Homework 7

Statistical Computing, STAT 3675Q

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General Instructions

- Answer the questions by inserting R code and necessary comments. Your output must contain the R code (do not use the echo=FALSE option).
- After you complete the assignment, save it under the file name LastName-FirstName-HW7.pdf
- Then submit the compiled PDF file through HuskyCT by April 12, 2019, at 11:59 PM.

Data

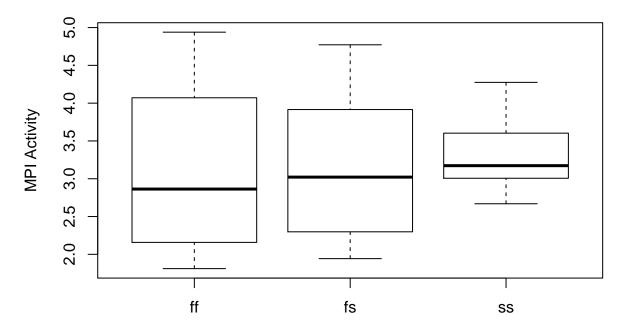
The file raw.txt contains the following variables:

- id: Each ID represents a participant
- Sex: Participant's gender
- Genotype: Three types: ff or fs or ss
- Activity: enzyme activity of mannose-6-phosphate isomerase (MPI).
- a. [2 points] Read raw.txt into R. Check the structure of your data set.

```
Data <- matrix(data=c("id", "Sex", "Genotype", "Activity",
  1, "male", "ff", 1.884,
  2, "male", "ff", 2.283,
  3, "male", "fs", 2.396,
  4, "female", "ff", 2.838,
  5, "male", "fs", 2.956,
  6, "female", "ff", 4.216,
  7, "female", "ss", 3.620,
  8, "female", "ff", 2.889,
  9, "female", "fs", 3.550,
 10, "male", "fs", 3.105,
 11, "female", "fs", 4.556,
 12, "female", "fs", 3.087,
 13, "male", "ff", 4.939,
 14, "male", "ff", 3.486,
 15, "female", "ss", 3.079,
 16, "male", "fs", 2.649,
 17, "female", "fs", 1.943,
 19, "female", "ff", 4.198,
 20, "female", "ff", 2.473,
22, "female", "ff", 2.033,
24, "female", "fs", 2.200,
 25, "female", "fs", 2.157,
 26, "male", "ss", 2.801,
28, "male", "ss", 3.421,
29, "female", "ff", 1.811,
 30, "female", "fs", 4.281,
32, "female", "fs", 4.772,
34, "female", "ss", 3.586,
 36, "female", "ff", 3.944,
 38, "female", "ss", 2.669,
```

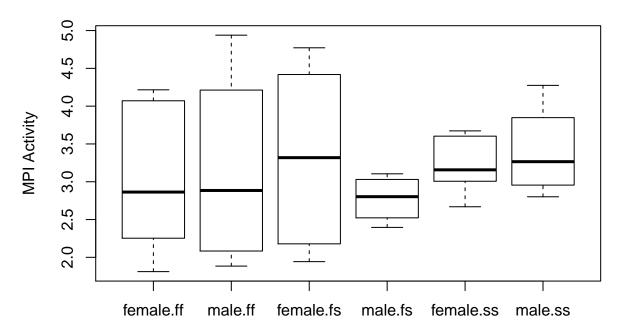
```
39, "female", "ss", 3.050,
41, "male", "ss", 4.275,
43, "female", "ss", 2.963,
46, "female", "ss", 3.236,
48, "female", "ss", 3.673,
49, "male", "ss", 3.110), byrow=T, ncol=4)
colnames(Data)<- c("id", "Sex", "Genotype", "Activity")</pre>
Data<- Data[-1,]</pre>
Data<-data.frame(Data)</pre>
Data $Activity <- as.numeric (as.character (Data $Activity), length=4)
str(Data)
## 'data.frame':
                    36 obs. of 4 variables:
            : Factor w/ 36 levels "1","10","11",..: 1 11 19 26 32 33 34 35 36 2 ...
              : Factor w/ 2 levels "female", "male": 2 2 2 1 2 1 1 1 1 2 ...
## $ Sex
## $ Genotype: Factor w/ 3 levels "ff", "fs", "ss": 1 1 2 1 2 1 3 1 2 2 ...
## $ Activity: num 1.88 2.28 2.4 2.84 2.96 ...
b. [2 points] Create a table containing the sample size for each combination of sex and genotype.
SexGeno.table<- xtabs(~Data$Sex+Data$Genotype)</pre>
addmargins(SexGeno.table)
##
           Data$Genotype
## Data$Sex ff fs ss Sum
     female 8 8 8 24
##
##
    male
            4 4 4 12
    Sum
            12 12 12 36
##
c. [4 points] Calculate the mean and standard deviation for each combination of sex and genotype.
library("doBy")
## Warning: package 'doBy' was built under R version 3.5.3
ByGroup.mean.sd<-summaryBy(Activity~Sex+Genotype,data=Data,FUN=c(mean,sd))
ByGroup.mean.sd
        Sex Genotype Activity.mean Activity.sd
##
## 1 female ff
                           3.05025 0.9599032
## 2 female
                fs
                           3.31825
                                    1.1445388
## 3 female
                SS
                           3.23450 0.3617754
              ff
fs
## 4 male
                           3.14800
                                    1.3745115
## 5
      male
                           2.77650
                                     0.3168433
      \mathtt{male}
## 6
                  SS
                           3.40175
                                     0.6348109
d. [2 points] Create side by side boxplots of MPI activity for the three types of Genotype.
boxplot(Activity~Genotype, data=Data, ylab="MPI Activity", main="MPI Activity by Genotypes")
```

