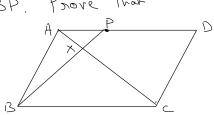
B) ABCD is a parallelogram such that P is on AD and AP:AD=1:P and X is the intersection of AC and BP. Prove that

 $A \times : A \subset = 1 : (P+1)$



$$Aw$$
: $AP = m$ $AD = Pm$
 $PD = (P-1)m$ $BC = Pm$

$$T_n \triangle APX$$
 and $\triangle BCX$, $\frac{CX}{AX} = \frac{BX}{PX} = \frac{BC}{AP}$

$$\frac{CX}{AX} = \frac{P}{I}$$

$$CX = (A - AX)$$

$$\Rightarrow \frac{CA - AX}{AX} = P \Rightarrow \frac{CA}{AX} = P + I \Rightarrow AX : A : C = I : (P + I)$$

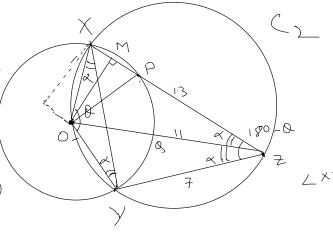
Circle C₁ has its centre 0 lying on circle C₂. The two wicles meet at \times and \times . Point \times in the enterior of C₁ lies on circle C₂ and \times = 13, 0 = 11 and \times = 7. What \times the radius of C₁

Let v be the radius of C1

13 = 17 +7

Ano'.

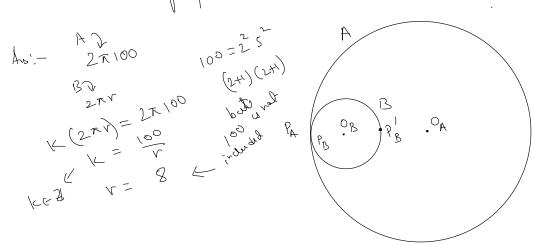
LOYX=LOXY=LOZX=LOZY



$$\Rightarrow r = \frac{(6 \times 13^{2} - 7 \times 11^{2})}{6}$$

3) Circle A has radius 100, Cincle B has integer radius V < 100.

and remains internally tongent to wircle A as it rolls once around circumfame of will A. The two circles have the some points of tongency at the beggining and end of will B's trip How mond bossiple repres can house)



To take a feel round and PB touch with PA integer muliple of arumferero of B Dar burd 2

De Square AIME has sides of length 10 units. I sociles trionall GEM has bose EM and the area common to DGEM and AIME is 80 squarts Find the Ength of altitude to EM in DGEM

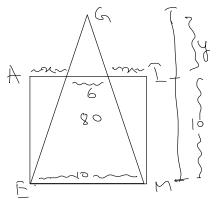
Aus:- As common area is > 50 G must be outside square $\chi(\frac{1}{2}\chi_{\times}10) = 20 \Rightarrow \chi = 2$

$$\frac{1}{2} \times \times 10) = 20 \Rightarrow \times = 2$$

$$\frac{6}{10} = \frac{4}{4+10} \Rightarrow 64+60 = 104 \Rightarrow \text{Atitude}$$

$$= 25$$

$$\Rightarrow 4=15$$



HomeWork!

0> Point K lies on Liagonal BD of Parallelogram ABCD. AK intersects lives BC and CD at L and M respectively. Prove that $AK^2 = LK \cdot KM$. D K L M-