

# Mesh-based Gaussian Splatting for Real-time Large-scale Deformation

Lin Gao, Jie Yang, Bo-Tao Zhang, Jia-Mu Sun, Yu-Jie Yuan, Hongbo Fu and Yu-Kun Lai

Neural implicit representations, including Neural Distance Fields and Neural Radiance Fields, have demonstrated significant capabilities for reconstructing surfaces with complicated geometry and topology, and generating novel views of a scene. Nevertheless, it is challenging for users to directly deform or manipulate these implicit representations with large deformations in the real-time fashion. Gaussian Splatting (GS) has recently become a promising method with explicit geometry for representing static scenes and facilitating high-quality and real-time synthesis of novel views. However, it cannot be easily deformed due to the use of discrete Gaussians and lack of explicit topology. To address this, we develop a novel GS-based method that enables interactive deformation. Our key idea is to design an innovative mesh-based GS representation, which is integrated into Gaussian learning and manipulation. 3D Gaussians are defined over an explicit mesh, and they are bound with each other: the rendering of 3D Gaussians guides the mesh face split for adaptive refinement, and the mesh face split directs the splitting of 3D Gaussians. Moreover, the explicit mesh constraints help regularize the Gaussian distribution, suppressing poor-quality Gaussians (e.g., misaligned Gaussians, long-narrow shaped Gaussians), thus enhancing visual quality and avoiding artifacts during deformation. Based on this representation, we further introduce a large-scale Gaussian deformation technique to enable deformable GS, which alters the parameters of 3D Gaussians according to the manipulation of the associated mesh. Our method benefits from existing mesh deformation datasets for more realistic data-driven Gaussian deformation. Extensive experiments show that our approach achieves high-quality reconstruction and effective deformation, while maintaining the promising rendering results at a high frame rate (65 FPS on average on a single commodity GPU).

**Index Terms**—3D Gaussian Splatting, Deformation, Interactive, Data-Driven, Large-Scale

## 1 INTRODUCTION

Shape representations are fundamental in computer graphics and geometry processing. Traditionally, explicit representations like point clouds [2, 3, 4, 5], voxels [6, 7, 8], meshes [9, 10] are commonly used in various contexts due to their intuitive and deformation friendly property. In recent years, Implicit representations (e.g., Neural Radiance Fields (NeRFs) [11, 12], Signed Distance Fields (SDFs) [13, 14, 15]) have drawn much attention since they are able to reconstruct highly realistic appearance and complicated geometry from only a few multi-view images. However, implicit representations also bear inherent drawbacks like slow rendering speed, limiting their applicability to practical applications. To overcome these drawbacks while preserving the advantages, 3D Gaussian Splatting (3DGS) [1] is proposed. 3DGS learns the spatial distributions of Gaussian kernels from the initialization of SFM (Structure from Motion) [16] points, which naturally provide an explicit discrete 3D scene representation in contrast to the continuous representation used by NeRF. 3DGS has a small training cost and can achieve high-quality real-time rendering based on differentiable rasterization.

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Since 3DGS is built upon discrete Gaussian kernels, it may seem natural to directly perform deformation on them. However, simple deformation methods may produce suboptimal results. For example, SC-GS [17] learns sparse control points to model the dynamics of 3D scenes, thus enabling motion deformation by manipulating the sparse points. Nevertheless, methods based on sparse control points struggle with complicated geometry or deformation, due to the lack of topology prior. On the other hand, SuGaR [18] employs a slightly more sophisticated pipeline. It extracts an explicit mesh from a 3DGS representation by regularizing the Gaussians to distribute over the surface, and can edit the 3DGS by manipulating the mesh. However, when performing deformation, SuGaR only adjusts the scale and rotation of existing Gaussian kernels without further merging or splitting them, and mesh properties like normals are also not taken into account. This can result in artifacts especially when performing large-scale deformation, which can greatly change the shape of the mesh. Simply deforming the Gaussians without any topology information generates strong misalignment artifact when performing large-scale deformation, as shown in the ‘Baseline’ method in Fig. 3.

Motivated by the above observations, Our purposed method enables high-quality real-time large-scale deformation on 3D Gaussian Splatting, as illustrated in Figure 1. Our core idea is to design an innovative mesh-based Gaussian splatting representation, which is integrated into Gaussian distribution learning and manipulations. In particular, given a mesh of the scene extracted by an off-the-shelf method [19], we bind the mesh and a 3DGS representation with each other. We leverage this binding to provide guidance for both training of 3DGS and deformation in a novel manner. During the 3DGS learning process, its Gaussian splitting is limited to two options: the first is splitting along the face, which

