





# Table of Content Apa yang Akan Kita Pelajari Hari Ini?

- 1. KNN
- 2. Decision Tree
- 3. Ensemble Method







#### KNN







#### Classification and Clustering Techniques

#### Classification

- K-Nearest Neighbour
- Decision Tree
- Ensemble Methods

#### Clustering

- K-medoid
- K-means
- DBSCAN

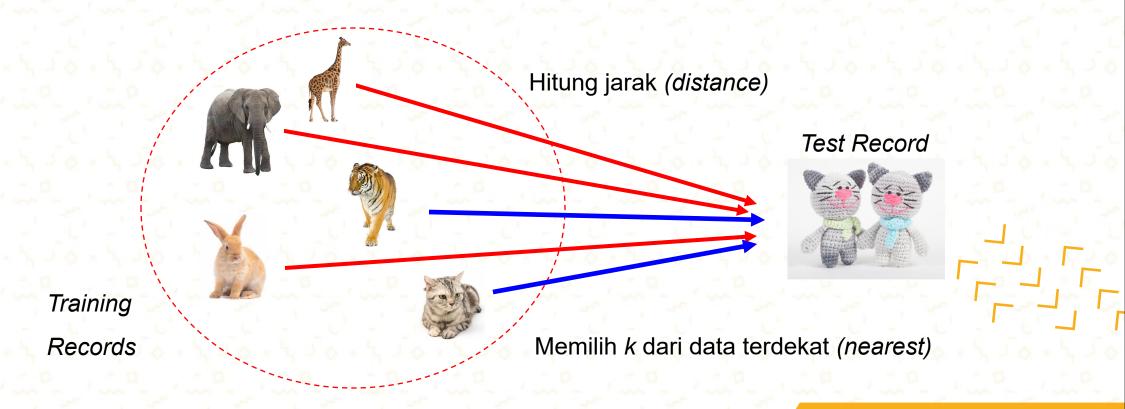






#### **Nearest Neighbor Classifiers**

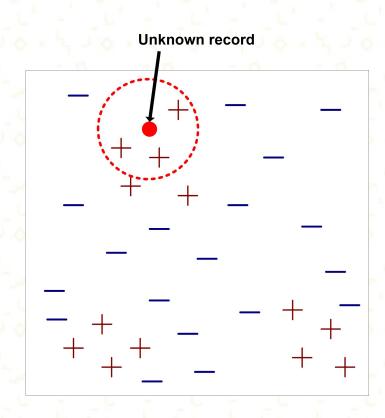
- Ide dasar:
  - · Jika dia berjalan seperti kucing, mengeong seperti kucing, maka itu mungkin kucing







#### **Nearest Neighbor Classifiers**



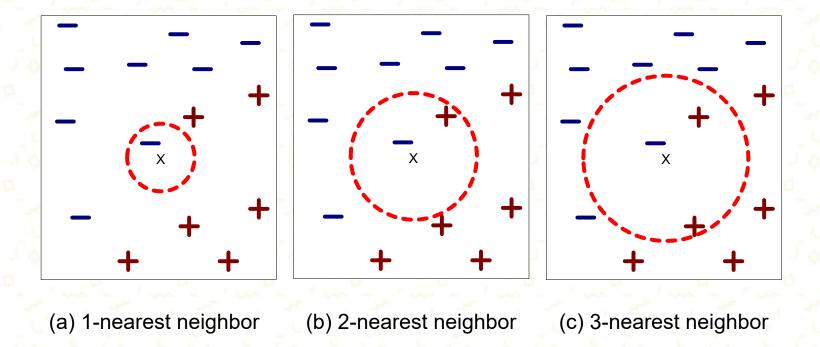
#### Membutuhkan tiga hal

- Kumpulan data yang tersimpan
- Jarak Metrik (distance metric) untuk menghitung jarak antar data
- Nilai k, jumlah tetangga terdekat (nearest neighbour) yang akan diambil
- Untuk mengklasifikasi data baru:
  - Hitung jarak terhadap data lain
  - Memilih k tetangga terdekat (nearest neighbour)
  - Gunakan label kelas dari tetangga terdekat untuk menentukan label kelas dari data baru (misalnya, dengan mengambil suara mayoritas)