MPI Activity by Genotypes



e. [2 points] Create side by side boxplots of MPI activity for all factorial combinations (interaction) of **Genotype** and **Sex**.

MPI Activity by Genotype and Sex



 ${f f.}$ [5 points] Conduct a two-way ANOVA which includes sex, genotype and their interaction as independent variables. Interpret your results.

```
twoway.aov<-aov(Activity~Sex*Genotype, data=Data)
twoway.lm<-lm(Activity~Sex*Genotype, data=Data)
summary(twoway.aov)</pre>
```

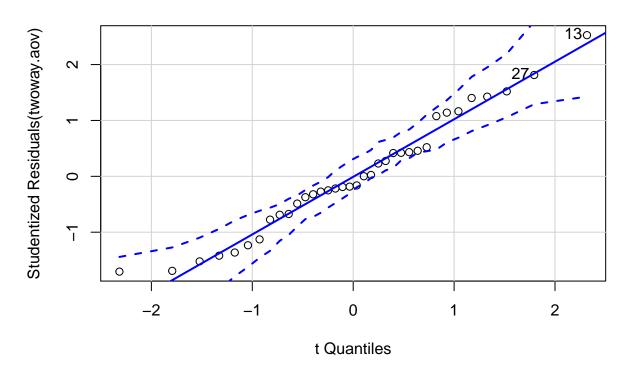
```
##
                Df Sum Sq Mean Sq F value Pr(>F)
## Sex
                   0.068 0.0681
                                    0.086
                                           0.771
## Genotype
                           0.1386
                                    0.175
                                           0.840
## Sex:Genotype
                2
                    0.815
                           0.4073
                                    0.515 0.603
## Residuals
                30 23.714
                           0.7905
```

All of the F-statistic's p-values are larger than .05 or .01, so are non significant. None of these variables are statistically significant in predicting MPI Activity.

g. [5 points] What are the assumptions necessary for the ANOVA model? Assess the assumptions using graphical methods and formal statistical tests, where possible.

```
library(car)
## Warning: package 'car' was built under R version 3.5.3
## Loading required package: carData
qqPlot(twoway.aov, main="QQ-Plot")
```

QQ-Plot

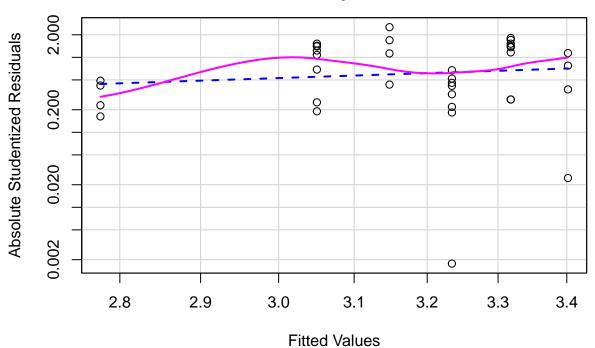


```
## [1] 13 27
shapiro.test(twoway.lm$residuals)

##
## Shapiro-Wilk normality test
##
## data: twoway.lm$residuals
## W = 0.97002, p-value = 0.426
ncvTest(twoway.lm)

## Non-constant Variance Score Test
## Variance formula: ~ fitted.values
## Chisquare = 0.4555531, Df = 1, p = 0.49971
spreadLevelPlot(twoway.aov)
```

