



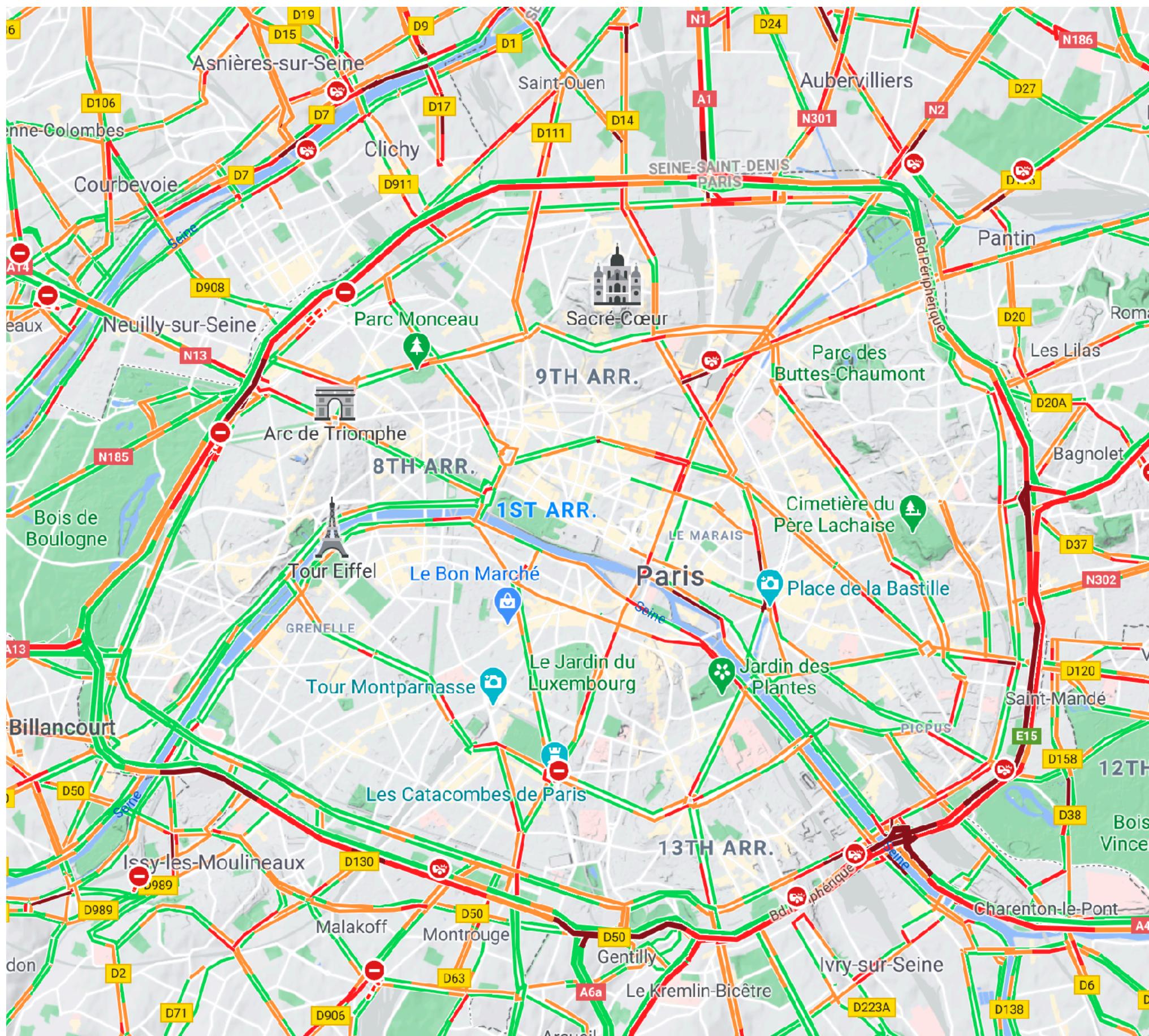
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INFORMS – 24th of October 2021