# **Definition of Nearest Neighbor**



- K-nearest neighbor dari record x adalah
  - k data yang memiliki jarak terdekat ke x







#### **Nearest Neighbor Classification**

- Hitung jarak antara dua titik:
  - Euclidean distance

$$d(p,q) = \sqrt{\sum_{i} (p_{i} - q_{i})^{2}}$$

- Memilih class dari tetangga terdekat
  - Ambil suara mayoritas dari label kelas di antara k-nearest neighbour
  - Memberi bobot suara menurut jarak (distance)

$$w_i = \frac{1}{d(x, x_i)}$$
  $W = \sum w_i$   $y = \sum_{i=1}^k \frac{w_i}{W} y_i$ 







#### k-NN - Example

- Given 14 examples → map to 4-D space
- Classify unknown sample

- 3-NN: (0, 0, 1, 0): 1(yes), d = 0.5, w = 1/0.5 (0, 0.5, 0, 0): 0(no), d = 1.0, w = 1/1.0 (0, 0.5, 1, 1): 1(yes), d = 1.0, w = 1/1.0
- W = 4
- $y = 2/4 \times 1(yes) + 1/4 \times 0(no) + 1/4 \times 1(yes) = 0.75$



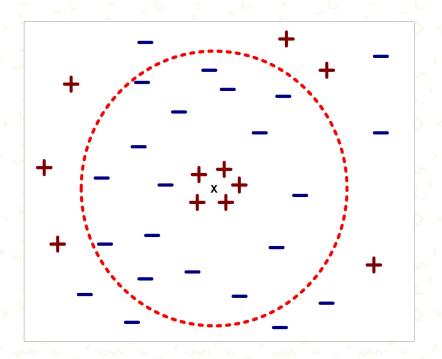
			and the second s	
age	income	student	credit_rating	buys_computer
0	1	0	0	0
0	1	0	1	0
0.5	1	0	0	1
1	0.5	0	0	1
1	0	1	0	1
1	0	1	1	0
0.5	0	1	1	1
0	0.5	0	0	0
0	0	1	0	1
1	0.5	1	0	1
0	0.5	1	1	1
0.5	0.5	0	1	1
0.5	1	1	0	1
1	0.5	0	1	0
	0 0 0.5 1 1 1 0.5 0 0 1 0 0.5 0.5	0     1       0     1       0.5     1       1     0.5       1     0       0     0.5       0     0.5       0     0.5       0     0.5       0     0.5       0     0.5       0.5     0.5       0.5     0.5       0.5     1	0       1       0         0       1       0         0.5       1       0         1       0.5       0         1       0       1         0.5       0       1         0       0.5       0         0       0.5       1         0       0.5       1         0.5       0.5       0         0.5       1       1         0.5       0.5       0         0.5       1       1	0       1       0       0         0       1       0       1         0.5       1       0       0         1       0.5       0       0         1       0       1       0         1       0       1       1         0.5       0       1       0         0       0       1       0         0       0.5       1       0         0       0.5       1       1         0.5       0.5       0       1         0.5       0.5       0       1         0.5       1       1       0





### **Nearest Neighbor Classification**

- Choosing the value of k:
  - If *k* is too small, sensitive to noise points
  - If *k* is too large, neighborhood may include points from other classes









#### **Nearest Neighbor Classification**

- Permasalahan Scaling
  - Attributes perlu di-scale
    - Untuk mencegah jarak (distance) didominasi oleh salah satu atribut
    - Contoh:
    - tinggi seseorang dapat bervariasi dari 1,5 m hingga 1,8 m
    - berat seseorang dapat bervariasi dari 40kg hingga 150kg
    - pendapatan seseorang dapat bervariasi dari \$10K hingga \$1M







