

## EE2020 (Part 1)

### Tutorial 2 - Solutions

1.
  - (a)  $(250)_{10} = (11111010)_2$
  - (b)
    - (i).  $11111010(\text{signed magnitude}) \longrightarrow -122$
    - (ii).  $11111010(\mathbf{1's}) \xrightarrow{\text{complement.}} 00000101(\mathbf{magnitude}) \longrightarrow -5$
    - (iii).  $11111010(\mathbf{2's}) \xrightarrow{-1} 11111001(\mathbf{1's}) \xrightarrow{\text{complement}} 00000110(\mathbf{magnitude}) \rightarrow -6$
  
2.
  - (a)  $(-1) + 45$ 

$$\begin{array}{r} 11111111 \\ + 00101101 \\ \hline 100101100 \end{array} \longrightarrow 44$$

(Adding these two numbers causes a carry over into the 9<sup>th</sup> bit position, which is ignored in the 8-bit arithmetic system.)
  - (b)  $(-128) + (-60)$ 

$$\begin{array}{r} 10000000 \\ + 11000100 \\ \hline 01000100 \end{array} \longrightarrow 68$$

(Reflect an overflow situation i.e. the correct result cannot be represented with the available number of bits)
  
3.
 
$$(00100)_{SM} = (00100)_{2's} \quad [\text{the number is positive}]$$

$$(10100)_{2's} + (00100)_{SM} = (10100)_{2's} + (00100)_{2's} = (11000)_{2's}$$

Convert to integers and add to verify your result!
  
4.
 
$$\underbrace{01000}_4 \underbrace{11000}_6 \underbrace{1000}_2 \underbrace{11}_3$$

$$= 4623$$