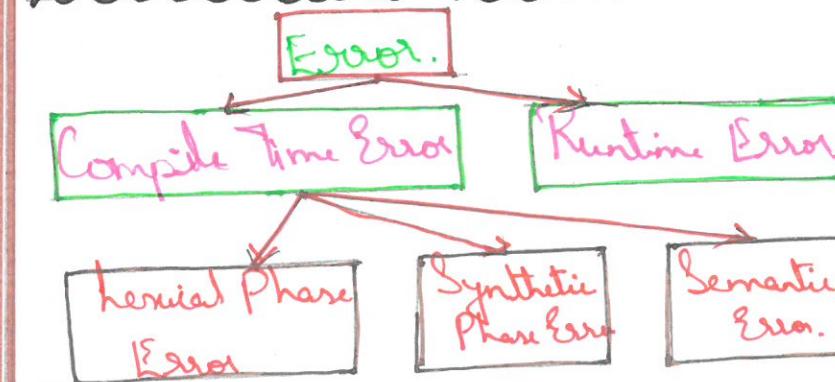
ERROR DETECTION AND RECOVERY:-

- * All Possible errors made by the Programmers are detected & reported to user in message form.
- * This Process is called Error Handling Process.

FUNCTIONS OF ERROR HANDLER:-

- * Should Identify all Possible Error from Source Code
- * Should report these error with appropriate message to User.
- * Should repair the error at instance in Order to Continue Processing of Pgm.
- * Should remove from errors to detect as many as Possible.

CLASSIFICATION OF ERRORS:-



FUNCTIONS OF ERROR HANDLER:-

- 1) Error Detection
- 2) Error Report
- 3) Error Recovery.

Lexical: Mis spelling of Identifier, Keywords or Operators.

Syntactic: A missing Semicolon or Unbalanced Parenthesis.

Semantic: In compatible Value assignment or Type mismatch b/w operator & Operand.

ERROR RECOVERY:-

ERROR RECOVERY METHOD	LEXICAL PHASE ERROR	SYNTACTIC PHASE ERROR	SEMANTIC PHASE ERROR
PANIC MODE	✓	✓	✗
PHRASE (LV) MODE	✗	✓	✗
ERROR PRODUCTION	✗	✓	✗
GLOBAL PRODUCTION USING SYMBOL TABLE	✗	✓	✗

ERROR RECOVERY STRATEGIES:-

i) **PANIC MODE RECOVERY:** Parser discards the input symbol One at a time Until One of the designated Set of Synchronizing token is found.

ii) **PHASE LEVEL RECOVERY:** Parser performs total Iteration On the remaining input after finding necessary Corrections made.

iii) **ERROR PRODUCTION:** Incorporated if user is aware of common mistakes that are Encountered in program alongwith with error.

iv) **GLOBAL CORRECTION:** Tries to find closest match for it which is error free. The closest match is one that does not do any insertion, deletion & Changes of token.

Syntax Directed Definitions & Annotated Parse tree

Semantic Analysis

- * To check the correctness of program language construct
- * Enable proper execution action
- * Type checking → number and type of argument
↓ in function calls + function header of function definition
- * Object binding → Associating variable with respective function definition

- * Automatic type conversion
 - ↳ integers in mixed mode operation
- ⇒ Help in intermediate code generation
- ⇒ Display appropriate error message

Semantics of a language

↳ described using two notations

⇒ Syntax directed definition (SDD)

⇒ Syntax directed Translation (BDT)

Syntax Directed Definitions

SDD = CFG + attributes + semantic rules

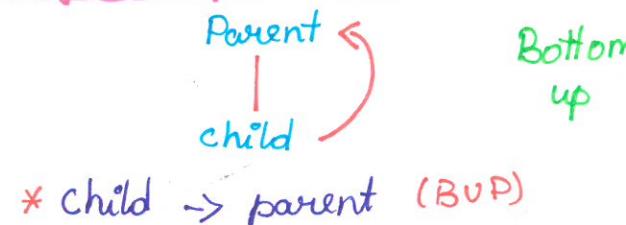
Eg: $E \rightarrow E_1 + T$

Production	Semantic Rule
$E \rightarrow E_1 + T$	$E.\text{Val} = E_1.\text{Val} + T.\text{Val}$ Val → attribute

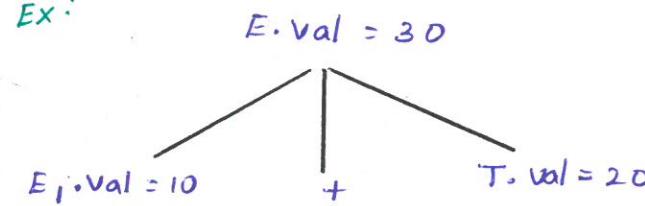
Attribute:

- * property of programming language construct
- * Associated with grammar symbols
- * $x \rightarrow$ grammar symbol
- * $a \rightarrow$ attribute
- * $x.a \rightarrow$ value of attribute 'a' at a particular node

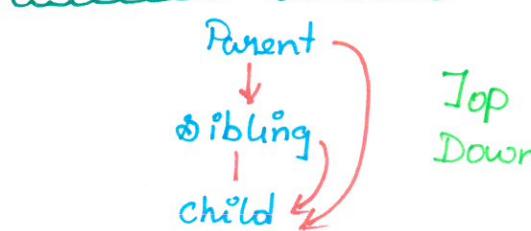
Synthesized Attribute:



Ex:



Inherited Attribute: (I-Attribute)



Eg:

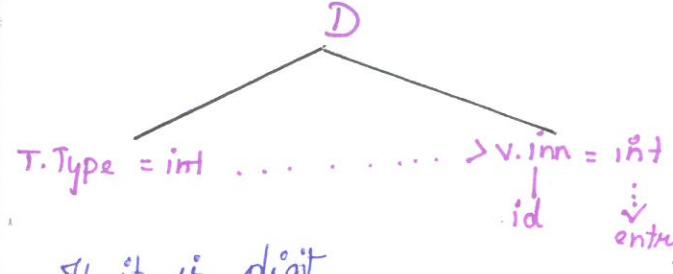
$D \rightarrow TV$
int sum

D - Declaration

T - Type → int

V - Variable → sum

production	Semantic rule
$D \rightarrow TV$ int sum	$V.T_{inh} = T.\text{Type}$ ↳ T-attribute



Annotated parse tree

attribute values of each node.

* Terminal ⇒ Synthesized attribute

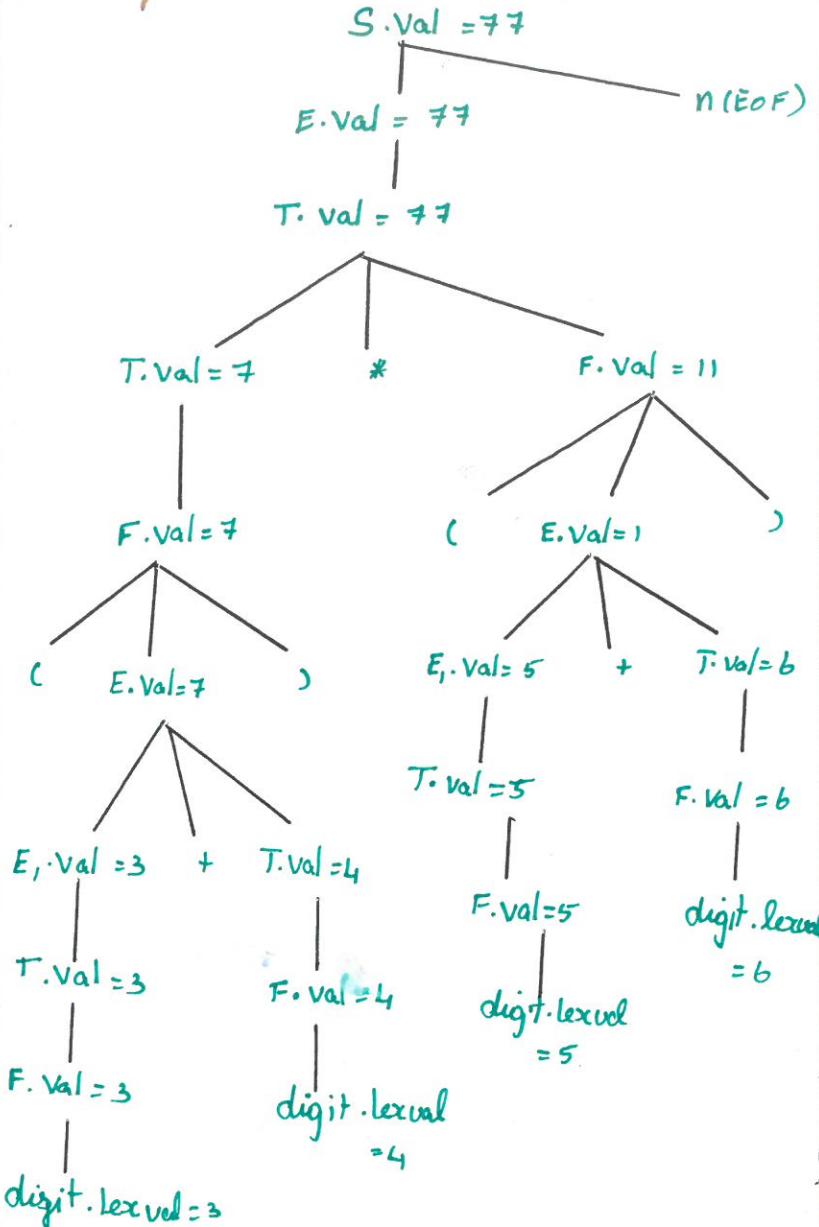
↓ obtained directly from lexical analyzer

* Other nodes ⇒ Synthesized(OI) inherited attribute

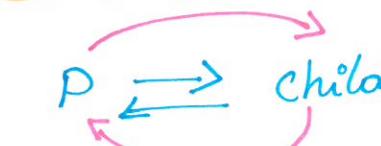
Eg: Write the SDD for a simple desk calculator and show annotated parse tree for the expression $(3+4)*(5+6)$

$S \rightarrow E_n$
 $E \rightarrow E_1 + T \mid E_1 - T \mid T$
 $T \rightarrow T_1 * F \mid T_1 / F \mid F$
 $F \rightarrow (E) \mid \text{digit}$

production	Semantic rules
$S \rightarrow E_n$	$S.\text{Val} = E.\text{Val}$
$E \rightarrow E_1 + T$	$E.\text{Val} = E_1.\text{Val} + T.\text{Val}$
$E \rightarrow E_1 - T$	$E.\text{Val} = E_1.\text{Val} - T.\text{Val}$
$E \rightarrow T$	$E.\text{Val} = T.\text{Val}$
$T \rightarrow T_1 * F$	$T.\text{Val} = T_1.\text{Val} * F.\text{Val}$
$T \rightarrow T_1 / F$	$T.\text{Val} = T_1.\text{Val} / F.\text{Val}$
$F \rightarrow (E)$	$F.\text{Val} = E.\text{Val}$
$F \rightarrow \text{digit}$	$F.\text{Val} = \text{digit.lexical}$



Circular dependency:



Eg:

production	Semantic Rule
$A \rightarrow B$	$A.S = B.i$ $B.i = A.S + b$



Construction of Syntax tree , Bottom up Evaluation of S & L Attribute

Construction of Syntax tree

Integration node → operation

functions

1. mx node (op, left, right)
 2. mx leaf (id, entry to symbol table)
 3. mx leaf (num, value)

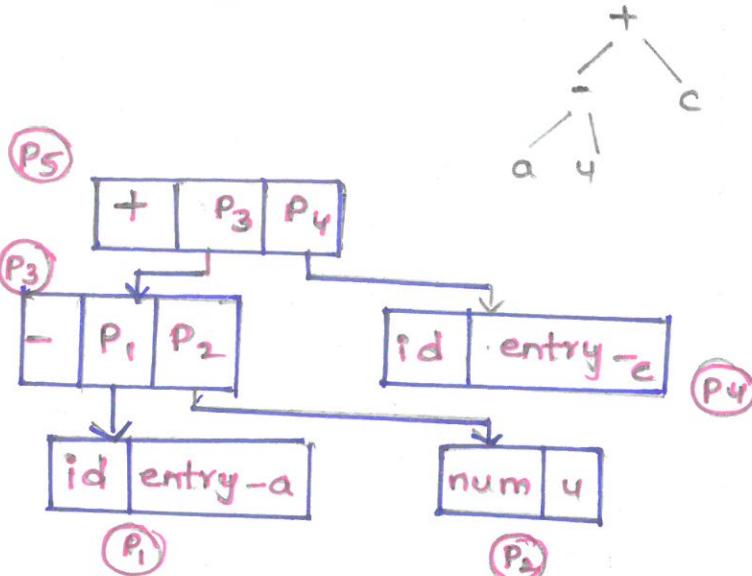
Steps for construction of Syntax

tree for a-4tc

Symbol	Operation
a	$P_1 = \text{mx leaf}(\text{id}, \text{entry}-a)$
4	$P_2 = \text{mx leaf}(\text{num}, 4)$
-	$P_3 = \text{mn node } (-, P_1, P_2)$
c	$P_4 = \text{mx leaf}(\text{id}, \text{entry}-c)$
+	$P_5 = \text{mn node } (+, P_3, P_4)$

Syntax Directed definition (SDD)

Productions	Semantic rule
$E \rightarrow E_1 + T$	$E.\text{node} = \text{mxnode}(+, E_1.\text{node}, T.\text{node})$
$E \rightarrow E_1 - T$	$E.\text{node} = \text{mxnode}(-, E_1.\text{node}, T.\text{node})$
$E \rightarrow T$	$E.\text{node} = T.\text{node}$
$T \rightarrow \text{id}$	$T.\text{node} = \text{mxleaf}(\text{id}, \text{id}.\text{entry})$
$T \rightarrow \text{num}$	$T.\text{node} = \text{mxleaf}(\text{num}, \text{num}.\text{value})$



Bottom-up

S-Attributed definitions - only

Synthesized attributes \rightarrow SOD

Synthesized Attribute & inherited attribute.

Bottom-up Evaluation of S-Attributed Definitions \Rightarrow Implemented - LR parser

S-attributed definition
↓
Parser generator

↓
Construct translator
↓
Evaluates attributes

- Stack \Rightarrow grammar symbols, value of attribute
- \Rightarrow Pair of ~~array~~ val & state.

$$A \rightarrow xyz \quad A.a = f(x.x, y.y, z.z)$$

State val

88-3

z	$z \cdot z$
y	$y \cdot y$
x	$x \cdot x$
-	-

State val

top	A	A.a

Production	Semantic Rules	Attribute Definitions
$L \rightarrow E_n$	Point (val [top-1])	$L = \text{Attributed}$ $x = \text{Synthesized attribute } x.s$
$E \rightarrow E_1 + T$	$\text{val}[\text{ntop}] = \text{val}[\text{top}-2] + \text{val}[\text{top}]$	$y = \text{Inherited attribute } x.i$ $y.i = x.s$
$E \rightarrow T$		$D \rightarrow TL$
$T \rightarrow T * F$	$\text{val}[\text{ntop}] = \text{val}[\text{top}-2] * \text{val}[\text{top}]$	$T \rightarrow \text{int} \text{float}$
$T \rightarrow F$		$L \rightarrow \text{L}, \text{id} / \text{id}$
$F \rightarrow (\epsilon)$		"float p, q, r"
$F \rightarrow \text{digit}$	$\text{val}[\text{ntop}] = \text{val}[\text{top}-1]$	SDD for Simple type declarations

- digit \rightarrow push digit.lexval into -
- val stack
- other terminals - no shift.

