CSc.109-2077

# Tribhuvan University Institute of Science and Technology 2077



Bachelor Level / First Year/ First Semester/ Science
Cornputer Science and Information Technology (CSc. 109)
(Introduction to Information Technology)

Full Marks: 60 Pass Marks: 24 Time: 3 hours.

### (NEW COURSE)

Candidates are required to give their answers in their own words as for as practicable.

The figures in the margin indicate full marks.

# Section A

### Attempt any two questions:

 $(2 \times 10 = 20)$ 

- Define computer software. Differentiate system software with application software. Explain different types system software in detail. (1 + 2 + 7)
- 2. What are the benefits of using computer network? Explain different types of computer network in detail. What is network topology? (3 + 6 + 1)
- 3. What is database? What are the benefits of storing data in databases? Explain database system architectures in detail. (1 + 3 + 6)

## Section B

## Attempt any eight questions.

 $(8 \times 5 = 40)$ 

- What are different characteristics of a computer? Differentiate digital computer with analog computer. (3 + 2)
- 5. What is primary memory? Compare primary memory with secondary memory. (2 + 3)
- 6. Define memory hierarchy. Explain different types of ROM in detail. (1 + 4)
- 7. Explain any two input devices in detail. (5)
- 8. Convert (110101.101)<sub>2</sub> to decimal. (5)
- 9. Define IP address. Why do we need this address? Compare IPv4 address with IPv6 address. (1+ 2+2)
- 10. What are different elements of multimedia? Explain. (5)
- 11. What is cryptography? How does cryptography provide security to our data? (2 + 3)
- 12. Write short notes on:  $(2 \times 2.5 = 5)$
- a. Central processing unit
- b. IoT

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Bachelor Level / First Year/ First Semester/ Science Computer Science and Information Technology (CSc. 110)

Full Marks: 60 Pass Marks: 24

(C Programming)

Time: 3 hours.

(NEW COURSE)

Candidates are required to give their answers in their own words as for as practicable. The figures in the margin indicate full marks.

### Section A

### Attempt any two questions:

 $(2 \times 10 = 20)$ 

- 1. What do you mean by looping? Explain while loop with suitable example. Compare while loop with do-while loop. Write a program to find sum and average of first n natural numbers.
- 2. What are the benefits of using arrays? Compare one dimensional array with two dimensional array. Write a program to find transpose of a matrix.
- 3. /What is structure? How is it different from union? Create a structure named course with name, code, and credit\_hour as its members. Write a program using this structure to read data of 5courses (1+2+7)and display data of those curses with credit\_hour greater than 3.

#### Section B

### Attempt any eight questions:

 $(8 \times 5 = 40)$ 

- A. Explain flowchart with example. What are the benefits of using flowcharts?
- (3 + 2)
- 5 What is data type? Why do we need it in programming? Explain any three basic data types with (1+1+3)example.
- What do you mean by unformatted I/O? Explain.
  - (5)

7. Write a program to display first n prime numbers.

(5)

- (5)
- Write a program to find product of two integers using your own function. 9. Define pointer. How to you return pointers from functions? Explain with example.
- (1 + 4)

10. Explain different file I/O functions with example.

(5)

11. Write a program to draw a circle using graphics function.

(5)

- 12. Write short notes on:  $(2 \times 2.5 = 5)$ 
  - a. Compilation and execution
  - b. Operator precedence and associativity

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Bachelor Level / First Year/ First Semester/ Science Computer Science and Information Technology (CSc. 111) (Digital Logic)

Full Marks: 60 Pass Marks: 24

Time: 3 hours.

## (NEW COURSE)

Candidates are required to give their answers in their own words as for as practicable. The figures in the margin indicate full marks.

