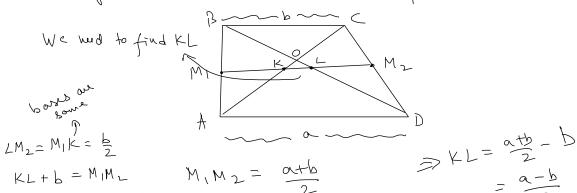
14 July 2024 10:37

B) Let the lengths of bases AD and BC of trapezoid ABCD be a and b while a>b then, find the length of the segment that the diagonals intricept on the midline of non-parallel sides



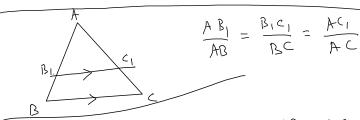
Aus!- KL+b=MIML (results on taken from below)

Simlar Triongles:

DABCI and DAZBZCZ are similar off LA = LAI, LB = LBI, LC = LCI

→ Then, A,B:B,C;:CA, :: A2B L:B£2:C2A2

> Truj au also similar of, A,B,: B,C1:: A2B2:B2C2 and LA1B1 C1 = LA2B2C2



$$\frac{PB}{PM_1} = \frac{PC}{PM_2} - 0$$

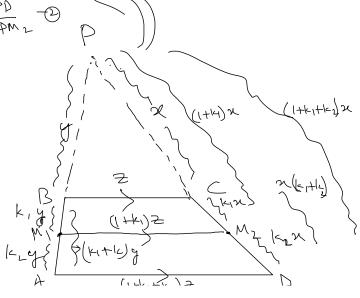
$$\frac{PA}{PM_1} = \frac{PD}{PM_2} - D$$

For the guestion above; If ki=k\_,

$$M_{1}M_{2} = (1+k_{1})^{2}$$

$$B ( = 2$$

$$AD = (1+k_{1}+k_{2})^{2} = (1+2k_{1})^{2}$$



=  $\frac{a-b}{a}$ 

$$M_1 M_2 = (1+k_1)^2$$

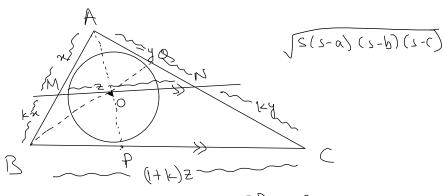
$$= 2(1+k_1)^2$$

$$= (2+2k_1)^2$$

$$= \frac{(2+2k_1)^2}{2} = \frac{2+(1+2k_1)^2}{2} = \frac{8C+AD}{2} = \frac{a+b}{2}$$

DABC has side lengths AB=12, BC=24, AC=18. The line 0> through the incenter of DABC parallel to BC interrects AB at M and AC at N What is the pounder of DAMN.

Aus:



$$\frac{AO}{DP} \times \frac{BP}{BC} \times \frac{C8}{8A} = 1$$

$$\frac{CQ}{QA} = 2 \qquad \frac{RP}{RC} = \frac{2}{5}$$

$$\Rightarrow \frac{40}{0P} = \frac{5}{4}$$

$$\Rightarrow \frac{OP}{AO} = \frac{4}{5} \Rightarrow \frac{AP}{AO} = \frac{9}{5} \Rightarrow \frac{AO}{AP} = \frac{5}{9}$$

Perimeter of DAMN= K (Permeter of DABC)

( S(S-a)(S-b)(S-c) ) AMN = ( I LS(KS-Ka)(KS-KC) ) DABC

ana of DAMN = K2 ( and of DABC)

> For the conditions to hold MN mad not pass Frangh O, it just need to parallel to BC

'ST In the first question of they leadure! find the langth of segment MN

Some the first question of this belove: - find the longth of segment MN whose endpoints M, N divides AB and CD in the ratio,

AM: MB = DN: NC = m: N

B) ABCD is a parallelogram such that P is on AD and AP: AD = 1: P and X is the intersection of AC and BP. Prove that  $A \times : AC = 1: (P+1)$