

Expt no.	Experiment	Date	Sign
1)	a) Linear Search b) Binary Search c) Selection Sort d) Bubble Sort	3/5/24	10/5/24
2)	OUTPUTS: topo-sh, DFS, GCD	3/5/24	10/5/24
3)	a) Quick sort b) Merge sort	3/6/24	10/6/24
4)	a) warshall b) Floyd c) Johnson-trotter d) knapsack	3/6/24	10/6/24
5)	a) Worspool b) Heapsort	21/6/24	10/6/24
6)	a) Prim's b) Kruskal c) Dijkstr'a's d) knapsack	28/6/24	9/7/24
7)	a) N-queens	12/6/24	10/7/24

Linear Search:

```
#include <stdio.h>
#include <stdlib.h>
void linear (int key, int length, int arr)
{
    for (int i = 0; i < length; i++)
    {
        if (arr[i] == key)
            printf ("Element present");
        else
            printf ("Element not present");
    }
}

main()
{
    int arr[10], n, key;
    printf ("Enter the size of the array");
    scanf ("%d", &n);
    printf ("Enter Array");
    for (int i = 0; i < n; i++)
    {
        scanf ("%d", &arr[i]);
    }
    printf ("Enter Key");
    scanf ("%d", &key);
    linear (key, n, arr);
    return 0;
}
```

Binary search:

```
#include <stdio.h>
```

```
#include <conio.h>
```

```
int binary(int key, int length, int arr[]);
```

```
{
```

```
int left = 0;
```

```
int right = length - 1;
```

```
while (left <= right)
```

```
{
```

```
int med = left + (right - left) / 2;
```

```
if (arr[med] == key)
```

```
return arr[med];
```

```
if (arr[med] < key)
```

```
left = med + 1;
```

```
else
```

```
right = med - 1;
```

```
}
```

```
return 0;
```

```
}
```

```
int main()
```

```
{
```

```
int arr[100], n, key, found;
```

```
printf("Enter the size and Key:");
```

```
scanf("%d", &n);
```

```
printf("Enter the sorted array:");
```

```
for (int i = 0; i < n; i++)
```

```
scanf("%d", &arr[i]);
```

```
found = binary(key, n, arr);
```

```
If (found != 0)
```

```
printf("Element found");
```

```
else
```

```
printf("Element not found");
```

```
return 0;
```

```
}
```

Linear Search op:

Case 1

Enter the size of the array: 5

Enter the array elements: 1 2 3 4 5

Enter the key: 3

Element is present.

Case 2

Enter the size of the array: 5

Enter the array elements: 1 2 3 4 5

Enter the key: 6

Element is not present.

Binary Search op:

Case 1

Enter the size & key of the array:

3 3

Enter the array elements: 1 2 3

The element is present.

Case 2

Enter the size & key of the array:

3 4

Enter the array elements: 1 2 3

The element is not present.

Time complexity of linear search = $O(N)$

Time complexity of binary search = $O(\log N)$

Selection sort: 1910 07/08/2023 10:30 AM

#include < stdio.h>

#include < stdlib.h>

void sort(int a[], int n)

{

int i, j, temp;

for (i = 0; i < n - 1; i++)

{

for (j = i + 1; j < n; j++)

{

if (a[i] > a[j])

{

temp = a[i];

a[i] = a[j];

a[j] = temp;

}

}

int main()

int a[10], n;

printf("Enter Array size: ");

scanf("%d", &n);

printf("Enter Array elements: ");

for (int i = 0; i < n; i++)

(a[i] = 100) + scanf("%d", &a[i]);

sort(a, n);

printf("Sorted Array: ");

for (int i = 0; i < n; i++)

printf("%d", a[i]);

return 0;

}

D/P:

Enter the Array size: 5
Enter Array elements: 5 4 3 2 1
sorted array: 1 2 3 4 5

Bubble sort:

```
#include <stdio.h>
#include <stdlib.h>
void bubble (Pnt a[], Pnt n)
{ Pnt p, q, temp;
for (p=0; p<n-1; p++)
{
    for (q=p+1; q<n; q++)
        if (a[q]>a[p])
    {
        temp = a[q];
        a[q] = a[p];
        a[p] = temp;
    }
}
main()
{
    Pnt a[100], n;
    printf ("Enter Array size: ");
    scanf ("%d", &n);
    printf ("Enter Array: ");
    for (Pnt p=0; p<n; p++)
        scanf ("%d", &a[p]);
    bubble (a, n);
    printf ("sorted Array: ");
    for (Pnt p=0; p<n; p++)
        printf ("%d ", a[p]);
}
```

printf("%d", arr[i]);

return 0;

3 12 5 4 3 2 1 7 6 8
1 2 3 4 5 6 7 8 9 10

O/P:

Enter the array size: 5

Enter array: 5 9 8 3 1

Sorted Array: 1 3 8 9 10

for i=0; i<5; i++) cout << arr[i] << " ";

cout << endl;

Linear search: 6 7 8 9 10

Time complexity = $O(n)$

Best case = Element is at the first pos.

Worst case = Key is in the last pos.

Avg case = $O(n)$

Binary search: 7 8 9 10

Time complexity = $O(\log n)$

Best case = when element is present at the middle index.

Worst case = when element is at the first position

Avg case = ~~$O(n \log n)$~~ $O(\log n)$

Selection sort: 10 9 8 7 6 5 4 3 2 1

Time complexity = $O(n^2)$

Best case = $O(n^2)$ occurs when the element is already sorted.

Worst case = Array is in descending order.

Avg case = $O(n^2)$

Bubble Sort:

Time Complexity = $O(n)$

Best Case = $O(n)$, Array is already sorted.

Worst Case = $O(n^2)$, Array is in decreasing order.

Avg case = $O(n^2)$, No. of comparisons

$C_{avg} = \frac{1}{2} n(n+1) = \frac{n^2 + n}{2}$ since

LS

Total execution time = 0.000126 ms

Σ : 1.000000000000000

BS & Selection Sort, both are same

Total time = 0.000031 ms

1.01

Bubble Sort

Time taken = 0.0000492 ms

Σ : 1.000000000000000

method add Σ 0.000024

ps = reading 11

81 = reading 81

1.01

method add Σ 0.000024

2. 11 22 33 44 55 66 77 88 99

3. 11 22 33 44 55 66 77 88 99

4. 11 22 33 44 55 66 77 88 99

5. 11 22 33 44 55 66 77 88 99

6. 11 22 33 44 55 66 77 88 99

7. 11 22 33 44 55 66 77 88 99

31/5/24

LAB - 2

→ OUTPUT: TOPO-DFS

Enter vertices = 3

Enter adjacency matrix:

1 1 0

1 0 1

0 1 1

Topo sorting using DFS: 1 0 2

→ OUTPUT: TOPO-SR

Enter vertices : 3

Enter adjacency matrix:

1 1 0

1 0 1

0 1 1

Topo sorting using source reduction: 1 0 2

→ OUTPUT : GCD Euclidean

1st number = 24

2nd number = 18

Result = 6.

→ OUTPUT: Computing. Median

Enter the size of the array = 5

Enter the array elements = 10 8 4 5

Enter the value of k = 3

The 3 smallest element is : 5

→ OUTPUT : TOH

Move disk 1 from A to B

~~LAB - 2~~

Move 1 desk from A to C by B way

Move 1 desk from B to C.

