

Theory of Computation

NFA TO DFA Converter Using React

By:

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About the Project

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Problem Statement

- ▶ Website designed to accept the input about the states and transitions of a Non-Deterministic Automata (NFA) and to convert it into an equivalent Deterministic Finite Automata (DFA) and visualize it.

Getting Started with the Project

- ▶ These instructions will get you a copy of the project up and running on your local machine for development and testing purposes.
- ▶ **Prerequisites**
 - [React](#)
 - [Tailwind CSS](#)
- ▶ **Installing**
- ▶ A step by step series of examples that tell you how to get a development env running.
 - Clone this repository
 - Open command line in the cloned folder,
 - ▶ To install dependencies, run npm install
 - ▶ To run the application for development,
 - Run npm start in the root folder to start the backend app
 - Then run npm start in the client folder to start the frontend app
- ▶ Open localhost:3000 in the browser

► **Built Using**

- React - Web Framework
- Tailwind CSS - CSS Framework
- GraphViz API - Library for visualization of the DFA
- quickchart.io - API for visualization

► Packages used:

- Npm package

► Code Base:

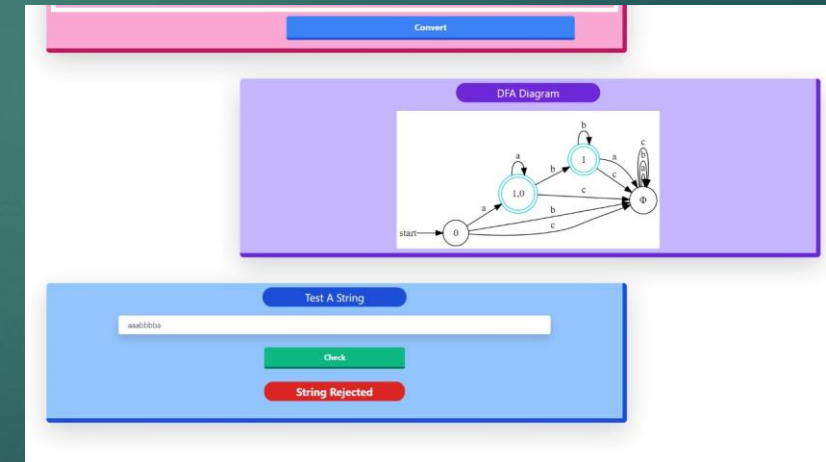
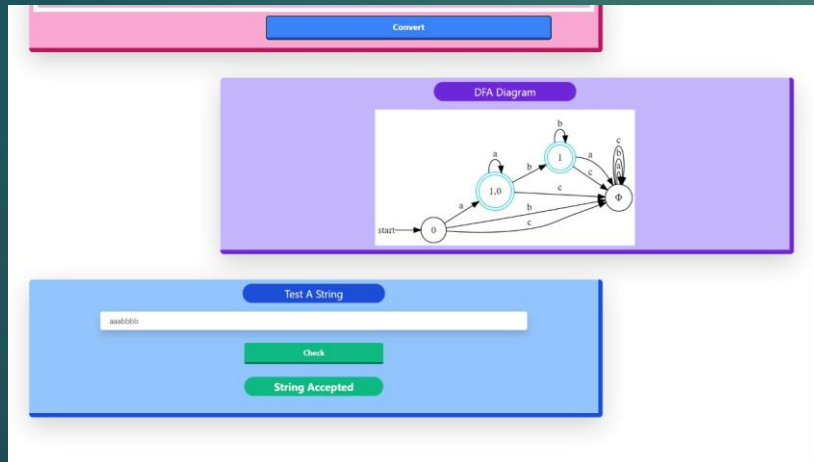
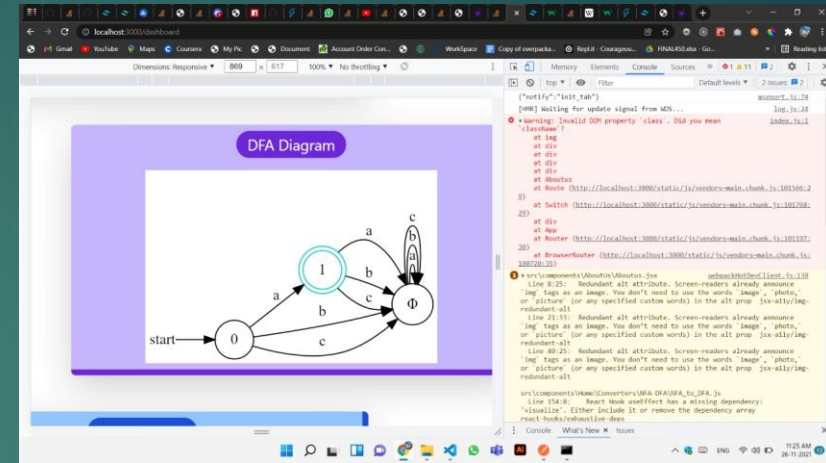
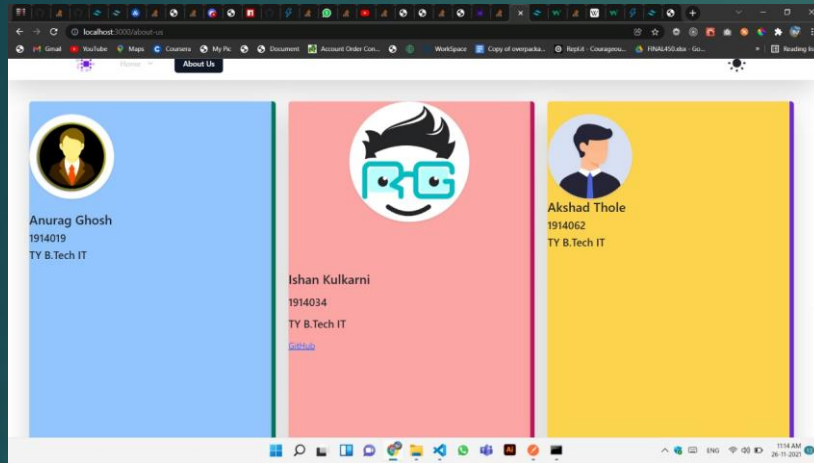
- **GitHub:** <https://github.com/kulkarniishan/PWA-NFA-to-DFA-converter>

