

**Program Name** – Find the maximum value of  $\text{arr}[j] - \text{arr}[i] + \text{arr}[l] - \text{arr}[k]$ , such that  $i < j < k < l$

**Project Category**- Dynamic Programming

**Programming Paradigm Used**- Dynamic Programming

**Example-**

Let us say our array is – {4, 8, 9, 2, 20}

Then the maximum such value is  $\rightarrow 23$  as  $9 - 4 + 20 - 2 = 23$

**Brute Force Method-**

We can simply find all the combinations of size 4 and within them permute the negative and positive signs. The maximum value will be the required answer. This method is very inefficient.

**Efficient Method (Dynamic Programming)-**

**Algorithm-**

We will use Dynamic Programming to solve this problem. For this we create four 1-Dimensional DP tables.

Let us say there are four DP tables as -  $\text{table1}[]$  ,  $\text{table2}[]$  ,  $\text{table3}[]$  ,  $\text{table4}[]$

Then to find the maximum value of  $\text{arr}[j] - \text{arr}[i] + \text{arr}[l] - \text{arr}[k]$ , such that  $i < j < k < l$

- 1)  $\text{table1}[]$  will store the maximum value of  $\text{arr}[j]$
- 2)  $\text{table2}[]$  will store the maximum value of  $\text{arr}[j] - \text{arr}[i]$
- 3)  $\text{table3}[]$  will store the maximum value of  $\text{arr}[j] - \text{arr}[i] + \text{arr}[l]$

4) `table4[]` will store the maximum value of  $\text{arr}[j] - \text{arr}[i] + \text{arr}[l] - \text{arr}[k]$

5) So we iterate through `table4[]` to get the maximum value which will be our required answer.

### **Time Complexity-**

$O(N)$ , where  $N$  is the size of input array

### **Space Complexity-**

Since we are creating four tables to store our values, so space complexity is  $O(4*N) \sim O(N)$

### **Exercise to the readers-**

Find the maximum value of  $\text{arr}[j] - 2*\text{arr}[i] + 3*\text{arr}[l] - 7*\text{arr}[k]$ , such that  $i < j < k < l$