LAB - 3

7/06/24

1) Quick sort

```
#include <stdio.h>
```

```
void swap (int *a, int *b)
```

```
{ int temp = *a; *a = *b;
```

```
*b = temp; }
```

```
int partition (int arr[], int low, int high){
```

```
int pivot = arr[high];
```

```
int p = (low - 1);
```

```
for (int i = low; i <= high - 1; i++) {
```

```
if (arr[i] < pivot) {
```

```
p++;
```

```
swap (&arr[p], &arr[i]);
```

```
}
```

```
swap (&arr[p], &arr[high]);
```

```
return p;
```

```
}
```

```
void quicksort (int arr[], int low, int high){
```

```
if (low < high) {
```

```
int p = partition (arr, low, high);
```

```
quicksort (arr, low, p - 1);
```

```
quicksort (arr, p + 1, high);
```

```
}
```

```
}
```

```

void printArray (Pnt a, Pnt &Pye) {
    for (Pnt p=0; p<&Pye; p++) {
        printf ("%d", a[p]);
    }
    printf ("\n");
}

```

```

int main() {
    Pnt arr = {10, 7, 8, 9, 1, 5};
    Pnt n = sizeof(arr)/sizeof(arr[0]);
    printf ("Given Array: \n");
    printArray (arr, n);
    quickSort (arr, 0, n-1);
    printf ("Sorted Array: \n");
    printArray (arr, n);
    return 0;
}

```

OUTPUT:

Given Array: 10 7 8 9 1 5
10 7 8 9 1 5

Sorted Array: 1 7 8 9 10.

→ Merge Sort:

```

#include <std.h>
void merge (Pnt a, Pnt l, Pnt m, Pnt r) {
    Pnt p, q, k;
    Pnt n1 = m - l + 1;
    Pnt n2 = r - m;
    for (p=0, p<n1; p++)
        R[p] = a[l+p];
    for (q=0, q<n2; q++)
        R[m+q] = a[m+q];
    p=0; q=0; k=l;

```

while ($P < n_1 \& k < g(n_2)$) {
 if ($L[0] \leq R[g]$) {
 arr[k] = L[0];

 } else {
 arr[k] = R[g];
 g++;

}
k++;

}
while ($P < n_1$) {
 a[k] = l[P];
 P++;
 k++;

}
while ($g < n_2$) {
 a[k] = R[g];
 g++;
 k++;

}
void mergeSort(Pt a, Pt l, Pt r) {
 Pt m = l + (r - 1) / 2;
 mergeSort(a, l, m);
 mergeSort(a, m + 1, r);
 merge(a, l, m, r);

void printArray(Pt arr, Pt size) {
 for (Pt i = 0; i < size; i++)
 printf("%d", arr[i]);
 printf("\n");

11

```
int main() {  
    int arr[] = {12, 11, 13, 5, 6, 7};  
    int arr_size = 6;  
    merge_sort(arr, 0, arr_size - 1);  
    printf("Sorted Array: ");  
    print_array(arr, arr_size);  
    return 0;  
}
```

OUTPUT:

Given Array: PS:

12 11 13 5 6 7 PS: 12 11 13 5 6 7

Sorted Array: PS: 12 11 13 5 6 7

5 6 7 11 12 13.

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7 PS: 12 11 13 5 6 7
PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

PS: 12 11 13 5 6 7

LAB - 4

```

#include <stdio.h>
void warshall (int a[10][10], int n) {
    int p[10], q[10];
    for (int p = 0; p < n; p++) {
        for (int q = 0; q < n; q++) {
            if (a[p][q] == 1 && a[q][p] == 1)
                a[p][q] = 1;
        }
    }
    for (int p = 0; p < n; p++) {
        for (int q = 0; q < n; q++) {
            printf("%d ", a[p][q]);
        }
        printf("\n");
    }
}

int main() {
    int n;
    printf("Enter the number of vertices: ");
    scanf("%d", &n);
    int a[10][10];
    printf("Enter the adjacency matrix: \n");
    for (int i = 0; i < n; i++) {
        for (int j = 0; j < n; j++) {
            printf("a[%d][%d]: ", i, j);
            scanf("%d", &a[i][j]);
        }
    }
    warshall(a, n);
}

```

H - 84 J

```

for (int i = 0; i < n; i++) {
    for (int j = 0; j < n; j++) {
        if (a[i][j] == 1) {
            cout ("x.d", i, j);
        }
    }
}
return 0;
}