How MILP get solved

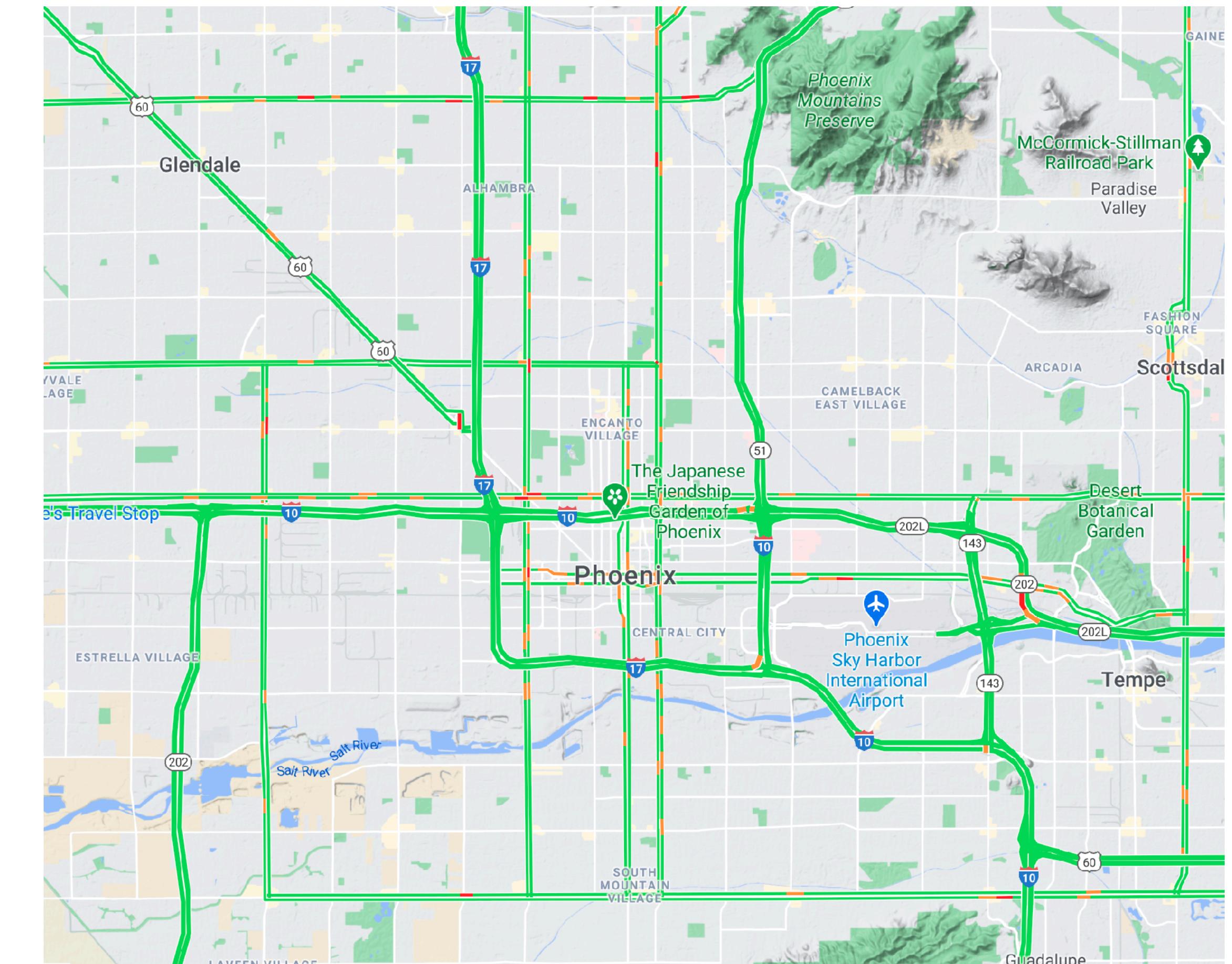
Handcrafted Heuristics

- Not focusing on all problems to beat \mathcal{NP} -hardness
- Weak form of **learning**
- Trained through researchers **trials and errors**
- On datasets such as MipLib

