

**Mid-Semester Examination**  
**School of Computer Engineering**  
**KIIT University, Bhubaneswar-24**

**Time: 2hrs**

**Full Mark: 50**

(Answer any **FIVE** questions including question no. 1)

1. [5 × 2]
  - a. Why two buffer halves are used in input buffering?
  - b. Name the transformations needed to apply to convert a given grammar into an LL(1).
  - c. State the structure of a LEX Program. Write one line for each section of a LEX program.
  - d. Remove left recursion from the following Context-Free Grammar.  

$$S \rightarrow Aa \mid Sa \mid c$$

$$A \rightarrow Ab \mid Sd \mid e$$
  - e. Apply left factoring on the following Context-Free Grammar.  

$$S \rightarrow xAy \mid xBy \mid xAz$$

$$A \rightarrow qS \mid q$$

$$B \rightarrow q$$
2.
  - a. Explain the different phases belonging to the front end of a compiler. Show the output of each phase, for the given statement " $x = m/n - p * 30$ " (where the variables  $m, n$  are of floating point type and  $x, p$  are integer type). [06]
  - b. Write a LEX program that replaces each instance of the keyword float by double. [04]
3. Consider the following Context-Free Grammar. [10]

$$\text{lexp} \rightarrow \text{atom} \mid \text{list}$$

$$\text{atom} \rightarrow \text{num} \mid \text{id}$$

$$\text{list} \rightarrow (\text{lexp\_seq})$$

$$\text{lexp\_seq} \rightarrow \text{lexp\_seq lexp} \mid \text{lexp}$$

Consider the string (*id num(id id id)*) and perform the following:

  - a. Give a leftmost derivation for the given string.
  - b. Give a rightmost derivation for the given string.
  - c. Give a parse tree for the given string.
  - d. Is the grammar ambiguous or unambiguous? Justify your answer.
4.
  - a. Construct the LL(1) parsing table for the following grammar: [05]

$$S \rightarrow aAC \mid Bb$$

$$A \rightarrow eD$$

$$B \rightarrow f \mid g$$

$$C \rightarrow h \mid i$$

$$D \rightarrow bE \mid e$$

$$E \rightarrow eD \mid dD$$
  - b. Write the procedures for the non-terminals of the given grammar to design a recursive-descent parsing without backtracking. [05]

$$S \rightarrow (L)$$

$$L \rightarrow L, S \mid a$$

5. Compute the FIRST and FOLLOW sets for the following grammars.

[10]

(a)  $S \rightarrow AB|eDa$   
 $A \rightarrow ab|c$   
 $B \rightarrow dC$   
 $C \rightarrow eC|\epsilon$   
 $D \rightarrow fD|\epsilon$

(c)  $S \rightarrow aAc d|BCe$   
 $A \rightarrow b|\epsilon$   
 $B \rightarrow Cf|d$   
 $C \rightarrow fe$

(b)  $S \rightarrow ABBA$   
 $A \rightarrow a|\epsilon$   
 $B \rightarrow b|\epsilon$

(d)  $S \rightarrow aSe|B$   
 $B \rightarrow bBe|C$   
 $C \rightarrow cCe|d$

6. Consider the regular expression  $1(1+0)^*0$ .

Construct the NFA for the given regular expression using Thomson's construction algorithm and then apply subset construction algorithm to construct the equivalent DFA of the constructed NFA. Finally, minimize the DFA.

[10]

\*\*\*\*\*All The Best\*\*\*\*\*