<u>Title:</u> Finding Determinant of a Square Matrix.

Program Name:

- a) Write a MATLAB code for finding Determinant value of a matrix using Laplace expansion (use recursive function).
- b) Check your program for the following example and compare the result with the value obtained by using "det" function in MATLAB.

$$\mathbf{A} = \begin{bmatrix} 1 & 12 & -1 & 4 \\ 0 & -5 & 2 & 1 \\ 5 & 2 & -1 & 0 \\ 2 & 0 & 4 & 3 \end{bmatrix}$$

Algorithm:

- 1. Start
- 2. Read the coefficients matrix $a = [a_{ij}], i = 1, 2, ..., m; j = 1, 2, ..., n$
- 3. Find the order of a
- If number of row is equal to the number of column of a, then
 Goto step 6
- $\textbf{5.} \quad \textbf{Otherwish print an error} \text{ , ``Matrix is not Square, Determinant does not exist''}$
- 6. Build a recursive function 'determinant'

If n=2, then calculate determinant by using the formula $d=a_{11}\,a_{22}-a_{12}a_{21}$ Otherwish,

Initialize d = 0

For
$$j = 1$$
 to n

Create a temporary copy of a and store in A_temp

Delete first row and j-th coloumn of A_temp

$$d = d + ((-1)^{\hat{}}(1+j)) * (a(1,j) * determinant(A_temp))$$

Repeat j

7. Determinant value is d

Program Code:

a) <u>Program Code</u>:(For Build a recursive function determinant (determinant.m)):

```
function d = determinant(A)
[m,n] = size(A);
if n == 2
    d=((A(1,1)*A(2,2)) - (A(1,2)*A(2,1)));
else
    d=0;
    for j = 1:n
        A_temp = A;
        A_temp(1,:) =[];
        A_temp(:, j)=[];
        d = (d+ ((-1)^(1+j))*(A(1,j)*determinant(A_temp)));
    end
end
end
```

Program Code : (Finding Determinant of a Square Matrix):

```
A= input('Enter the matrix : ');
[m,n] = size(A);
if ( m ~= n)
    disp('Determinant does not exist....');
else
    d= determinant(A);
    fprintf('Determinant of the matrix is = %f ',d);
end
```

Output:

```
>> EXP_1
Enter the matrix : [1 12 -1 4;0 -5 2 1;5 2 -1 0;2 0 4 3]
Determinant of the matrix is = -372.000000 >>
```

b) <u>Program Code</u>: (compare the result with the value obtained by using 'det' function)

```
A= input('Enter the matrix : ');
d1=det(A);
fprintf('Determinant of the matrix is = %f ',d1);
```

Output:

```
>> EXP__1_2
Enter the matrix : [1 12 -1 4;0 -5 2 1;5 2 -1 0;2 0 4 3]
Determinant of the matrix is = -372.000000 >>
```

Conclusion:

We saw that, the Determinant value of the given Square Matrix (4 x 4) using Laplace expansion (using a recursive function) and the value obtained by using 'det' function are same that is, -372.000000.