

Mixture Models for Diverse Machine Translation:

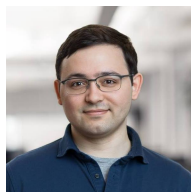
Tricks of the Trade



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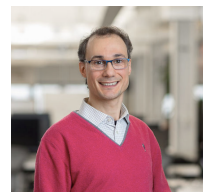
(*: Equal contribution)



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Michael Auli



Marc'Aurelio Ranzato

ICML 2019

Translation Is One-To-Many

German	danke	sie brauchen zeit
English	thank you	you need time
	thanks	they need time
	thank you very much	it takes time

$p(y|x)$ is multi-modal, a sentence can have different translations

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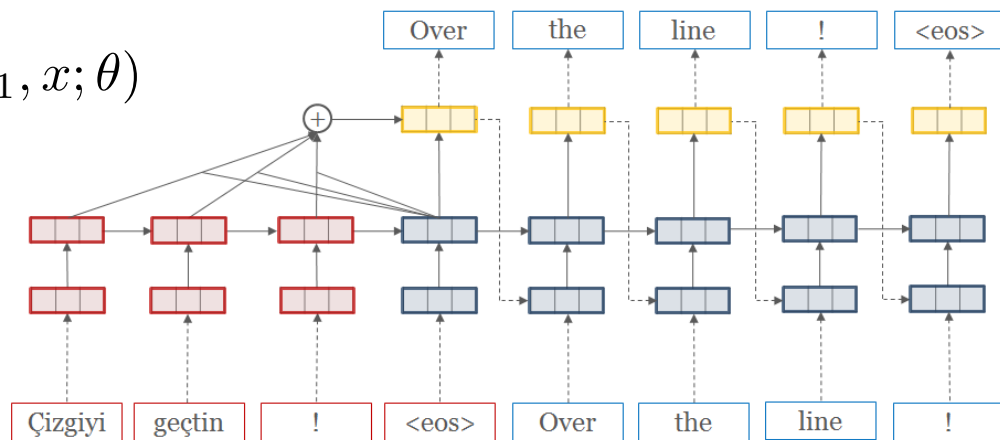
Goal: efficiently decode a diverse set of hypotheses

Neural Machine Translation

Input: source sentence $x = x_1, \dots, x_L$

Output: target translation $y = y_1, \dots, y_T$

$$p(y|x; \theta) = \prod_{t=1}^T p(y_t | y_{1:t-1}, x; \theta)$$



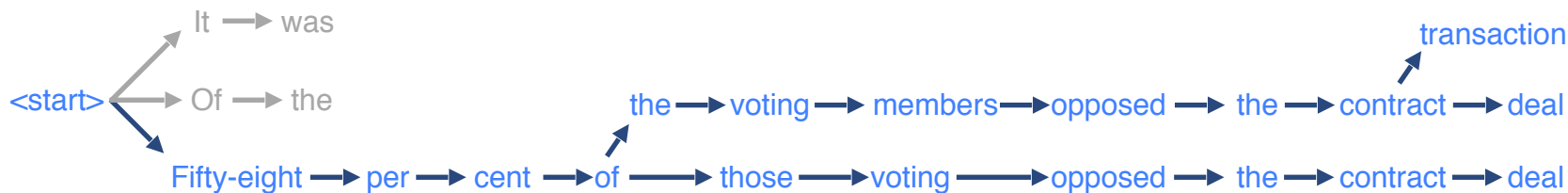
Search for Multiple Modes Is Difficult...

$$\arg \max_{y_1, \dots, y_T} \prod_{t=1}^T p(y_t | y_{1:t-1}, x; \theta)$$

Beam search can effectively find one likely y but cannot explore multiple modes

Source 参与投票的成员中, 58% 反对该合同交易。

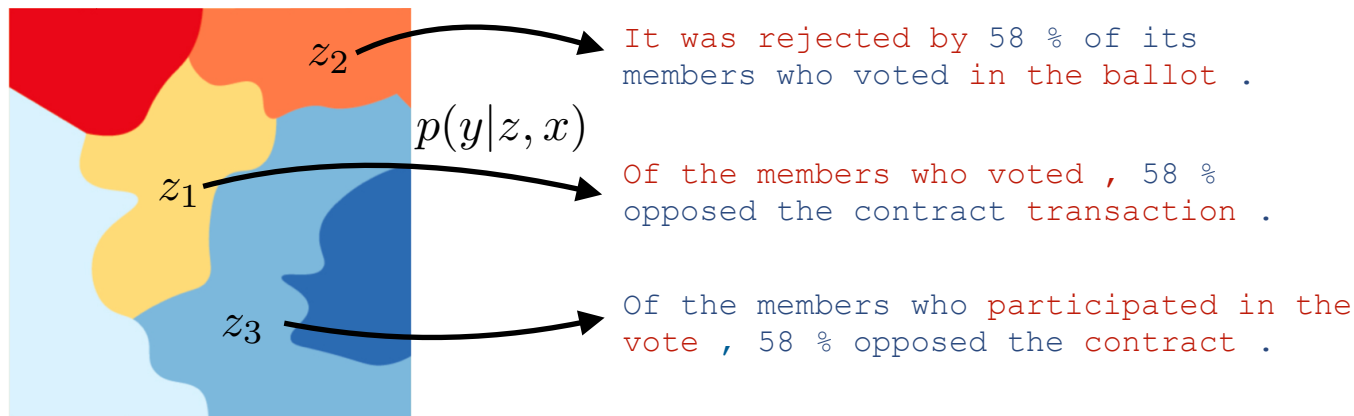
References It was rejected by 58 % of its members who voted in the ballot .
Of the members who voted , 58 % opposed the contract transaction .
Of the members who participated in the vote , 58 % opposed the contract .



Explicitly Model Uncertainty

Introduce a latent variable z to capture different translation modes

Better explore the search space, decode different y from different z



Previous Attempt: Conditional VAE

Gaussian z , $p(y|x; \theta) = \int_z p(z|x; \theta)p(y|z, x; \theta)$

$$\log p(y|x; \theta) \geq \mathbb{E}_{q(z|x, y; \phi)} [\log p(y|z, x; \theta)] - D_{\text{KL}}(q(z|x, y; \phi) \| p(z|x; \theta))$$

(Kingma & Welling, 2014; Zhang et al., 2016)

“Posterior collapse” in language modeling, the latent variable is ignored

(Bowman et al., 2016)

Our Approach: Mixture Model

Multinomial z , taking values in $\{1, \dots, K\}$

$$p(y|x; \theta) = \sum_{z=1}^K p(z|x; \theta) p(y|z, x; \theta)$$

Simplest, enumerable, exact marginal

Our Approach: Mixture Model

Multinomial z , taking values in $\{1, \dots, K\}$

$$p(y|x; \theta) = \sum_{z=1}^K p(z|x; \theta) p(y|z, x; \theta) = \frac{1}{K} \sum_{z=1}^K p(y|z, x; \theta)$$

Even simpler:

