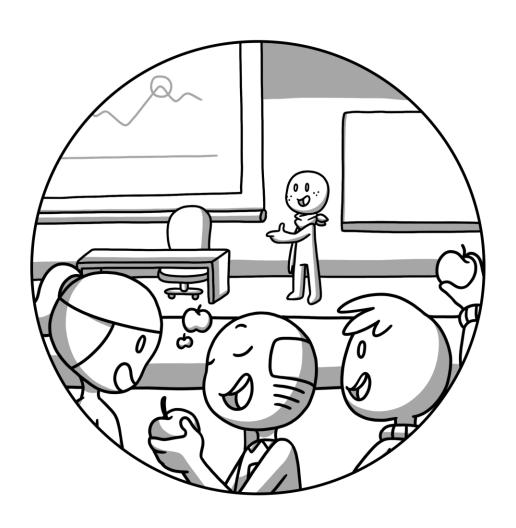
Central Tendency



COMERPLAIN



This comic was created in the course of the research project Comixplain, funded by St. Pölten UAS in the course of the Innovation Call 2022.

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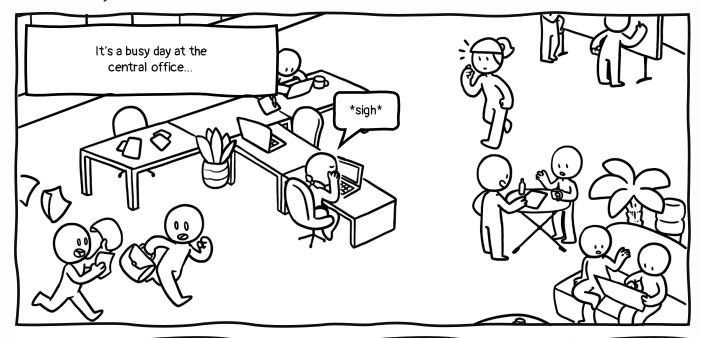
Contact:

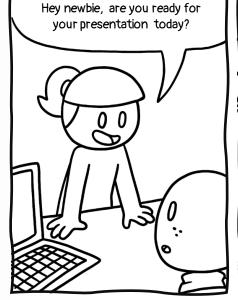
victor.oliveira@fhstp.ac.at

Illustrations:

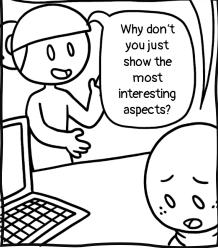
Magdalena Boucher & Alena Ertl





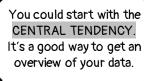


Not really... I collected a lot of data, but I only have a few minutes to present everything!



But there are so many interesting aspects! I just don't know what to focus on...



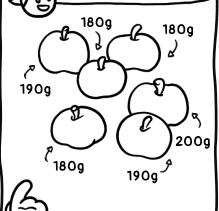


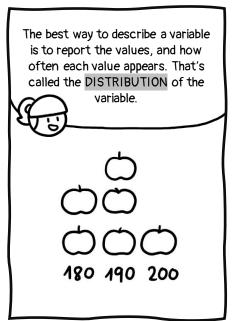


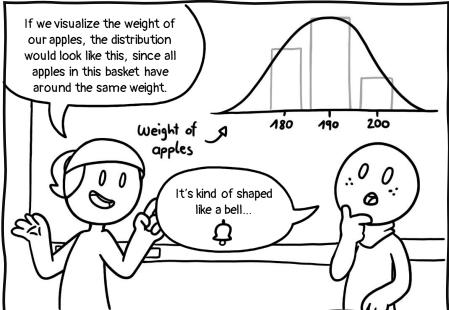
Hey, anybody want some apples?

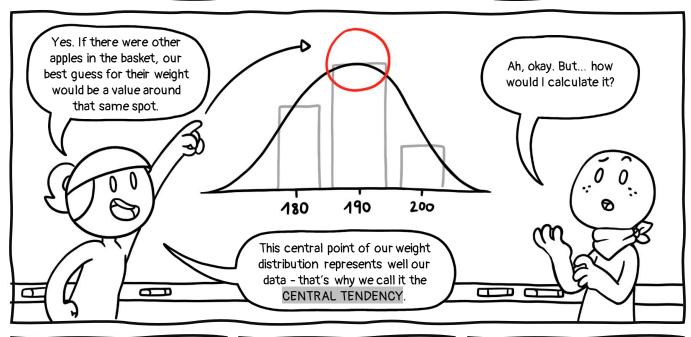


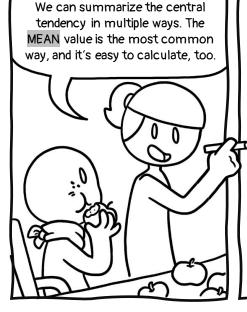
Okay, see these apples? Let's say we measured their weight. The weight is our variable, and we have different values.











