

# Normal Calculation in Point Clouds with CUDA

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# Outline

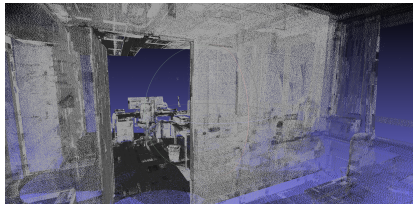
**1** Problem Statement

**2** Experiment Results

**3** Conclusion

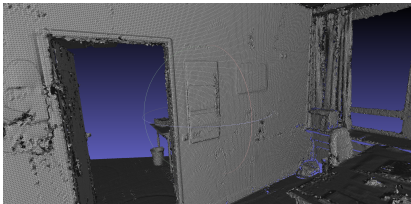
# Motivation

# Point Clouds



- Generated by depth sensors of 3D laser scanners
- 3D points with geometry data of the environment
- No topological connection between points
- Polygon meshes based on point clouds

# Reconstruction



- Lower memory usage without loss of information
- Normal of each point is necessary to create mesh
- Pre-calculation of normals is possible
- Requires nearest neighbours of each point

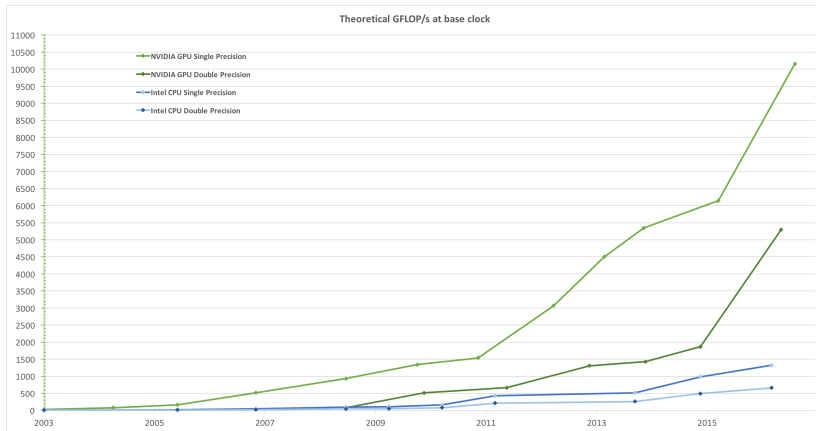
# Nearest Neighbor Search

- Independent search of  $k$  nearest neighbors to each point
- Long runtimes on large datasets

Nearest neighbor search is the bottleneck of normal calculation

- Thread-based CPU implementation in the LVR Framework  
 $\Rightarrow$  Parallel implementation on GPU to reduce runtime

# GPU vs. CPU



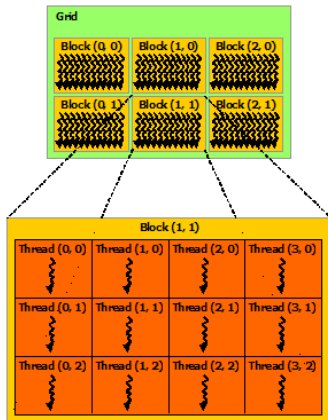
# CUDA

- API for parallel computing on the GPU
- Developed by NVIDIA in 2007
- Newest version: 8.0
- Supports programming languages C/C++, Fortran, Python and many more



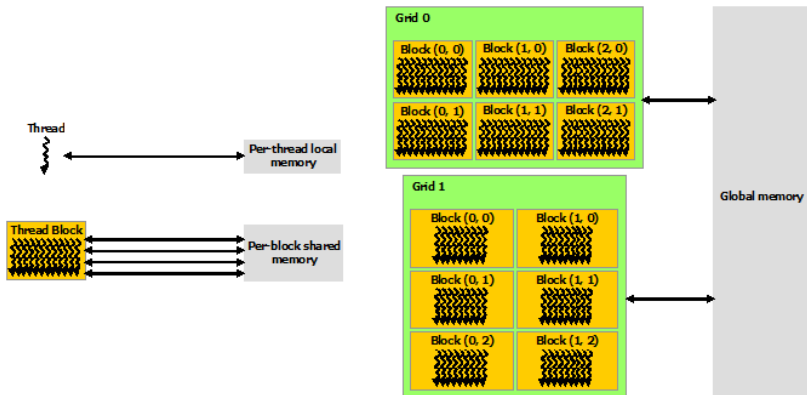


# Threads



- Parallelization via "Device Kernels" with threads
- Organized in blocks on a grid
- Block contains 1024 threads at maximum
- Blocks have access to shared memory