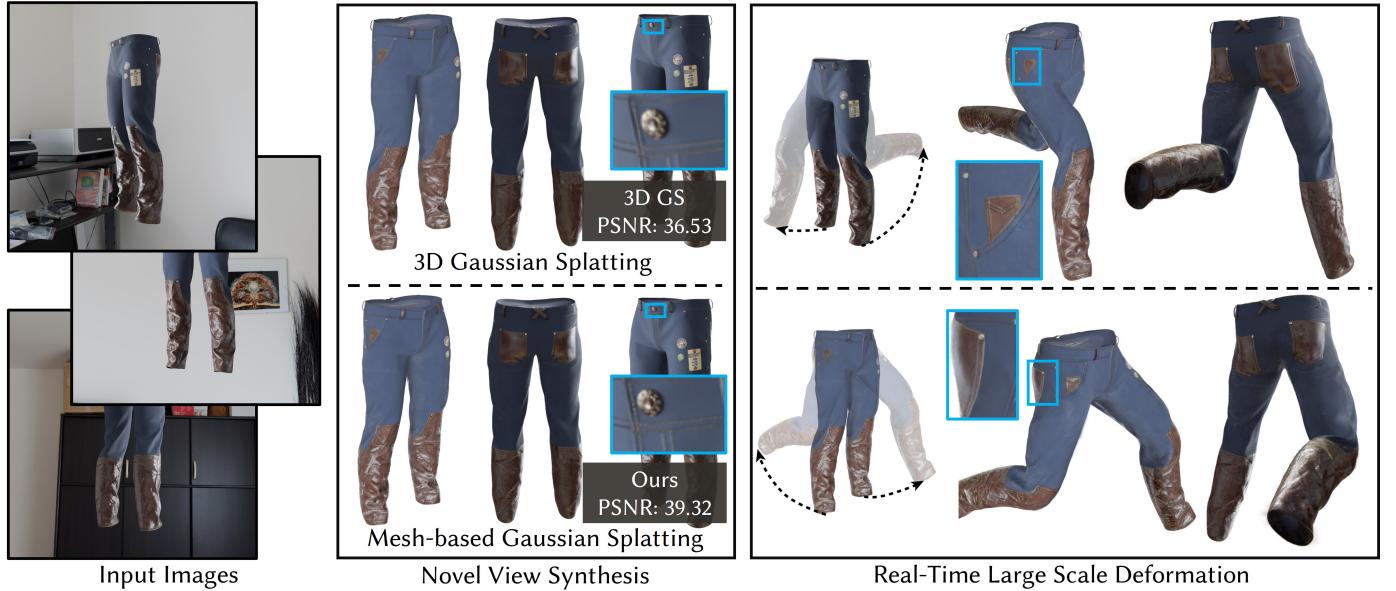


Fig. 1: Given a set of multi-view images of an object (left), we reconstructs the object with the proposed Mesh-based Gaussian Splatting representation, involving both 3D Gaussians and an associated mesh. the mesh is adaptive refined along with Gaussian splitting, and also served as effective regularization. As a result, our method achieves higher-quality novel view synthesis, compared with 3D Gaussian splatting [1]. our 3D Gaussian deformation method produces high quality deformation results in the real-time manner with large scale deformations.

means the two split kernels remain on the surface, and the other is splitting along the normal, which means the two split kernels are aligned along the surface normal. We observe this approach is more conducive to form manipulations and enhance the rendering effects (*e.g.*, high-frequency details) by eliminating irrational Gaussians (*e.g.*, misaligned Gaussians, long-narrow shaped Gaussians), which can lead to artifacts.

Based on our proposed mesh-based GS, we introduce a large-scale Gaussian deformation technique to achieve editable GS, which alters the parameters of 3D Gaussians according to the mesh deformation. In particular, we employ existing mesh deformation techniques [20] on the mesh and apply the deformation gradients to the parameters of neighboring Gaussians. This process can be directly rendered by the splatting procedure in real time. This can equip our deformation with intuitive data-driven deformation which was only available in mesh-based methods before, thanks to the mesh-GS binding. Additionally, a regularization loss is introduced to enforce the spatial continuity and local rationality of Gaussian shapes and avoid the blurry visual artifacts due to the anisotropy of 3D Gaussian kernels for Gaussian deformation. Finally, to enable interactive deformation of 3D Gaussians, we design an interactive tool, which allows for real-time Gaussian manipulation and high-quality splatting, while adhering to user-friendly constraints.

Extensive experiments and ablations on public datasets and self-captured scenes demonstrate that our mesh-based GS achieves better novel view synthesis compared with existing techniques, while maintaining promising rendering speed (65 FPS on average on a single NVIDIA RTX 4090 GPU), and our method enables large-scale deformation of Gaussian splatting, outperforming existing methods. More results for real-time deformation are included in our video. Our contributions can be summarized as follows:

- We propose a novel mesh-based Gaussian Splatting representation, which binds 3D Gaussians with the mesh representation and fully utilizes the mesh to guide the splitting of 3DGS, improving the quality of learned GS.
- With the proposed Gaussian representation, we introduce a large-scale Gaussian deformation method, which makes use of not only the vertex positions, but also deformation gradients to guide the GS. It takes the advantage of mesh deformation methods while preserving real-time rendering and high quality appearance robustly even when deformed at large scale.
- Extensive experiments demonstrate that our method achieves superior performance on the efficiency and quality of deformation compared to existing methods.

## 2 RELATED WORK

### 2.1 3D Shape Representations

**Explicit Representations** Explicit representations dominated the industries and academic research for a long time. Classic representations, including point clouds [2, 4], voxels [6, 7, 8, 21], meshes [9, 10, 22, 23, 24], have been revisited for 3D deep learning. Although 3D explicit representations have a clear description on the geometry and appearance, they lack a flexible underlying topology representation and have limited capabilities of representing realistic appearance.

**Implicit Representations** Different from explicit representations, implicit representations, including signed distance fields (SDFs) [13, 14, 15] and unsigned distance fields (UDFs) [25, 26, 27] can accurately model arbitrary geometry and topology. Thanks to the continuous nature of implicit representations, they can be combined with neural networks to support data-driven geometry learning.

In recent years, Neural Radiance Field (NeRF) has become increasingly popular as it allows for 3D optimization

with only 2D supervision via volumetric rendering [28]. It has become prevalent in numerous tasks, such as 3D reconstruction [29, 30], 3D generation [31, 32], and editing [33, 34, 35]. Nevertheless, implicit approaches suffer from extensive sampling to fit implicit functions of 3D scenes. This leads to significant computational costs, particularly in high-resolution or interactive rendering scenarios, even with accelerated NeRF versions [36, 37, 38]. It is difficult to achieve real-time rendering and high quality view synthesis at the same time. **Gaussian Splatting** Recently, 3DGS has emerged as a viable alternative 3D representation to NeRF, demonstrating remarkable rendering quality and real-time speed, overcoming the drawbacks of NeRF [39]. It can be used for 3D or 4D reconstruction [40, 41], avatar modeling [42, 43], etc. GS-based generation has also gained significant attentions [44, 45, 46]. 3DGS facilitates numerous applications thanks to its efficient differentiable rendering and high-fidelity rendering. Our proposed method is built upon 3DGS, and inherits the rendering speed and the power to express detailed appearance of 3DGS, while additionally providing full control of the deformation of geometry.

## 2.2 3D Shape Deformation & Editing

**Mesh Editing** Editing a 3D model involves altering its shape according to user-defined boundary conditions. There are many different ways to edit a 3D model, such as Laplacian coordinates [47, 48, 49], Poisson equations [50] and cage-based approaches [51, 52], data-driven mesh deformation [20, 53]. These methods can be conducted in real time while preserving the geometric details. However, they can only be done on explicit mesh representations, hindering further usage on modern representations that capture both geometry and appearance.

**NeRF Editing** As a pioneering work for NeRF editing, EditNeRF [35] successfully modifies the shape and color of neural fields by including latent codes as conditioning factors. Furthermore, several works [54, 55, 56, 57] utilize the CLIP model [54] to facilitate the editing on NeRFs via text prompts or reference images. Another stream is to use some predefined explicit proxies to support the editing, such as skeletons for humans [58, 59] and explicit geometries [60, 61, 62, 63], which all transfer the edits on explicit proxies to NeRF. Besides, some 2D image manipulation (e.g., inpainting, strokes) is also adopted into the NeRF editing via optimization schemes [34, 64, 65, 66] or applied to dynamic NeRFs [67] for 4D-editing [68].