```

OUTPUT: Enter the adjacency matrix x :

```

1 0 1
0 1 0
1 1 0

```

Transitive closure:

```

1 1 1
0 1 0
1 1 1

```

→ Floyd's Algorithm:

```
#include <stdio.h>
```

```
#define V 4
```

```
#define INF 9999
```

```
void printSol (int dist[V][V])
```

```
{
```

printf ("The following matrix shows the
shortest distances between every pair
of vertices. In ");

```
for (int i = 0; i < V; i++) {
```

```
    for (int j = 0; j < V; j++) {
        if (dist[i][j] == INF)
```

```

    printf("y.%d", "INF");
    else if (c == 9 + p)
        printf("y.%d", dest[c][p]);
    else
        printf("m");
}
int main()
{
    int graph[V][V] = {{0, INF, 3, INF},
                        {2, 0, INF, INF},
                        {INF, 6, 0, 13},
                        {0, 12, 11, {7, INF, INF, 0}}};
    floydWarshall(graph);
    return 0;
}

```

OUTPUT :

The following matrix shows the shortest distances between every pair of vertices.

0	9	3	4
2	0	5	6
8	6	0	1
7	16	10	0

→ Johnson Trotter:

```
#include <stdio.h>
```

```
#include <stdbool.h>
```

```
#define MAX_N 10
```

```
int p[MAX_N];
```

```
int d[MAX_N];
```

```
int n;
```

void print-prem() {

for (Pnt $p = 0$; $p < n$; $p++$)

printf("%d", pcp);

printf("\n");

}

void swap (Pnt *a, Pnt *b) {

Pnt t = *a;

*a = *b;

*b = t;

Pnt amobile(Pnt p) {

if (cp == 0) or (cp == -1 & p == 0)

return (pcp > pcp-1) ? p : -1;

if (cp == 1 & p == n-1)

return (pcp > pcp+1) ? p : -1;

return -1;

void johnson () {

for (Pnt p = 0; p < n; p++)

dc[p] = -1;

pcp = p+1;

prPrint-prem();

bool m = true;

while (m) {

m = false;

Pnt mp = -1;

Pnt mn = -1;

for (Pnt p = 0; p < n; p++)

Pnt t = amobile(p);

If ($t \neq -1$ & $pcp > mn$) {

mn = pcp;

mp = t;

$m = \text{true}$

} } \leftarrow $d[m][p] > d[m][q]$
} } \leftarrow $d[m][q] < d[m][p]$

$\text{if}(m < p) \{$ \leftarrow $m < p$

$\text{int } mnp;$

$\text{if}(d[mnp] == -1) \leftarrow$ $mnp = mp - 1;$

else

$mnp = mn + 1;$

$\text{swap}(\&p[mnp], \&mp);$

$\text{swap}(\&d[mnp], \&d[mp]);$

$\} \leftarrow$ $\text{for}(\text{int } q = 0; q < n; q++) \{$

$\{ \leftarrow$ $\text{if}(p[q] > mn)$

$\{ \leftarrow$ $d[q] = -d[p];$

$\} \leftarrow$ end if

$\} \leftarrow$ $\text{print}(p);$

}

$\} \leftarrow$ $\text{Put } \text{main}();$

$\text{printf("Enter } n");$

$\text{scanf("%d", } &n);$

$\{ \leftarrow$ $\text{if}(n > \text{MAX_N} \text{ || } n < 0) \{$

$\text{printf(" Invalid")};$

$\} \leftarrow$ $\text{return } 1;$

$\} \leftarrow$ $\text{Johnson}();$

$\} \leftarrow$ $\text{return } 0;$

}

OUTPUT:

Enter n : 2

1 2

2 1

~~Ques~~
13/6/24/11:

→ knapsack Problem:

#include < stdio.h >

Pnt max (Pnt a, Pnt b) {

return (a >) ? ab : a;

}

Pnt Knapsack (Pnt w, Pnt wt[], Pnt val[], Pnt n)