Problem Distribution



Paris



Phoenix

Learned Heuristics

- **Automatically** can be **specialized**
- Scale to more complex tasks (unlike rule based systems)
- Can span a large heuristic space

Bengio, Lodi, Prouvost. "Machine learning for combinatorial optimization: a methodological tour d'horizon." European Journal of Operational Research (2020).

Why Ecole?

Research Code

- Need to iterate fast
 - Not tested
 - Not optimized for speed
 - Not modular
 - Hard to install
 - Often not reproducible

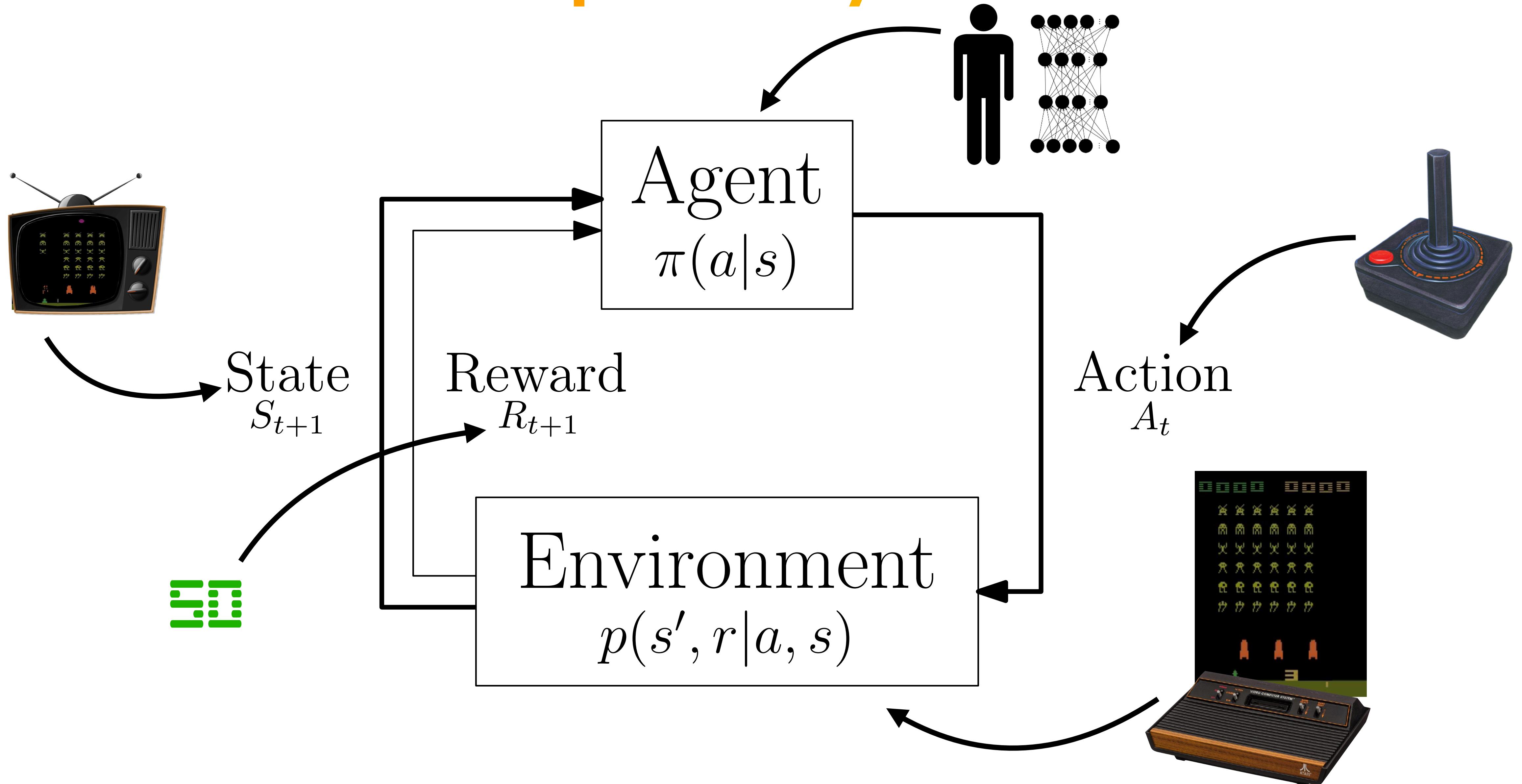
Introducing Ecole

- Intuitive API
- Python and C++
- Fast
- Well tested
- Easy to install
- Good defaults
- Extensible (through SCIP and PySCIPOpt)
- Ease comparison



Learning Environments

OpenAI Gym

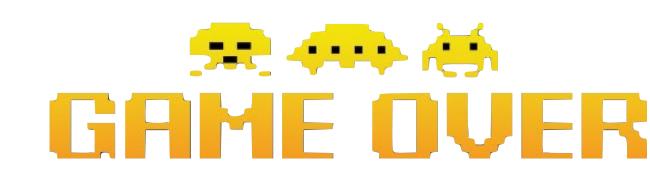
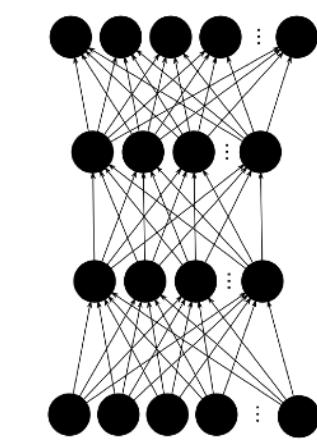