Although it is an innovation to introduce explicit proxies to enhance editing, these works have limited applicability due to the high computational cost and slow rendering speed of NeRF.

**Gaussian Editing** In contrast, 3DGS enables a small training cost and high-quality real-time rendering via splatting rendering. The editing on 3DGS has also been explored in various fields. PhysGaussian [69] employs discrete particle clouds from 3DGS for physically-based dynamics and photo-realistic rendering through continuum deformation [70] of Gaussian kernels. SC-GS [17] learns sparse control points for 3D scene dynamics but faces challenges with large movements and complex surface deformation. SuGaR [18] extracts explicit meshes from 3DGS representations, but relies on simple

adjustment of Gaussian parameters based on deformed meshes and struggles with large-scale deformation. The above approaches edit the original GS by merely adjusting parameters, limiting their effectiveness in interactive and large-scale deformation. Our observation is that 3DGS, which is based on discrete and unstructured Gaussian kernels, needs strong topological information to guide the relationship of neighboring kernels in order to perform large-scale deformation while preserving meaningful appearance.

In this work, we pioneer the adaptation of mesh-based deformation to 3DGS by harnessing the priors of explicit representation: the surface properties like normals of the mesh, and the gradients generated by explicit deformation methods. The full utilization of explicit mesh representation provides adequate topological information to 3DGS, and improves both the learning and deformation of our method.

## 3 METHODOLOGY

Given a collection of multi-view images, we express the geometry and appearance of the scene as a Gaussian distribution bound with an explicit mesh extracted by existing approaches (e.g., NeuS2 [19]). Our goal is to enable real-time deformation of 3DGS. For realistic and interactive deformation, our solution is to introduce an explicit mesh as the topological guidance and use mesh-based Gaussian distribution learning to constrain the parameters and the growth process of Gaussian functions, thus ensuring the correlation between the 3D Gaussians and the geometric shape. After Gaussian distribution learning, thanks to the binding of GS and the mesh, the deformation gradients from the user-controlled deformed mesh are applied to the Gaussians' parameters. In addition, a regularization of the Gaussian shape is designed to eliminate extreme anisotropy of the Gaussians in the deformation process. Hence, we incorporate them together into an interactive tool for real-time deformation to enable photorealistic novel view rendering efficiently following the user's control. An overview of our pipeline is presented in Figure 2. In the following, we first preview some preliminaries, including the 3DGS representation and mesh deformation in Sec. 3.1, then introduce our mesh-based GS representation in Sec. 3.2 followed by the deformation technique in Sec. 3.3.

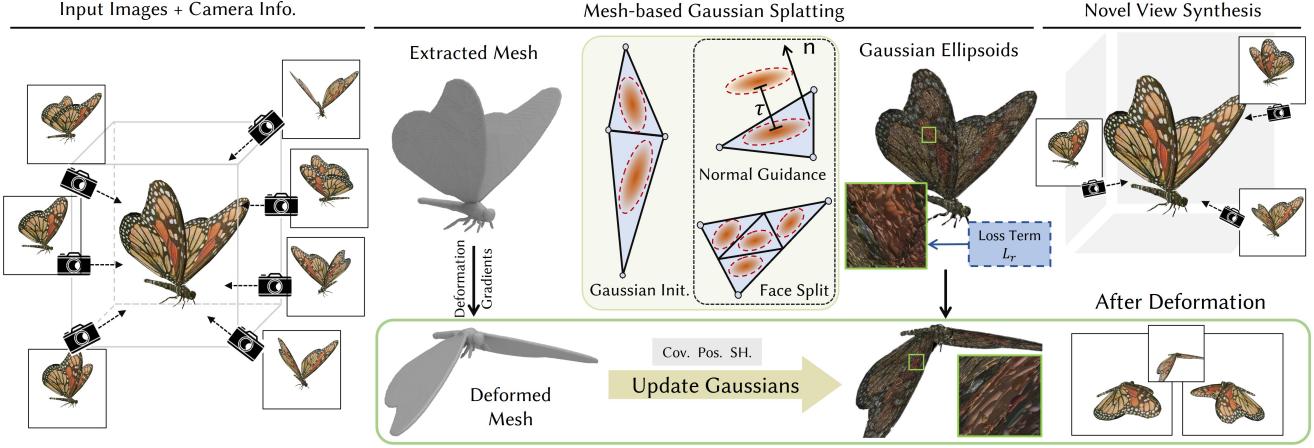
### 3.1 Preliminaries

**3D Gaussian Splatting** Each Gaussian element is defined by a center position  $\mu \in \mathbb{R}^3$ , a covariance matrix  $\Sigma \in \mathbb{R}^7$ , color  $c \in \mathbb{R}^k$  (represented by spherical harmonic coefficients for view-dependent color, where  $k$  represents the degrees of freedom), and opacity  $\sigma \in \mathbb{R}$ . The Gaussian function  $g(x)$  can be defined by the following formulation:

$$g(x) = e^{-\frac{1}{2}(x-\mu)^T \Sigma^{-1} (x-\mu)} \quad (1)$$

where the covariance matrix  $\Sigma$  can be factorized into a rotation matrix  $\mathbf{R}$  expressed as a quaternion  $q \in \mathbb{R}^4$  and a scaling matrix  $\mathbf{S}$  represented by a 3D-vector  $s \in \mathbb{R}^3$  for the differentiable optimization:  $\Sigma = \mathbf{R} \mathbf{S}^T \mathbf{R}^T$ .

The rendering technique of splatting, as initially introduced in [71], is to project the Gaussians onto the camera image planes, which are employed to generate novel view images. The location and covariance of the projected 2D



**Fig. 2: An overview of our pipeline.** Our mesh-based Gaussian splatting representation is specifically designed for Gaussian deformation. Given a set of calibrated images, we first reconstruct an explicit mesh using the explicit geometry prior to initialize the Gaussian. During the learning, the explicit mesh guides the Gaussian learning in two strategies according to the explicit mesh: a) Face Split; b) Normal Guidance. Also, we introduce a regularization loss  $L_r$  to constrain the scale of Gaussians to prevent the abnormally shaped Gaussians with extreme anisotropy. Furthermore, the mesh-based deformation incorporates our mesh-based Gaussian splatting representation to achieve real-time deformation on 3DGS. The deformations on the explicit mesh (deformation gradients) from the user's controls drive the parameters of Gaussians and produce the deformed 3DGS for novel view rendering. Overall, our pipeline not only achieves accurate and realistic rendering from novel views but also supports effortless and real-time deformation of 3DGS.

