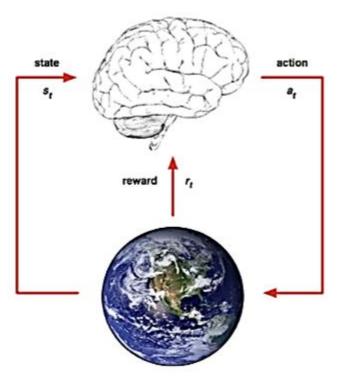
Нейросетевые методы в задачах обучения с подкреплением

Михаил Бурцев, к.ф.-м.н., лаб. "Нейронных систем и глубокого обучения", МФТИ

ОБУЧЕНИЕ С ПОДКРЕПЛЕНИЕМ

ПОСТАНОВКА ЗАДАЧИ



- На каждом шаге t агент:
 - получает состояние s_t
 - получает скалярное значение награды r_t
 - lacktriangle выполняет действие a_t
- Среда:
 - lacktriangle получает действие a_t
 - lacktriangle генерирует состояние s_t
 - генерирует скалярное значение награды r_t

ОСНОВНЫЕ ПОНЯТИЯ

• Стратегия π определяет выбор действия a для данного состояния среды s:

$$a=\pi(s)$$

• Функция полезности $Q^{\pi}(s,a)$ - полная ожидаемая награда при выборе действия a в состоянии s при использовании политики π :

$$Q^{\pi}(s, a) = \mathbb{E}[r_{t+1} + \gamma r_{t+2} + \gamma^2 r_{t+2} + \dots | s, a]$$

"Насколько хорошо действие a в состоянии s?"

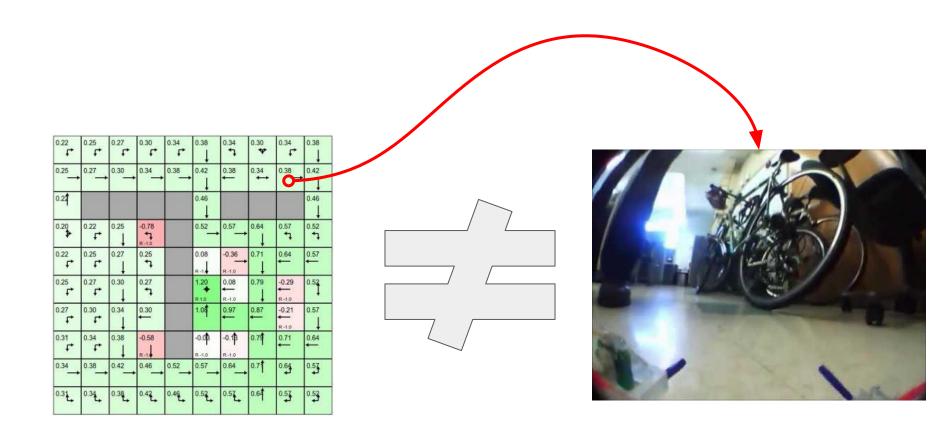
ВЫЧИСЛЕНИЕ ПОЛЕЗНОСТИ

Решается итеративным расчетом функции полезности:

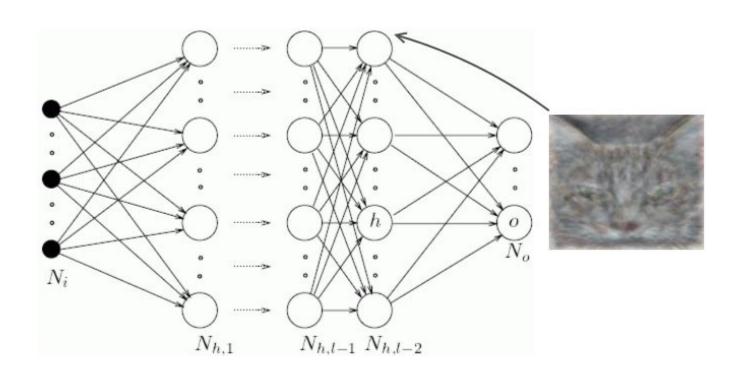
$$Q_{t+1}(s_t, a_t) = \underbrace{Q_t(s_t, a_t)}_{ ext{old value}} + \underbrace{\alpha_t(s_t, a_t)}_{ ext{learning rate}} \cdot$$

$$\left(\underbrace{\frac{\text{learned value}}{R_{t+1} + \underbrace{\gamma}} \underbrace{\max_{a} Q_t(s_{t+1}, a)}_{\text{discount factor}} - \underbrace{Q_t(s_t, a_t)}_{\text{old value}} \right)$$

ПРОБЛЕМА "ПРОКЛЯТЬЯ РАЗМЕРНОСТИ"