OpenAI Gym

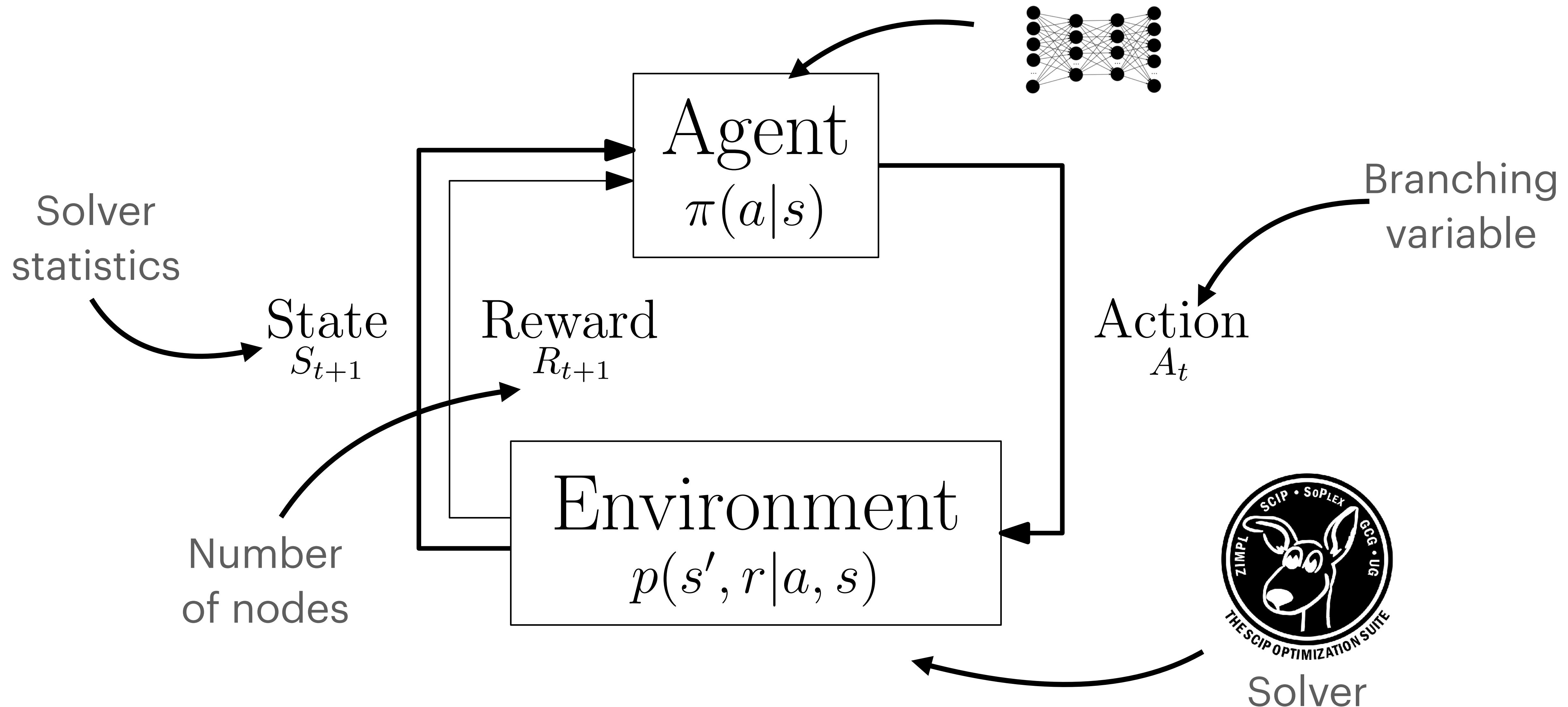
```
import gym

env = gym.make("SpaceInvaders-v0")

for episode in range(1000):
    observation, done = env.reset(), False
    while not done:
        action = policy(observation)
        observation, reward, done, info = env.step(action)
```



Branching with Ecole



Branching with Ecole

```
import ecole

env = ecole.environment.Branching()

for episode in range(1000):
    obs, action_set, reward, done = env.reset("path/to/problem")

    while not done:
        action = policy(observation, action_set)
        obs, action_set, reward, done, info = env.step(action)
```

