

complex scenarios, with examples ranging from competitive dynamics [19] to social contagion [20]. Localization of dynamics over higher-order structures is yet another addition to this list. Our work thus paves the way for a more comprehensive analysis of structural interventions on networks.

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