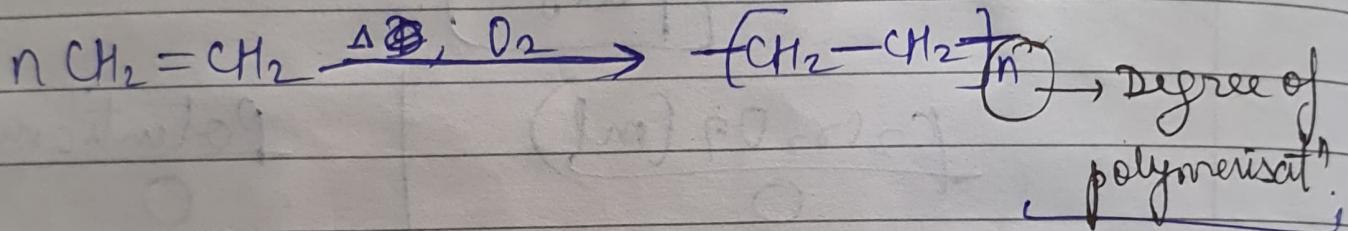


2/12/22

CHEMISTRY
UNIT-(4)
Polymer



indicates no. of monomers joined to form polymer.

$$D_p = \frac{M}{m}$$

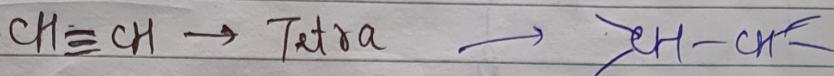
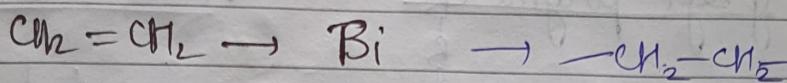
M → Molecular wt. of polymer
m → " " " monom.

D_p → Degree of polymerisation

Monomer

functionality \rightarrow no. of bonding sites which a monomer have.

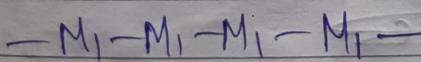
Malonic acid - $\text{HOOC}-\text{CH}_2-\text{COOH}$ \rightarrow Bifunctional
 glycol - $\text{HO}-\text{CH}_2-\text{CH}_2-\text{OH}$ \rightarrow Bifunctional
 Penterythritol - 5 'OH' \rightarrow Pentafunctional
 Aniline - Monofunctional ($\text{C}_6\text{H}_5\text{NH}_2$)
 CH_3COOH - Monofunctional.



* Types of Polymers (I)

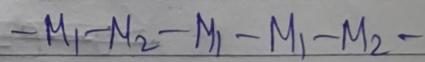
Homopolymers

only one kind of monomer



Copolymers

more than one kind of monomers



• Linear

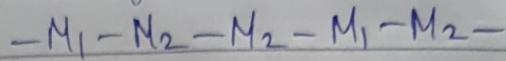
• Branched

• Cross-link

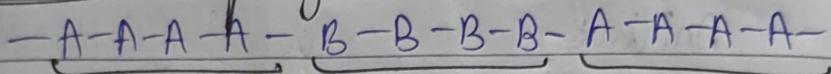
Types of Polymers (II)

III [① Linear regular copolymer :
 (regular pattern) - M₁ - M₂ - M₁ - M₂ - M₁ - M₂ -

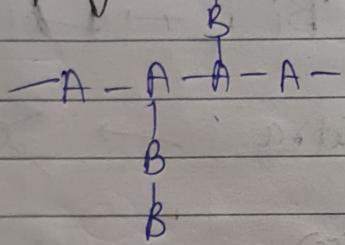
② Linear irregular copolymer :
 (irregular pattern)



* Block-chain polymer



* Graft polymer

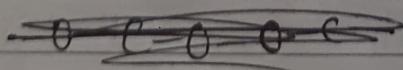


• Main chain → one type of monomer

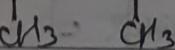
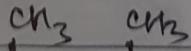
• Branched chain → diff. type of monomer

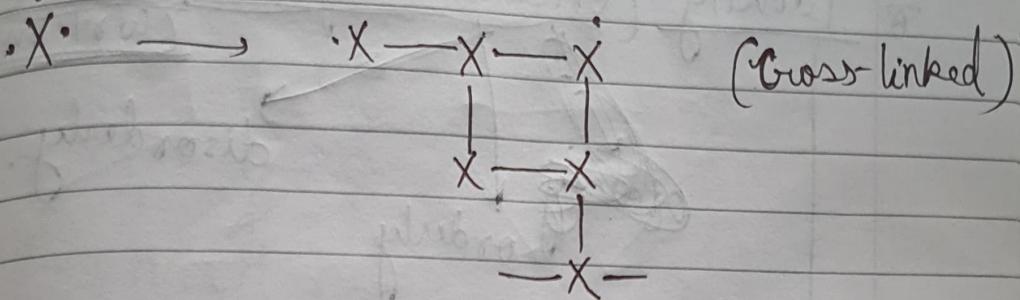
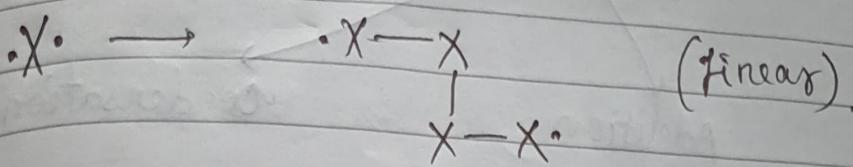
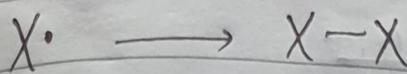
a) Homochain polymer.