### **Decision Tree**







# **Training Dataset**

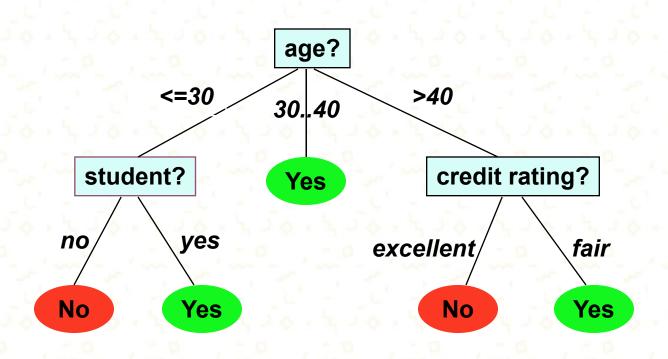
No.	age	income	student	credit_rating	buys_computer		
1	<=30	high	no	fair	no		
2	<=30	high	no	excellent	no		
3	3140	high	no	fair	yes		
4	>40	medium	no	fair	yes		
5	>40	low	yes	fair	yes		
6	>40	low	yes	excellent	no		
7	3140	low	yes	excellent	yes		
8	<=30	medium	no	fair	no		
9	<=30	low	yes	fair	yes		
10	>40	medium	yes	fair	yes		
11	<=30	medium	yes	excellent	yes		
12	3140	medium	no	excellent	yes		
13	3140	high	yes	fair	yes		
14	>40	medium	no	excellent	no		







#### Output: A Decision Tree for buys\_computer



X: (age="<30", income="medium", student="yes", credit="fair")



Yes





#### **Algorithm for DT Induction**

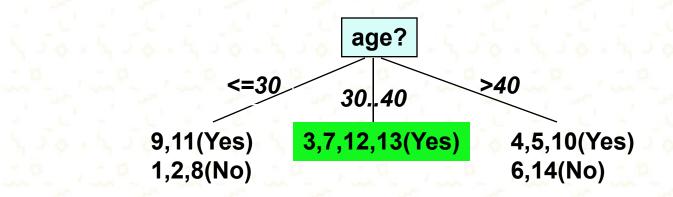
- Top-down recursive divide-and-conquer manner
  - Pada awalnya, semua training data ada di root
  - Attribute yang di node, dipilih berdasarkan heuristik atau statistik (mis., information gain)
  - Training data dipartisi secara rekursif berdasarkan atribut yang dipilih
- Kondisi untuk menghentikan partisi
  - Semua sampel termasuk dalam kelas yang sama
  - Tidak ada sampel yang tersisa
  - Tidak ada atribut yang tersisa

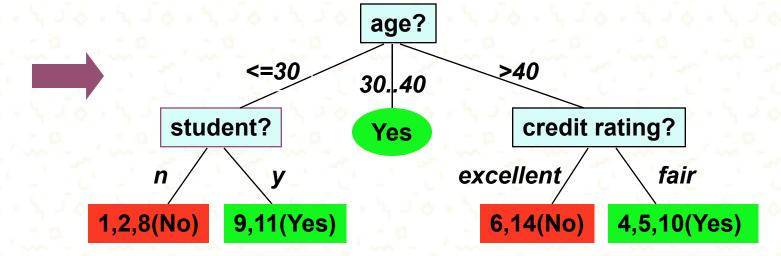






#### **Algorithm for DT Induction**









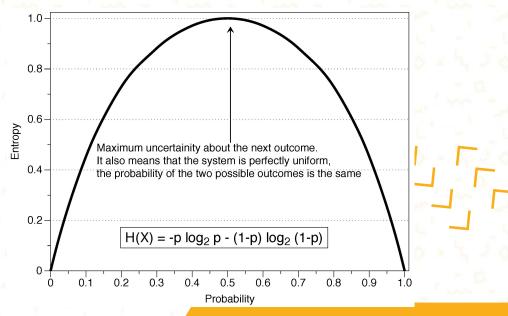


Entropi dapat didefinisikan sebagai ukuran kemurnian sub split.

$$E(S) = \sum_{i=1}^{m} p_i(-\log_2 p_i) = -p_1 \log_2 p_1 - p_2 \log_2 p_2$$

#### Examples

- S: {Y(1,2), N(3,4)} for instances 1,2,3,4
  - $\rightarrow$  E(S) = (-1/2)\*log(1/2) + <math>(-1/2)\*log(1/2) = 1
  - S: {Y(1,3,4), N(2)} for instances 1,2,3,4
    - → E(S) =  $(-3/4)*log(3/4) + (-1/4)*log(1/4) = 0.81 \frac{3}{9}$
  - S: {Y(1,2,3,4), N()} for instances 1,2,3,4
    - $\rightarrow$  E(S) =  $(-4/4)*\log(4/4) + (-0/4)*\log(0/4) = 0$



