

JANUARY

10

'24

02nd Week  
010-356Programs of Mathematics

S	M	T	W	T	F	S
	1	2	3	4	5	6
7	8	9	10	11	12	13
14	15	16	17	18	19	20
21	22	23	24	25	26	27
28	29	30	31			

JAN 2024

WEDNESDAY

# Leap year (or) Not

08 if  $(n \% 4 == 0 \text{ and } n \% 100 != 0 \text{ or } n \% 400 == 0)$  :

print ('Yes')

09 else :

print ('No')

# Reverse A No.

01 (a) = Print [str (num) [::-1]]

(b) data = int (input ())  
 n = int (i) for i in str (data)  
 01 n = reverse ()  
 02 Print (n)

# Sum of natural No.

(a)  $n = \text{int}(\text{input}())$   
 print  $(n \times (n+1) / 2)$

(b) def f(n):  
 if  $n == 0$ :  
 return 0  
 return  $n + f(n-1)$

# Add No. w/o '+' operator.

03 Print (abs (-a - b))

# Count No. of digits.

(a)  $n = \text{int}(\text{input}())$   
 05 rev = 0

while  $n != 0$ :06  $d = n \% 10$  $rev = rev \times 10 + d$ 07  $n = n // 10$ 

print (rev)

(b) def fn(n):  
 count = 0

while  $n != 0$ : $d = n \% 10$ 

count = count + 1

 $n = n // 10$ 

return count.

(c)  $n = \text{int}(\text{input}())$   
 rev = 0

while  $n > 0$ : $n = n // 10$ 

rev = rev + 1

return rev.

↓

# Ternary operator.

def fn():

return a if  $a > b$  and  $a > c$  else b if  $b > c$  else c.Just count no. of  
division operations  
happens.



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FEB 2024	4	5	6	7	8	9	10
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```
def Pal(n):
    rev = 0
    temp = n
    while temp != 0:
        ld = temp % 10
        rev = rev * 10 + ld
        temp = temp // 10
    return rev == n
```

JANUARY  
11  
THURSDAY

## # Palindrome Number

(a) n = input()  
l = list(n)  
rev = list(reversed(l))  
rev = ''.join(rev)

(b) num = 1234  
reverse = int(str(num)[::-1])  
if num == reverse:  
 print('yes')  
else:  
 print('no')

## # Factorial

(a) import math as m  
def f1(n):  
 return m.factorial(n)

(b) def f2(n):  
 m = 1  
 for i in range(1, n+1):  
 m = m \* i  
 return m

(c) def f3(n):  
 if n == 0:  
 return 1  
 return n \* f3(n-1)

## # Swap two no: -

(a) def f1(a,b):  
 t = a  
 a = b  
 b = t  
 print('a {a} & b {b}')

(b) def f2(a,b): # using add & sub  
 a = a + b  
 b = a - b  
 a = a - b

(c) def f3(a,b): # using mul & div  
 a = a \* b  
 b = a // b  
 a = a // b

(d) def f4(a,b):  
 a, b = b, a

(e) def f5(a,b): # using bitwise  
 a = a ^ b  
 b = a ^ b  
 a = a ^ b



JANUARY

12

FRIDAY

'24

02nd Week  
012-33

Naive Approach

```
def lcm(a,b):
    res = max(a,b)
    while True:
        if res % a == 0 and res % b == 0:
            return res
        res += 1
```

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JAN 2024

## LCM

```
08 import math as m
n1 = int(input())
09 n2 = int(input())
Hcf = m.gcd(n1, n2)
10 lcm = int((n1 * n2) / Hcf)
print(lcm)
```

```
12 def gcd(a,b):
    if b == 0:
        return a
    01 return gcd(b, a % b)
print(gcd(a,b))
```

Euclidean Algorithms

## # HCF / GCD

```
08 import math as m
m.gcd(n1, n2)
```

```
08 def gcd(a,b):
    while a != b:
        if a > b:
            a = a - b
        else:
            b = b - a
    01 return a
print(gcd(a,b))
```

## # Whether Even or odd

03 Every Even No. ends with 0 (LSD) -  
Every odd No. ends with 1 (LSD) -  
04  $n \% 2 \rightarrow \begin{cases} 0 & \text{Even} \\ 1 & \text{odd} \end{cases}$

In binary  
0 - 0000  
3 - 0011  
4 - 0100