200 180 190 190 190 180

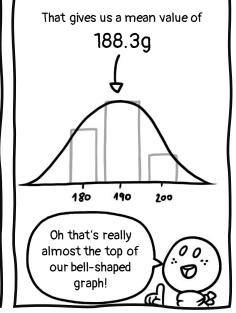
To calculate the mean, we add all the weight values together...

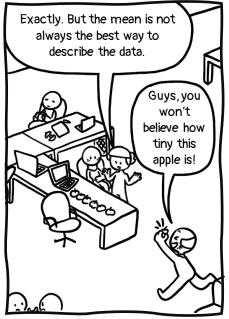
200 + 180 + 190 + 190 + 190 + 180

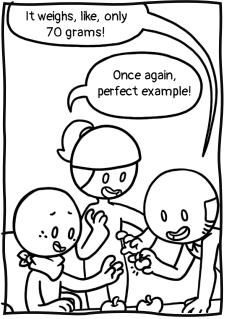
...and then divide by the number of apples we have...

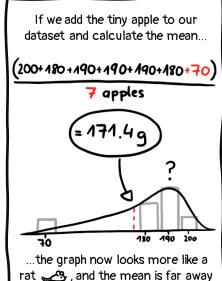
(200 + 180 + 190 + 190 + 190 + 180)

These are our six apples here:

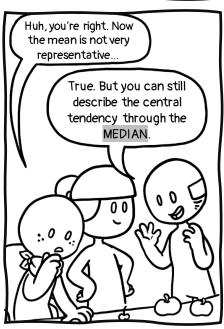


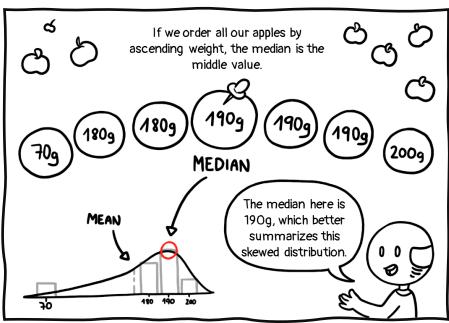


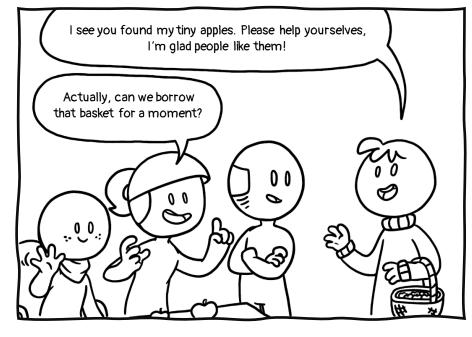




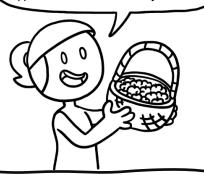
from the top, and closer to the tail.



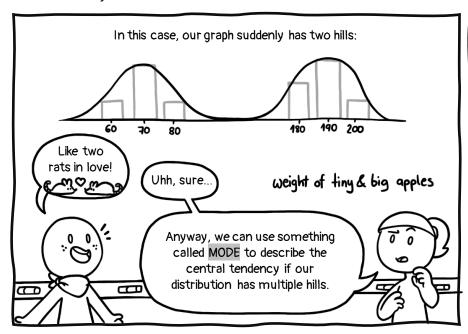




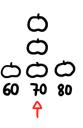
There is one more thing to explain: If we add this whole basket of tiny apples to our set, the first tiny apple is not an outlier* anymore.

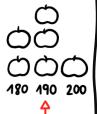


* Outliers are extreme values that can be errors in measurement, or accurate reports of rare events.



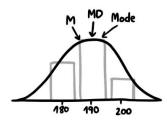
The mode defines the most frequently occuring value(s) in a dataset.



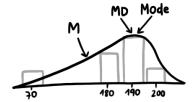


In this case, we have multiple modes, but there can also be just one, or even no mode at all.

You can apply mean, median, and mode to different samples of apples. But often, some will represent the data better than others.

