

How to represent Images?

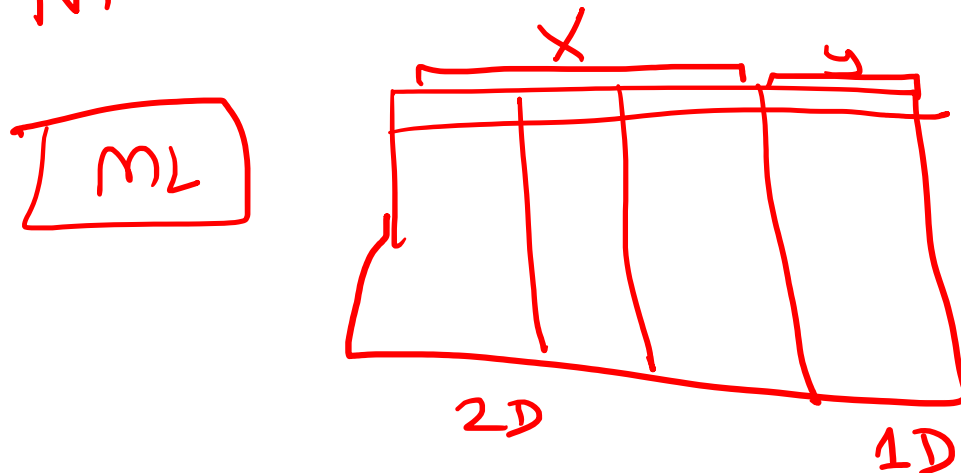
Discuss data

Data \rightarrow NN (I know it)

Image \rightarrow NN (I don't know it)

NN — Shine on Unstructured

data (image, sound, text, etc)



$lr.fit(X, y)$

Geometry

All the data
is the SAME

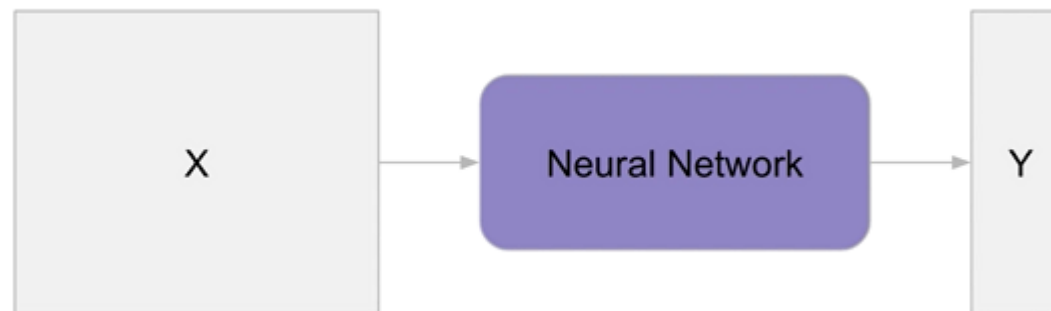
{ kmeans
KNN
RF & DT
LR
Log-R.

Why is this a challenge?

- Previously we discussed the famous Geometry Problem
 - ML is nothing but a Geometry Problem
 - All data is the same
- Ex:
 - y = Pass/Fail , x =(# hours studying, # hours video games)
 - y = Salary, x = (years of experience, degree type)
- The question now is if your input data X is an image.
- How does that fit into this picture.

X y
image Cop
image Saucer
!

