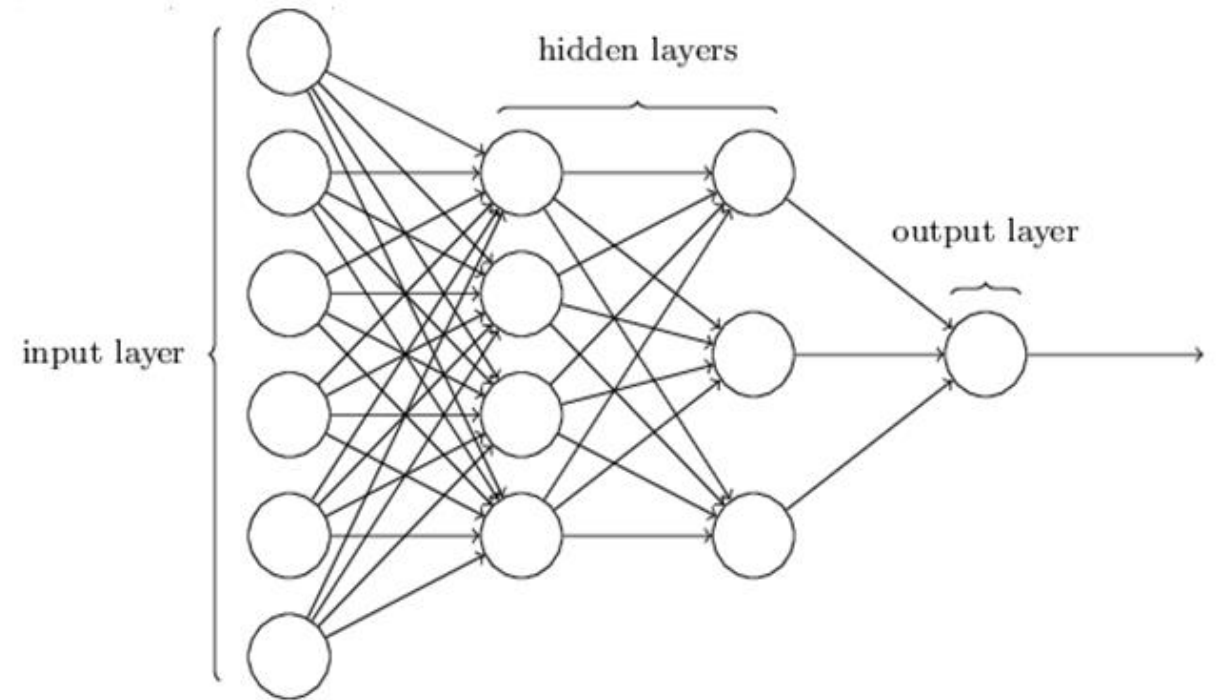
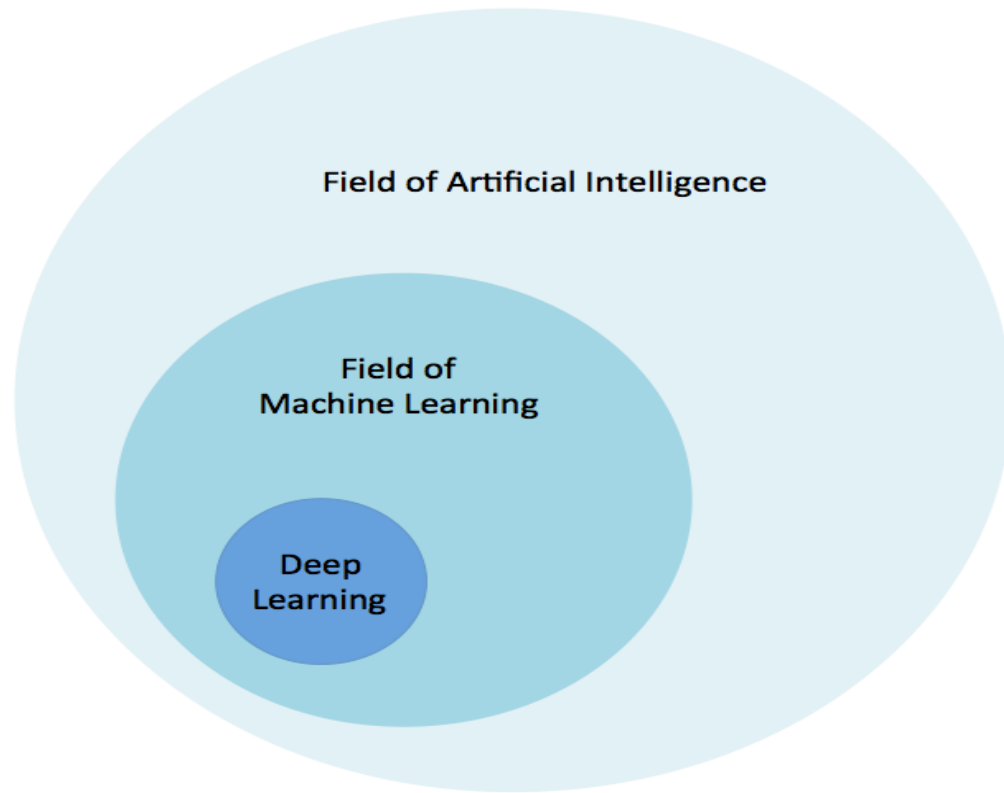


Deep Learning

Mithun Prasad, PhD
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What Is Deep Learning?

1. Based on Algorithms that attempt to model high level abstractions in data
2. Deep learning is synonymous with artificial neural network (ANN)
3. The “deep” in deep learning refers to the depth of the network. An ANN can be very shallow



Why Is Deep Learning Popular?

- ❑ DL models has been here for a long time
 - Fukushima (1980) – Neo-Cognitron
 - LeCun (1989) – Convolutional Neural Network
- ❑ DL popularity grew recently
 - With growth of Big Data
 - With the advent of powerful GPUs

Motivation: Why Go Deep

- Deep Architectures can be representationally efficient
Fewer computational units for same function
- Deep Representations might allow for a hierarchy or representation
Allows non-local generalization
Comprehensibility
- Multiple levels of latent variables allow combinatorial sharing of statistical strength
- Deep architectures work well (vision, audio, NLP, etc.) !

Different Levels Of Abstraction

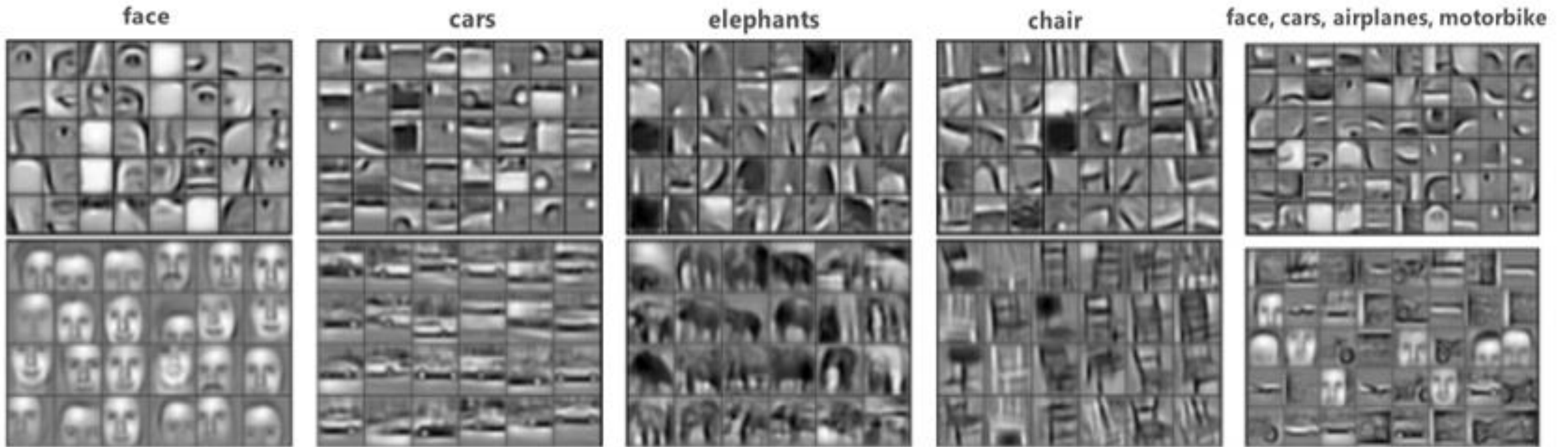
Hierarchical Learning

- Natural progression from low level to high level structure as seen in natural complexity
- Easier to monitor what is being learnt and to guide the machine to better subspaces
- A good lower level representation can be used for many distinct tasks

Compositional Data

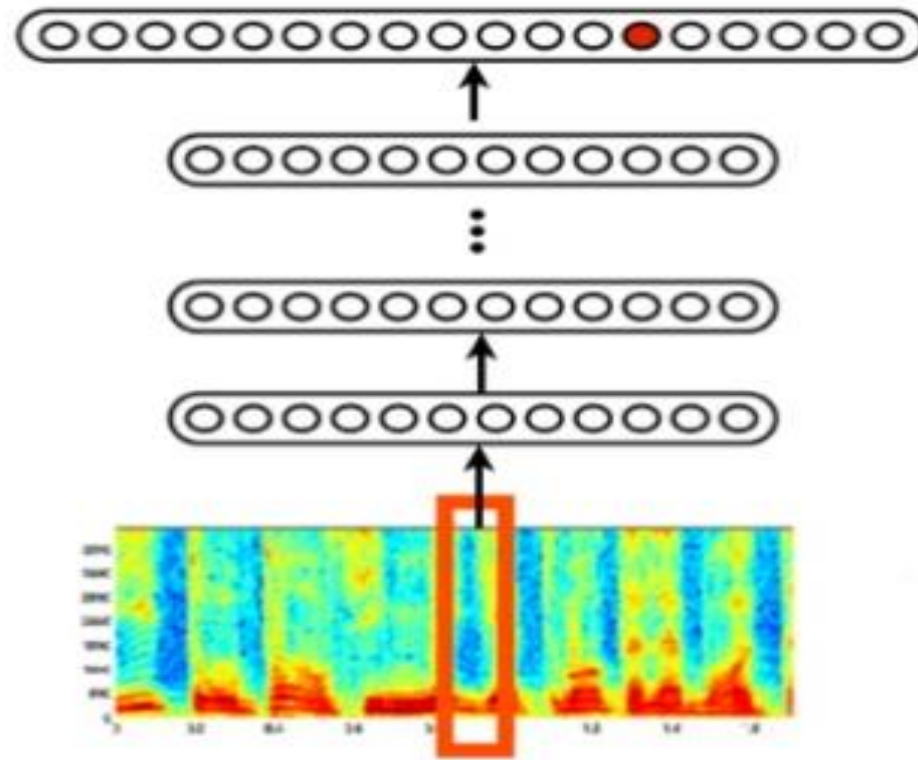
NATURAL DATA
IS COMPOSITIONAL.

Compositional Data

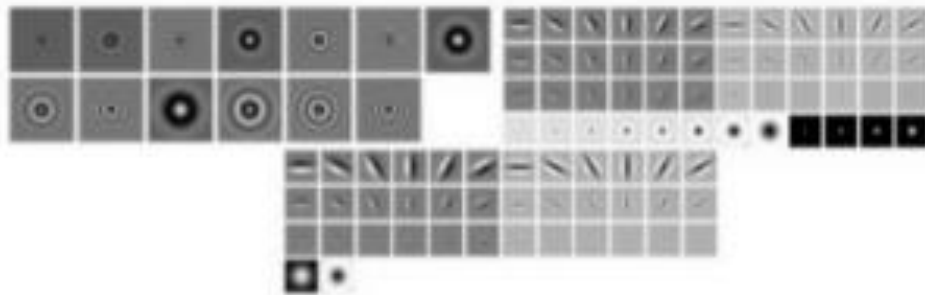
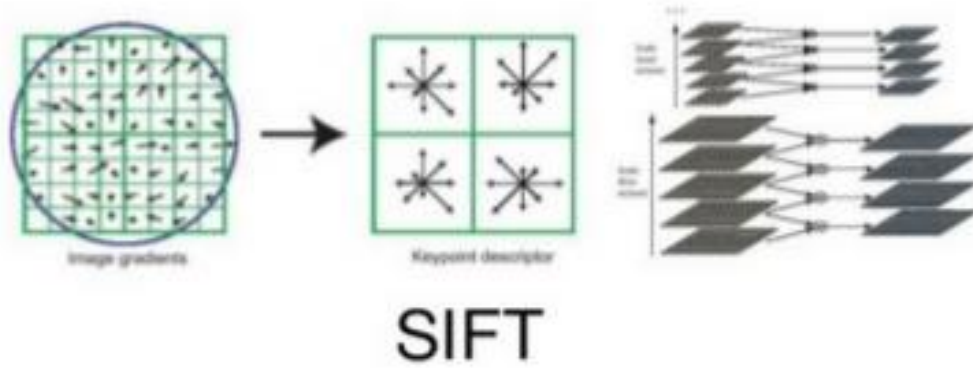


Compositional Data

Sound



Traditional vs Deep Learning



Textons

Traditional vs Deep Learning

Feature extractors, required:

- Expert knowledge
- Time-consuming hand-tuning
- In industrial applications, this 90% of the time
- Sometimes are problem specific

But, what if we could learn feature extractors ?

Traditional vs Deep Learning

Traditional ML requires manual feature extraction/engineering

Feature extraction for unstructured data is very difficult

Deep learning can automatically learn features in data

Deep learning is largely a "black box" technique, updating learned weights at each layer

Deep Learning Begins With A Little Function

It all starts with a humble linear function called a perceptron.

$$\begin{array}{r} \text{weight1} \times \text{input1} \\ \text{weight2} \times \text{input2} \\ + \quad \text{weight3} \times \text{input3} \\ \hline \text{sum} \end{array}$$

Perceptron:

If sum > threshold: output 1

Else: output 0

Example: The inputs can be your data. Question: Should I buy this car?

$$\begin{array}{r} 0.2 \times \text{gas mileage} \\ 0.3 \times \text{horsepower} \\ + \quad 0.5 \times \text{num cup holders} \\ \hline \text{sum} \end{array}$$

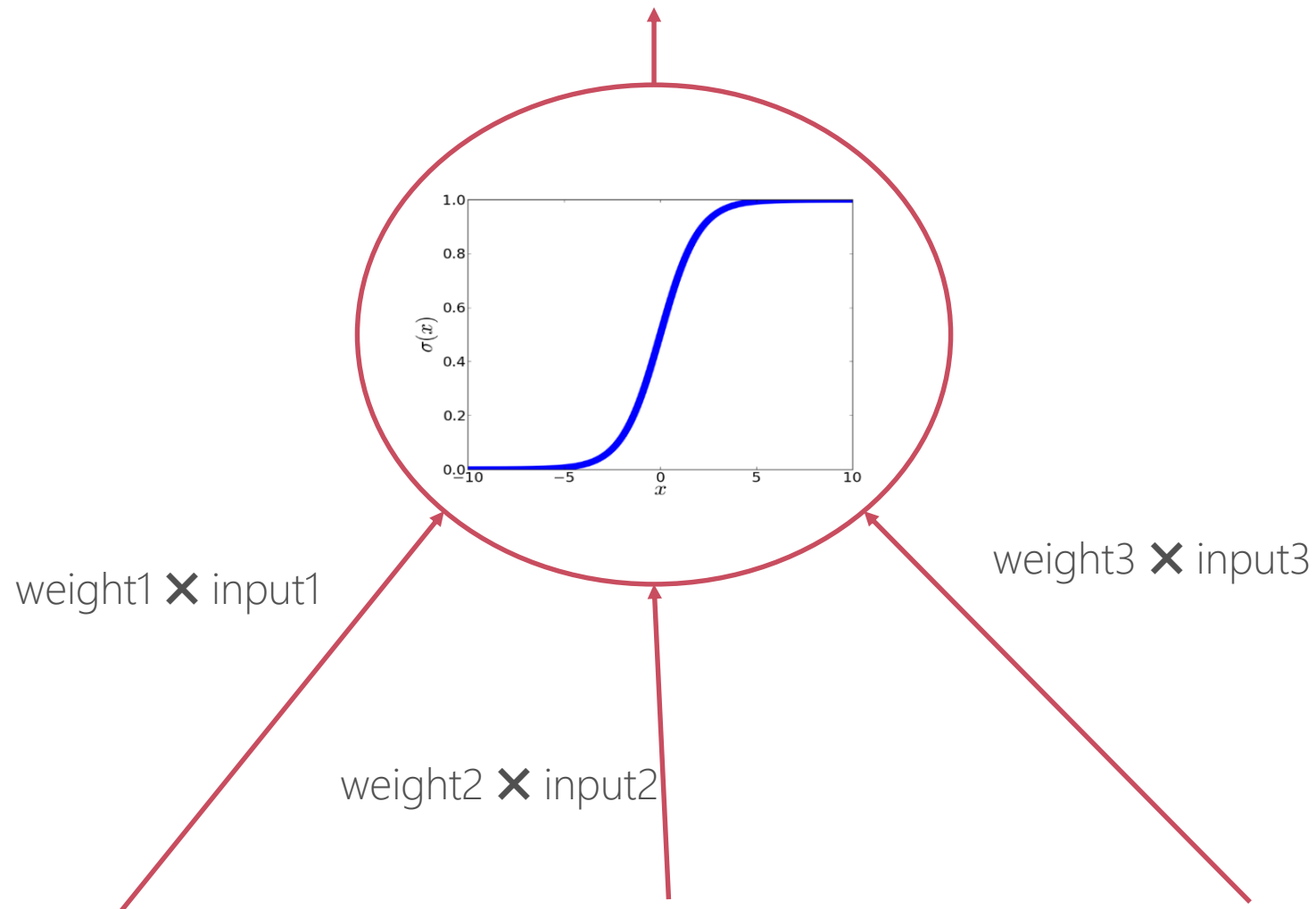
Perceptron:

If sum < threshold: buy

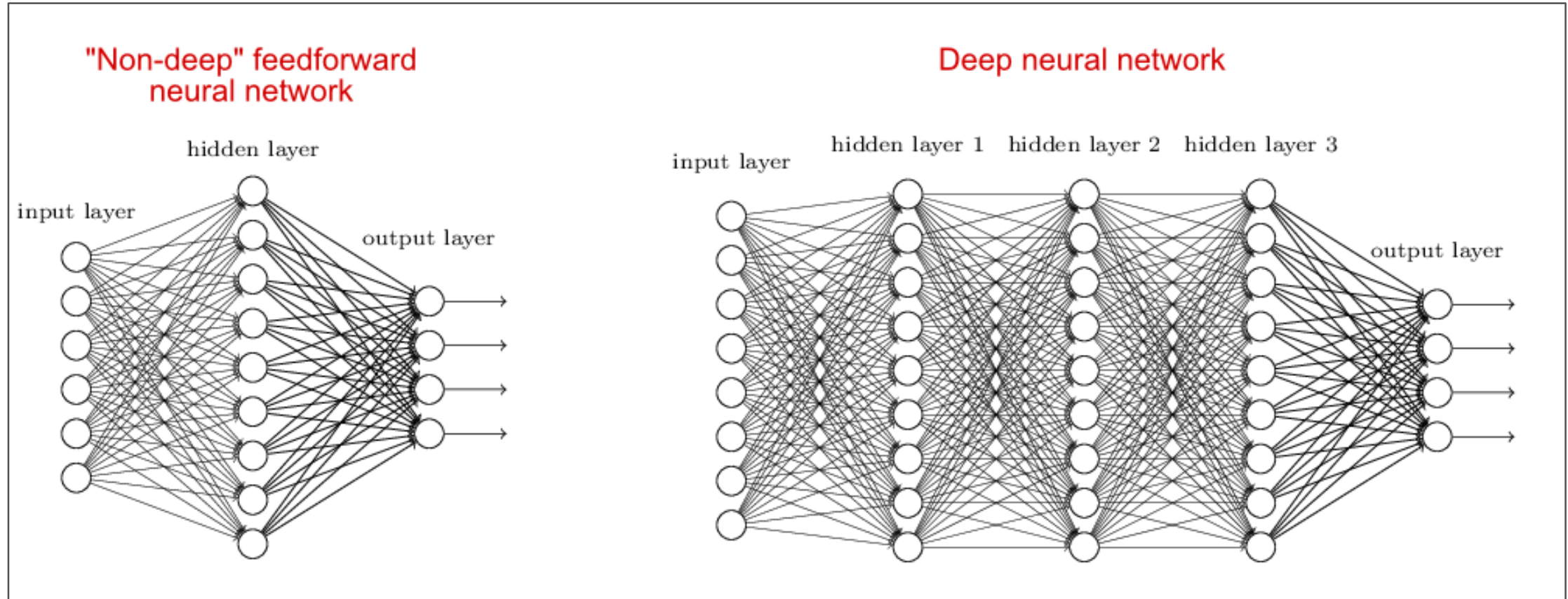
Else: walk

These Little Functions Are Chained Together

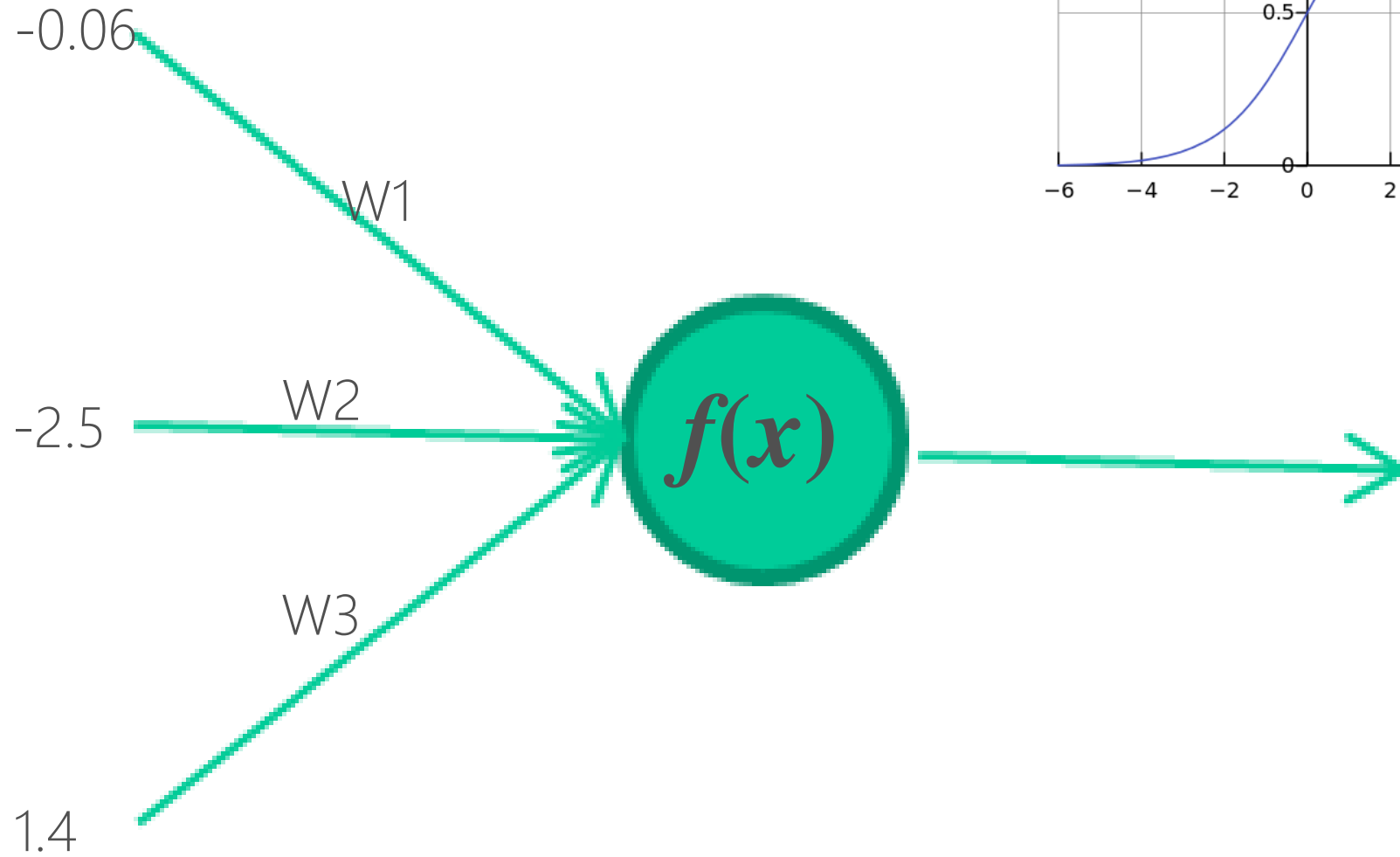
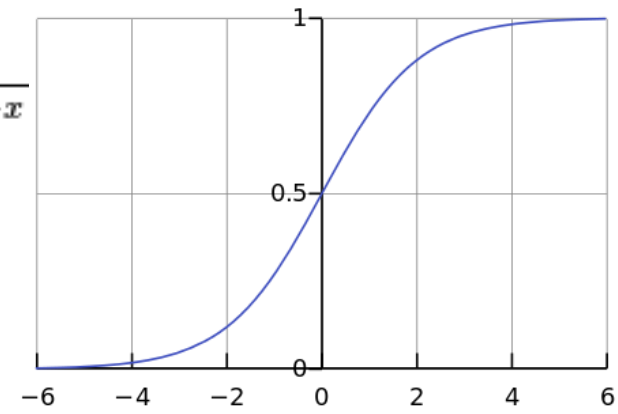
- Deep learning comes from chaining a bunch of these little functions together
- Chained together, they are called neurons



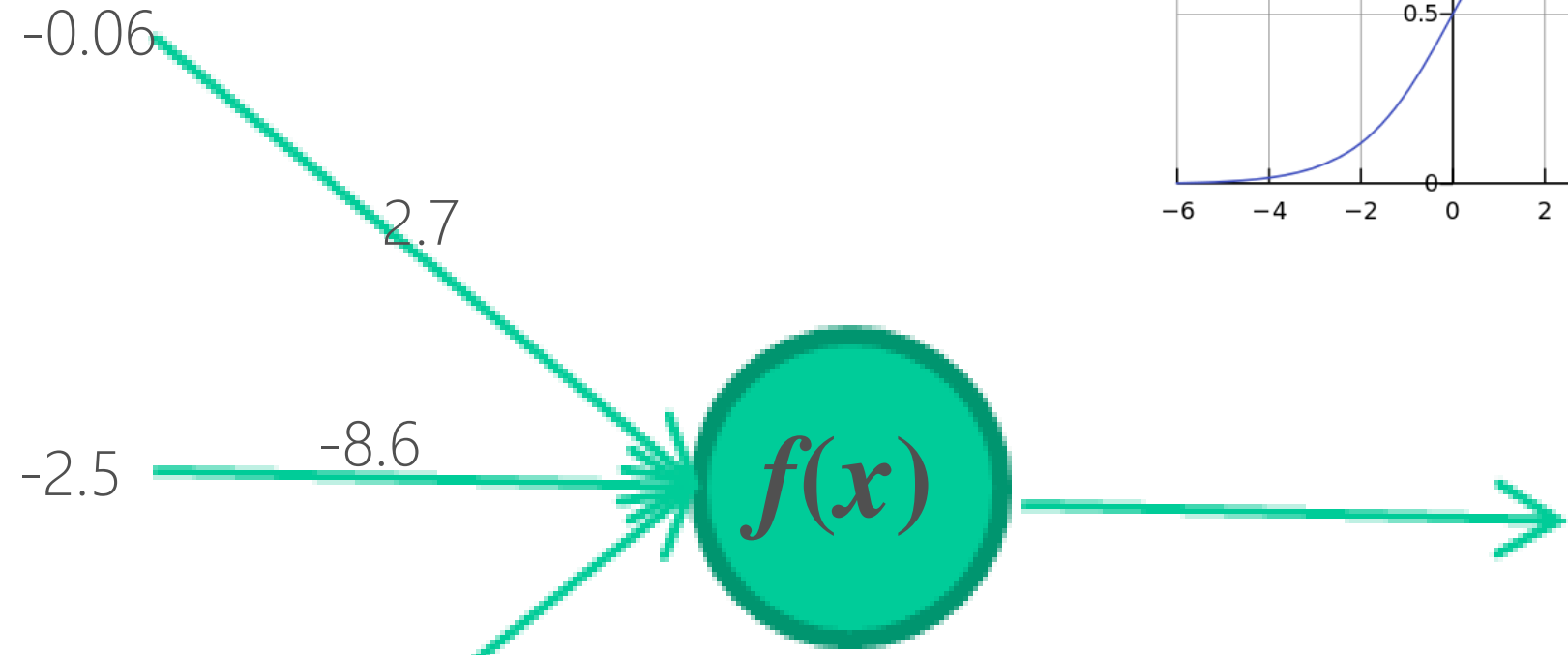
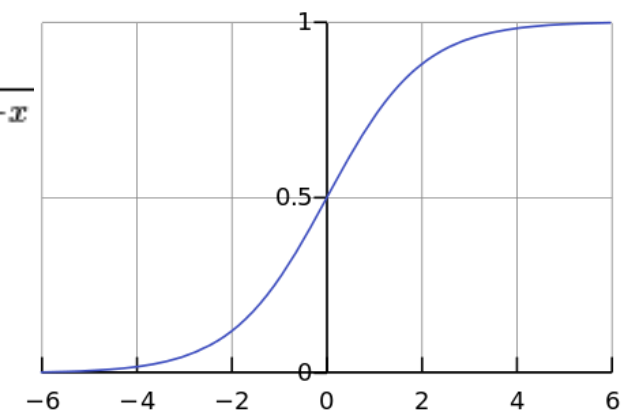
Deep Neural Network (DNN)



$$f(x) = \frac{1}{1 + e^{-x}}$$



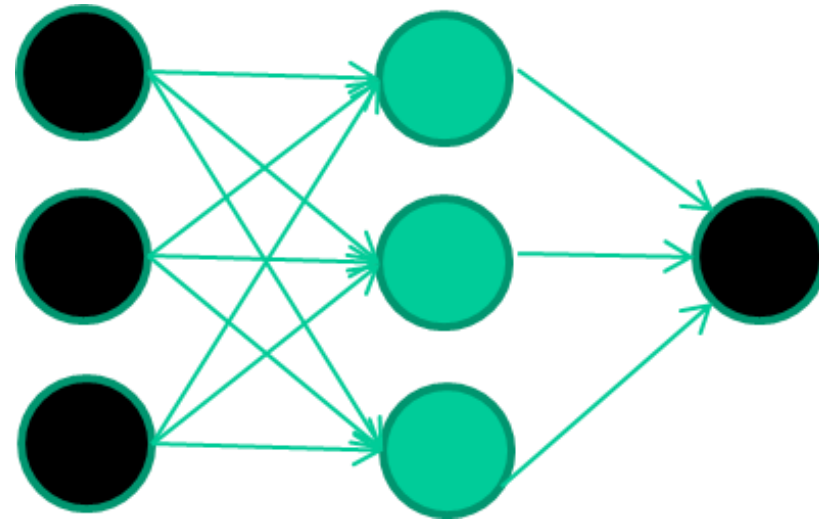
$$f(x) = \frac{1}{1 + e^{-x}}$$



$$x = -0.06 \times 2.7 + 2.5 \times 8.6 + 1.4 \times 0.002 = 21.34$$

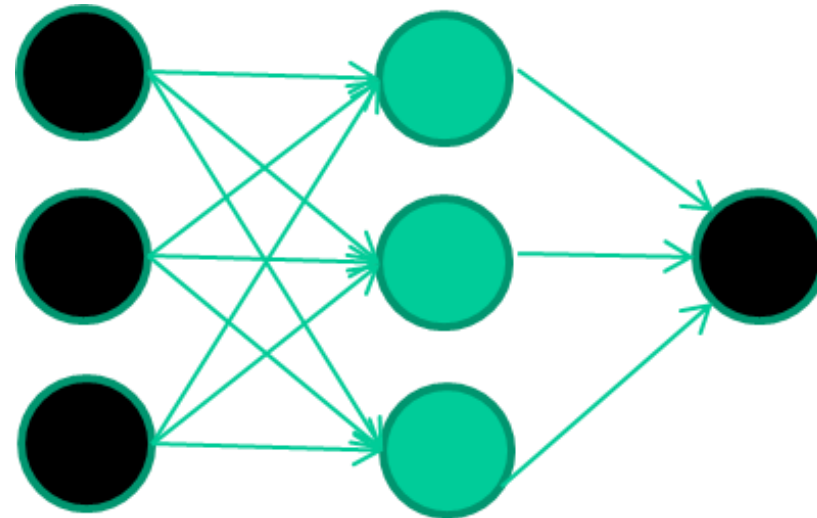
A dataset

<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	



Training the neural network

<i>Fields</i>			<i>class</i>
1.4	2.7	1.9	0
3.8	3.4	3.2	0
6.4	2.8	1.7	1
4.1	0.1	0.2	0
etc ...			



Training the neural network

<i>Fields</i>	<i>class</i>
---------------	--------------

1.4 2.7 1.9	0
-------------	---

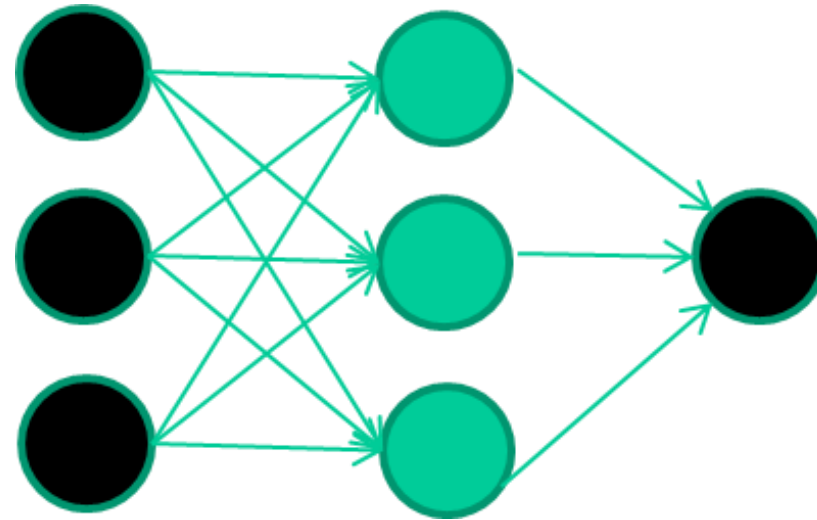
3.8 3.4 3.2	0
-------------	---

6.4 2.8 1.7	1
-------------	---

4.1 0.1 0.2	0
-------------	---

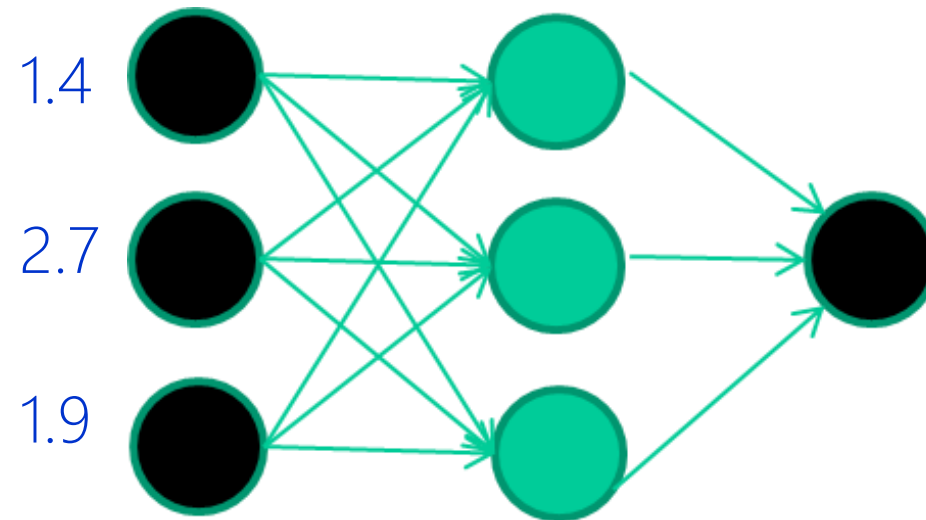
etc ...

Initialise with random weights



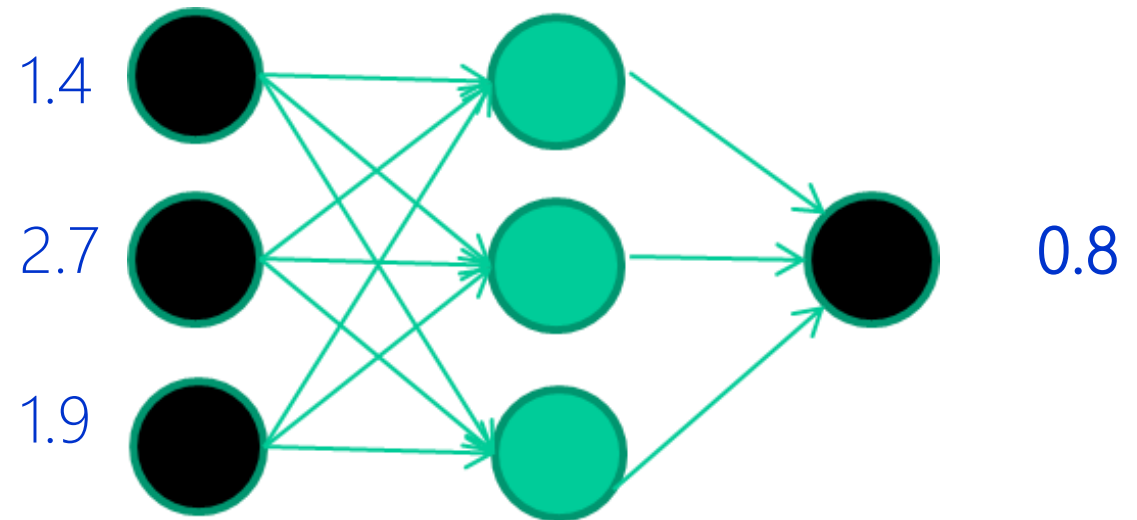
<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

Present a training pattern



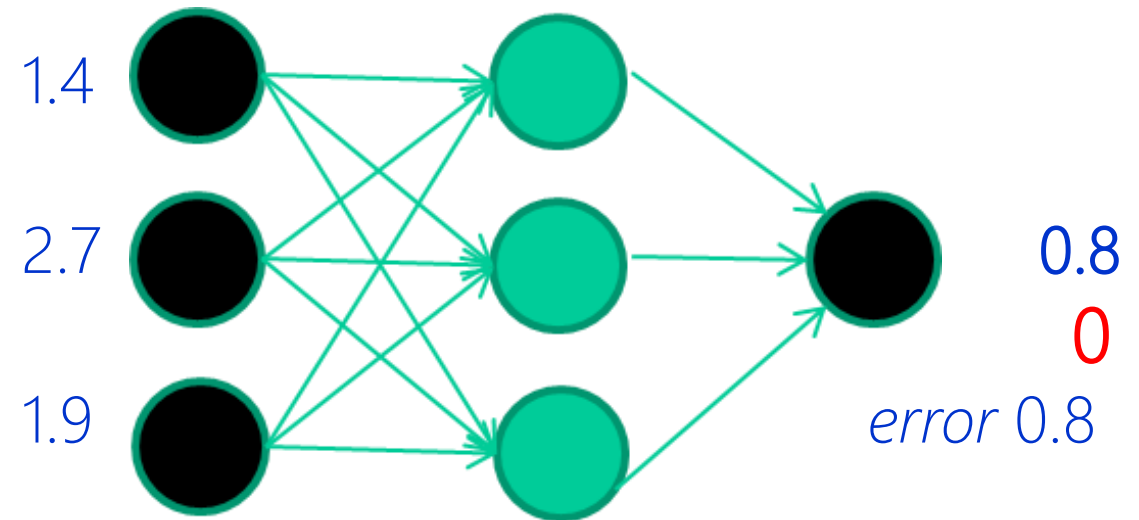
<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

Feed it through to get output



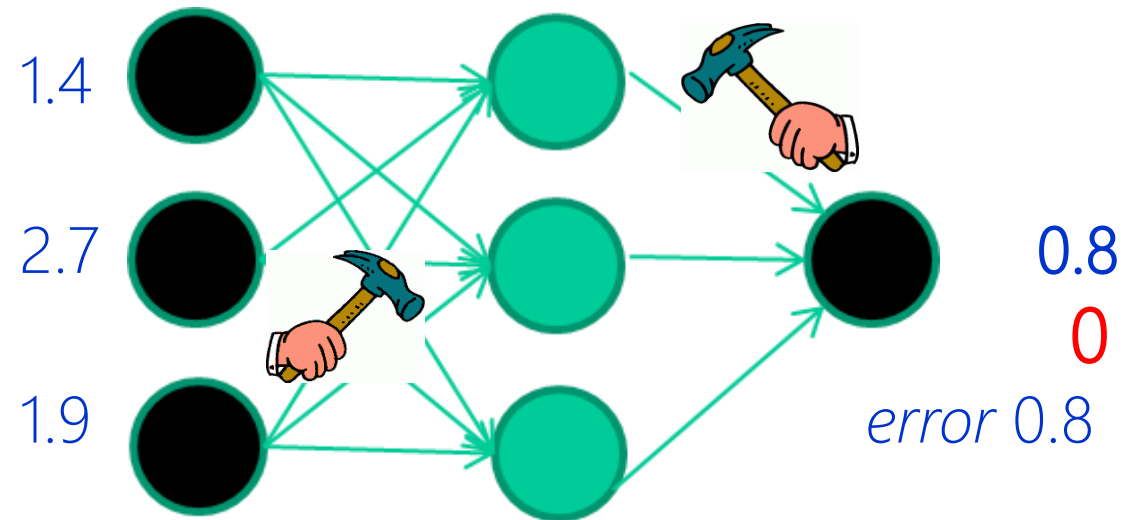
<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

Compare with target output



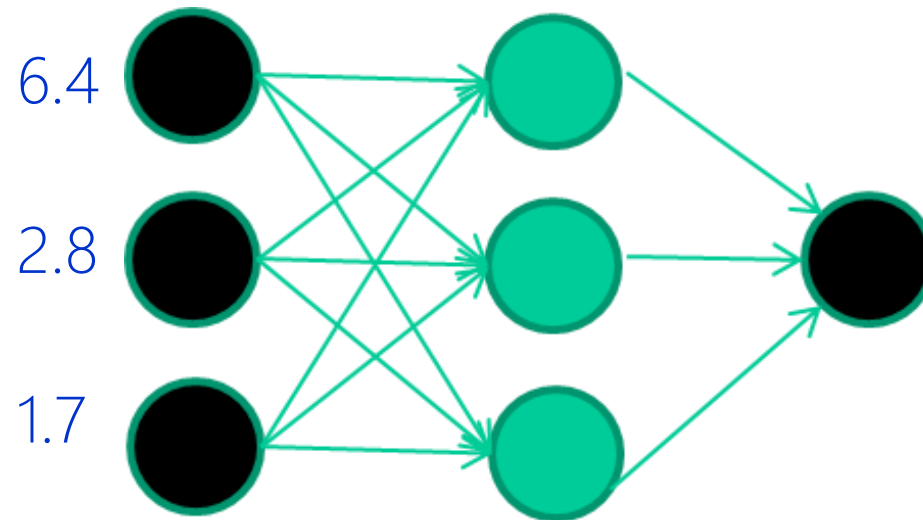
Fields			class
1.4	2.7	1.9	0
3.8	3.4	3.2	0
6.4	2.8	1.7	1
4.1	0.1	0.2	0
etc ...			