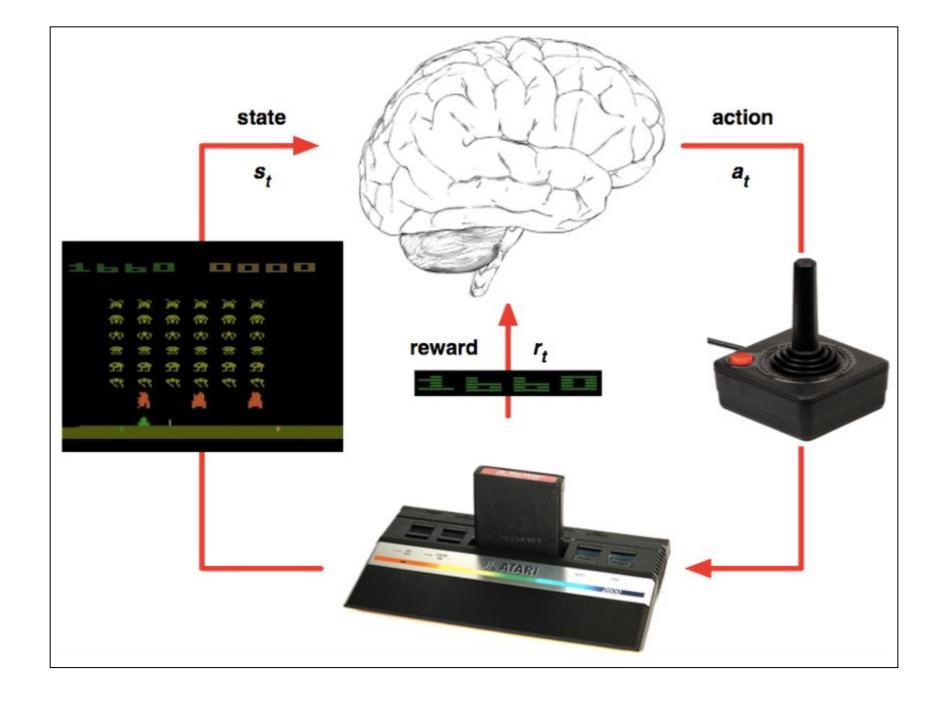
НЕЙРОСЕТЬ, КАК УНИВЕРСАЛЬНЫЙ АППРОКСИМАТОР



ИГРА - МОДЕЛЬ РЕАЛЬНОСТИ







Playing Atari with Deep Reinforcement Learning

Volodymyr Mnih Koray Kavukcuoglu David Silver Alex Graves Ioannis Antonoglou

Daan Wierstra Martin Riedmiller

DeepMind Technologies

{vlad, koray, david, alex.graves, ioannis, daan, martin.riedmiller} @ deepmind.com

Abstract

We present the first deep learning model to successfully learn control policies directly from high-dimensional sensory input using reinforcement learning. The model is a convolutional neural network, trained with a variant of Q-learning, whose input is raw pixels and whose output is a value function estimating future rewards. We apply our method to seven Atari 2600 games from the Arcade Learning Environment, with no adjustment of the architecture or learning algorithm. We find that it outperforms all previous approaches on six of the games and surpasses a human expert on three of them.

ГЛУБОКОЕ Q-ОБУЧЕНИЕ

• Представим функцию полезности глубокой Q-сетью (Q-network) с весами w:

$$Q(s,a,w)pprox Q^\pi(s,a)$$

 Определим целевую функцию как среднеквадратичную ошибку в значениях Q

$$\mathcal{L}(w) = \mathbb{E}[(r + \gamma \max_{a'} Q(s', a', w) - Q(s, q, w))^2]$$

ПРОИГРЫВАНИЕ ОПЫТА

Для избавления от корреляций строим набор данных на основе собственного опыта агента

- ullet Совершить действие a_t согласно ϵ -жадной стратегии
- ullet Сохранить переход $(s_t,a_t,r_{t+1},s_{t+1})$ в памяти для опыта $\mathcal D$
- ullet Выбрать случайную мини-выборку переходов (s,a,r,s')из ${\mathcal D}$
- Уменьшаем СКО между Q-сетью и целевыми Q-значениями, как например

$$\mathcal{L} = \mathbb{E}_{s,a,r,s' \sim \mathbb{D}}[(r + \gamma \max_{a'} Q(s',a',w) - Q(s,a,w))^2]$$

ПРОБЛЕМА

что-то не сходится...