—set $p(z|x; \theta) = 1/K$, each component is equally likely a priori

Our Approach: Mixture Model

Multinomial z , taking values in $\{1, \dots, K\}$

$$p(y|x; \theta) = \sum_{z=1}^K p(z|x; \theta)p(y|z, x; \theta) = \frac{1}{K} \sum_{z=1}^K p(y|z, x; \theta) \geq \frac{1}{K} \max_z p(y|z, x; \theta)$$

Even simpler:

- assume $p(y|z, x; \theta)$ is large for one z , but nearly zero for others
- a particular translation is only explained by a particular component

Training Objective

$$\mathcal{L}(\theta) = \mathbb{E}_{(x,y) \sim \text{data}} \left[\min_z -\log p(y|z, x; \theta) \right]$$

$$p(y|x; \theta) = \sum_{z=1}^K p(z|x; \theta) p(y|z, x; \theta) = \frac{1}{K} \sum_{z=1}^K p(y|z, x; \theta) \geq \frac{1}{K} \max_z p(y|z, x; \theta)$$

EM Training

$$\mathcal{L}(\theta) = \mathbb{E}_{(x,y) \sim \text{data}} \left[\min_z -\log p(y|z, x; \theta) \right]$$

Take a mini-batch $\{(x^{(i)}, y^{(i)})\}_{i=1}^m$

E-step (hard): estimate the responsibility of each component

$$r_z^{(i)} \leftarrow \mathbb{1}[z = \arg \max_{z'} p(y^{(i)}|z', x^{(i)}; \theta)]$$

M-step: update θ through each component with gradients

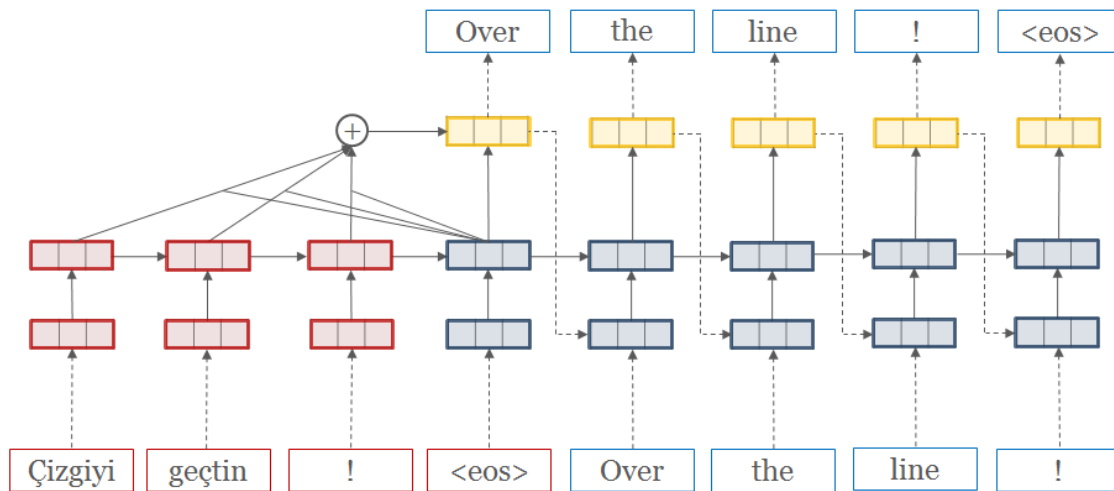
$$r_z^{(i)} \cdot \nabla_{\theta} \log p(y^{(i)}|z, x^{(i)}; \theta)$$

Just like training mixture of Gaussians but
in text space and conditioned on source

Parameterization

$$\log p(y|x; \theta)$$

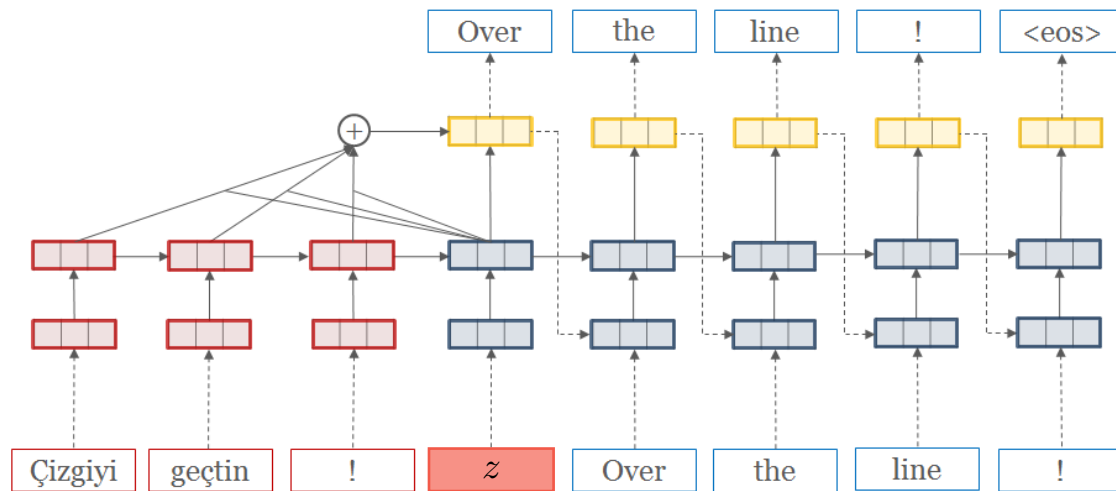
Before:



Parameterization

$$\log p(y|z, x; \theta)$$

After:



Testing

Generate K hypotheses by greedily decoding $p(y|z, x; \theta)$, $z = 1, \dots, K$



Computationally efficient and parallelizable

Solely depend on the latent variable to produce different hypotheses



No heuristic diverse decoding methods

Try It Out

Source 参与投票的成员中, 58% 反对该合同交易。

Hypotheses Fifty-eight per cent of those voting opposed the contract deal . $z = 1$
Fifty-eight per cent of those voting opposed the contract deal . $z = 2$
Fifty-eight per cent of those voting opposed the contract deal . $z = 3$

The latent variable is ignored (as in VAE) $p(y|z, x; \theta) \rightarrow p(y|x; \theta)$

Sharing too many parameters that $p(y|z, x; \theta)$ does not differentiate?

—use independently parameterized decoders

Try Again with Independent Decoders

Source 参与投票的成员中，58% 反对该合同交易。

Hypotheses Fifty-eight per cent of those voting opposed the contract deal . $z = 1$
 \cdot $z = 2$
 \cdot $z = 3$

Only one component gets trained $p(y|z, x; \theta)$ is poor except for one z

“Rich gets richer”—once a component is better than others, it receives more gradients while others starve and eventually die (Teh, 2010)

Mixture Models Are Prone to Degeneracies

D1: all components behave the same, the latent variable is ignored

D2: only one component gets trained, other components are poor

Turns out how to train mixture models is not obvious...