X y
2D 1D
(100x4) (100,)



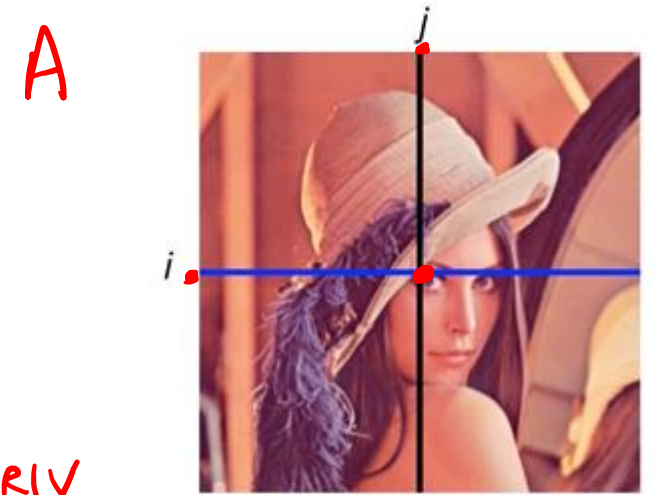
How are the images stored?

- Consider the famous Lenna/Lena image

2 property: height & width

Image \rightarrow can be stored in the form of a MATRIX

$A(i,j)$ = store the color at that position i.e. i^{th} row & j^{th} col.



$$A = \begin{bmatrix} - & - & - & - & - \\ - & - & - & - & - \\ - & - & - & - & - \\ - & - & - & - & - \\ - & - & - & - & - \end{bmatrix}$$

How do we store colors?

Primary Colors \rightarrow Red - Blue - ~~Yellow~~ Green

Any other color can be made using Primary Colors

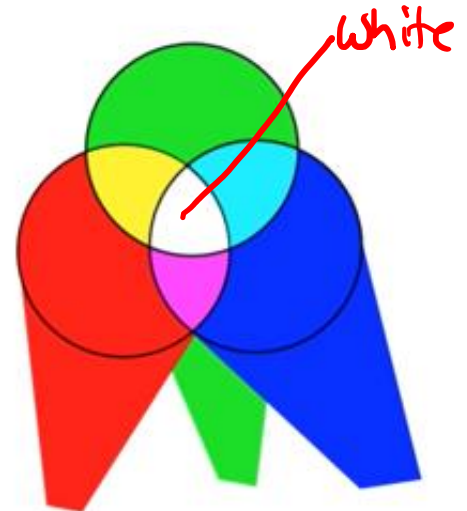
Red + Blue = Purple

Blue + Yellow = Green

Red + Yellow = Orange

Red - Green - Blue

R - G - B



Additive color mixing with red, green and blue additive primary colors.

How do we store colors?

$R + G + B$

So a color is not just a number, it is 3 numbers.

Color = how much of red + how much of Green + how much of Blue



How are images stored?

3D

3-Dimensions: Height, Width, COLOR
Color dimension has size = 3 (RGB)

$A(i, j, k)$

where i = row no

j = col. no

k = red, green, blue



Quantization

Color is light, measured by light intensity. (continuous value)
↓
infinite no. of possible values
↓
COMPUTER do not have infinite precision

More precision require the image to take up larger space.

Researchers : 8 bits (1 byte) is good enough

$2^8 = 256$ possible values (0, 1, 2, ..., 255)

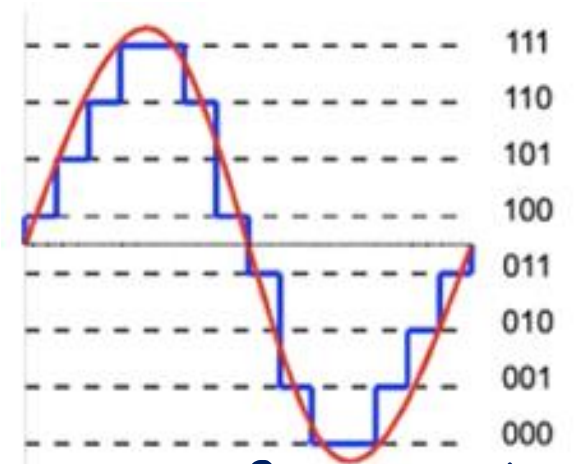
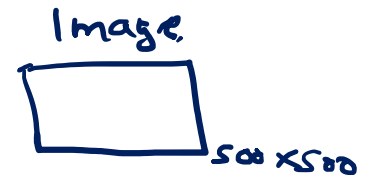
R. G. B

$2^8 \cdot 2^8 \cdot 2^8 = 16.8$ million possible colors

How much space does a 500x500 image take up?

