

<p>Language ambiguity (has multiple precise meanings):</p> <ul style="list-style-type: none"> - word 'bring me the file'(resolve w/ POS) - syntactic 'I shot an elephant in my pjs' - semantic 'the rabbit is ready for lunch' - referential 'Pavarotti is a big opera star' - non-literal 'it's raining cats and dogs' 	<p>Deep Learning learns/abstract functions instead of rules based on maintenance of intuitive linguistic rules.</p>	<p>Lexicon – <i>morph(eme)</i>ological analysis (stem and affix e.g. 'cat'+s')</p> <p>Word segmentation (tokenization)</p> <p>Word normalization (case/acronyms/spelling)</p> <p>Lemmatization 'sing, sung, sang' → 'sing'</p> <p>Stemming (common root, above 's')</p> <p>Part-Of-Speech (tag words with noun, verb...)</p>	<p>Context-Free Grammar: <u>Derive</u> sentence structure through a <u>parse tree</u></p> <p>$S \rightarrow NP VP, NP \rightarrow Det N, VP \rightarrow V NP, VP \rightarrow V, VP \rightarrow V PP, PP \rightarrow P NP$</p> <p><u>Discourse</u>: meaning of a text (relationship between sentences) <u>Pragmatics</u>: intentions/commands</p> <p><u>Corpus</u>: a collection of documents <u>Document</u>: one item of corpus (sequence) <u>Token</u>: atomic word unit <u>Vocabulary</u>: unique tokens across corpus. One-Hot Encoding: sparse (wasted space), orthogonal vectors (every word is equidistant), cannot represent out of vocab well</p>
<p>Sigmoid (binary class): $\frac{1}{1+e^{-x}}$, ReLU: $\max(0, x)$, Tanh: $\frac{e^x - e^{-x}}{e^x + e^{-x}}$</p> <p>Softmax (k-class): $\frac{e^{-\frac{1}{k}}}{\sum_k e^{-\frac{1}{k}}}$</p> <p>MSE (regression) $\frac{1}{N} \sum_{i=1}^N (y_i - \hat{y}_i)^2$, Binary cross-entropy: $-\frac{1}{N} \sum_{i=1}^N (y^{(i)} \log(\hat{y}^{(i)}) + (1 - y^{(i)}) \log(1 - \hat{y}^{(i)}))$ Categorical cross entropy (k-class): $-\frac{1}{N} \sum_{i=1}^N \sum_{c=1}^C y_c^{(i)} \log(\hat{y}_c^{(i)})$</p>	<p>Euclidean Distance: $\sqrt{\sum_{i=1}^n (q_d - d_i)^2}$</p> <p>Cosine Similarity: $\cos(\theta) = \frac{p_1 \cdot p_2}{ p_1 \times p_2 }$</p>	<p>Analogy Recovery: offset of the vectors reflect their relationship.</p> <p>$a - b \approx c - d \iff d \approx c - a + b$</p>	<p>Window: window consists of target and context (surrounding), Window size = radius</p> <p>Continuous Bag Of Words: context → target, Skip-gram: target → context (give as one-hot, get word representation, map embedding to target words using weight matrix, apply softmax). Train with list of pairs (target, context) by sliding window over input. Loss: $p(w_{t+j} w_t) = \frac{\exp(u_{w_{t+j}} \cdot h_{w_t})}{\sum_{w' \in V} \exp(u_{w'} \cdot h_{w_t})}$, the aim: $\max \prod_t \prod_j p(w_{t+j} w_t) \rightarrow \min_{\theta} - \sum_t \sum_j \log p(w_{t+j} w_t; \theta) \rightarrow \frac{1}{T} \sum_{t=1}^T \sum_{-c \leq j \leq c, j \neq 0} \log p(w_{t+j} w_t; \theta)$ over all elems in corpus. However, the bottom term in the $p(w_{t+j} w_t)$ is inefficient to compute across the entire corpus vocabulary. Therefore, train a Negative Sampling model to predict whether a word appears in the context of another: $\log p(D = 1 w_t, w_{t+1}) + k E_{\tilde{c} \sim P_{c w_t}} [\log p(D = 0 w_t, \tilde{c})]$ where $p(D = 1 w_t, w_{t+1})$ is a binary logistic regression probability of seeing the word w_t in the context w_{t+1}. Approximate the expectation by drawing random words from vocabulary, and on left choose positive pairs. Thus the equation is replaced: $p(D = 1 w_t, w_{t+1}) = \frac{1}{1 + \exp(-u_{w_{t+1}} \cdot h_{w_t})}$. We can sample k (5-10 words) with frequency or random sampling.</p>