Attempt any two questions:

 $(2 \times 10 = 20)$ 

1. Design a combinatorial circuit that generates 9's complement of a BCD number.

(10)

(10)

2. Implement the following functions using PLA

 $w (A, B, C, D) = \sum (2,12,13)$ 

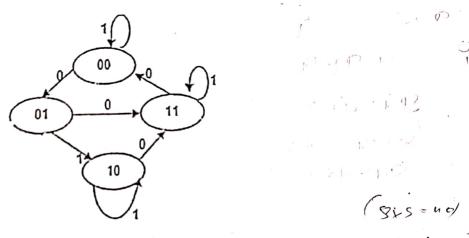
 $\times$  (A, B, C, D)=  $\sum$  (7,8,9,10,11,12,13,14,15)

 $y (A, B, C, D) = \sum (0,2,3,4,5,6,7,8,10,11,15)$ 

 $z(A, B, C, D) = \sum (1,2,8,12,13)$ 

3. Design sequential circuit specified by the following state diagram using T flip-flops.

(10) ·



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- 4. List two major characteristics of digital computer. Represent -6 (negative six) using 8 bits in signed magnitude, signed-1's-complement and signed-2's-complement respectively. Represent decimal (1+2+2)number 4673 in a) octal, and b) BCD.
- 5. Where is CMOS suitable to use? Define Power dissipation. Show that the positive logic NAND gate (1+1+3)is a negative logic NOR gate and vice versa.
- 6. Simplify the following function and implement them with two level NOR gate circuit, F(w, x, y, z) =(5) wx' + y'z' + w'yz'

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7. Design a full subtractor circuit with three inputs x, y,  $B_{in}$  and two outputs Diff and  $B_{out}$ . The circuit subtracts x-y- $B_{in}$  where  $B_{in}$  is the input borrow,  $B_{out}$  is the output borrow, and Diff is the difference. (5)

8. Design 4-bit even parity generator. (5)

9. What is the difference between a serial and parallel transfer? Explain how to convert serial data to parallel and parallel data to serial. What type of register is needed? (1+3+1)

10. Explain negative-edge triggered D flip flop with necessary logic diagram and truth table. (5)

11. Illustrate the use of Binary ripple counter and BCD ripple counter. (2.5+2.5)

12. Write Short notes on (Any two) (2x2.5)

a) RTL

b) State Reduction

c) POS

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BScCSIT Level/First Semester Mathematics[MTH 112] Calculus Full Marks: 80

Pass Marks: 32 Time 3 Hrs.

Candidates are required to give their answers in their own words as far as practicable.

# Group A $(10 \times 3 = 30)$

# Attempt any THREE questions.

- 1. (a) If  $f(x) = x^2$  then find  $\frac{f(2+h)-f(2)}{h}$ . [2]
  - (b) (a) Dry air is moving upward. If the ground temperature is 20° and the temperature at a height of 1km is 10°C, express the temperature T in °C as a function of the height h (in kilometers), assuming that a linear model is appropriate. (b) Draw the graph of the function in part (a). What does the slope represent? (c) What is the temperature at a height of 2km?
  - (c) Find the equation of the tangent to the parabola  $y = x^2 + x + 1$  at (0,1).
- 2. (a) A farmer has 2000 ft of fencing and wants to fence off a rectangular field that borders a straight river. He needs no fence along the river. What are the dimensions of the field that has the largest area? [5]
  - (b) Sketch the curve [3]

$$y = \frac{1}{x - 3}$$

3. (a) Show that the  $\int_1^\infty \frac{1}{x^2}$  converges and  $\int_1^\infty \frac{1}{x}$  diverges. [2]

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- (b) If  $f(x,y) = xy/(x^2+y^2)$ , does f(x, y) exist, as  $(x, y) \to (0, 0)$ ? [3]
- (c) A particle moves in a straight line and has acceleration given by  $a(t) = 6t^2 + 1$ . Its initial velocity is  $4m/\sec$  and its initial displacement is s(0) = 5cm. Find its position function s(t). [5]

$$\int_{-3}^{2} \int_{0}^{\pi/2} (y + y^{2} \cos x) dx dy$$

(b) Find the Maclaurin's series for  $\cos x$  and prove that it represents  $\cos x$  for all x. [5]

**Group B** 
$$(10 \times 5 = 50)$$

Attempt any TEN questions.