ЗАМОРОЗКА Q-СЕТИ

Для избавления от осцилляций фиксируем параметры в целевой Q-сети

• Вычисляем новые значения целевой Q-сети относительно фиксированных w^-

$$r + \gamma \max_{a'} Q(s', a', extbf{w}^-)$$

 Уменьшаем СКО между Q-сетью и целевыми Q-значениями

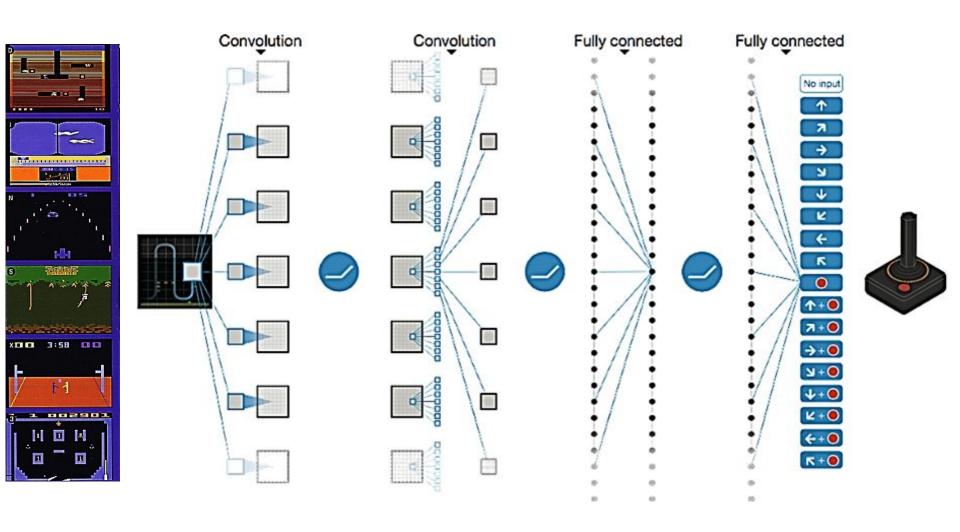
$$\mathcal{L} = \mathbb{E}_{s,a,r,s'\sim \mathbb{D}}[(r + \gamma \max_{a'} Q(s',a', extbf{w}^-) - Q(s,a, extbf{w}))^2]$$

• Время от времени обновляем зафиксированные параметры $w^- \leftarrow w$

ОГРАНИЧЕНИЕ АМПЛИТУДЫ НАГРАДЫ

- DQN ограничивает значения награды интервалом [-1,+1]
- Значения Q ограничены
- Обеспеспечивает хорошую обусловленность градиентов
- Не позволяет различить малые и большие значения награды

АРХИТЕКТУРА ГЛУБОКОЙ СЕТИ



```
Algorithm 1: deep Q-learning with experience replay.
Initialize replay memory D to capacity N
Initialize action-value function Q with random weights \theta
Initialize target action-value function \hat{Q} with weights \theta^- = \theta
For episode = 1, M do
   Initialize sequence s_1 = \{x_1\} and preprocessed sequence \phi_1 = \phi(s_1)
   For t = 1,T do
        With probability \varepsilon select a random action a_t
        otherwise select a_t = \operatorname{argmax}_a Q(\phi(s_t), a; \theta)
        Execute action a_t in emulator and observe reward r_t and image x_{t+1}
        Set s_{t+1} = s_t, a_t, x_{t+1} and preprocess \phi_{t+1} = \phi(s_{t+1})
        Store transition (\phi_t, a_t, r_t, \phi_{t+1}) in D
       Sample random minibatch of transitions (\phi_j, a_j, r_j, \phi_{j+1}) from D
       \operatorname{Set} y_{j} = \begin{cases} r_{j} & \text{if episode terminates at step } j+1 \\ r_{j} + \gamma \max_{a'} \hat{Q}(\phi_{j+1}, a'; \theta^{-}) & \text{otherwise} \end{cases}
       Perform a gradient descent step on (y_j - Q(\phi_j, a_j; \theta))^2 with respect to the
       network parameters \theta
        Every C steps reset \hat{Q} = Q
   End For
End For
```

	B. Rider	Breakout	Enduro	Pong	Q*bert	Seaquest	S. Invaders
Random	354	1.2	0	-20.4	157	110	179
Sarsa [3]	996	5.2	129	-19	614	665	271
Contingency [4]	1743	6	159	-17	960	723	268
DQN	4092	168	470	20	1952	1705	581
Human	7456	31	368	-3	18900	28010	3690
HNeat Best [8]	3616	52	106	19	1800	920	1720
HNeat Pixel [8]	1332	4	91	-16	1325	800	1145
DQN Best	5184	225	661	21	4500	1740	1075

Table 1: The upper table compares average total reward for various learning methods by running an ϵ -greedy policy with $\epsilon = 0.05$ for a fixed number of steps. The lower table reports results of the single best performing episode for HNeat and DQN. HNeat produces deterministic policies that always get the same score while DQN used an ϵ -greedy policy with $\epsilon = 0.05$.

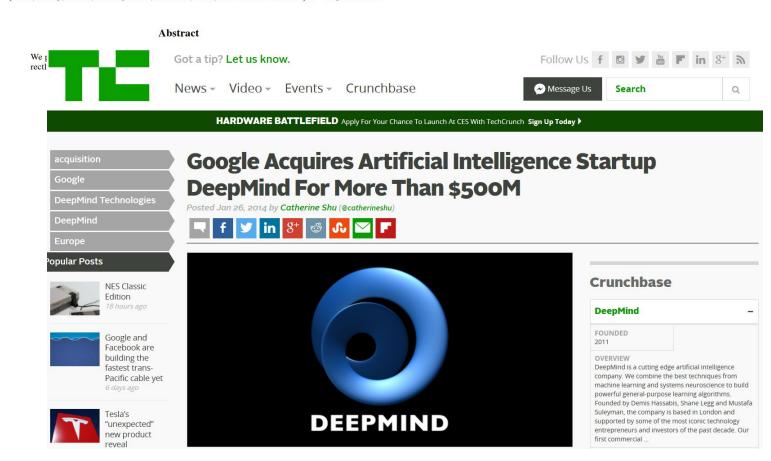
Playing Atari with Deep Reinforcement Learning