Gaussian can be expressed as follows:  $\Sigma' = JW\Sigma W^T J^T$  and  $\mu' = JW\mu$ , which involves a view transformation  $W$  and the Jacobian  $J$  of the affine approximation of the projective transformation. Specifically, the color of each Gaussian is assigned to every pixel based on the Gaussian representation described in Equ. 1. And the opacity controls the influence of each Gaussian. The per-pixel color  $C$  is formulated as the weighted sum of  $N$  ordered Gaussians that are associated with the pixel:  $C = \sum_{i \in N} SH(d_i, c_i)\sigma'_i \prod_{j=1}^{i-1} (1 - \sigma'_j)$ , where  $SH(\cdot, \cdot)$  is the spherical harmonic function with input direction  $d_i$  and SH coefficients  $c_i$ ,  $\sigma'_i$  represents the  $z$ -depth ordered effective opacity:  $\sigma'_i = \sigma_i e^{-\frac{1}{2}(p - \mu'_i)^T \Sigma'_i (p - \mu'_i)}$ .

**Mesh Deformation** Given a triangular mesh  $\mathcal{M}$  we can deform the mesh that satisfies the user's control (e.g., sparse control points) using the mesh deformation method [20, 49, 53]. The method [20] could handle large-scale mesh deformations by optimizing the deformation gradients. The deformation is formulated by minimizing the energy function, which ensures the stiffness of the mesh and prevents local distortions:

$$\mathcal{E}(\mathcal{M}') = \sum_{i=1}^N \sum_{j \in \mathcal{N}(i)} w_{ij} \|(\mathbf{v}'_i - \mathbf{v}'_j) - \mathbf{T}_i(\mathbf{v}_i - \mathbf{v}_j)\|^2 \quad (2)$$

where  $\mathcal{N}(i)$  represents the set of 1-ring neighboring vertices of vertex  $i$ ,  $\mathbf{v}_i$  is the spatial coordinates of the  $i^{\text{th}}$  vertex on mesh  $\mathcal{M}$ ,  $\mathbf{v}'_i$  is the spatial coordinates of the corresponding vertex on the deformed mesh  $\mathcal{M}'$ , and  $w_{ij}$  is the cotangent weight [49]. The transformation matrix  $\mathbf{T}_i$  can be decomposed into a rotation matrix  $\bar{\mathbf{R}}_i$  and a shear matrix  $\bar{\mathbf{S}}_i$  by polar decomposition. Both matrices will be applied to the corresponding Gaussians during the deformation procedure. Note that this deformation formulation also supports data-driven deformation if some prior exemplar deformed meshes are available. The  $\mathbf{T}_i$  could be optimized by blending the

existed deformation gradients from the exemplar meshes.

### 3.2 Mesh-based Gaussian Splatting

While the 3DGS can produce realistic rendered images in real time, it struggles to accurately represent the details and topological structure of a 3D scene. This limitation arises from its reliance on discrete Gaussian kernels, in particular when it comes to deformation. In order to tackle these problems, we introduce our Mesh-based Gaussian Splatting. Our method focuses on integrating 3D Gaussian kernels with specified mesh surfaces, hence enhancing the process of Gaussian deformation.

A reconstructed mesh  $\mathcal{M}$ , obtained using an existing efficient method [19] is used as an explicit prior constraint. It is combined with two strategies to regulate the Gaussian parameters and growth of Gaussian kernels, as illustrated in Figure 2. This ensures the correlation between 3D Gaussians and the explicit prior. The objective of these two strategies is to regularize 3D Gaussian kernels while also maintaining their ability to accurately represent geometric and textural features. First, we initialize a Gaussian by anchoring it precisely at the centroid of every triangular face on the mesh surface. During training of mesh-based 3DGS, different from the original 3DGS, we allow the division of Gaussians by utilizing the following formulas:

- **Face Split:** A single triangle is subdivided into four smaller triangles over the surface by inserting a new vertex at midpoint of each triangle. The Gaussian kernels are also split in the same way.
- **Normal Guidance:** Each Gaussian has a perpendicular movement to the surface under normal guidance. The distance of this movement  $\tau$  is learnable.

The distribution of 3D Gaussians is determined by the two strategies mentioned above, which incorporate explicit mesh

priors. The first objective is to guarantee a sufficient number of Gaussian kernels in order to accurately represent the visual appearance of the 3D scene, following the guidance of the mesh surface. The latter one aims to represent the fine-grained texture details of a 3D scene for Novel View Synthesis (NVS). Both of them mandate the distribution of Gaussian kernels near the explicit surface beforehand. Note that the reduction operation follows the original 3DGs.

Thus, the barycentric coordinates  $w = (w_a, w_b, w_c)$  and the offset distance  $\tau$  are parameterized into additional attributes for 3DGs learning. The barycentric coordinates  $(w_a, w_b, w_c)$  represent the weights assigned to three vertices  $(\mathbf{v}_a, \mathbf{v}_b, \mathbf{v}_c)$  belonging to the nearby triangle,  $\tau \in [-0.5, 0.5]$  is the displacement along the surface normal  $\mathbf{n}$ . To summarize, the spatial position  $\mu$  of the Gaussian kernel is formulated as:

$$\mu = (w_a \mathbf{v}_a + w_b \mathbf{v}_b + w_c \mathbf{v}_c) + \tau R \mathbf{n} \quad (3)$$

where  $R$  is the radius of the circumcircle of the nearby triangle. By utilizing the prior of explicit meshes, we employ the aforementioned strategies (illustrated in Figure 2) to regularize the density of Gaussians according to the explicit surface, and generate new Gaussian kernels, followed by Equ. 3, that can be used to continue participating in the optimization.

**Regularization  $L_r$**  For better visual quality of deformed 3DGs, we introduce regularization to ensure the spatial coherence and local consistency of the Gaussians. Since we support arbitrary deformation, it is inevitable that local meshes can undergo drastic changes with large-scale deformation. It will lead to visual artifacts due to the anisotropy of 3D Gaussian when the learned Gaussian shape is large enough and covers multiple triangles on the surface. In order to ensure plausible deformation results, we employ a regularization  $L_r$  that adjusts the Gaussian shape based on the size of neighboring triangles during training, which ensures that the appropriate Gaussian is learned and local continuity is preserved during deformation. The regularization  $L_r$  is formulated as:

$$L_r = \sum_{g \in G} \max(\max(s_i) - \gamma R_i, 0) \quad (4)$$

where  $s_i$  is the 3D scaling vector of each Gaussian,  $R_i$  is the radius of the circumcircle of the triangle where the Gaussian is located, and  $\gamma$  is a hyper-parameter to control the influence on the size of the Gaussian from the neighboring triangles.

