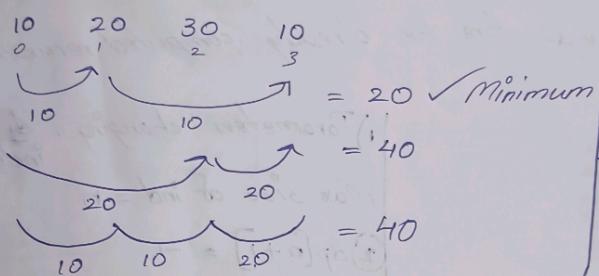


Frog Jump (Greeks For Greeks)

Ex:- If given "HEIGHT" array :- [10, 20, 30, 10]
O/P = 20

Explanation : Frog can jump from i^{th} stair to 2^{nd} stair $= (|20 - 10|) = 10$
Frog can jump from 2^{nd} stair to last stair $= (|10 - 20|) = 10$
So Total energy lost = 20 (Minimum energy lost).

Other Possible Ways



1) Represent indexes

10 20 30 10
0 1 2 3
(0-based index of height)

$f(n-1) \{$

// Min energy required
to reach $(n-1)$ from
0 based index

2) Do All Stuffs acc to the problem

1) If can jump 1 step & calculate ~~no~~ energy lost \Rightarrow

$$\text{jump1} = f(\text{ind}-1) + \text{abs}(a[\text{ind}] - a[\text{ind}-1])$$

2) If can jump 2 steps & calculate energy lost \Rightarrow

$$\text{jump2} = f(\text{ind}-2) + \text{abs}(a[\text{ind}] - a[\text{ind}-2])$$

3) Return minimum \Rightarrow return $\min(\text{jump1}, \text{jump2})$

$f(\text{ind}) \{$

if ($\text{ind} == 0$) return 0;

$$\text{jump1} = f(\text{ind}-1) + \text{abs}(a[\text{ind}] - a[\text{ind}-1]);$$

if ($\text{ind} > 1$) {

$$\text{jump2} = f(\text{ind}-2) + \text{abs}(a[\text{ind}] - a[\text{ind}-2]);$$

} return $\min(\text{jump1}, \text{jump2});$

Base Cases

1. if ($\text{ind} == 0$) return 0;

2. If you are at 1 &
go to -2 \Rightarrow -1 pos

\therefore if ($\text{ind} > 1$) {

} take jump2

How to convert Recursion into DP?

Memoization

- 1) Look at the parameters changing
- 2) Declare an array with max size of parameter & initialize it to -1
- 3) Use the array & store the already computed recursive values.

FROG JUMP

```
f(ind){  
    if(ind == 0) return 0;  
    jump1 = f(ind - 1) + abs(a[ind] - a[ind - 1]);  
    if(ind > 1){  
        jump2 = f(ind - 2) + abs(a[ind] - a[ind - 2]);  
    }  
    return min(jump1, jump2);
```

Code for Memoization

```
f(ind){  
    if(ind == 0) return 0;  
    if(dp[ind] != -1) return dp[ind];  
    jump1 = f(ind - 1) + abs(a[ind] - a[ind - 1]);  
    if(ind > 1){  
        jump2 = f(ind - 2) + abs(a[ind] - a[ind - 2]);  
    }  
    return dp[ind] = min(jump1, jump2);
```

1) Parameters changing is index
Max size of ind = n

2) $dp[n+1] = -1$

3) Store & return.

return $dp[ind] = \min(\cancel{jump1}, jump2)$;

2) Whenever calling recursion
check if it is previously
computed or not

if($dp[ind] \neq -1$) return $dp[ind]$;

Tabulation

In recursion you start from the top $f(5)$ and go to the bottom hence it is a Top-Down Approach, Tabulation is the exact opposite i.e., we calculate & Bottom-Up

Steps

- 1) Initialize the dp with $dp[n+1] = -1$
- 2) Check for Base Cases & write in the form of dp
In Frog Jump if ($ind == 0$) return 0 $\Rightarrow dp[0] = 0$;

In Memoization/Recursion jump₁, jump₂ operations are being performed from $f(5) \rightarrow f(0)$ (since it is Top Down Approach).

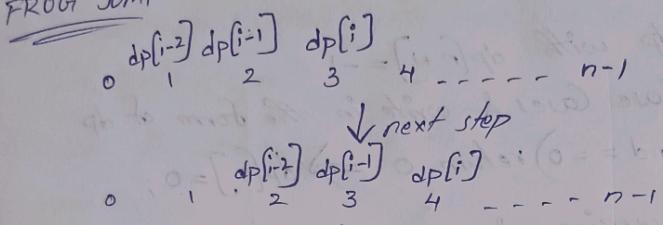
In Tabulation

```
for (i=1 → n-1){  
    jump1 = dp[ind-1] + abs(a[ind] - a[ind-1]);  
    if (i > 1){  
        jump2 = dp[ind-2] + abs(a[ind] - a[ind-2]);  
        dp[ind] = min(jump1, jump2);  
    }  
}  
return dp[n-1];
```

Space Optimization

wherever you see $dp[i-1], dp[i-2]$, you can perform space optimization. In Space Optimization instead of using array you store the values in variables.

FROG JUMP



At any position you only need $dp[i-1]$ & $dp[i-2]$ & you don't need anyone else. Therefore you store $dp[i-1]$ & $dp[i-2]$ in variables as prev1, prev2 instead of using array

At next step, you update $prev1 = curr$.

$prev2 = prev1$;

Code

```
int dp[n] = -1;
int prev1 = 0, prev2 = 0;
for(i=1 → n-1) {
    jump1 = prev1 + abs(a[i] - a[i-1]);
    if(i>1) {jump2 = prev2 + abs(a[i] - a[i-2])};
    int curr = min(jump1, jump2);
    prev2 = prev1;
    prev1 = curr;
}
return prev;
```