

→ Hello World

```
#include <stdio.h>
int main() {
    printf("Hello World!");
}
```

→ Dynamic memory allocation

1. malloc() method

The malloc is a method in C is used to dynamically allocate a single large block of memory with the specified size. It returns a pointer of type void which can be cast into a pointer of any form. It doesn't initialize memory at execution time so that it has initialized each block with the default garbage value initially.

Syntax-

```
ptr = (cast type*) malloc(byte-size)
```

Example-

```
ptr = (int*) malloc(100 * sizeof(int));
```

```
#include <stdio.h>
```

```
#include <stdlib.h>
```

```
int main() {
```

```
    int *ptr;
```

```
    int n, i;
```

```
    printf("Enter the number of elements : ");
```

```
    scanf("%d", &n);
```

```
    printf("Entered number of elements : %d\n", n);
```

```
    ptr = (int*) malloc(n * sizeof(int));
```

```
    if (ptr == NULL) {
```

```
        printf("Memory not allocated");
```

```
        exit(0);
```

```
}
```

else{

```
    cout << "Memory successfully allocated using malloc";
    for(i=0; i<n; i++){
        ptx[i] = i+1;
    }
    cout << "The elements of the array are";
    for(i=0; i<n; i++){
        cout << " " << i+1 << ", " << ptx[i];
    }
}
return 0;
}
```

2. calloc() method

calloc method in C is used to dynamically allocate the specified number of blocks of memory of the specified type. It is very much similar to malloc() but has two different points.

- i) It initializes each block with default value 0.
- ii) It has two parameters or arguments as compare to malloc.

Syntax-

```
ptr = (casttype*)calloc(n, elementsize);
```

Example-

```
ptr = (float*)calloc(25, sizeof(float));
```

```
#include <stdio.h>
```

```
#include <stdlib.h>
```

```
int main()
```

```
int *ptr;
```

```
int n, i;
```

```
printf("Enter the number of elements");
scanf("%d, &n);
printf("Entered number of elements is %d, n);
```

```
ptr=(int*)calloc(n, sizeof(int));
```

```
if(ptr==NULL){
```

```
printf("Memory not allocated");
exit(0);
```

```
}
```

```
else{
```

```
printf("Memory allocated successfully using calloc");
```

```
for(i=0; i<n; i++){
```

```
ptr[i]=i+1;
```

```
}
```

```
printf("The elements of the array are"),
```

```
for(i=0; i<n; i++){
```

```
ptr[i] printf("%d", ptr[i]);
```

```
}
```

```
return 0;
```

```
}
```

→ Realloc method

dynamically
realloc method in C is used to change the memory allocation of a previously allocated memory. If the memory is previously allocated with the help of malloc or calloc is insufficient realloc can be used to dynamically reallocate memory. Reallocation of memory maintains the already present value and new block will be initialized with the default garbage value.

Syntax-

```
ptr=realloc(ptr, newSize);
```

```
ptr=realloc(ptr, 10 * sizeof(int));
```

```

#include <stdio.h>
#include <stdlib.h>
int main(){
    int *ptr;
    int n, i;
    n=5;
    printf("Enter number of elements: %d\n", n);
    ptr = (int *) malloc(n, sizeof(int));
    if (ptr == NULL){
        printf("Memory not allocated\n");
        exit(0);
    }
    else{
        printf("Memory successfully allocated using malloc\n");
        for(i=0; i<n; i++){
            ptr[i] = i+1;
        }
        printf("The elements in the array are: ");
        for(i=0; i<n; i++){
            printf("%d, ", ptr[i]);
        }
        n=10;
        printf("\nEnter the new size of the array: %d\n", n);
        ptr = (int *) realloc(ptr, n * sizeof(int));
        printf("Memory successfully reallocated using realloc\n");
        for(i=5; i<n, i++){
            ptr[i] = i+1;
        }
        printf("The elements in the array are: ");
        for(i=0; i<n; i++){
            printf("%d, ", ptr[i]);
        }
    }
    return 0;
}

```

printf("data
returned that: %u\n");
return 1; // -

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→ free method

free method is used in C to dynamically de-allocate the memory. The memory allocated using malloc & calloc function is not deallocated on their own. Hence the free method is used to when even the dynamic memory allocation takes place. It helps to reduce wastage of memory by freeing it.

Syntax- free(ptr);

```
#include<stdio.h>
```

```
#include<stdlib.h>
```

```
int main(){
```

```
    int *ptr,*ptr1;
```

```
    int n,i;
```

```
    n=5;
```

```
    printf("Enter the number of elements: %d\n",n);
```

```
    ptr=(int*)malloc(n * sizeof(int));
```

```
    ptr1=(int*)calloc(n, sizeof(int));
```

```
    if(ptr==NULL || ptr1==NULL){
```

```
        printf("Memory not allocated\n");
```

```
        exit(0);
```

```
    }else{
```

```
        printf("Memory successfully allocated using malloc\n");
```

```
        free(ptr);
```

```
        printf("Malloc memory successfully freed\n");
```

```
        printf("Memory successfully allocated using calloc\n");
```

```
        free(ptr1);
```

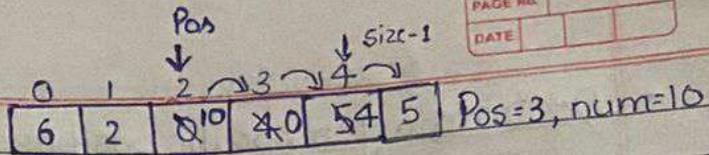
```
        printf("Calloc memory successfully freed\n");
```

```
}
```

```
return 0;
```

```
}
```

Insertion



```
int a[50], size, i, num, pos;
```

```
printf("Enter the size of array");
```

```
scanf("%d", &size);
```

```
printf("Enter the elements of array");
```

```
for(i=0; i<size; i++){
```

```
    scanf("%d", &a[i]);
```

```
}
```

Worst case - $O(n)$

$O(n) O(n-p)$

Best - $O(1)$

```
printf("Enter data you want to insert");
```

```
scanf("%d", &num);
```

```
printf("Enter position:");
```

```
scanf("%d", &pos);
```

```
for(i=size-1; i>=pos-1; i--){
```

```
    a[i+1] = a[i];
```

```
}
```

$i=4, 3$

$a[5] = a[4]$

$a[4] = a[3]$

```
a[pos-1] = num;
```

```
size++;
```

```
for(i=0; i<size; i++){
```

```
    printf("%d", a[i]);
```

```
}
```

Insertion at beginning.

```
for(i=size-1; i>0; i--){
```

```
    a[i+1] = a[i];
```

```
}
```

0

```
a[0]=num;
```

```
size++;
```

Best case

```
a[size] = a[pos-1]
```

```
a[pos-1] = num
```

→ Arrays in data structure

int, float, char

int a[60];

- Array is a collection of more than one data item but + datatype of those element is same

char b[10];

float c[5];

- All the data will be stored in a consecutive memory location

- Arrays can be initialized in 2 ways:-

at compile time (static) int a[5] = {6, 2, 4, 3, 0};

at run time (dynamic)

a	0	1	2	3	4
	6	2	4	3	0

100 104 108 112 116

i=0 (n-1) i=2;

Formula = base address + i * size of datatype

$$= 100 + 2 * 4$$

$$= 108$$

Operations on array

Traversal

int a[50], size;

printf("Enter size of array");

scanf("%d", &size);

printf("Enter elements of array");

for(int i=0; i<size; i++) {

 scanf("%d", &a[i]);

}

printf("Elements in array are");

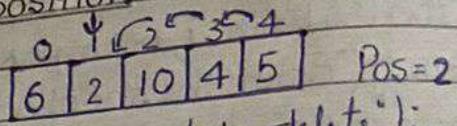
for(int i=0; i<size; i++) {

 printf("%d", a[i]);

}

0	1	2	3
2	4	6	8

- Delete data from specific position



printf("From which position you want to delete");
 scanf("%d", &pos);

if(pos <= 0 || pos > size)
 printf("invalid position");

else

for(i=pos-1; i<size-1; i++) {
 a[i]=a[i+1];

}

size--;

for(i=0; i<size; i++) {
 printf("%d", a[i]);

}

Delete at beginning

for(i=0; i<size-1; i++) {
 a[i]=a[i+1];

}

size--;

Unsorted array best case $O(1)$

a[size-1]

a[pos-1]=a[size-1]

size--;

→ Array & pointers

int a[]={6, 2, 1, 5, 3};

int *p; it is a pointer to integer

int b=10;

p=&b;

printf("%d", b);

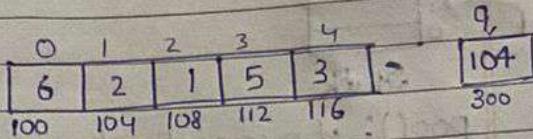
b	b
10	200
200	204

newNode =
printf("%d")
newNode->next=NULL;
newNode->prev=

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→ value at the address of p variable

```
printf("%d", *p); //10  
printf("%d", *p); //200  
printf("%d", p); //200
```



```
printf("%d", a[2]); //1  
*(a+2); //1  
*(q+1); //1
```

```
- int a[5], i;  
int *q=a;  
for(i=0; i<5; i++){  
    scanf("%d", &a[i]); OR (a+i)  
}  
for(i=0; i<5; i++){  
    printf("%d", a[i]), *(q+i)  
}
```

→ Stack

Linear data structure.

It is a ordered list which is going to follow a rule of insertion & deletion.

Rule [Insertion]

[Deletion] It is possible is only from one end.