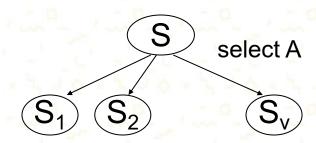




#### Information Gain (ID3/C4.5)

- Entropi yang diharapkan setelah memeriksa nilai atribut A
  - = Rata rata entropy dari S<sub>1</sub>, S<sub>2</sub>, ... S<sub>n</sub> setelah partisi S menggunakan atribut A dengan nilai {a<sub>1</sub>,a<sub>2</sub>,...,a<sub>v</sub>}

$$E(A) = \sum_{j=1}^{v} \frac{S_j}{S} E(S_j) = \frac{S_1}{S} E(S_1) + \frac{S_2}{S} E(S_2) + \dots + \frac{S_v}{S} E(S_v)$$



Hitung information gain dari attribute A

$$Gain(A) = E(S) - E(A)$$

Pilih atribut dengan Information gain yang terbesar





#### Attribute Selection by IG - Example

■C<sub>1</sub>: buys\_computer = "yes", C<sub>2</sub>: buys\_computer = "no"

$$=$$
E(D) = E(9,5) = 
$$-\frac{9}{14}\log\frac{9}{14} - \frac{5}{14}\log\frac{5}{14} = 0.94$$

$$\left(-\frac{2}{5}\log_2\frac{2}{5} - \frac{3}{5}\log_2\frac{3}{5}\right)$$

age	C1	C2	E(S <sub>i</sub> )
<=30	2	3	0.971
3040	4	0	0
>40	3	2	0.971

E(age) = 
$$\frac{5}{14}E(" \le 30") + \frac{4}{14}E("30..40") + \frac{5}{14}E(" > 40") = 0.69$$

**Gain(age)** = 
$$E(D) - E(age) = 0.25$$

Gain(income) = 0.03, Gain(student) = 0.15





#### **Extracting Classification Rules**

- Merepresentasikan pengetahuan dalam bentuk IF-THEN rules
  - Satu aturan (rule) dibuat untuk setiap jalur dari akar ke daun
  - Node daun menyimpan prediksi kelas
- Rules mudah dipahami manusia
- Example

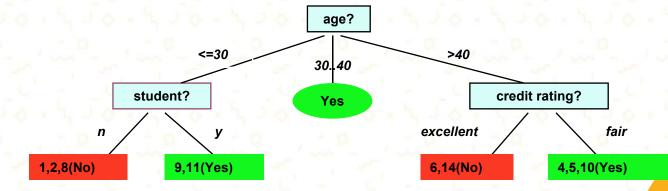
```
IF age = "<=30" AND student = "no" THEN buys_computer = "no"

IF age = "<=30" AND student = "yes" THEN buys_computer = "yes"

IF age = "31...40" THEN buys_computer = "yes"

IF age = ">40" AND credit = "excellent" THEN buys_computer = "yes"

IF age = ">40" AND credit = "fair" THEN buys_computer = "no"
```







### **Avoid Overfitting**

- Tree yang dibuat mungkin akan overfit terhadap training data
  - Terlalu banyak cabang, diakibatkan oleh ouliers data
  - Hasilnya akurasi yang rendah terhadap data testing
- Prepruning
  - Hentikan konstruksi pohon lebih awal—jangan membagi simpul jika ini akan mengakibatkan akurasi jatuh di bawah ambang batas
- Postpruning
  - Hapus cabang dari Tree / pohon yang telalu lebat.
  - Jika memangkas / pruning sebuah node menghasilkan tingkat error yang lebih kecil (terhadap test set), silahkan di pruning





### **Discussion on DT**

- Kelebihan
  - Aturan klasifikasi yang dapat dipahami oleh manusia
  - Kecepatan belajar/klasifikasi yang relatif lebih cepat
- Kekurangan
  - Sensitive (not robust/ tidak kuat) terhadap noises
  - Atribut bernilai kontinu secara dinamis mempartisi nilai atribut kontinu ke dalam set interval diskrit





