

BITWISE OPERATORS

Bitwise operator's works on bits.

Turbo-c is a 16 bit compiler. Due to this bitwise operations are limited to 16 bits only [2^0 to 2^{15}].

Bitwise operators operate **integer** type values only.

We have to calculate only the **on** bits [**1**].

When the first bit[**Sign bit**] is **1** then the number is **Negative** and it is **0** then the number is **positive**.

They are very much used in system software development.

Note: Bitwise operator is low level feature.

C-Language supports following bitwise operators.

& -Bitwise and

| - Bitwise or

^ - XOR ==> Exclusive OR

~ - Compliment operator

<< - Left shift operator

>> - Right shift operator

& - Bitwise and: In this both bits are 1's then result bit is 1. Otherwise result bit is 0.

Eg: **25 & 15 = 9**

25 = 0000 0000 0001 1001
15 = 0000 0000 0000 1111

$$\begin{array}{r} 2 \overline{) 25} \\ 2 \overline{) 12 - 1} \\ 2 \overline{) 6 - 0} \\ 2 \overline{) 3 - 0} \\ 1 - 1 \end{array}$$

$$\begin{array}{r} 2 \overline{) 15} \\ 2 \overline{) 7 - 1} \\ 2 \overline{) 3 - 1} \\ 1 - 1 \end{array}$$

25 & 15 = 9

25 = 0000 0000 0001 1001
15 = 0000 0000 0000 1111

&

$$\begin{array}{r} \hline 0000 \ 0000 \ 0000 \ 1001 \\ \downarrow \quad \downarrow \\ 2^3 + 2^0 \\ \downarrow \quad \downarrow \\ 8 + 1 = 9 \end{array}$$

| - Bitwise or: In this both bits are 0's then result bit is 0. Otherwise result bit is 1.

Eg: $25 \mid 15 = 31$

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25 = 0000 0000 0001 1001

15 = 0000 0000 0000 1111

0000 0000 0001 1111

$2^4 + 2^3 + 2^2 + 2^1 + 2^0$

$16 + 8 + 4 + 2 + 1 = 31$

^ - XOR [Exclusive OR]: In this both bits are same then result bit is 0. Otherwise result bit is 1.

Eg: $25 \wedge 15 = 22$

$$25 \wedge 15 = 22$$

25 = 0000 0000 0001 1001

15 = 0000 0000 0000 1111

\wedge

0000 0000 0001 0110

$$\begin{array}{r}
 2^4 + 2^2 + 2^1 \\
 16 + 4 + 2 = 22
 \end{array}$$

~ - Complement operator: In complement operation the bits are complimented. i.e. 1's become 0's and 0's become 1's. Due to this +Ve no becomes -Ve and -Ve no becomes +Ve.

eg: ~25 → -26

25 = 0000 0000 0001 1001
1111 1111 1110 0110
-128+64+32+4+2=-26
-128 + 102 = -26

$$25 = 0000\ 0000\ 0001\ 1001$$

$$\sim = 1111\ 1111\ 1110\ 0110$$

$$\begin{array}{c} \backslash \quad \backslash \\ 5 \quad 2 \end{array}$$

$$2+4+32+64+128+256+512+1024+2048+4096+8192+16384-32768=-26$$

$$\sim -25 = 0000\ 0000\ 0001\ 1001$$

$$1's\ \sim = 1111\ 1111\ 1110\ 0110$$

$$2's\ \sim = \begin{array}{r} 0000\ 0000\ 0000\ 0001 \\ 1111\ 1111\ 1110\ 0111 \end{array}$$

$$\begin{array}{c} \swarrow \quad \searrow \\ 24 \quad 2 \\ 16+8=24 \end{array}$$

$$\begin{array}{cccc} 1 & 0 & 0 & 01 \\ 0 & 1 & 0 & 1 \\ \hline 1 & 1 & 0 & 10 \end{array}$$

Note: When starting bit is 1 given no is –Ve.