LIFO, FILO

push, pop, top O(1)

Operations display O(n)

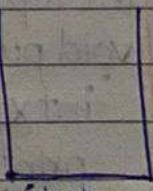
push(x); // Insertion of an element

pop(); // deletion

peek() / top(); // it return top most element of stack without removing that element from the stack.

isEmpty();

isFull();



3
newNode =
printf("data")
newNode->next=NULL;
newNode->prev=

top++;
stack[top] = x;

3
void pop(){
int item;
if (top == -1)
printf("Underflow");
else{

item = stack[top]

top--;

3 printf("The popped item is %d", item);

3 void peek(){
if (top == -1)
printf("Stack is empty");
else{

3 printf("Top most element %d", stack[top]);

3 void display(){

int i;

for (i = top; i >= 0; i--) {

3 printf("%d", stack[i]);

3

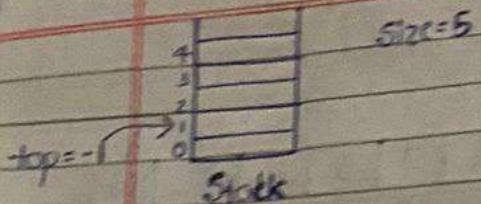
void main(){

int ch;

do {

3 printf("Enter choice 1 push 2 pop 3 peek 4 display")

scanf("%d", &ch);



pop(); it means the top most element will be removed but our stack is empty so it's an underflow condition.

push(2);

top++; just we have to increment the top then insert the 2 → element

push(3);

top++;

pop();

top--;

push(1)

push(5)

push(6)

push(7)

push(8) - [Overflow condition]

Application of stack

Reverse a string abcd → dcba

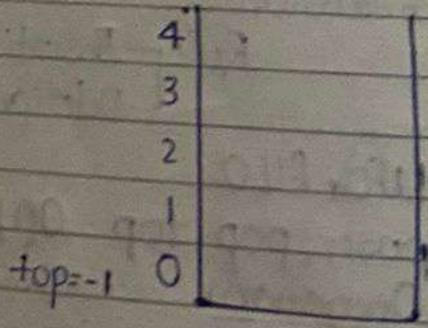
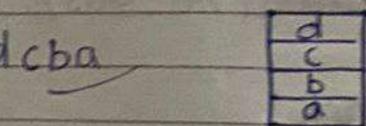
Undo mechanism

Infix to postfix/prefix

stack using

Implement array

```
#define N 5;
int stack[N];
int top=-1;
void push() {
    int x;
    printf("Enter the value");
    scanf("%d", &x);
    if (top == N-1)
        printf("Overflow");
    else
        stack[++top] = x;
}
```



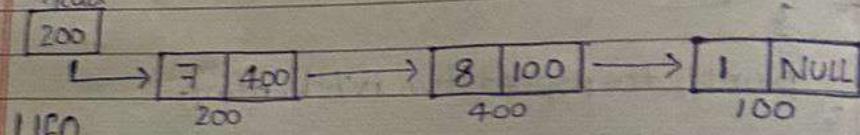
```

switch(ch){
    case 1: push();
    break;
    case 2: pop();
    break;
    default: printf("Invalid choice");
}
while(ch!=0);
}

```

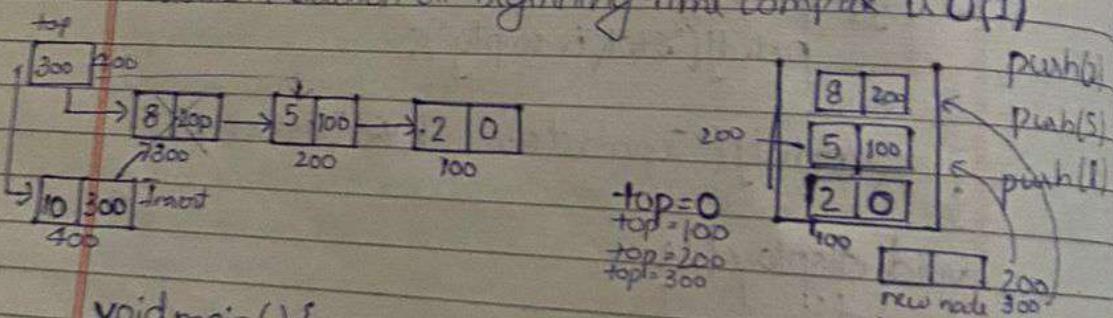
Implementation stack using linkedlist

head



Insertion & deletion at end - time complexity is $O(n)$

Insertion & deletion at beginning - time complexity is $O(1)$



```

void main(){
    push(2); push(3); push(10);
    display();
    peek(); pop(); peek();
    display();
}

```

}

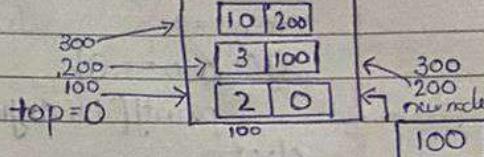
New Node --
 printf("%d-%d")
 newnode->next=NULL;
 newnode->next=temp->next;
 temp->next=...

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display() 11/10 3 2

```

struct node {
  int data;
  struct node *link;
};

struct node *top = 0;
void push(int x) {
  struct node *newnode;
  newnode = (struct node *) malloc(sizeof(struct node));
  newnode->data = x;
  newnode->next = top;
  top = newnode;
}
  
```



```

void display() {
  struct node *temp;
  temp = top;
  if (top == NULL)
    printf("Linked list is empty");
  else {
    while (temp != NULL) {
      printf("%d", temp->data);
      temp = temp->link;
    }
  }
}
  
```

```

void peek() {
  if (top == NULL)
    printf("Stack is empty");
  else
    printf("Top element is %d", top->data);
}
  
```

```

    NewNode = 
    print("data")
    newnode->next = NULL;
    newnode->next = temp->next;
    temp->next = ...

```

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Prefix + 51

<operator><operand><operand>

$$a * b + c \Rightarrow * ab + c \Rightarrow * abc$$

Postfix

<operand><operand><operator>

$$5 + 1 \Rightarrow 51 +$$

$$a * b + c \Rightarrow ab * + c \Rightarrow ab * c +$$

- Queue

FIFO LIFO

Queue is an ordered list which follows **FIFO** Rear/Head

Rule of insertion (it is performed by one end that is called

deletion (it is performed on another end that is head/front)

enqueue() - insertion

dequeue() - deletion

Operations

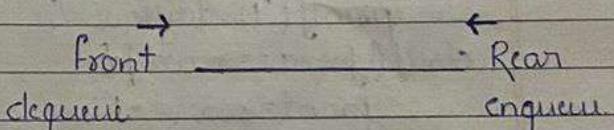
Enqueue(2)

Dequeue() - always dequeues the first element from the front.

front() / peek() - what is the element in front in the queue

isfull() - it will return true if the queue is full else false

isEmpty()



Application

pointers

call centers

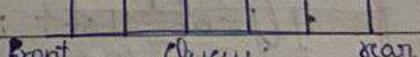
- Implementation

```
#define N 5;
```

```
int queue[N];
```

```
int front=-1;
```

```
int rear=-1;
```



Front=rear = -1

```

void pop(){
    struct node *temp;
    temp = top;
    if (top == 0)
        printf("Underflow");
    else {
        printf("the pop element is %d", top->data);
        top = top->link;
        free(temp);
    }
}

```

- Infix prefix postfix

$5+1 \quad p+q \quad a+5$

<operator><operand><operator><operand>

Infix $(a-1)+5$

Operand itself may be a expression

* When the operator is between operands so this form is known as infix expression

Example $\rightarrow 5+1*6$ [$6 \times 6 = 36$]

$$[5+6 = 11] \checkmark$$

Associativity.

Infix expression follows operator precedence rule.

1 ()

2 ^ R-L

3 */ L-R

4 + - L-R

$$5+1*6 = 5+6 = 11$$

$$(5+1)*6 = 36$$

Example $1+2*5+30/5$

$$\Rightarrow 1+10+30/5$$

$$\Rightarrow 1+10+6$$

$$\Rightarrow 11+6$$

$$\Rightarrow 17$$

$$2^8 \cdot 2^3 \leftarrow$$

$$= 256$$

```

    temp = head;
    while (i < pos)
        temp = temp->next;
        i++;
    }

    Node *newNode = new Node();
    newNode->data = data;
    newNode->next = temp->next;
    temp->next = newNode;
}

```

```

void peek() {
    if (j == -1 || i == -1)
        printf("Overflow");
    else
        printf("%d", queue[front]);
}

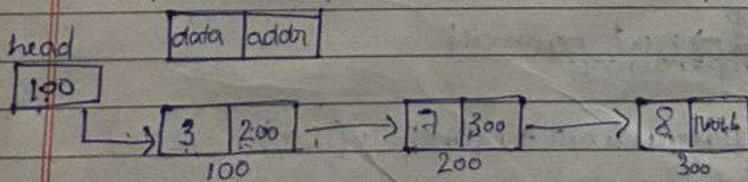
```

→ LinkedList

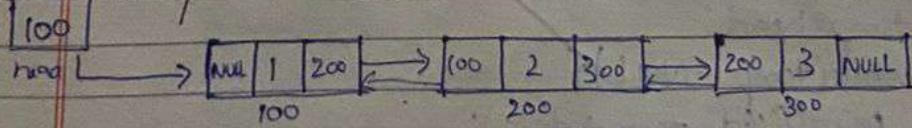
- It is also the collection of one data items and they are stored in consecutive location.
- Some extra space is required to store the pointers with each value.
- Insertion & deletion is easier than array.
- Accessing of any element is going to take $O(n)$ in array, it is $O(1)$.
- Binary search is not possible in linked list.
- It is of dynamic size.