Solver statistics

Solved multiple times

Branching candidates

Number of nodes

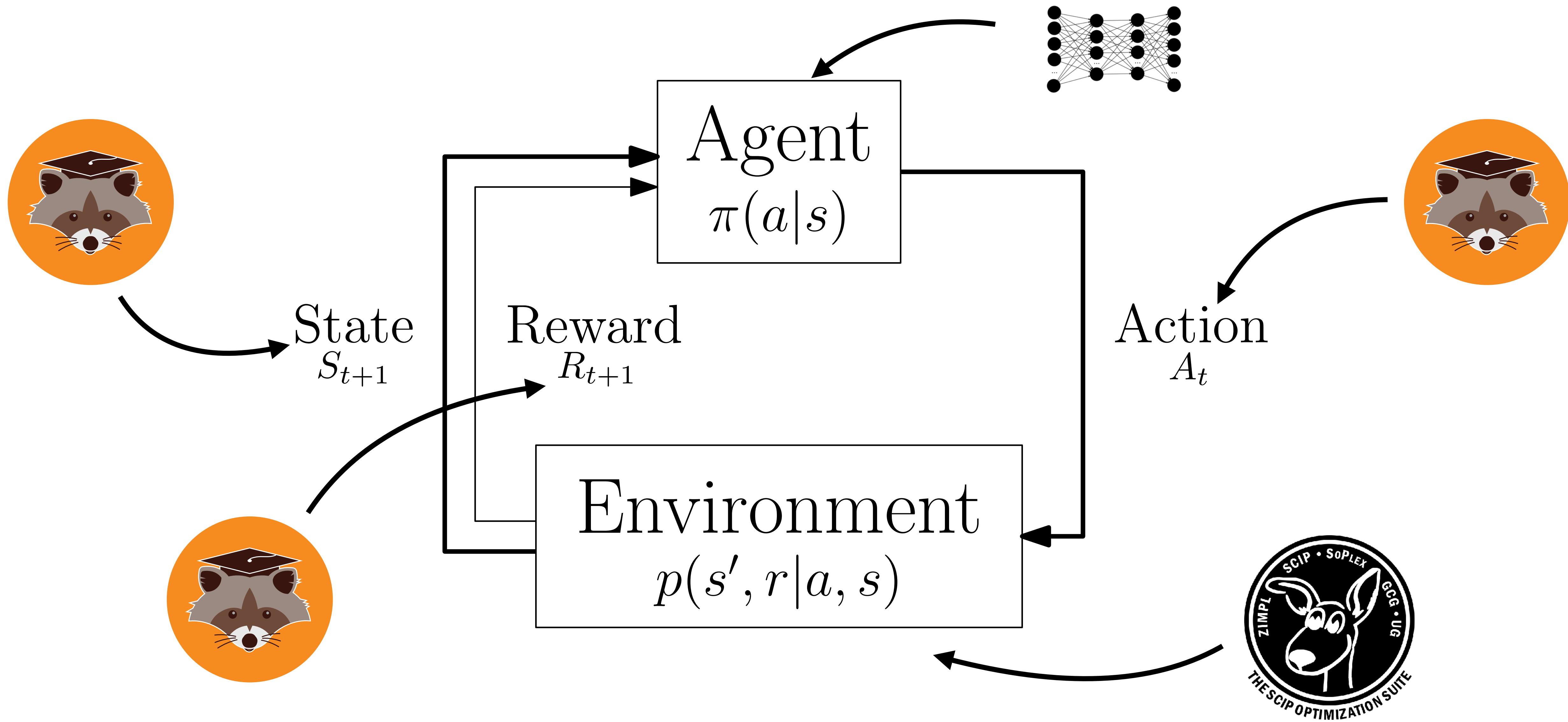
Instance solved

Branching variable



Extensibility

Highly configurable



Easily swap and define

- Rewards
 - LP Iterations
 - Number of Nodes
 - Solving Time
 - Primal / Dual Integral
- Observation (States)
 - Milp Bipartite
 - Gasse et al. "Exact combinatorial optimization with graph convolutional neural networks", 2019
 - Hutter et al. "Sequential model-based optimization for general algorithm configuration.", 2011
 - Khalil et al. "Learning to branch in mixed integer programming.", 2016
- Any additional information
- Environments
 - Branching variable selection
 - Parameter selection
 - Primal search

Composition

```
env = ecole.environment.Branching(  
    reward_function=(LpIterations()**2 - 3* NNodes()) ,  
    observation_function=NodeBipartite(),  
    scip_params={"presolving/maxrestarts": 2},  
)
```

New Reward Function

```
class NNodeInitLPIterations:

    def before_reset(self, model):
        self.last_iterations = 0.0

    def extract(self, model, done):
        new_iterations = model.as_pyscipopt().getNNodeInitLPIterations()
        diff_iterations = new_iterations - self.last_iterations
        self.last_iterations = new_iterations
        return diff_iterations
```

New Environment Dynamics

```
class SimpleBranchingDynamics(BranchingDynamics):

    def reset_dynamics(self, model):
        # Share memory with Ecole model
        pypscipopt_model = model.as_pypscipopt()

        pypscipopt_model.setPresolve(PY SCIP PARAMSETTING.OFF)
        pypscipopt_model.setSeparating(PY SCIP PARAMSETTING.OFF)

        # Let the parent class do the rest
        return super().reset_dynamics(model)

    def step_dynamics(self, model):
        ...
```