{

Pnt P, w;

Pnt K[n+1][w+1];

for (P=0; P<=n; P++) {

for (w=0; w<=W; w++) {

if (P==0 || w==0) K[P][w] = 0;

else if (wt[P-1] <= w) {

K[P][w] = max (val[P-1] +

K[P-1][w-wt[P-1]], K[P-1][w]);

}

else

K[P][w] = K[P-1][w];

}

return K[n][w];

}

Pnt main() {

Pnt val[] = {60, 100, 120}; Pnt wt[] = {10, 20, 30};

Pnt w=50; Pnt n=3;

printf ("Max value = %d\n", knapsack (w, wt, val, n));

return 0;

}

O/P:

Max value = 220

21/6/24

LAB - 5 :

→ Horspool's Algorithm;

```
#include <stdio.h>
#include <string.h>
#define MAX 128
void shift (char *p, int *shifts) {
    int m = strlen(p);
    for (int q = 0; q < max; p++)
        shifts[q] = m;
    for (int q = 0; q < m - 1; q++)
        shifts[(q + 1) % max] = m - 1 - q;
}

int hairspool (char *text, char *pattern) {
    int m = strlen(pattern);
    int n = strlen(text);
    int shifts [MAX];
    shift(pattern, shifts);
    int i = m - 1;
    while (*pcn) {
        int r = 0;
        while (rcm && pattern[m - 1 - r] == text[i - r]) r++;
        if (r == m) return i - m + 1;
        else
            r = shifts [(i - r) % max];
    }
    return -1;
}

int main() {
    char text[] = "I am saw me on a
    barber shop";
}
```

2. - 945

Char pattern[] = "barber";

Int pos = strstr(text, pattern);

If (pos == -1) {

printf("Pattern not found\n"), pos);

? (243.5 edge top, 0 > 300) 7.58W0 1.9M

printf("Pattern not found\n");

(449 : 8099.39 : 0 = 9.57) 301.

return 0;

3 : (449 : 1-025.9 : 0 = 9.57) 301

(7.58W0 1.9M) 7.58W0 1.9M

Output :

? (449 : Pattern not found 16.3. 4.7

: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

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: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

: (449 :

: (449 : 1-025.9 : 0 = 9.57)

: (449 :

: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

: (449 : 1-025.9 : 0 = 9.57)

LAB-5

→ Heap Sort (Descending):

Program Implementation:

```
#include < stdio.h>
```

```
#include < stdlib.h>
```

```
#define MAX 100
```

```
void heapify (Pnt arr, Pnt n)
```

```
for (Pnt k=0; k<n; k++) {
```

```
    Pnt key = arr[k];
```

```
    Pnt c = k;
```

```
    Pnt p = (k-1)/2;
```

```
    while ((c>0) && (key > arr[p])) {
```

```
        arr[c] = arr[p];
```

```
        c=p;
```

```
        p = (c-1)/2;
```

↓
arr[c] = key

```
}
```

```
Pnt main()
```

```
{ Pnt arr[MAX], n;
```

```
printf("Enter the size of the binary tree\n");
```

```
scanf ("%d", &n);
```

```
printf ("Enter the elements of binary tree\n");
```

```
for (Pnt p=0; p<n; p++)
```

```
    scanf ("%d", &arr[p]);
```

```
heapify (arr, n);
```

~~printf ("Heap sorted Array:\n");~~

```
for (Pnt p=0; p<n; p++)
```

```
    printf ("%d", arr[p]);
```

```
printf ("END");
```

```
return 0;
```

```
}
```

OUTPUT :

: (0.000000) read each ←
reading input array

Enter the size of the binary tree:

7

Enter the Elements of the binary tree

50 25 30 75 100 45 80

50 75 100 45 80 30 25

Heap Sorted Array:

100 → 75 → 80 → 25 → 50 → 30 → 45 → END.