Adjust weights based on error



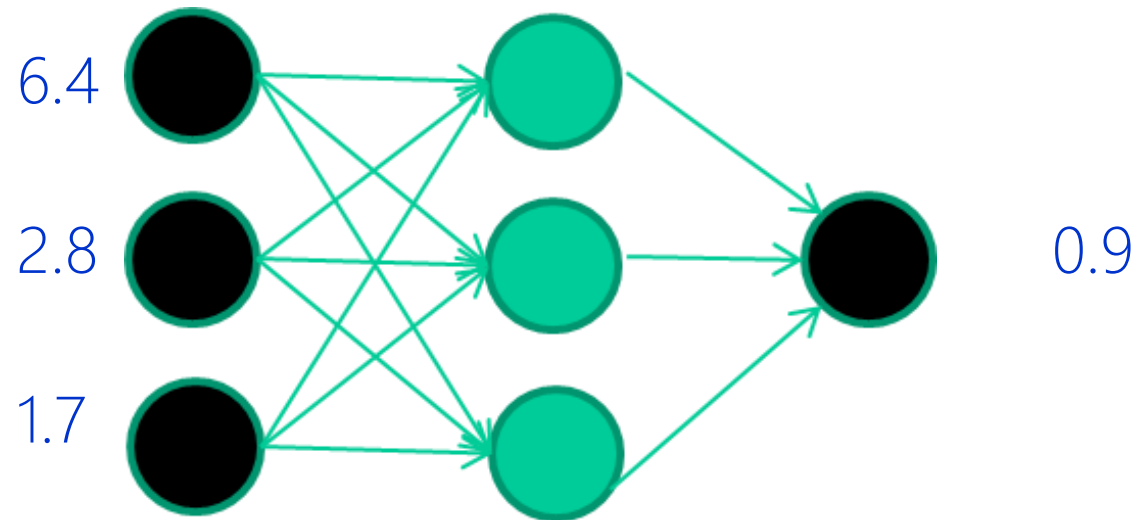
<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

Present a training pattern



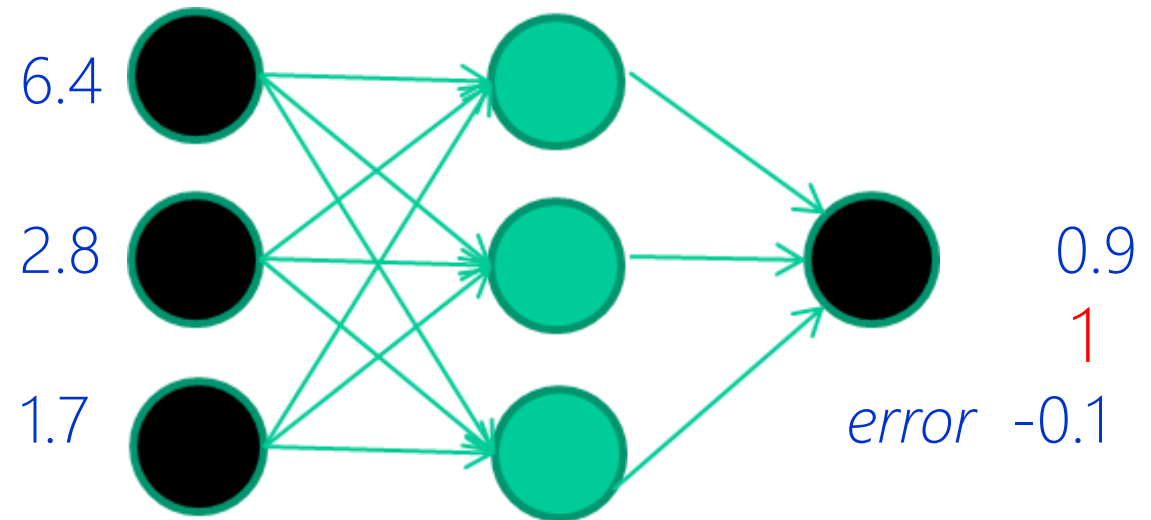
<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

Feed it through to get output



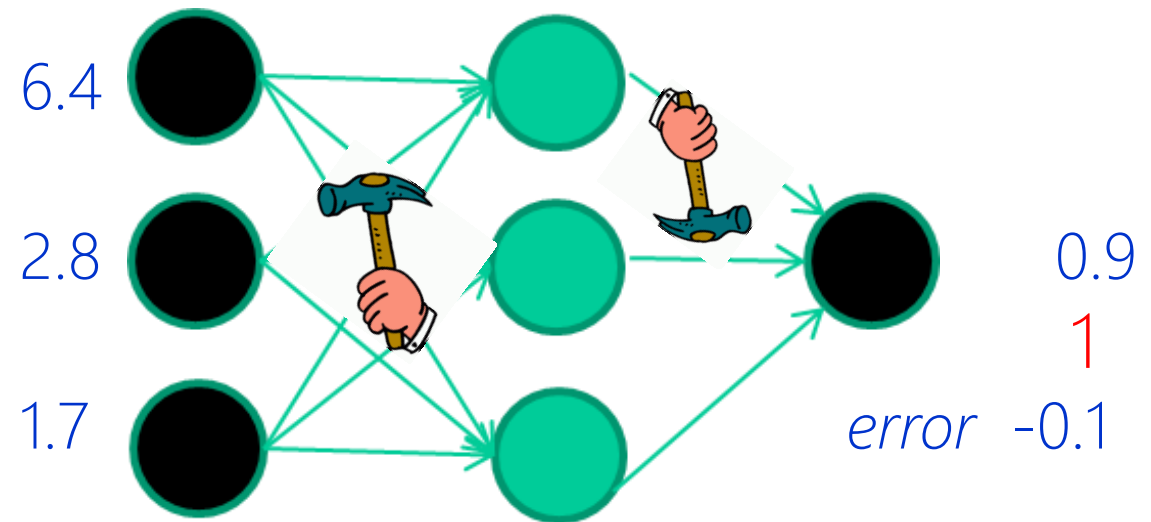
<i>Fields</i>	<i>class</i>
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

Compare with target output



Fields	class
1.4 2.7 1.9	0
3.8 3.4 3.2	0
6.4 2.8 1.7	1
4.1 0.1 0.2	0
etc ...	

And so on

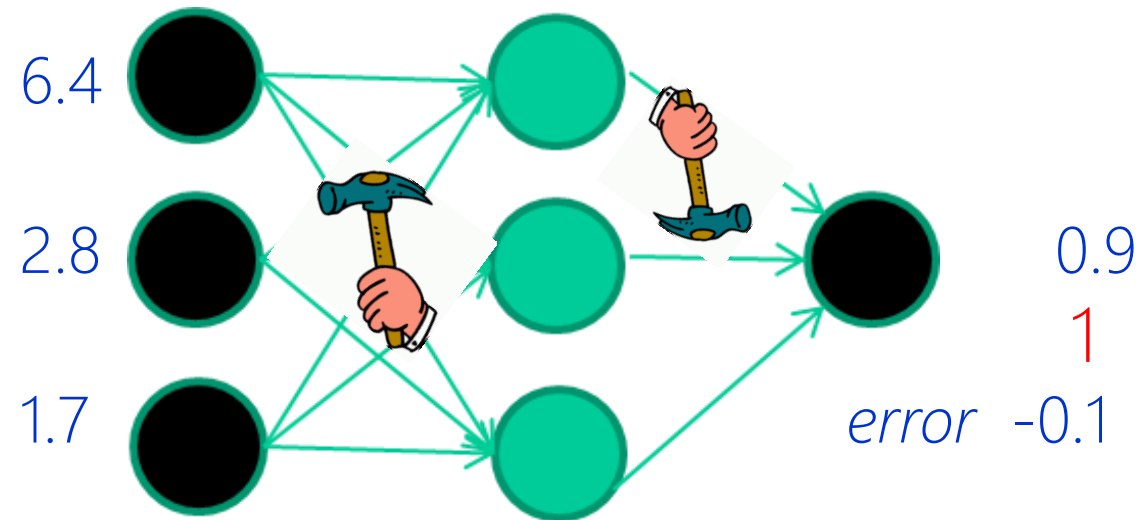


Repeat this thousands, maybe millions of times – each time taking a random training instance, and making slight weight adjustments

Algorithms for weight adjustment are designed to make changes that will reduce the error

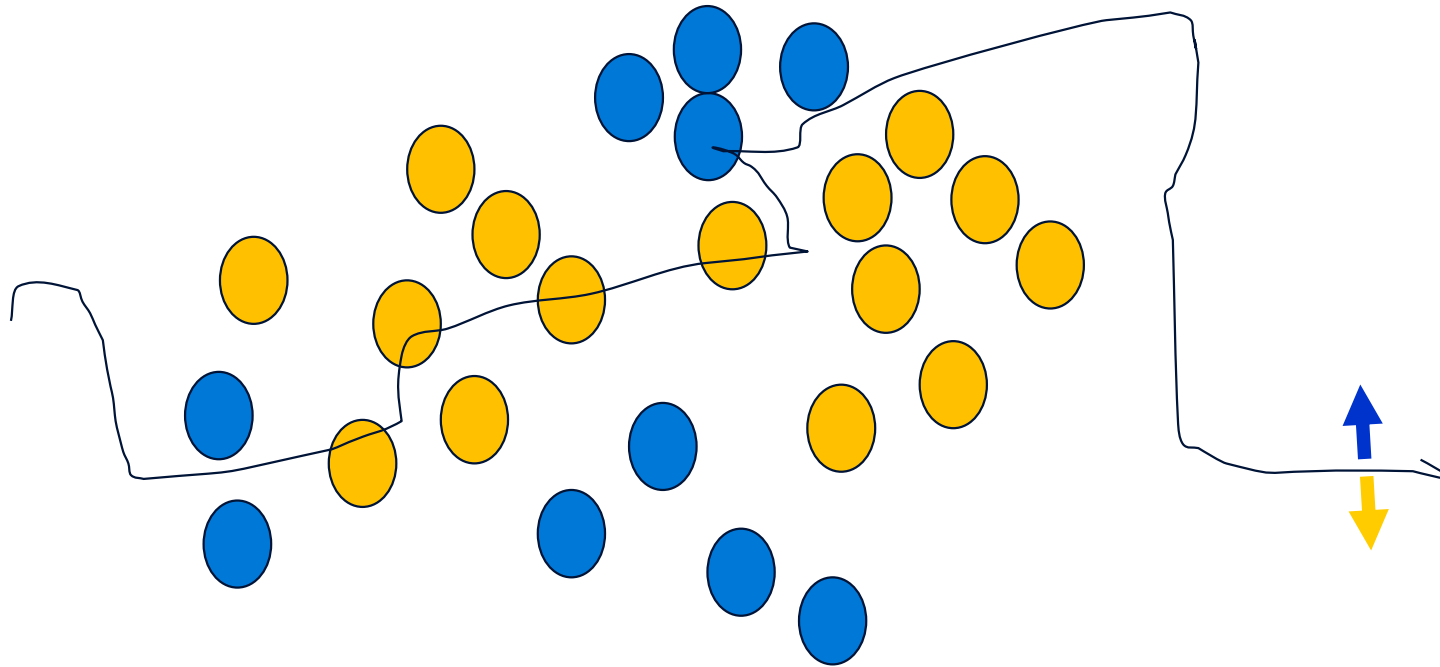
<i>Fields</i>			<i>class</i>
1.4	2.7	1.9	0
3.8	3.4	3.2	0
6.4	2.8	1.7	1
4.1	0.1	0.2	0
etc ...			

Adjust weights based on error



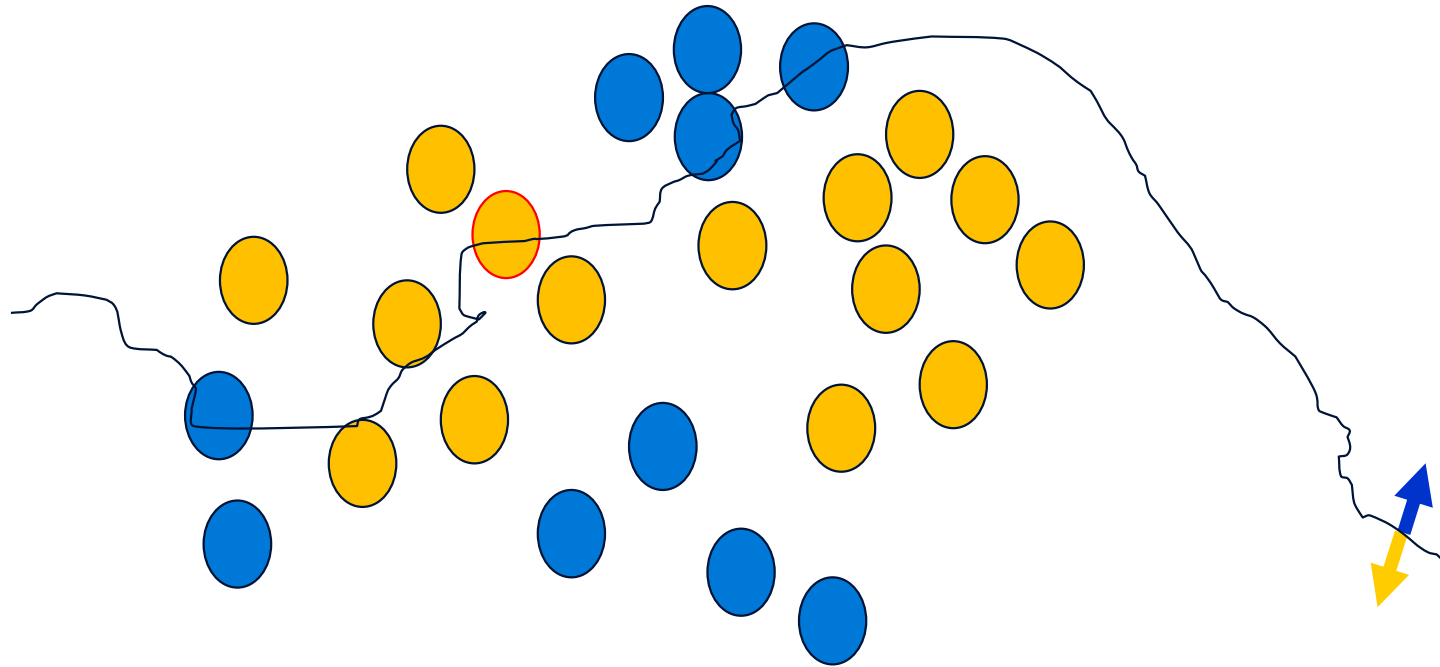
The Decision Boundary Perspective...

Initial random weights



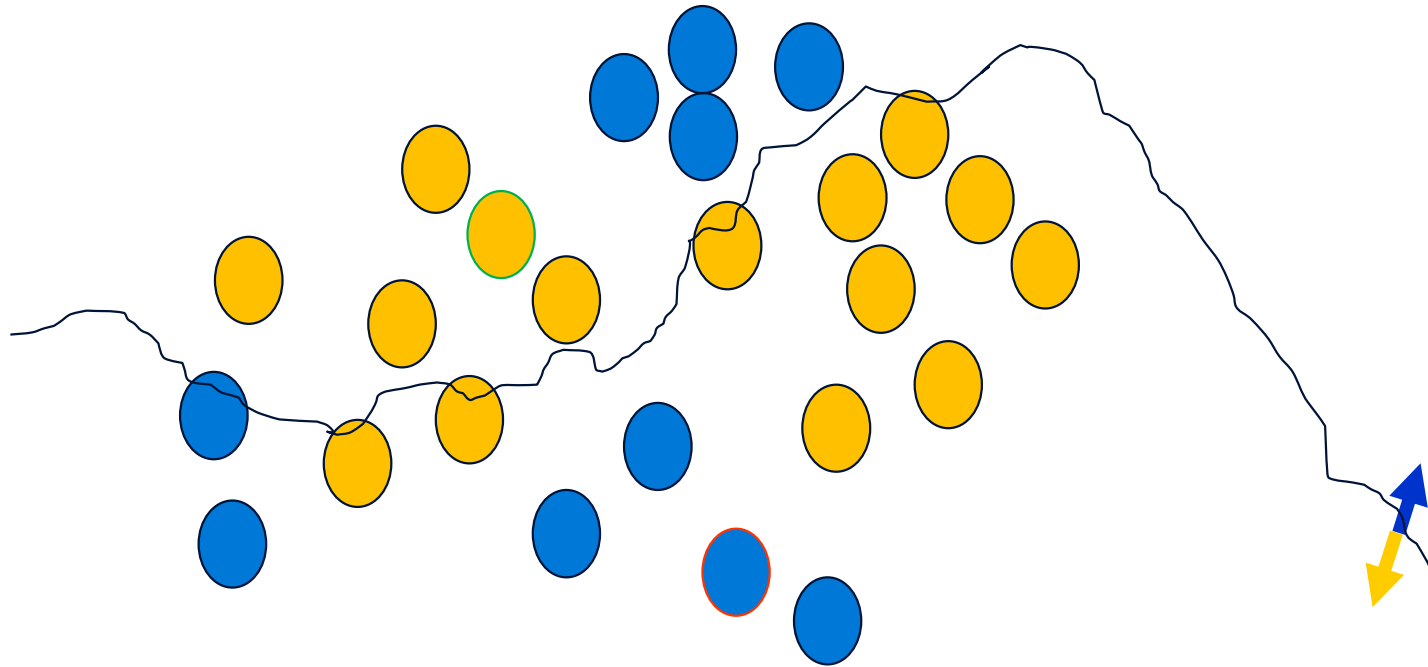
The Decision Boundary Perspective...

Present a training instance / adjust the weights



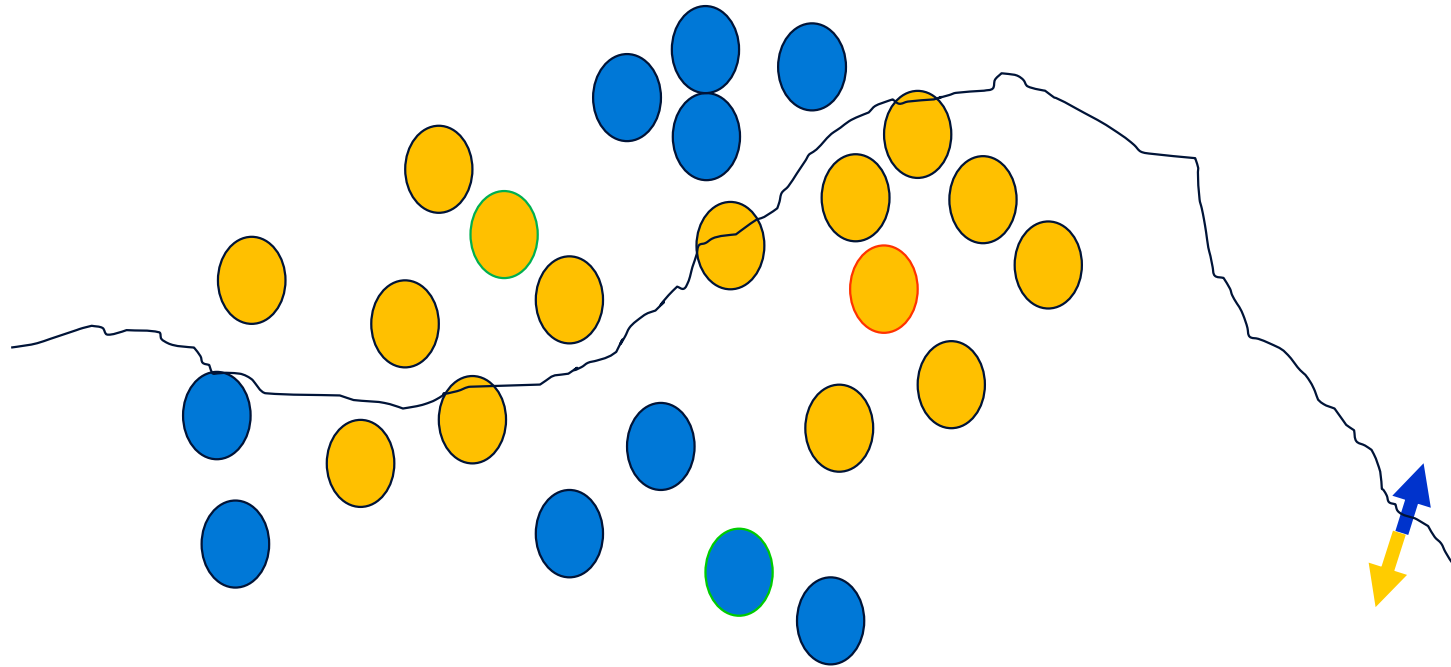
The Decision Boundary Perspective...