Let's take a closer look

EM Training

Shared params, latent variable is ignored

E-step (hard): estimate the responsibility of each component

$$r_z^{(i)} \leftarrow \mathbb{1}[z = \arg \max_{z'} p(y^{(i)} | z', x^{(i)}; \theta)]$$

M-step: update θ through each component with gradients

$$r_z^{(i)} \cdot \nabla_{\theta} \log p(y^{(i)} | z, x^{(i)}; \theta)$$

Effect of Dropout

Shared params, latent variable is ignored

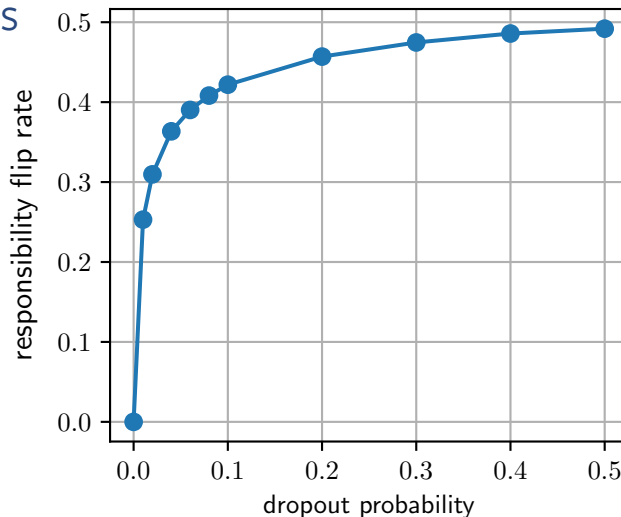
E-step (hard): estimate the responsibility of each component

$$r_z^{(i)} \leftarrow \mathbb{1}[z = \arg \max_{z'} p(y^{(i)} | z', x^{(i)}; \theta)]$$

Dropout noise here can confuse latent variable assignments

M-step: update θ through each component with gradients

$$r_z^{(i)} \cdot \nabla_{\theta} \log p(y^{(i)} | z, x^{(i)}; \theta)$$



Fix Dropout

Shared params, latent variable is ignored

E-step (hard): estimate the responsibility of each component

$$r_z^{(i)} \leftarrow \mathbb{1}[z = \arg \max_{z'} p(y^{(i)} | z', x^{(i)}; \theta)] \quad \text{no dropout}$$

M-step: update θ through each component with gradients

$$r_z^{(i)} \cdot \nabla_{\theta} \log p(y^{(i)} | z, x^{(i)}; \theta) \quad \text{dropout}$$

