#### Dr.A.P.J.Abdul kalam, IIIT-ongole; RGUKT-AP

puc-1, semester-1, subject-IT



Unit-4

#### Searching and sorting

# **Python - Sorting Algorithms**

Sorting refers to arranging data in a particular format. Sorting algorithm specifies the way to arrange data in a particular order. Most common orders are in numerical or lexicographical order.

The importance of sorting lies in the fact that data searching can be optimized to a very high level, if data is stored in a sorted manner. Sorting is also used to represent data in more readable formats. Below we see five such implementations of sorting in python.

- Bubble Sort
- Merge Sort
- Insertion Sort
- Shell Sort
- Selection Sort

#### **Bubble Sort**

It is a comparison-based algorithm in which each pair of adjacent elements is compared and the elements are swapped if they are not in order.

```
def bubblesort(list):

# Swap the elements to arrange in order
    for iter_num in range(len(list)-1,0,-1):
        for idx in range(iter_num):
            if list[idx]>list[idx+1]:
                temp = list[idx]
                 list[idx] = list[idx+1]
                 list[idx+1] = temp

list = [19,2,31,45,6,11,121,27]
bubblesort(list)
print(list)
```

# WHITTOIR OF SWORM PARK

#### Dr.A.P.J.Abdul kalam, IIIT-ongole; RGUKT-AP

puc-1, semester-1, subject-IT



#### Unit-4

#### Searching and sorting

When the above code is executed, it produces the following result -

```
[2, 6, 11, 19, 27, 31, 45, 121]
```

### **Merge Sort**

Merge sort first divides the array into equal halves and then combines them in a sorted manner.

```
def merge_sort(unsorted_list):
    if len(unsorted_list) <= 1:</pre>
        return unsorted list
# Find the middle point and devide it
    middle = len(unsorted_list) // 2
    left_list = unsorted_list[:middle]
    right_list = unsorted_list[middle:]
    left_list = merge_sort(left_list)
    right_list = merge_sort(right_list)
    return list(merge(left_list, right_list))
# Merge the sorted halves
def merge(left_half,right_half):
    res = []
    while len(left_half) != 0 and len(right_half) != 0:
        if left_half[0] < right_half[0]:</pre>
            res.append(left_half[0])
            left_half.remove(left_half[0])
        else:
            res.append(right_half[0])
            right_half.remove(right_half[0])
    if len(left_half) == 0:
        res = res + right_half
    else:
        res = res + left_half
    return res
unsorted_list = [64, 34, 25, 12, 22, 11, 90]
```

## Dr.A.P.J.Abdul kalam, IIIT-ongole; RGUKT-AP



puc-1,semester-1,subject-IT



#### Unit-4

#### Searching and sorting

```
print(merge_sort(unsorted_list))
```

When the above code is executed, it produces the following result –

```
[11, 12, 22, 25, 34, 64, 90]
```

#### **Insertion Sort**

Insertion sort involves finding the right place for a given element in a sorted list. So in beginning we compare the first two elements and sort them by comparing them. Then we pick the third element and find its proper position among the previous two sorted elements. This way we gradually go on adding more elements to the already sorted list by putting them in their proper position.

```
def insertion_sort(InputList):
    for i in range(1, len(InputList)):
        j = i-1
        nxt_element = InputList[i]
# Compare the current element with next one

    while (InputList[j] > nxt_element) and (j >= 0):
        InputList[j+1] = InputList[j]
        j=j-1
        InputList[j+1] = nxt_element

list = [19,2,31,45,30,11,121,27]
insertion_sort(list)
print(list)
```

When the above code is executed, it produces the following result –

```
[2, 11, 19, 27, 30, 31, 45, 121]
```