Soln $500 \times 500 \times 3 \times 8 = 6$ million bits = 750,000 bytes i.e. 732kB is quite large for a 500x500 image.

∴ We go for Image Compression (JPG)



Grayscale images

- Images which do not have color are called*
- Images that do not have colors can be simplified
 - We can call them “grayscale” because each pixel value can only be black, white or some shade of gray *Each pixel can be only black/white/some shade of grey*

- Black = 0, White = 255
- Only requires a 2D array (height, width) *Black = 0 White = 255*
0 - 255 - Some Shade of Grey.

$$\frac{500 \times 500 \times 3 \text{ colors}}{500 \times 500 \text{ (2D)}}$$

Grayscale = color 0-255



Plotting Grayscale images in matplotlib

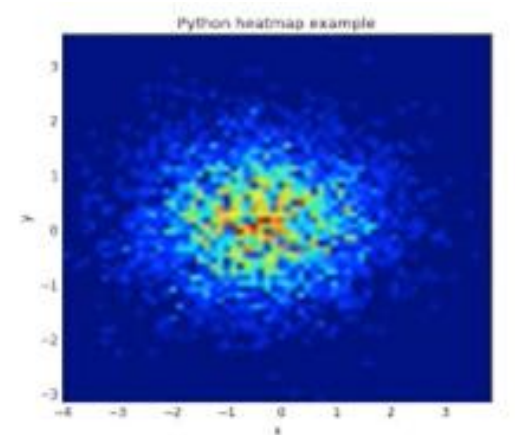
`plt.imshow(array2D)`

For Grayscale images,

`plt.imshow(array2D, cmap = 'gray')`

Blue = cold (min)
Red = Hot (max)

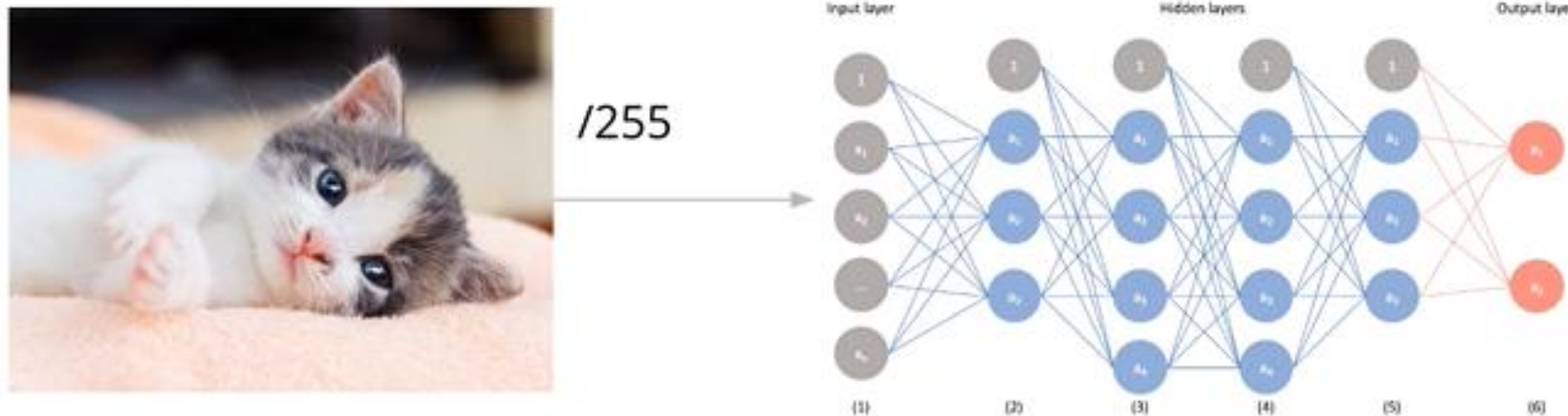
Heat Map
(not True
colors)