### 3.3 Editable Gaussian with Mesh Deformation

By utilizing existing mesh deformation methods and taking use of the efficient differentiable rasterization of GS, it is possible to achieve real-time deformation of Gaussians based on the GS representation proposed in Sec. 3.2. To illustrate this idea, we employ the mesh deformation techniques and formulations discussed in Sec. 3.1. The user can manipulate 3D Gaussians using various controls, such as non-rigid deformation, translation, rotation, etc. Equ. 2 states that each vertex  $v_i$  in the deformed mesh  $\mathcal{M}$  is linked to a transformation matrix  $T_i$ , which represents local changes around vertex  $v_i$  between the deformed mesh  $\mathcal{M}'$  and the original mesh  $\mathcal{M}$  and can be decomposed into a rotation matrix  $\bar{\mathbf{R}}_i$  and a shear matrix  $\bar{\mathbf{S}}_i$  using

the polar decomposition. We can demonstrate that the Gaussian distribution remains unchanged following an affine transformation. Thus, we can easily apply the rotation matrix  $\bar{\mathbf{R}}_i$  and shear matrix  $\bar{\mathbf{S}}_i$  from the deformed mesh to its associated Gaussian kernels, as well as the displacement of deformed mesh faces.

For each deformed Gaussians  $g'$ , that is bound with a triangle  $f' = (\mathbf{v}'_a, \mathbf{v}'_b, \mathbf{v}'_c)$  with three deformed vertices. The relative displacements  $\Delta P$  and deformation gradients  $T_i$  for the deformed face can be expressed using barycentric coordinates  $(w_a, w_b, w_c)$ :

$$\begin{aligned} \Delta P &= w_a(\mathbf{v}'_a - \mathbf{v}_a) + w_b(\mathbf{v}'_b - \mathbf{v}_b) + w_c(\mathbf{v}'_c - \mathbf{v}_c) \\ \bar{\mathbf{R}}_i &= w_a \log(\bar{\mathbf{R}}_{\mathbf{v}'_a}) + w_b \log(\bar{\mathbf{R}}_{\mathbf{v}'_b}) + w_c \log(\bar{\mathbf{R}}_{\mathbf{v}'_c}) \\ \bar{\mathbf{S}}_i &= w_a \bar{\mathbf{S}}_{\mathbf{v}'_a} + w_b \bar{\mathbf{S}}_{\mathbf{v}'_b} + w_c \bar{\mathbf{S}}_{\mathbf{v}'_c}, T_i = \exp(\bar{\mathbf{R}}_i) \bar{\mathbf{S}}_i \end{aligned} \quad (5)$$

Following the above equations, we can get the transformed Gaussian kernels with position  $\mu' = \mu + \Delta P$  and covariance matrix  $\Sigma' = T_i \Sigma T_i^\top$ . The deformed Gaussian kernel is

$$g'(x) = e^{-\frac{1}{2}(x - (\mu + \Delta P))^T (T_i \Sigma T_i^\top)^{-1} (x - (\mu + \Delta P))} \quad (6)$$

In addition, 3DGs employs spherical harmonics to express color, wherein a given Gaussian exhibits varying colors when viewed from different angles, enabling the modeling of view-dependent appearance. Hence, for a deformed Gaussian kernel  $g'$ , it is necessary to adjust the orientation of spherical harmonics [18] by applying the inverse of the local rotation matrix  $\exp(\bar{\mathbf{R}}_i)$  from the deformed mesh to the view direction  $d$ , i.e.,  $SH(\exp(\bar{\mathbf{R}}_i)^T d, c_i)$ . In conclusion, our mesh-based GS representation allows flexible manipulation of Gaussians through mesh deformation, and the high-fidelity rendering results in novel views.

**Real-Time Interactive Tool** By utilizing the above approach, we integrate them into an interactive deformation tool that allows for the real-time deformation of 3DGs via the user's controls. Users can utilize the triangle mesh as a proxy to accomplish large-scale real-time deformation of 3DGs, as well as high-fidelity rendering results.

## 4 EXPERIMENTS & EVALUATIONS

In this section, we conduct a series of qualitative and quantitative experiments to evaluate the effectiveness of our approach, including comparing our method to existing techniques, deformation results on both synthetic and real-captured datasets, and ablation studies to analyze the impact of our main design choices.

### 4.1 Datasets and Metrics

To validate the effectiveness of our method, we performed comprehensive experiments using widely used NeRF-Synthetic [67] dataset, synthetic data from SketchFab [72] (butterfly, Dress, Jeans, Sofa, Digital Human), as well as the real-world scenes that we captured by ourselves.

NeRF-Synthetic dataset contains eight static scenes with  $360^\circ$  random viewpoint settings with the known camera poses. We use Blender to generate training data for other synthetic data with the identical configuration as NeRF-Synthetic. The self-captured data is captured by a mobile phone, and its camera poses are calibrated by COLMAP [74, 75]. All datasets involve a diverse range of visual appearances and geometric properties of different