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

50 75 100 45 80 30 25

LAB - 6

1) Prm's Algorithm:

```
#include <stdio.h>
#include <stdlib.h>
#include <iomanip.h>
#define V 6
int mRey (int Reg[], bool mstSet[])
{
    int min = INT_MAX;
    int cost[10][10], n, t[10][2];
    sum;
    void prms (int cost[10][10], int n);
    int main()
    {
        int q, g; // (10^9 + 10^-9)
        printf("Enter the number of vertices: ");
        scanf("%d", &n);
        printf("Enter the cost adjacency matrix: \n");
        for (q=0; q<n; q++)
        {
            for (g=0; g<n; g++)
            {
                scanf("%d", &cost[q][g]);
            }
        }
        prms(cost, n);
        printf("Edges of the minimal spanning tree: \n");
        for (q=0; q<n-1; q++)
        {
            printf("(x%d, xd), t[%d][0], t[%d][1]);", q, q, q+1);
        }
        printf("In: sum of minimal spanning tree %d\n", sum);
        return 0;
    }
    void prms (int cost[10][10], int n)
    {
        int q, g, u, v;
        int min, source;
        int p[10], d[10], s[10];
```

mPn=999;

source = 0;

for (p=0; p<n; p++) { // Input Distance Array

d[p] = cost[source][p];

s[p] = 0;

sc[source] = 1;

sum = 0; // Initialize sum to 0

print R = 0; // Initialize R to 0

// Find MST

for (p=0; p<n-1; p++) {

if (" " : min = 999; // Initialize min to 999

u = -1; // Initialize u to -1

// Find vertex with minimum distance to the MST

if (at random number for (p=0; p<n; p++) {

if (d[p] == 0 & d[p] < min) {

min = d[p];

if (d[p] == min) u = p;

}

if (u != 1) {

// Add edge to MST

tck[u][0] = u; // Add edge to MST

tck[u][1] = p; // Add edge to MST

tck[u][2] = cost[u][p]; // Add edge to MST

s[u] = 1; // Add edge to MST

// update distance

for (v=0; v<n; v++) {

if (sc[v] == 0 & cost[u][v] < d[v]) {

d[v] = cost[u][v];

sc[v] = u;

cost[u][v] = d[v];

{ }

OUTPUT:

Enter the number of vertices ($n = 4$) : 4

Enter the cost of adjacency matrix

0	1	5	2
1	0	9999	9999
5	9999	0	3
2	9999	3	0

Edges of the minimal spanning tree:

(0, 1) (3, 0) (2, 3)

Sum of minimal spanning tree: 6.

Sum of the minimum trip

~~3(0+1+2) = 9~~ \Rightarrow 6

$\therefore q = N$

$\therefore q = N$

$\therefore q = N$

{}

Min. spanning tree = 6

No. triangles in tree = 6

~~3(0+1+2) = 9~~ \Rightarrow 6

~~3(0+1+2) = 9~~ \Rightarrow 6

~~3(0+1+2) = 9~~ \Rightarrow 6

2) Kruskals Algorithm:

#include <stdio.h>

int cost[10][10], n, E[10][2], sum; // for

void Kruskal(int cost[10][10], int n) {

int min, u, v, count, R;

int parent[10];

R=0;

sum = 0;

// Initialize parent array

for (int p=0; p<n; p++)

: and parent[p] = p; // in loops

count = 0;

while (count < n-1) { (0,2) (0,1)

min = 999;

: and p[u] = -1; working to min

v = -1;

// find minimum edge

for (int p=0; p<n; p++) {

for (int q=0; q<n; q++) {

if (find(parent, p) != find(parent, q))

&& cost[p][q] < min) {

min = cost[p][q];

u = p;

v = q;

}

}

int root_u = find(parent, u);

int root_v = find(parent, v);

if (root_u != root_v) {

parent[root_u] = root_v;

t[K][0] = u;

$t[K][C_1] = v;$

(FIND TWO)

Sum + = m $\rho_n;$

for (i=0; i < n; i++)
 for (j=0; j < n; j++)
 if (t[i][j] != 0)
 count++;

