# 11.16.3.6

# EE24BTECH11004 - Ankit Jainar

**Question:** There are four men and six women on the city council. If one council member is selected for a committee at random, how likely is it that it is a woman?

### THEORETICAL SOLUTION

The total number of council members is:

$$|S| = 4 + 6 = 10\tag{1}$$

The favorable outcomes (selecting a woman) are:

$$|A| = 6 \tag{2}$$

The probability of selecting a woman is:

$$P(A) = \frac{|A|}{|S|} = \frac{6}{10} = 0.6 \tag{3}$$

#### INTRODUCTION

This task involves simulating the random selection of council members using a C program, compiling it into a shared object (.so) file, and using Python to process the results and generate a probability distribution plot.

# C CODE DESCRIPTION

The C program generates random samples for the selection process, where the outcomes are categorized as either "man" or "woman". The program uses the rand() function to simulate the random selection and increments a counter for each outcome.

#### PYTHON CODE DESCRIPTION

The Python code performs the following:

- 1) Loads the shared object file generated from the C program using the ctypes library.
- 2) Simulates a specified number of random selections (e.g., 1,000,000 trials).
- 3) Calculates the probability of selecting a woman using the formula:

$$P(\text{woman}) = \frac{\text{frequency of selecting a woman}}{\text{total trials}}$$
 (4)

4) Plots the probability distribution using matplotlib.

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#### GRAPHICAL OUTPUT

The Python code generates a bar chart where:

- The x-axis represents the outcomes: "Man" and "Woman".
- The y-axis represents the probabilities, ranging from 0 to 1.
- The bar height for "Woman" corresponds to the probability P(A)=0.6.

# STEMPLOT DISTRIBUTION

The stemplot shows a single vertical line at "Woman" on the x-axis with a height corresponding to its probability (0.6).

#### CONCLUSION

This task demonstrates the integration of C and Python for simulating and visualizing a probabilistic experiment. The probability of selecting a woman from the council is calculated as **0.6**, matching the theoretical value.



