

The objective of this lab is to:
understand sparse matrices.

ALERT!

1. This is an individual lab, you are strictly **NOT** allowed to discuss your solution with fellow colleagues, even not allowed asking how is he/she is doing, it may result in negative marking. You can **ONLY** discuss with your TAs or with me.
2. Pay attention to **GOOD coding conventions**.
3. **Anyone caught in act of plagiarism would be awarded an “F” grade in this Lab.**

Task 01:

[5+5 Marks]

When all elements either above or below the main diagonal of a square matrix are zero, then matrix is said to be triangular. Figure below shows a lower and an upper triangular matrix.

$$\begin{bmatrix} x & & & & & & \\ x & x & & & & & \text{zero} \\ x & & x & & & & \\ x & \text{non} & & x & & & \\ x & \text{zero} & & & x & & \\ x & & & & & x & \\ x & x & x & x & x & x & x \end{bmatrix} \quad \begin{bmatrix} y & y & y & y & y & y & y \\ & y & & & & & y \\ & & y & \text{non} & & & y \\ & & & y & \text{zero} & & y \\ & & & & y & y & \\ & \text{zero} & & & & y & y \\ & & & & & & y \end{bmatrix}$$

We have already discussed the above two (lower left and upper right) triangular matrices and their addressing formulae if the matrix is stored in a linear array in row major order. Now obtain an addressing formula for elements in the:

- a) Lower right triangle if it is stored in column major order in a linear array with A[0][0] being the first element.

$$\begin{bmatrix} & & & & & & x \\ & & & & & x & x \\ & \text{zero} & & & & x & x \\ & & & x & & & x \\ & & & & x & \text{non zero} & x \\ & & x & & & & x \\ & x & & & & & x \\ x & x & x & x & x & x & x \end{bmatrix}$$

- b) Upper left triangle if it is stored in row major and column major order in a linear array with A[0][0] being the first element.

$$\begin{bmatrix} y & y & y & y & y & y & y \\ y & & & & & & y \\ y & \text{non zero} & & & & y & \\ y & & & y & & & \\ y & & y & & \text{zero} & & \\ y & y & & & & & \\ y & & & & & & \end{bmatrix}$$

Task 02:

[10 Marks]

Develop a class for 2D matrices of integer type. This class should store the elements of the 2-D matrix in a linear array that is created dynamically. Thus you will have to use a mapping function to store and retrieve items. Consider the matrix is randomly sparse.

Your class should support following operations:

1. **Constructor, destructor, Copy-constructor.**
You should always implement constructor, destructor and copy-constructor.
2. **getElement (i, j)**
Get the value of element stored at ith row and jth column.
3. **setElement(i, j, val)**
Set the value of element stored at ith row and jth column.
4. **printMatrix()**
This function should print the matrix on console (in 2D matrix form).
5. **printMatrix(matrix)**
This function should print the given matrix on console (in 2D matrix form).
6. **transpose ()**
This function should take the transpose of the matrix.
7. **printSubMatrix(r1, r2, c1, c2)**
This function should display the sub matrix specified by given arguments.
8. **Overload + operator**
To adds two matrices.
9. **clear(n)**
To clear the first n rows and columns of the matrix.

Write a main program providing menu to make it easy to use and test matrix class functionalities. No marks shall be given without this driver program.

Task 03:

[5 Marks]

Write a function which prints the Row-Major based ND-array formula against a given number of dimensions. The header of the function is given bellow

void printND(int dimensions)

For example if the function is called for 3 dimensions i.e printND(3) then it should print

$i_1D_2D_3+i_2D_3+i_3$

Here, i_1, i_2, i_3 represent the index set and D_1, D_2, D_3 represents dimension set. Also write a main program to test this function with appropriate messages.