► Deployment:

- <https://kulkarniishan.github.io/PWA-NFA-to-DFA-converter/>

Project Screenshots

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What is NFA and DFA?

- **DFA stands for Deterministic Finite Automata. :**
 - ▶ A Finite Automata(FA) is said to be deterministic, if corresponding to an input symbol, there is single resultant state i.e. there is only one transition.
 - ▶ A deterministic finite automata is set of five tuples and represented as,
 - ▶ $M = \{ Q, \Sigma, \delta, q_0, F \}$

Where,

Q: A non empty finite set of states present in the finite control(q_0, q_1, q_2, \dots).

Σ : A non empty finite set of input symbols.

δ : It is a transition function that takes two arguments, a state and an input symbol, it returns a single state.

q_0 : It is starting state, one of the state in Q.

F: It is non-empty set of final states/ accepting states from the set belonging to Q.

- **NFA stands for Nondeterministic Finite Automata.:**

- ▶ Finite Automata(FA) is said to be non deterministic, if there is more than one possible transition from one state on the same input symbol.
- ▶ A non deterministic finite automata is also set of five tuples and represented as,
- ▶ $M = \{ Q, \Sigma, \delta, q_0, F \}$

Where,

Q: A set of non empty finite states.

Σ : A set of non empty finite input symbols.

δ : It is a transition function that takes a state from Q and an input symbol from and returns a subset of Q.

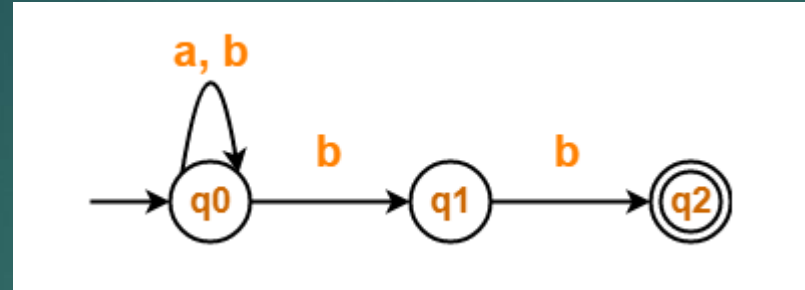
q_0 : Initial state of NFA and member of Q.

F: A non-empty set of final states and member of Q.

Conversion from NFA to DFA

- ▶ An NFA can have zero, one or more than one move from a given state on a given input symbol. An NFA can also have NULL moves (moves without input symbol). On the other hand, DFA has one and only one move from a given state on a given input symbol.
- ▶ **Conversion from NFA to DFA**
Suppose there is an NFA $N = \langle Q, \Sigma, q_0, \delta, F \rangle$ which recognizes a language L . Then the DFA $D = \langle Q', \Sigma, q_0, \delta', F' \rangle$ can be constructed for language L as:
Step 1: Initially $Q' = \phi$.
Step 2: Add q_0 to Q' .
Step 3: For each state in Q' , find the possible set of states for each input symbol using transition function of NFA. If this set of states is not in Q' , add it to Q' .
Step 4: Final state of DFA will be all states which contain F (final states of NFA).