 }

 }

 int find(int parent[20], int p){
 while (parent[p] != p){

 p = parent[p];

}

 return p;

 }

int minL() {

 int p, q;

 printf("Enter the no. of vertices : ");

 scanf("%d", &n);

 printf("Enter the cost adjacency matrix: \n");

 for (p=0; q<n; p++){

 for (q=0; j < n; q++)

 scanf("%d", &cost[p][q]);

}

 RowSum (cost, n);

 printf("Edges of the minimal spanning tree: \n");

 for (p=0; q < n-1; p++)

 printf("(v%d, v%d)", t[p][0], t[p][1]);

 printf("Sum of minimal spanning tree: %d \n",
 sum);

 return 0;

}

OUTPUT:

$\Rightarrow \text{CIO733}$
 (CIO733)

Enter the number of vertices : 4

Enter the cost adjacency matrix :

0 1 5 2
1 0 9999 9999
5 9999 0 0 0 0

2 9999 0 0 0 0
 $\Rightarrow (0, 1, 3, 2)$ edges
 $\Rightarrow (0, 1, 3, 2) = 6$

Edges of the mammal spanning tree :

(0, 1) (0, 3) (2, 3)

Sum of mammal spanning tree : 6

$\Rightarrow (0, 1, 3, 2) = 6$

Cost matrix of the tree will be 377769
 $\Rightarrow (448 + 458 + 0 + 8) = 6$
 $\Rightarrow (448 + 458 + 0 + 8) = 6$

$\Rightarrow (448 + 458 + 0 + 8) = 6$

$\Rightarrow (0, 1, 3, 2) = 6$

Spanning tree of 6 edges

$\Rightarrow (448 + 458 + 0 + 8) = 6$

$\Rightarrow (448 + 458 + 0 + 8) = 6$

Tree cost spanning tree go to next step

$\Rightarrow (0, 1, 3, 2) = 6$

Cost matrix

3) Dijkstra's Algorithm:

```
#include <stdio.h>
Pnt cost[10][10], n, result[10][2], weight[10];
```

```
void degrees[10] (Pnt cost[10][10], Pnt s) {
```

```
Pnt d[10], prev[10], visited[10];
```

```
Pnt p, g, mn, v, u, R;
```

```
for (p=0; p<10; p++) {
```

```
d[p] = 999; g[p] = -1;
```

```
visited[p] = 0;
```

```
mn[p] = 999;
```

```
d[s] = 0; mn[s] = 0;
```

```
visited[s] = 1;
```

```
for (p=0; p<n; p++) {
```

```
mn[p] = 999;
```

```
u = 0;
```

```
for (g=0; g<n; g++) {
```

```
if (visited[g] == 0) {
```

```
if (d[g] < mn[g]) {
```

```
mn[g] = d[g];
```

```
u = g; }
```

```
visited[u] = 1;
```

```
for (v=0; v<n; v++) {
```

```
if (visited[v] == 0 && (d[u] + cost[u][v])
```

```
< d[v])) {
```

```
d[v] = d[u] + cost[u][v];
```

```
prev[v] = u;
```

```
}
```

```
for( P=0; P<n; P++) {
```

```
    result[P][0] = p[P];
```

```
    result[P][1] = p; j initialization for
```

```
    weight[P] = d[P]; initial weight bsw
```

```
}
```

```
y
```

```
int main() {
```

```
Pnt P, s, g; PPP = 0.00
```

```
printf("Enter the no. of vertices : ");
```

```
scanf("%d", &n);
```

```
printf("Enter the adjacency matrix : ");
```

```
for( P=0; P<n; P++) {
```

```
    for( g=0; g<n; g++) {
```

```
        scanf("%d", &cost[P][g]);
```

```
}
```

```
{
```

```
printf("Enter the source vertex : ");
```

```
scanf("%d", &s);
```

```
dijkstra(cost, s);
```

```
printf("Path : ");
```

```
for( P=1; P<n; P++)
```

```
    printf(" (%.d, %.d) wth the weight %.d ",
```