Input	State	Val	Semantic rule	T → float	T.type = integers
$5 + 3 \times 4n$	-	-		T → float	T.type = float
$+ 3 \times 4n$	S	S		L → L, id	L.i nh = L.i nh
$+ 3 \times 4n$	F	S	T → digit+		add type(id.entry, L.i nh)
$+ 3 \times 4n$	T	S	T → F	L → id	add type(id.entry, L.i nh)

$+ 3 \times 4n$	E	S	$E \rightarrow T$	Input	State	productions
$3 \times 4n$	$E +$	$S +$		float $p_1 q_1 r$	-	-
$\times 4n$	$E + 3$	$S + 3$		$p_1 q_1 r$	float	-
$\times 4n$	$E + F$	$S + 3$	$F \rightarrow \text{digit}$	$p_1 q_1 r$	T	$T \rightarrow \text{float}$
$\times 4n$	$E + T$	$S + 3$	$T \rightarrow F$	$q_2 r$	TP	-
$4n$	$E + T x$	$S + 3x$		$1^q r$	TL	$L \rightarrow ?d$
n	$E + T x 4$	$S + 3x4$		$1^q r$	TL,	-
n	$E + T x F$	$S + 3x4$	$F \rightarrow \text{digit}$	1^r	TL, q_2	-
n	$E + T$	$S + 1^q$	$T \rightarrow T, x F$	1^r	TL	L, L, id
n	E	1^T	$E \rightarrow E_1 + T$	r	TL,	-
	E_n	$1^T -$	$L \rightarrow E_n$		TL, 1^r	-
	L	$1^T -$			TL	$L \rightarrow L, id$

TOP DOWN TRANSLATION

TOP DOWN Translation:

- I - attribute needed
- Elimination of left-recursion

Obtain SDD for the following grammar

$$S \rightarrow E_n$$

$$E \rightarrow E + T / T$$

$$T \rightarrow T * F / F$$

$$F \rightarrow (E) / \text{digit}$$

- annotated parse tree for the expression $(3+4) * (5+6)$

- After eliminating left recursion

$$S \rightarrow E_n$$

$$E \rightarrow TE'$$

$$E' \rightarrow +TE'/E$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT'/E$$

$$F \rightarrow (E) / \text{digit}$$

- Compute attribute value

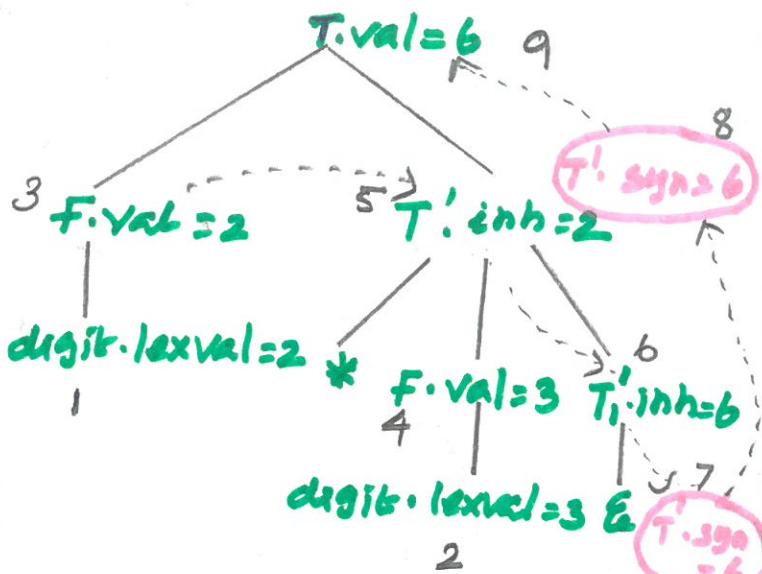
$$L.H.S \leftarrow R.H.S$$

Synthesized attribute

production	semantic rule	TYPE
$S \rightarrow E_n$	$S.val = E.val$	Synthesized
$F \rightarrow (E)$	$F.val = E.val$	Synthesized
$F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$	Synthesized

- consider the following production
- draw the annotated parse tree for the expression $2 * 3$

productions	
$T \rightarrow FT'$	
$T' \rightarrow *FT'/E$	
$F \rightarrow \text{digit}$	



semantic rule	production
$F.val = 2$ is copied to $T'.inh$	$T'.inh = F.val \quad T \rightarrow FT'$
$T'.inh & F.val$ is copied to $T'.inh$	$T'.inh = T'.inh \quad T' \rightarrow *FT' \quad *F.val$
$T'.inh$ is copied to $T'.syn$	$T'.syn = T'.inh \quad T' \rightarrow E$
$T'.syn$ is moved to its parent	$T'.syn = T'.syn \quad T' \rightarrow *FT'$
$T'.syn$ is moved to its parent T	$T.val = T'.syn \quad T \rightarrow FT'$

- production & their respective rules

production	semantic rules
$T \rightarrow FT'$	$T'.inh = F.val$ $T.val = T'.syn$
$T' \rightarrow *FT'/E$	$T'.inh = T'.inh * F.val$ $T'.syn = T'.syn$
$E \rightarrow E$	$T'.syn = T'.inh$

- semantic rules for other production

production	semantic rules
$E \rightarrow TE'$	$E'.inh = T.val$ $E.val = E'.syn$
$E' \rightarrow +TE'$	$E_i'.inh = E'.inh + T.val$ $E'.syn = E_i'.syn$
$E' \rightarrow E$	$E'.syn = E_i'.inh$

$$E' \rightarrow +TE'$$

$$E' \rightarrow E$$

$$T' \rightarrow *FT'$$

$$T \rightarrow FT'$$

$$T \rightarrow E$$

$$T \rightarrow F$$

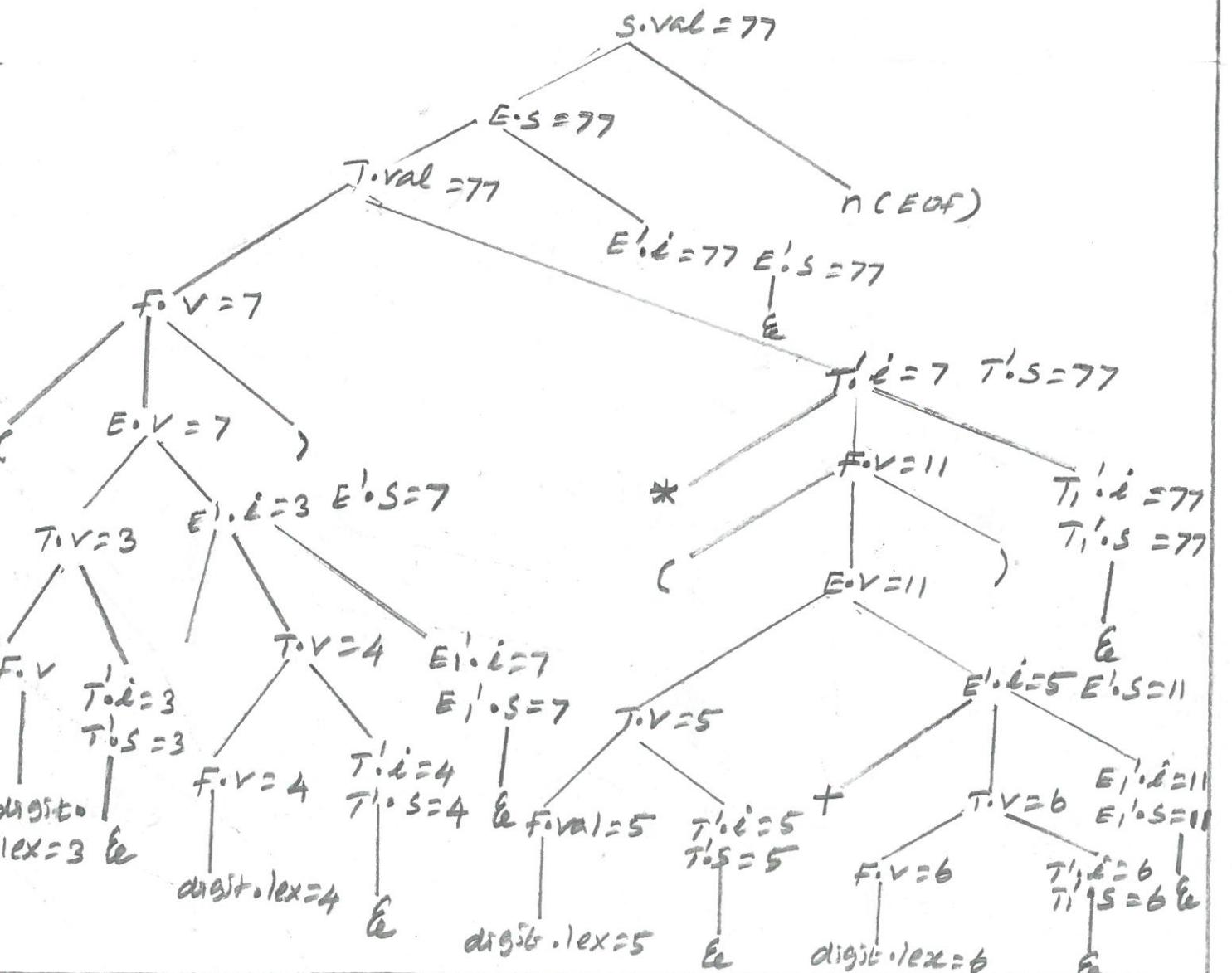
$$F \rightarrow (E)$$

$$F \rightarrow \text{digit}$$

$E_i'.inh = E'.inh + T.val$	Inherited Total
$E'.syn = E_i'.syn$	Synthesized
$E'.syn = E_i'.inh$	Synthesized
$E'.syn = E_i'.syn$	Inherited
$T'.inh = F.val$	Inherited
$T'.syn = T'.syn$	Synthesized
$T'.syn = T_i'.syn$	Synthesized
$F.val = E.val$	Synthesized
$F.val = digit.lexval$	Synthesized

- Final SDD

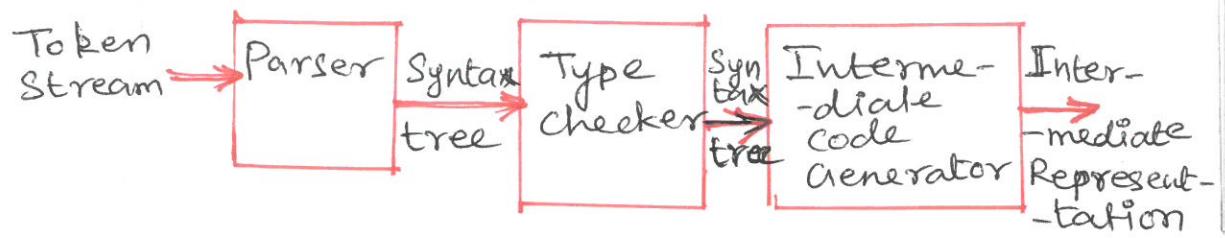
production	semantic rule	TYPE
$S \rightarrow E_n$	$S.val = E.val$	Synthesized
$E \rightarrow TE'$	$E'.inh = T.val$	Inherited
$E' \rightarrow E$	$E'.syn = E.i$	Synthesized



TYPE SYSTEM – SPECIFICATION OF SIMPLE TYPE CHECKER, EQUIVALENCE OF TYPE EXPRESSION & TYPE CONVERSION

TYPE CHECKING:

- Verifies the type of construct matches that expected by its context.



TWO TYPES OF CHECKING:

- Static checking
- Dynamic checking

STATIC CHECKING:

- Compiler checks source program during compile time
- Verifies syntactic and semantic conventions.

DYNAMIC CHECKING:

- Compiler checks target program during execution (runtime)

TYPE SYSTEM

Design of a type checker based on

- ① Syntactic constructs
- ② Notion of types
- ③ Rules for assigning types

TYPE EXPRESSIONS:

- Type of language construct is called as "type expression".

TYPES OF TYPE EXPRESSIONS

- | | |
|---|--|
| Basic Type
(Ex: Boolean, char, integer and real) | Type Constructor
(Ex: Arrays, Records, Pointer Functions) |
|---|--|

IMPLEMENTATION OF A SIMPLE TYPE CHECKER

- Implementation of type checker by Syntax Translation Scheme
- It synthesizes the type of each expression from types of its subexpressions

GRAMMAR (CFG) FOR PROGRAMS

$$\begin{aligned} P &\rightarrow D; E \\ D &\rightarrow D ; D \mid id : T \\ T &\rightarrow \text{char} \mid \text{integer} \mid \text{array}[n] \text{ of } T \mid \uparrow T \\ E &\rightarrow \text{literal} \mid \text{num} \mid id \mid E \text{ mod } E \mid E[E] \mid E\uparrow \end{aligned}$$

where P - program statement
D - sequence of declarations
E - Expressions

TRANSLATION SCHEME FOR TYPE OF AN IDENTIFIER

$$\begin{aligned} P &\rightarrow D; E \\ D &\rightarrow D ; D \\ D &\rightarrow id : T \quad \{ \text{addtype}(id.\text{entry}, T.\text{type}) \} \\ T &\rightarrow \text{char} \quad \{ T.\text{type} = \text{char} \} \\ T &\rightarrow \text{integer} \quad \{ T.\text{type} = \text{integer} \} \\ T &\rightarrow \uparrow T_1 \quad \{ T.\text{type} = \text{pointer}(T_1.\text{type}) \} \end{aligned}$$

TRANSLATION SCHEME FOR EXPRESSIONS

$$\begin{aligned} E &\rightarrow \text{literal} \quad \{ E.\text{type} = \text{char} \} \\ E &\rightarrow \text{num} \quad \{ E.\text{type} = \text{integer} \} \\ E &\rightarrow id \quad \{ E.\text{type} := \text{lookup}(id.\text{entry}) \} \\ E &\rightarrow E_1 \text{ mod } E_2 \quad \{ E.\text{type} = \text{if } E_1.\text{type} = \text{integer} \text{ and } E_2.\text{type} = \text{integer} \text{ then integer else type = error} \} \end{aligned}$$

$E \rightarrow E_1 [E_2]$ { $E.\text{type} = \text{if } E_2.\text{type} = \text{integer}$ and $E_1.\text{type} = \text{array}(S, T)$ then type = error }

$E \rightarrow E_1 \uparrow$ { $E.\text{type} = \text{if } E_1.\text{type} = \text{pointer}$ then type = error }

④ Function lookup used to fetch the type saved in symbol-table entry

TRANSLATION SCHEME FOR STATEMENTS (FLOW OF CONTROL)

$$\begin{aligned} S &\rightarrow id := E \quad \{ S.\text{type} := \text{if } id.\text{type} = \text{void} \text{ then void else type = error} \} \\ S &\rightarrow \text{if } E \text{ then } S_1 \quad \{ S.\text{type} := \text{if } E.\text{type} = \text{boolean} \text{ then } S_1.\text{type} \text{ else type = error} \} \\ S &\rightarrow \text{while } E \text{ do } S_1 \quad \{ S.\text{type} := \text{if } E.\text{type} = \text{boolean} \text{ then } S_1.\text{type} \text{ else type = error} \} \end{aligned}$$

EQUIVALENCE OF TYPE EXPRESSION

(1) STRUCTURAL EQUIVALENCE:
Two type expressions are same if they have made up of same basic types and constructs

(2) NAME EQUIVALENCE:
Two type expressions are same if their constituents have the same names

TYPE CONVERSION:

- A datatype is automatically converted into another datatype at compiletime
- It happens when destination datatype is smaller than source datatype

TYPE CASTING:

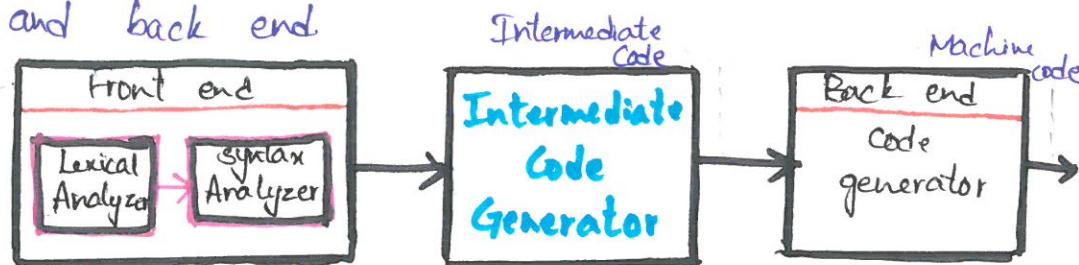
- A datatype converted into another datatype by programmer or user in program code
- Programmer manually convert one datatype into another

Destination datatype = (target datatype)
variable (datatype)

INTERMEDIATE CODE GENERATION

Intermediate Code Generation:

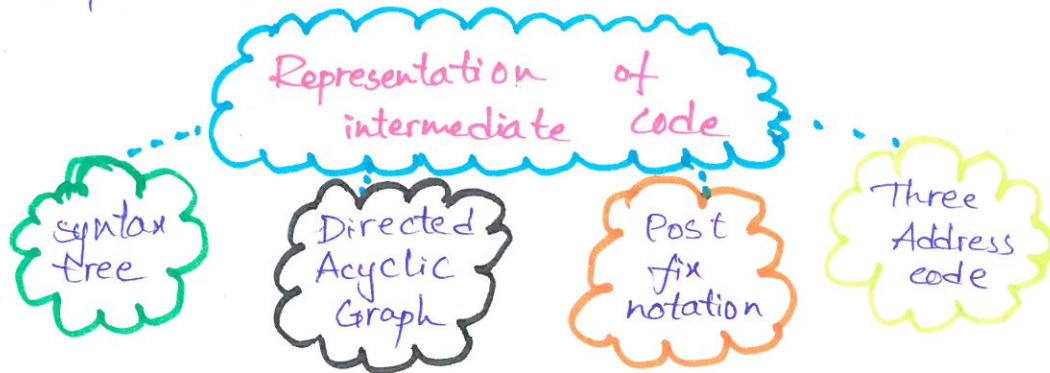
ICG translates the source program into intermediate code. It lies b/w front end and back end



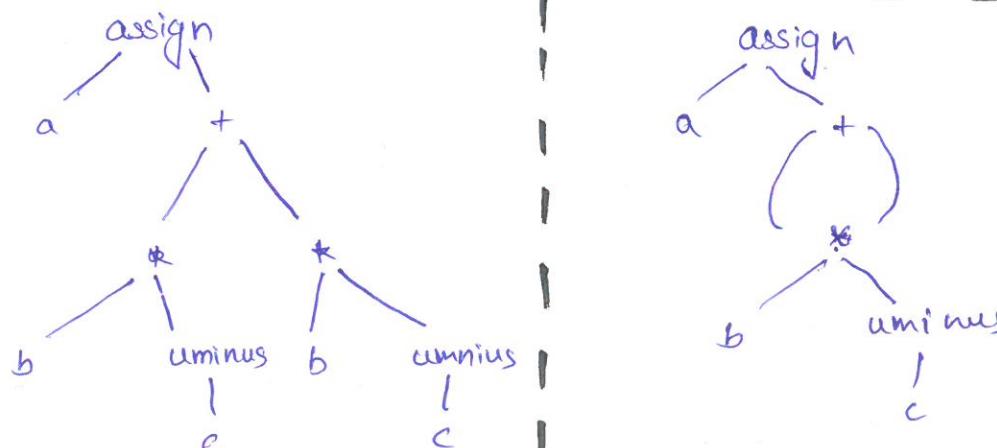
Position of Intermediate Code Gen:

Benefits:

- * Retargeting is facilitated
- * Machine - independent code optimizer can be applied to intermediate representation



$$\text{Ex: } a := b * c + b * -c$$



TOPIC: INTERMEDIATE LANGUAGES

Post Fix notation:

Nodes appear immediately after its children.

abc uminus + bc uminus & + assign.

Three address code:

These are statement of form $c = a \text{ op } b$, where a, b - operands
 c - Result, so three address.

Three address code for syntax tree

$$\begin{aligned} t_1 &:= -c \\ t_2 &:= b * t_1 \\ t_3 &:= -c \\ t_4 &:= b * t_3 \\ t_5 &:= t_2 + t_4 \\ a &:= t_5 \end{aligned}$$

Three address code for DAG

$$\begin{aligned} t_1 &:= -c \\ t_2 &:= b * t_1 \\ t_3 &:= t_2 + t_2 \\ a &:= t_3 \end{aligned}$$

Types of 3-Address Statement:

1. Arithmetic or logical:

$$x := y \text{ OP } z$$

2. Unary operation:

$$x := \text{OP } y$$

3. Copy statement:

$$x := y$$

4. Unconditional Jump:

$$\text{Go to } L$$

5. Conditional Jump:

$$\text{if } x \text{ relOp } y \text{ goto } L$$

6. Param x & call p,n.

$$\begin{array}{l} \text{Param } x, \\ \text{Param } x_2, \\ \text{Param } x_2 \\ \text{Call } P, n \end{array}$$

7. Indexed:

$$x := y[i]$$

8. Address & pointer:

$$\begin{array}{l} x := \& y \\ x := * y \end{array}$$

Ex:

Implementation of 3 Address code:



Quadruples

	OP	arg (1)	arg (2)	Result
(0)	uminus	c		t ₁
(1)	*	b		t ₂
(2)	uminus	c		t ₃
(3)	*	b		t ₄
(4)	+	t ₂	t ₄	t ₅
(5)	:=	t ₅		a

Triples

	OP	arg 1	arg 2
(0)	uminus	c	
(1)	*	b	(0)
(2)	uminus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	assign	a	(4)

Indirect Triples

	statement	OP	arg 1	arg 2
(0)	(14)	(14)	uminus	c
(1)	(15)	(15)	*	b
(2)	(16)	(16)	uminus	c
(3)	(17)	(17)	*	b
(4)	(18)	(18)	+	(15)
(5)	(19)	(19)	assign	(18)

INTERMEDIATE CODE GENERATION

Declaration :-

A variable or procedure need to be declared before it is used declaration involves allocation of space in memory and entry of type and name in symbol table.

Declaration in a procedure :-

offset :- It is a global variable, which keep track the next available relative address.

Translation scheme :-

- * Non terminal P generates sequence of declaration in the form $id:T$.
- * Initially offset is set to 0. As soon as name is entered in symbol table the offset is incremented by the width of data object.

Procedure Syntax :-

- $\text{enter}(\text{name}, \text{type}, \text{offset})$
- * Type is represented as **integer**, **real**, **pointer** and **arrays**.
- * width of each pointer is assumed to be **4**.

Computing the type and relative addresses of declared names

$$P \rightarrow D \quad \{\text{offset} := 0\}$$

$$D \rightarrow D; D$$

$$D \rightarrow id.T \quad \{\text{enter}(id.name, T.type, \text{offset}), \text{offset} := \text{offset} + T.width\}$$

$$\text{offset} := \text{offset} + T.width$$

$T \rightarrow \text{integer} \quad \{T.type := \text{integer}; T.width = 4\}$
 $T \rightarrow \text{real} \quad \{T.type := \text{real}; T.width = 8\}$
 $T \rightarrow \text{array [num]} \quad \{T.type := \text{array of } T, (\text{num}.val, T_1.type), T.width := \text{num}.val \times T_1.width\}$
 $T \rightarrow \& T_1 \quad \{T.type := \text{pointer}(T_1.type); T.width = 4\}$

$$D \rightarrow D$$

$$D \rightarrow D; D \mid \text{id}:T \mid \text{proc.id}; D; S$$

$$D \rightarrow \text{Proc id} D; S$$

Semantic Rules :-

1. **mktabel (previous)** - Creates a new symbol table and returning a pointer to the new table.
2. **enter (table, name, type, offset)** - Creates new entry for the name in symbol table.
3. **add width (table, width)** - records cumulative width & all entries in table in header.
4. **enterproc (table, name, newtable)** - Creates new entry for procedure name in the symbol table pointed to by table.

Syntax directed Translation Scheme for Nested Procedures :-

$$P \rightarrow MD \quad \{\text{add width}(\text{top}(\text{tbl.ptr}), \text{top}(\text{offset}); \text{pop}(\text{tbl.ptr}); \text{pop}(\text{offset})\}$$

$$M \rightarrow \sum \quad \{t := \text{mktabel}(); \text{push}(t, \text{tbl.ptr}); \text{push}(0, \text{offset})\}$$

$$D \rightarrow D_1; D_2$$

$$D \rightarrow \text{Proc id}; \quad \{t := \text{top}(\text{tbl.ptr}); \text{ND}_1 \text{ is addwidth}(t, \text{top}(\text{offset}))\}$$

TOPIC : DECLARATIONS

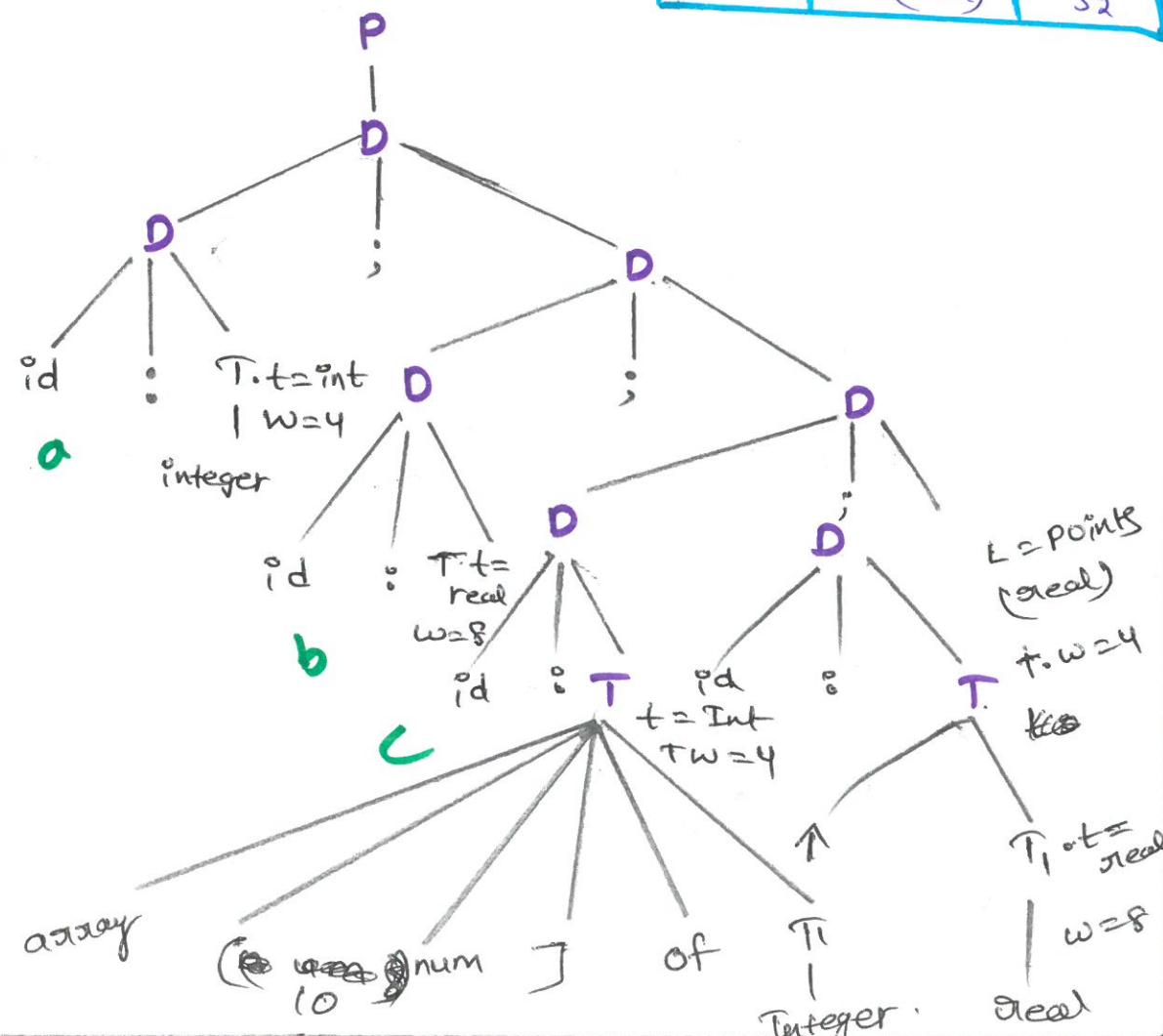
$\text{pop}(\text{tbl.ptr}); \text{pop}(\text{offset}); \text{enter proc}(\text{top}(\text{tbl.ptr}), \text{id.name}, b)$.
 $D \rightarrow id:T \quad \{\text{enter Ctop}(\text{tbl.ptr}), \text{id.name}; T.type, \text{top}(\text{offset})\}$
 $\text{top}(\text{offset}) := \text{top}(\text{offset}) + T.width\}$
 $N \rightarrow \sum \quad \{t := \text{mktabel}(\text{top}(\text{tbl.ptr})); \text{push}(t, \text{tbl.ptr}), \text{push}(0, \text{offset})\}$

Ex :-

```

    {
        a: integer
        b: real
        c: arrge [10] of integer
        d: 1. real
    }
    offset = 0
  
```

Name	Type	offset
a	integer	0
b	real	4
c	arrge [10] of integer	12
d	1. real	52



Assignment Statement & Boolean Expression

Intermediate code Generation

SDT for Assignment statement :

Two attribute :

E.place - Hold the value of E

E.code - Sequence of three address st

gen() - Function used to produce Sequence of 3 address st

$S \rightarrow id := E$ { $s.code := E.code // gen(id.place := E.place)$ }

$E \rightarrow E_1 + E_2$ { $E.place := newtmp. E.code = E_1.code // E_2.code // gen(E.place := E_1.place + E_2.place)$ }

$E \rightarrow E_1 * E_2$ { $E.place := newtmp. E.code = E_1.code // E_2.code // gen(E.place := E_1.place * E_2.place)$ }

$E \rightarrow - E_1$ { $E.place := newtmp. E.code := E_1.code // gen(E.place := - E_1.place)$ }

$E \rightarrow (E_1)$ { $E.place := E_1.place. E.code := E_1.code$ }

$E \rightarrow id$ { $E.place := id.place. E.code := ''$ }

SDT for Boolean Expression

- * Used to compute logical value
- * change flow of control

$E \rightarrow E \text{ or } E / E \text{ and } E / \text{not } E / (E)$

id relop id / true / false

Logical

$E \rightarrow E_1 \text{ or } E_2$

$E.place := newtemp emit(E.place := ' E_1.place 'or' E_2.place)$

$E \rightarrow E_1 \text{ and } E_2$

$E.place := newtemp emit(E.place := ' E_1.place 'and' E_2.place)$

$E \rightarrow \text{not } E_1$

$E.place := newtemp emit(E.place := ' not' E_1.place)$

$E \rightarrow (E_1)$

$E.place := E_1.place$

$E \rightarrow id_1, relop id_2$

$E.place := newtemp emit(if id_1.place relop id_2.place goto next stat + 3)$

$emit(E.place = 0)$
 $emit(goto next stat + 2)$
 $emit(E.place = 1)$

$E \rightarrow True$

$E.place := newtemp emit(E.place = '1')$

Topic : Assignment & Boolean

$E \rightarrow \text{false}$

$E.place := newtemp emit(E.place = '0')$

Flow of control statement

$S \rightarrow \text{if } E \text{ then } s_1 / \text{if } E \text{ then } s_1 \text{ else } s_2 / \text{while } E \text{ do } s_1$

SDT :

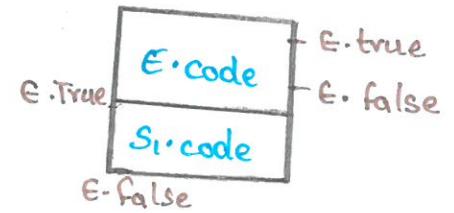
$S \rightarrow \text{if } E \text{ then } s_1$

$E.true = \text{new label}$

$E.false = s.next$

$s_1.next = s.next$

$s.code = E.code // gen(E.true ':') // s_1.code$



$S \rightarrow \text{if } E \text{ then } s_1 \text{ else } s_2$

$E.true = \text{new label}$

$E.false = \text{new label}$

$s_1.next = s.next$

$s_2.next = s.next$

$s.code = E.code = E.code // gen(E.true) // s_1.code // gen(go to s.next) // gen(E.false ':') // s_2.code$

$S \rightarrow \text{while } E \text{ do } s_1$

$s.begin = \text{new label}$

$E.true = \text{new label}$

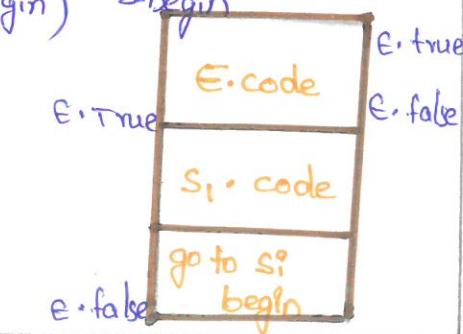
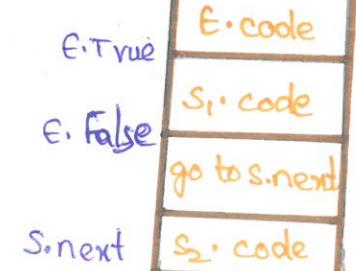
$E.false = s.next$

$s_1.begin = s.begin$

$s.code = gen(s.begin ':') // E.code // gen(E.true ':') //$

$s_1.code // gen(go to s.begin)$

$\text{if } s.begin$



CASE STATEMENT, BACK PATCHING, PROCEDURE CALLS

15

* CASE STATEMENT:-

→ Switch statement allows a variable to be tested for equality against a list of values. Each value is called case.

