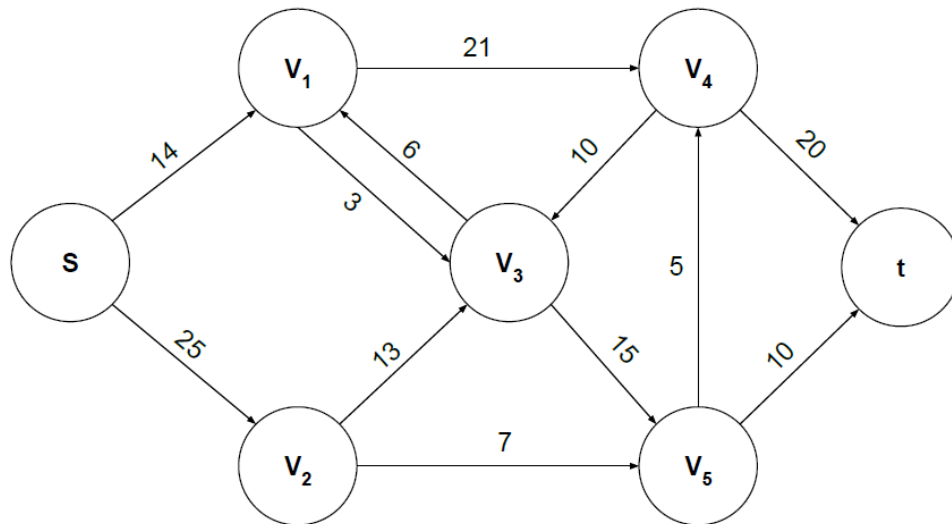


LP

# Flow capacity use case

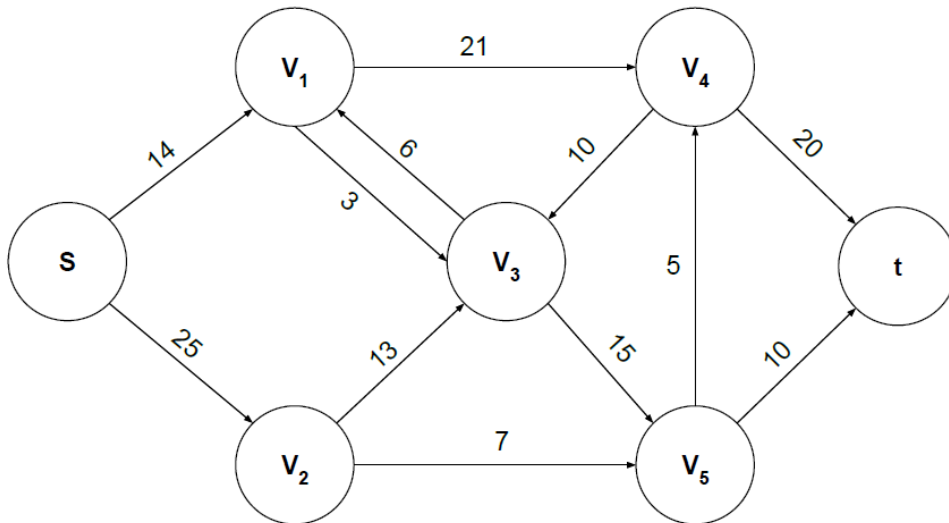
Rui Esteves

# Problem description



- We have a DAG representing a network with 8 nodes: 1 source, 1 target, 6 vertex
- On each arrow there is the max capacity for that edge
- We want to maximize the flow of the network from the source to the target

# LP



- $c_{ij}$  -> Capacity from node i to j  
Example:  $c_{1,3} = 3$
- $x_{ij}$  -> Flow from node i to j  
Example: flow from node  $v_1$  to  $v_3$   
 $0 \leq x_{1,3} \leq 3$
- Optimization goal: Max
- Two types of constraints:
  - Capacity  
 $0 \leq x_{ij} \leq c_{ij}$
  - Flow conservation  
 $\forall$  node  $n$  ( $n \neq s$  and  $n \neq t$ ):  
 $\sum(\text{flow into } n) = \sum(\text{flow out of } n)$