Present a training instance / adjust the weights



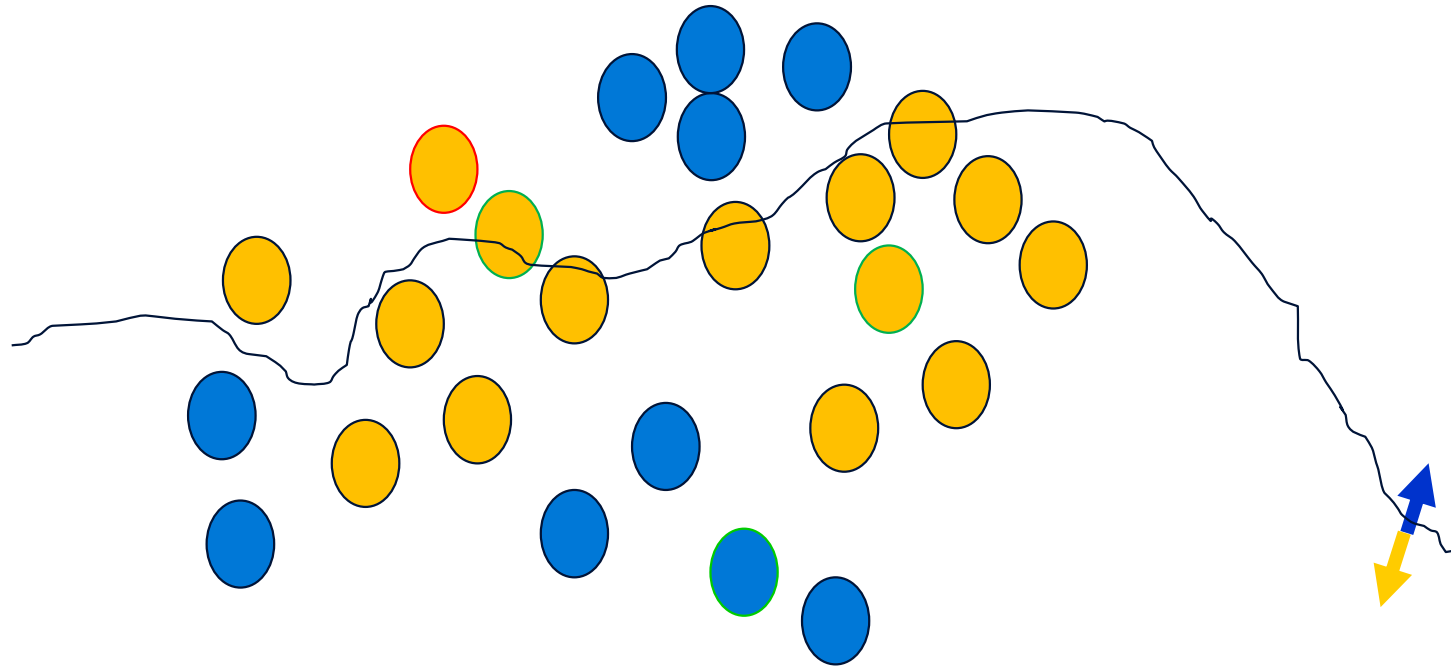
The Decision Boundary Perspective...

Present a training instance / adjust the weights



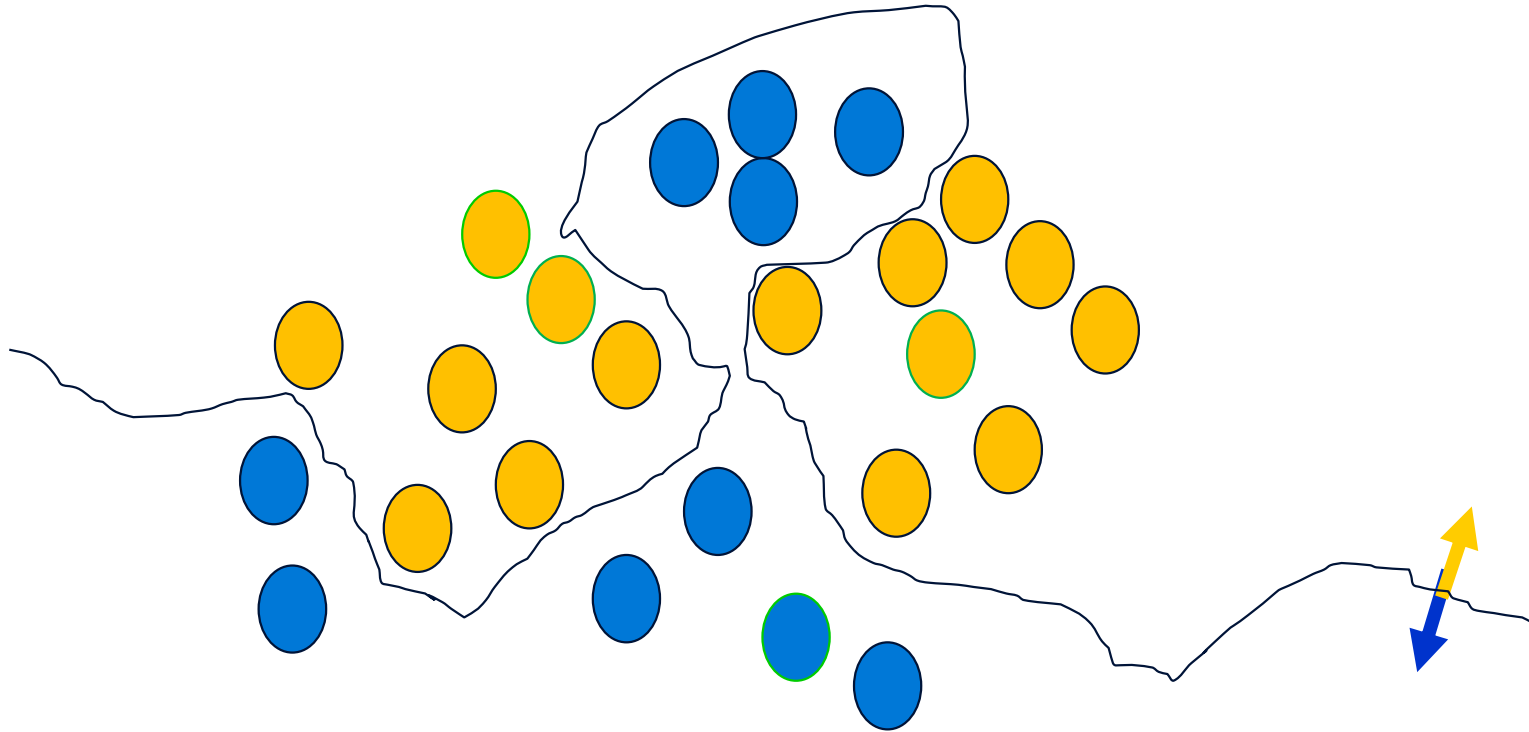
The Decision Boundary Perspective...

Present a training instance / adjust the weights



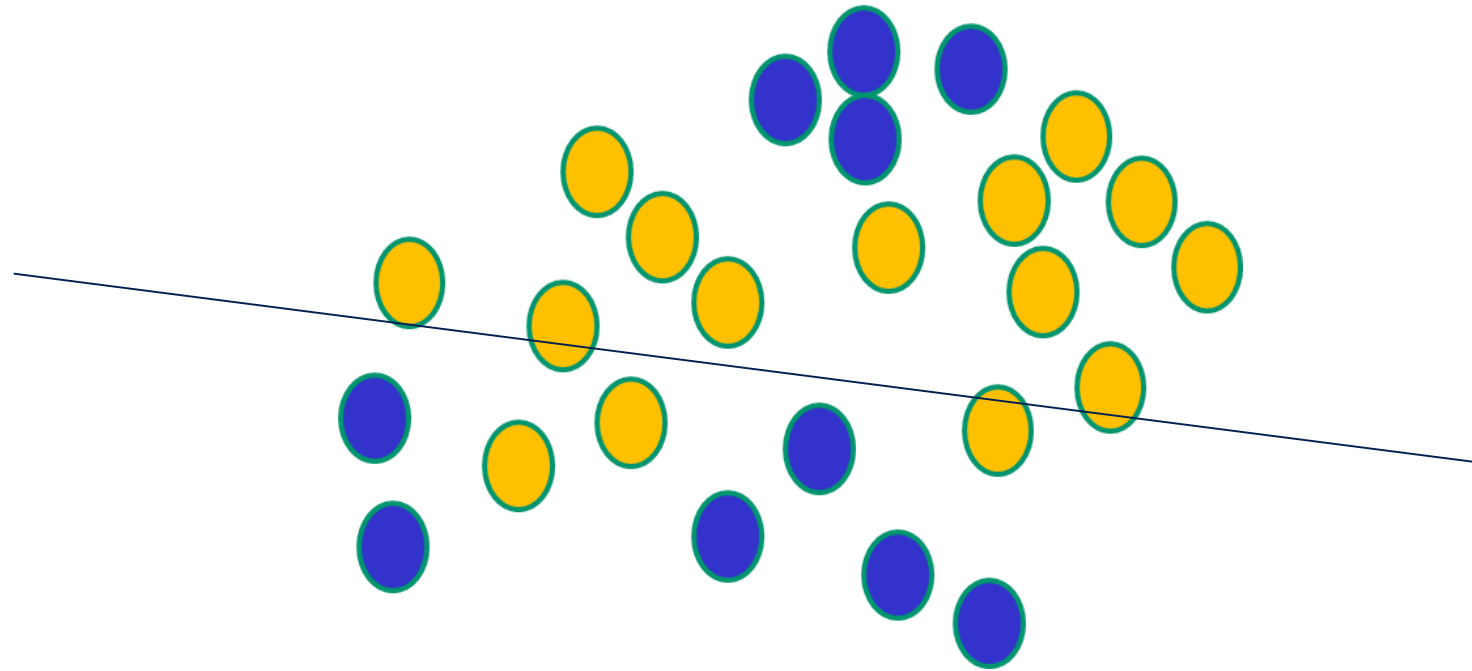
The Decision Boundary Perspective...

Eventually



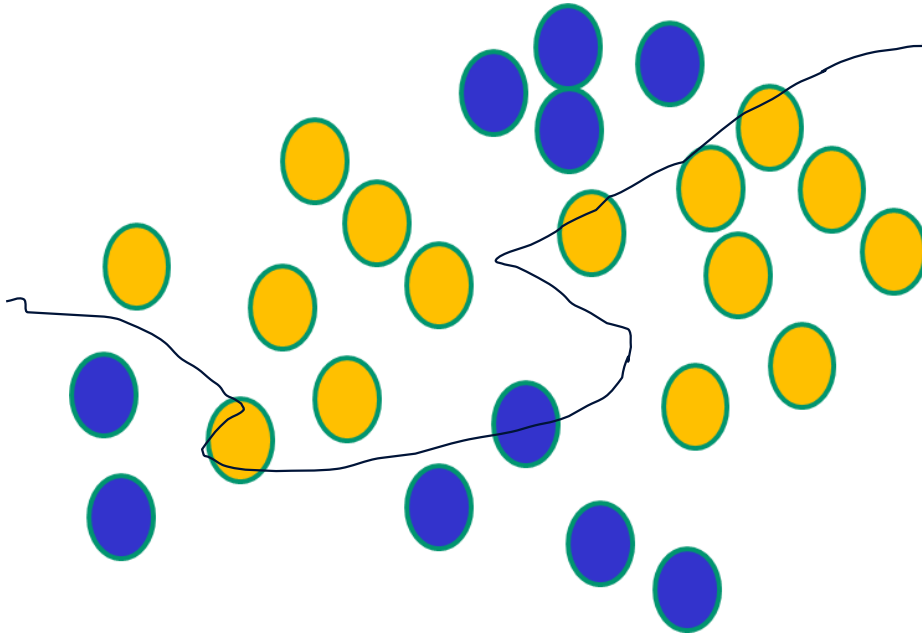
Some Other 'By The Way' Points

If $f(x)$ is linear, the NN can only draw straight decision boundaries (even if there are many layers of units)



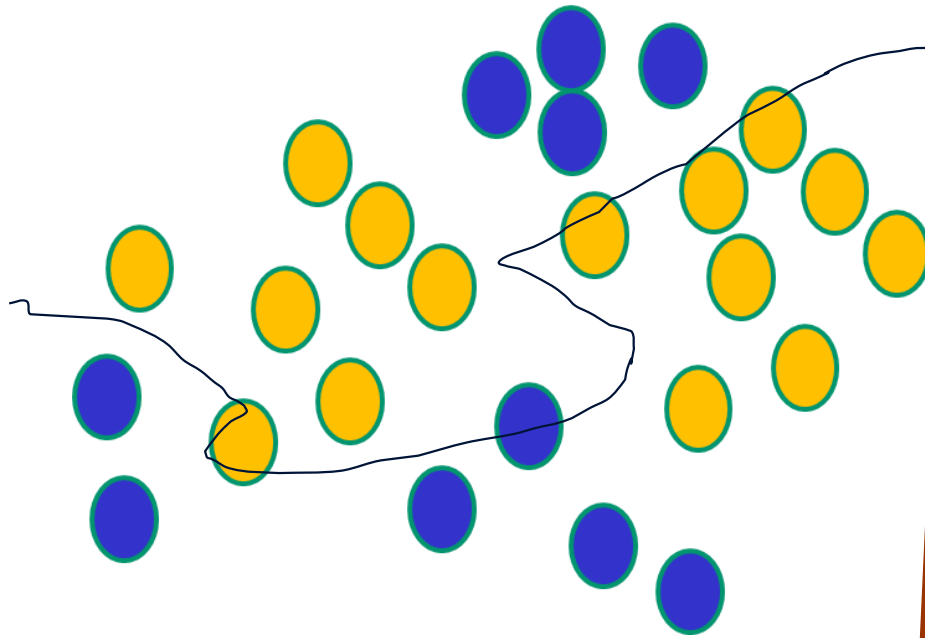
Some Other 'By The Way' Points

NNs use nonlinear $f(x)$ so they
can draw complex boundaries,
but keep the data unchanged

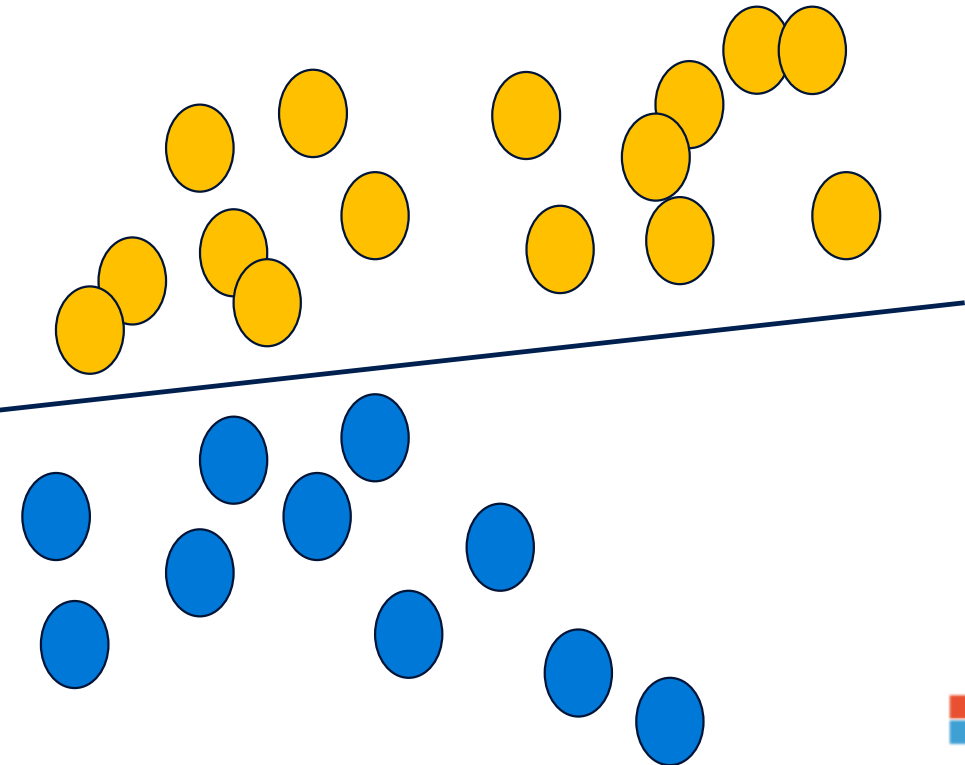


Some Other 'By The Way' Points

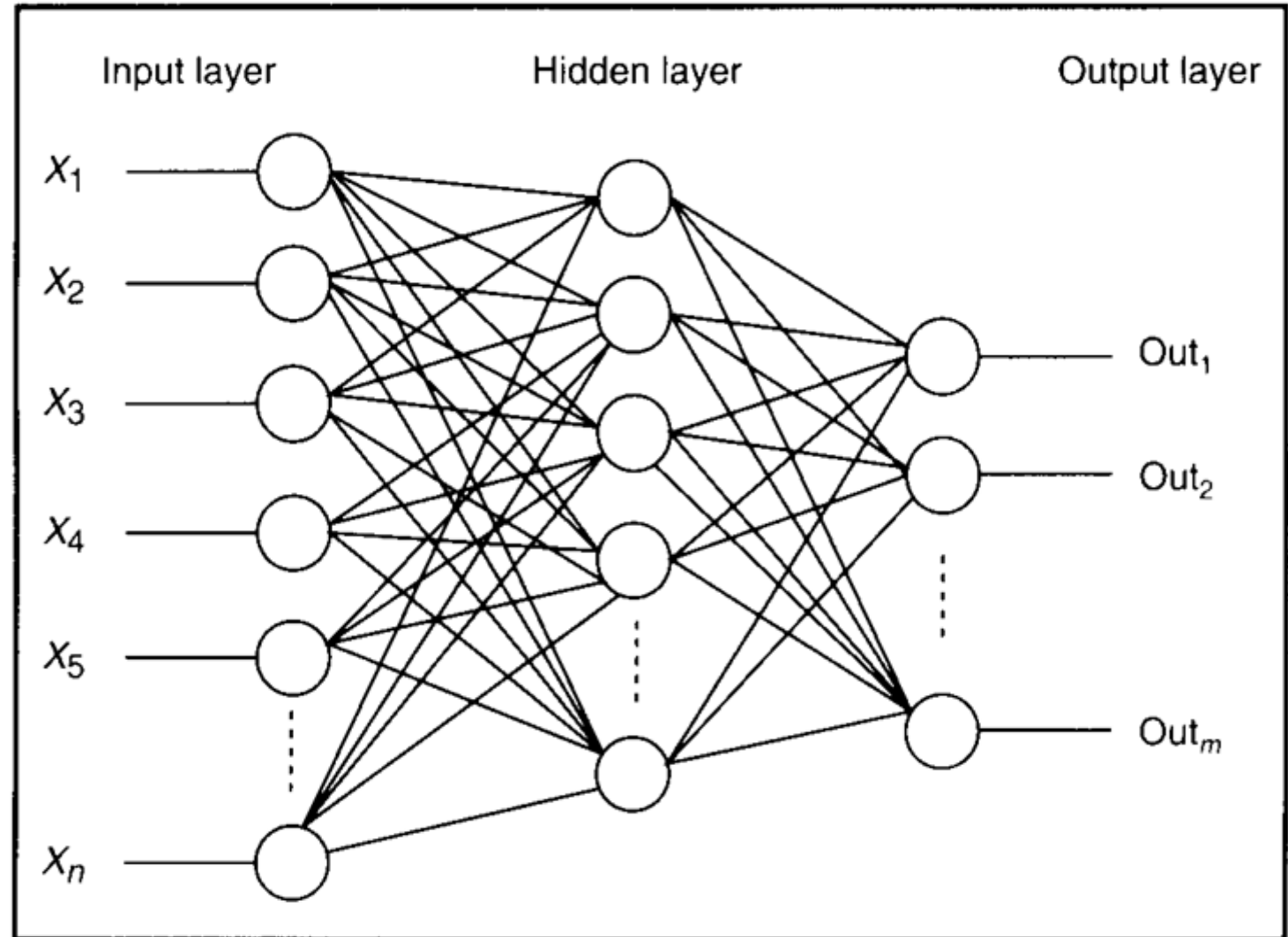
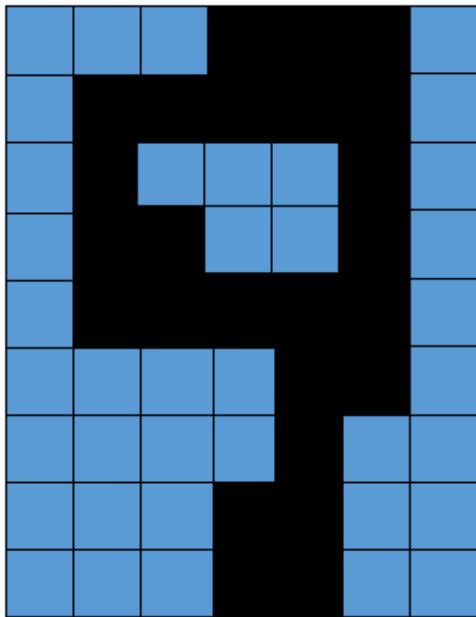
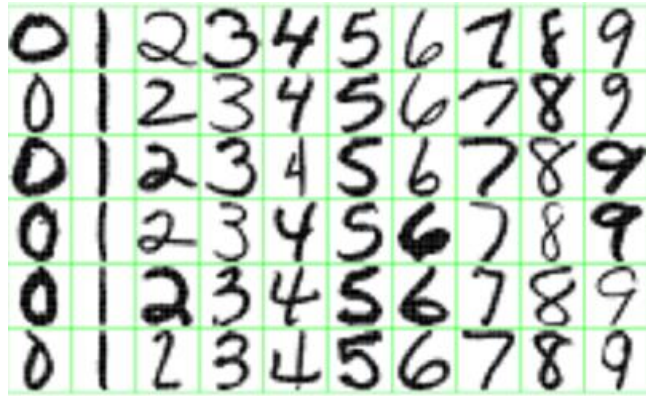
NNs use nonlinear $f(x)$ so they can draw complex boundaries, but keep the data unchanged



