

Robust implementation of LT Codes.

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20EC01045

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INTRODUCTION

1. Luby Transform (LT) codes are first realization of a class of erasure codes.
2. Analyse the run time of the encoder and decoder in terms of symbol operations.
3. Symbol operation = $S_i \oplus S_j$.
4. Rate-less.
5. LT codes are near optimal with respect to any erasure channel.
6. Encoding/decoding times are efficient as a function of the data length.

Input:

```
ad = '/MATLAB Drive/O/L out/b.jpg';  
% file path of the file  
r = 2;      % the wanted redundancy or rep  
SYN = 1;    % SYSTEMATIC LT Codes, T/F  
VSE = 1;    % VERBOSE, increase output verbosity  
P = 2^16;   % PACKET_SIZE  
ro = 0.01;  % ROBUST_FAILURE_PROBABILITY  
EPN = 1e-4; % EPSILON = 0.0001
```

Encoding:

```
symbol = Symbol.empty(0,dq);  
for i = 1:dq % i = symbol_index  
    % Get the random selection, generated precedently  
    % (for performance)  
  
    % selection_indexes, deg = generate_indexes(i, r[i], n)  
    [si, d] = geni(i, pr(i), nb, SYC); %  
  
    % Xor each selected array within each other gives the  
    % drop (or just take one block if there is only one  
    % selected)  
    drop = fb(si(1), :); % si(1)+ pf = f blocks  
    for n = 2: d % bitwise_xor  
        drop = bitxor(drop, fb(si(n),:)); % pf  
        % drop = drop ^ blocks[selection_indexes[n]]  
    end  
  
    % Create symbol, then log the process  
    symbol(i) = Symbol(i, d, drop); %i, d, drop  
    symbol(i).log(nb, SYC);  
  
    logg("Encoding", i, dq, EPN, P, dq) % , start_time  
    %yield symbol  
end
```

```
symbol 1, degree = 1      1
-- Encoding: 1/2 - 50.00% symbols at 1.63 MB/s
~0.08s
symbol 2, degree = 1      1
```

```
[~] = toc;
fprintf("\n---- Correctly dropped %d symbols " + ...
        "(packet size=%d)", dq, P);
```

```
---- Correctly dropped 2 symbols (packet size=65536)
```

Decoding

```
sbc = 0; % solved_blocks_count
isc = 0; % iteration_solved_count
tic    % start_time
while isc > 0 || sbc == 0

    isc = 0;

    % Search for solvable symbols
    while 0 < length(symbol) % symbol in enumerate(symbols)

        % Check the current degree. If it's 1 then we can
        % recover data
        if symbol(1).deg == 1 % i

            isc = isc + 1;
            bi = symbol(1).nes; % i block_index = next(iter
            syl = symbol(1);    % i
            symbol(1) = [];    % symbols.pop(i)
```

```
for os = 1:length(symbol) % other_symbol
    if symbol(os).deg > 1 && ~isempty(find( ...
        symbol(os).nes==bi, 1))

        % XOR the data and remove the index from
        % the neighbors
        symbol(os).data = bitxor(bls(bi), ...
            symbol(os).data)
        symbol(os).nes(bi) = []; % .remove

        symbol(os).deg = symbol(os).deg - 1

        if VSE
            fprintf("XOR block_%d with " + ...
                "symbol_%d : %d", bi, ...
                symbol(os).ind, symbol(os).nes);
            % list( .keys()
        end
    end
end
else
    symbol(1) = [];
end % break here while testing
end
end
```

Writing down the recovered blocks in a copy.

```
b = bls';    b = b(:);  
b = typecast(b(1:1:ceil(f/8)), 'uint8');  
  
fid = fopen(fcy, 'w', 'n', oen);  
fwrite(fid, b(1:f)); % shrunked_data  
fclose('all');  
  
fprintf("Wrote %d bytes in %s", dir(fcy).bytes, fcy)
```

Wrote 181586 bytes in /MATLAB Drive/b-copy.jpg

References

- 1) M. Luby, "LT codes," *The 43rd Annual IEEE Symposium on Foundations of Computer Science, 2002. Proceedings.*, Vancouver, BC, Canada, 2002, pp. 271-280, doi: 10.1109/SFCS.2002.1181950.
- 2) *Efficient Python Implementation of LT Codes*. url: <https://github.com/Spriteware/lt-codes-python>.
- 3) *Fountain Code: Matlab Implementation of LT Codes*. url: <https://github.com/AnuragPaul0/LT-Codes>.

THANK YOU