Syntax:-

Switch expression

```
begin.
  case value : statement.
  :
  case value : statement.
  default : statement.
end.
```

Ex:- SDT of case statement.

```
switch E.
begin.
  case v1 : S1
  case v2 : S2
  :
  case vn-1 : Sn-1
  Default : Sn.
```

Intermediate code of case statement code to evaluate E into E·go to test.

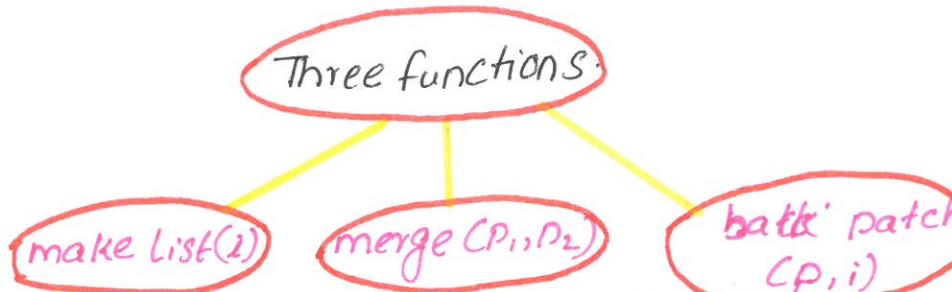
```
L1: code for S1
      goto next.
L2: code for S2
      goto next.
Ln: code for Sn.
      goto next
test: if t = v1 goto L1
      if t = v2 goto L2
      if t = vn-1 goto Ln-1
      goto Ln
```

next:

Back Patching:-

→ process of fulfilling unspecified information

→ boolean expression and flow of control statement in one pass.



→ Synthesized attributes true list and false list of non-terminal E are used to generate jumping code for boolean.

→ Attribute M-Quad record the number of the 1st statement.

{ m·Quad = next Quad }

next quad - holds index of next quadruple.

Translation Scheme:-

1) E → E₁ or M E₂

{ back patch E₁.False list, M·Quad};

E·true list := merge(E₁.true list, E₂.true list)

E·false list := E₂.false list}

2) E → not E₁

{ E·true list := E₁.false list;

E·false list := E₁.true list: }

3) E → id₁ relOp id₂

{ E·true list := make list (next Quad);

E·false list := make list (next Quad+1);

emit ('if' id₁ · place relOp id₂ · place
'go to -')

emit ('goto -').

4) E → E₁ and M E₂

{ back patch E₁.true list, M·Quad};

E·true list := E₂.true list;

E·false list := merge(E₁.false list,
E₂.false list)}.

5) E → (E₁) { E·true list := E₁.true list;
E·false list := E₁.false list; }

6) E → true { E·true list := make list
(next Quad);
emit ('goto -') }

7) E → false { E·false list := make list
(next Quad);
emit ('goto -') }.

8) M → E { M·Quad := next Quad }

PROCEDURE CALLS:-

→ When a procedure call occurs, space must be allocated for the activation record of the called procedure.

1) S → call id (E list)

{ for each item P on queue do
emit ('param' P);
emit ('call' id · place) }.

2) E list → E list F

{ append E·place to the end of Queue }

3) E list → E

{ initialize Queue to contain only E·place }

E list : code for S is the code for E list

param : E list followed by param P
statement.

call : followed by a call statement.

PRINCIPLE SOURCE OF OPTIMIZATION

Principle source of optimization:-

- Improve code
- Consume less resources
- deliver high speed

Types:-

Machine Independent:

- does not involve CPU registers
- absolute memory locations.

```
do
{
    item = 10;
    value = value + item;
} while (value < 100);
```

- repeated assignment item

```
item = 10;
do
{
    value = value + item;
} while (value < 100);
```

Machine dependent:

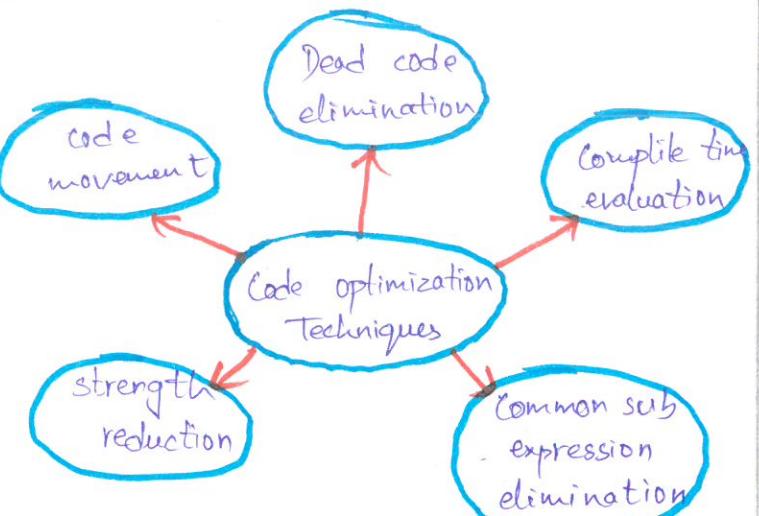
- After the target code generated
- Code transformed according to the target machine
- Involves CPU registers.

Code optimization:

- Eliminating unwanted code
- Rearranging statements.

Advantages:

- Faster execution
- Utilizes the memory efficiently



1. Compile Time Evaluation:

Constant Folding:

$$\text{length} = (22/\pi) * d$$



$$\text{length} = 3.14 * d$$

Constant propagation:

$$p = 3.14 \quad r = 5$$

$$\text{Area} = \pi * r * r$$

$$\text{Area} = 3.14 * 5 * 5$$

2. Common sub-expression elimination:

Code before optimization	Code after optimization
$S_1 = 4 * i$	$S_1 = 4 * i$
$S_2 = a[S_1]$	$S_2 = a[S_1]$
$S_3 = t + j$	$S_3 = 4 * j$
$S_4 = 4 * i$ redundant	$S_5 = n$
$S_5 = n$	$S_6 = b[S_4] + S_5$
$S_6 = b[S_4] + S_5$	

3. Code movement:

Code before optimization	Code after optimization
$\text{for } (i=0; i<100; i++)$ $\{$ $\quad x = y + z;$ $\quad a[i] = b * j;$ $\}$	$x = y + z;$ $\text{for } (i=0; i<100; i++)$ $\{$ $\quad a[i] = b * j;$ $\}$

4. Dead code Elimination:

Code before optimization	Code after optimization
$i = 0;$ $\text{if } (i == 1)$ $\{$ $\quad a = x + 5;$ $\}$	$i = 0;$

5. Strength reduction:

Code before optimization	Code after optimization
$B = A * B$	$B = A + A$

Loop optimization:-

- Decrease inner loop instructions
- running time improved.

1. Code motion:

```
for (i=0; i<n; i++)
{
    x = y + 3;
    a[i] = 6 * i;
}
y
```

\Rightarrow

```
for (i=0; i<n; i++)
{
    a[i] = 6 * i;
}
x = y + 3;
y
```

2. Induction Variable elimination:

```
i = 1;
while (i < 10)
{
    y = i * 4;
    i = i + 1;
}
t = 4
while (t < 40)
{
    y = t;
    t = t + 4;
}
y
```

3. Loop unrolling:

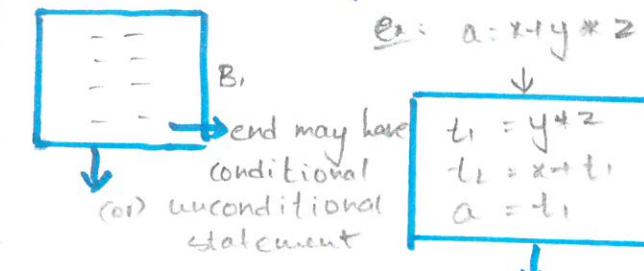
```
for (i=0; i<50; i++)
{
    display();
}
for (i=0; i<50; i++)
{
    display();
}
```

4. Loop jamming:

```
for (i=0; i<100; i++)
{
    a[i] = 1;
    b[i] = 2;
}
for (i=0; i<100; i++)
{
    a[i] = 5 * i;
}
b[i] = 2;
```

Basic blocks & flow graph:

- Sequence of three address statements
- do not have any jump statements.



Algorithm: partition into basic blocks

Input: sequence of 3-address statement

Output: A list of basic blocks

Method:-

1. Determine set of leaders

Rules:

- (i) First statement → leader
- (ii) Target of conditional (or) unconditional goto → leader.
- (iii) Statement that immediately follows goto (or) unconditional goto → leader.

Fragment of source code:

Three address code:

```
begin
    p := 0;
    i := 1;
    do begin
        p := p + a[i] * b[i];
        i := i + 1;
    end
    while i <= 20;
    if i <= 20 goto(3);
    t7 = i + 1;
    i = t7
    if i <= 20 goto(3);
    t8 = j + 1;
    j = t8
```

flow graph:

- how the program control passed among the blocks
- Directed graphs
- Nodes → Basic blocks
- Edges → flow of control

* PEEPHOLE OPTIMIZATION *

Peephole optimization :-

* A simple and effective technique for locally improving target code. Kind of optimization performed over a very small set of instruction in a segment of generated code. 'peephole' also called 'window'.

The characteristics of peephole optimization:-

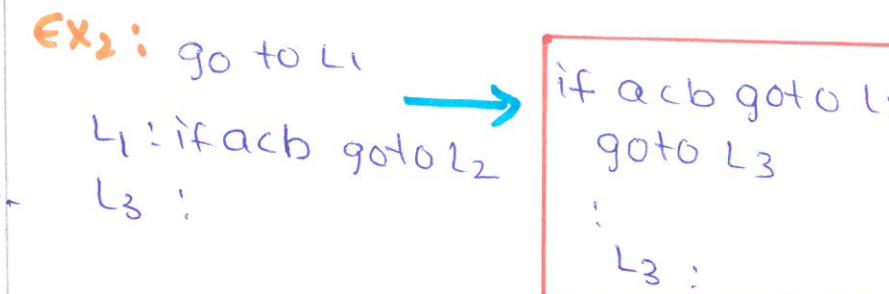
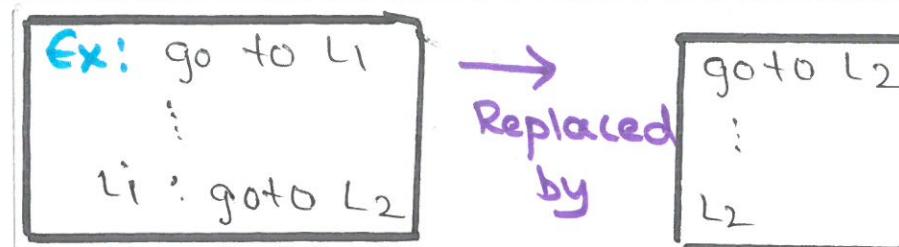
1. Redundant - instructions elimination
2. Flow of control optimizations
3. Algebraic simplifications
4. Use of machine idioms
5. Unreachable code
6. Reduction in strength.

Redundant instructions elimination

Eg: MOV R0, a (1)
MOV a, R0 (2)

Flow of control optimizations:-

- * Unnecessary jump can be eliminated in either intermediate code or target code.
- * Replace jump sequences.



- * Skip the unconditional jump and reduce execution time.

Algebraic specification:-

Peephole optimization suits well for algebraic specification.

Ex

$$\begin{aligned} x &:= x + 0 \\ (\text{or}) \\ x &:= x \cdot 1 \end{aligned}$$

- * Produce straight forward intermediate code generation

Use of machine idioms:-

Target machine have hardware instructions to implement certain specific operations efficiently.

Ex: Auto increment, Auto decrement

- * Greatly improves the quality of code by pushing and popping in a stack.

Ex

$$\begin{aligned} L &:= i + L \Rightarrow i++ \\ L &:= i - 1 \Rightarrow i-- \end{aligned}$$

Unreachable code :-

Peephole optimization remove unreachable instruction.

desire debug o'

:

if (debug) {

print Debugging Information
};

For if - statement:-

if debug = 1 goto L1
go to L2

L1: print debugging information
L2:

- * Peephole optimization is to eliminate jump over jump.

Reduction in strength:-

- * Replace expensive operations by equivalent cheaper ones of the target machine.

Ex

$$x^2 := x * x$$

Instead of power function to use multiplication

Application:-

- Optimization of computer architectures
- Software productivity tools

Optimization of Basic Blocks, Basic Block & flow Graph, Global Data flow Analysis.

Optimization of Basic Blocks

Structure Preserving transformation

1. Common subexpression Elimination.

$$\begin{aligned}x &= y+2 \\y &= x-w \\z &= y+2 \\w &= x-w\end{aligned}$$

$$\Rightarrow \begin{aligned}x &= y+2 \\y &= x-w \\z &= y+2 \\w &= y\end{aligned}$$

2. Dead Code Elimination.

$$\begin{array}{ll}B_1: \begin{cases} a = a+2 \\ b = b+c \end{cases} & \Rightarrow B_1: \begin{cases} b = b+c \end{cases} \\ & \downarrow \\ B_2: \begin{cases} b = b*c \\ c = b+2 \end{cases} & B_2: \begin{cases} b = b*c \\ c = b+2 \end{cases}\end{array}$$

a' - Dead code.

3. Remaining of temporary variable.

$$\begin{array}{ll}E_1 = x*y \\E_2 = z - t_1 \\t_1 = E_1 * w \\w = t_2 + E_1\end{array} \Rightarrow \begin{array}{ll}E_1 = x*y \\E_2 = 2 - t_1 \\E_3 = E_1 * w \\w = t_2 + E_3\end{array}$$

4. Interchange of

→ Two statements are not independent

→ Inter change.

$$\begin{array}{ll}E_1 = x*y \\E_2 = z - t_1 \\E_3 = E_1 * w \\w = t_2 + E_3\end{array} \Rightarrow \begin{array}{ll}E_1 = x*y \\E_3 = t_1 * w \\E_2 = z - t_1 \\w = t_2 + E_3\end{array}$$

Algebraic Transformations:-

$$x = x + 0$$

$$x = x * 1$$

→ value not changed.

→ remove the statement.

$$c = d^{**} 2 \Rightarrow \text{pow}(d, 2)$$

$$\downarrow$$

$$c = d * d$$

Introduction to Global Data flow Analysis:

→ To do code optimization and code generation.

Compiler - collect information about whole program

- Distribute it to each block in the flow graph.

Data flow equation:

$$\text{out}[s] = \text{gen}[s] \cup (\text{in}[s] - \text{kill}[s])$$

$\text{out}[s]$ = Information at end of s .

$\text{gen}[s]$ = Information generated by s

$\text{in}[s]$ = Information enters at the beginning of s .

$\text{kill}[s]$ = Information killed by s .

$$\begin{array}{l}d_1 : i = a - 1 \\d_2 : j = a \\d_3 : a = x\end{array}$$

B_1

$$\begin{array}{l}d_4 : i = i + 1 \\d_5 : j = j - 1\end{array}$$

B_2

$$\begin{array}{l}d_5 : j = j - 1 \\B_3\end{array}$$

Points and paths:-

- within B , there is a point $b/w 2$ adjacent statement.
 $B_1 \rightarrow 4$ points.

Path:-

- A path from p_i to p_n is a sequence of points p_1, p_2, \dots, p_n .

- Such that for each i between 1 and $n-1$ either.

(i) p_i - point immediately preceding a statement.

p_{i+1} - point immediately following that statement in same block

(ii) p_i = End of some block.

p_{i+1} - beginning of a successor block.

Ex:- Path from beginning of B_3 to beginning of B_2 .

Reaching Definition:

- A definition of variable x is a statement that assigns a value of x .

- A definition of d reaches a point P , if there is a path from d to P ,

- such that d is not 'killed' along the path.