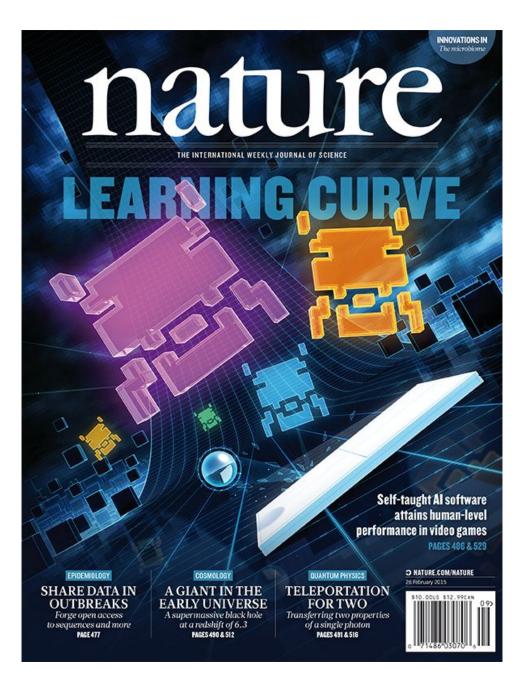
Volodymyr Mnih Koray Kavukcuoglu David Silver Alex Graves Ioannis Antonoglou

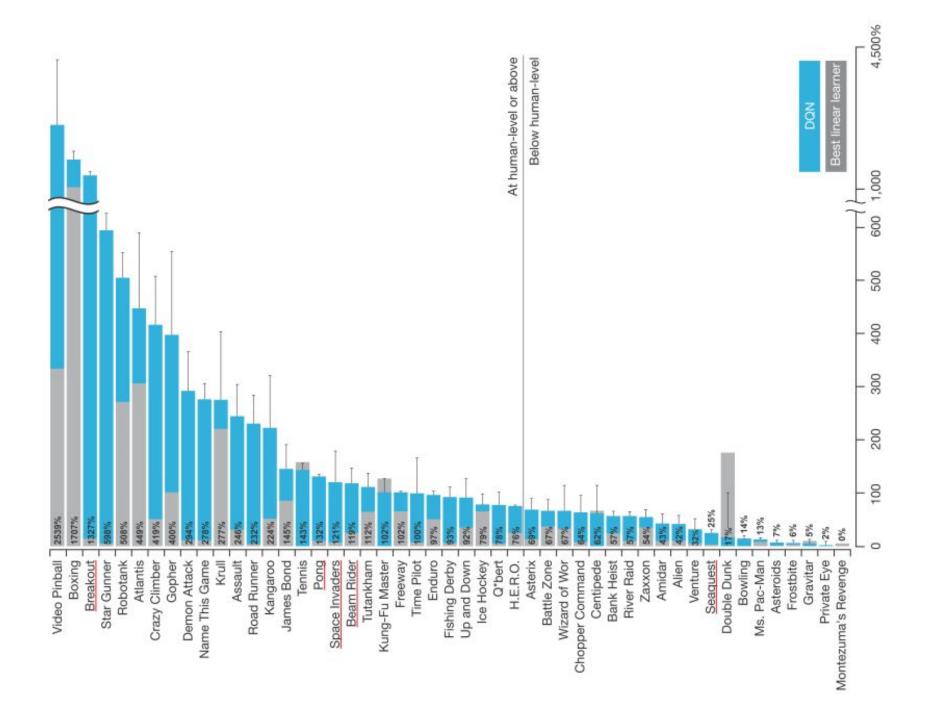
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SEAQUEST





Proceedings of the Thirtieth AAAI Conference on Artificial Intelligence (AAAI-16)

Deep Reinforcement Learning with Double Q-Learning

Hado van Hasselt, Arthur Guez, and David Silver Google DeepMind

$$\boldsymbol{\theta}_{t+1} = \boldsymbol{\theta}_t + \alpha (Y_t^{\mathbf{Q}} - Q(S_t, A_t; \boldsymbol{\theta}_t)) \nabla_{\boldsymbol{\theta}_t} Q(S_t, A_t; \boldsymbol{\theta}_t).$$



$$Y_t^{\mathbf{Q}} \equiv R_{t+1} + \gamma \max_{a} Q(S_{t+1}, a; \boldsymbol{\theta}_t).$$

$$Y_t^{\mathbf{Q}} = R_{t+1} + \gamma Q(S_{t+1}, \operatorname{argmax} Q(S_{t+1}, a; \boldsymbol{\theta}_t); \boldsymbol{\theta}_t).$$

$$Y_t^{Q} = R_{t+1} + \gamma Q(S_{t+1}, \operatorname{argmax} Q(S_{t+1}, a; \boldsymbol{\theta}_t); \boldsymbol{\theta}_t).$$

$$Y_t^{\text{DoubleQ}} \equiv R_{t+1} + \gamma Q(S_{t+1}, \operatorname{argmax} Q(S_{t+1}, a; \boldsymbol{\theta}_t); \boldsymbol{\theta}_t')$$