Images as input to Neural Networks

$2^8 \cdot 2^8 \cdot 2^8$

- ~~Neural~~ ~~Network~~ don't like values on a large scale (0 to 255)
- It is more conventional to scale them up between 0 to 1
- These are not centered around 0 – there are always exceptions in Deep Learning!
- This is actually a convenient representation because they can (in certain scenarios) be interpreted as probabilities



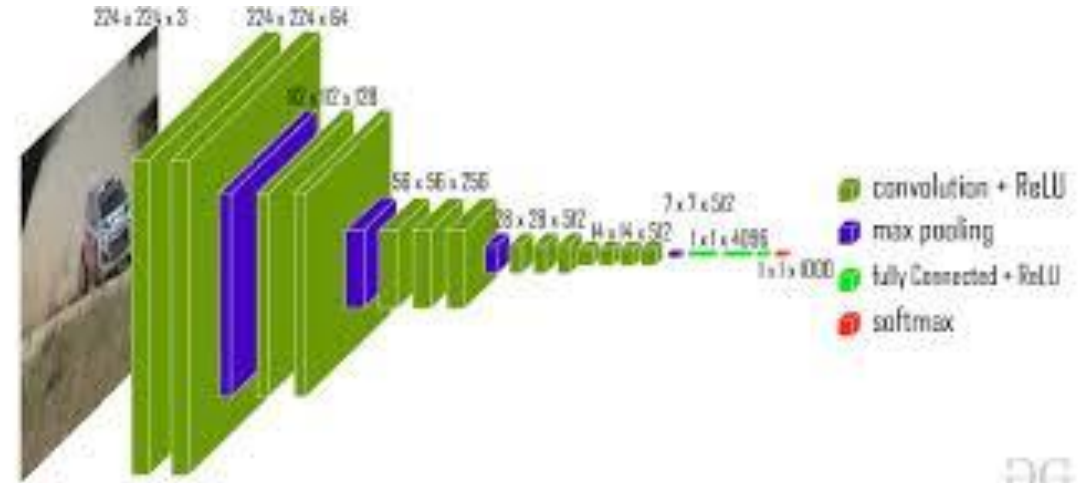
Another exception

Computer Vision \rightarrow VGG

won ImageNet Contest

Subtract mean across color channel

$X - X.\text{mean}()$



Images as input to Neural Networks

$N = \# \text{rows} / \# \text{samples}$
 $D = \# \text{features} / \text{cols.}$

NN expect X to be a 2D shape Matrix: $N \times D$

Single image: $H \times W \times C$ (it doesn't have 'D' features).

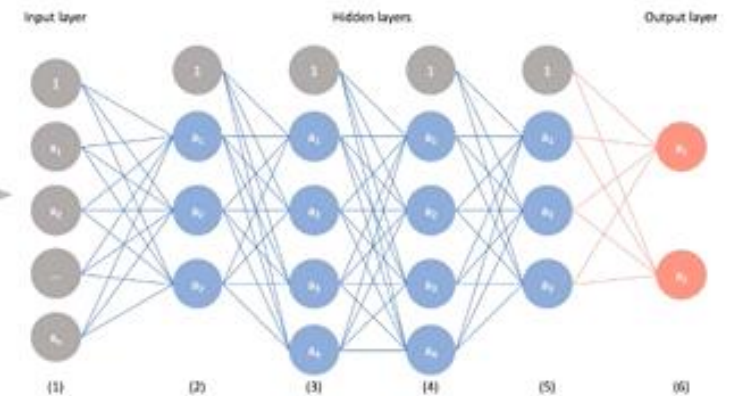
Dataset: 1000 images colored
(N)

$N \times H \times W \times C$

1000 height width color



/255



Trainer: Dr. Darshan Ingle.