~~result[P][0], result[P][1],~~~~weight[result[P][1]]);~~

```
}
```

```
return 0;
```

```
if( (n&1) == 0 || (n>18&n) ) {
```

```
    printf("odd or >
```

```
> 18 or even + 1 <= n <= 18
```

```
    P.T.O.
```

```
Output
```

3-8 A]

OUTPUT: Enter the number of vertices:

Enter the number of edges:

Enter the lost adjacency matrix:

(Path seen)

(using $\alpha = 0.9$) of

form $\alpha P + (1-\alpha)I$

$W = \alpha P + (1-\alpha)I$

($P = v$ for small)

(Path seen)

(using $\alpha = 0.9$) of

$I - \alpha P + (1-\alpha)I$

(using $\alpha = 0.9$) of

(using $\alpha = 0.9$) of

(using $\alpha = 0.9$) of

$I = P + (1-\alpha)I$

(using $\alpha = 0.9$) of

(using $\alpha = 0.9$) of

$I = P + (1-\alpha)I$

(using $\alpha = 0.9$) of

P.T.O

(using $\alpha = 0.9$) of

(using $\alpha = 0.9$) of

(using $\alpha = 0.9$) of

LAB - 6

→ Fractional Knapsack

#include < stdio.h >

void knapsack (int n, float p[], float w[], float v[])

{

int used[n];

for (int i=0; i<n; i++)

used[i] = 0;

float cur_w = 0;

float tot_v = 0;

while (cur_w < W) {

maxP = -1;

for (int i=0; i<n; i++) {

if ((used[i] == 0) && (maxP == -1))

|| ((float) w[i] / p[i]) > maxP)

maxP = i;

used[maxP] = 1;

if (w[maxP] <= cur_w)

cur_w += w[maxP];

cur_w = 0;

tot_v += (float) taken / p

[maxP] * p[maxP];

printf ("Filled the bag with objects
%.2f\n") tot_v;

}

int main ()

{

int n, w;

printf ("Enter the weight of the obj
-ects : ");

for (int i=0; i<n; i++)

scanf ("%d", &w);

F - 9A

Knapsack (n, p, w, W);
return 0;

)

(d-fib) > subprob

(d-fib) > subprob

OUTPUT:

Enter the weight of the objects 13 5 4 1
3 2

① Filled the bag with 10 objects worth 36.00.

v

(d-fib) > subprob

(d-fib) > subprob

(d-fib) > subprob

g((0 = 1)) > subprob, base

(d-fib) > subprob

o = found inf

i = 1 inf

g((0 = 1)) > subprob

(d-fib) > subprob

g((1, n) > subprob, i = 2) > subprob

(d-fib) > subprob

g((0 = 2) > subprob)

3 4 2 1

g((0 = 2)) >

LAB - 7

→ N-queens (Problem 1) using g++ compiler
#include <stdio.h> SO many
#include <stdbool.h>

bool place (int[], int);
void print (int[], int);
void nQueens (int[]);
int main () {

int n;

printf ("Enter the number of
queens: ");
scanf ("%d", &n);
nQueens (n);
return 0;

}
void nQueens (int n){
int x[10];
int count = 0;
int k = 1;

while (k != 0) {
x[k] = x[k] + 1;

where ($x[k] \leq n$ & !place(x, k)) {
 $x[k] = x[k] + 1;$

}

if ($x[k] \leq n$) {
k++;
 $x[k] = 0;$

}
else

k = -;

}

11

```
    printf("Total solns: %d\n", count);  
}  
  
void printSC(int x[10], int n) {  
    for (int p = 1; p <= n; p++)  
        printf("%d.", x[p]);  
    printf("\n");  
}
```

OUTPUT:

Enter the number of queens : 4

2 4 1 3

Solution found

3 1 4 2

~~Solution found~~

Total Solns : 2.

~~15/7/24~~