# B. APV ABBRE KALAM

#### Dr.A.P.J.Abdul kalam, IIIT-ongole ; RGUKT-AP

puc-1, semester-1, subject-IT



Unit-4

#### Searching and sorting

#### **Shell Sort**

Shell Sort involves sorting elements which are away from ech other. We sort a large sublist of a given list and go on reducing the size of the list until all elements are sorted. The below program finds the gap by equating it to half of the length of the list size and then starts sorting all elements in it. Then we keep resetting the gap until the entire list is sorted.

```
def shellSort(input_list):
    gap = len(input_list) // 2
    while gap > 0:
        for i in range(gap, len(input_list)):
            temp = input_list[i]
            j = i
# Sort the sub list for this gap
            while j >= gap and input_list[j - gap] > temp:
                 input_list[j] = input_list[j - gap]
                 j = j - gap
            input_list[j] = temp
# Reduce the gap for the next element
        gap = gap//2
list = [19, 2, 31, 45, 30, 11, 121, 27]
shellSort(list)
print(list)
When the above code is executed, it produces the following result –
[2, 11, 19, 27, 30, 31, 45, 121]
```

# De. APJ ABBUE KALAM BET OMGOLE EGUNT

#### Dr.A.P.J.Abdul kalam, IIIT-ongole; RGUKT-AP

puc-1, semester-1, subject-IT



Unit-4

#### Searching and sorting

## **Selection Sort**

In selection sort we start by finding the minimum value in a given list and move it to a sorted list. Then we repeat the process for each of the remaining elements in the unsorted list. The next element entering the sorted list is compared with the existing elements and placed at its correct position. So at the end all the elements from the unsorted list are sorted.

```
def selection_sort(input_list):
    for idx in range(len(input_list)):
        min_idx = idx
        for j in range( idx +1, len(input_list)):
            if input_list[min_idx] > input_list[j]:
                min_idx = j
# Swap the minimum value with the compared value
        input_list[idx], input_list[min_idx] = input_list[min_idx], input_list[idx]

l = [19,2,31,45,30,11,121,27]
selection_sort(l)
print(l)
When the above code is executed, it produces the following result -
```

```
[2, 11, 19, 27, 30, 31, 45, 121]
```



puc-1,semester-1,subject-IT



Unit-4

#### Searching and sorting

## **Python - Searching Algorithm**

Searching is a very basic necessity when you store data in different data structures. The simplest appraoch is to go across every element in the data structure and match it with the value you are searching for. This is known as Linear search. It is inefficient and rarely used, but creating a program for it gives an idea about how we can implement some advanced search algorithms.

#### Linear Search

In this type of search, a sequential search is made over all items one by one. Every item is checked and if a match is found then that particular item is returned, otherwise the search continues till the end of the data structure.

```
def linear_search(values, search_for):
    search_at = 0
    search_res = False

# Match the value with each data element
    while search_at < len(values) and search_res is False:
        if values[search_at] == search_for:
            search_res = True
        else:
            search_at = search_at + 1

    return search_res

l = [64, 34, 25, 12, 22, 11, 90]
print(linear_search(l, 12))
print(linear_search(l, 91))</pre>
```

When the above code is executed, it produces the following result –

True False

#### Dr.A.P.J.Ab puc-1,

#### Dr.A.P.J.Abdul kalam, IIIT-ongole; RGUKT-AP

puc-1, semester-1, subject-IT



Unit-4

#### Searching and sorting

### **Interpolation Search**

This search algorithm works on the probing position of the required value. For this algorithm to work properly, the data collection should be in a sorted form and equally distributed. Initially, the probe position is the position of the middle most item of the collection. If a match occurs, then the index of the item is returned. If the middle item is greater than the item, then the probe position is again calculated in the sub-array to the right of the middle item. Otherwise, the item is searched in the subarray to the left of the middle item. This process continues on the sub-array as well until the size of subarray reduces to zero.

There is a specific formula to calculate the middle position which is indicated in the program below.

```
def intpolsearch(values,x ):
    idx0 = 0
    idxn = (len(values) - 1)
    while idx0 \le idxn and x \ge values[idx0] and x \le values[idxn]:
# Find the mid point
        mid = idx0 + 
                int(((float(idxn - idx0)/( values[idxn] - values[idx0]))
                     * ( x - values[idx0])))
# Compare the value at mid point with search value
        if values[mid] == x:
            return "Found "+str(x)+" at index "+str(mid)
        if values[mid] < x:</pre>
            idx0 = mid + 1
    return "Searched element not in the list"
1 = [2, 6, 11, 19, 27, 31, 45, 121]
print(intpolsearch(1, 2))
When the above code is executed, it produces the following result –
Found 2 at index 0
```