# Memory



# Example

# Parallel kNN Search

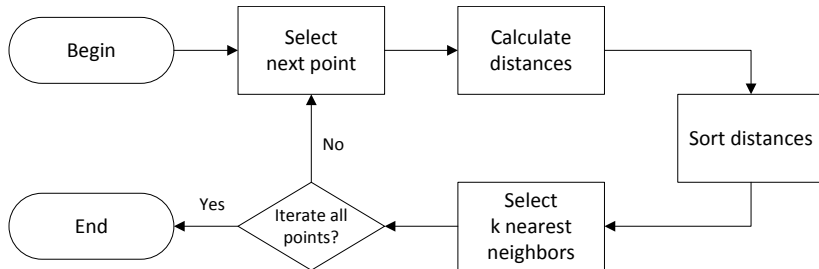
## Naive Search

- Highly parallelisable
- Low memory usage
- Quadratic runtime
- 

## kd-Tree

- Only partial parallelisable
- Additional memory for tree representation necessary
- Linear runtime for small  $k$
-

# Basic Idea



# Implementation

```
for all points in data do  
    calculate distances to all other points  
    repeat  
        count neighbors in radius of  $\varepsilon$   
        adapt  $\varepsilon = \varepsilon \cdot (1 \pm \eta)$   
    until number of neighbors in radius  $\varepsilon = k$   
    get points in radius of  $\varepsilon$   
end for
```

# Implementation

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for all points in data do  
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## Distance Calculation

$$\begin{pmatrix} 6 & 0 & 1 & 6 \\ 2 & 5 & 7 & 9 \\ 4 & 5 & 9 & 4 \end{pmatrix}$$



# Distance Calculation

$$\begin{pmatrix} 6 & 0 & 1 & 6 \\ 2 & 5 & 7 & 9 \\ 4 & 5 & 9 & 4 \end{pmatrix}$$

**1** Select point from matrix

## Distance Calculation

$$\begin{pmatrix} 6 & 0 & 1 & 6 \\ 2 & 5 & 7 & 9 \\ 4 & 5 & 9 & 4 \end{pmatrix}$$



$$\begin{pmatrix} 0 & 6 & 5 & 0 \\ 0 & 3 & 5 & 7 \\ 0 & 1 & 5 & 0 \end{pmatrix}$$

- 1 Select point from matrix
- 2 Determine absolute to each point dimension-wise

## Distance Calculation

$$\begin{pmatrix} 6 & 0 & 1 & 6 \\ 2 & 5 & 7 & 9 \\ 4 & 5 & 9 & 4 \end{pmatrix} \Downarrow \begin{pmatrix} 0 & 6 & 5 & 0 \\ 0 & 3 & 5 & 7 \\ 0 & 1 & 5 & 0 \end{pmatrix} \Downarrow \begin{pmatrix} 0 & 46 & 75 & 49 \end{pmatrix}$$

- 1 Select point from matrix
- 2 Determine absolute to each point dimension-wise
- 3 Calculate  $d = x^2 + y^2 + z^2$

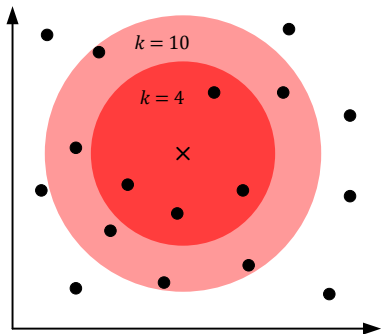
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# Implementation

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end for
```

## Distance "Sorting"



- conventional sorting algorithms not applicable with parallel GPU computing
- evaluate a distance  $\varepsilon$  based on radius search
- count  $k$  inside radius  $\varepsilon$
- adapt  $\varepsilon$  iteratively with learning rate  $\eta$

# Kd-tree

# GPU-Implementation



# Array based left balanced kd-tree

# GPU

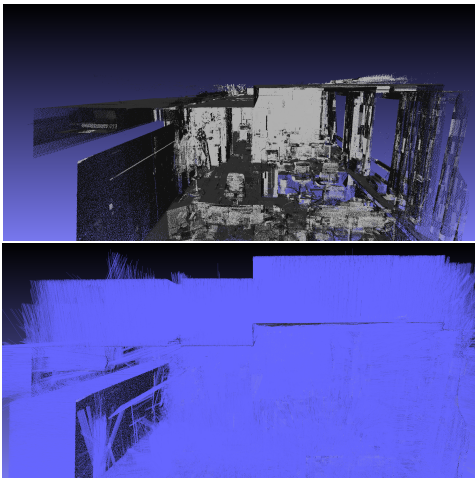
# Kd-tree search

# Kd-tree Knn

# Normal Calculation

# Normal Flip

## Results in LVR-Pipeline



# Runtime results



# Conclusion