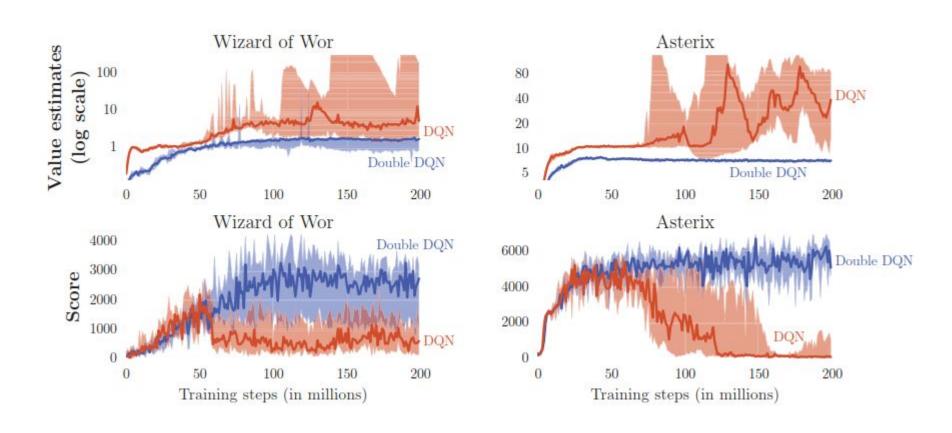
$$Y_t^{\text{DQN}} \equiv R_{t+1} + \gamma \max_{a} Q(S_{t+1}, a; \boldsymbol{\theta}_t^-).$$

$$Y_t^{\text{DoubleDQN}} \equiv R_{t+1} + \gamma Q(S_{t+1}, \underset{a}{\operatorname{argmax}} Q(S_{t+1}, a; \boldsymbol{\theta}_t), \boldsymbol{\theta}_t^-).$$

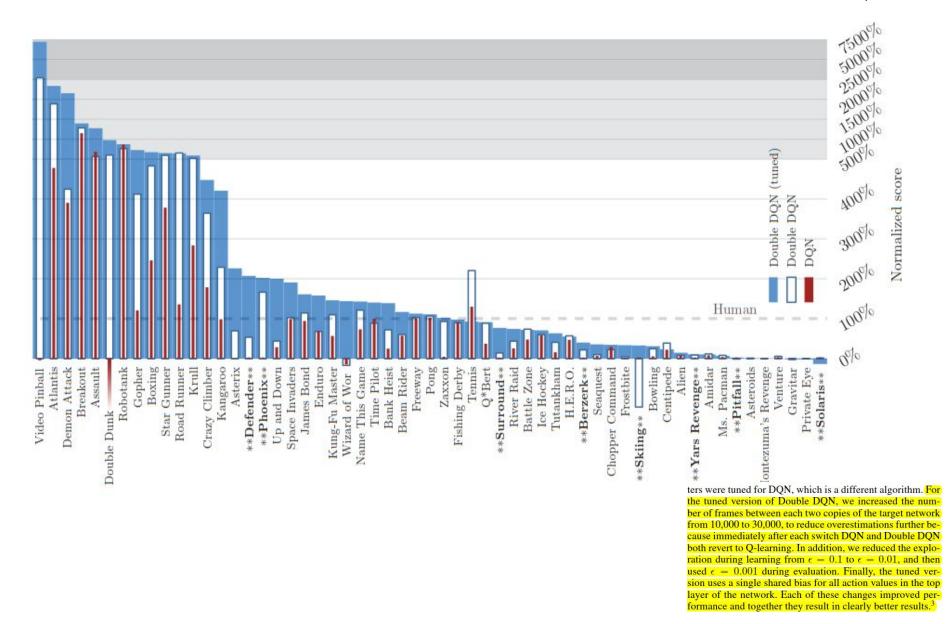
Algorithm 1: Double DQN Algorithm.

```
input: \mathcal{D} – empty replay buffer; \theta – initial network parameters, \theta^- – copy of \theta
input: N_r - replay buffer maximum size; N_b - training batch size; N^- - target network replacement freq.
for episode e \in \{1, 2, \dots, M\} do
     Initialize frame sequence \mathbf{x} \leftarrow ()
     for t \in \{0, 1, \ldots\} do
           Set state s \leftarrow \mathbf{x}, sample action a \sim \pi_{\mathcal{B}}
           Sample next frame x^t from environment \mathcal{E} given (s, a) and receive reward r, and append x^t to \mathbf{x}
           if |\mathbf{x}| > N_f then delete oldest frame x_{t_{min}} from \mathbf{x} end
           Set s' \leftarrow \mathbf{x}, and add transition tuple (s, a, r, s') to \mathcal{D},
                   replacing the oldest tuple if |\mathcal{D}| \geq N_r
           Sample a minibatch of N_b tuples (s, a, r, s') \sim \text{Unif}(\mathcal{D})
           Construct target values, one for each of the N_b tuples:
           Define a^{\max}(s';\theta) = \arg\max_{a'} Q(s',a';\theta)
          y_j = \begin{cases} r & \text{if } s' \text{ is terminal} \\ r + \gamma Q(s', a^{\max}(s'; \theta); \theta^-), & \text{otherwise.} \end{cases}
           Do a gradient descent step with loss ||y_j - Q(s, a; \theta)||^2
           Replace target parameters \theta^- \leftarrow \theta every N^- steps
     end
end
```

DOUBLE DQN



DOUBLE DQN



PRIORITIZED EXPERIENCE REPLAY

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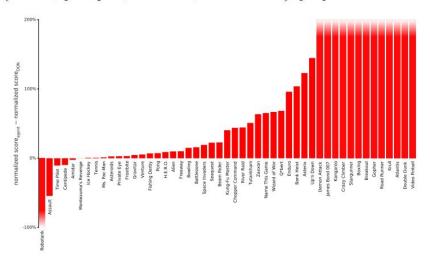


Figure 9: Difference in normalized score (the gap between random and human is 100%) on 49 games with human starts, comparing DQN with and without rank-based prioritized replay, showing substantial improvements in many games. Exact scores are in Table [6]. See also Figure [3] where Double DQN is the baseline.