Types of linked list

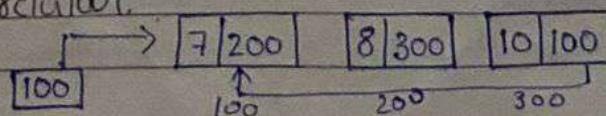
Singly Doubly Circular Doubly circular



Doubly ← P1 | data | P2 →



Circular



```

AD
void enqueue(int x) {
    if (x < 0 || x > 4)
        printf("Overflow");
    else if (front == -1 && rear == -1) {
        front = rear = 0;
        queue[rear] = x;
    } else {
        rear++;
        queue[rear] = x;
    }
}

```

```

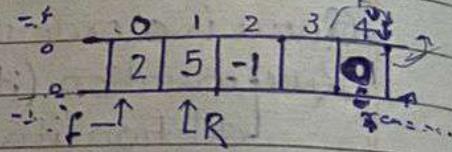
void dequeue() {
    if (front == -1 && rear == -1)
        printf("Underflow");
    else if (front == rear) {
        front = rear = -1;
    } else {
        printf("The deque element is %d", queue[front]);
        front++;
    }
}

```

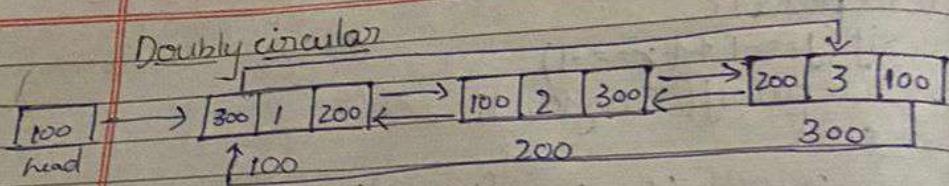
```

void display() {
    if (front == -1 && rear == -1)
        printf("Queue is empty");
    else {
        for (int i = front; i < rear + 1; i++)
            printf("%d", queue[i]);
    }
}

```



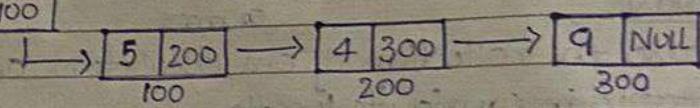
Doubly circular



Implementation of linkedlist

head

100



struct node {

int data;

struct node *next;

};

struct node *head; *newnode; *temp;

head = 0; int choice, while(choice) {

newnode = (struct node *) malloc(sizeof(struct node));

scanf("%d", &newnode->data);

if(head == 0) newnode->next = 0;

head = newnode; temp = newnode;

else {

temp->next = newnode;

}

printf("Do you want to continue (0,1)?");

scanf("%d", &choice);

}
temp = head;

while(temp != NULL) {

printf("%d", temp->data);

temp = temp->next;

}

```

#include <stdio.h>
#include <stdlib.h>
void display();
struct node {
    int data;
    struct node *next;
};
struct node *head = NULL, *newnode, *temp;
int choice;
void insertionAtBeginning() {
    if (head == NULL)
        printf("No memory allocated");
    else {
        newnode = (struct node *) malloc (sizeof(struct node));
        printf("\nEnter the data you want to insert");
        scanf("%d", &newnode->data);
        newnode->next = head;
        head = newnode;
        display(head);
    }
}

```

```

void insertionAtMiddle() {
    int pos, i = 1;
    printf("\nEnter the position you want to insert data");
    scanf("%d", &pos);
    if (head == NULL) {
        printf("No memory allocated.");
    } else {
        newnode = (struct Node *) malloc (sizeof(struct node));
        temp = head;

```

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+----- data
newNode->next=NULL;
newNode->next=temp->next;
temp->next=...

- Implementation of singly linked list

```
#include <stdio.h>
#include <stdlib.h>
struct node {
    int data;
    struct node *next;
};

void main() {
    struct node *head=NULL, *newnode, *temp;
    int choice, count=0;
    while(choice) {
        newnode=(struct node*) malloc(sizeof(struct node));
        printf("Enter data in a linked list: ");
        scanf("%d", &newnode->data);
        newnode->next=NULL;
        if(head==NULL) {
            head=temp=newnode
        } else {
            temp->next=newnode;
            temp=newnode;
        }
    }
}
```

printf("Do you want to enter another element 1: continue
0: exit");

```
if(choice)
    printf("Elements of linked list are");
    temp=head;
    while(temp!=NULL) {
        printf("\n%d", temp->data);
        temp=temp->next;
    }
    count++;
    printf("\nTotal no of elements in linked list are %d", count);
```

```
while(i < pos) {
```

```
    temp = temp->next;
    i++;
```

```
}
```

```
printf("\nEnter the data you want to insert");
```

```
scanf("%d", &newNode->data);
```

```
newNode->next = temp->next;
```

```
temp->next = newNode;
```

```
}
```

```
display(head);
```

```
void insertionAtEnd() {
```

```
if (head == NULL) {
```

```
    printf("No memory allocated");
```

```
}
```

```
else {
```

```
    newNode = (struct node*) malloc(sizeof(struct node));
```

```
    printf("\nEnter the data you want to insert:");
```

```
    scanf("%d", &newNode->data);
```

```
    temp = head;
```

```
    while (temp->next != NULL) {
```

```
        temp = temp->next;
```

```
}
```

```
    temp->next = newNode;
```

```
    newNode->next = NULL;
```

```
}
```

```
display(head);
```

```
}
```

newNode->data = data;
 newNode->next = temp->next;
 temp->next = ...

```
void deletionAtBeginning() {
    temp = head;
    head = temp->next;
    free(temp);
    display(head);
}
```

```
void deletionAtMiddle() {
```

```
    int pos, i = 1;
    printf("Enter the position you want to delete");
    scanf("%d", &pos);
    struct node *nextNode;
    temp = head;
    while (i < pos - 1) {
        temp = temp->next;
        i++;
    }
    nextNode = temp->next;
    temp->next = nextNode->next;
    free(nextNode);
    display(head);
}
```

```
void deletionAtEnd() {
```

```
    struct node *preNode;
    temp = head;
    while (temp->next != NULL) {
        preNode = temp;
        temp = temp->next;
    }
    preNode->next = NULL;
    free(temp);
    display(head);
}
```

```

newNode->next = temp->next;
temp->next = . . .

```

```

void display(struct node *head) {
    int count=0;
    printf("Elements in the linked list are ");
    temp=head;
    while (temp != NULL) {
        printf("%d", newtemp->data);
        temp=temp->next;
        count++;
    }
    printf("The total number of elements in the linked
list are %d", count);
}

void clearLinkedList() {
    while (head != NULL) {
        temp=head;
        head=head->next;
        display(head);
        free(temp);
    }
}

void main() {
    int num;
    printf("Enter the number of elements you want to
enter in a linked list");
    scanf("%d", &num);
    for(int i=1; i<=num; i++) {
        newNode=(struct node*) malloc(sizeof(struct node));
        printf("Enter %d element : ", i);
        scanf("%d", &newNode->data);
        newNode->next=NULL;
    }
}

```

```

if(head==NULL) {
    head=temp=newNode;
}
else {
    temp->next=newNode;
    temp=newNode;
}
display(head);
do {
    printf("\n Select an operation : \n 1. Insertion at
beginning \n 2. Insertion at specific position
\n 3. Insertion at end \n 4. Deletion from
beginning \n 5. Deletion at specific position \n
6. Deletion last node \n 7. Exit \n 8. Display
\n 9. Clear linked list ");
    printf("\nEnter the choice ");
    scanf("%d", &choice);
    switch(choice) {
        case 1:
            insertionAtBeginning();
            break;
        case 2:
            insertionAtMiddle();
            break;
        case 3:
            insertionAtEnd();
            break;
        case 4:
            deletionAtBeginning();
            break;
    }
}

```

nowNode->next = temp->next
temp->next = ...

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case 5:

deletionAtMiddle();
break;

case 6:

deletionAtEnd();
break;

case 7:

exit(0);
break;

case 8:

clearLinkedList();
break;

default:

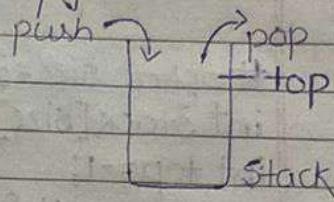
printf("Invalid option");
}

} while(choice != 9);
}

Python

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- Introduction to stack
- It is a linear data structure
 - Insertion & deletion is possible only from one end.
 - Last in first out (LIFO)
 - First in last out (FILO)



Operations performed on stack

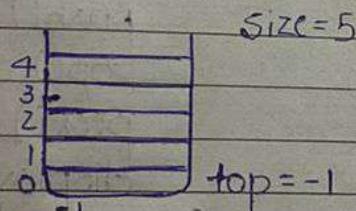
push(x)

pop()

peek() | top()

isEmpty()

isFull()



pop() - underflow condition

push(2)

[top++; then insert 2]

push(3)

[top++; then insert 3]

pop()

3 will remove top --

push(1)

push(5)

push(6)

push(7)

push(8) - overflow condition

Application - reverse a string

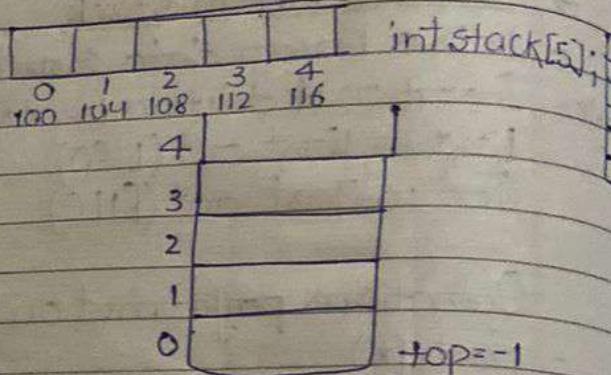
undo

Recursion

Infix postfix prefix

→ Implementation of stack using arrays

int a[5];



