

DEPARTMENT OF MATHEMATICS

Mathematics Lab Assessment No. 2

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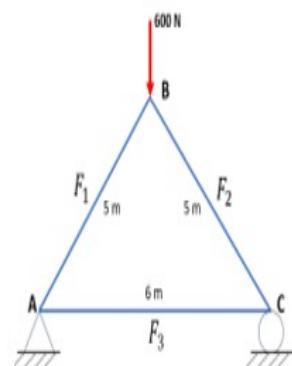
Question

For a triangular truss with three members: AB, AC, and BC, with Joint A is a pinned support (provides horizontal and vertical reactions).

Joint C is a roller support (provides only vertical reaction). A vertical load of 600 N is applied at joint B (the apex of the triangle).

AB = BC = 5 m; AC = 6 m; Height = 4 m

Find the axial forces F_1, F_2, F_3



Solution

i) Identify the parameters and mathematical concept

- Truss type: Planar triangular truss
- Members: AB, BC, AC
- Joints: A, B, C
- Support at A: Pinned (horizontal & vertical reactions)
- Support at C: Roller (vertical reaction only)
- Load: 600 N downward at joint B
- Dimensions:
- AB = BC = 5 m
- AC = 6 m
- Height = 4 m
- Unknown axial forces:
- F_1 in AB
- F_2 in BC
- F_3 in AC
- Mathematical concept used:
Equilibrium of forces + trigonometry + system of linear equations (matrix method)

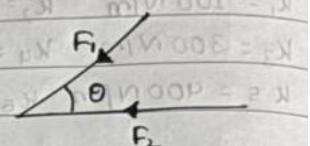
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ii) Solve analytically

[TRUSS]

a) Geometry:

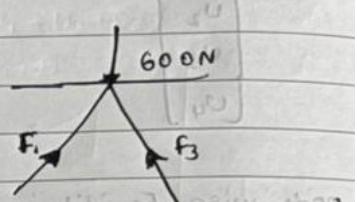
$$\cos \theta = \frac{3}{5} = 0.6, \quad \sin \theta = \frac{4}{5} = 0.8$$

$$\theta = \cos^{-1} \left(\frac{3}{5} \right) = 53.13^\circ.$$


b) Joint A

$$\sum F_x = 0:$$

$$F_3 + F_1 \cos \theta = 0$$

$$F_3 + 0.6 F_1 = 0 \quad \text{--- (1)}$$


c) Joint C

$$\sum F_x = 0:$$

$$F_3 + F_2 \cos \theta = 0$$

$$F_3 + 0.6 F_2 = 0 \quad \text{--- (2)}$$

d) Joint B

$$\sum F_y = 0$$

$$F_1 \sin \theta + F_2 \sin \theta = 600$$

$$F_1 \cdot 0.8 + F_2 \cdot 0.8 = 600$$

$$0.8 (2F_1) = 600 \Rightarrow F_1 = 375 \text{ N}$$

$$F_2 = 375 \text{ N}$$

$$F_3 = -0.6(F_1)$$

$$F_3 = -225.$$

$$\begin{bmatrix} 0.6 & 1 & 0 \\ 0 & 1 & 0.6 \\ 0.8 & 0 & 0.8 \end{bmatrix} \begin{bmatrix} F_1 \\ F_2 \\ F_3 \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \\ 600 \end{bmatrix}$$

$$\begin{bmatrix} F_1 \\ F_2 \\ F_3 \end{bmatrix} = \begin{bmatrix} 375 \\ 375 \\ -225 \end{bmatrix}$$

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iii) GeoGebra Screenshot / Program Execution

```
import numpy as np
#Coefficient Matrix
A=np.array([[0,4/5,4/5],
            [-1,0,-3/5],
            [1,3/5,0],
            ])
#vector b
B=np.array([600,0,0])

#Solution
S=np.linalg.solve(A,B)
print(S)
```

iv) Results and analysis from the graph

... [-225. 375. 375.]