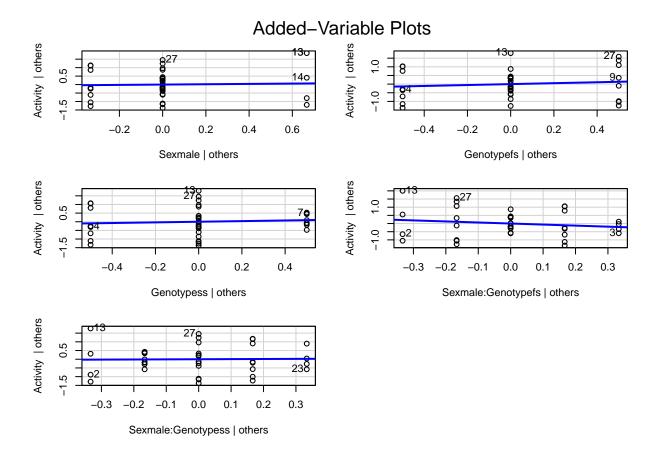
Spread-Level Plot for twoway.aov



```
##
## Suggested power transformation: -1.34063

vif(twoway.lm)

## GVIF Df GVIF^(1/(2*Df))
## Sex 3.00 1 1.732051
## Genotype 2.25 2 1.224745
## Sex:Genotype 5.25 2 1.513700
```



Assumptions: Equal variance is reasonable from the ncvTest output's high p-value, Normality is reasonable from the shapiro-wilk's high p-value, Independence is reasonable from the low VIF of Sex and Genotype, and Linearity is reasonable from the linear relationships in the avPlot output.

h. [4 points] Compare the mean MPI for all possible pairs (note that there are 6 sex-genotype combinations, so the number of pairwise comparisons is $6 \times 5/2 = 15$). Use Tukey's HSD procedure and interpret your results

TukeyHSD(twoway.aov)

```
##
     Tukey multiple comparisons of means
       95% family-wise confidence level
##
##
## Fit: aov(formula = Activity ~ Sex * Genotype, data = Data)
##
##
  $Sex
##
                    diff
                                lwr
                                           upr
                                                   p adj
##
  male-female -0.09225 -0.7342113 0.5497113 0.7711798
##
##
  $Genotype
##
               diff
                            lwr
                                      upr
                                               p adj
## fs-ff 0.05483333 -0.8399734 0.9496401 0.9875021
## ss-ff 0.20741667 -0.6873901 1.1022234 0.8362403
##
  ss-fs 0.15258333 -0.7422234 1.0473901 0.9074857
##
## $`Sex:Genotype`
##
                            diff
                                       lwr
                                                 upr
                                                         p adj
```

```
## male:ff-female:ff
                        0.09775 -1.558238 1.753738 0.9999712
## female:fs-female:ff 0.26800 -1.084108 1.620108 0.9900169
## male:fs-female:ff -0.27375 -1.929738 1.382238 0.9956835
## female:ss-female:ff 0.18425 -1.167858 1.536358 0.9982708
## male:ss-female:ff
                       0.35150 -1.304488 2.007488 0.9863961
## female:fs-male:ff
                       0.17025 -1.485738 1.826238 0.9995569
## male:fs-male:ff
                      -0.37150 -2.283670 1.540670 0.9908872
                       0.08650 -1.569488 1.742488 0.9999843
## female:ss-male:ff
## male:ss-male:ff
                        0.25375 -1.658420 2.165920 0.9984769
## male:fs-female:fs
                       -0.54175 -2.197738 1.114238 0.9159152
## female:ss-female:fs -0.08375 -1.435858 1.268358 0.9999634
## male:ss-female:fs
                        0.08350 -1.572488 1.739488 0.9999868
## female:ss-male:fs
                        0.45800 -1.197988 2.113988 0.9571582
## male:ss-male:fs
                        0.62525 -1.286920 2.537420 0.9160754
## male:ss-female:ss
                        0.16725 -1.488738 1.823238 0.9995937
```

library("gplots")

All the p-values are almost 1, suggesting there is no significant difference between any of these effects. None of the contrasts are significant.

i. [4 points] Produce an interaction plot using the function plotmeans in the gplots package. Enhance your plot (color of lines, meaningful titles, axis labels, ...).

```
## Warning: package 'gplots' was built under R version 3.5.3
##
## Attaching package: 'gplots'
## The following object is masked from 'package:stats':
##
## lowess
plotmeans(Activity~interaction(Sex,Genotype,sep=" "),data=Data, main="Interaction Plot of Sex and Genotype)
```

Interaction Plot of Sex and Genotype