#define size=5;

int stack[size];

int top=-1;

- void push() { int x;

printf("Enter data you want to insert");

scanf("%d", &x);

if (top == size-1) {

 printf("Overflow");

} else {

 top++;

 stack[top] = x;

}
 }

```
void main() {
  push()
  pop()
  peek()
  display()
}
```

- void pop() {

int item;

if (top == -1) {

 printf("Underflow");

} else {

 item = stack[top];

 top--;

 printf("The popped item is %d", item);

}
 }

newNode->next = temp->next;
temp->next = newNode;

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all operation done O(1)

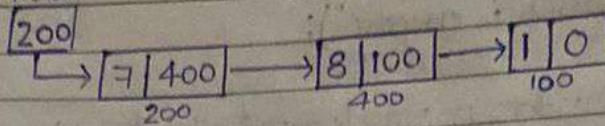
```
void peek() {  
    if (top == -1) {  
        printf("Stack is empty");  
    } else {  
        printf("The top most element is %d", stack[top]);  
    }  
}
```

```
void display() {  
    int i;  
    for (i = top; i >= 0; i--) {  
        printf("%d", stack[i]);  
    }  
}
```

```
void main() {  
    int ch;  
    do {  
        printf("Enter choice 1: Push 2: Pop 3: Peek 4: display");  
        scanf("%d", &ch);  
        switch (ch) {  
            case 1:  
                push(); break;  
            case 2:  
                pop(); break;  
            case 3:  
                peek(); break;  
            case 4:  
                display(); break;  
            default:  
                printf("Invalid choice");  
        }  
    } while (ch != 0);  
}
```

- Implementation of stack using linked list

head



struct node {

int data;

struct node *link;

}

struct node *top = 0;

void push(int x) {

struct node *newNode;

newNode = (struct node *) malloc (sizeof(struct node));

newNode->data = x;

newNode->next = top;

top = newNode;

}

void display() {

struct node *temp;

temp = top;

if (top == NULL) {

printf("Stack is empty");

else {

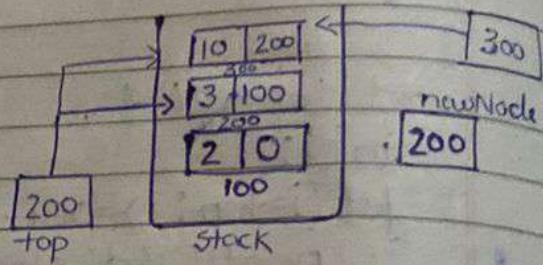
while (temp != NULL) {

printf("%d", temp->data);

temp = temp->link;

}

}



void main() {

push(2)

push(3)

push(10)

display()

peek()

pop()

peek()

display()

}

NewNode =
 printf("data")
 newnode->next=NULL;
 newnode->next=temp->next;
 temp->next=newNode;

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```

void peek(){
  if (top == NULL){
    printf("Stack is empty");
  } else {
    printf("Top element is %d", top->data);
  }
}
  
```

```

void pop(){
  struct node *temp;
  temp=top;
  if (top == NULL){
    printf("Underflow");
  } else {
    printf("The popped element is %d", top->data);
    top=top->link;
    free(temp);
  }
}
  
```

\rightarrow Infix prefix postfix

1 () [] {}

2 ^ R-L

3 */ L-R

4 +- L-R

$$5 + 1 * 6 = 6 \times 6 = 36$$

$$\hookrightarrow 5 + 6 = 11 \checkmark$$

- $1 + 2 * 5 + 30 / 5$

$1 + 10 + 30 / 5$

$1 + 10 + 6$

$\Rightarrow 17$

$2^8 = 256$

$2^8 = 256$

Prefix

Operator > Operand > Operand

Infix to prefix

$5 + 1$

$a * b + c = * ab + c$

$* abc$

Postfix

$\langle \text{operand} \rangle \times \langle \text{operator} \rangle \times \langle \text{operator} \rangle$

$$5 + 1 = 51+$$

$$a * b + c = ab * + c$$

$ab * c +$

→ Infix to postfix conversion

A+B/C

ABC/I+

Stack
/ +

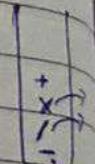
A-B/C*D+E

ABC/D*-E+

()

/* L-R

+ - L-R



Infix K+L-M*N+(O^P)*W/U/V*T+Q

Input

Stack

Postfix

K

KL

KL+

KL+M

KL+MN

KL+MN*-

KL+MN*-

KL+MN*-O

KL+MN*-OP

KL+MN*-OPA

KL+MN*-OPA

KL+MN*-OPA^W

KL+MN*-OPA^W*

KL+MN*-OPA^W+U

KL+MN*-OPA^W+U/

newNode =
 print(*d.ln)
 newNull = new Node;
 newNode->next = temp->next;
 temp->next = newNode;

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*	+ /	KL + MN * OP ^ W + U / V
	+ *	KL + MN + OP ^ W + U / V
T		KL + MN + OP ^ W + U / V T
+		KL + MN + OP ^ W + U / V / T ++
Q	+	KL + MN + OP ^ W + U / V / T ++ Q +

Postfix

→ Queue

Linear data structure (FIFO) (LIFO)

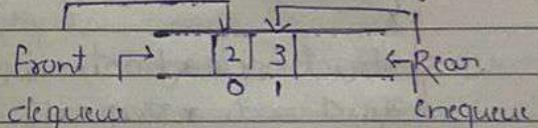
Rule - Insertion can be performed from one end that is rear
Deletion can be performed from another end that is front.

Operations -

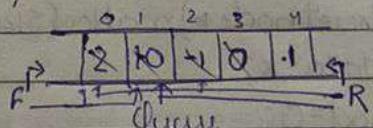
⁽²⁾ enqueue, dequeue

front() / peek()

isFull isEmpty



SIZE = 5



$F = R = -1$ — queue is empty

enqueue(2) $F = R++$;

enqueue(10)

$O(1)$

enqueue(-1)

dequeue() $F = F + 1$;

enqueue(0) (1) (S) — overflow condition

peek() - 10

dequeue() dequeue() dequeue

Front = Rear = pointing to 4 index

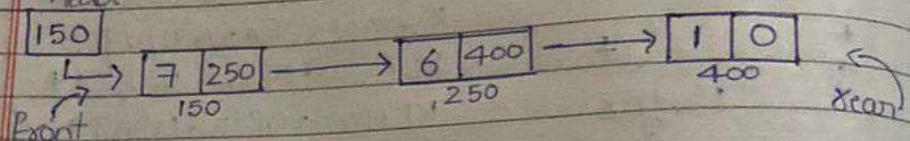
if ($F == R$)

$F = R = -1$

Application - printer

→ Queue linkedlist

head



FIFO

enqueue dequeue O(1)

- struct node {

int data;

struct node *next;

}

struct node *front = -1;

struct node *rear = -1;

void enqueue(int x) {

struct node *newNode;

newNode = (struct node *) malloc(sizeof(struct node));

newNode->data = x;

newNode->next = 0;

if (front == 0 && rear == 0) {

front = rear = newNode;

else {

rear->next = newNode;

rear = newNode;

}

}

void display() {

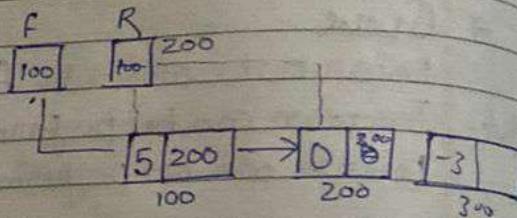
struct node *temp;

if (front == 0 && rear == 0) {

printf("List is empty");

else {

temp = front;



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```
    i++;  
    }  
    NewNode = _____  
    printf("%d\n",  
    NewNode->data);  
    NewNode->next = temp->next;  
    temp->next = NewNode;
```

```
while(temp != 0){  
    printf("%d", temp->data);  
    temp = temp->next;  
}
```

```
void dequeue(){  
    struct node *temp;  
    temp = front;  
    if(front == 0 && scan == 0){  
        printf("List is empty");  
    } else {  
        printf("The dequeued element is %d", front->data);  
        front = front->next;  
        free(temp);  
    }  
}
```

```
void peek(){  
    if(front == 0 && scan == 0){  
        printf("List is empty");  
    } else {  
        printf("The front data is %d", front->data);  
    }  
}
```

→ Circular queue

```
#define N 5
int queue[N];
int front=-1;
int rear=-1;
void enqueue(int x) {
    if(front == -1 && rear == -1) {
        front=rear=0;
        queue[rear]=x;
    }
}
```

```
else if((rear+1)%N==front) {
    printf("Queue is full");
}
```

```
else {
    rear=(rear+1)%N;
    queue[rear]=x;
}
```

}

void dequeue()

```
if(front == -1 && rear == -1) {
    printf("Queue is empty");
}
```

```
else if(front == rear) {
    front=rear=-1;
}
```

```
else {
    printf("The dequeued element is %d", queue[front]);
    front=(front+1)%N;
}
```

}

0	1	2	3	4
X	-1	5	6	7

F

R

enqueue
2, 1, 5, 6, 7
display
Circular Queue

-1
enqueue
en-10
en-11

y
 NewNode =
 printf("%d")
 NewNode->data = Node;
 NewNode->next = temp->next;
 temp->next = NewNode;