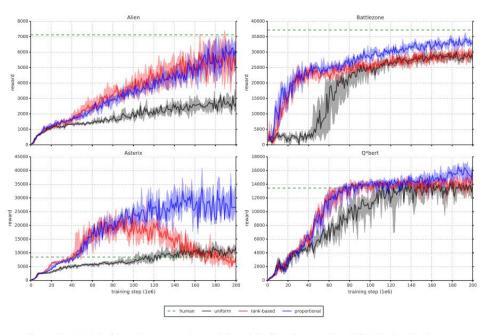


Figure 8: Detailed learning curves for rank-based (red) and proportional (blue) prioritization, as compared to the uniform Double DQN baseline (black) on a selection of games. The solid lines are the median scores, and the shaded area denotes the interquartile range across 8 random initializations. The dashed green lines are human scores. While the variability between runs is substantial, there are significant differences in final achieved score, and also in learning speed.

$$P(i) = \frac{p_i^{\alpha}}{\sum_k p_k^{\alpha}} \tag{1}$$

where $p_i > 0$ is the priority of transition i. The exponent α determines how much prioritization is used, with $\alpha = 0$ corresponding to the uniform case.

The first variant we consider is the direct, proportional prioritization where $p_i = |\delta_i| + \epsilon$, where ϵ is a small positive constant that prevents the edge-case of transitions not being revisited once their error is zero. The second variant is an indirect, rank-based prioritization where $p_i = \frac{1}{\operatorname{rank}(i)}$, where $\operatorname{rank}(i)$ is the rank of transition i when the replay memory is sorted according to $|\delta_i|$. In this case,

Schaul, Tom, et al. "Prioritized experience replay." arXiv preprint arXiv:1511.05952 (2015).

Dueling Network Architectures for Deep Reinforcement Learning

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Apr 2016

Abstract

In recent years there have been many successes of using deep representations in reinforcement learning. Still, many of these applications use

In spite of this, most of the approaches for RL use standard neural networks, such as convolutional networks, MLPs, LSTMs and autoencoders. The focus in these recent advances has been on designing improved control and RL algorithms or simply on incorporating existing power level.

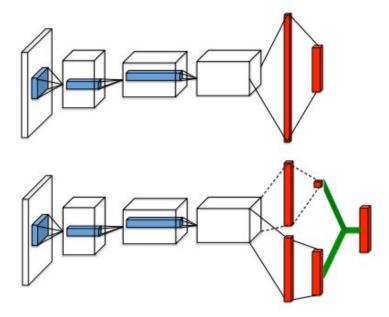


Figure 1. A popular single stream Q-network (**top**) and the dueling Q-network (**bottom**). The dueling network has two streams to separately estimate (scalar) state-value and the advantages for each action; the green output module implements equation (9) to combine them. Both networks output Q-values for each action.

$$L_i(\theta_i) = \mathbb{E}_{s,a,r,s'} \left[\left(y_i^{DQN} - Q(s,a;\theta_i) \right)^2 \right],$$

$$y_i^{DQN} = r + \gamma \max_{a'} Q(s', a'; \theta^-),$$

We define another important quantity, the *advantage func*tion, relating the value and Q functions:

$$A^{\pi}(s, a) = Q^{\pi}(s, a) - V^{\pi}(s). \tag{3}$$

$$Q(s, a; \theta, \alpha, \beta) = V(s; \theta, \beta) + \left(A(s, a; \theta, \alpha) - \frac{1}{|\mathcal{A}|} \sum_{a'} A(s, a'; \theta, \alpha)\right).$$

Wang, Ziyu, Nando de Freitas, and Marc Lanctot. "Dueling network architectures for deep reinforcement learning." *arXiv preprint arXiv:1511.06581* (2015).

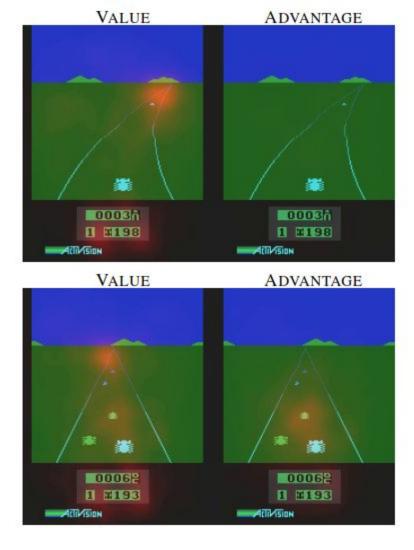


Figure 2. See, attend and drive: Value and advantage saliency maps (red-tinted overlay) on the Atari game Enduro, for a trained dueling architecture. The value stream learns to pay attention to the road. The advantage stream learns to pay attention only when there are cars immediately in front, so as to avoid collisions.