<p>Byte-Pair Encoding: Instead of manually specifying rules for lemmatisation or stemming, lets learn from data which character sequences occur together frequently. 1) Start with a vocabulary of all individual characters 2) Split the words in your training corpus also into individual characters + '.' at end 3) Find which two vocabulary items occur together most frequently in the training corpus 4) Add that combination as a new vocabulary item 5) Merge all occurrences of that combination in your corpus 6) Repeat until a desired number of merges has been performed. For unknown words follow above and apply replacements in order discovered.</p>	<p>Classification: $\hat{y} = \arg \max_y P(y x)$ predict which y is most likely given input x.</p> <p>In the MultiNLI corpus we are given pairs of sentences (premise, hypothesis) with classification problem (Entailment: If hypothesis is implied by premise, Contradiction: If hypothesis contradicts the premise, Neutral: otherwise).</p>	<p>Naive Bayes Classifier:</p> <p>$\hat{y} = \arg \max_y P(x_1, \dots, x_l y) P(y) = \arg \max_y P(y) \prod_{i=1}^l P(x_i y)$</p>	<p>In a Bag of Words count the number of times a token appears in the vocabulary per class. In One smoothed Naive Bayes: $P(x_i y) = \frac{\text{count}(x_i, y) + 1}{\sum_{x \in V} (\text{count}(x, y) + 1)}$ = $\frac{\text{count}(x_i, y) + 1}{(\sum_{x \in V} \text{count}(x, y) + V)}$ Binary Naive Bayes: only consider if a feature is present, rather than considering every time it occurs. Controlling for negation: pre-pend 'NOT_'.</p>
<p>Accuracy = $\frac{TP+TN}{TP+FP+TN+FN}$, $f1 = 2 \times \frac{\text{precision} \times \text{recall}}{\text{precision} + \text{recall}} = \frac{2TP}{TP+0.5(FP+FN)}$, Macro average: averaging of each class F1 scores: increases the emphasis on less frequent classes. Micro average: TPs, TNs, FNs. FPs are summed across each class e.g. $\frac{\sum_i TP_i}{\sum_i TP_i + \frac{1}{2}(\sum_i FP_i + \sum_i FN_i)} = \text{Accuracy}$</p>	<p>Language Models: Assign probabilities to sequence of words, like predicting the next word in a sentence. Uni-directional: use information from left to generate predictions about words on the right. Bi-directional: use information from both sides to fill the target.</p> <p>N-gram: need because language is flexible, and a natural extension of a sentence may no appear in corpus.</p> <p>$P(w_n w_1^{n-1}) \approx P(w_n w_{n-N+1}^{n-1}) = \frac{C(w_{n-N+1}^{n-1} w_n)}{C(w_{n-N+1}^{n-1})}$. If certain words absent the probability is 0.</p>	<p>Change this with add-one smoothing:</p> <p>$P_{add-1}(w_n w_{n-1}) = \frac{C(w_{n-1} w_n) + 1}{C(w_{n-1}) + V}$ however, this influences the less frequent words (not more). Therefore, implement backoff smoothing.</p> <p>Interpolation:</p> <p>$P_{interp}(w_i w_{i-2} w_{i-1}) = \lambda_1 P(w_i w_{i-2} w_{i-1})$</p>	<p>Discriminative algorithms directly learn $P(Y X)$ without considering likelihood. Generative: consider likelihood</p> <p>Logistic Regression: apply sigmoid/softmax with $s = w \cdot x + b$ with loss $H(P, Q) = - \sum_i P(y_i) \log Q(y_i)$.</p>