Image to Feature Vector

One Img. of a Dog (Grayscale Image)

| | | |
|--------|--------|--------|
| pixel1 | pixel2 | pixel3 |
| pixel4 | pixel5 | pixel6 |
| pixel7 | pixel8 | pixel9 |

2D

3x3

Flattening

This is a process called "flattening". The Keras layer is Flatten()



| | | | | | | | | |
|--------|--------|--------|--------|--------|--------|--------|--------|--------|
| pixel1 | pixel2 | pixel3 | pixel4 | pixel5 | pixel6 | pixel7 | pixel8 | pixel9 |
|--------|--------|--------|--------|--------|--------|--------|--------|--------|

1D

Image to Feature Vector

This is a process called "flattening". The Keras layer is `Flatten()`

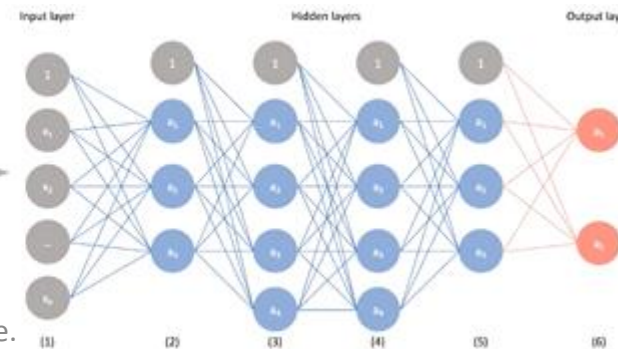
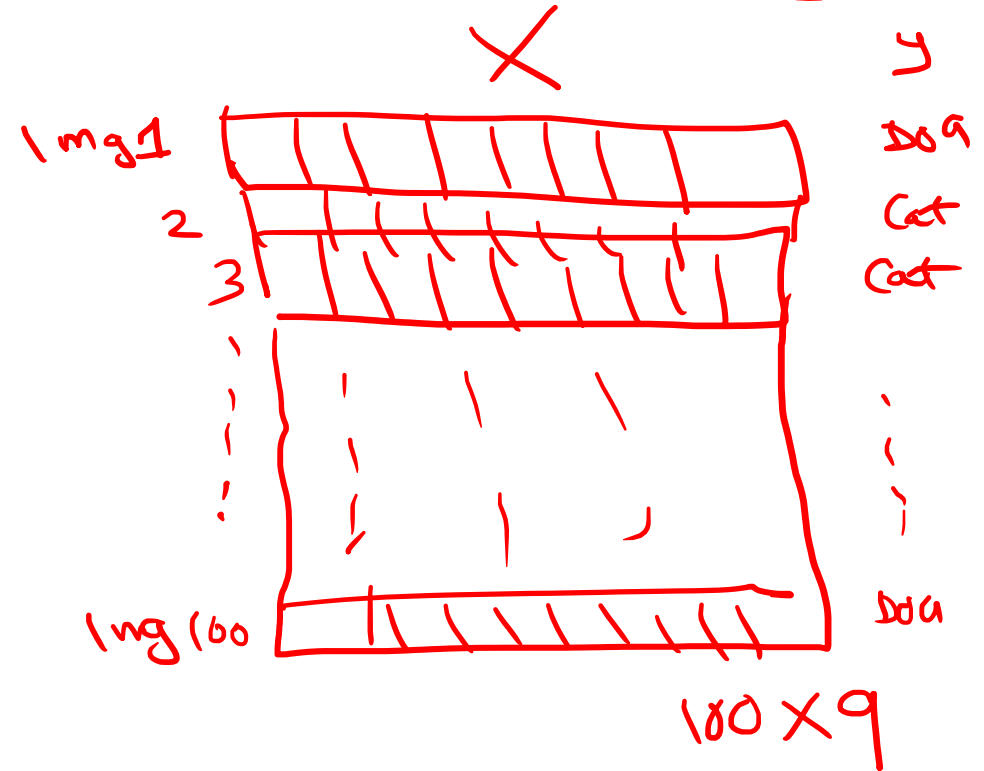
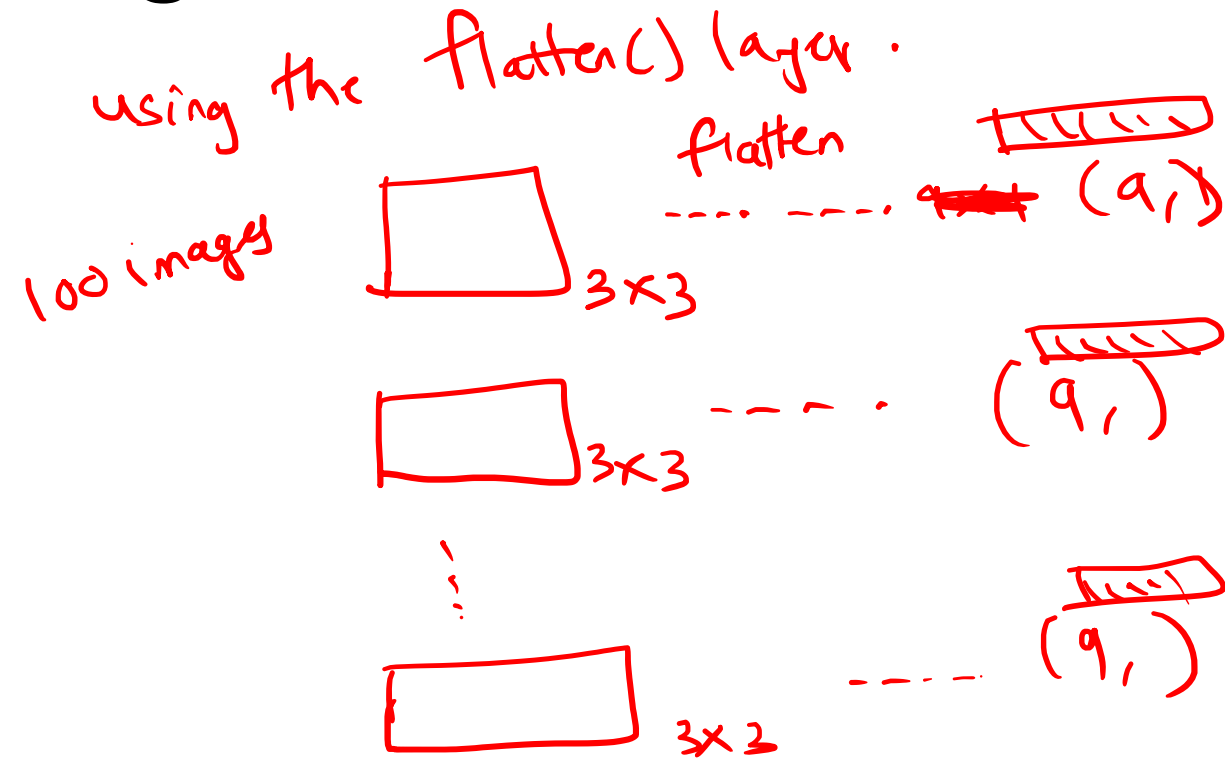
| | | |
|--------|--------|--------|
| pixel1 | pixel2 | pixel3 |
| pixel4 | pixel5 | pixel6 |
| pixel7 | pixel8 | pixel9 |



| | | | | | | | | |
|--------|--------|--------|--------|--------|--------|--------|--------|--------|
| pixel1 | pixel2 | pixel3 | pixel4 | pixel5 | pixel6 | pixel7 | pixel8 | pixel9 |
|--------|--------|--------|--------|--------|--------|--------|--------|--------|

Image to Feature Vector

ALL DATA IS SAME
2D array (ML)



Trainer: Dr. Darshan Ingle.