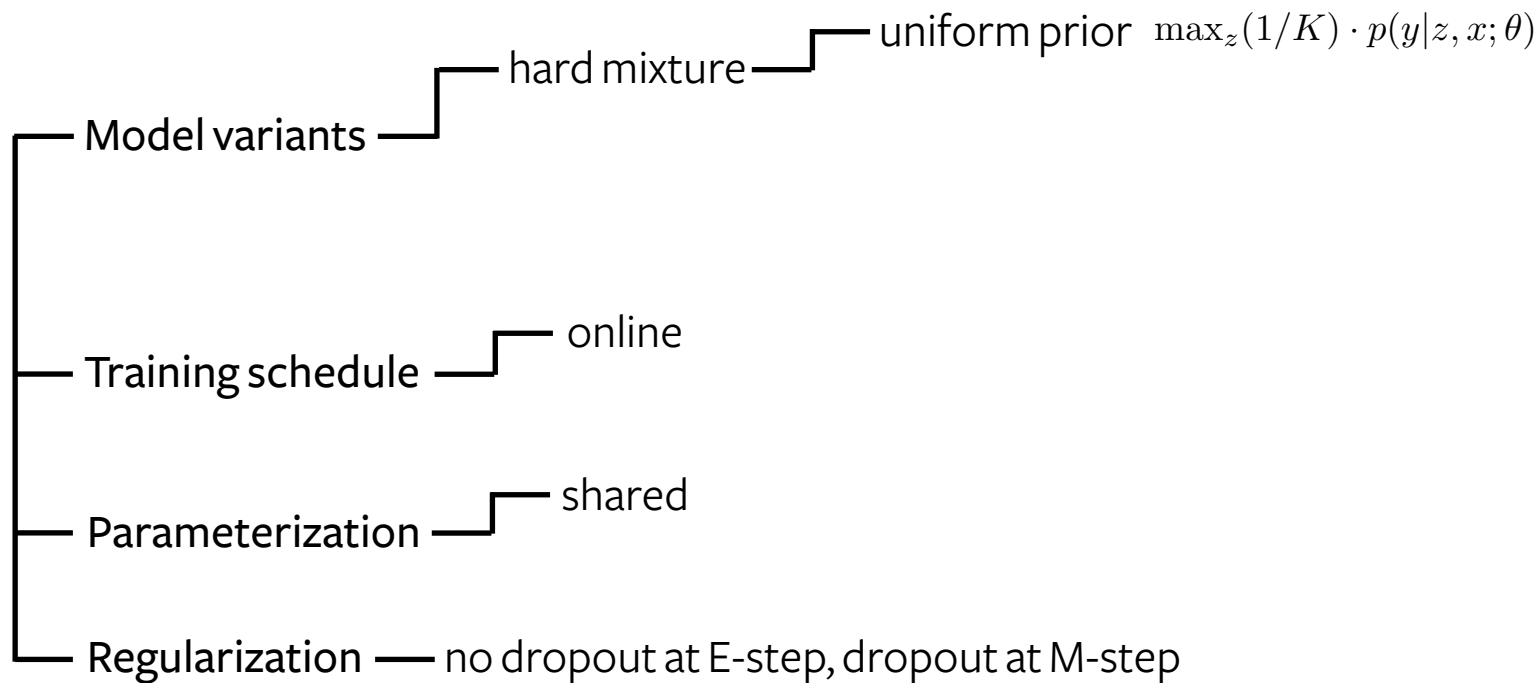
Try Our Modified Dropout Strategy

Source 参与投票的成员中，58% 反对该合同交易。

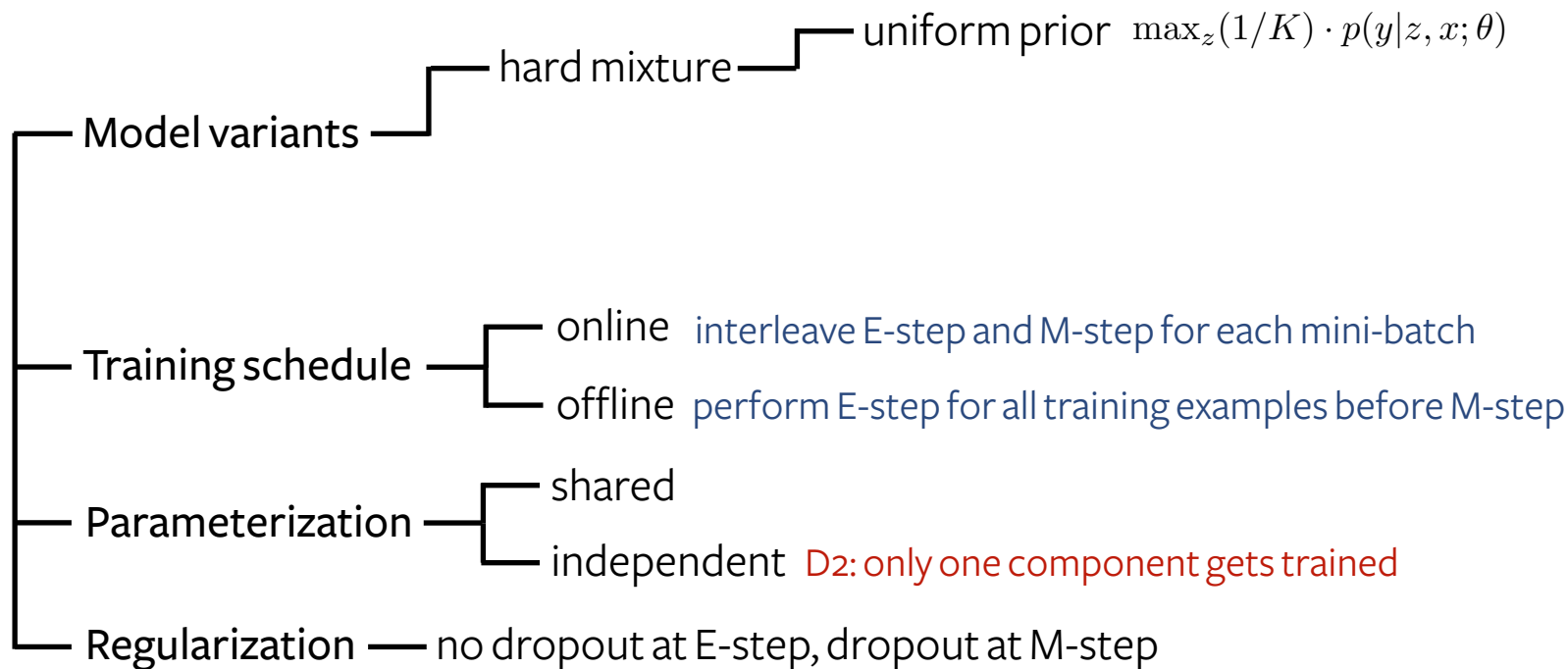
Hypotheses Fifty-eight per cent of the members who voted opposed the contract deal . $z = 1$
 Of the members who voted , 58 % opposed the deal . $z = 2$
 Fifty-eight per cent of the voting members opposed the contract deal . $z = 3$

It works! :)

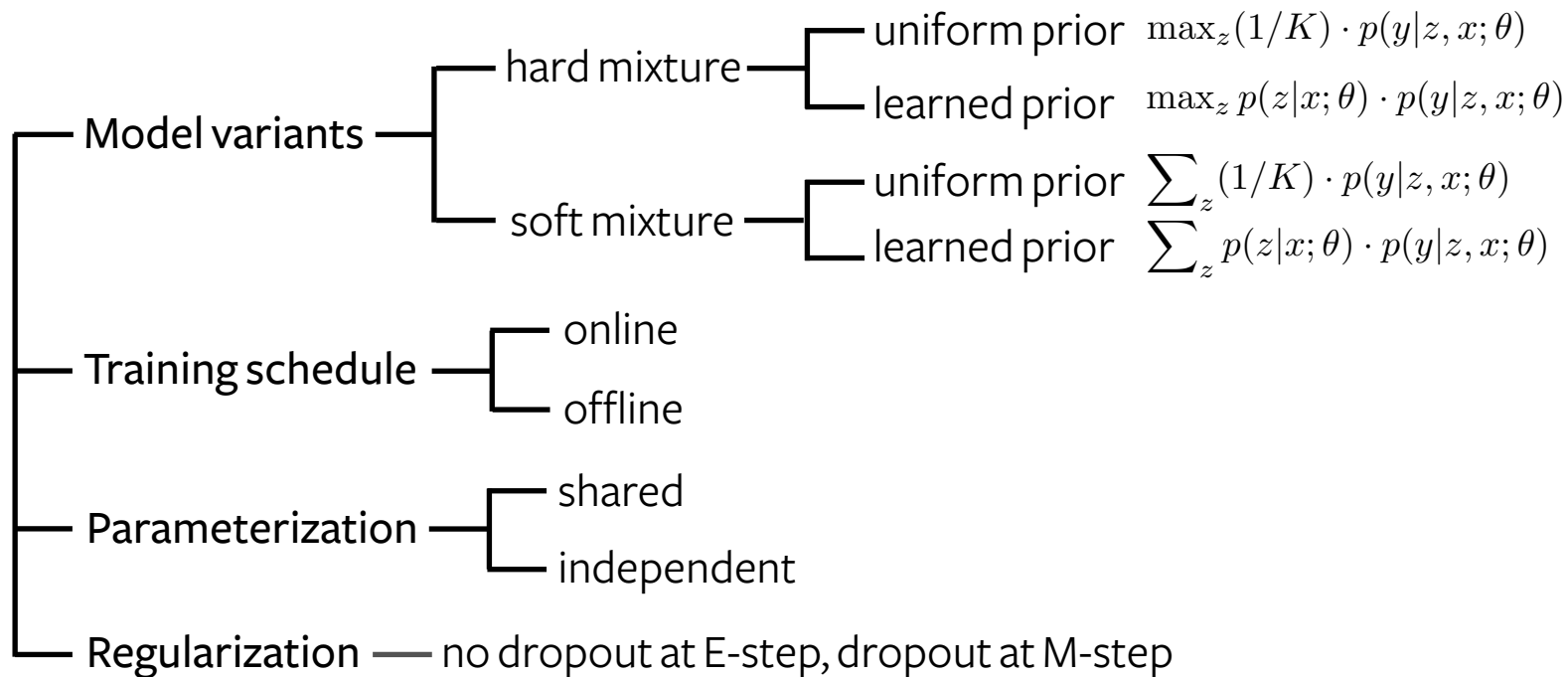
Design Space



Design Space



Design Space



Metrics

BLEU (Papineni et al., 2002): modified n-gram precision metric for sentence similarity
from 0 (no overlap) to 100 (same)

Metrics

- BLEU (quality): average BLEU of each hypothesis against the references

Source: Thanks a lot!

Hypo1: Merci!

Hypo2: Merci merci!

Hypo3: Merci beaucoup!



Ref1: Merci beaucoup!

Ref2: Merci beaucoup.

Ref3: Merci!

Metrics

- BLEU (quality): average BLEU of each hypothesis against the references
- Pairwise-BLEU (diversity): average BLEU over each pair of hypotheses

Source: Thanks a lot!

Hypo1: Merci!

Hypo2: Merci merci!

Hypo3: Merci beaucoup!