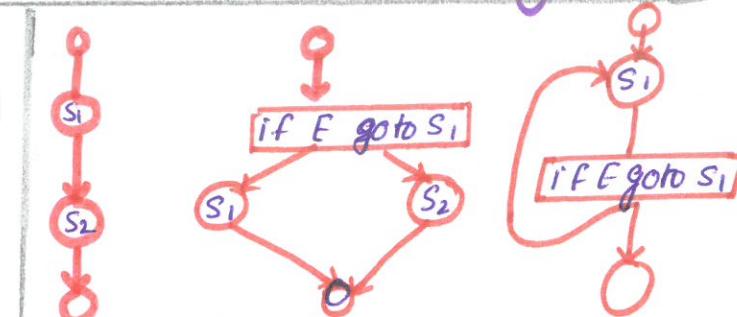
$$\begin{array}{l}a = 3 \\b = a + 2 \\a = x + y \\c = a + 2\end{array}$$

- a' - killed \Rightarrow if between d & points along path \Rightarrow definition of a'

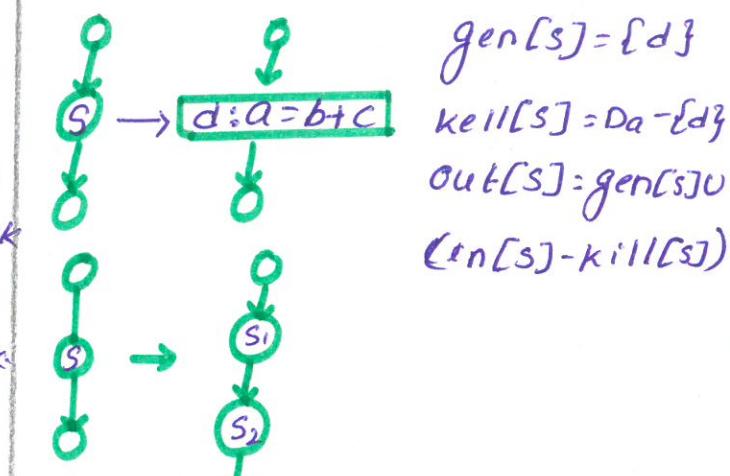
Data flow Analysis of structured program.

$S \rightarrow id := E / s ; S$ if E then S else / do S while E

$E \rightarrow id + id / 2d$.



Data flow Equations for reaching Definitions:-



$$\begin{aligned}gen[S] &= gen[S_2] \cup (gen[S_1] - kill[S_2]) \\kill[S] &= kill[S_2] \cup (kill[S_1] - gen[S_2]) \\in[S_1] &= in[S] \\in[S_2] &= out[S_1] \\out[S] &= out[S_2]\end{aligned}$$



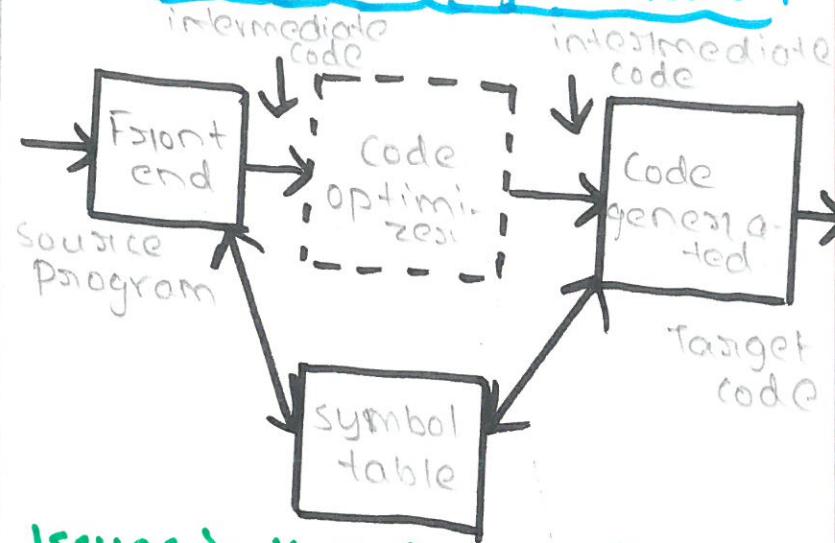
$$\begin{aligned}gen[S] &= gen[S_1] \cup gen[S_2] \\kill[S] &= kill[S_1] \cup kill[S_2] \\in[S_1] &= in[S] \cup gen[S_1] \\in[S_2] &= in[S] \cup gen[S_2] \\out[S] &= out[S_1] \cup out[S_2]\end{aligned}$$

Code Generation - Issues in the design of code generator, Target Machine

CODE GENERATION :-

Final phase - Code generator.

Position of code generator



Issues in the design of a code generator :-

1. Input to code generator
Intermediate representation - choices.

- postfix notation
- syntax tree (or) DAG
- Three address code

- Quadruples
- Triples
- Indirect triples

Free from all errors

2. Target program :-

1. Absolute machine language
- Fixed memory location
- CPU access faster

2. Relocatable machine language
- subprograms & subroutines
Compiled repeatedly.

Machine architecture
RISC CISC

- Relocatable object modules
↳ linked together
- loaded → linking loader.

(iii) Assembly language :-

- Generate code easily

3. Memory Management :-

Symbol table ← Memory management.

4. Instruction selection :-

- quality of generated code
- speed and size

a : b +
d : a ←

MOV b, R0
ADD c, R0
MOV R0, a
MOV d, R0
ADD e, R0
MOV R0, d
↓
MOV b, R0
ADD c, R0
ADD e, R0
MOV R0, d

Instruction speed machine claims type of code Architectural quality

a := a + 1

MOV a, R0
ADD #1, R0
MOV R0, a
⇒ INC a

5. Register allocation :-

- efficient utilization of registers.

1) Register allocation

R0 R1
4a 4b

2) Register Assignment

4 R0 4 R0

process of starting a value

Ex :- t = x+y

t = t*z
t = t/w

MOV X, R0
ADD Y, R0
MUL Z, R0
DIV W, R0
MOV R0, t

6. Evaluation order :-

- efficiency of the target code based on sequence of execution.

The Target machine :-

Two-address instruction of the form.

OP SOURCE , destination

MOV (Move content of source to destination)

ADD (add content of source to destination)

SUB (subtract content of source from destination)

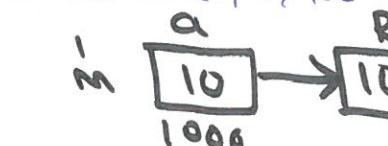
Addressing Modes

Mode	FO- RM	Addressed contents	Add dest
1. Absolute	M	M	1
2. Register	R	R	0
3. Indexed	(R)	C + content (R)	1
4. Indirect register	*R	Contents (R)	0
5. Indirect indexed	*C(R)	Contents (R) (C + content (R))	1
6. Immediate (or) literal	#C	MA	1

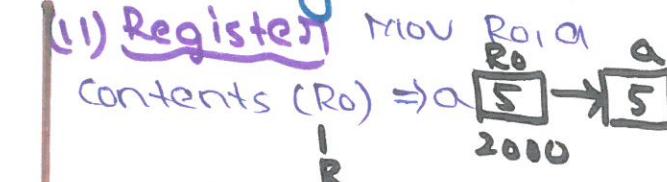
(i) Absolute :-

MOV a, R0

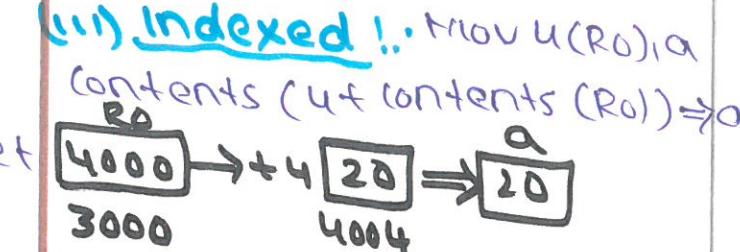
Contents (a) ⇒ R0



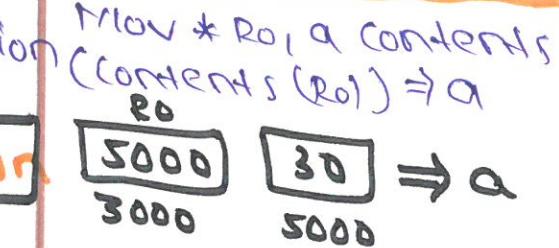
(ii) Register :-



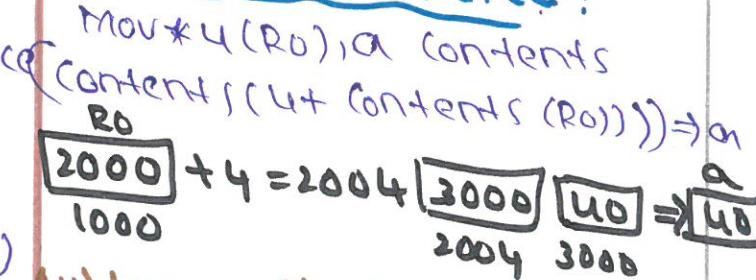
(iii) Indexed :-



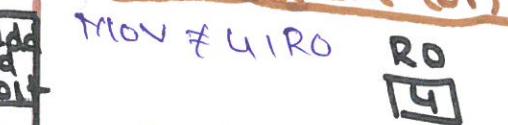
(iv) Indirect Register :-



(v) Indirect Indexed :-



(vi) Immediate (or) literal :-



cost of instruction =

1 + cost (source-mode) + cost (destination mode)

Ex! MOV R0, R1

cost = 1 + 0 + 0 = 1

MOV R0, M

cost = 1 + 0 + 1 = 2

ADD #1, R0

cost = 1 + 1 + 0 = 2

SUB #2(R0), *8(R1)

cost = 1 + 1 + 1 = 3.

RUNTIME STORAGE MANAGEMENT

RUNTIME STORAGE MANAGEMENT

ACTIVATION RECORD :-

Information needed in execution of a procedure is kept in block of storage.

Storage Allocation Schemes:-

1. **Static Allocation** - allocate storage in compile time.

2. **Stack allocation** - allocate stack storage at runtime.

3. **Heap allocation** - allocates & deallocates storage at runtime in Heap storage

① Static Allocation:-

The position of an activation record is fixed in memory at compile time

Three address statements:-

Call Return Halt Action.

Runtime Memory is divided into area

Code static is data stack

1. Implementation of call statement :-

MOV # here +20, callee static area Goto callee code-area.

Callee.static - add of AR

Callee.code - first instruction for called procedure

1 here +20 - Return address

2. Implementation of Return st:-

GOTO * callee.static-area.

* Transfer the control to the add at beginning of the activation record.

3. Implementation of action st:-

ACTION - used to implement action st.

4. Implementation of Halt st:-

HALT - Final instruction - return the control to the operating system.

Ex:
 /* Code for c */
 action 1
 call P
 action 2
 halt

 /* Code for P */
 action 3
 return

0	return address
8	arr
16	i
24	j

Ex:

100 : ACTION 1 /* code for c */

120 : mov # 140, 364

132 : GOTO 200

140 : ACTION 2

160 : HALT

;

200 : ACTION 3 /* code for P */

220 : GOTO * 364 / 140

;

300 : /* Activation record for c */

304 :

;

364:140 /* Activation record for P */

368 :

STACK Allocation:-

- Register store position of AR
- Offsets from the value in Reg.

1. Initialization of stack:

MOV # stackstart, SP
HALT

2. Implementation of call statement:

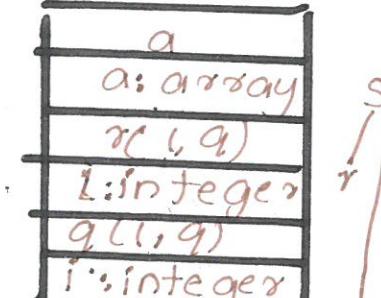
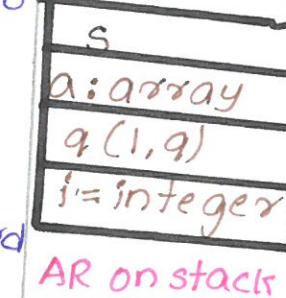
ADD # caller.records.size, SP
MOV # here +16, * SP
GOTO callee.code-area.

3. Implementation as Return st:

GOTO * 0 (SP)
SUB # caller.record.size, SP

③ Heap allocation:-

- Parcels out pieces of storage
- Deallocated when not needed
- Record is retained when the procedure ends
- Linked List to maintain free blocks.



Activation Record

- 1. Fields of activation record
- 1. Temporary values

2. Local variables

3. Saved machine registers

4. Control link (Dynamic link)

5. Access link (static link)

6. Actual Parameters

7. Return values..

Return value

Actual parameters

Control link (Dynamic link)

Access Link (static link)

Saved machine status

Local variables

Temporaries

A Simple Code Generator

Simple Code Generation

Final Activity of Compiler

Creates Assembly Language.

Properties:

- * Correctness.
- * High Quality.
- * Efficient use of resources.
- * Quick Code generation.

Function & use:

uses descriptors to keep track of register content & addresses for Name.

Registers (R) Address (s) Descriptor

Information about values & Data. Information about memory or locations

Status Operand Descriptors

Register Descriptor

Attributes Addressing mode Storage location

Address Descriptor.

Algorithm for Code Generation

Gen_code (operator, operand 1, operand 2)

```

if (operand1.address mode = 'R')
{
    if (operator = '+')
        Generate ('ADD operand2, R0');
    else if (operator = '-')
        Generate ('SUB operand2, R0');
    else if (operator = '*')
        Generate ('MUL operand2, R0');
    else if (operator = '/')
        Generate ('DIV operand2, R0');

    if (operand2.address mode = 'R')
    {
        if (operator = '+')
            Generate ('ADD operand1, R0');
        else if (operator = '-')
            Generate ('SUB operand1, R0');
        else if (operator = '*')
            Generate ('MUL operand1, R0');
        else if (operator = '/')
            Generate ('DIV operand1, R0');

        else
        {
            Generate ('Mov operand2, R0');
            if (operator = '+')
                Generate ('ADD operand2, R0');
            else if (operator = '-')
                Generate ('SUB operand2, R0');
            else if (operator = '*')
                Generate ('MUL operand2, R0');
            else if (operator = '/')
                Generate ('DIV operand2, R0');
        }
    }
}

```

D : (a-b)*(a-c)+(a-c)
Set: Three address code.

$$\begin{array}{l} t_1 = a - b \\ t_2 = a - c \\ t_3 = t_1 * t_2 \\ t_4 = t_3 + t_2 \end{array}$$

Three address code	Target code sequence	Register Descriptions	Operand Descriptions
$t_1 = a - b$	MOV a, R0 SUB b, R0	R0 - a R0 - t1	E1, R, R0
$t_2 = a - c$	MOV a, R1 SUB c, R1	R1 - a R1 - t2	t2, R, R1
$t_3 = t_1 * t_2$	MUL R1, R0	R0 - t3	E3, R, R0
$t_4 = t_3 + t_2$	ADD R1, R0	R0 - t4	t4, R, R0
$D = t_4$	STORE t4, D	D - t4	t4, R, R0

Next Use Information

Eliminate Dead Code and register allocation
→ Indicate a variable in the current position will be reused.

Variable live liveness

& Next use for LHS.
3. Repeat the liveness & use for RHS.

Statement:

i : $x = y \text{ op } z$

Symbol table.

Name	liveliness - ss	Next-use
x	Not Live	No Next-use
y	Live	i
z	Live	i

Method:

1. Attach to statement information regarding the next use & liveness of variables.

2. In Symbol table, Set

Directed Acyclic Graphs [DAGs] :-

- DAG - Directed Acyclic Graph is a special kind of Abstract syntax Tree.
- Each node contains unique value.
- Not contain any cycles - called Acyclic.