#### **Ensemble Methods**

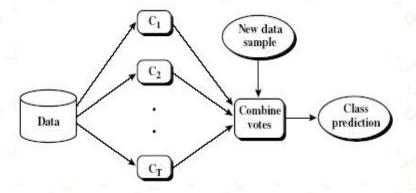






#### **Ensemble Methods**

- Ensemble
  - Use a combination of models to increase accuracy
  - Combine a series of k learned models,  $M_1$ ,  $M_2$ , ...,  $M_k$ , with the aim of creating an improved model  $M^*$

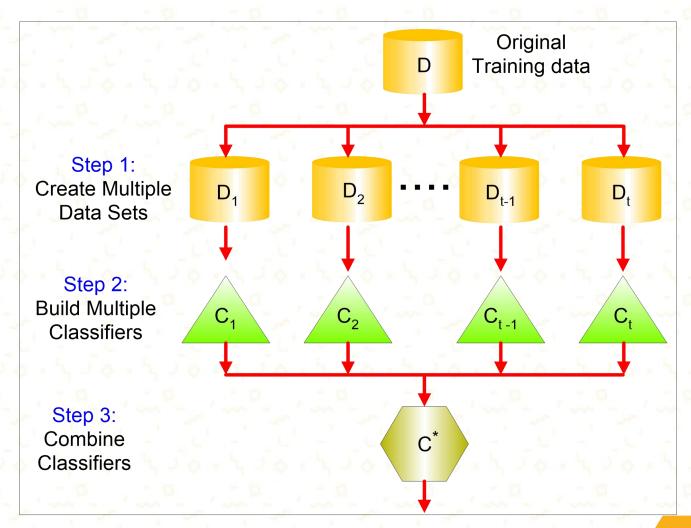


- Popular ensemble methods
  - Bagging: averaging the prediction over a collection of classifiers
  - Boosting: weighted vote with a collection of classifiers





#### **General Idea**







#### **Bagging**

- Analogy
  - Diagnosis based on multiple doctors' majority vote
- Training
  - Given a set D of d tuples, at each iteration i, a training set  $D_i$  of d tuples is sampled with replacement from D (i.e., boostrap)
  - A classifier model  $M_i$  is learned for each training set  $D_i$
- Classification
  - Each classifier *M<sub>i</sub>* returns its class prediction
  - The bagged classifier M\* counts the votes and assigns the class with the most votes to an unknown sample X
- Accuracy
  - Often significant better than a single classifier derived from D
  - For noise data: not considerably worse, more robust
  - Proved improved accuracy in prediction





Sampling with replacement

Original Data	1	2	3	4	5	6	7	8	9	10
Bagging (Round 1)	7	8	10	8	2	5	10	10	5	9
Bagging (Round 2)	1	<u>4</u>	9	_1_	2	3	_2	7	3	2
Bagging (Round 3)	_1	8	5	10	5	5	9	6	3	7

c1c2c3c4

- Build classifier on each bootstrap sample
- Counts the votes and assigns the class with the most votes to an unknown sample X
- Example : Random Forest





#### **Boosting**

- Analogy
  - Consult several doctors, based on a combination of diagnoses
  - Weight assigned based on the previous diagnosis accuracy
- Training
  - Weights are assigned to each training tuple
  - A series of k classifiers is iteratively learned
  - After a classifier  $M_i$  is learned, the weights are updated to allow the subsequent classifier,  $M_{i+1}$ , to pay more attention to the training tuples that were misclassified by  $M_i$
- Classification
  - The final *M*\* combines the votes of each individual classifier, where the weight of each classifier's vote is a function of its accuracy
- Accuracy
  - Comparing with bagging: boosting tends to achieve greater accuracy, but it also risks overfitting the model to misclassified data





#### **Boosting**

- Records that are wrongly classified will have their weights increased
- Records that are classified correctly will have their weights decreased

Original Data	- 1	2	3 -	<u> </u>	- 5	6	7	8	9	10
<b>Boosting (Round 1)</b>	7	3	2	8	7	9	4	10	6	3
<b>Boosting (Round 2)</b>	- 5	4	9	4	2	5	1	7	4	2
<b>Boosting (Round 3)</b>	4	4	8	10	4	5	4	6	3	4

c1c2c3c4

- Example 4 is hard to classify
- Its weight is increased; therefore it is more likely to be chosen again in subsequent rounds
- Example : AdaBoost





## **Lets Practice!**





# Thank YOU