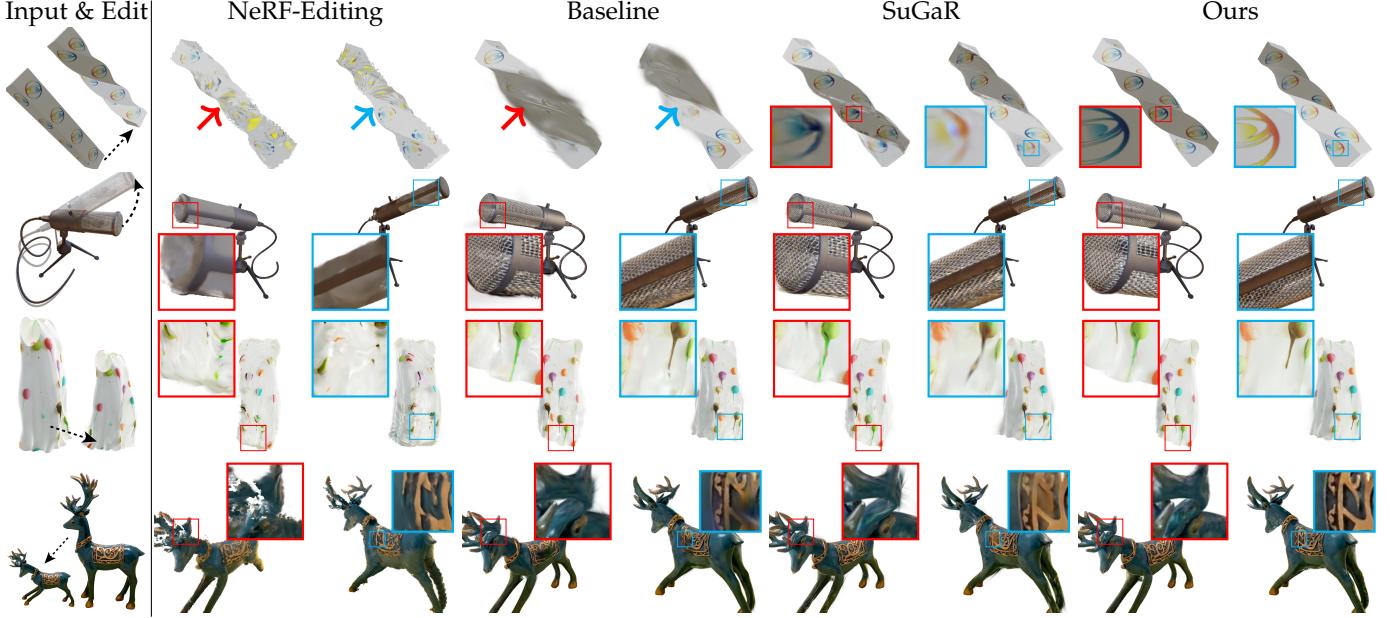


Fig. 3: **Comparison with the alternative methods.** We show comparisons of ours to previous methods and the editing results from the novel views. There are MIC from NeRF-Synthetic, CUBIOD, DRESS and DEER captured by ourselves. We have highlighted the difference with different color boxes for different views. From the results, we can see that our method successfully preserves the high-frequency details after large-scale deformation.

objects that can be deformed. In order to evaluate the effectiveness of our approach, we use the three metrics to measure the quality of novel view synthesis, including Peak Signal-to-Noise Ratio (PSNR), Structural Similarity (SSIM [76]), and Learned Perceptual Image Patch Similarity (LPIPS [77]).

**Implementation Details** The pipeline comprises two main components: Gaussian distribution learning using our proposed representation given a set of calibrated images; and performing real-time deforming for 3D Gaussian via an intuitive and friendly ‘drag’ way. The explicit mesh can be easily extracted by NeuS2 [19] or created by artists (*i.e.*, some synthetic data). In addition, the utilization of mesh sequences obtained from dynamics or animated meshes can enhance the data-driven deformation of 3D GS, a capability that was not possible with the previous methods. The training period required for the Gaussian distribution is approximately 10 minutes, using a resolution of  $1024 \times 1024$ . Following this, the 3DGS is deformable in a real-time manner. Our code is built upon the 3D GS, incorporating effective rendering and training capabilities. All of the experiments are performed on a computer equipped with an i9-12900K CPU and an RTX 4090 graphics card. It is important to mention that our pipeline solely focuses on optimizing the Gaussian parameters without any involvement of network parameters.

## 4.2 Comparisons & Evaluations

In this subsection, we evaluate the performance on the above datasets both qualitative and quantitative, including two tasks: novel view synthesis and deformation. We consider three state-of-the-art (SoTA) approaches for these tasks: NeRF-Editing, SuGaR, and 3D-GS. 3D-GS is the baseline for the novel view synthesis, and we selected two classical

TABLE 1: **Comparisons of Novel View Synthesis on NeRF-Synthetic Datasets.** We performed the quantitative comparison with three alternative methods on the novel view synthesis task. Three baselines (NeRF-Editing, 3D GS, SuGaR) are evaluated by the three metrics (PSNR, SSIM, LPIPS). The reported results in the table illustrate that our method achieves the best on PSNR and SSIM metrics, and reaches comparable performance on the LPIPS. It demonstrates that our methods can synthesize high-fidelity renderings and support arbitrary edits on 3D GS.

Methods	NeRF-Editing	3D-GS	SuGaR	Ours
PSNR↑	30.58	33.31	32.39	33.43
SSIM↑	0.960	0.967	0.958	0.968
LPIPS↓	0.058	0.023	0.037	0.034

deformation methods (NeRF-Editing and SuGaR) for NeRF and 3D GS representation.

The quantitative results presented in Table 1 clearly show that our techniques outperform the three baselines in terms of PSNR and SSIM, while reaching comparable performance in the LPIPS metric. The results reveal that our approach has the ability to generate realistic results from novel views.

In addition, in order to validate the effectiveness of our methods for deforming, we evaluated the visual results of novel views qualitatively since the deforming results cannot obtain the ground truth. We perform the experiments on a total of four cases, comprising both synthetic data and real-captured data. Three alternative methods are evaluated, including NeRF-Editing, SuGaR, and a baseline based on 3D GS. The baseline is an extension of the 3D GS without incorporating our essential designs (Face Split, Normal Guidance, and regularization  $L_r$ ). And the Gaussian distribution is constrained to align with the reconstructed



**Fig. 4: More 3D GS deformation results.** It illustrates our proposed methods of synthesizing three novel views after making modifications using 8 examples, including BUTTERFLY, SOFA, CUBOID from the SketchFab [72], GIRAFFE captured by ourselves, LEGO, FICUS, CHAIR from NeRF-Synthetic dataset [67], REAL-CAPTURED HUMAN from THuman3.0 Dataset [73]. Each example consists of 2 edits. It is clearly shown that our results are more realistic and high-fidelity from novel view rendering, as well as the various deformations.

surface since there is an explicit surface as guidance. Next, we deformed the explicit meshes and used the deformed mesh to control the Gaussians using predefined barycentric

coordinates.