Algorithm :-

Method:-

Step 1:- if y is undefined then create node (y)

If z is undefined, create node (z) for case (i)

Step 2:- For case (ii) - create a node (op) whose left child is node (y) and right child is node (z)

case (iii) - Determine whether there is node (op) with one child node (y). If not create such node.

case (iii)- node n will be node (y)

Step 3 :-

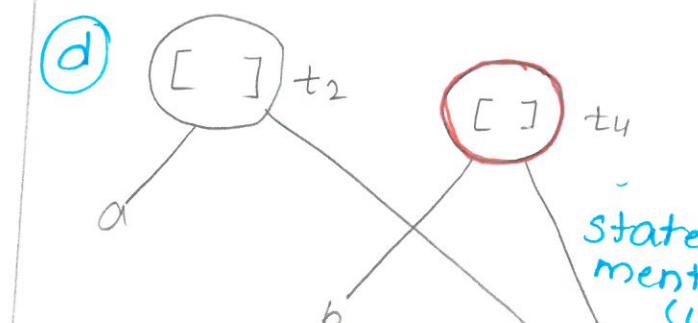
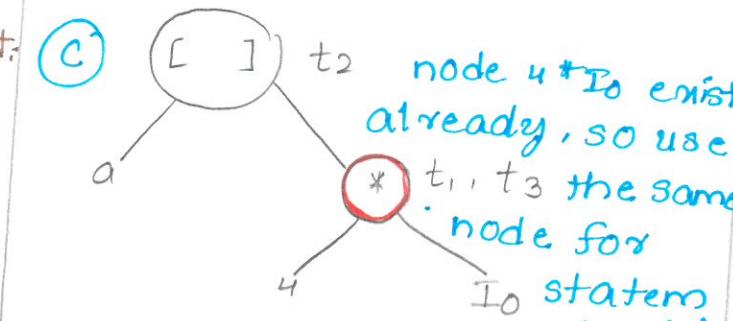
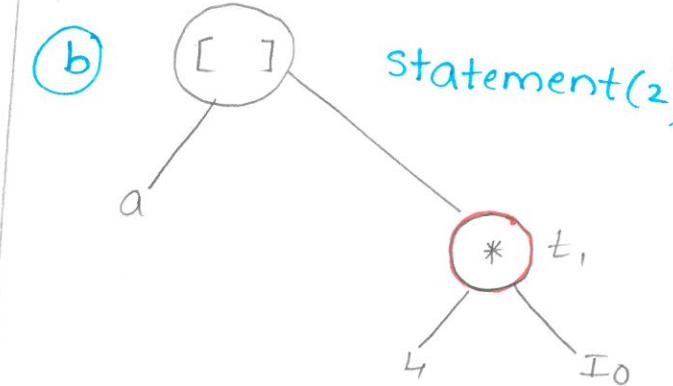
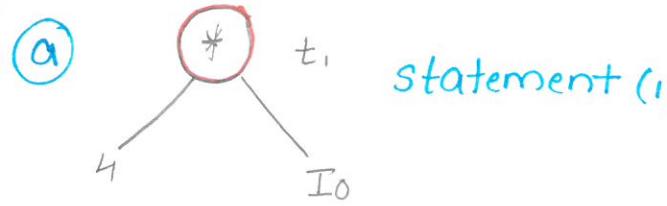
Delete x from the list of identifiers for node (x)

Append x to the list of attached identifiers for the node n found in step 2 and set node (x) to n

Ex: Consider the block of three address statement:

1. $t_1 := 4 * i$
2. $t_2 := a[t_1]$
3. $t_3 := 4 * i$
4. $t_4 := b[t_3]$
5. $t_5 := t_2 + t_4$
6. $t_6 := \text{prod} + t_5$
7. $\text{prod} := t_6$
8. $t_7 := i + 1$
9. $i := t_7$
10. if $i \leq 20$ goto c1

Stages in DAG Construction :-

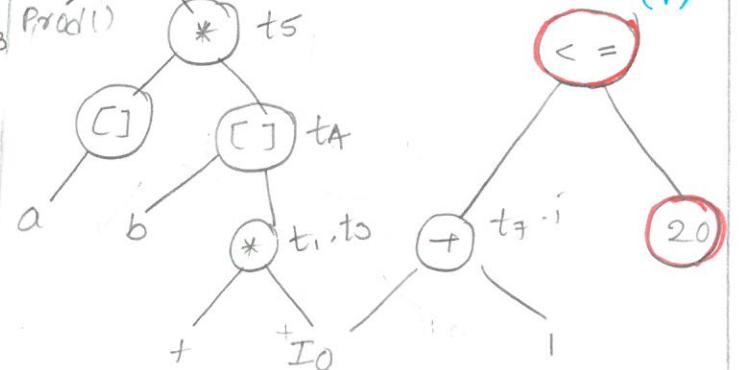
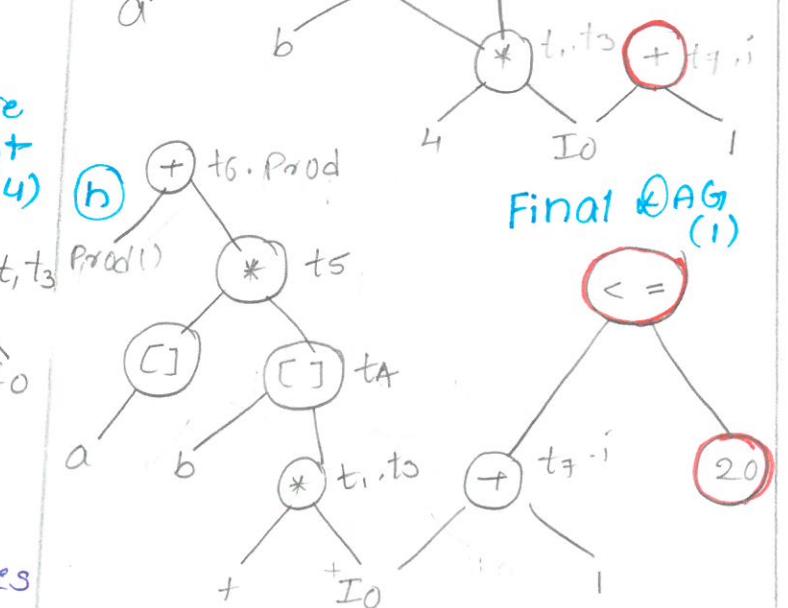
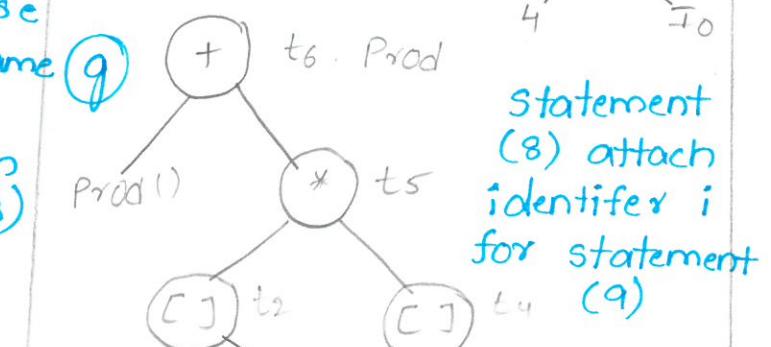
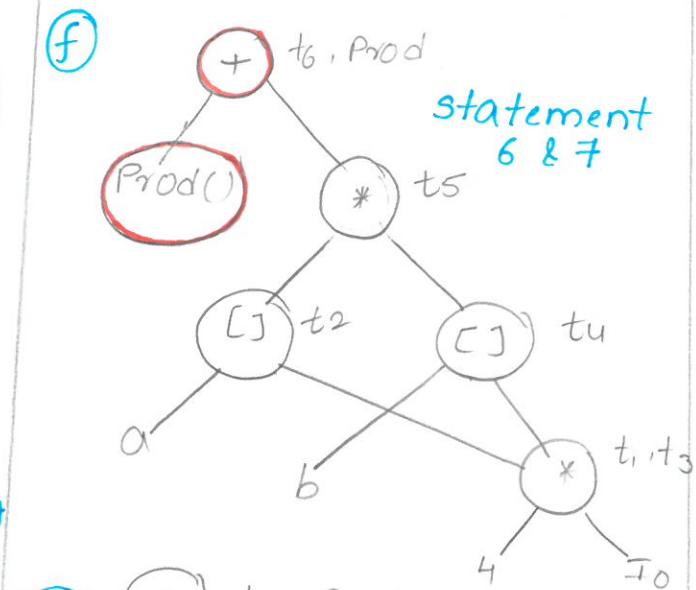
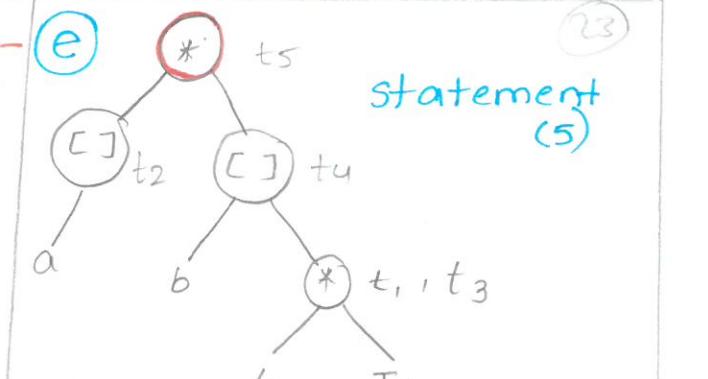


Application:-

1) Detect common sub express.

2) Determine which identifier have their values

3) Determine compute values used outside the block



Illustrate the output of each phase of compilation of the input "a = (b+c)*(b+c)*2" and explain in detail the process of compilation.

Lexical Analyzer

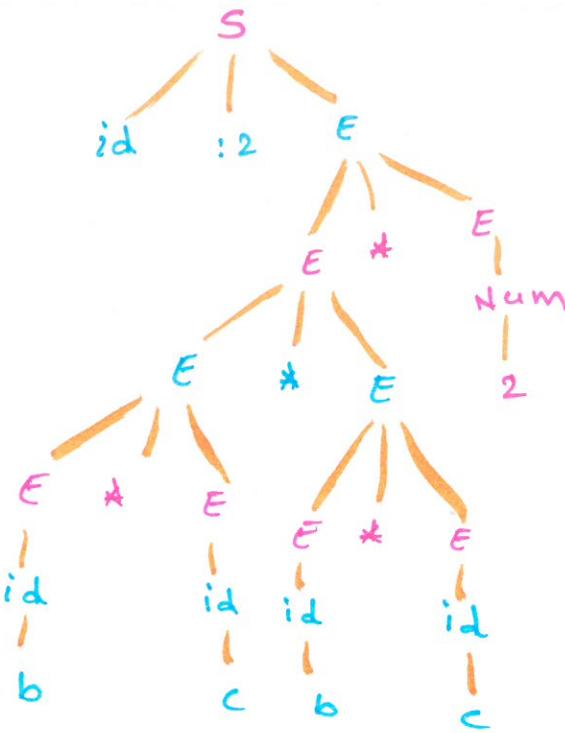
- Tokens and their types.

Symbol	Category	Attribute
a	identifier	#1
=	operator	Assignment(1)
b	identifier	#2
+	operator	Arithmatic(1)
c	identifier	#3
*	operator	Arithmatic(2)
(operator	Open Paranthsis(1)
)	operator	Closed Paranthsis(1)
2	constant	#4

Syntax Analyzer

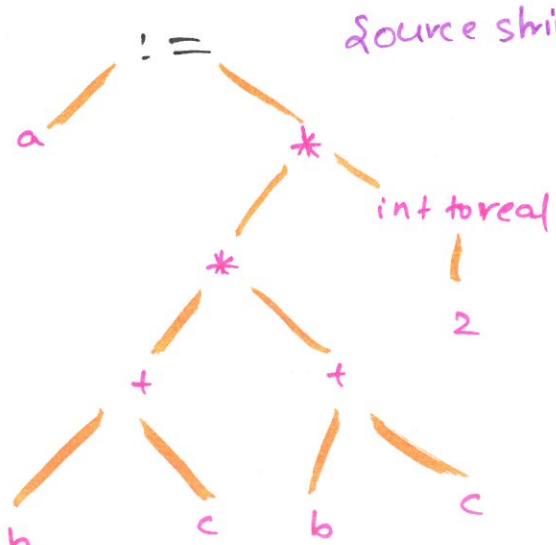
- Parse tree / syntax tree

$\{ S \rightarrow id := E$
 $E \rightarrow E + E / E * E / id / num$
 ↳ content free grammar.



Semantic Analysis

- To determine meaning of a source string.



Intermediate code generation

- Three Address code.

$T_1 = \text{int to real}(2)$

$T_2 = b + c$

$T_3 = b * c$

$T_4 = T_2 * T_3$

$T_5 = T_4 * T_1$

$a = T_5$

Code Optimization

- Improve intermediate code

- Run faster, occupy less space.

$T_1 = \text{int to real}(2)$

$T_2 = b + c$

$T_3 = T_2 * T_2$

$T_4 = T_3 * T_1$

$a = T_4$

Code Generation

→ Allocate storage & generate a relocatable m/l code.

Mov b, R2

ADD R2, C

MUL R2, R2

MUL R2, #2.0

Mov R2, a.

Content of the symbol Table

Addr	Sym	Attribute	member
1	A	id, real	1000
2	B	id, real	1100
3	C	id, real	1110

Content of literal Table

Address	literal	Attribute	member
4	2	const, int	1200

Find the number of tokens in the following statement.

int n;
char * p = "SSE";

int - keyword

n - identifier

i - special symbol

char - keyword

*

operator

p - identifier

= - operator

"sse" - constant

j - special symbol.

Identify lexical errors

int i n;

Not token

int c = "Helloj;

lexical error.

int d = hello";

" - missing, will not generate token

lexical error.

write the regular expression for the language containing the string in which every 0 is immediately followed by 11.

$$R = (0|11+1)^*$$

Construct Stack Implementation of Shift Reduce Parsing for the grammar

$$S \rightarrow CC$$

$$C \rightarrow CC$$

$$C \rightarrow d$$

and the Input string ccd

Stack	Input-string	Action
\$	cd cd \$	shift
\$ C	cd C \$	shift
\$ C d	C d \$	reduce by $C \rightarrow d$
\$ C C	C C \$	reduce by $C \rightarrow C$
\$ E	C d \$	shift
\$ C C	d \$	shift
\$ C C d	\$	reduce by $C \rightarrow d$
\$ C C C	\$	reduce by $C \rightarrow C$
\$ C C C	\$	reduce by $S \rightarrow CC$
\$ S	\$	The i/p string is successfully Passed.

2. Construct Operator Precedence

Parsing table for the grammar.

$P \rightarrow SR/S$	P - Paragraph
$R \rightarrow bSR/bS$	S - sentence
$S \rightarrow wbs/w$	R - Recursive no. of sentence.
$w \rightarrow L^*w/L$	b - blank
$L \rightarrow Td$	w - word
	L - letter
	id - Identifier.

3. Construct Operator Precedence for the grammar.

$$E \rightarrow E + T/T$$

$$T \rightarrow T * F/F$$

$$F \rightarrow (\epsilon)/id$$

and Parse the i/p string id.

- Entire grammar defining the paragraph.

SR - Two adjacent nonterminals.

- Not a operator grammar.

- Sub - $R \rightarrow bSR/bS$

$P \rightarrow SbSR/SbS/S$.

↳ Again Adjacent nonterminal

- Recursion no. if sentence - P.

Now,

$P \rightarrow SbP/SbS/S$

$S \rightarrow wbS/w$

$w \rightarrow L^*w/L$

$L \rightarrow 2d$.

K - Right associative.

b - Right associative.

	id	*	+	\$
id	-	⇒	⇒	⇒
*	↳	↳	→	⇒
+	↳	↳	↳	⇒

	\$	↳	↳	↳	-
↳	↳	↳	↳	↳	-

3. Construct Operator Precedence for the grammar.

$$E \rightarrow E + T/T$$

$$T \rightarrow T * F/F$$

$$F \rightarrow (\epsilon)/id$$

and Parse the i/p string id.