Wang, Ziyu, Nando de Freitas, and Marc Lanctot. "Dueling network architectures for deep reinforcement learning." *arXiv preprint arXiv:1511.06581* (2015).

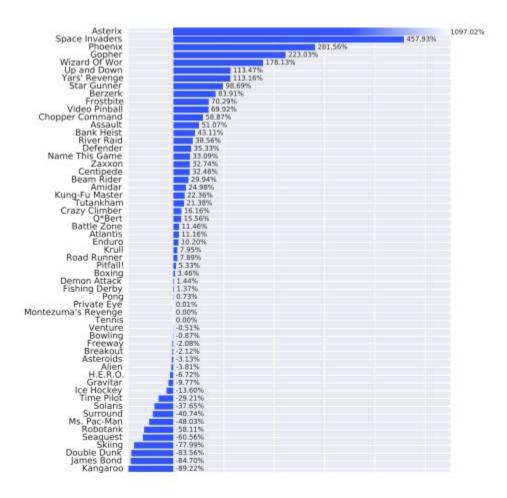
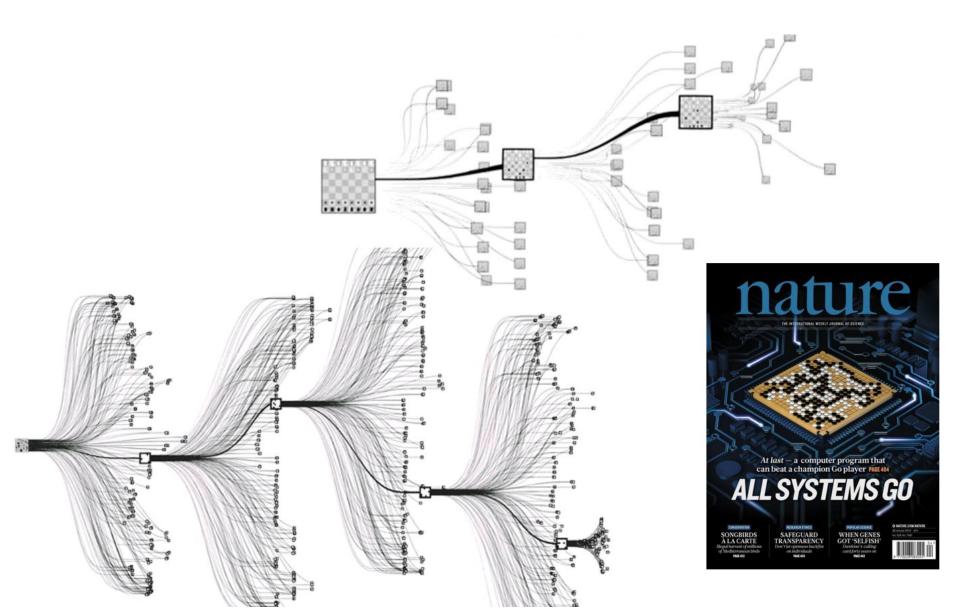


Figure 5. Improvements of dueling architecture over Prioritized DDQN baseline, using the same metric as Figure 4. Again, the dueling architecture leads to significant improvements over the single-stream baseline on the majority of games.

ЧТО ОБЪЕДИНЯЕТ ЭТИХ ДВУХ ЛЮДЕЙ?







ALPHA**G**0

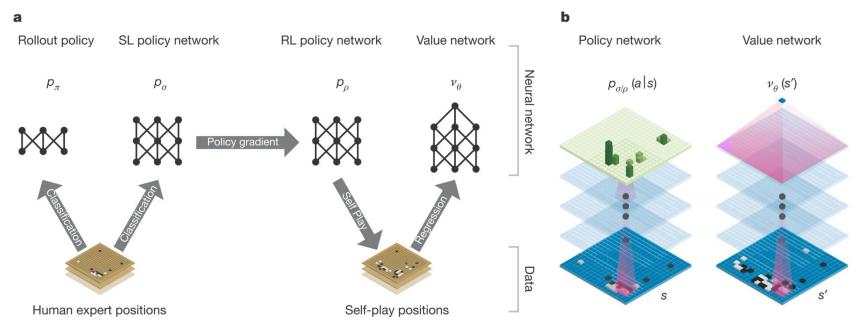


Figure 1 | **Neural network training pipeline and architecture. a**, A fast rollout policy p_{π} and supervised learning (SL) policy network p_{σ} are trained to predict human expert moves in a data set of positions. A reinforcement learning (RL) policy network p_{ρ} is initialized to the SL policy network, and is then improved by policy gradient learning to maximize the outcome (that is, winning more games) against previous versions of the policy network. A new data set is generated by playing games of self-play with the RL policy network. Finally, a value network v_{θ} is trained by regression to predict the expected outcome (that is, whether

the current player wins) in positions from the self-play data set. **b**, Schematic representation of the neural network architecture used in AlphaGo. The policy network takes a representation of the board position s as its input, passes it through many convolutional layers with parameters σ (SL policy network) or ρ (RL policy network), and outputs a probability distribution $p_{\sigma}(a|s)$ or $p_{\rho}(a|s)$ over legal moves a, represented by a probability map over the board. The value network similarly uses many convolutional layers with parameters θ , but outputs a scalar value $v_{\theta}(s')$ that predicts the expected outcome in position s'.

