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Class:BE-4 Computer Engineering
Batch : R4
Lab Assignment No: 04
Title: Write a program to solve a 0-1 Knapsack problem using dynamic
programming or branch and
bound strategy.
** ** **
# a dynamic approach
# Returns the maximum value that can be stored by the bag
def knapSack(W, wt, val, n):
   K = [[0 \text{ for } x \text{ in range}(W + 1)] \text{ for } x \text{ in range}(n + 1)]
   #Table in bottom up manner
   for i in range (n + 1):
      for w in range (W + 1):
         if i == 0 or w == 0:
            K[i][w] = 0
         elif wt[i-1] \le w:
            K[i][w] = max(val[i-1] + K[i-1][w-wt[i-1]], K[i-1][w])
         else:
            K[i][w] = K[i-1][w]
   return K[n][W]
#Main
val = []
wt = []
print("Enter Number of Items to be tested:")
num=int(input())
for i in range(num):
    print("Enter item value")
    v=int(input())
    print("Enter item weight")
    w=int(input())
    val.append(v)
    wt.append(w)
W = int(input("Enter Knapsack Capcity"))
n = len(val)
print("Maximum Profit: ",knapSack(W, wt, val, n))
. . .
>> %Run BinaryKnapSack.py
Enter Number of Items to be tested:
Enter item value
60
Enter item weight
10
Enter item value
100
Enter item weight
2.0
Enter item value
120
Enter item weight
Enter Knapsack Capcity: 50
Maximum Profit: 220
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