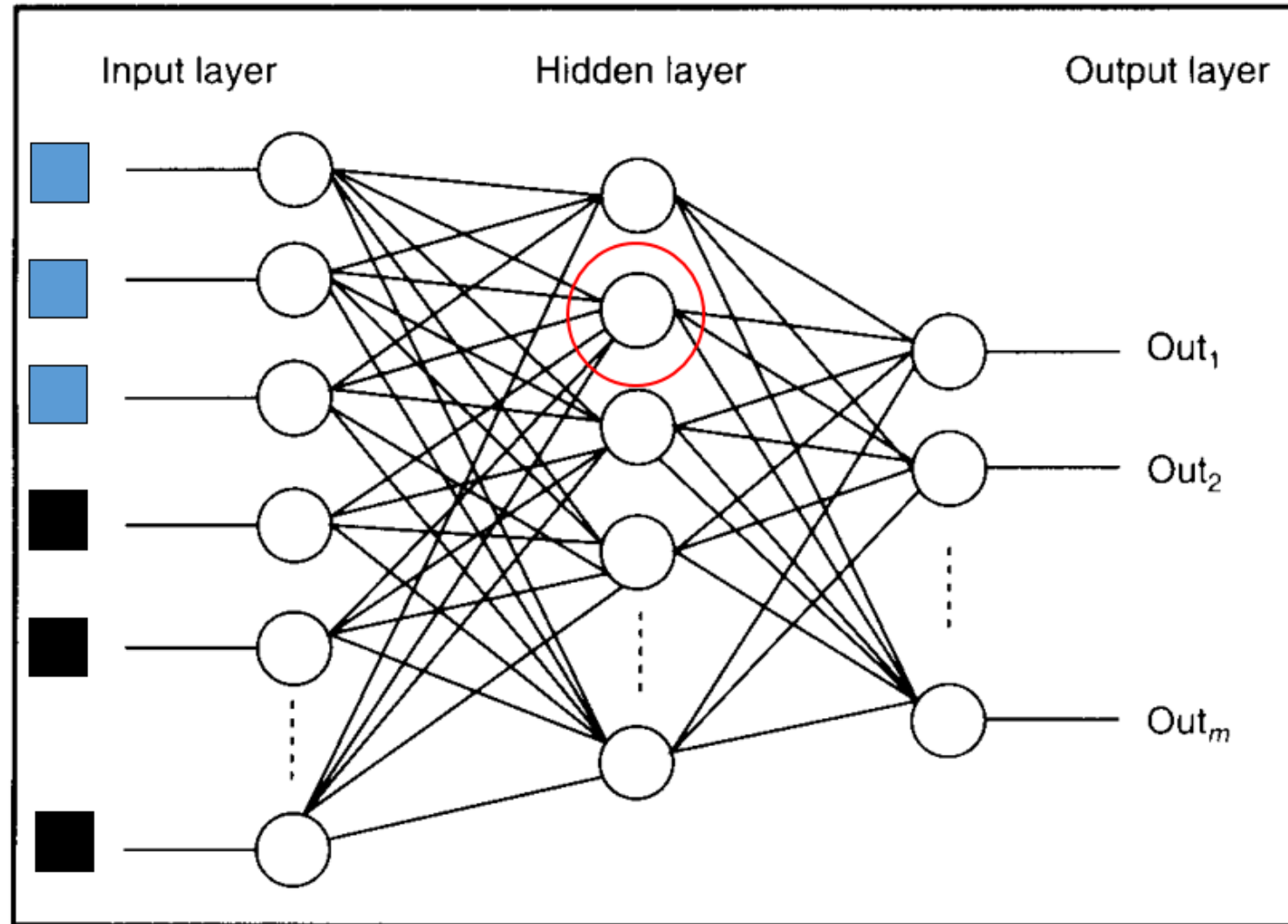
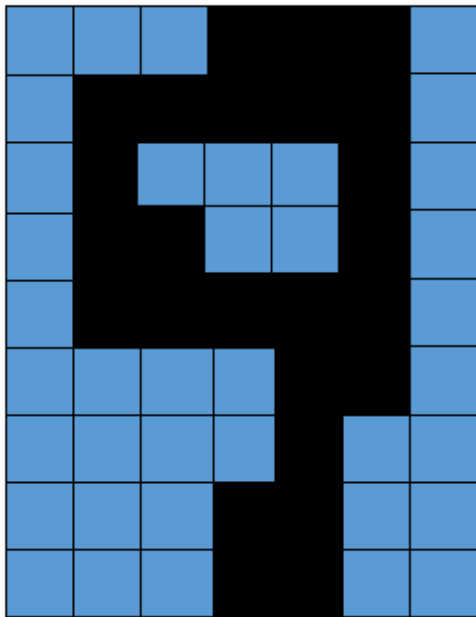
SVMs only draw straight lines, but they transform the data first in a way that makes that OK



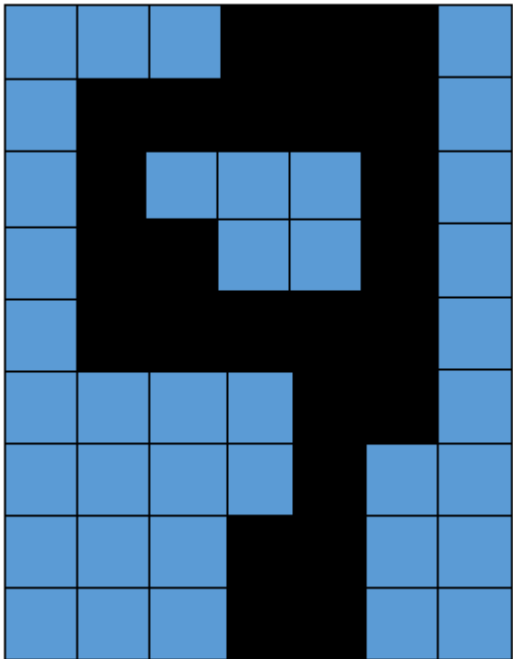
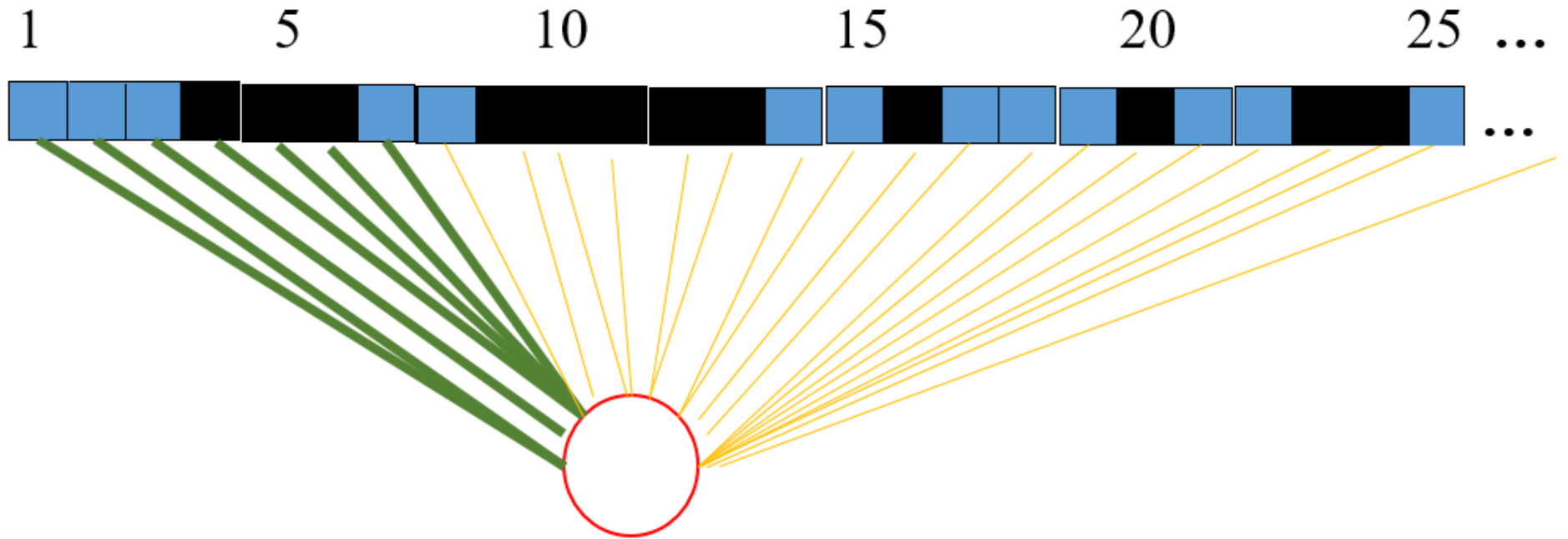
Feature Detectors



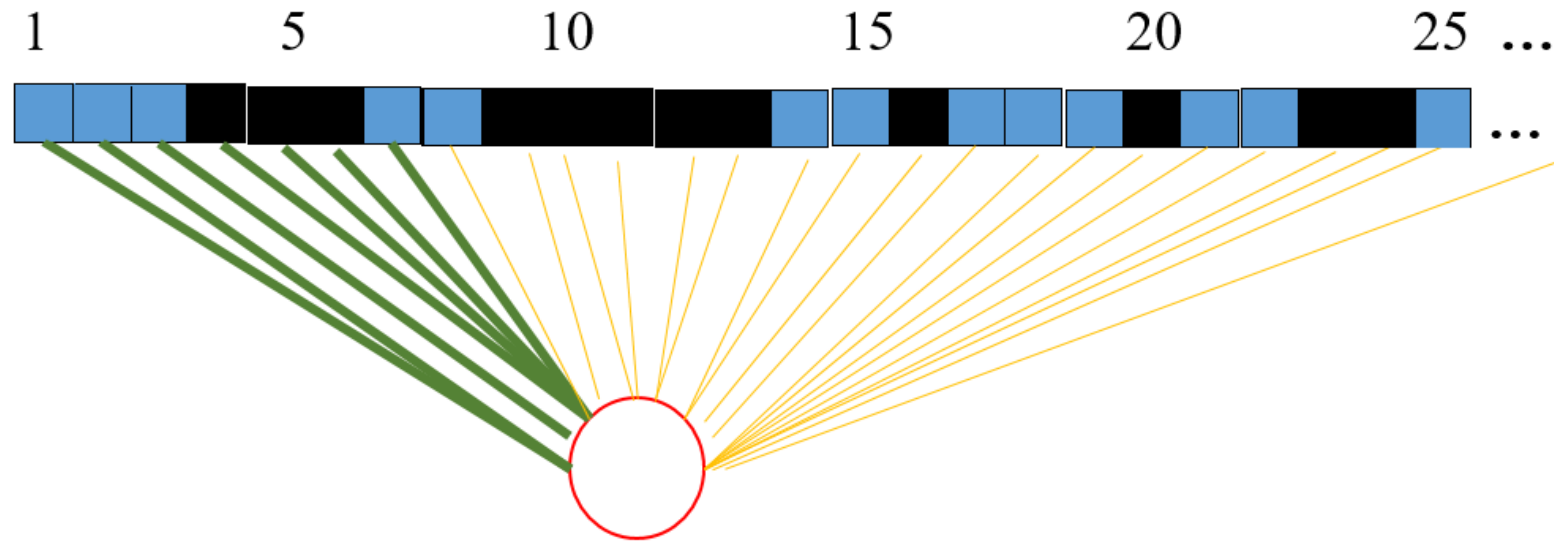
What Is This Unit Doing?



Hidden Layer Units Become Self-Organised Feature Detectors



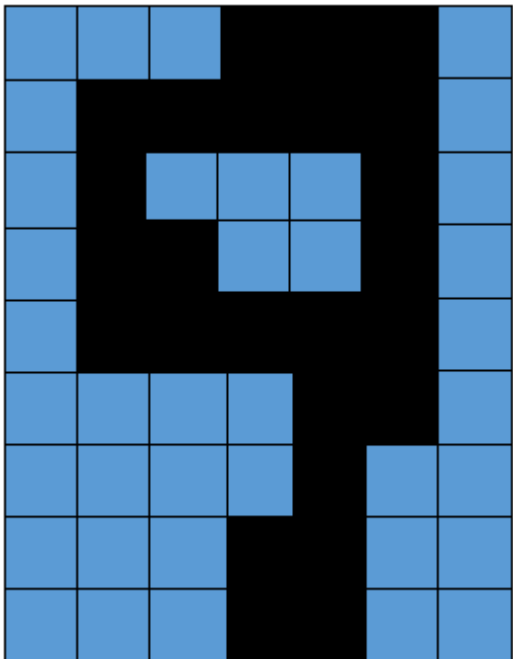
What Does This Unit Detect?



strong +ve weight

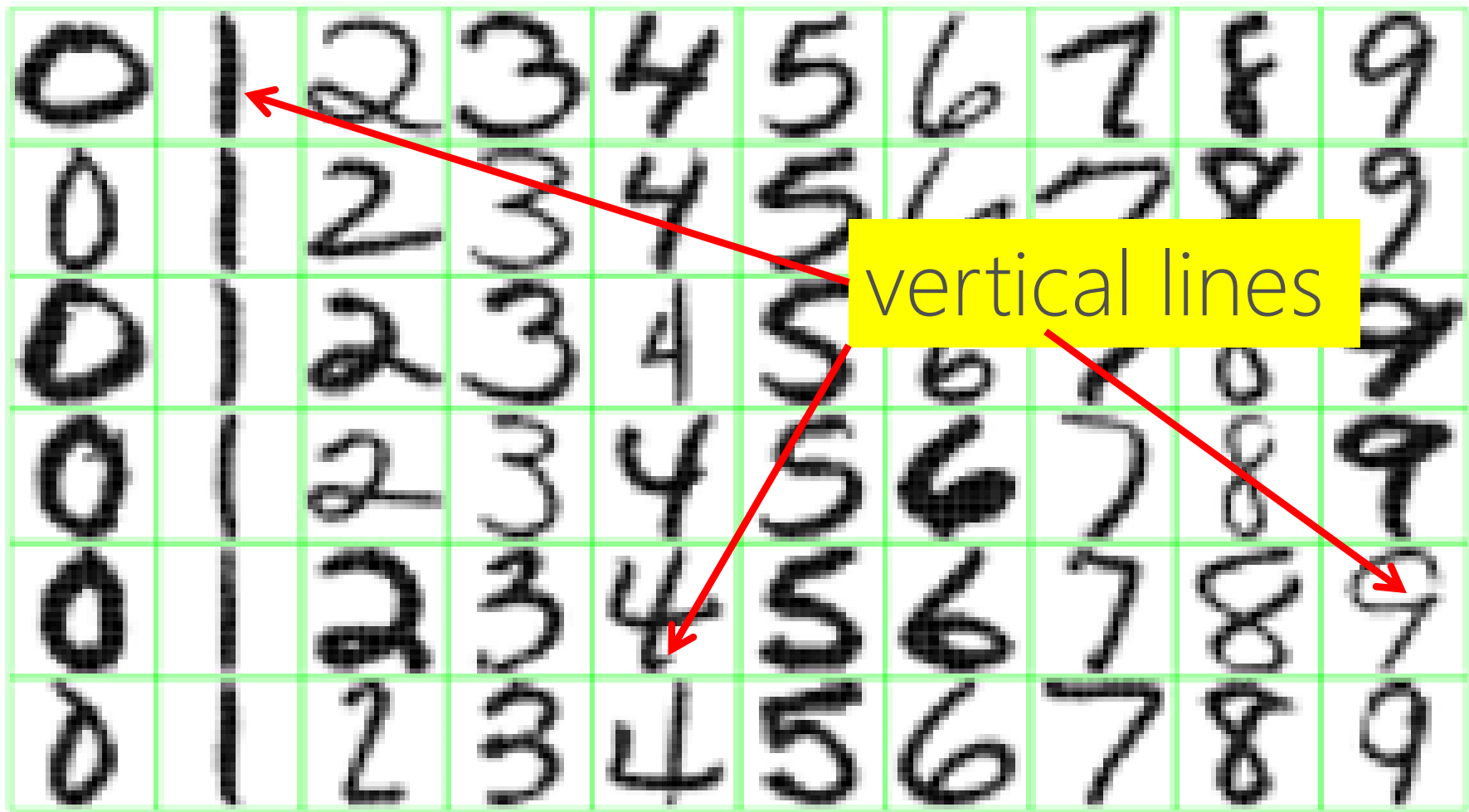
low/zero weight

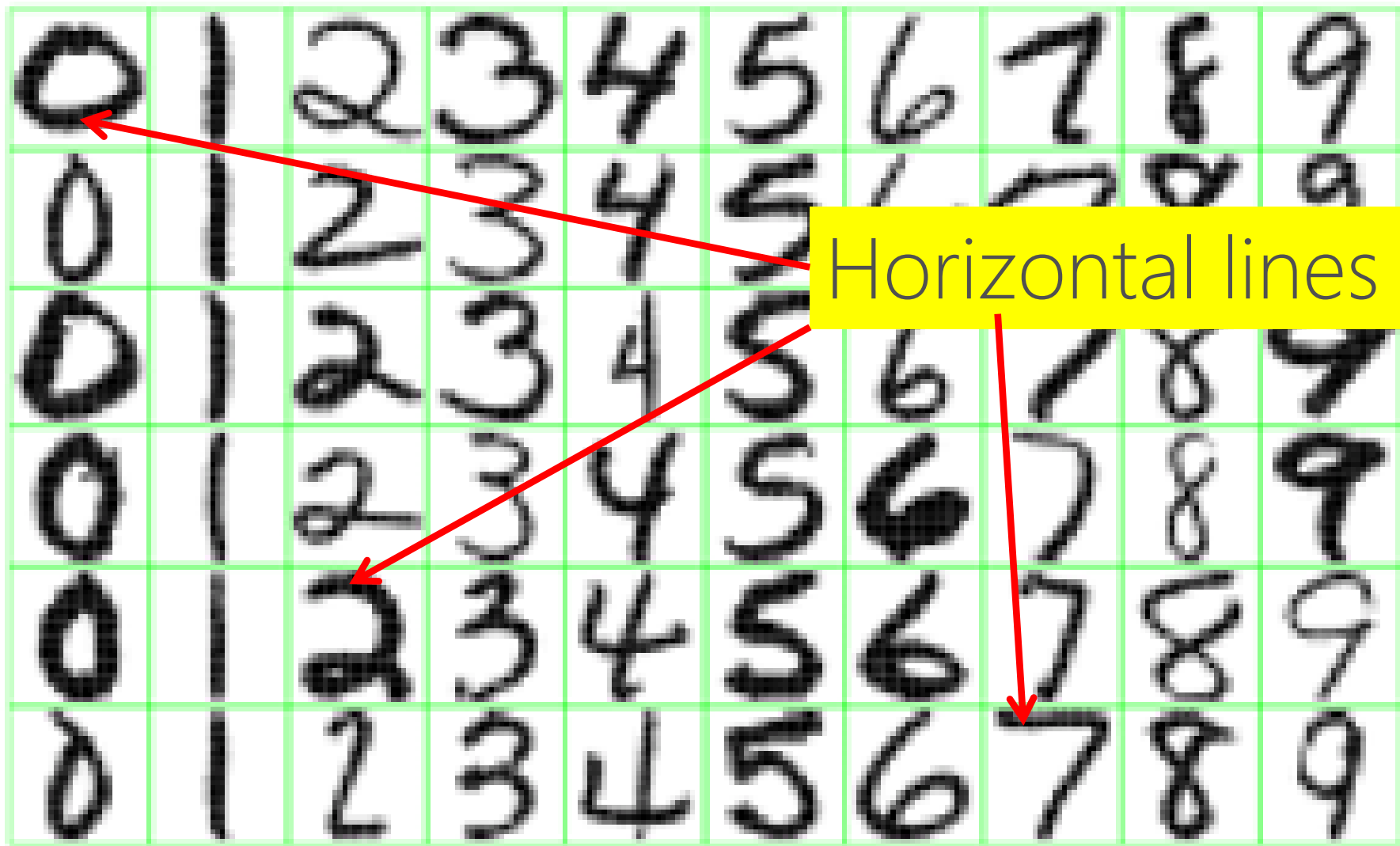
Strong signal for a horizontal line in the top row,
ignoring everywhere else

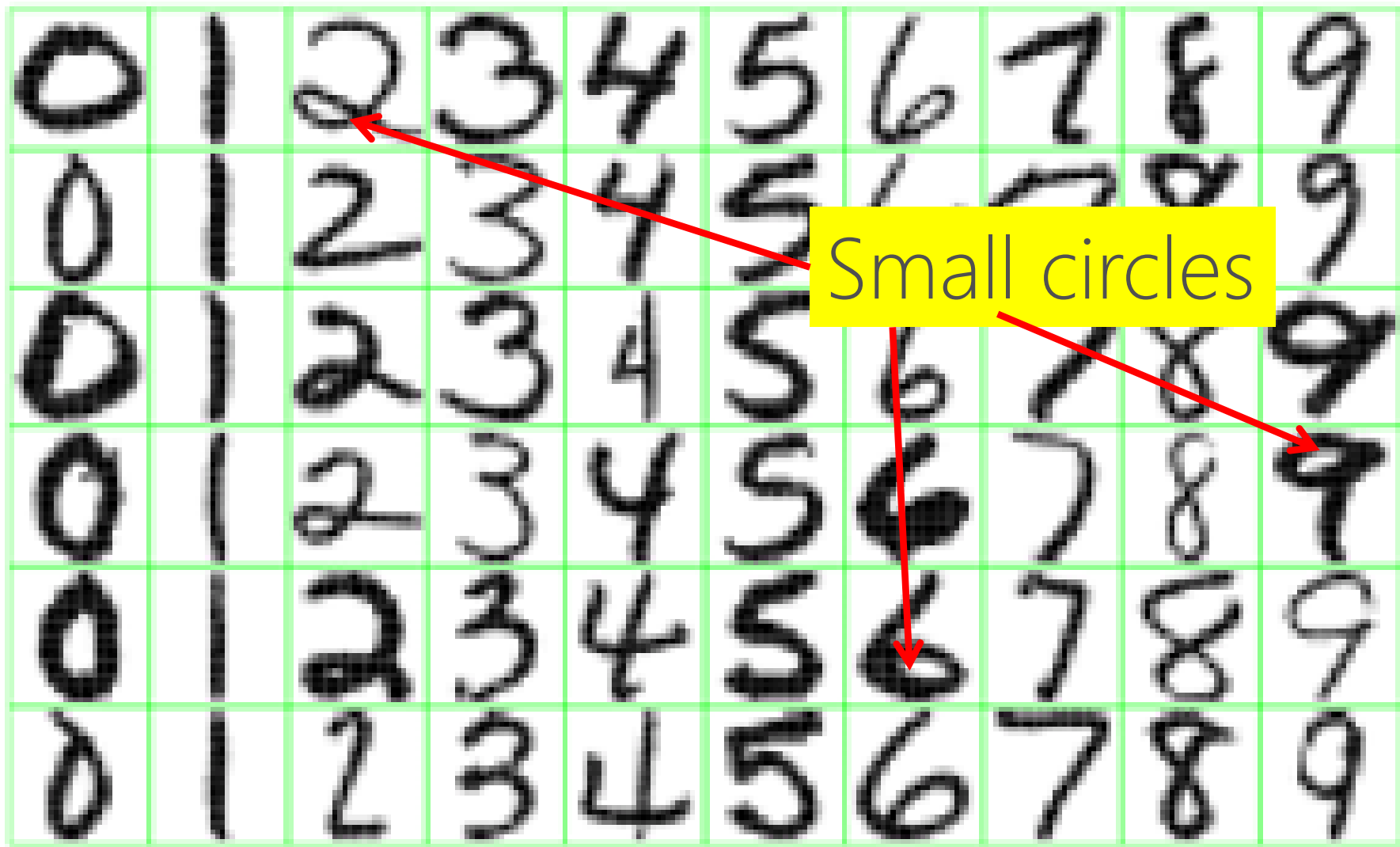




What features might you expect a good NN to learn, when trained with data like this?