Metrics

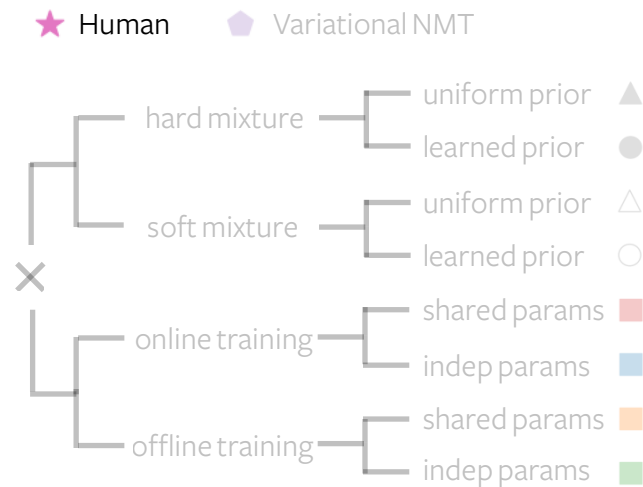
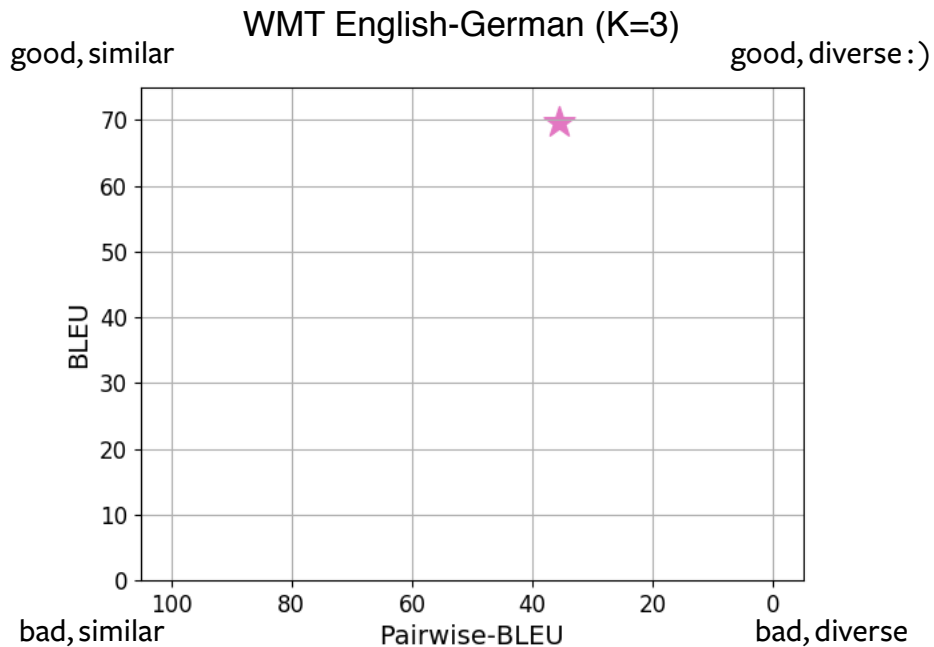
- BLEU (quality): average BLEU of each hypothesis against the references
- Pairwise-BLEU (diversity): average BLEU over each pair of hypotheses

Also compute human BLEU and Pairwise-BLEU

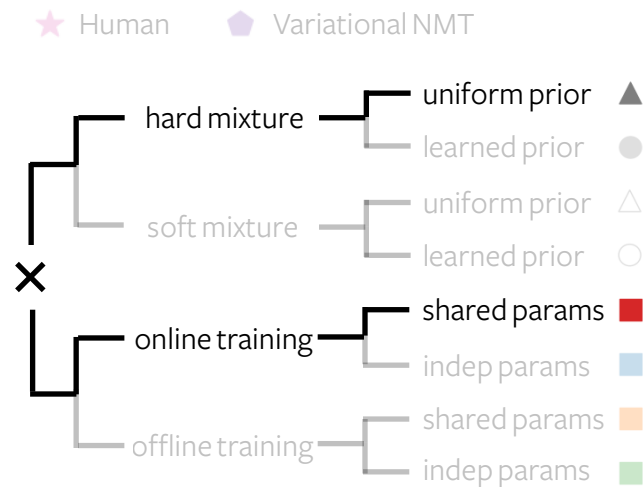
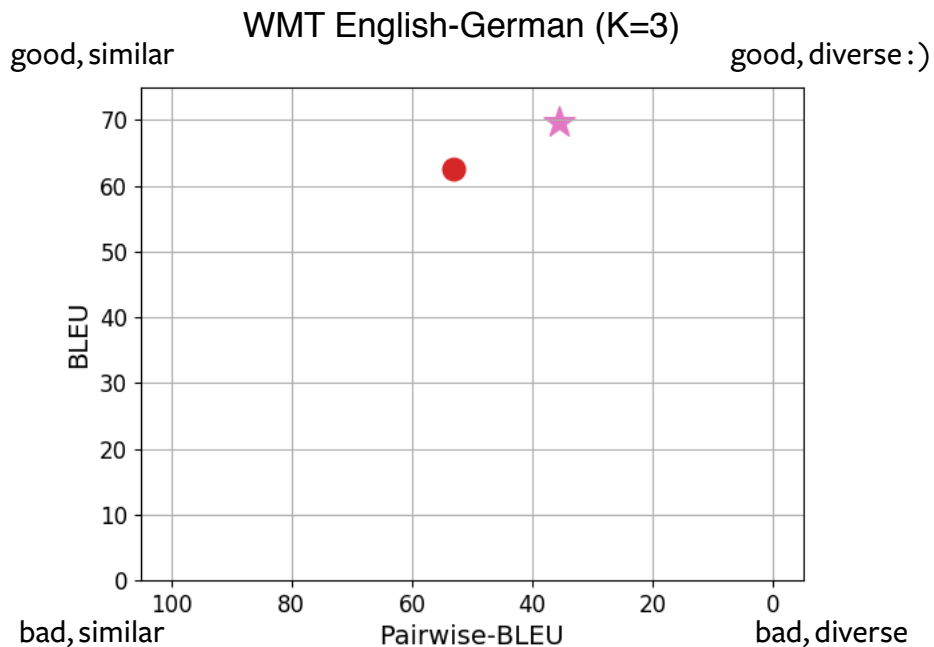
Datasets

	#train, #ref	#test, #ref
WMT'17 English-German:	4.5M, 1	500, 10
WMT'14 English-French:	36M, 1	500, 10
WMT'17 Chinese-English:	20M, 1	2001, 3