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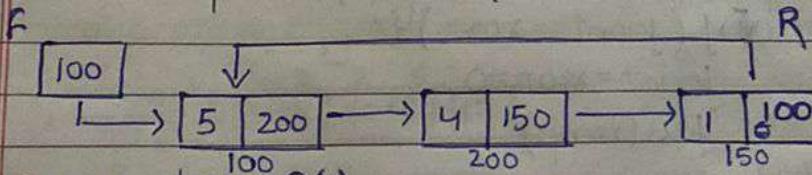
enqueue
 2, 1, 5, 6, 7
 display
 clear(12)
 -1
 enqueue(0)
 -10
 -11

```

void display() {
  int i = front;
  if (front == -1 && rear == -1) {
    printf("Queue is empty");
  } else {
    printf("Queue is:");
    while (i != rear) {
      printf("%d", queue[i]);
      i = (i + 1) % N;
    }
    printf("%d", queue[rear]);
  }
}
  
```

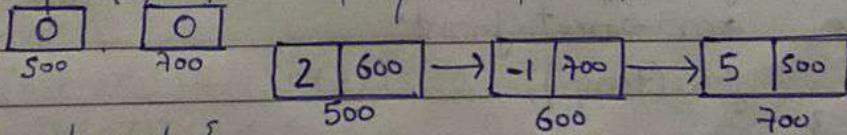
$i = 2 \times 4 + 1$
 $(2+1) \times 5$
 $(3+1) \times 5$
 $(4+1) \times 5$
 $5 \ 6 \ 7 \ 0 \ 10$

→ Circular queue with linked list



enqueue dequeue O(1)

enqueue(2) -1, 5 display() dequeue() peek()



- struct node {
 int data;
 struct node *next;
};

struct node *front = 0;

struct node *rear = 0;

void enqueue(int x) {

newNode = (struct node *) malloc(sizeof(struct node));

newNode->data = x;

newNode->next = 0;

```

if (front == 0 & & rear == 0) {
    front = rear = newNode;
    rear->next = front;
}
else {
    rear->next = newNode;
    rear = newNode;
    rear->next = front;
}
    
```

```

void dequeue() {
    struct node *temp;
    temp = front;
    if (front == 0 & & rear == 0) {
        printf("Queue is empty");
    }
    else if (front == rear) {
        front = rear = 0;
        free(temp);
    }
    else {
        front = front->next;
        rear->next = front;
        free(temp);
    }
}
    
```

```

void peek() {
    if (front == 0 & & rear == 0) {
        printf("Queue is empty");
    }
    else {
        printf("The peek element is %d", front->data);
    }
}
    
```

newNode
 printf("data")
 newNode->next=NULL;
 newNode->next = temp->next;
 temp->next = newNode;

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```

void display(){
  struct node *temp;
  temp=front;
  if(front == NULL && rear == 0){
    printf("queue is empty");
  }else{
    while(temp->next != front){
      printf("%d", temp->data);
      temp=temp->next;
    }
    printf("%d", temp->data);
  }
}
  
```

→ Linear search algorithm

0	1	2	3	4	5	6	7
15	5	20	35	2	42	67	17

n=8

data=42

element is present → location

not present

found=0;

- for(int i=0; i<n; i++) {

if (a[i] == data) {

printf("Element found at index %d", i);
found=1;

break;

}

location is 6

index is 5

Case1 if (found==0){

printf("Element not found");

}

if (i==n){

printf("Element not found");

}

Time complexity - O(n) Worst case

Best case O(1)

Sum of All cases

no of cases

$$\frac{1+2+3+\dots+n}{n} = \frac{n(n+1)}{2n}$$

$$O\left(\frac{n+1}{2}\right)$$

New Node =
pnode->data
newNode->next = NULL;
newNode->next = temp->next;
temp->next = newNode;

59

sorted array
then

$\gamma = m - 1$

else
 l = mid + 1
 }
 return -1;

Time complexity - $O(n \log n)$ Worst case
 $O(n)$ Best case

→ Sorting

Bubble sort

A →

15	16	6	8	5
0	1	2	3	4

$n = 5$

Basic principle of bubble sort is that adjacent two elements will be compared if those elements are in correct order then it will be fine will move further & if those elements are not in correct order then we will swap the elements.

Pass-1 15 16 6 8 5
 15 16 6 8 5
 15 6 16 8 5
 15 6 8 16 5
 15 6 8 5 [16]

Pass-2 15 6 8 5 16
 6 15 8 5 16
 6 8 15 5 16
 6 8 5 [15] [16]

* The largest element is bubbled up to the end of the array.

Pass-3 6 8 5 15 16
 6 8 5 15 16
 6 5 [8] 15 16

Pass4 6 5 8 15 16
 5 [6] 8 15 16

* How many passes required = no of elements - 1;

```

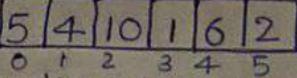
for(i=0; i<n-1; i++) {
    for(j=0; j<n-1; j++) {
        if(a[j] > a[j+1]) {
            temp = a[j];
            a[j] = a[j+1];
            a[j+1] = temp;
        }
    }
}

if(flag == 0) {
    break;
}

```

Time complexity is - $O(n)$ in best case
 Worst case - $O(n^2)$

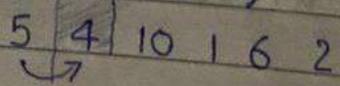
→ Inversion sort

A-  n=6

In this technique the given array is divided into two parts one is the sorted sublist unsorted sublist

then we take one value from unsorted sublist and we have to insert that value in sorted sublist not simply inserted we have to find the appropriate place then insert that element in sorted sublist

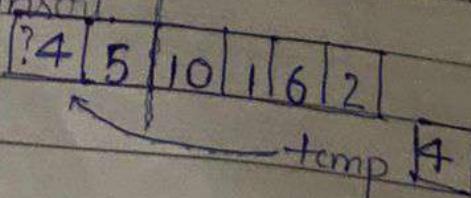
5.2 u.s.l →



temp[4]

In sorted sublist there will be one element.

so compare 4 in sorted sublist & find appropriate place then insert.



temp[4]

- Binary Search

$n=10$

$\text{data} = 59$

5	9	17	23	25	45	59	63	71	89
l	10	1	2	3	4	15	6	7	8
m	4	11	13	14	16	17	18	19	9

- * Pre-requirement of binary search element is sorted array
If not so first you have to sort the array then apply binary search.

- * Divide & conquer technique

$\text{data} = 59$

$$\frac{l+r}{2}$$

l	r	mid
0	9	4
5	9	7
5	6	5
6	6	6

case I $\text{data} == a[\text{mid}]$

case II $\text{data} < a[\text{mid}] - r = m-1$

case III $\text{data} > a[\text{mid}]$

$l = \text{mid} + 1$

$\text{data} = 6$

l	r	m
0	9	4
5	9	7
5	6	5
6	6	6

$\rightarrow 7 \quad 6$

if ($l > r$) stopping condition:

```
int binarySearch(int arr[], int n, int data) {
```

$l = 0, r = n-1;$

while ($l < r$) {

 mid = $(l+r)/2;$

 if ($\text{data} == a[\text{mid}]$)

 return mid;

 else if ($\text{data} < a[\text{mid}]$)

 r = mid - 1;

newNode->next = temp->next
temp->next = newNode;

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if ($\min \neq i$) {
 swap($a[i], a[\min]$); Time complexity $O(n^2)$
}

int temp = $a[i]$;
 $a[i] = a[\min]$;
 $a[\min] = \text{temp}$;

$\min = 4$

$j = 1, 2, 3, 4, 5, 6$

$a[1] < a[0] \checkmark$

$a[2] < a[1] \checkmark$

$a[3] < a[1] \checkmark$

$a[4] < a[1] \checkmark$

$a[5] < a[1] \checkmark$

→ Quicksort

A	10	15	1	2	9	16	11
	0	1	2	3	4	5	6

So the basic idea behind the quick sort is that in this sorting algorithm we have to choose one pivot element.

Pivot element is 10

Divide & conquer technique.

We have to partition the array in such that all the elements less than 10 will be left side of array & all the elements greater than the pivot element will be right side.

Key

Partition1	Pivot	Partition2
$\text{val} < \text{pivot}$		$\text{val} > \text{pivot}$

0-2

0 1 2 ③ 4 5 6

4-6

2	1	9	10	15	11	16
---	---	---	----	----	----	----

newNode->next = temp->next
temp->next = newNode

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4	5	10	1	6	2
---	---	----	---	---	---

temp [10]

compare temp value with sorted sublist

4	5	10	1	6	2
4	5	?	10	6	2

4 ? 5 10 6 2
? 4 5 10 6 2

1	4	5	10	6	2
1	4	5	?	10	2

temp

1	4	5	6	10	2
1	4	5	6	?	10
1	4	5	?	6	10
1	4	?	5	6	10
1	?	4	5	6	10

temp

i = 5

j = 8

a[5] = a[4]

a[4] = a[3]

a[3] = a[2]

a[2] = a[1]

False