```
06 def f(n):
    return (n & 1) == 0
```

## # Reverse a No.

To extract last digit if you divide a number by 10, then the remainder will be last digit. eg  $123 \% 10 \rightarrow 3$   
To reduce the number by one digit from end, simply divide the number by 10. eg  $123 \rightarrow 12 \rightarrow 123 / 10 \rightarrow 12 \checkmark$

reverse = 0

while n != 0: digit = n % 10, reverse = reverse \* 10 + digit  
N = N // 10  
return reverse

Lightning never strikes in the same place twice



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A number which is divisible by one and itself.

JANUARY

24

13

02nd Week  
013-353

SATURDAY

## # Check Prime.

① def prime(n):

if  $n \leq 1$ :

return False

for i in range(2, n):

if  $n \% i == 0$ :

return False

return True

②

(2, int(math.sqrt(n)) + 1)

(2, int(n/2) + 1)

## # Prime numbers in Given range:

L = []

for i in range(L, U+1):

if  $i > 1$ :

for j in range(2, int(i\*\*0.5) + 1):

if  $i \% j == 0$ :

break

else:

L.append(i)

print(L)

## # Sum of digits

① n = input()

s = 0

for i in n:

s = s + int(i)

print(s)

② n = 12345

s = 0

while n != 0:

digit = int(n % 10)

s = s + digit

n = n // 10

print(s)

## # Efficient solution of LCM

def gcd(a, b):

if  $b == 0$ :

return a

return gcd(b, a % b)

def lcm(a, b):

return  $a \times b // \text{gcd}(a, b)$

print(lcm(a, b))

Life is long if you know how to use it  
formula

$a \times b = \text{gcd}(a, b) \times \text{lcm}(a, b)$



JANUARY

14

'24

O3rd Week  
O14-352

SUNDAY

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JAN 2024

## # Prime factorization.

```

08 def isPrime(n):
    for i in range(2, n):
09         if n % i == 0:
            return False
10     return True

```

```

11 def printFactors(n):
    for i in range(2, n+1):
12         if isPrime(i):
            n = i
01         while n % i == 0:
                print(i)
02                 n = n / i

```

```

n = int(input())
03 printFactors(n)

```

## # No. of divisors

```

n = int(input())
l = []
for i in range(1, n+1):
    if n % i == 0:
        l.append(i)
print(l)

```

## # Perfect No.

```

n = int(input())
s = 0
for i in range(1, n+1):
    if n % i == 0:
        s = s + i
print('Yes' if s == n else 'No')

```

## # Check whether the given digit is present in num (or) not.

(a) def f1(n, key):

```

05 while n > 0:
    d = n % 10
06     if key == d:
        return True
    n = n // 10

```

```

07 else: return False

```

(b) def f2(n, key):

```

return (str(key) in str(n))

```



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JANUARY  
'24  
03rd Week  
015-351

15

MONDAY

# No. of trailing zeros

import math

n = int(input())

f = math.factorial(n)

c = 0

while f != 0: # f > 0

if f % 10 != 0: } 0 नहीं आया,  
break } तो आगे बढ़ो

c = c + 1

f = f // 10

return c

# Find x to power of y

(a) import math

def f(x, y):

m = 1

for i in range(y):

m = m \* x

return m

(b) def f2(x, y):

return int(math.pow(x, y))

(c) def f3(x, y):

return x\*\*y

(d) def f4(x, y):

pow(x, y)

# Trailing Zeros

import math as m

n = int(input())

f = m.factorial(n)

t = f

c = 0

while t != 0:

if t % 10 != 0:

break

c = c + 1

t = t // 10

# Strong No.

153 = 1! + 5! + 3! = 153 = true

import math as m

def fun(n):

s = 0

while (n != 0):

d = n % 10

s = s + math.factorial(d)

n = n // 10

return s



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Fibonacci Numbers

①<sup>08</sup> def fib(n):  
 if n in [0, 1]:  
<sup>09</sup> return n  
 else:

<sup>10</sup> return fib(n-1) + fib(n-2)

<sup>11</sup>

② def fun(n):  
 l = []

a = -1

b = +1

for i in range(n):

c = a + b

l.append(c)

a = b

b = c

return l

Computing power

①<sup>2</sup> def power(n):  
 if n == 0:

<sup>01</sup> return 1

temp = power(n, n/2)

<sup>02</sup> temp = temp \* temp

if (n % 2 == 0):

<sup>03</sup> return temp

else:

<sup>04</sup> return temp \* n

② def power(n):

res = 1

while n > 0:

if n % 2 != 0:

res = res \* n

n = n / 2

n = n // 2

return res

Sieve of Eratosthenes

→ We have to find all the prime No. upto that No.

eg 1 - 20

<sup>07</sup> multiple of : 2: 4, 6, 8, 10, 12, 14, 16, 18, 20

3: 6, 9, 12, 15

5: 10, 15, 20

This method works well when  $n$  is relatively small, allowing us to determine whether any natural No. less than (or) equal to is prime (or) composite.



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JANUARY

'24

17

O3rd Week  
017-349

WEDNESDAY

def Sieve(n):

if n ≤ 1:

return

is\_prime = [True] \* (n + 1)

i = 2

while i \* i ≤ n:

# i ≤ n

if is\_prime[i]:

# Print(i, end=" ")

for j in range(i \* i, n + 1, i):

# for j in range(i \* i, n + 1, i)

is\_prime[j] = False

i = i + 1

# i += 1

for i in range(2, n + 1):

if is\_prime[i]:

Print(i, end=" ")

} you may omit this as well.

Sieve(n)

n = 18

# Reverse a list

(a) l.reverse()

(b) nl = l[::-1]

(c) nl = list(reversed(l))

(d) → two pointer approach

l = eval(input())

l\_index = 0

r\_index = len(l) - 1

while l\_index &lt; r\_index:

l[l\_index], l[r\_index] = l[r\_index], l[l\_index]

l\_index += 1

r\_index -= 1

print(l)