Computation of Leading

$$1. A \rightarrow YGB$$

↳ single numerical (or) & load

$$(A) = \{a\}$$

$$2. A \rightarrow B$$

↳ non terminal

$$\text{lead}(A) = \text{lead}(B)$$

$$\text{leading}(F) = \{c, id\}$$

$$\text{leading}(T) = \{\$, \text{leading}(F)\}$$

$$= \{\$, c, id\}$$

$$\text{leading}(E) = \{+, \text{leading}(T)\}$$

$$= \{+, *, c, id\}$$

Computation of Trailing

$$1. A \rightarrow B \xrightarrow{X} Y$$

↳ single non terminal (or) & terminal

$$\text{Trailing}(A) = \{X\}$$

$$2. A \rightarrow \alpha B$$

↳ Nonterminal.

$$\text{Trailing}(A) = \text{Trailing}(B)$$

$$\text{Trailing}(F) = \{>, id\}$$

$$\text{Trailing}(T) = \{\$, \text{Trailing}(F)\}$$

$$= \{\$, +, id\}$$

Relations for the Production

$$1. E \rightarrow (E)$$

s - it sets

$$= LN.T$$

$$i=t, t=e$$

2. Terminal Followed by nonterminal

eg: a A a <. lead(A)

3. Non terminal followed by terminal

eg: A a Trailing(A) > a

$\epsilon + - \text{Trailing}(E) > + \Rightarrow \{+, *, id\} > +$

$+ T - + \text{leading}(T) \Rightarrow + \Leftarrow \{+, c, id\}$

$T * - \text{Trailing}(T) > * \Rightarrow \{\$, +, id\} > *$

$* F - * \text{c. leading}(F) \Rightarrow * \Leftarrow \{c, id\}$

$E E - C \Leftarrow \text{leading}(E) \Rightarrow (C \Leftarrow \{+, \$, c, id\})$

$E - (\Leftarrow)$

$E \$ - \text{Trailing}(E) \Rightarrow \$ \Rightarrow \{\$, +, id\} > \$$

$\$ E - \$ C \text{ leading}(E) \Rightarrow \$ \Leftarrow \{+, *, id\}$

id	+	*	()	\$
id	>				
+	<	>	<	<	
*	<	>			
(
)					
\$					

id	+	*	()	\$
id	>	>	>	>	>
+	<	>	<	<	>
*	<	>	<	<	>
(<	<	=
)			>	>	>
\$	<	<	<	<	<

In flow graph - $\Leftarrow \rightarrow$ (fcg) - single node.

Stack	i/p string	Action
\$	id \$	\$ < id so shift.
\$ < id	> \$	id > \$ so scan backward and pop the symbol until < .
\$	\$	successful completion the i/p string is valid.

Construct recursive descent parser for the following grammar.

$$\begin{aligned} E &\rightarrow TE' \\ E' &\rightarrow +TE'/E \\ T &\rightarrow FT' \\ T' &\rightarrow *FT'/E \\ F &\rightarrow (E) / \text{id} \end{aligned}$$

Solve

```

E()
{
    T();
    EPRIME();
}
E PRIME()
{
    if input == '+'
    {
        Input++;
        T();
        EPRIME();
    }
    else
    {
        T();
        F();
        TPRIME();
    }
    if input == '*')
    {
        Input++;
        F();
        TPRIME();
    }
    else
    {
        if input == '(')
        {
            Input++;
            if input == ')')
            {
                Input--;
                T();
                EPRIME();
            }
            else
            {
                F();
                if input == '(')
                {
                    Input++;
                    if input == ')')
                    {
                        Input--;
                    }
                }
            }
        }
    }
}

```

Input ++;
 $E() ;$
if (input == '='))
Input ++;
3
else (input == '=' 'id')
Input ++;

Construct the predictive parser for the following grammar.

$$\begin{aligned} S &\rightarrow (L) / a \\ L &\rightarrow L, S / S \end{aligned}$$

Elimination of left recursion.

$$\begin{aligned} S &\rightarrow (L) \\ S &\rightarrow a \\ L &\rightarrow SL \end{aligned}$$

$$L \rightarrow , SL / E$$

Computation of FIRST

$$\text{FIRST}(S) = \{c, a\}$$

$$\text{FIRST}(L) = \{c, a\}$$

$$\text{FIRST}(L') = \{\}, E\}$$

Computation of FOLLOW

$$\text{Follow}(S) = \{B, \epsilon\}$$

$$\text{Follow}(L) = \{\epsilon\}$$

$$\text{Follow}(L') = \{\epsilon\}$$

	a	()	>	\$
S	$S \rightarrow a$	$S \rightarrow (L)$			
L		$L \rightarrow SL$	$L \rightarrow SL$		
L'			$L \rightarrow \epsilon$	$L \rightarrow SL$	

state	input	action	action				GO TO
			=	*	id	\$	
0	$(a, a) \$$	$S \rightarrow (L)$					S L R
1	$\underline{(a, a)} \$$	POP 'c'					1 2 3
2	$a, a) \$$	$L \rightarrow SL$					
3	$a, a) \$$	$S \rightarrow a$					
4	$a, a) \$$	POP 'a'					
5	$, a) \$$	$L \rightarrow , SL$					
6	$\underline{, a) \$}$	POP,					
7	$a) \$$	$S \rightarrow a$					
8	$a) \$$	POP 'a'					
9	$\epsilon) \$$	$L \rightarrow \epsilon$					
10	$\epsilon) \$$	$S \rightarrow \epsilon$					
11	$\$$	POP)					
12	$\$$	accept.					

Check whether the following grammar is SLR(1) or not.

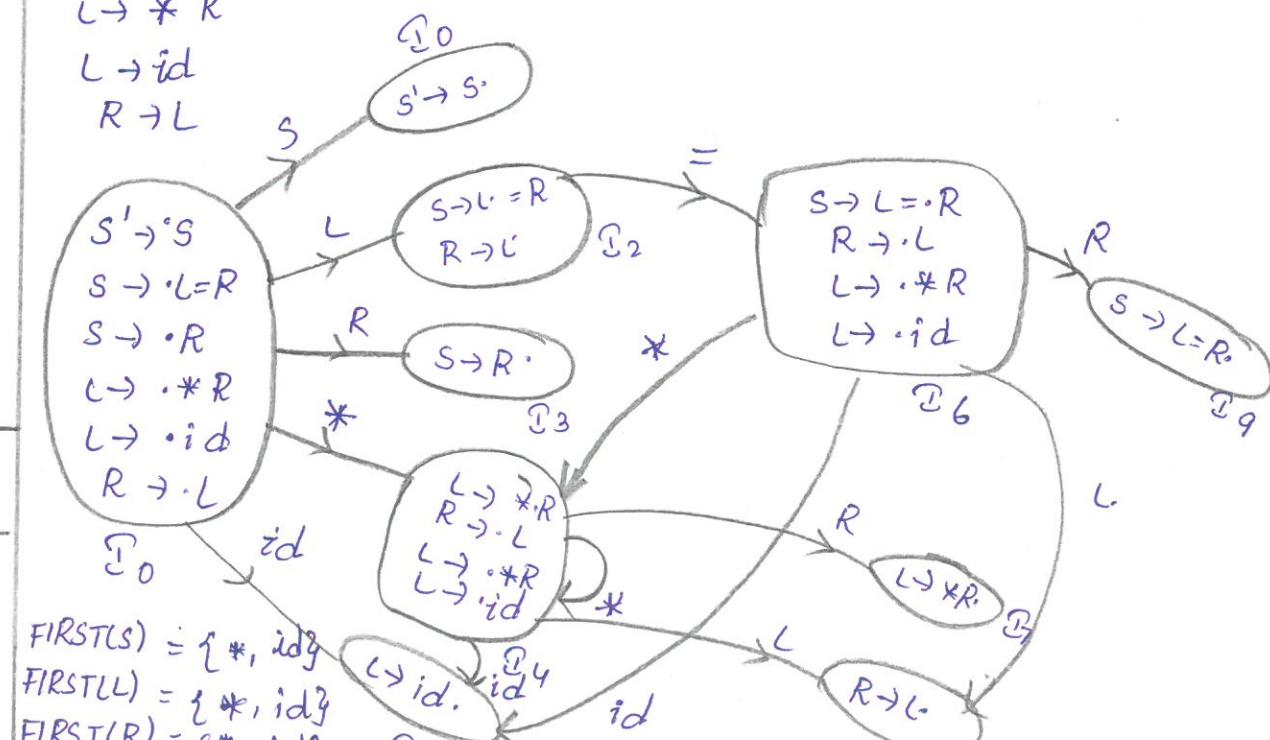
$$S \rightarrow L = R$$

$$S \rightarrow R$$

$$L \rightarrow * R$$

$$L \rightarrow id$$

$$R \rightarrow L$$



$$\text{FIRST}(S) = \{\ast, id\}$$

$$\text{FIRST}(L) = \{\ast, id\}$$

$$\text{FIRST}(R) = \{\ast, id\}$$

$$\text{Follow}(S) = \{\$, \ast\}$$

$$\text{Follow}(L) = \{\$, \ast\}$$

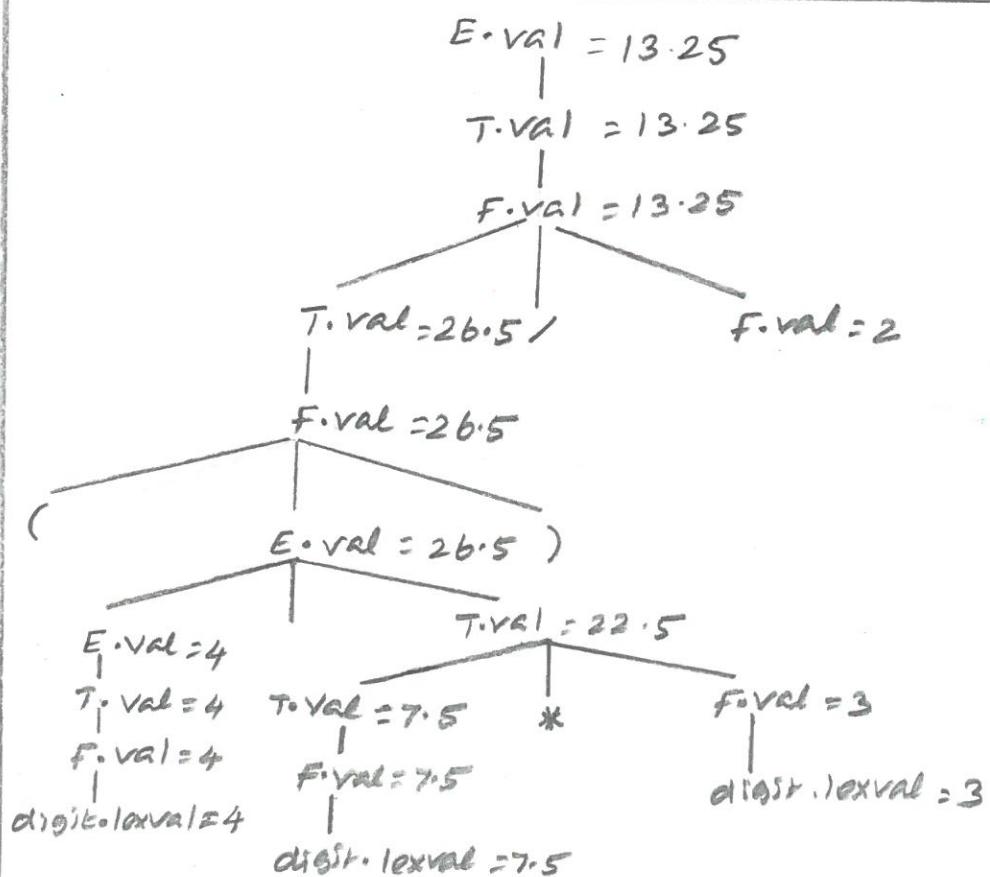
$$\text{Follow}(R) = \{\$, \ast\}$$

$$\text{Action}(2, =) = S_6 / \$$$

Shift reduce conflict
∴ the grammar is not SLR(1).

Construct a decorated parse tree according to the syntax directed definition for the following input statement: $(4 + 7.5 * 3)/2$

Production rule	Semantic actions
$S \rightarrow E$	$\text{print}(E.\text{val})$
$S \rightarrow E + T$	$E.\text{val} = E_1.\text{val} + T.\text{val}$
$E \rightarrow T$	$E.\text{val} = T.\text{val}$
$T \rightarrow T * F$	$T.\text{val} = T_1.\text{val} * F.\text{val}$
$T \rightarrow T / F$	$T.\text{val} = T_1.\text{val} / F.\text{val}$
$T \rightarrow F$	$T.\text{val} = F.\text{val}$
$F \rightarrow (E)$	$F.\text{val} = E.\text{val}$
$F \rightarrow \text{digit}$	$F.\text{val} = \text{digit}.\text{lexval}$



Design the dependency graph for the following grammar.

$$S \rightarrow T \text{ LIST}$$

$$T \rightarrow \text{int}$$

$$T \rightarrow \text{float}$$

$$T \rightarrow \text{Char}$$

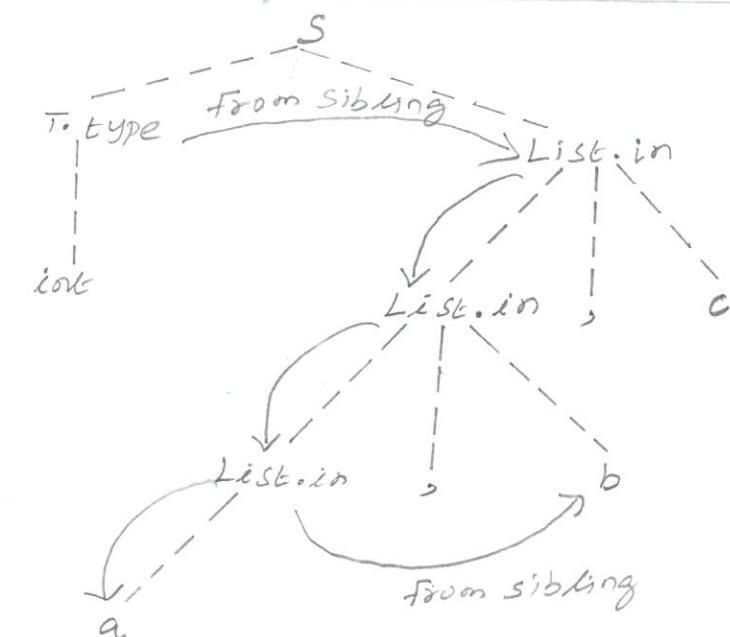
$$T \rightarrow \text{double}$$

$$\text{LIST} \rightarrow \text{LIST}_1, \text{id}$$

$$\text{LIST} \rightarrow \text{id}$$

Soln

Production rule	Semantic actions
$S \rightarrow T \text{ LIST}$	$\text{LIST}_{\text{in}} = T.\text{type}$
$T \rightarrow \text{int}$	$T.\text{type} = \text{integer}$
$T \rightarrow \text{float}$	$T.\text{type} = \text{float}$
$T \rightarrow \text{Char}$	$T.\text{type} = \text{char}$
$T \rightarrow \text{double}$	$T.\text{type} = \text{double}$
$\text{LIST} \rightarrow \text{LIST}_1, \text{id}$	$\text{LIST}_1.\text{in} = \text{LIST}.\text{in}$ $\text{Enter_type}(\text{id}.\text{entry}, \text{LIST}.\text{in})$
$\text{LIST} \rightarrow \text{id}$	$\text{Enter_type}(\text{id}.\text{entry}, \text{LIST}.\text{in})$

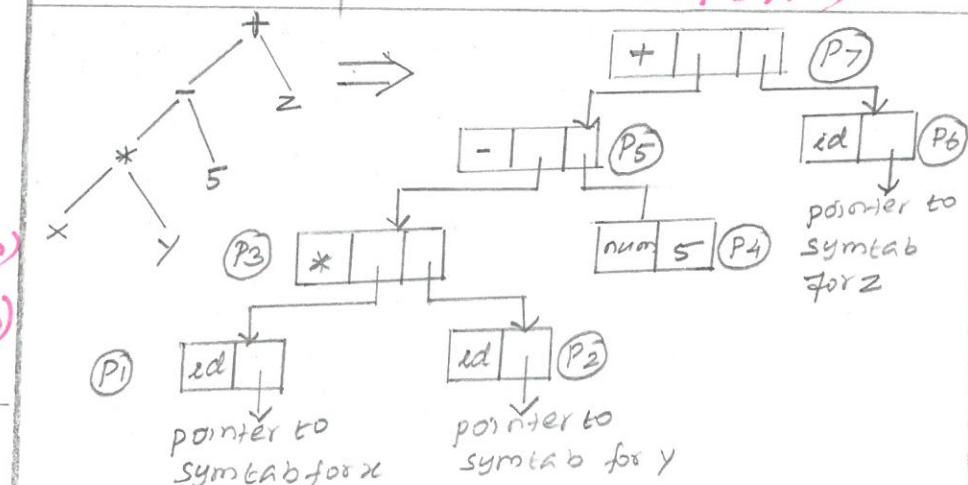


Construct the syntax tree for the expression $x * y - 5 + z$

Soln

1. Convert the expression from infix to postfix $xy * 5 - z +$
2. Make use of the functions `Mknode()`, `mkleaf(id, ptr)` and `mkleaf(num, val)`.
3. Sequence of function call
postfix expression $xy * 5 - z +$