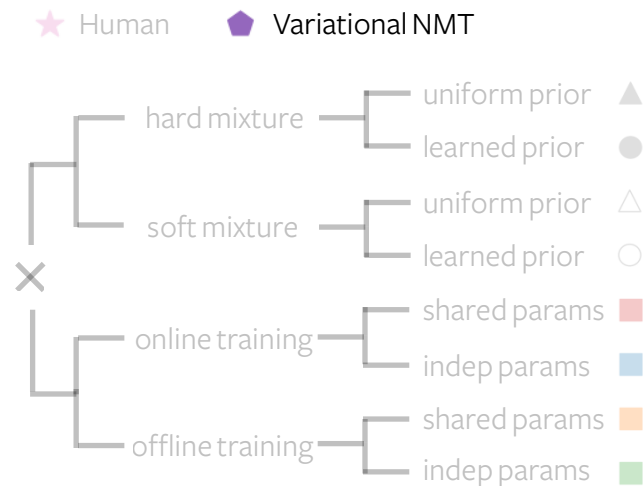
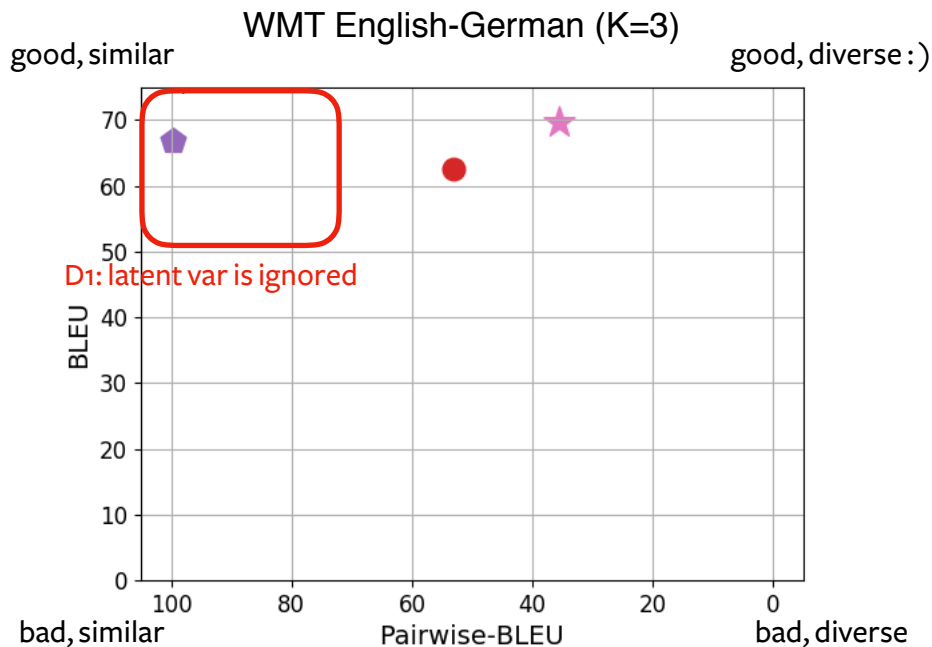
Goal: High Quality and Diversity



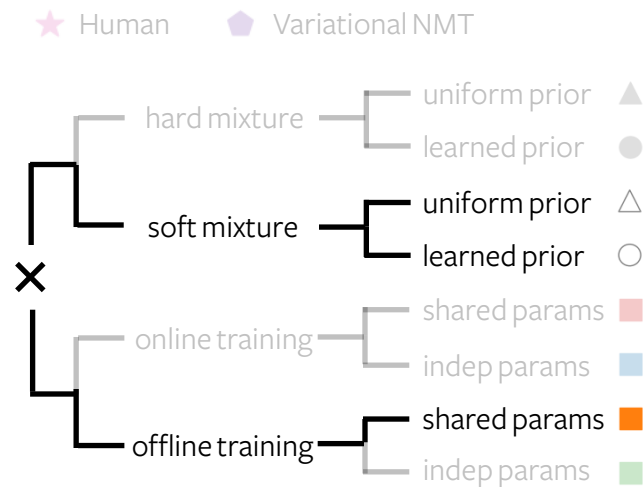
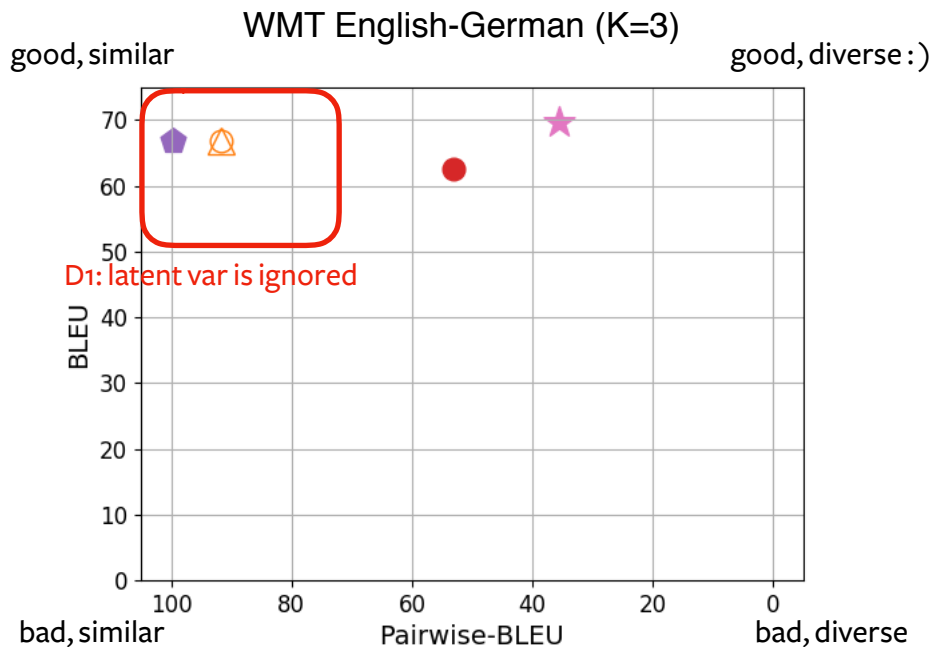
Model Exploration



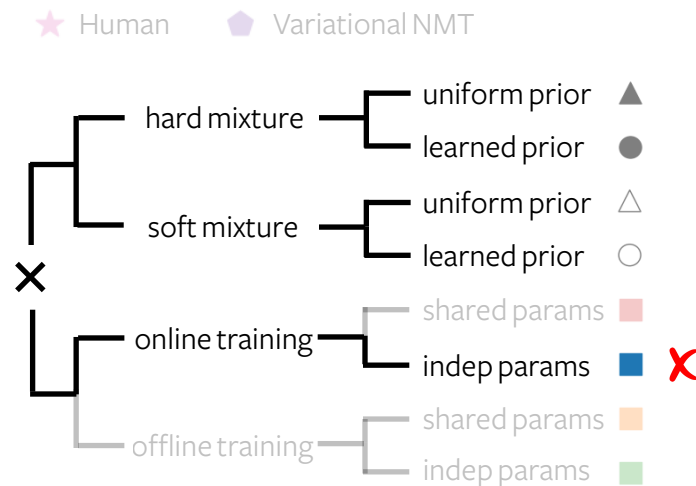
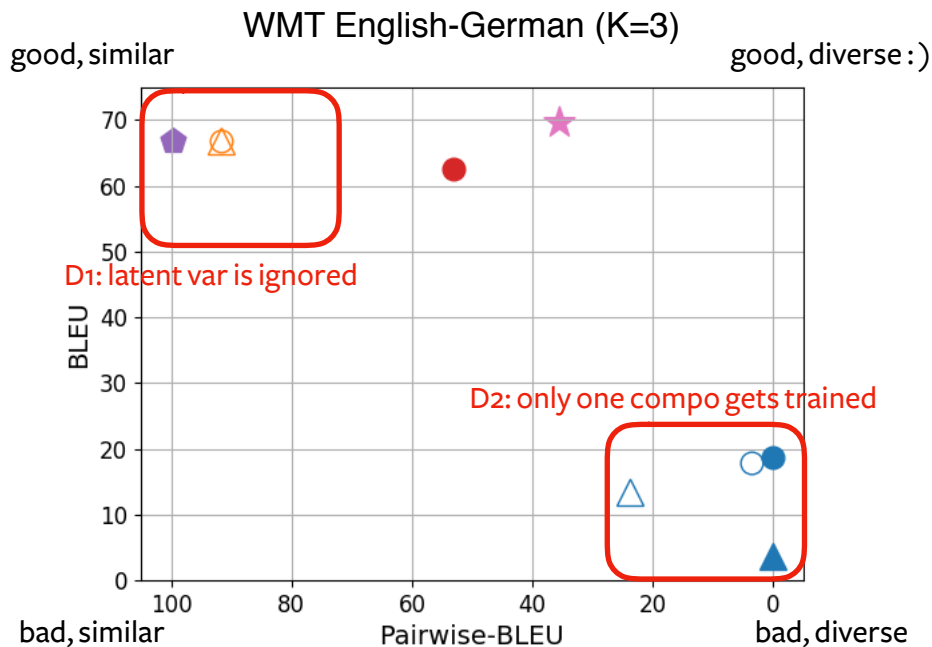
Model Exploration