Instance Generators

```
from ecole.instance import SetCoverGenerator

generator = SetCoverGenerator(n_rows=100, n_cols=200)

for i in range(50):
    instance = next(generator)

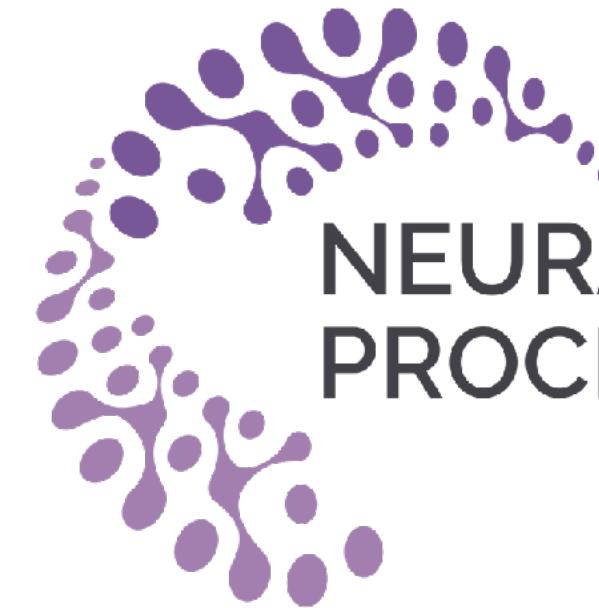
    instance.write_problem("some-folder/set-cover-{i:04}.lp")
```

- Set Cover
- Capacitated Facility Location
- Independent Set
- Combinatorial Auction

Ecole In Math

- Instance space \mathcal{I}
- State space \mathcal{S} and action space \mathcal{A}
- Instance distribution $p_{inst} : \mathcal{I} \rightarrow \mathbb{R}_{\geq 0}$
- Conditional initial state distribution $p_{init} : \mathcal{S} \times \mathcal{I} \rightarrow \mathbb{R}_{\geq 0}$
- State transition distribution $p_{trans} : \mathcal{S} \times \mathcal{A} \times \mathcal{S} \rightarrow \mathbb{R}_{\geq 0}$
- Reward function $R : \mathcal{S} \rightarrow \mathbb{R}$
- Observation space \mathcal{O} and function $O : \mathcal{S} \rightarrow \mathcal{O}$ (POMDP)
- User policy π