- 5. If  $f(x) = x^2 1$ , g(x) = 2x + 1, find  $f \circ g$  and  $g \circ f$  and domain of  $f \circ g$ .
- 6. Define continuity of a function at a point x = a. Show that the function  $f(x) = \sqrt{1 x^2}$  is continuous on the interval [-1, 1].
- 7. State Rolle's theorem and verify the Rolle's theorem for  $f(x) = x^3 x^2 6x + 2$  in [0, 3].
- 8. Find the third approximation  $x_3$  to the root of the equation  $f(x) = x^3 2x 7$ , setting  $x_1 = 2$ .
- 9. Find the derivative of  $\mathbf{r}(t) = (1+t^2)\mathbf{i} te^{-t}\mathbf{j} + \sin 2t\mathbf{k}$  and find the unit tangent vector at t = 0.
- 10. Find the volume of the solid obtained by rotating about the y-axis the region between y = x and  $y = x^2$ .
- 11. Solve: y'' + y' = 0, y(0) = 5,  $y(\pi/4) = 3$
- 12. Show that the series  $\sum_{n=0}^{\infty} \frac{1}{1+n^2}$  converges.
- 13. Find a vector perpendicular to the plane that passes through the points: P(1,4,6), Q(-2,5,-1) and R(1,-1,1)
- 14. Find the partial derivative of  $f(x,y) = x^3 + 2x^2y^3 3y^2 + x + y$ , at (2,1).
- 15. Find the local maximum and minimum values, saddle points of  $f(x, y) = x^4 + y^4 4xy + 1$ .

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Bachelor Level / First Year/ First Semester/ Science
Computer Science and Information Technology (PHY. 113)
(Physics)

Full Marks: 60 Pass Marks: 24 Time: 3 hours.

### (New Course)

Candidates are required to give their answers in their own words as for as practicable. The questions are of equal value.

#### Group A

### **Long Answer Questions:**

### Attempt any TWO questions

(2x10=20)

- 1. Explain RTL and TTL gates. How memory and clock circuits can be made by using these gates? Explain how they work?
- 2. Set up differential equation for an oscillation of a spring using Hooke's and Newton's second law. Find the general solution of this equation and hence the expressions for period, velocity and acceleration of oscillation.
- 3. Describe Frank-Hertz experiment. Interpret how the results of this experiment advocate atomic model proposed by Bohr?

### Group B

#### **Short Answer Questions:**

(8x5=40)

## Attempt any EIGHT questions:

- 4. Discuss magnetic dipole moment. What is its effect on atom? and on molecules? Explain.
- 5. Describe the following process of IC production: (a) Oxidation, (b) Pattern definition, and (c) Doping.
- 6. Explain the construction and working of bipolar junction transistor (BJT).
- 7. A roulette wheel with moment of inertia  $I = 0.5 \text{ kg m}^2$  rotating initially at 2 rev/sec coasts to a stop from the constant friction torque of the bearing. If the torque is 0.4 Nm, how long does it take to stop?
- 8. Two large parallel plates are separated by a distance of 5 cm. The plates have equaled but opposite charges that create an electric field in the region between the plates. An  $\alpha$  particle (q=3.2 x 10<sup>-19</sup> C, m= 6.68 x 10<sup>-27</sup> kg) is released from the positively charged plate, and it strikes

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the negatively charged plate 2  $\times$  10<sup>-6</sup> sec. later. Assuming that the electric field between the plates is uniform and perpendicular to the plates, what is the strength of the electric field?

- 9. In neutron spectroscopy a beam of monoenergetic neutrons is obtained by reflecting reactor neutrons from a beryllium crystal. If the separation between the atomic planes of the beryllium crystal is 0.732 Å, what is the angle between the incident neuton beam and the atomic planes that will yield a monochromatic beam of neutrons of wavelength 0.1 Å?
- 10. What is the probability of finding a particle in a well of width  $\alpha$  at a position  $\alpha$  /4 from the wall if n=1, if n=2, if n=3. Use the normalized wavefunction  $\psi(x,t)=\left(\frac{2}{a}\right)^{\frac{1}{2}}\sin\left(\frac{n\pi x}{a}\right)e^{-\frac{iEt}{\hbar}}$ .
- 11. The energy gap in silicon is 1.1 eV, whereas in diamond it is 6 eV. What conclusion can you draw about the transparency of the two materials to visible light (4000  $\overset{\circ}{A}$  to 7000  $\overset{\circ}{A}$ )?
  - 12. Find the truth table for the circuit shown in the figure. What logic function will the circuit perform if the constant + 5 V input to the first two gates is changed to ground potential?