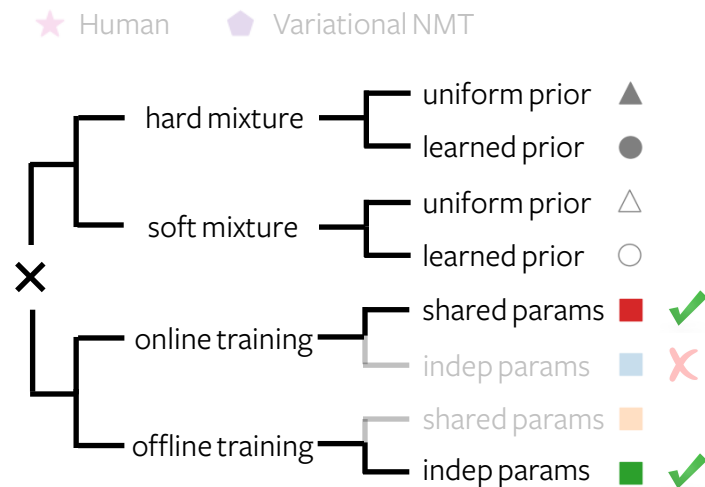
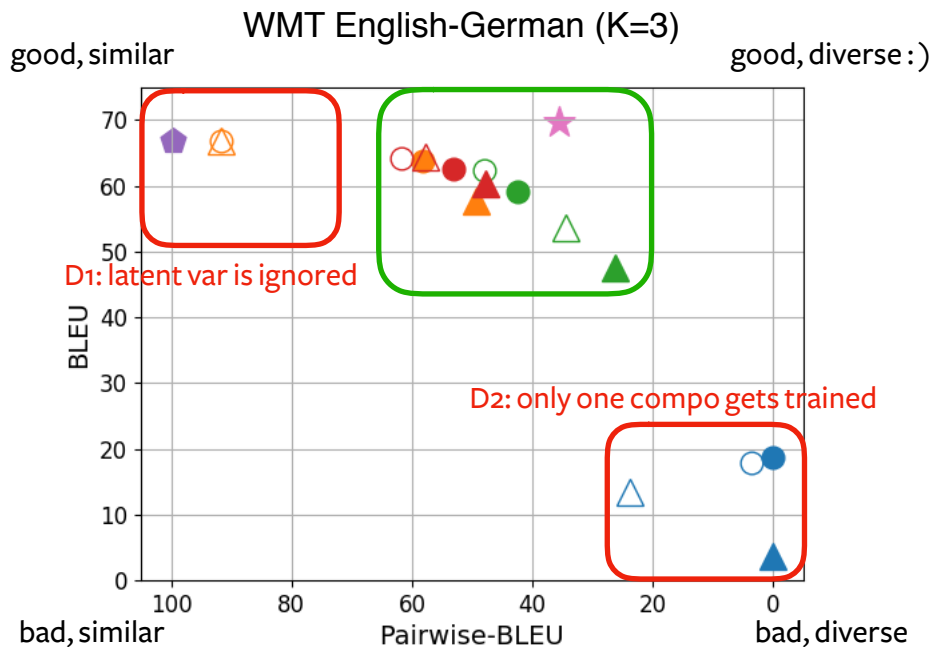
Model Exploration



Model Exploration

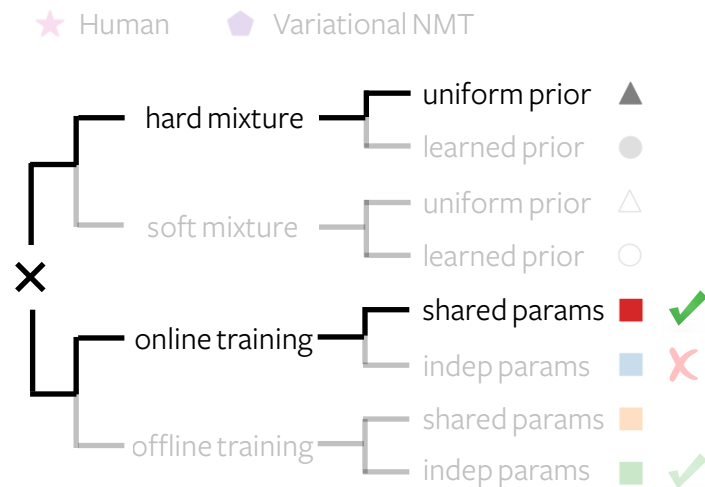
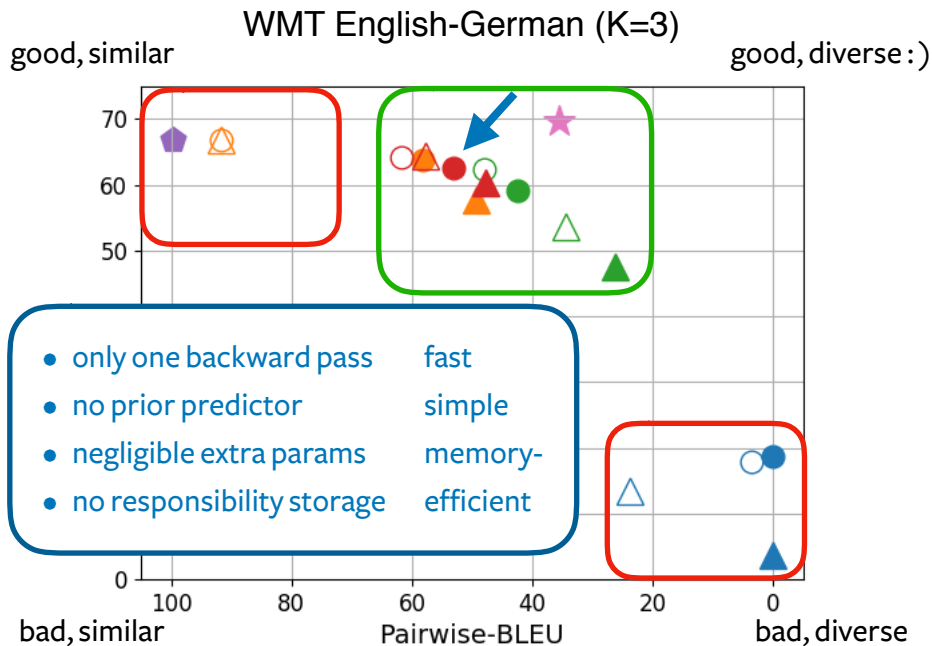