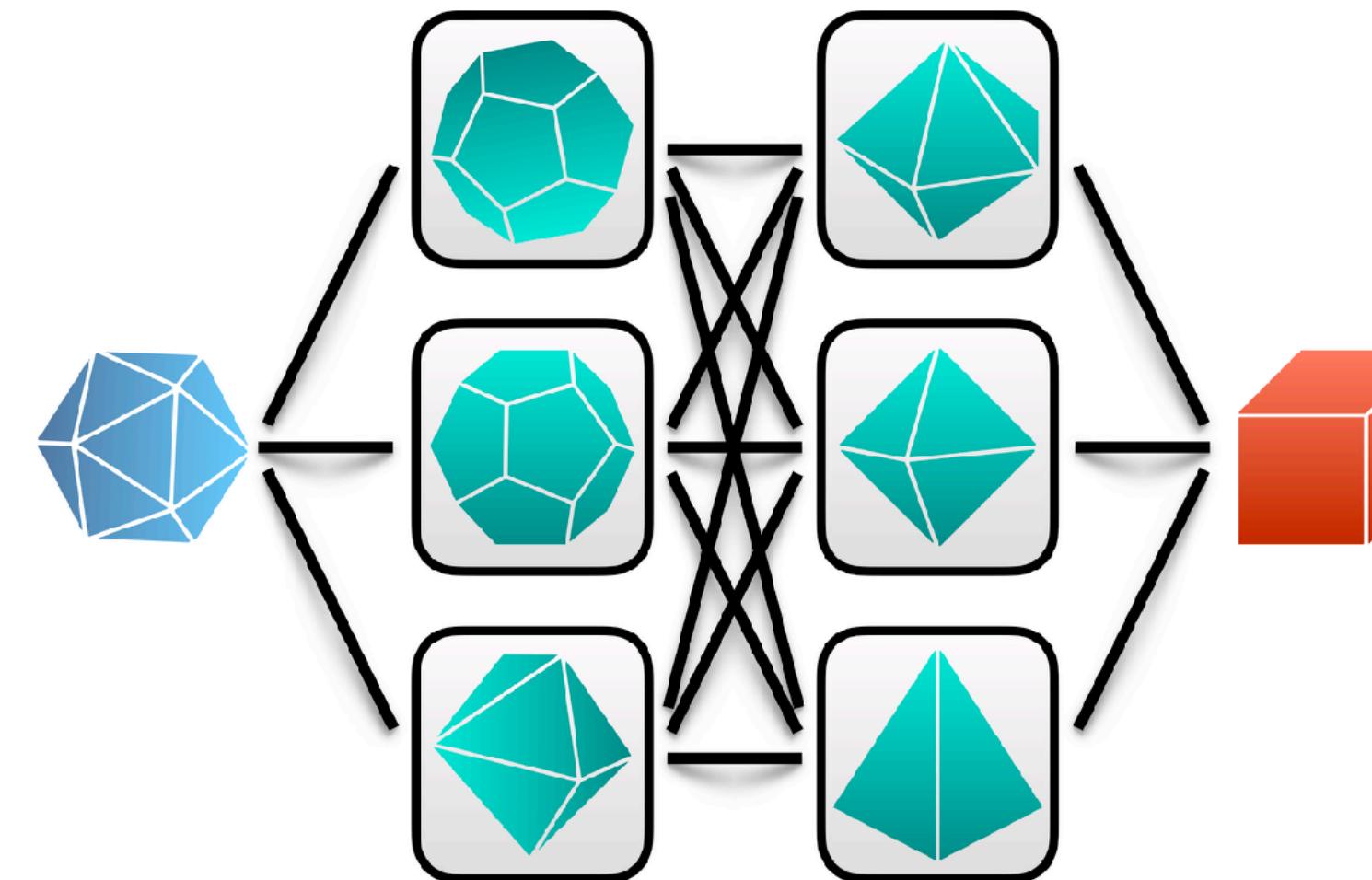
$$\tau \sim \underbrace{p_{inst}(i)}_{\text{instance distribution}} \underbrace{p_{init}(s_0 | i)}_{\text{initial state}} \prod_{t=0}^{\infty} \underbrace{\pi(a_t | O(s_t))}_{\text{next action}} \underbrace{p_{trans}(s_{t+1} | a_t, s_t)}_{\text{next state}}.$$



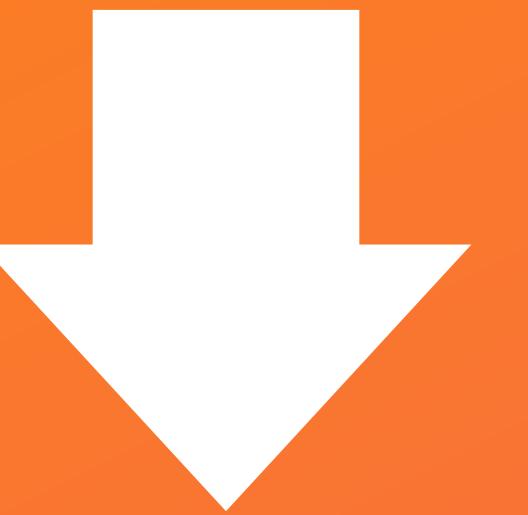
NEURAL INFORMATION
PROCESSING SYSTEMS

Machine Learning for Combinatorial Optimization

—COMPETITION 2021—



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