ANN for Image Classification (MNIST Dataset)

① ~~ANN Code Preparation~~ ^{Load the data}

MNIST (^{images of} Handwritten nos are stored) (0-9) 10 digits included in TF.

② Build the Model

③ Train the model

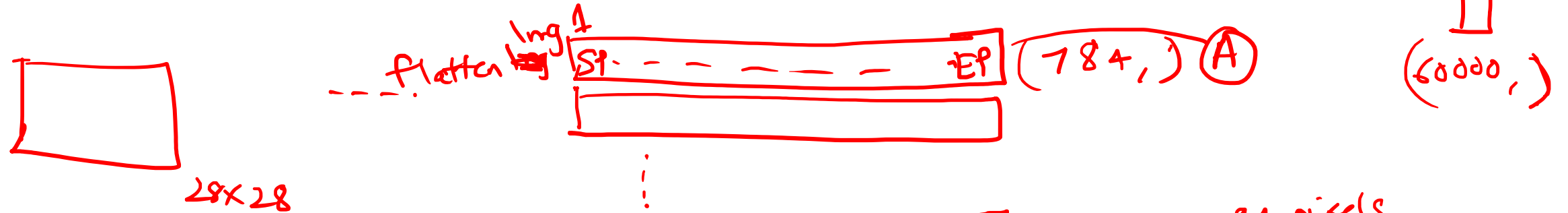
④ Evaluate the model

⑤ Make predictions

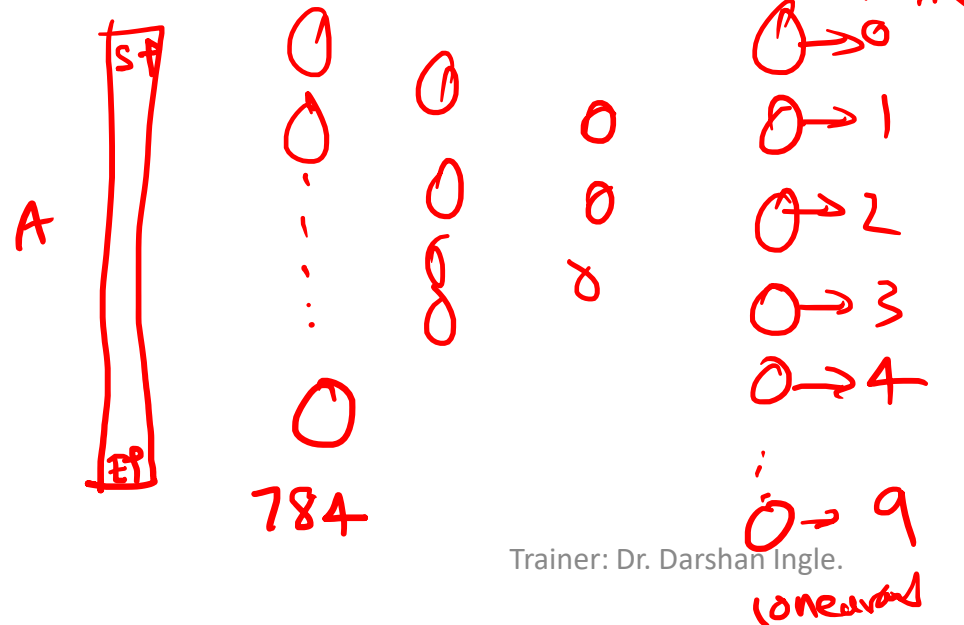
ANN for Image Classification

- Load in the data

$$X.shape = (60000 \times 784)$$



60000 image



$28 \times 28 = 784$ pixels



Refer NB “3 ANN_MNIST Image
Classification.ipynb »