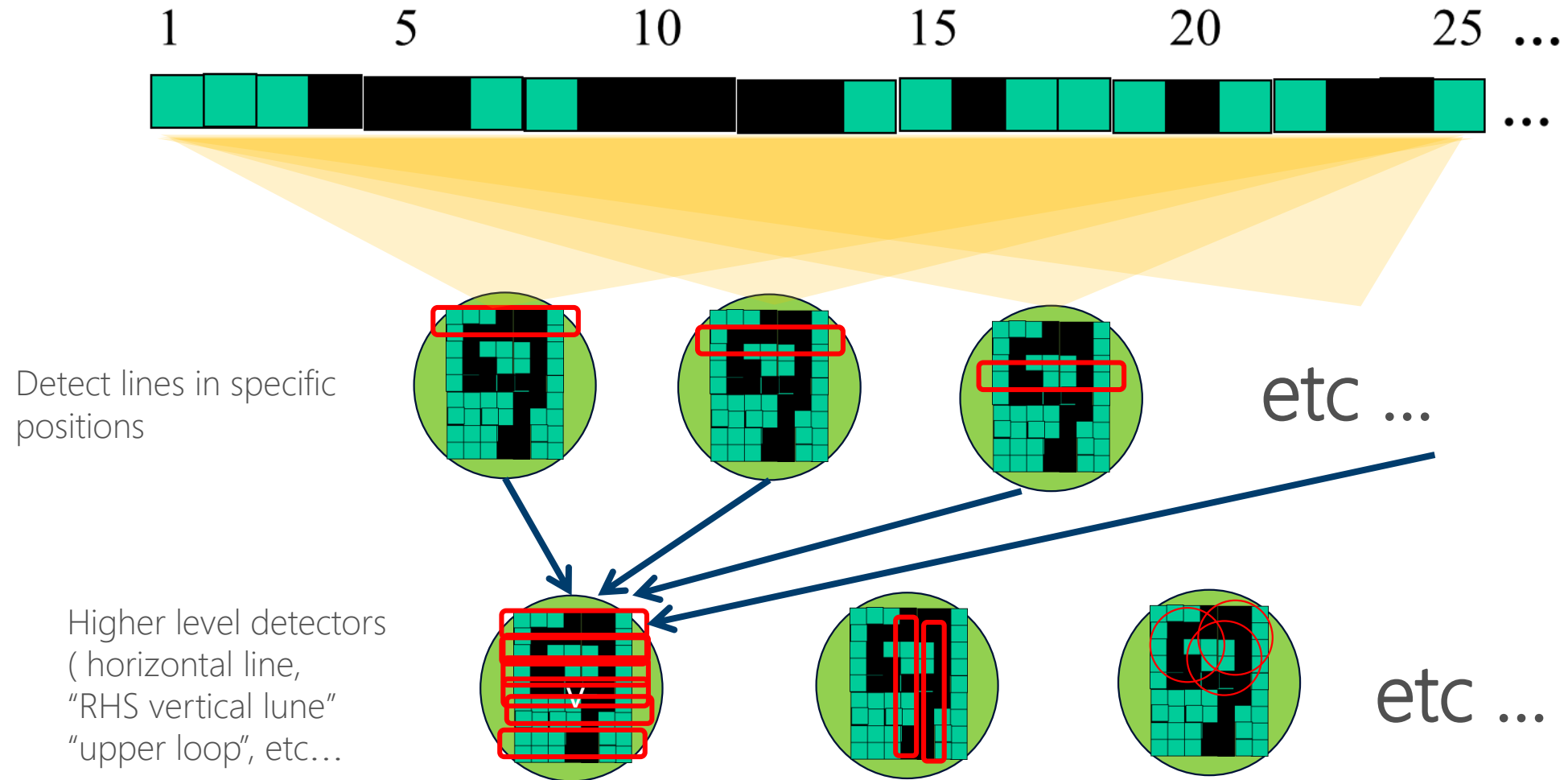




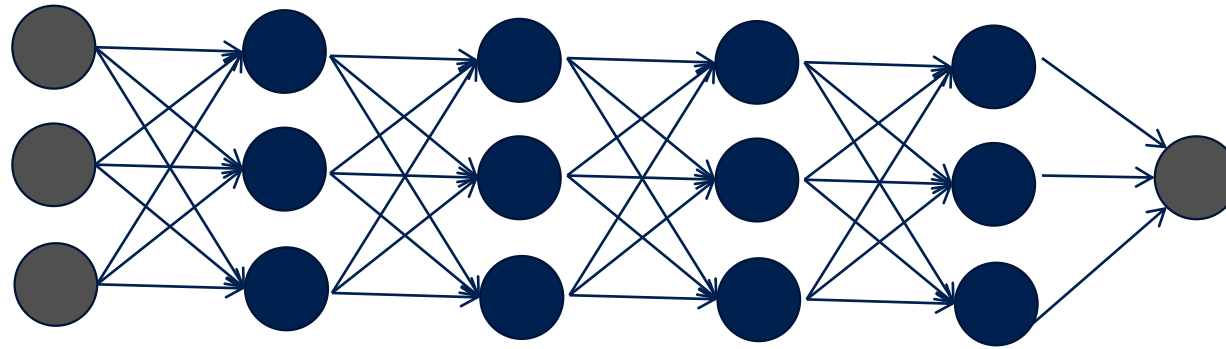


But what about position invariance ???
our example unit detectors were tied to
specific parts of the image

Successive Layers Can Learn Higher-Level Features

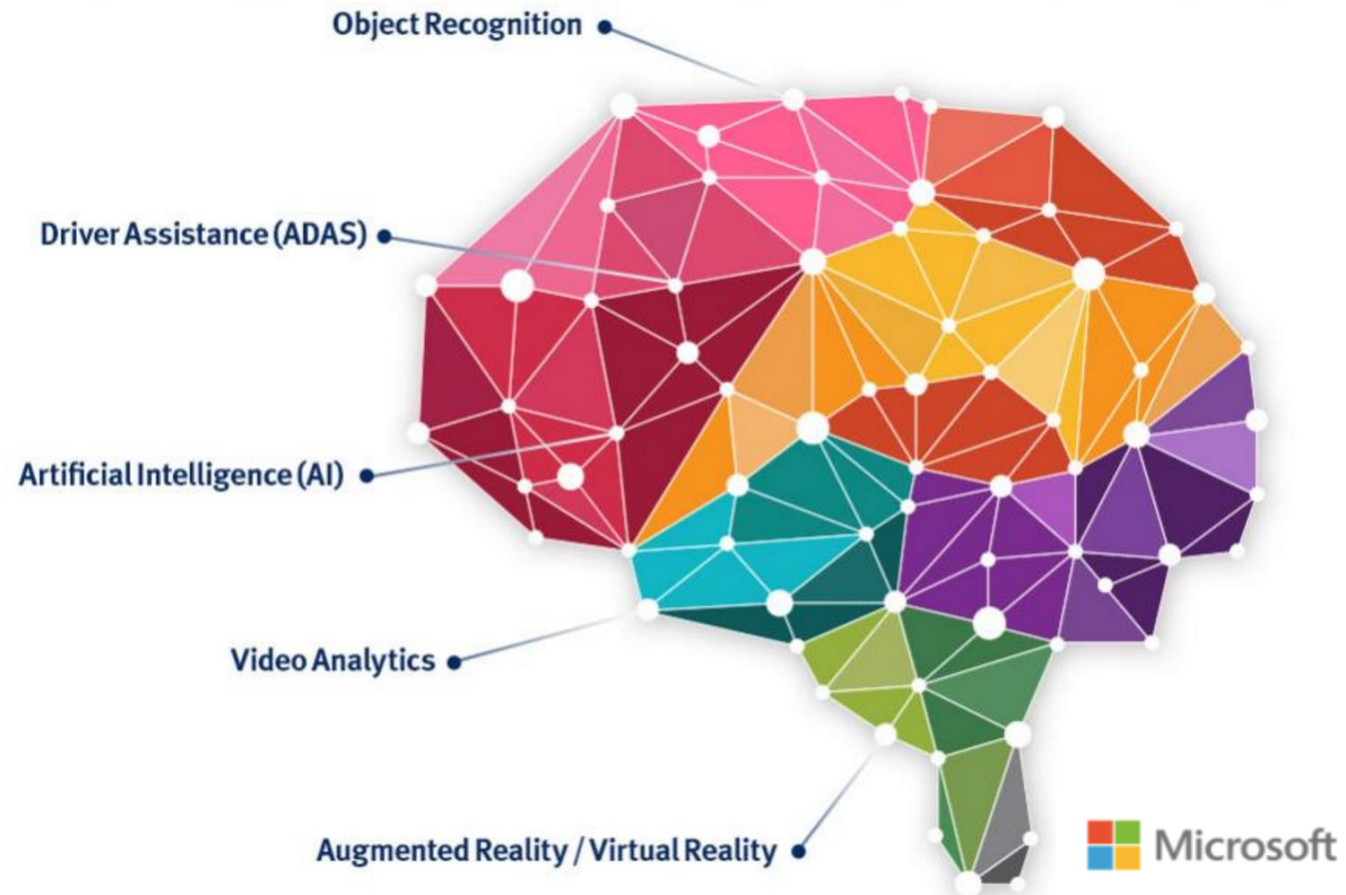


Multiple Layers Make Sense



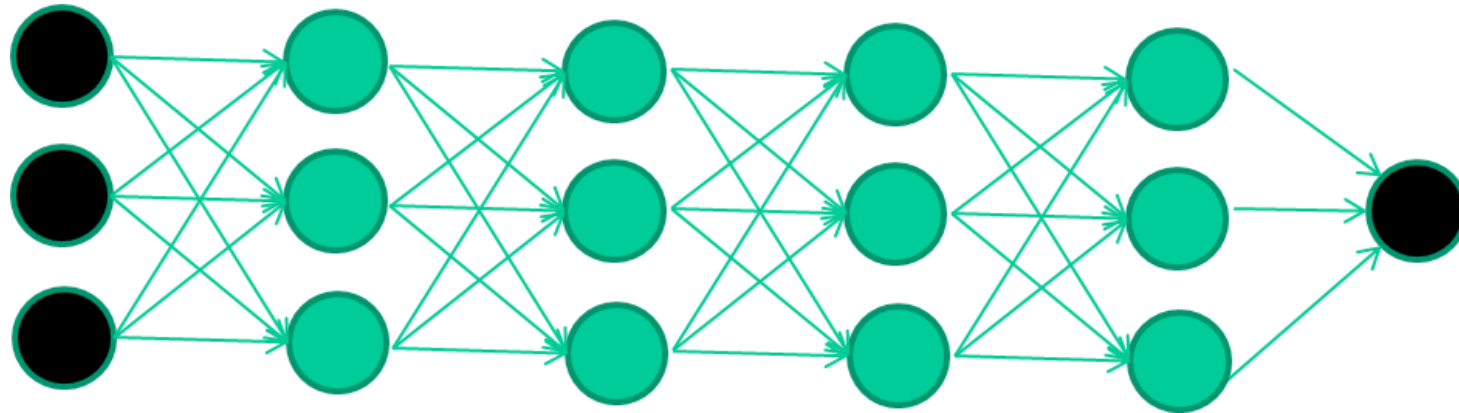
Multiple Layers Make Sense

- Deep Learning = Brain “inspired”
- Audio / Visual Cortex has multiple stages = Hierarchical

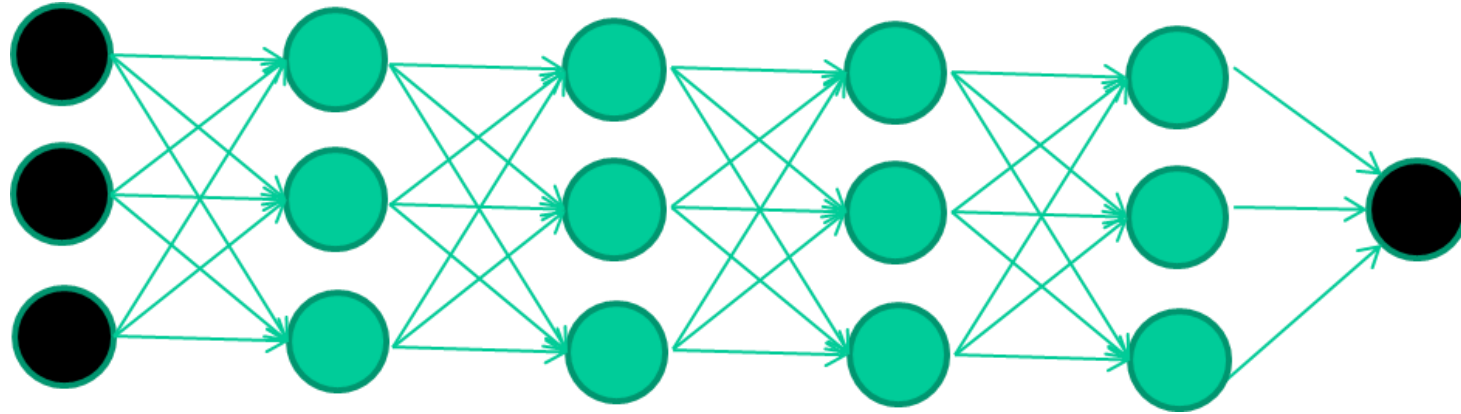


Multiple Layers Make Sense

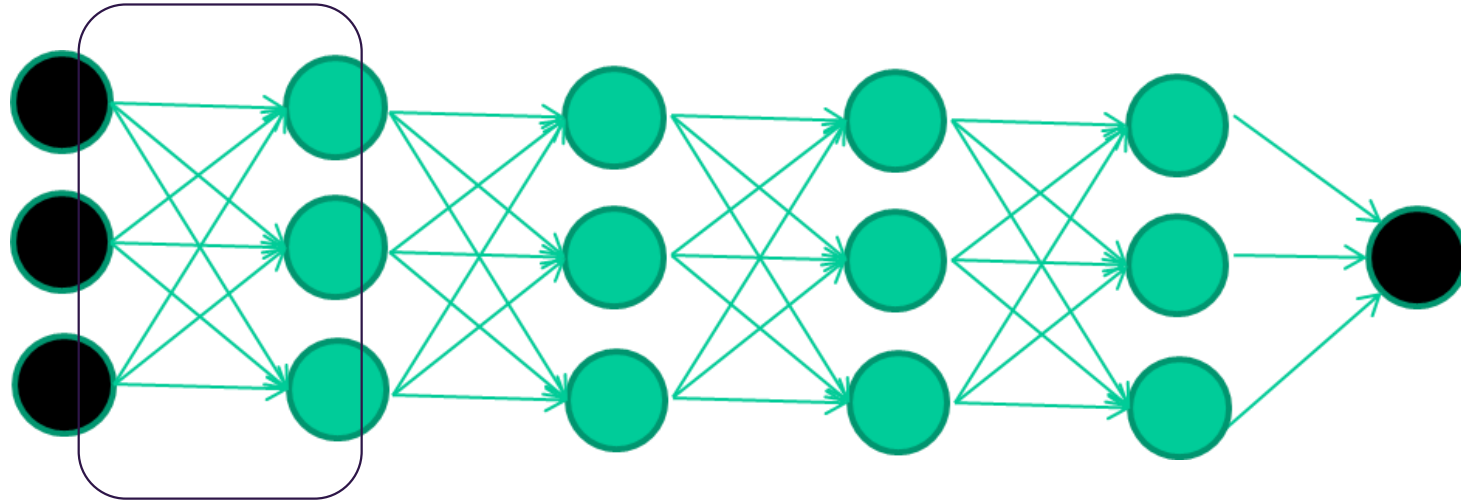
Many-layer neural network architectures should be capable of learning the true underlying features and 'feature logic', and therefore generalise very well ...



The New Way To Train Multi-Layer NNs...

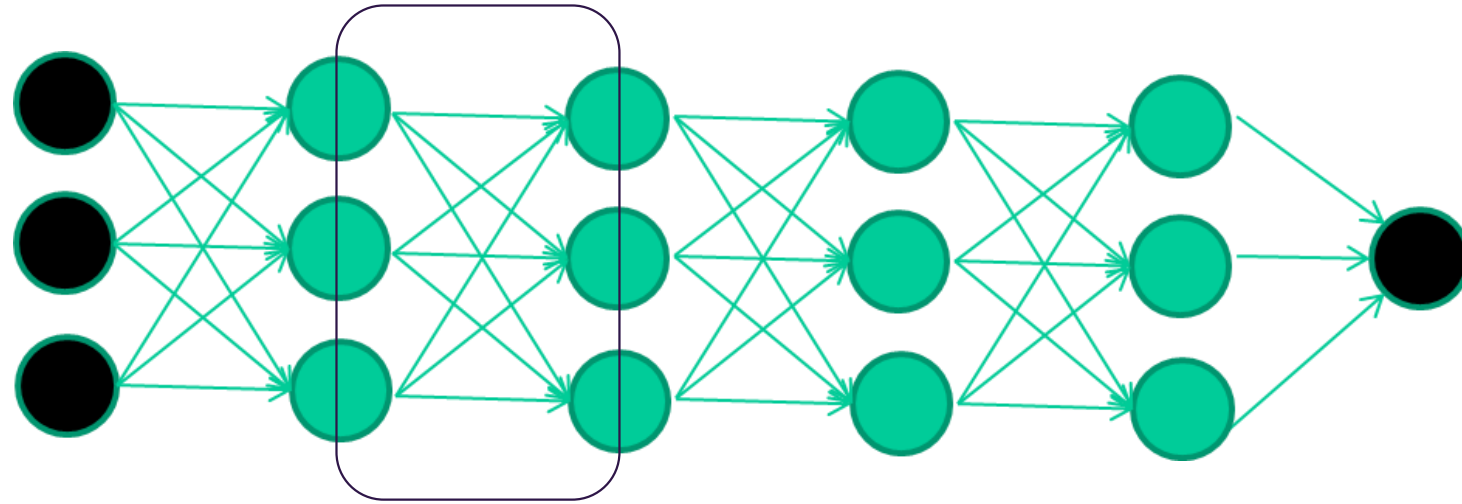


The New Way To Train Multi-Layer NNs...



Train this layer first

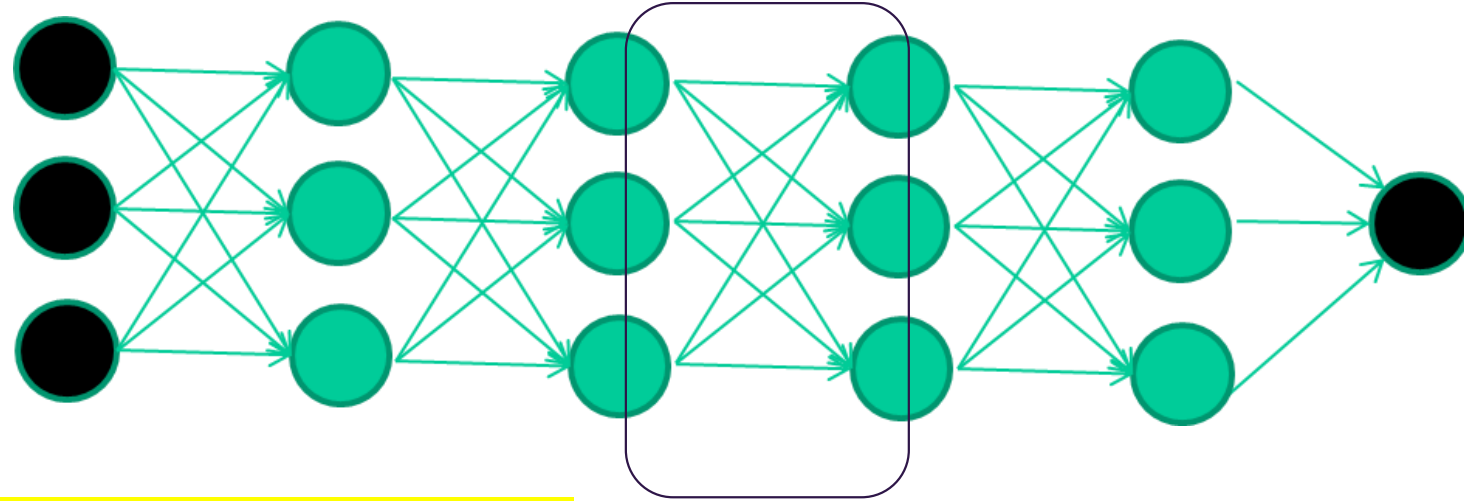
The New Way To Train Multi-Layer NNs...



Train this layer first

then this layer

The New Way To Train Multi-Layer NNs...