Eg: $\sim -25 \rightarrow +24$

$$\sim -25 = +24$$

$$25 = \begin{array}{|c|c|} \hline 0000 & 0000 \\ \hline \end{array} \quad 0001\ 1001$$

$$\begin{array}{|c|c|} \hline 1111 & 1111 \\ \hline \end{array} \quad 1110\ 0110$$

\Leftarrow 1's compliment

+1

\Leftarrow 2's Complement

$$1111\ 1111\ 1110\ 0111$$

$$0000\ 0000\ 0001\ 1000$$

$$\downarrow \quad \downarrow$$

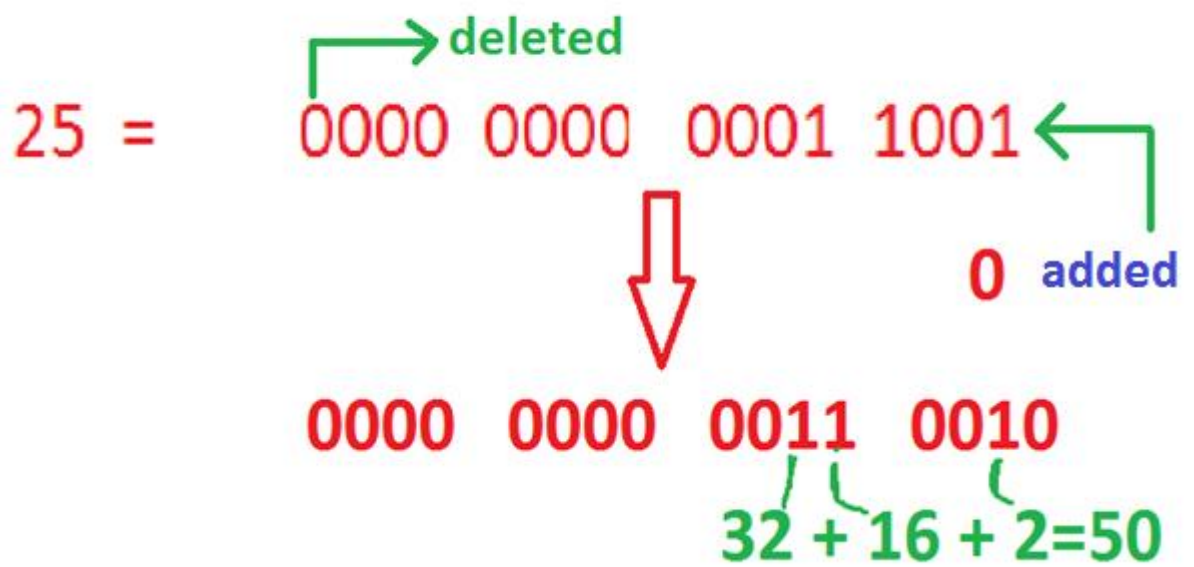
$$16+8=24$$

<< - left shift operator:

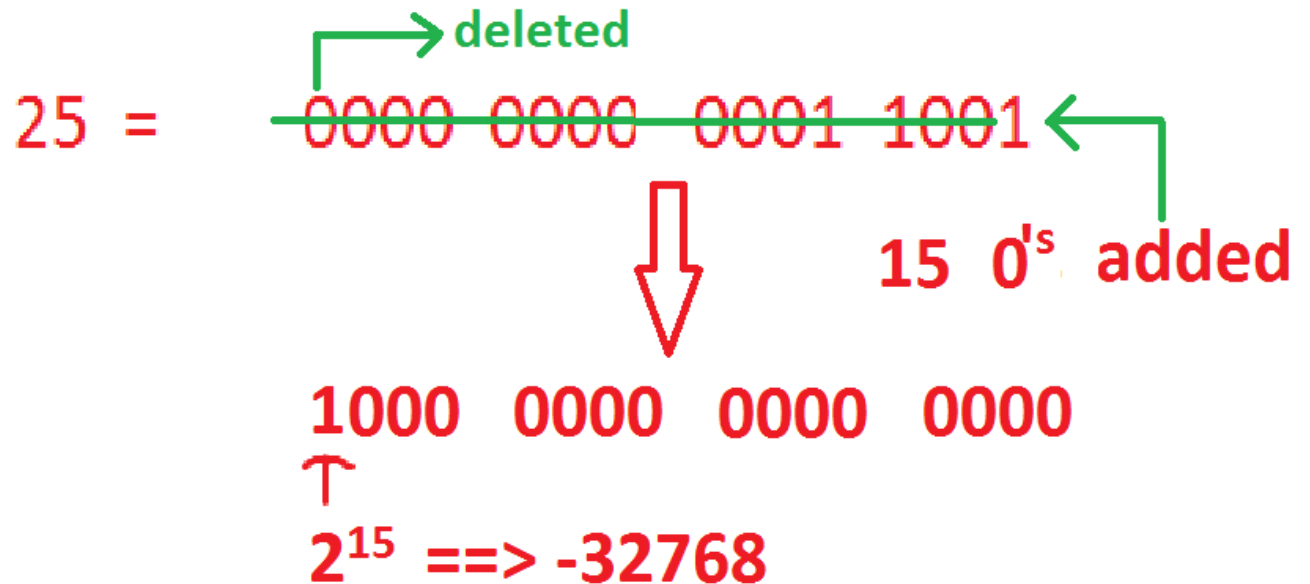
In left shift operation, the specified no of bits are deleted from left side and the same no of **zeros** added on right side. In left shift operation, most probably the value is multiplied with 2 that no of times.