<p>$S(w_i w_{i-2} w_{i-1}) = \begin{cases} \frac{C(w_{i-2} w_{i-1} w_i)}{C(w_{i-2} w_{i-1})}, & \text{if } C(w_{i-2} w_{i-1} w_i) > 0 \\ 0.4 \cdot S(w_i w_{i-1}), & \text{otherwise} \end{cases}$</p> <p>$S(w_i w_{i-1}) = \begin{cases} \frac{C(w_{i-1} w_i)}{C(w_{i-1})}, & \text{if } C(w_{i-1} w_i) > 0 \\ 0.4 \cdot S(w_i), & \text{otherwise} \end{cases}$</p> <p>$s(w_i) = \frac{C(w_i)}{N}$</p>	<p>$+ \lambda_2 P(w_i w_{i-1}) + \lambda_3 P(w_i)$, where $\lambda_1 + \lambda_2 + \lambda_3 = 1$ to combine evidence from multiple n-grams.</p> <p>To make a prediction $P(w_1, \dots, w_n) = \prod_{k=1}^n P(w_k w_1^{k-1})$ we switch into log space $\log P[\cdot] = \sum_{k=1}^n \log(P(w_k w_1^{k-1}))$ however the longer the sentence the lower its likelihood. Switch to Perplexity: where n is the number of words: $PPL(w) = \sqrt[n]{\frac{1}{\prod_{k=1}^n P(w_k w_1^{k-1})}}$ the higher the conditional probability of the word sequence, the lower the perplexity. Thus, minimizing perplexity is equivalent to maximizing the test set probability according to the language model. It is a measure of surprise in an LM when seeing new text. For a single word, the score is 1.</p> <p>If the goal of the language model is to support with another task, the best choice of language model is the one that improves downstream task performance the most (extrinsic evaluation). Perplexity is less useful in this case (intrinsic evaluation).</p> <p>Cross Entropy Loss: The cross-entropy is useful when we don't know the actual probability distribution p that generated some data. $H(T, q) = - \sum_{i=1}^N \frac{1}{N} \ln q(x_i)$. To convert to perplexity take the base of the logarithm and perform $PPL(M) = base^H$.</p>	<p>RNN: $h_{t+1} = f(h_t, x_t) = \tanh(W h_t + U x_t)$, $W \in \mathbb{R}^{H \times H}$, $U \in \mathbb{R}^{H \times E}$ The model is less able to learn from earlier inputs, better for long ranged CNN: CNNs can perform well if the task involves key phrase recognition</p>	<p>Feed-Forward LM (FFLM): get word embeddings for words and concat them together embedding: $V \times E$, concat: $c_k \in \mathbb{R}^{C \times E}$ with a output layer $CE \times V$ then softmax.</p> <p>RNN: $h_{t+1} = f(h_t, x_t) = \tanh(W h_t + U x_t)$, $y_t = W_{hy} h_t + B_y$. Teacher Forcing: if there is an incorrect label we force it to use the actual expected label. Bidirectional RNN: When comparing the number of parameters in this vs a single directional rnn, it doubles. The output layer also doubles (because we are given a matrix $H \times O$ twice from each direction making the output layer have dimension $H \times H \times O$). This extends to multi-layered RNNs.</p>
			<p>LSTM:</p> <p>f_t: forget gate = $\sigma(W_{ff} x_t + W_{hf} h_{t-1} + b_f)$</p> <p>$c_t$: input gate = $\sigma(W_{ic} x_t + W_{hc} h_{t-1} + b_c)$</p> <p>$o_t$: output gate = $\sigma(W_{io} x_t + W_{ho} h_{t-1} + b_o)$</p> <p>$g_t$: candidate cell = $\tanh(W_{ig} x_t + W_{hg} h_{t-1} + b_g)$</p> <p>$c_t$: memory cell state = $f_t \odot c_{t-1} + i_c \odot g_t$</p> <p>$h_t$: hidden state = $o_t \odot \tanh(c_t)$</p> <p>then, h_t: output of cell = $\phi_g(W_g h_y + b_y)$ simply.</p> <p>Struggles learn long-term deps. Less vanishing gradient because additive formulas means we don't have repeated multiplication. The forget gate controls when to preserve gradients or not. $W_{ii} = (H \times E)$ and $W_{hi} = (H \times H)$ since we go from embeddings to hidden representation.</p>
			<p>Gated Recurrent Unit:</p> <p>r_t: switch gate = $\sigma(W_{ir} x_t + W_{hr} h_{t-1} + b_r)$</p> <p>$z_t$: reset gate = $\sigma(W_{iz} x_t + W_{hz} h_{t-1} + b_z)$</p> <p>$g_t$: candidate state = $\tanh(W_{ig} x_t + r_t * (W_{hg} h_{t-1} + b_g))$</p> <p>$h_t$: hidden state = $(1 - z_t) * g_t + z_t * h_{t-1}$</p> <p>no longer has input/output gate but maintains forgetting mechanism. GRU more efficient computing & less over-fitting but LSTM good default choice.</p>