Fig. 3 presents four examples that demonstrate our deforming performance through the modification of the

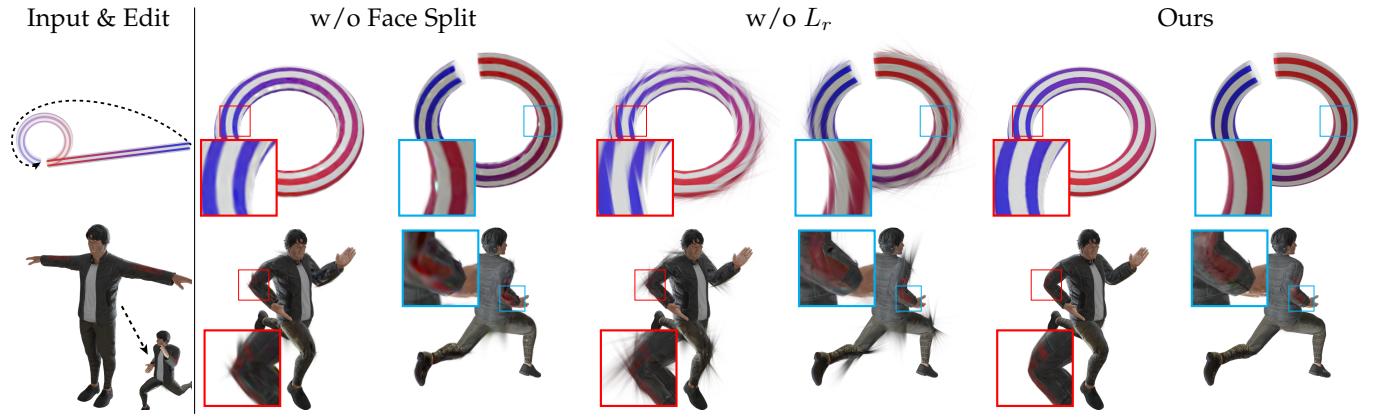


Fig. 5: **Ablations on Face Split operation and regularization  $L_r$ .** We perform the qualitative comparison on our two ablated versions: w/o Face Split and w/o  $L_r$ . The two cases illustrate that our full method can achieve the best results when large scale deformation appears. Especially for  $L_r$ , it becomes more evident that there are a greater number of Gaussians with irrational shapes when  $L_r$  is not present. Disabling Face Split may result in blurry artifacts visually.

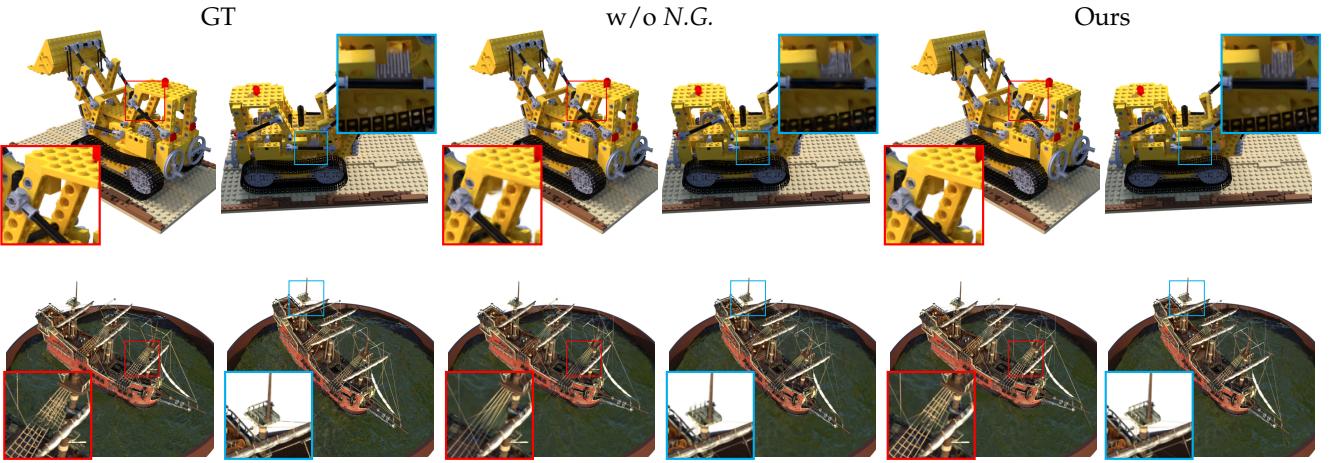


Fig. 6: **Ablation of Normal Guidance on Novel View Synthesis.** we perform the qualitative evaluation on Normal Guidance on Novel View Synthesis task. It is more clear that Normal Guidance can enhance the high-frequency details and complex structures significantly from novel view renderings. The differences are highlighted with different colored boxes for different views (e.g., the highlighted detailed structures of the Ship and Lego examples).

explicit mesh. NeRF-Editing deforms NeRF by utilizing a derived tetrahedron mesh, which is time-consuming and cannot handle large deformations. This often results in blurry rendering outcomes, particularly for high-frequency details. The baseline is only to attach the Gaussian to the surface without incorporating any special designs. Consequently, this approach leads to the presence of certain irregularly shaped Gaussian elements, resulting in artifacts when significant deformation and high-frequency features appear. Although SuGaR successfully reconstructs the mesh from the 3D GS and realizes the deformation by adjusting the parameters of Gaussians, it still fails when capturing fine features at high frequencies during significant deformations (e.g., first row in Fig. 3). In contrast to existing methods, our approach effectively models a better Gaussian distribution by using explicit mesh guidance, resulting in enhanced rendering quality and real-time deforming performance at a frame rate of 65 FPS (more deforming results in our videos).

### 4.3 More Deformation Results

Our technique enables the manipulation of 3D GS and an interactive tool that allows for real-time deformation by dragging the sparse control points. The learned Gaussian distribution is effectively guided by our mesh-based GS, and allows for excellent generalization, even in the face of challenging deformations. In order to verify the generalizability of our proposed deforming pipeline, we presented more deforming examples involving various deformations in Fig. 4. There are more synthetic examples and real-captured examples. To obtain more real-time deforming results, please refer to our supplementary video.

### 4.4 Ablations

In this subsection, we evaluate various crucial designs in our representation and deforming pipeline by conducting the ablations. These include the Face Split operation, the utilization of Normal Guidance for Gaussian distribution learning, the regularization  $L_r$  for 3D GS deforming, and

**TABLE 2: Ablation studies of our key designs on NeRF Synthetic dataset.** We evaluate our key designs quantitatively on the NeRF-Synthetic dataset. Three commonly used metrics (PSNR, SSIM, LPIPS) are reported in the table. The results clearly demonstrate that our full method reaches the best performance, and they also indicate that our key designs significantly contribute to our overall pipeline. Note that, *F.S.* means Face split, and *N.G.* means Normal Guidance.