```
for(i=1; i<n; i++) {  
    temp = a[i];  
    j = i - 1;  
    while(j >= 0 && a[j] > temp) {  
        a[j+1] = a[j];  
        j--;  
    }  
    a[j+1] = temp;  
}
```

Worst case - $O(n^2)$

Best case - $O(n)$

Pivot=7 a[0]

7	6	10	5	9	2	1	15	7
↑ 0	1	2	3	4	5	6	7	↑ 8 end)
start	s							

7	6	7	5	9	2	1	15	10
↑ s	↑ e	↑ s	↑ e	↑ e				

7	6	7	5	1	2	9	15	10
↑ s	↑ e	↑ s	↑ e	↑ e				

- not swap because start > end

now then swap end with pivot element

0	1	2	3	4	5	6	+	8
2	6	7	5	1	7	9	15	10

partition (a, lb, ub) {

 pivot = a[lb];

 start = lb;

 end = ub; while (start < end) {

 while (a[start] <= pivot) {

 start++;

}

 while (a[end] > pivot) {

 end--;

}

 if (start < end) {

 swap (a[start], a[end]);

 swap (a[lb], a[end]);

 return end;

}

Quicksort (A, lb, ub) {

 if (lb < ub) {

 loc = partition (a, lb, ub);

 Quicksort (a, lb, loc - 1);

 Quicksort (a, loc + 1, ub);

3

9

$O(n^2)$

$O(n \log n)$

$n=6$

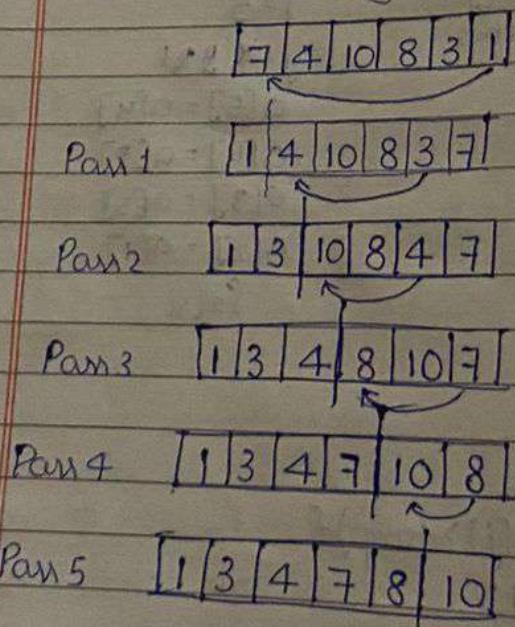
- Selection sort

a	7	4	10	8	3	1
	0	1	2	3	4	5

In this case also the array is divided into 2 categories one is sorted & another is unsorted same as bubble sort but in selection sort the we considered the sorted sublist is empty.

Sorted	unsorted
	7 4 10 8 3 1

From the unsorted sublist we will find the minimum element and that minimum element is swapped with the element which is at starting position in array



```
for(i=0; i<n-1; i++) {
```

```
    int min=i;
```

```
    for(j=i+1; j<n; j++) {
```

```
        if(a[j] < a[min]) {
```

```
            min=j;
```

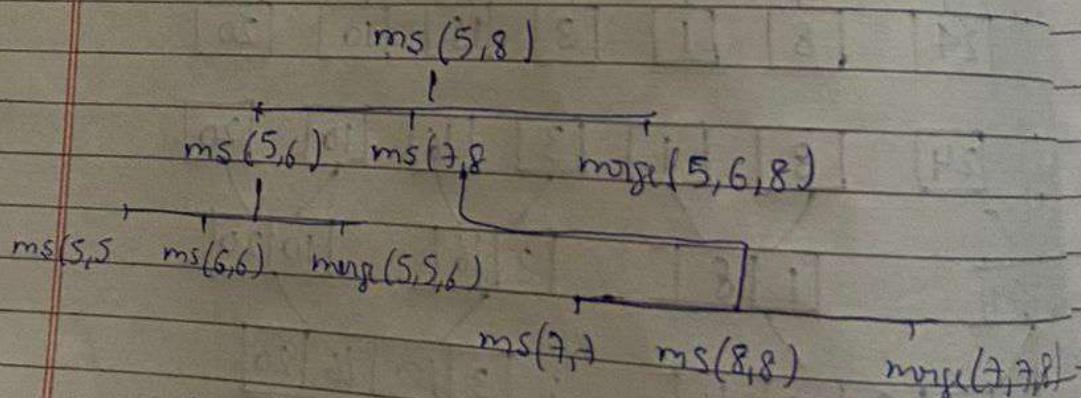
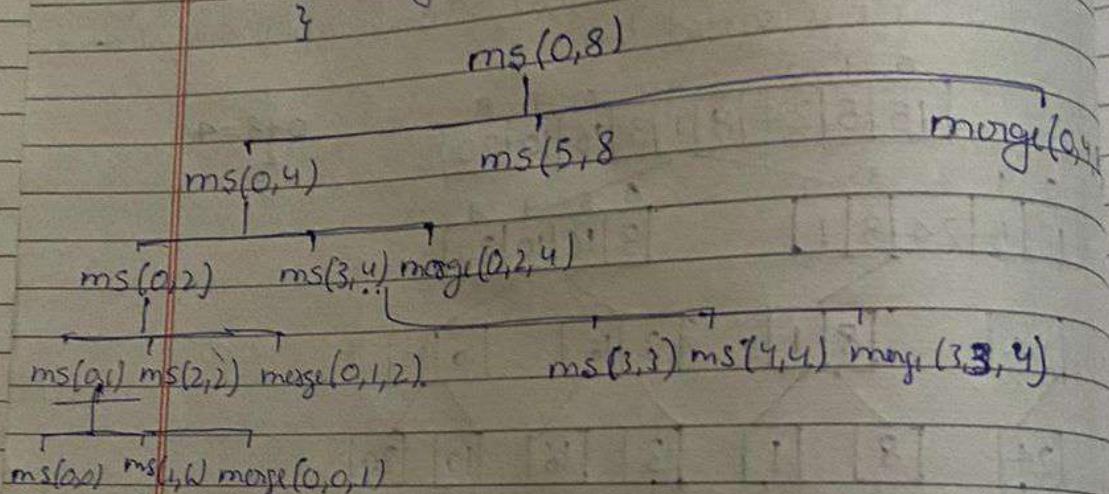
```
}
```