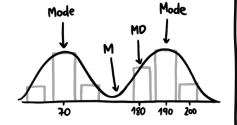


180, 180, 190, 190, 190, 200



70, 180, 181, 190, 191, 191, 200

M = 171.8 good MD = 190 → parameters Mode = 191 →



60, 70, 70, 70, 80, 180, 180, 190, 190, 190, 200

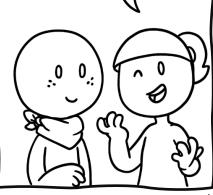
M = 134.5 good MD = 180 parameter Mode = 70 & 190 s

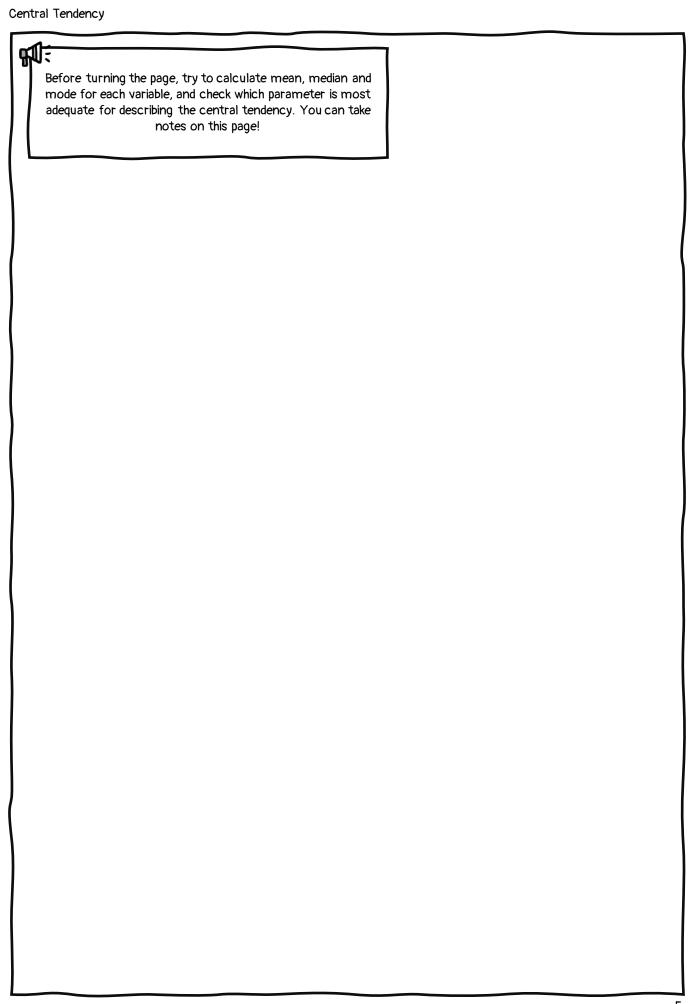
Okay, thank you... I've learned a lot. Now I just have to apply this to the data I have to present. It's from an app that tracks heart rate measurements.



User ID	Heart Rate (bpm)	Time of Use	User Rating ★★★
1	45	13:00	1
2	50	9:00	5
3	55	10:00	3
4	57	9:00	4
5	63	14:00	5
6	70	15:00	5
7	65	16:00	4
8	75	15:00	2

That should be doable - take a look at your data and follow the same steps we just did with the apples! You can use the next page for your calculations.





HEART RATE

Calculating the MEAN:

$$\frac{45+50+55+57+63+70+65+75}{8 \text{ users}} = \frac{480}{8} = 60 \text{ bpm}$$

Calculating the MEDIAN:







If there are two central values, the mean of the two values is the median: (57+63)/2 = 60bpm)

Calculating the MODE:

45, 50, 55, 57, 63, 70, 65, 75

Each value only exists once there is no mode!

If the distribution of the values is symmetrical, without any distortions, the mean is equal to the median.



MOST FREQUENT TIME OF USE

Calculating the MEAN:

$$\frac{9+9+10+13+14+15+15+16}{8 \text{ users}} = \frac{101}{8} = 12.6?$$

Calculating the MEDIAN:





Time of use is not a quantitative value - so calculating mean and

median does not make any sense!

Calculating the MODE:

1x

9:00, 10:00, 13:00, 14:00, 15:00, 16:00

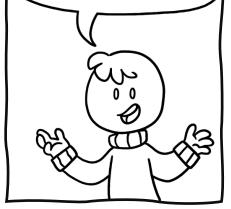
1x

1x

2 modes:

9:00 & 15:00

Mode is not only suited for multimodal distributions, but also when working with ordinal and categorical data.