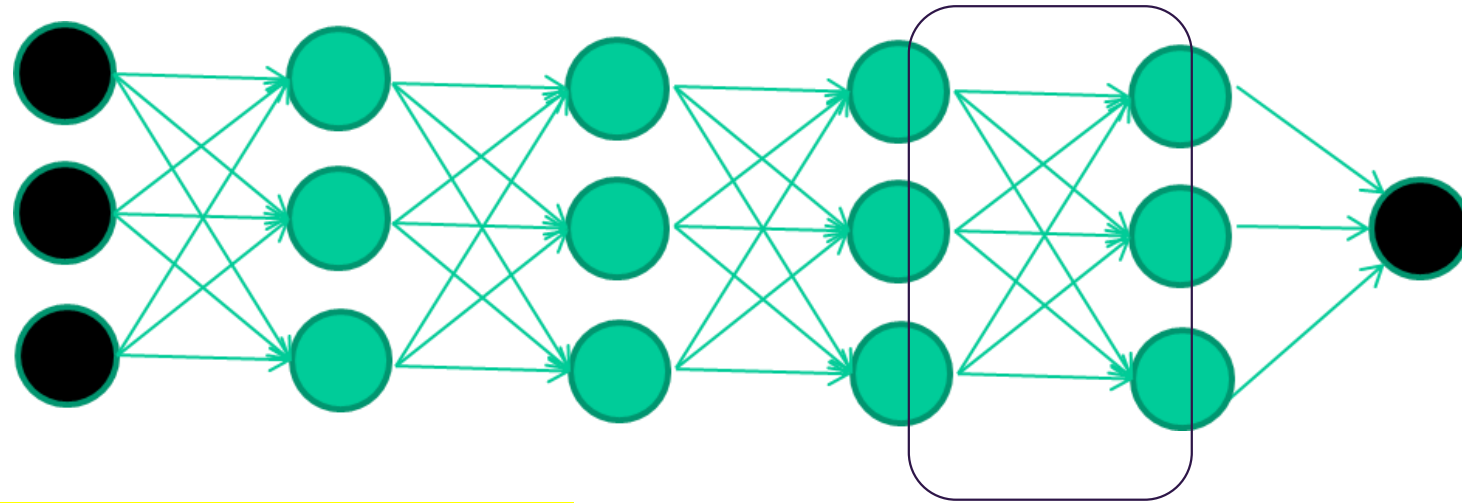


Train this layer first

then this layer

then this layer

The New Way To Train Multi-Layer NNs...



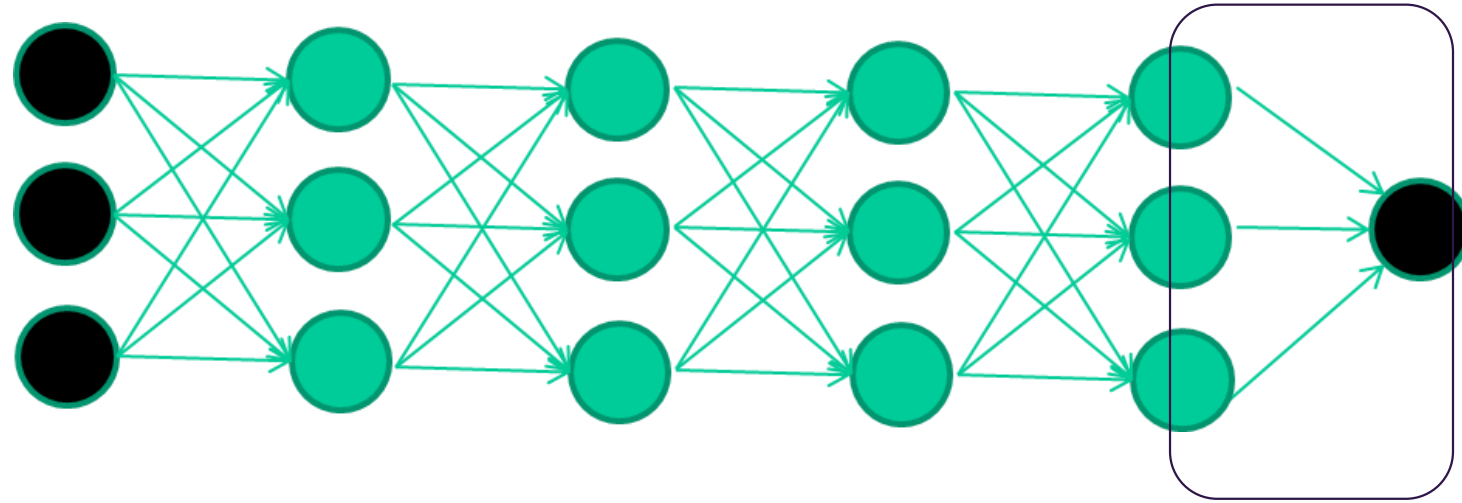
Train this layer first

then this layer

then this layer

then this layer

The New Way To Train Multi-Layer NNs...



Train this layer first

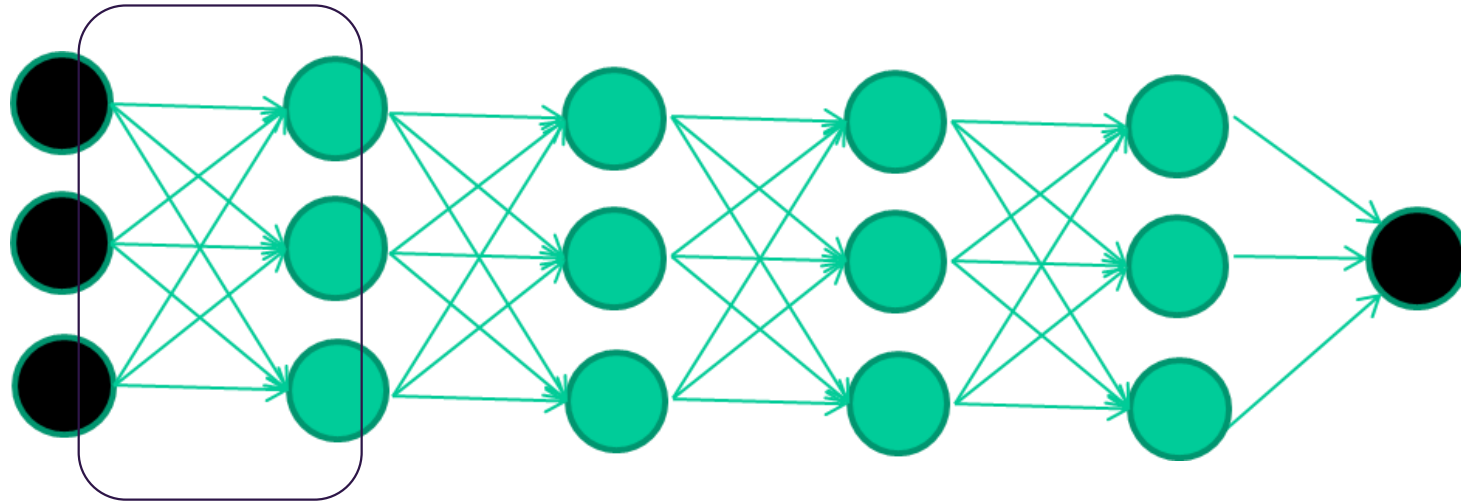
then this layer

then this layer

then this layer

finally this layer

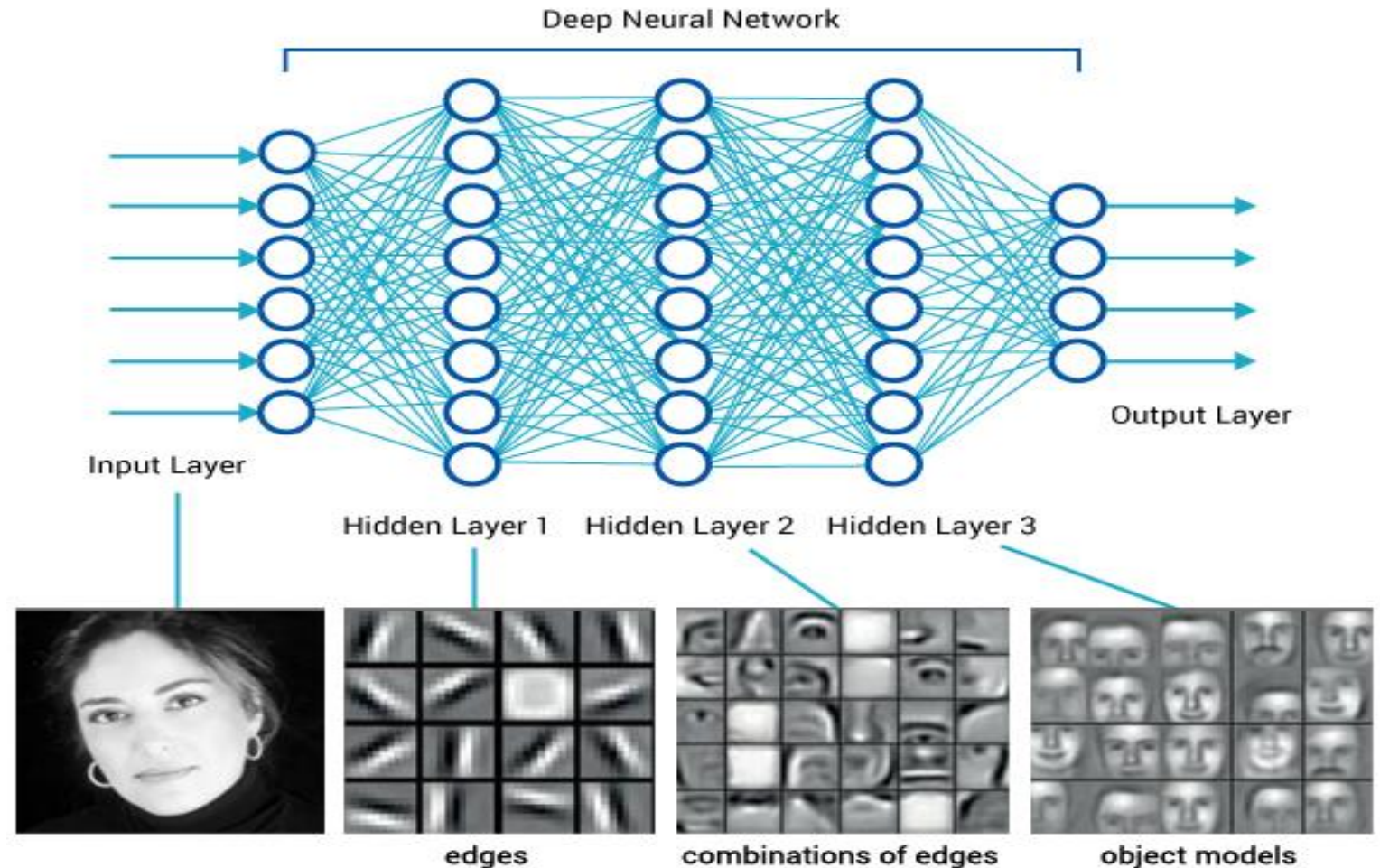
The New Way To Train Multi-Layer NNs...



Each layer can be thought of as a set of features

Idea Behind Deep Learning

- There are many types of deep learning
- Different kinds of autoencoder, variations on architectures and training algorithms, etc.
- It's a growing area



Common DNNs

- ❑ Deep Convolutional Neural Network (DCNN)
 - To extract representation from images
- ❑ Recurrent Neural Network (RNN)
 - To extract representation from sequential data
- ❑ Deep Belief Neural Network (DBN)
 - To extract hierarchical representation from a dataset
- ❑ Deep Reinforcement Learning (DQN)
 - To prescribe how agents should act in an environment in order to maximize future cumulative reward (e.g., a game score)

We will cover DCNN today

Open Source Deep Learning Frameworks

DL4J

- JVM-based
- Distributed
- Integrates with Hadoop and Spark

Theano

- Very popular in Academia
- Fairly low level
- Interfaced with via Python and Numpy

Torch

- Lua based
- In house versions used by Facebook and Twitter
- Contains pretrained models

Open Source Deep Learning Frameworks

TensorFlow

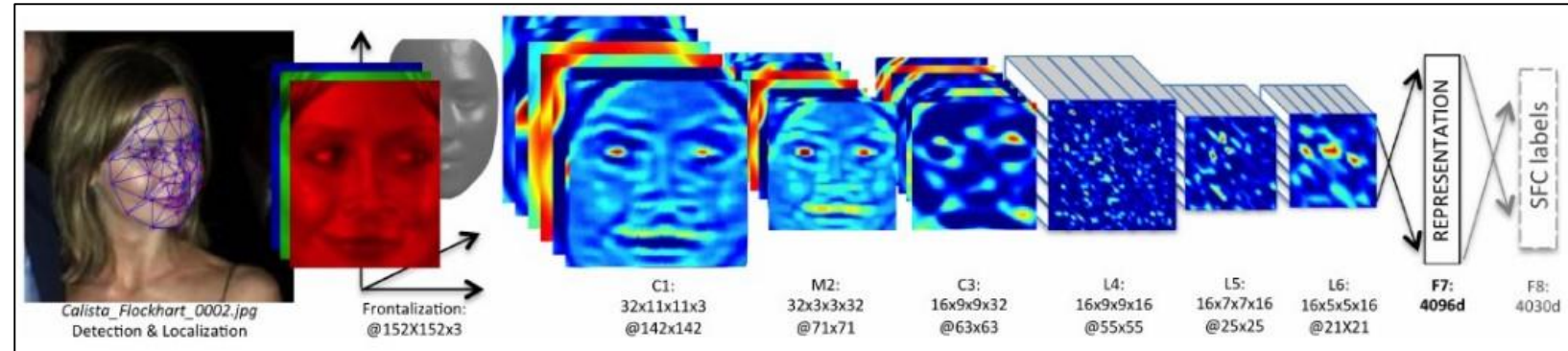
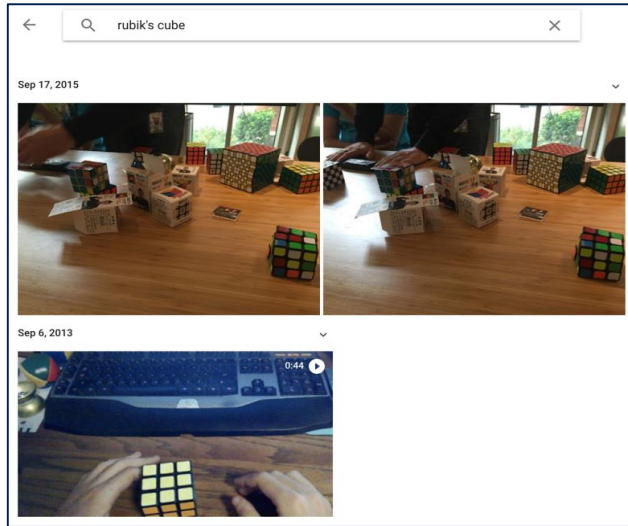
- Google written successor to Theano
- Interfaced with via Python and Numpy
- Highly parallel
- Can be somewhat slow for certain problem sets

Caffe

- Not general purpose. Focuses on machine-vision problems
- Implemented in C++ and is very fast
- Not easily extensible
- Has a Python interface

Deep Learning And Computer Vision

ConvNet

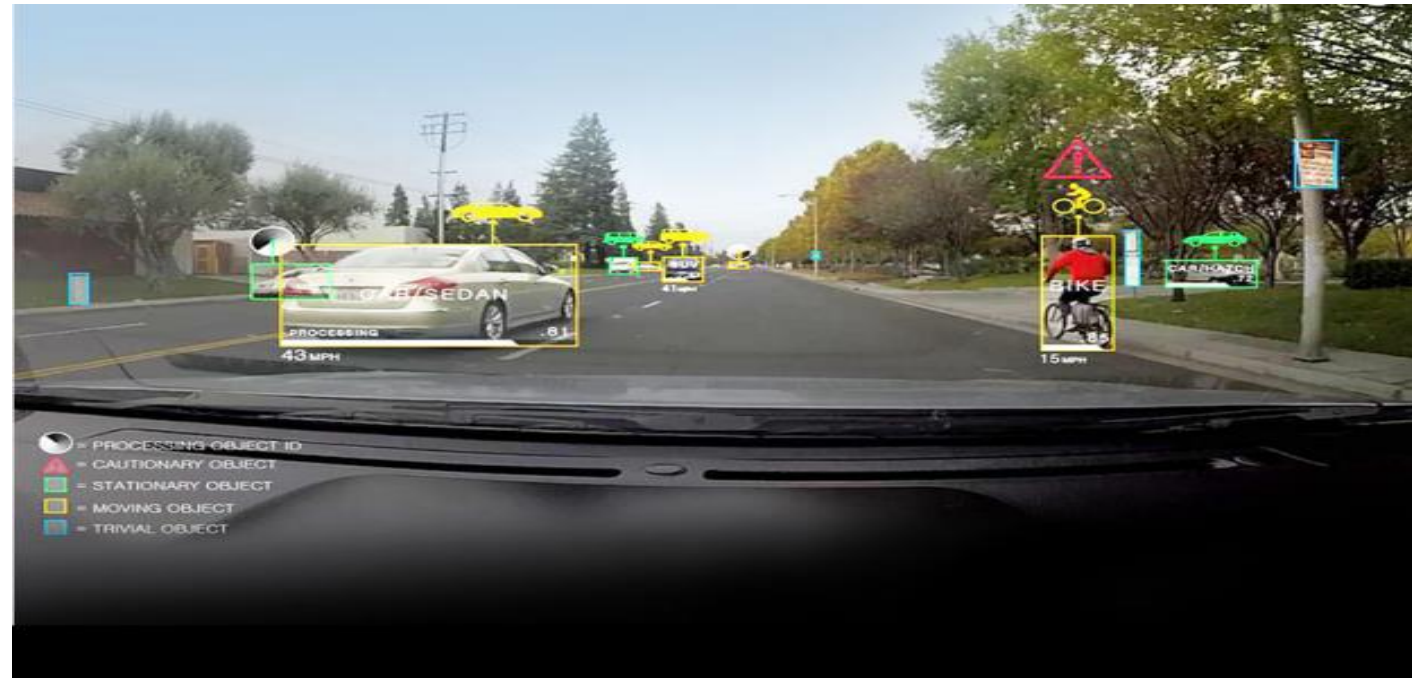


Face Verification, Taigman et al. 2014 (FAIR)

e.g. Google Photos search



[Goodfellow et al. 2014]



Self-driving cars

Image Classification

- Task of taking an input image and outputting a class
- Probability of classes that best describes the image
- For humans, effortless task



What We See

```
08 02 22 97 38 15 00 40 00 75 04 05 07 78 52 12 50 77 91 08
49 49 99 40 17 81 18 57 60 87 17 40 98 43 69 48 04 56 62 00
81 49 31 73 55 79 14 29 93 71 40 67 53 88 30 03 49 13 36 65
52 70 95 23 04 60 11 42 69 24 68 56 01 32 56 71 37 02 36 91
22 31 16 71 51 67 63 89 41 92 36 54 22 40 40 28 66 33 13 80
24 47 32 60 99 03 45 02 44 75 33 53 78 36 84 20 35 17 12 50
32 98 81 28 64 23 67 10 26 38 40 67 59 54 70 66 18 38 64 70
67 26 20 68 02 62 12 20 95 63 94 39 63 08 40 91 66 49 94 21
24 55 58 05 66 73 99 26 97 17 78 78 96 83 14 88 34 89 63 72
21 36 23 09 75 00 76 44 20 45 35 14 00 61 33 97 34 31 33 95
78 17 53 28 22 75 31 67 15 94 03 80 04 62 16 14 09 53 56 92
16 39 05 42 96 35 31 47 55 58 88 24 00 17 54 24 36 29 85 57
86 56 00 48 35 71 89 07 05 44 44 37 44 60 21 58 51 54 17 58
19 80 81 68 05 94 47 69 28 73 92 13 86 52 17 77 04 89 55 40
04 52 08 83 97 35 99 16 07 97 57 32 16 26 26 79 33 27 98 66
88 36 68 87 57 62 20 72 03 46 33 67 46 55 12 32 63 93 53 69
04 42 16 73 38 25 39 11 24 94 72 18 08 46 29 32 40 62 74 36
20 69 36 41 72 30 23 88 34 62 99 69 82 67 59 85 74 04 36 16
20 73 35 29 78 31 90 01 74 31 49 71 48 86 81 16 23 57 03 54
01 70 54 71 83 51 54 69 16 92 33 48 61 43 52 01 89 19 67 48
```

What Computers See

Input Image

- An image is an array of pixel values
- A JPG color image with size 480 x 480:
 - The representative array will be 480 x 480 x 3. Each number is given a value from 0 to 255 which is the pixel intensity
- Grey scale image contains a single sample (intensity value) for each pixel
- Image Classification:
 - Given an array of numbers, produce probabilities of the image being a certain class

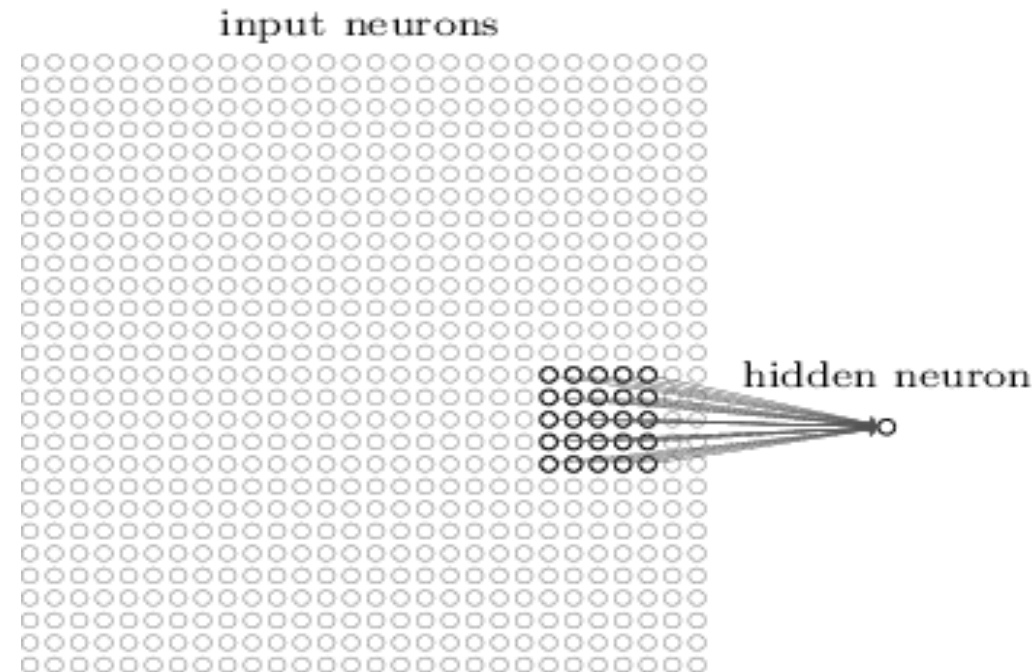
Convolutional Neural Networks

Three basic ideas:

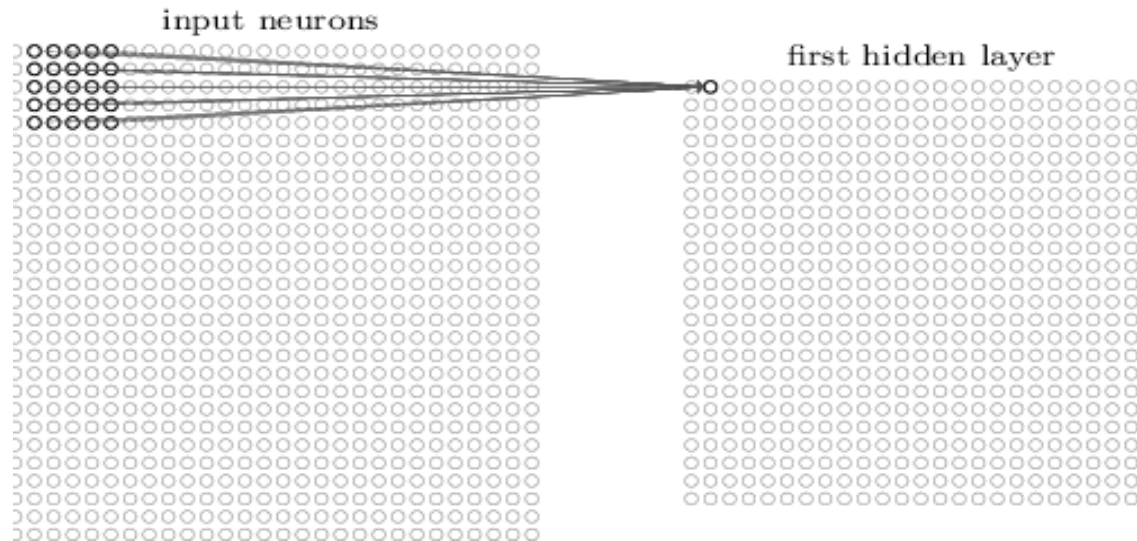
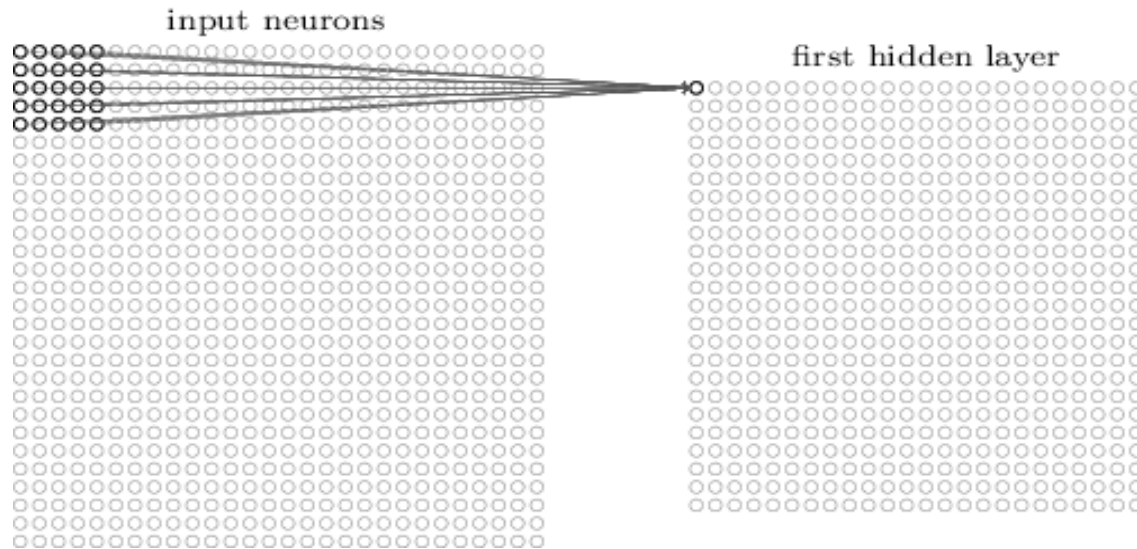
- Local receptive fields
- Shared weights
- Pooling

Local Receptive Fields

- Connections are from small, localized regions of the input image to hidden layers
- A little window on the input pixels
- Each neuron in the first hidden layer is connected to a small region of the input neurons. For example, a 5x5 region



Local Receptive Fields

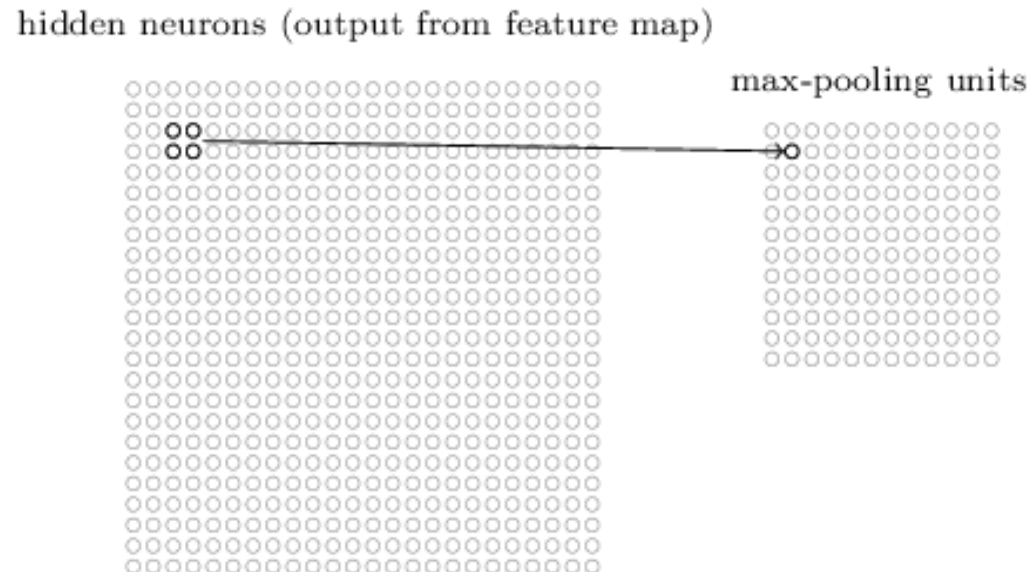


Pooling Layers

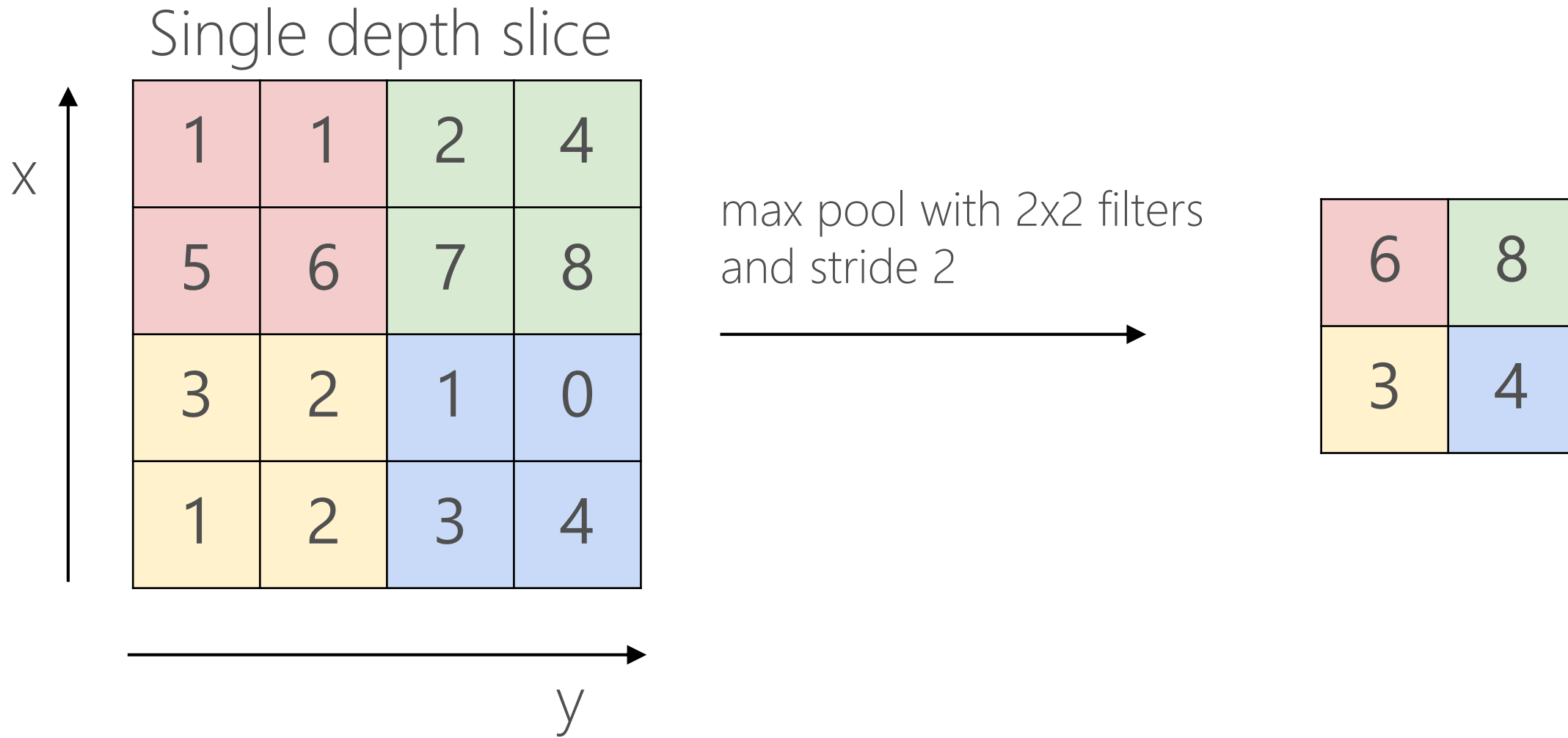
Often used immediately after convolutional layers

- Simplify the information in the output from the convolutional layer
- Takes each feature map output from the convolutional layer and prepares a condensed feature map
- Max-pooling:

A pooling unit simply outputs the maximum activation in the $p \times p$ region

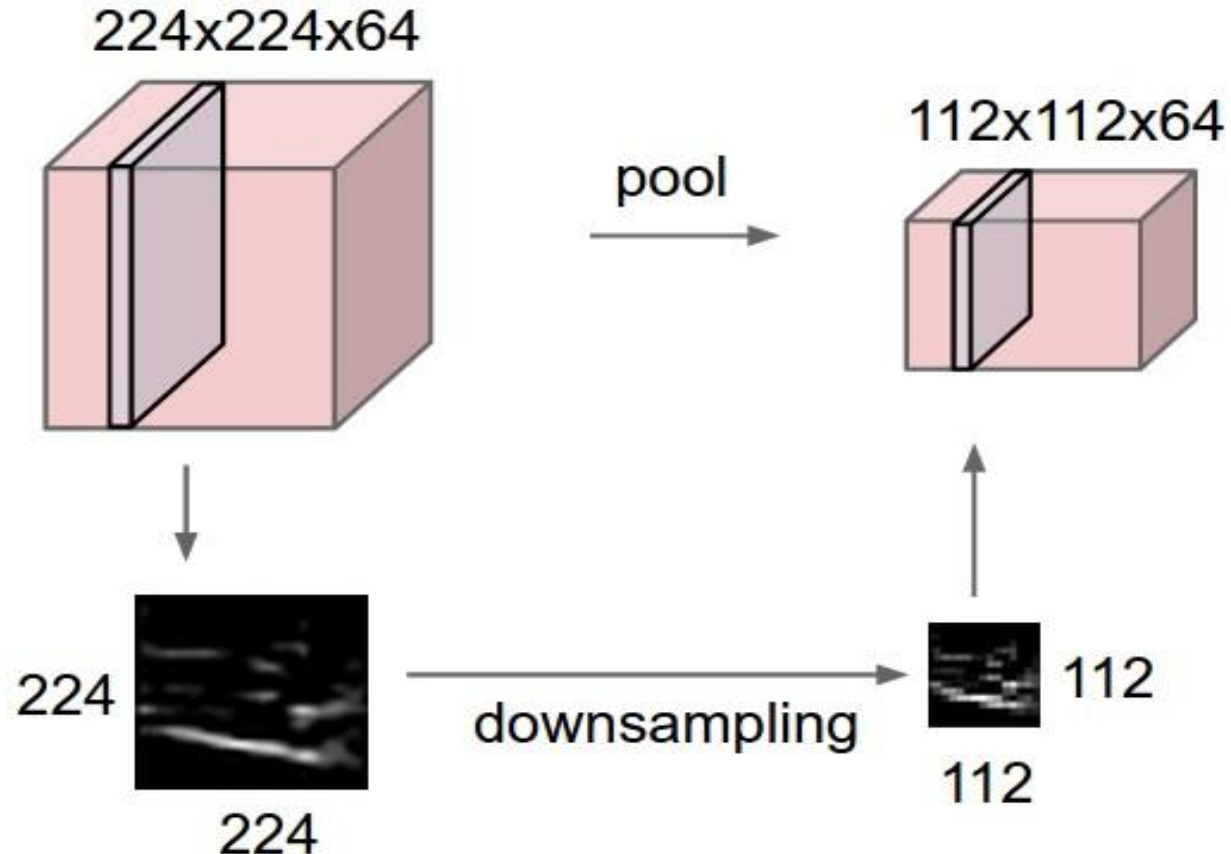


Max Pooling



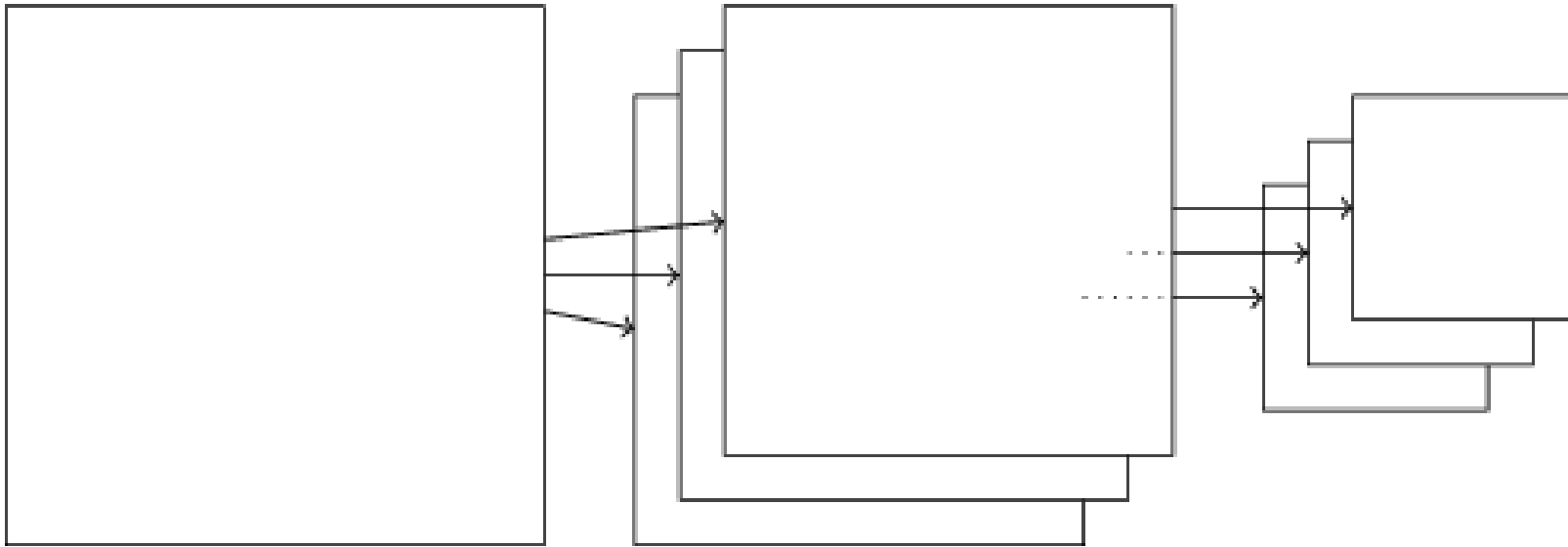
Pooling Layers

- Smaller representations and more manageable
- Operates over each activation map independently



Pooling Layers

Combined convolutional and max-pooling layers:



Shared Weights And Biases

1. Each hidden neuron has a bias and $p \times p$ weights connected to its local receptive field
2. The same weights and bias for each of the hidden neurons
3. In other words, for the j, k^{th} hidden neuron, the output is:

$$\sigma(b + \sum_{l=0}^n \sum_{m=0}^n w_{l,m} a_{j+l, k+m})$$

where σ is the neural activation function - perhaps the sigmoid function

b is the shared value for the bias

$w_{l,m}$ is a $n \times n$ array of shared weights

$a_{x,y}$ to denote the input activation at position x, y

Shared Weights And Biases

- Convolutional networks are well adapted to the translation invariance of images
- Greatly reduces the number of parameters involved in a convolutional network ($p \times p + b$)

Terminology

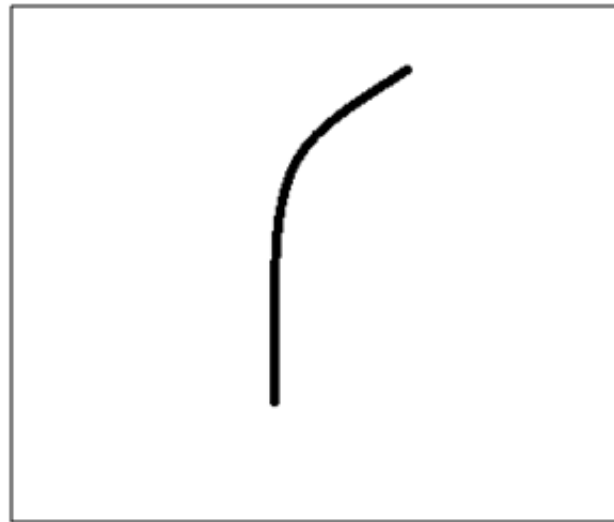
Feature map/Activation map	Map from the input layer to the hidden layer
Shared weights	Weights defining the feature map
Shared bias	Bias defining the feature map
Kernel/Filter	Shared weights and bias

First Layer – High Level Perspective

- Filters can be thought of as feature identifiers (straight edges, simple colors, and curves)
- In the simple case of a one filter convolution and a curve detector filter, activation map results in regions that are most likely curves in the picture

0	0	0	0	0	30	0
0	0	0	0	30	0	0
0	0	0	30	0	0	0
0	0	0	30	0	0	0
0	0	0	30	0	0	0
0	0	0	30	0	0	0
0	0	0	0	0	0	0

Pixel representation of filter



Visualization of a curve detector filter

- More filters mean greater the depth of the activation map
- This results in more information about the input

Going Deeper Through The Network

- Many layers are interspersed between convolution layers (example: ReLu and Dropout)
- Introduction of nonlinearities
- Improve the robustness of the network and control overfitting

Input -> Conv -> ReLU -> Conv -> ReLU -> Pool -> ReLU -> Conv -> ReLU -> Pool -> Fully Connected

ReLU

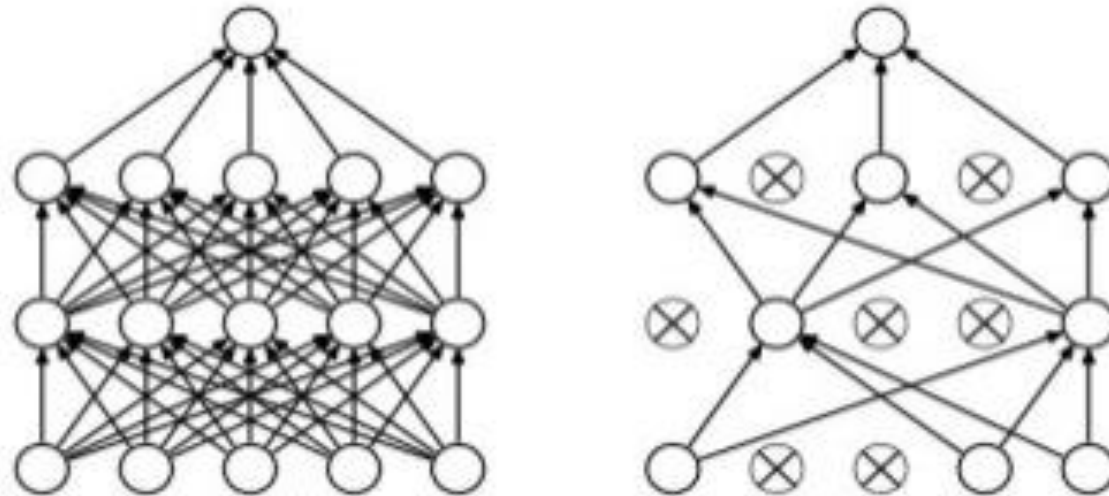
- The Rectified Linear Unit has become very popular recently

$$f(x) = \max(0, x)$$

- Activation is simply thresholded at zero
- It was found to greatly accelerate (Krizhevsky et al.) the convergence of stochastic gradient descent compared to the sigmoid/tanh functions
- Compared to tanh/sigmoid neurons that involve expensive operations (exponentials, etc.), the ReLU is simply thresholding

Dropout

- A form of ensemble learning
- Avoids overfitting (by preventing inter-dependencies from emerging between nodes)
- Dropout - an extreme version of bagging
- At each training step, the dropout procedure creates a different network by removing some neurons randomly



Fully Connected Layer (FC layer)