```
}
```

```

mergeSort(a, lb, ub) {
    if(lb < ub) {
        mid = (lb + ub) / 2;
        mergeSort(a, lb, mid);
        mergeSort(a, mid + 1, ub);
        merge(a, lb, mid, ub);
    }
}

```



$\text{merge}(a, lb, ub) {$

$i = lb$

$j = mid + 1$

$k = lb;$

$\text{while}(i \leq mid \text{ and } j \leq ub) {$

$\text{if}(a[i] \leq a[j]) {$

$b[k] = a[i];$

$i++;$

~~$k++;$~~

print(*data)

newNode->next = NULL;

newNode->next = temp->next;

temp->next = newNode;

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}

else {

 b[k] = a[j];

 j++;

 k++;

}

 k++;

}

 if (i > mid) {

 while (j <= ub) {

 b[k] = a[j];

 j++;

 k++;

}

 else {

 while (i <= mid) {

 b[k] = a[i];

 i++;

 k++;

}

}

 for (k = lb; k <= ub; k++) {

 a[k] = b[k];

}

}

Introduction to trees

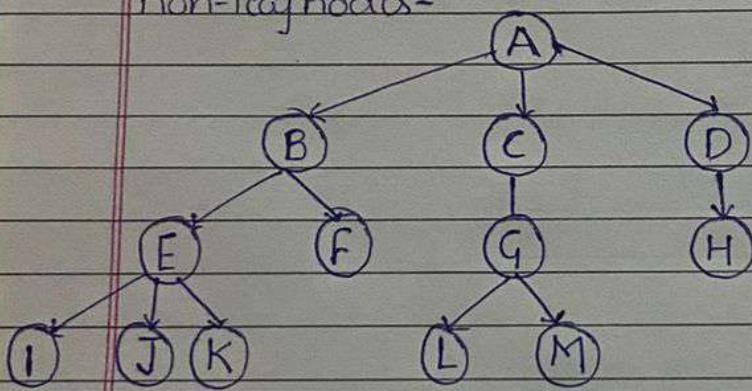
- It is a non linear data structure.
- The data in the form of hierarchical data.
- * Tree can be defined as a collection of entities (nodes) linked together to simulate a hierarchy.

Root - the node which not having any parent is known as root node of a tree.

child node.

leaf node - the node which not having any child.

non-leaf nodes-



root = A

nodes = A B C D E F G H I J K L M

Parent node = G is parent of L & M

child node = L & M are children of G

leaf node = I J K F L M H

non leaf node = A B C D E G

path - sequence of consecutive edges from source node to destination node.

Ancestor - any predecessor node on the path from root to that node.

L = A C G

H = A D

navNode->next = temp->next
 temp->next = navNode->

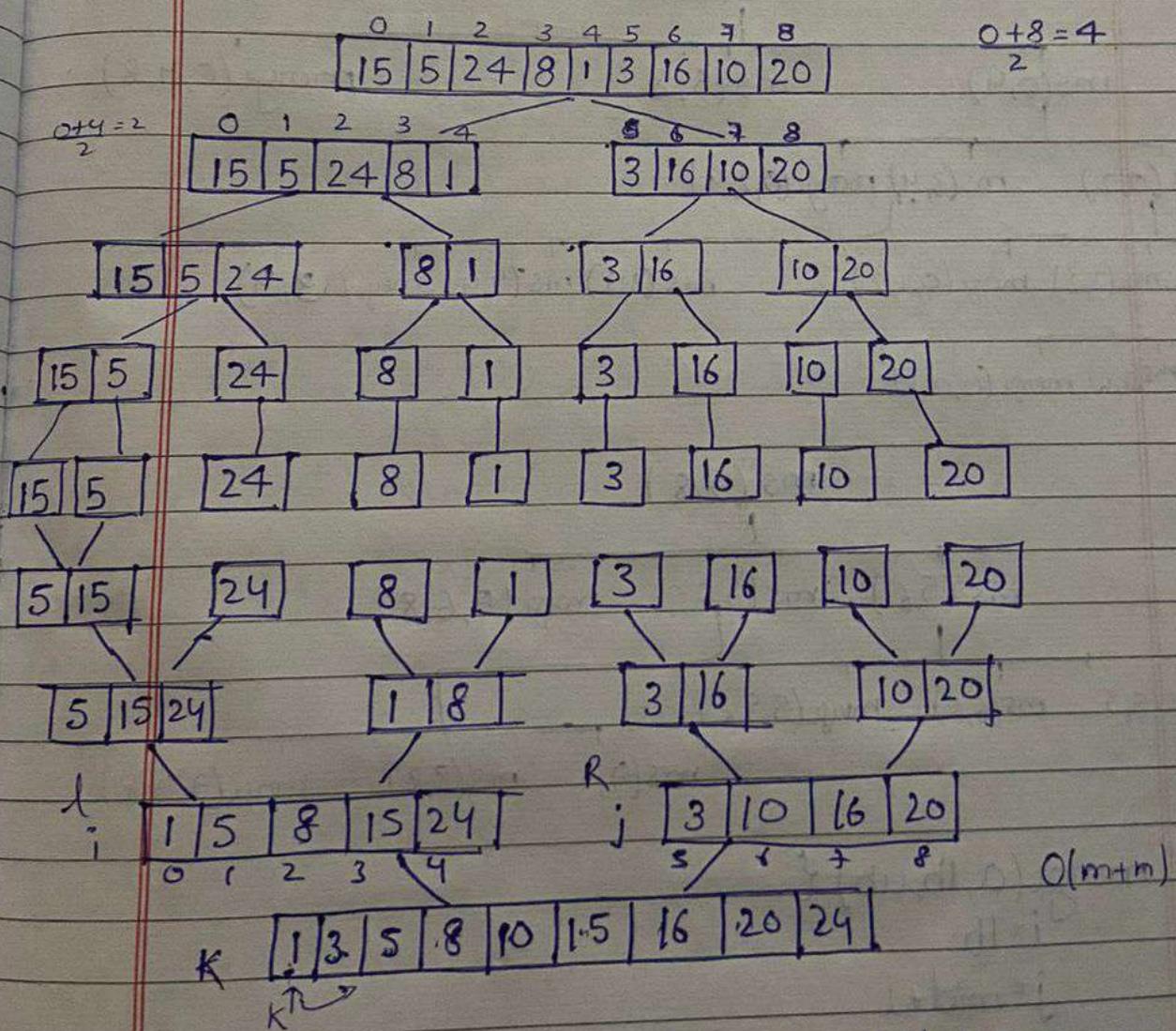
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- Merge sort

This also works on divide & conquer technique

In this case the complete list is divided into sublist & each sublist is having one element

After that we have to merge the sublist & we have keep merging the sublist to produce a sorted sublist & keep on merging the sublist until we get one complete sublist & that sublist is sorted list



Compare $I[i]$ with $R[j]$ which one is smaller put it into array

jo * small nose wame plus 1 ho jyge.

descendant - any successor node on the path from that node to target node.

$$C = G, L, M$$

sibling - all the node of same parent

F₄ F₄ children of B so F₄ F₄ are sibling
degree - the no. of children that node

degree of A = 3

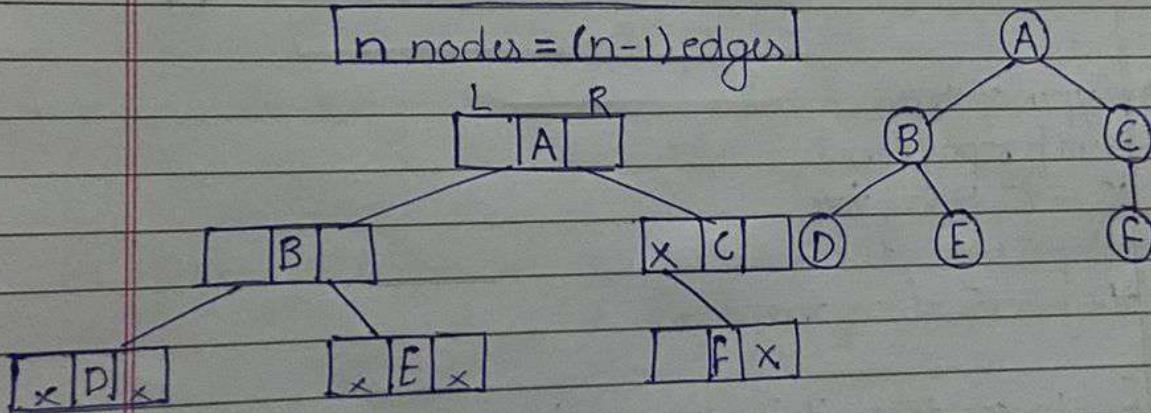
Dept of node - length of path from root to that node.

Dept of A to J = 3

height of node - no of edges in the longest path from that node to leaf.

$$B \rightarrow I = 2$$

[n nodes = $(n-1)$ edges]



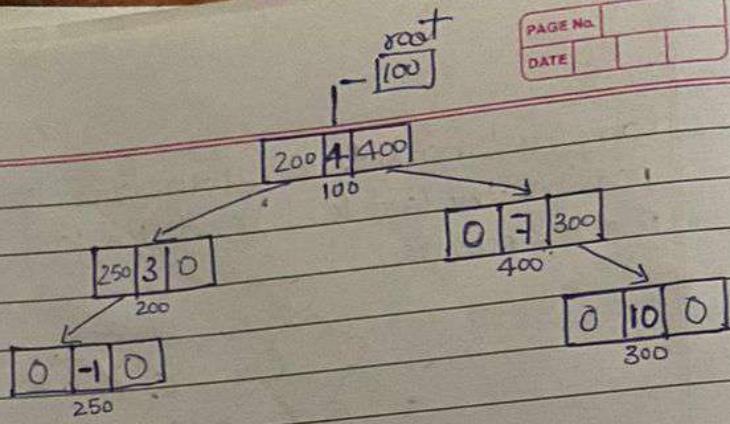
Struct node{

int data;

~~Struct node * left;~~
~~Struct node * right;~~

乙

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Struct node {

 int data;

 struct node *left, *right;

};

struct node *create() {

 int x;

 struct node *newNode;

 newNode = (struct node *) malloc(sizeof(struct Node));

 data = -1; // for no node;

 printf("Enter the value you want to insert");

 scanf("%d", &newNode->data);

 if (x == -1) {