Symbol	Operation
x	$P_1 = \text{mkleaf}(\text{id}, \text{ptr to entry } x)$
y	$P_2 = \text{mkleaf}(\text{id}, \text{ptr to entry } y)$
*	$P_3 = \text{mknode}(*, P_1, P_2)$
5	$P_4 = \text{mkleaf}(\text{num}, 5)$
-	$P_5 = \text{mknode}(-, P_3, P_4)$
z	$P_6 = \text{mkleaf}(\text{id}, \text{ptr to entry } z)$
+	$P_7 = \text{mknode}(+, P_5, P_6)$



Syntax directed definition for the above Grammar

Production	Semantic rule
$E \rightarrow E_1 + T$	$E.\text{node} = \text{mknode}(+, E_1.\text{node}, T.\text{node})$
$E \rightarrow E_1 - T$	$E.\text{node} = \text{mknode}(-, E_1.\text{node}, T.\text{node})$
$E \rightarrow T$	$E.\text{node} = T.\text{node}$
$T \rightarrow T_1 * F$	$T.\text{node} = \text{mknode}(*, T_1.\text{node}, F.\text{node})$
$T \rightarrow F$	$T.\text{node} = F.\text{node}$
$F \rightarrow \text{id}$	$F.\text{node} = \text{mkleaf}(\text{id}, \text{id}.\text{entry})$
$F \rightarrow \text{num}$	$F.\text{node} = \text{mkleaf}(\text{num}, \text{num}.\text{val})$

Implementation of IC

① Translate the following expression to quadruple, triple and indirect triple:
 $a + b * c / e \neq f + b * a$

$$T_1 = e \uparrow f$$

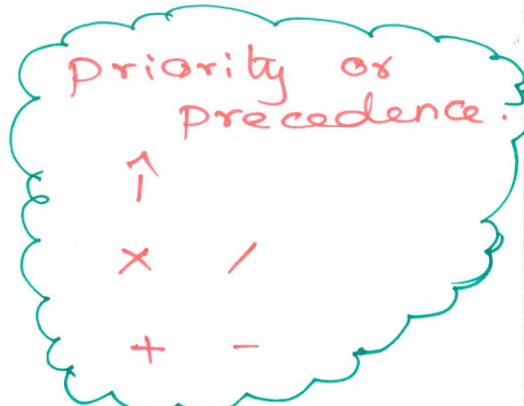
$$T_2 = b * c$$

$$T_3 = T_2 / T_1$$

$$T_4 = b * a$$

$$T_5 = a + T_3$$

$$T_6 = T_5 + T_4$$



Location	OP	Arg 1	Arg 2	Result
(0)	\uparrow	e	f	T1
(1)	x	b	c	T2
(2)	/	T2	T1	T3
(3)	x	b	a	T4
(4)	+	a		T5
(5)	+	T5	T4	T6

Quadruple

Statement	Location	OP	Arg 1	Arg 2
(0)	(d0)			
(1)	(d1)			
(2)	(d2)			
(3)	(d3)			
(4)	(d4)			
(5)	(d5)			

Indirect triple

Location	OP	Arg 1	Arg 2
(0)	\uparrow	e	f
(1)	x	b	c
(2)	/	(d0)	(d0)
(3)	x	b	a
(4)	+	a	(d2)
(5)	+	(d4)	(d3)

Triple

② write three address code for the following code.

for (i = 1 ; i <= 10 ; i++)

{ a[i] = x * 5 ;

}

Sol: i = 1

L : $t_1 = x * 5$

$t_2 = \&a$

$t_3 = \text{sizeof}(\text{int})$

$t_4 = t_3 * i$

$t_5 = t_2 + t_4$

$*t_5 = t_1$

$i = i + 1$

is $i \leq 10$ goto L

③ write three address code for the following expression:

If $A \neq B$ and $C < D$ then $t = 1$
 else $t = 0$.

(1) IF ($A \neq B$) goto (3)

(2) goto (4)

(3) IF ($C < D$) goto (6)

(4) $t = 0$

(5) goto (7)

(6) $t = 1$

(7)

BACK PATCHING

④ Generate the three address code and Syntax tree for the following expression:
 $a \neq b$ or $c < d$ and $e \neq f$

Three address code:

l00 : if $a \neq b$ goto -

l01 : goto l02.

l02 : if $c < d$ goto l04

l03 : goto -

l04 : if $e \neq f$ goto -

l05 : goto -

E.Tlist = {l00, l04}

E.Flist = {l03, l05}

E.Tlist = {l00} or M.State

E.Flist = {l01}

a < b

E.Tlist = {l04}

E.Flist = {l03, l05}

E

E.Tlist = {l02} and M.State

E.Flist = {l03}

c < d

E.Tlist = {l04}

E.Flist = {l05}

E

e < f

① Construct the DAG for the following block.

$$\begin{aligned} a &:= b \times c \\ d &:= b \\ e &:= d \times c \\ b' &:= e \\ f &:= b + c \\ g &:= f + d. \end{aligned}$$

Step 1:



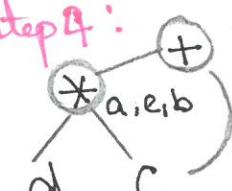
Step 2:



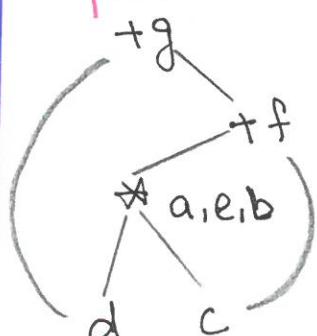
Step 3:



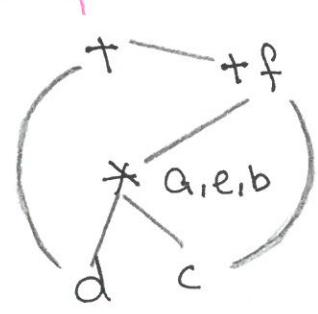
Step 4:



Step 5:

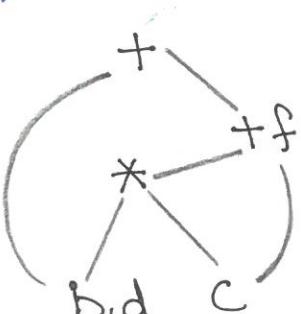


Step 6:



Optimized Code:

$$\begin{aligned} a &:= b \times c \\ d &:= b \\ f &:= a + c \\ g &:= f + d \end{aligned}$$



② CODE GENERATION:

$$d := (a-b) + (a-c) + (a-c)$$

$$t := a - b$$

$$u := a - c$$

$$v := t + u$$

$$d := v + u$$

Statement	Code Generation	Register descriptor Register Empty	Address descriptor
$t := a - b$	MOVA, R0 $\text{SUB } b, \text{R0}$	R0 Contains t	t in R0
$u := a - c$	MOVA, R1 $\text{SUB } c, \text{R1}$	R0 Contains t R1 Contains u	t in R0 u in R1
$v := t + u$	$\text{ADD } \text{R1}, \text{R0}$	R0 Contains v R1 Contains u	u in R1 v in R1
$d := v + u$	$\text{ADD } \text{R1}, \text{R0}$ $\text{MOV } \text{R0}, d$	R0 Contains d	d in R0 d in R0 and R1

flow GRAPH:-

B1
 $w = 0;$
 $x = x + y;$
 $y = 0;$
if ($x > 2$)

B2
 $y = x;$
 $x + i;$

B3
 $y = z;$
 $z + i;$

B4
 $w = x + z;$

BASIC BLOCKS

1) $i = 1$
2) $j = 1$
3) $t_1 = 10 * i$
4) $t_2 = t_1 + j$
5) $t_3 = 8 * t_2$
6) $t_4 = t_3 - 88$
7) $a[t_4] = 0.0$
8) $j = j + 1$
9) if $j \leq 10$ goto (3)

10) $i = i + 1$
11) if $i \leq 10$ goto (2)

12) $i = 1$

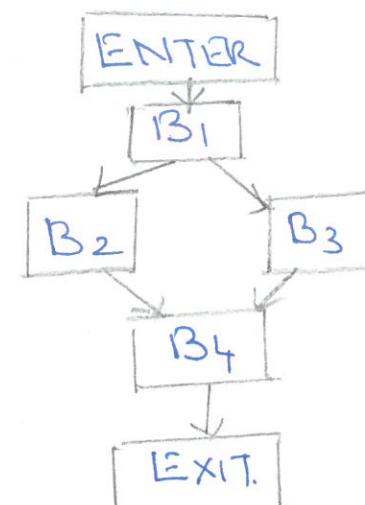
13) $t_5 = i = 1$

14) $t_6 = 88 * t_5$

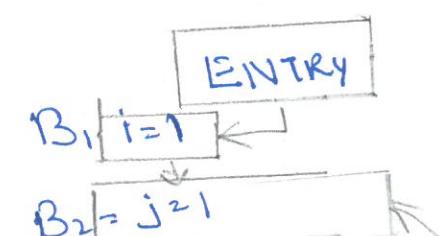
15) $a[t_6] = 1.0$

16) $i = i + 1$

17) if $i \leq 10$ goto (1)



FlowGRAPH.



B1: $i = 1$
B2: $j = 1$
B3: $t_1 = 10 * i$
 $t_2 = t_1 + j$
 $t_3 = 8 * t_2$
 $t_4 = t_3 - 88$
 $a[t_4] = 0.0$
 $j = j + 1$
if $j \leq 10$ goto B3

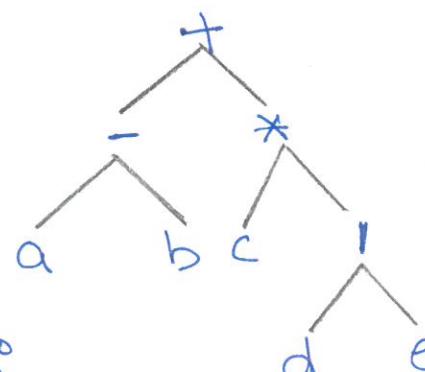
B4: $i = i + 1$
if $i \leq 10$ goto B2

B5: $i = 1$

B6: $t_5 = i = 1$
 $t_6 = 88 * t_5$
 $a[t_6] = 1.0$
 $i = i + 1$
if $i \leq 10$ goto B6

EXIT

③ Construct a DAG for the given Expression.
 $(a-b) + c * (d+e)$ with code.



Code:

$\text{MOV } C, \text{R0}$
 $\text{MOV } D, \text{R1}$
 $\text{DIV } \text{R1}, E \rightarrow R1 := (D/E)$
 $\text{MUL } \text{R1}, \text{R0} \rightarrow R0 := C * (D/E)$
 $\text{MOV } R1, A \rightarrow R1 := A$
 $\text{SUB } B, \text{R1} \rightarrow R1 := R1 - B \text{ (ie) } a - b$
 $\text{ADD } R1, \text{R0} \rightarrow R0 := R1 + R0.$

Translate the following assignment statement that three address code

$$x = (a+b) * (c-d) + ((e+f) * (a+b))$$

apply code generation algorithm, generate a code sequence for three address statement.

Three address code	Target code sequence	Register descriptor	Operand descriptors			
$t_1 := a+b$	MOV a, R ₀ ADD b, R ₀	Empty R ₀ contains t ₁	<table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>t₁</td><td>R</td><td>R₀</td></tr></table>	t ₁	R	R ₀
t ₁	R	R ₀				
$t_2 := c-d$	MOV c, R ₁ SUB d, R ₁	R ₁ contains c R ₁ contains d t ₂	<table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>t₂</td><td>R</td><td>R₁</td></tr></table>	t ₂	R	R ₁
t ₂	R	R ₁				
$t_3 := e+f$	MOV e, R ₂ DIV f, R ₂	R ₂ contains e R ₂ contains f t ₃	<table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>t₃</td><td>R</td><td>R₂</td></tr></table>	t ₃	R	R ₂
t ₃	R	R ₂				
$t_4 := t_1 * t_2$	MUL R ₀ , R ₁	R ₀ contains t ₁ R ₀ contains t ₂ R ₀ contains t ₄	<table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>t₄</td><td>R</td><td>R₁</td></tr></table>	t ₄	R	R ₁
t ₄	R	R ₁				
$t_5 := t_3 * t_1$	MUL R ₂ , R ₀	R ₂ contains t ₃ R ₀ contains t ₁ R ₀ contains t ₅	<table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>t₅</td><td>R</td><td>R₀</td></tr></table>	t ₅	R	R ₀
t ₅	R	R ₀				
$t_6 := t_4 + t_5$	ADD R ₁ , R ₀	R ₁ contains t ₄ R ₀ contains t ₅ R ₀ contains t ₆	<table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>t₆</td><td>R</td><td>R₀</td></tr></table>	t ₆	R	R ₀
t ₆	R	R ₀				

* Generate code for the following statements for target machine

1. $x = x+1$
2. $x = a+b+c$
3. $x = a_1 | b - c) - d^*(e+f)$

Solution :- 1. The three address code will be

$$t_1 := x+1$$

$$x := t_1$$

The code will be

MOV x, R₀

ADD #1, R₀

MOV R₀, x

2) The three address code will be

$$t_1 := b+c$$

$$t_2 := a+b$$

$$x := t_2$$

The code will be -

MOV a, R₀

ADD b, R₀

ADD c, R₀

MOV R₀, x

3. The three address code will be

$$t_1 := b-c$$

$$t_2 := a+b$$

$$t_3 := t_2 - d$$

$$t_4 := e+f$$

$$t_5 := t_3 * t_4$$

$$x := t_5$$

The code will be -

MOV b, R₀

SUB c, R₀

MOV a, R₁

DIV R₀, R₁

SUB d, R₁

MOV f, R₂

ADD e, R₂

MUL R₁, R₂

MOV R₂, x

* For the following expression obtain optimal code using

i, only two registers

ii, only one register
 $(a+b) - (c - (d+e))$

Solution: First of all we will write a three address code for given expression

$$t_1 := a+b$$

$$t_2 := d+e$$

$$t_3 := c - t_2$$

$$t_4 := t_1 - t_3$$

The generated code using simple code generation algorithm will be.

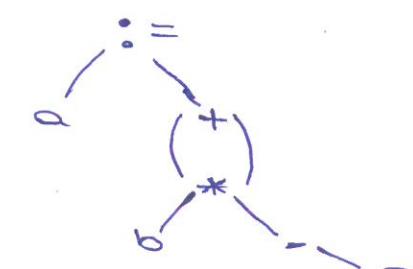
i, MOV d, R₀
ADD e, R₀
MOV c, R₁
SUB R₀, R₁
MOV a, R₀
ADD b, R₀
SUB R₁, R₀.

ii, MOV d, R₀
ADD e, R₀
MOV R₀, t₁
MOV c, R₀
SUB t₁, R₀
MOV R₀, t₂
MOV a, R₀
ADD b, R₀
SUB t₂, R₀

* How would you represent the following equation using the DAG?

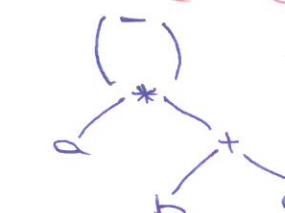
$$a := b * -c + b * -c$$

Solution:



* Draw the DAG for the statement $a = (a * b + c) - (a * b + c)$

Solution:-



1 01 0 1

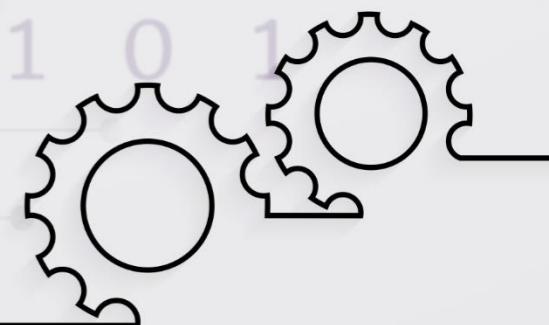


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Saveetha Nagar, Thandalam, Chennai - 602 105, TamilNadu, India