ПОИСК ПО ДЕРЕВУ

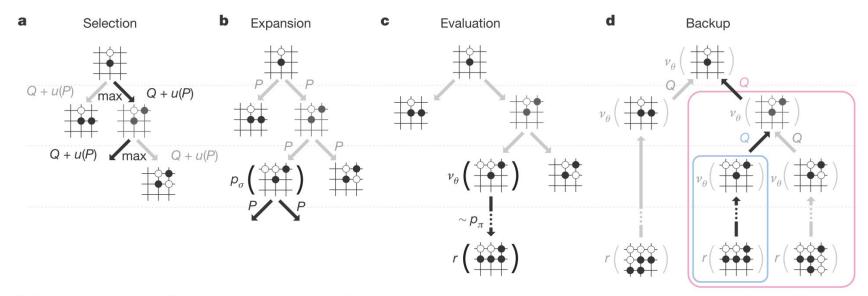


Figure 3 | **Monte Carlo tree search in AlphaGo. a**, Each simulation traverses the tree by selecting the edge with maximum action value Q, plus a bonus u(P) that depends on a stored prior probability P for that edge. **b**, The leaf node may be expanded; the new node is processed once by the policy network p_{σ} and the output probabilities are stored as prior probabilities P for each action. **c**, At the end of a simulation, the leaf node

is evaluated in two ways: using the value network v_{θ} ; and by running a rollout to the end of the game with the fast rollout policy p_{π} , then computing the winner with function r. **d**, Action values Q are updated to track the mean value of all evaluations $r(\cdot)$ and $v_{\theta}(\cdot)$ in the subtree below that action.

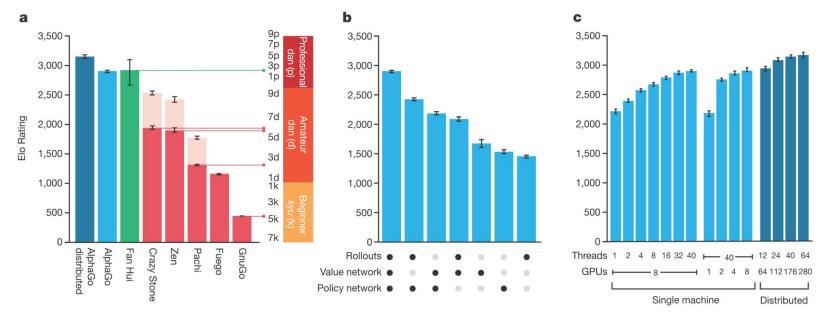


Figure 4 | **Tournament evaluation of AlphaGo. a**, Results of a tournament between different Go programs (see Extended Data Tables 6–11). Each program used approximately 5 s computation time per move. To provide a greater challenge to AlphaGo, some programs (pale upper bars) were given four handicap stones (that is, free moves at the start of every game) against all opponents. Programs were evaluated on an Elo scale³⁷: a 230 point gap corresponds to a 79% probability of winning, which roughly corresponds to one amateur *dan* rank advantage on KGS³⁸; an approximate correspondence to human ranks is also shown,

horizontal lines show KGS ranks achieved online by that program. Games against the human European champion Fan Hui were also included; these games used longer time controls. 95% confidence intervals are shown. **b**, Performance of AlphaGo, on a single machine, for different combinations of components. The version solely using the policy network does not perform any search. **c**, Scalability study of MCTS in AlphaGo with search threads and GPUs, using asynchronous search (light blue) or distributed search (dark blue), for 2 s per move.

DeepMind AlphaGo vs Lee Sedol



4:1





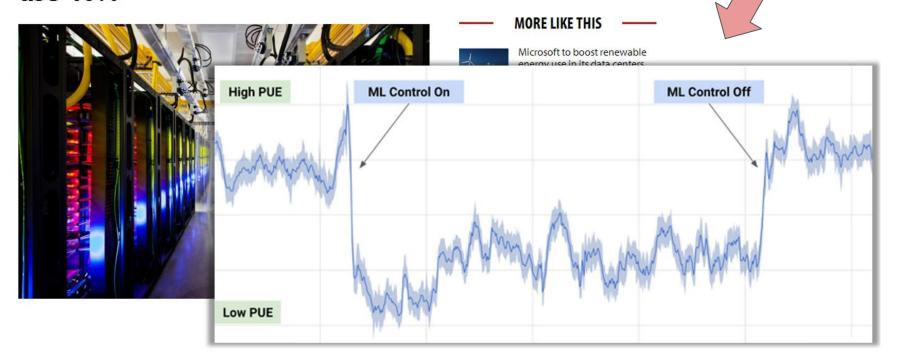
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Спасибо за внимание!