 return 0;

 } else {

 newNode->data = x;

 printf("Enter left child of %d", x);

 newNode->left = create();

 printf("Enter right child of %d", x);

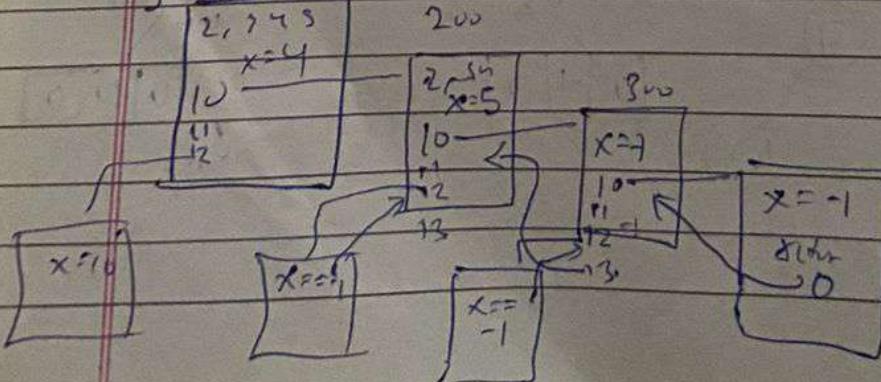
 newNode->right = create();

 }

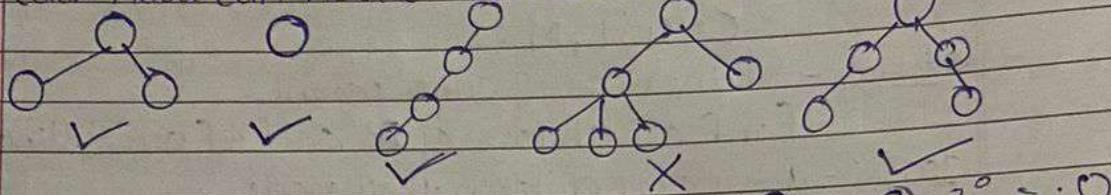
 return newNode;

};

NN = 10;



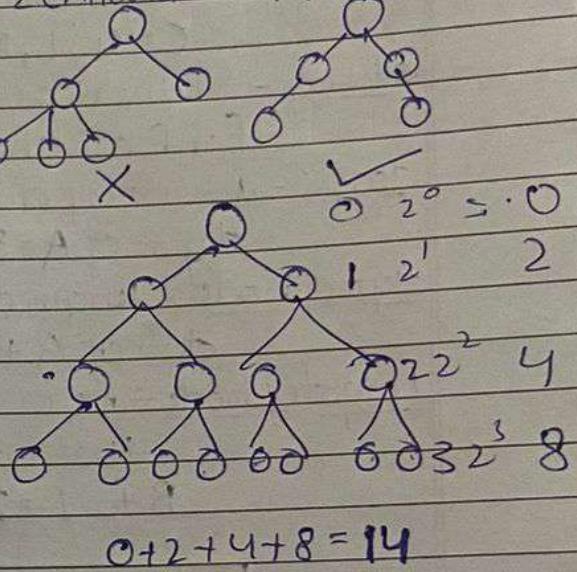
- Binary tree & its types
- each node can have at most 2 children [0, 1, 2]



* max no of nodes possibl at
level i is 2^i

* max no of nodes of height h
 $2^{h+1} - 1$

$$\text{min no of nodes} = h + 1$$



→ Types of trees

→ Full / Proper / Strict

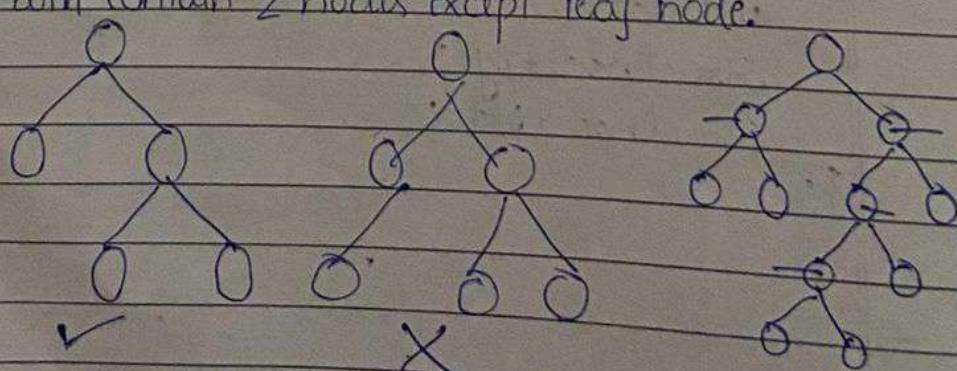
→ Complete binary tree

→ Perfect binary tree

→ Degenerate binary tree.

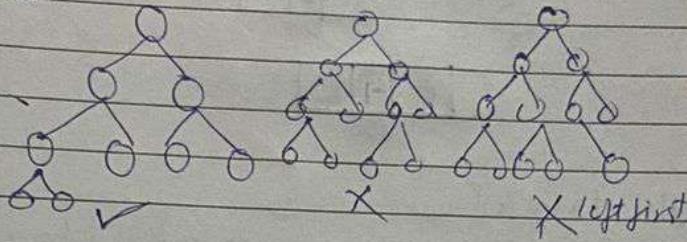
1. Full binary tree - it is a binary tree where each node contains either zero or 2 children

Each node will contain 2 nodes except leaf node.

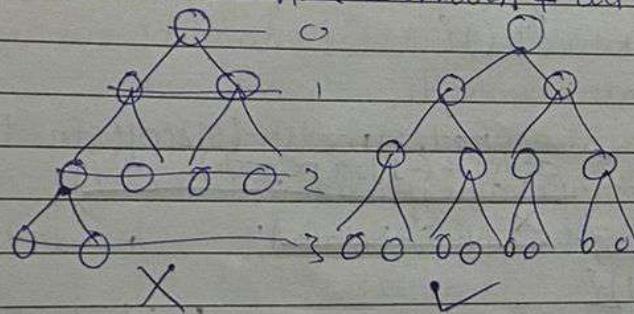


$$\begin{aligned}\text{No. of leaf nodes} &= \text{no. of internal nodes} + 1 \\ &= 4 + 1 \\ &= 5\end{aligned}$$

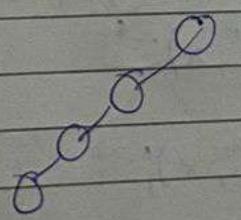
2. Complete binary tree - all the levels are completely filled (except possibly the last level) and the last level has nodes as left as possible.



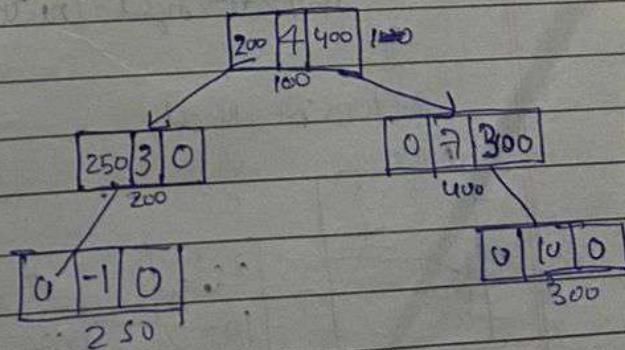
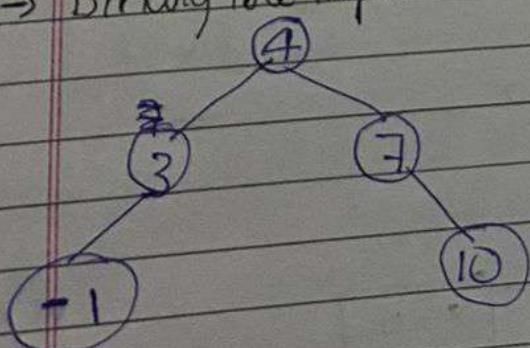
3. Perfect binary tree - a tree can be a perfect binary tree if all internal nodes have 2 children + all leaves are at same level



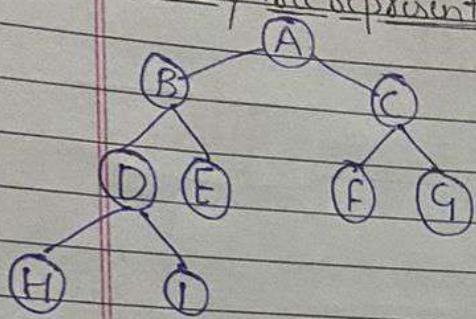
4. Degenerate binary tree - all the internal nodes have only one child. (left skewed binary tree)



→ Binary tree implementation



- Binary tree representation using array.



A	B	C	D	E	F	G	H	I	J
0	1	2	3	4	5	6	7	8	9

Case I

A	B	C	D	E	F	G	H	I	J
1	2	3	4	5	6	7	8	9	

Case II

- 1) a node is at i^{th} index -
 left child would be at $[(2 \times i) + 1]$
 Right child would be at $[(2 \times i) + 2]$
 Parent would be at $\left[\frac{(i-1)}{2}\right]$ floor value.

$$i=4 \\ \frac{4-1}{2} = \frac{3}{2} = 1.5 = 1$$

$$[2 \times 4 + 1] = 9$$

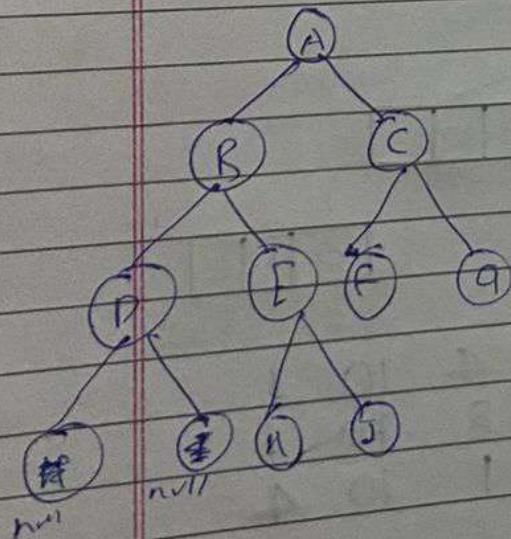
$$[2 \times 4 + 2] = 10$$

Case II nodes is at i^{th} index

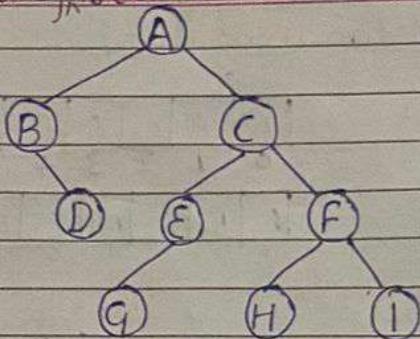
- Left would be $= [2 \times i]$,
 Right would be $[(2 \times i) + 1]$
 Parent at $= \left[\frac{i}{2}\right]$ floor value.

$$i=4 \\ 2 \times 4 = 8$$

$$2 \times 4 + 1 = 9$$



binarry.
Traversal of tree



Inorder (Left, Root, Right)

Preorder (Root, Left, Right)

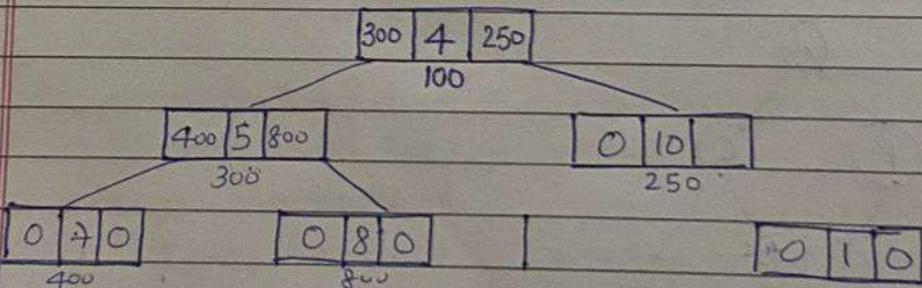
Postorder (Left, Right, Root)

Inorder = B D A G E C H F I

Preorder = A B D C E G F H I

Postorder = B D

D B G E A H I F C A



Inorder = Left, Right, Root / 7 5 8 4 10 1

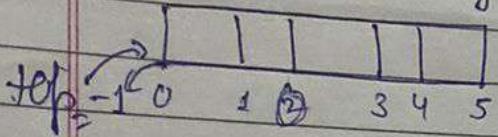
Preorder = Root, Left, Right / 4 5 7 8 10 1

Postorder = Left, Right, Root / 7 8 5 1 10 4

void preorder(struct node *root) {

 printf("%d", root->data);
 preorder(root->left);

Stack array



#include <stdio.h>
include <stdlib.h>

top++;
stack[top] = num;

bool isEmpty() {

 if (top == -1) {

 return true;

 } else {

 return false;

}

bool isFull