STARRATING

2x

Calculating the MEAN:

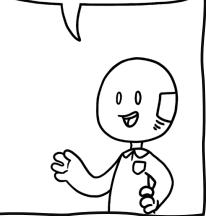
$$\frac{1+2+3+4+4+5+5+5}{8 \text{ users}} = \frac{29}{8} = 3.6 \text{ stars}$$

Calculating the MEDIAN:



Calculating the MODE:

For datasets with a skewed distribution, the median is a better way to describe central tendency.



Programming languages like **R**, can help you calculate the central tendency of attributes in large datasets. With R libraries, like **tidyverse**, you can quickly visualize the data distribution.



	model	year	hwy		
1	jetta	1999	44		
2	corolla	2008	37		
3	civic	2008	36		
4	civic	2008	36		
5	corolla	1999	35		
6	altima	2008	32		
7	sonata	2008	31		
	+other 227 entries				

In tidyverse, you have access to datasets such as **mpg** with fuel economy data. It includes 11 attributes, such as car model, year of manufacture, and highway miles per gallon (hwy).

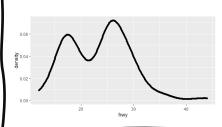




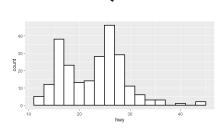
You can use **ggplot**, which is included in tidyverse, to visualize the data distribution of highway miles per gallon (hwy) using a histogram, a density curve, or both.

install.packages("tidyverse") # Install it only the first time using the library

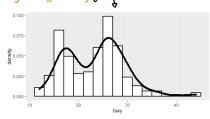
library(tidyverse)
plot <- ggplot(mpg, aes(x=hwy))
plot +
 geom_density()</pre>



plot +
geom_histogram(
colour="black",
fill="white") \(\)



plot +
 geom_histogram(aes(y=..density..),
 colour="black",
 fill="white") +
 geom_density() }



mean(mpg\$hwy) = 23.4

median(mpg\$hwy) = 24

library(modeest)
mlv(mpg\$hwy) = 26

M Md Mode

0.100

0.075

0.005

0.025

0.000

10

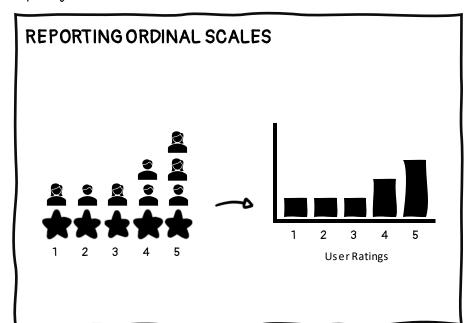
20

M Md Mode

40

R includes native functions to calculate mean and median. For mode, you can build your own function or use the Most Likely Values (mlv) from the library modeest.





You can also use histograms to report the distribution of the answer of single scale items.

Boxplots are also a good alternative to show the answer distribution.



CHARTS REFLECT THE TEST DESIGN

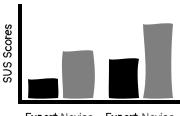
Testing the effect of two layout versions on app usability.

Factor: Layout (with 2 levels)

Version 1 Version 2

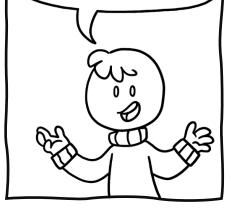
Testing the effect of two layout versions and user expertise on app usability.

Factors: Layout (with 2 levels) and Expertise (with 2 levels)



Expert Novice Expert Novice
Version 1 Version 2

You can easily present the comparison between the values you collected with bars and boxplots. For factorial tests, you can group bars and boxplots according to one of the factors.

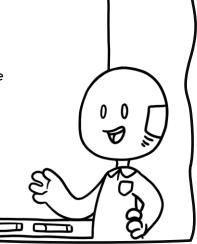


Here are some final notes to consider when reporting the data you collected:

Descriptive statistics enable us to present the collected data in a more meaningful way. Measures of central tendency are commonly used to describe the central position of a frequency distribution.

In addition to central tendency, measures of spread can also summarize data distribution. Such measures include range, quartiles, variance and standard deviation.

Descriptive statistics alone do not allow us to make conclusions beyond the data we have analysed or reach conclusions regarding any hypotheses we might have made. For hypothesis testing, further statistical tests should be performed.



Sources: Downey, A. (2014). Think stats: exploratory data analysis. O'Reilly Media, Inc. Field, A. (2022). An adventure in statistics: The reality enigma. Sage.

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