Model Exploration

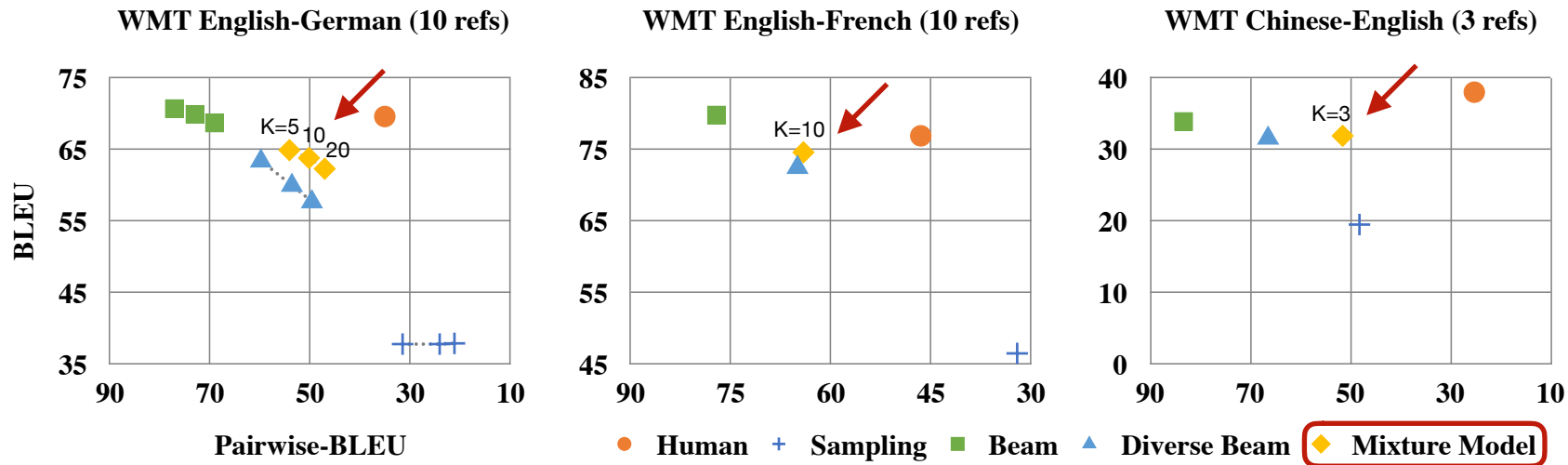


- online shared has higher quality than offline indep
- hard mixture is more diverse than soft mixture

Winning Model



Large Scale Evaluation



Latent Variable Captures Consistent Translation Styles

Source 不断的恐怖袭击显然已对他造成很大打击。

Reference Repeat terror attacks on Turkey have clearly shaken him too .

hMup The continuing terrorist attacks **had** apparently hit him hard .
He is clearly already being hit hard by the continuing terrorist attacks .
Repeated terrorist attacks **have** apparently hit him hard .

Source 他从不愿意与家人争吵。

Reference He never wanted to be in any kind of alter

hMup He never **liked** to quarrel with his family
He never wants to quarrel with his family
He never **likes** to argue with his family

frequency of was, were, had:

$$z=1's > 3 * z=3's$$

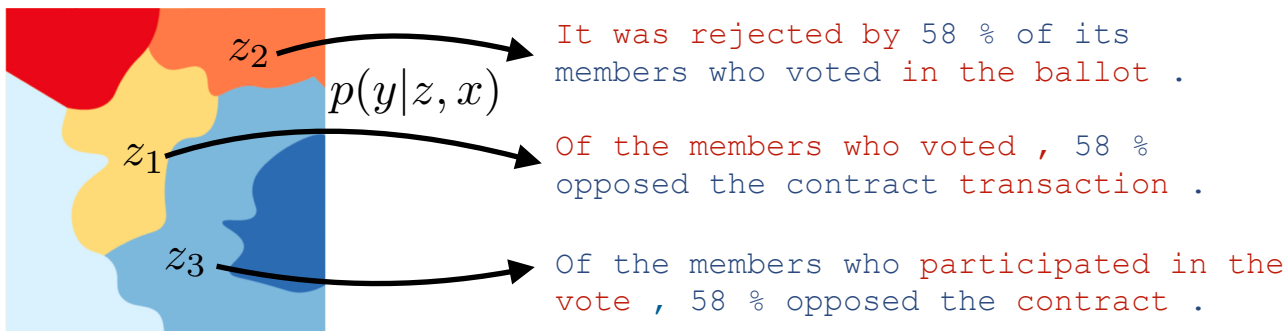
frequency of has, says:

$$z=3's > 2 * z=1's$$

this vs. that, per cent vs. % ...

Conclusions

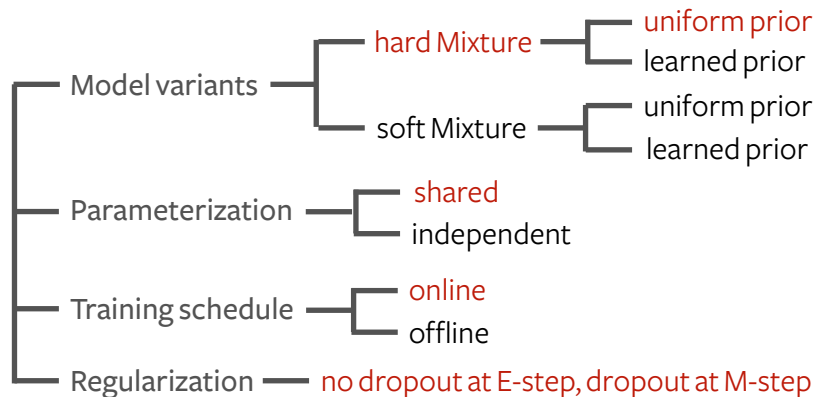
- Conditional text generation $p(y|x)$ is multi-model
- Search for multiple modes $\arg \max_{y_1, \dots, y_T} \prod_{t=1}^T p(y_t | y_{1:t-1}, x; \theta)$ is difficult
- explicitly model uncertainty with latent variables



Conclusions

Poster #106 tonight!

- Mixture models work pretty well but hardly explored for text generation
- Training is not obvious, sub-optimal design choices can lead to degeneracies



- A strong baseline for work on latent variable text modeling
- More applications to dialogue, image captioning, summarization...
- Code: <https://github.com/pytorch/fairseq>