- Convert the following Non-Deterministic Finite Automata (NFA) to Deterministic Finite Automata (DFA)



- Solution-

Transition table for the given Non-Deterministic Finite Automata (NFA) is-

State / Alphabet	a	b
→q0	q0	q0, q1
q1	—	*q2
*q2	—	—

► **Step-01:**

Let Q' be a new set of states of the Deterministic Finite Automata (DFA).

Let T' be a new transition table of the DFA.

► **Step-02:**

Add transitions of start state q_0 to the transition table T' .

State / Alphabet	a	b
$\rightarrow q_0$	q_0	$\{q_0, q_1\}$

► **Step-03:**

New state present in state Q' is $\{q_0, q_1\}$.

Add transitions for set of states $\{q_0, q_1\}$ to the transition table T' .

State / Alphabet	a	b
$\rightarrow q_0$	q_0	$\{q_0, q_1\}$
$\{q_0, q_1\}$	q_0	$\{q_0, q_1, q_2\}$

► Step-04:

New state present in state Q' is $\{q_0, q_1, q_2\}$.

Add transitions for set of states $\{q_0, q_1, q_2\}$ to the transition table T' .

State / Alphabet	a	b
$\rightarrow q_0$	q_0	$\{q_0, q_1\}$
$\{q_0, q_1\}$	q_0	$\{q_0, q_1, q_2\}$
$\{q_0, q_1, q_2\}$	q_0	$\{q_0, q_1, q_2\}$

► Step-05:

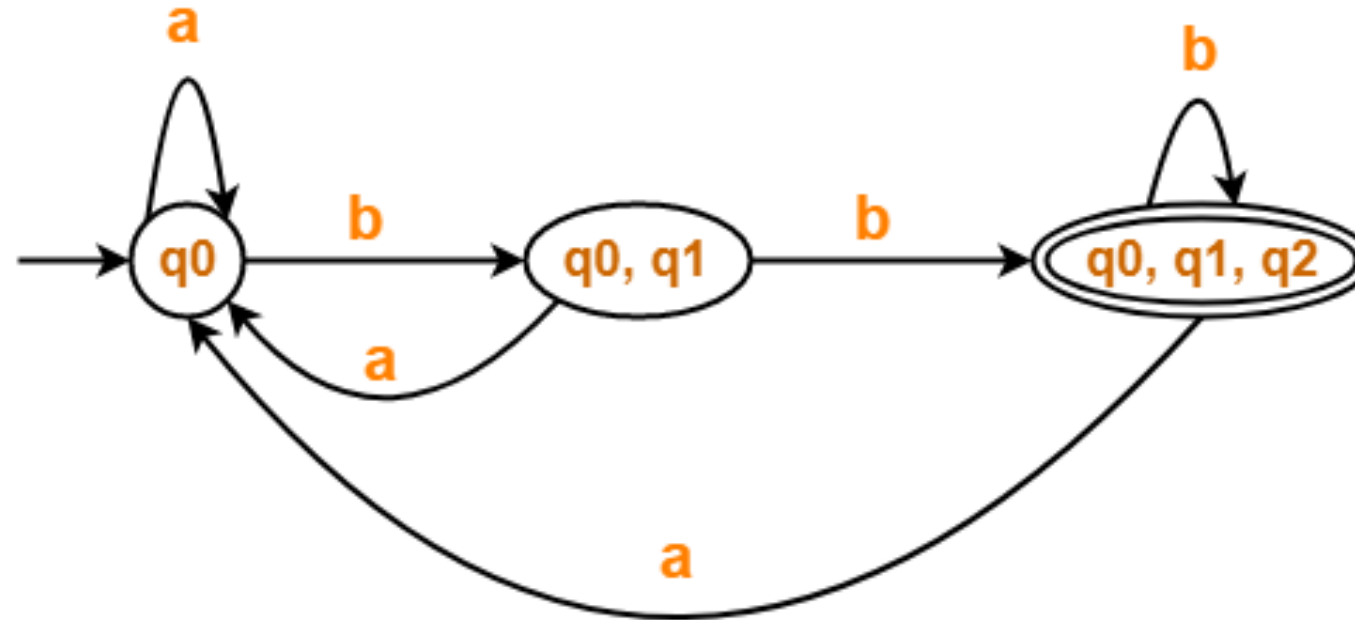
Since no new states are left to be added in the transition table T' , so we stop.

States containing q_2 as its component are treated as final states of the DFA.

Finally, Transition table for Deterministic Finite Automata (DFA) is-

State / Alphabet	a	b
$\rightarrow q_0$	q_0	$\{q_0, q_1\}$
$\{q_0, q_1\}$	q_0	$^*\{q_0, q_1, q_2\}$
$^*\{q_0, q_1, q_2\}$	q_0	$^*\{q_0, q_1, q_2\}$

- Now, Deterministic Finite Automata (DFA) may be drawn as-



Deterministic Finite Automata (DFA)