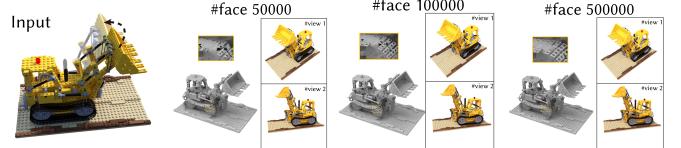
Methods	PSNR↑			SSIM↑			LPIPS↓		
	w/o F.S.	w/o N.G.	Ours	w/o F.S.	w/o N.G.	Ours	w/o F.S.	w/o N.G.	Ours
Lego	35.61	33.48	<b>36.20</b>	0.976	0.977	<b>0.984</b>	0.022	0.022	<b>0.015</b>
Ficus	33.33	32.09	<b>34.42</b>	0.986	0.984	<b>0.987</b>	0.014	0.016	<b>0.014</b>
Drums	27.27	27.32	<b>27.85</b>	0.962	0.959	<b>0.963</b>	0.046	0.048	<b>0.044</b>
Chair	34.76	33.53	<b>35.76</b>	0.981	0.975	<b>0.986</b>	0.017	0.020	<b>0.014</b>
Hotdog	38.41	36.42	<b>38.45</b>	0.963	0.962	<b>0.988</b>	0.018	0.021	<b>0.017</b>
Mic	33.59	33.02	<b>34.76</b>	0.990	0.988	<b>0.991</b>	0.008	0.009	<b>0.008</b>
Material	29.37	28.85	<b>29.56</b>	0.943	0.941	<b>0.956</b>	0.044	0.046	<b>0.040</b>
Ship	29.47	29.36	<b>30.47</b>	0.873	0.873	<b>0.889</b>	0.132	0.137	<b>0.124</b>
Average	32.73	31.76	<b>33.43</b>	0.959	0.957	<b>0.968</b>	0.038	0.040	<b>0.034</b>

the influence on 3D Gaussian deformation with different resolution of explicit mesh.

**Face Split Operation (F.S.).** In order to facilitate the 3DGS deforming, we introduce the explicit mesh as the constraint to bind the Gaussians onto the surface as much as possible. Consequently, we design a new Gaussian division strategy that aligns with the subdivision of mesh triangles. During each iteration of training, the face will be divided into four smaller faces if it meets the specified criterion (*i.e.*, a threshold  $2 \times 10^{-4}$ ). Additionally, each face will have a Gaussian connected to it. To validate the effectiveness of face split operation, we remove the operation and instead employ a straightforward division strategy: the Gaussian will be divided into four Gaussians and remain connected to the current face for the ablated version. We perform the quantitative and qualitative evaluations. Table 2 reports the scores on the novel view synthesis under the three commonly used metrics (*i.e.*, PSNR, SSIM, LPIPS). Figure 5 incorporates the quantitative results of the 3DGS deformation, which together demonstrate that the face split operation can improve the rendering results from novel views and prevent blurry rendering results after deformation for some high-frequency cases (*e.g.*, second and third columns in Figure 5).

**Normal Guidance (N.G.).** To accurately capture high-frequency details, we propose normal guidance, which ensures that the Gaussian function is positioned in close proximity to the surface rather than just on the surface. The Gaussian can be translated along the perpendicular direction of the attached face with the assistance of normal guidance, in order to get high-quality rendering results for novel view synthesis. Table 2 and Figure 6 together illustrate that normal guidance can successfully improve the rendering quality of novel views both quantitatively and qualitatively (*e.g.*, the highlighted detailed structures of the Ship and Lego examples). Note that the normal guidance improves the rendering quality significantly; if we remove it, it also affects the deformation results, so we only validate it on the novel view synthesis task.

**Regularization  $L_r$ .** Following the training of the Gaussian distribution, an increased number of long-narrow shaped Gaussian shapes are utilized to accurately represent high-frequency appearances. However, these Gaussian shapes are not well-suited for deformation, particularly when dealing with large-scale deformations. To tackle this issue, we introduce the regularization  $L_r$  on the size of the Gaussian.



**Fig. 7: Ablation on the explicit mesh with different resolutions.** By employing the explicit mesh as a guide for Gaussian learning, we evaluate the impact of varying mesh resolutions on the deformation results obtained from novel view points. We evaluate the performance of three different mesh resolutions: 50000, 100000, and 500000 vertices. The results indicate that our method is not sensitive to the mesh resolution when generating novel views of deformed 3D Gaussians.

In a word, the loss term will enforce the size of the Gaussian to be smaller than the associated faces as much as possible, which achieves better rendering results after the large scale deforming of 3DGS. In Figure 5, it is obvious that the ablated version (w/o  $L_r$ ) leads to more artifacts when large-scale deformations appear. Applying additional constraints to the Gaussians may have a negative impact on rendering results, so an appropriate balancing weight should be set to effectively enhance the deformation quality for large-scale deformations while ensuring the novel view synthesis quality.

**Explicit mesh with different resolutions.** To verify the influence of mesh resolution on deformed results from novel views, we have simplified the reconstructed mesh using several resolutions, ranging from 500,000 to 50,000 vertices, as explicit guidance to drive the 3D Gaussian deformation. Figure 7 demonstrates that our 3D Gaussian deformation pipeline is not sensitive to the mesh resolution, which successfully achieves similar performance on Gaussian deformation from novel views.

## 5 CONCLUSIONS & FUTURE WORK

### 5.1 Conclusions

In this paper, we have proposed a novel large scale deformation method for 3D Gaussian Splatting, based on a mesh-based representation. The proposed 3DGS deformation method enables the manipulating of the 3DGS in an

intuitive interactive manner. To well facilitate the 3DGs deformation, we incorporate an explicit mesh that can be easily extracted by existing methods, which is bound with Gaussian ellipsoids together and enables the effective large-scale deformation of 3DGs. In addition, we employ a Gaussian division model that operates on the explicit mesh through face split and normal guidance, which can improve the visual quality and prevents artifacts that may occur during large-scale deformations. Based on the mesh-based GS representation, we introduce a large-scale mesh deformation method to enable deformable Gaussian Splatting by altering the parameters of the 3D Gaussians according to the user's intuitive manipulations.

## 5.2 Limitations & Future Work

Despite this approach successfully achieving real-time large-scale deformation with Gaussian Splatting representation, it still faces the following obstacles: 1) The visual appearance and shadow are still baked on the Gaussians and cannot be further edited. 2) This method relies on the extracted mesh as the proxy, it would fail if the mesh could not be extracted such as for complex transparent objects. In future work, it is worth developing new methods that can not only deform the geometry of Gaussians, but also support editing of the appearance of Gaussians. In addition, our representation could also be applied to other applications such as digital human avatars, and further development for novel applications will be explored as future work.

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