Eg: $25 \ll 1 = 50$, $25 \ll 2 = 100$, $25 \ll 15 = -32768$, $25 \ll 16 = 0$

eg: $25 \ll 1 = 50$



eg: $25 \ll 15 = -32768$



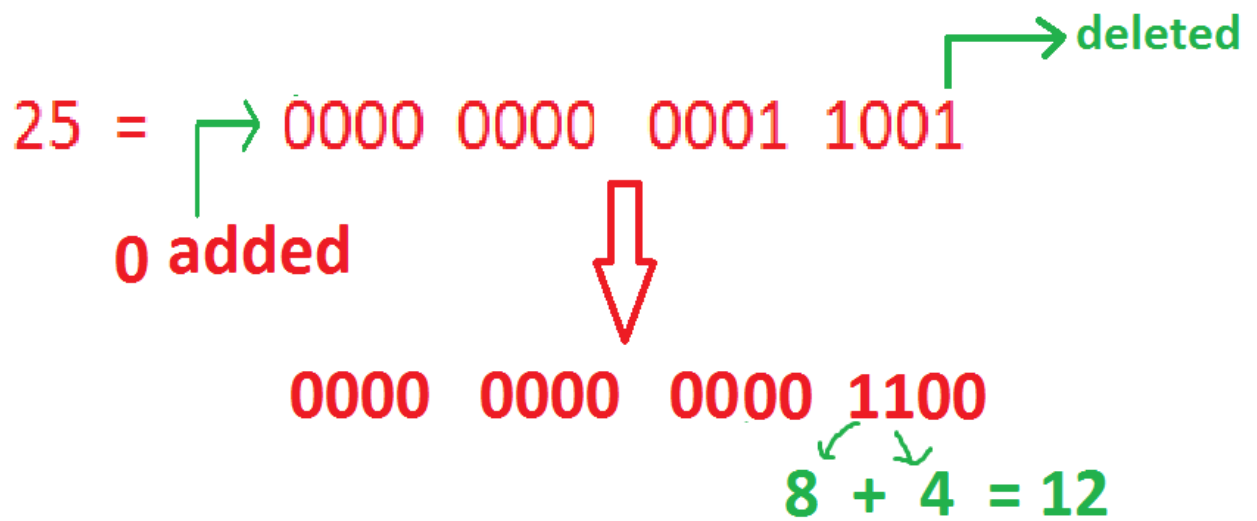
Note: When starting bit 1 no is negative.

>> - Right shift operator:

In right shift operation, the bits are moved to right side i.e. the specified no. of bits are deleted from right side and same no. of **zero's** are added left side. Due to this always the number is divided with 2 that no of times.

Eg: $25 \gg 1 = 12$, $25 \gg 2 = 6$, $25 \gg 3 = 3$, $25 \gg 4 = 1$, $25 \gg 5 = 0$

eg: $25 \gg 1 = 12$



eg: $25 \gg 5 = 0$