→ ① Polyethylene adipate : → - O - C - O - C - O - C - O -



→ ① Polydimethyl siloxane : → Si - O - Si - O - Si -





* Min. requirement to make a polymer

Bifunctional

Classification of Polymers

* Origin: →

Natural

obtd. from
plants &
animals
(nature)

Semi-synthetic

chemical
modifications
on natural
polymers

Synthetic

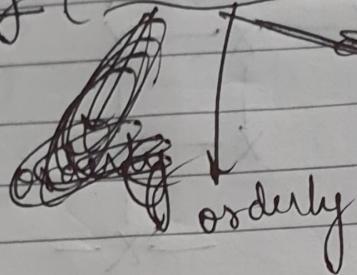
(man-made)

* Mode of formation :-

Addition

condensation

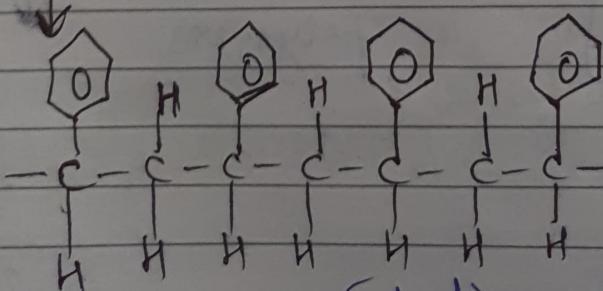
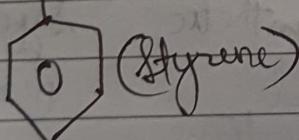
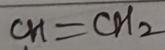
* Tacticity Orientation of monomeric unit w.r.t. main chain



① isotactic (cis)

② syndiotactic (trans)

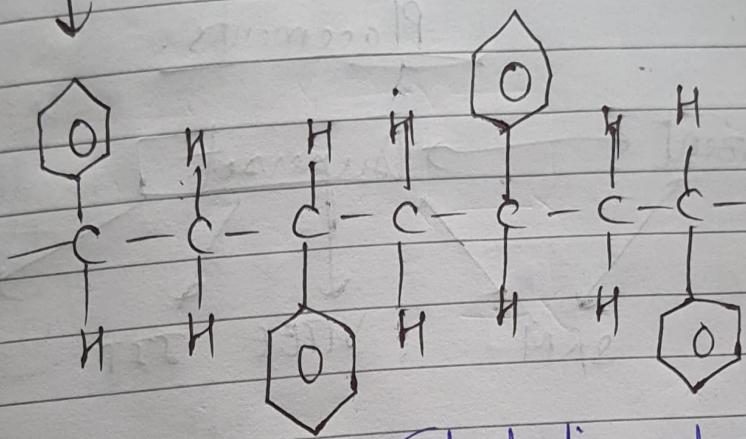
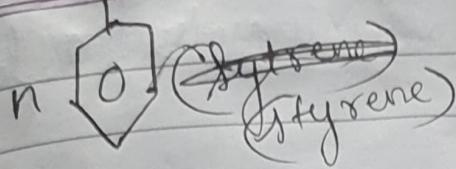
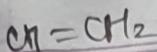
③ A-tactic (random)



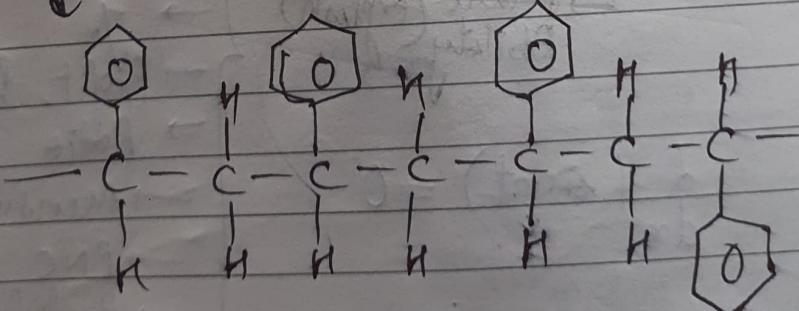
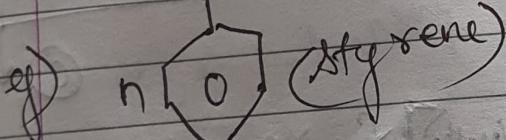
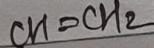
(Isotactic polystyrene)

* glass Transition Temperature:

Page No.	
Date	



(syndiotactic polystyrene)



(Atactic polystyrene)

⇒ Elastomers → weak intermolecular forces.

Thermoplastics v/s Thermosets

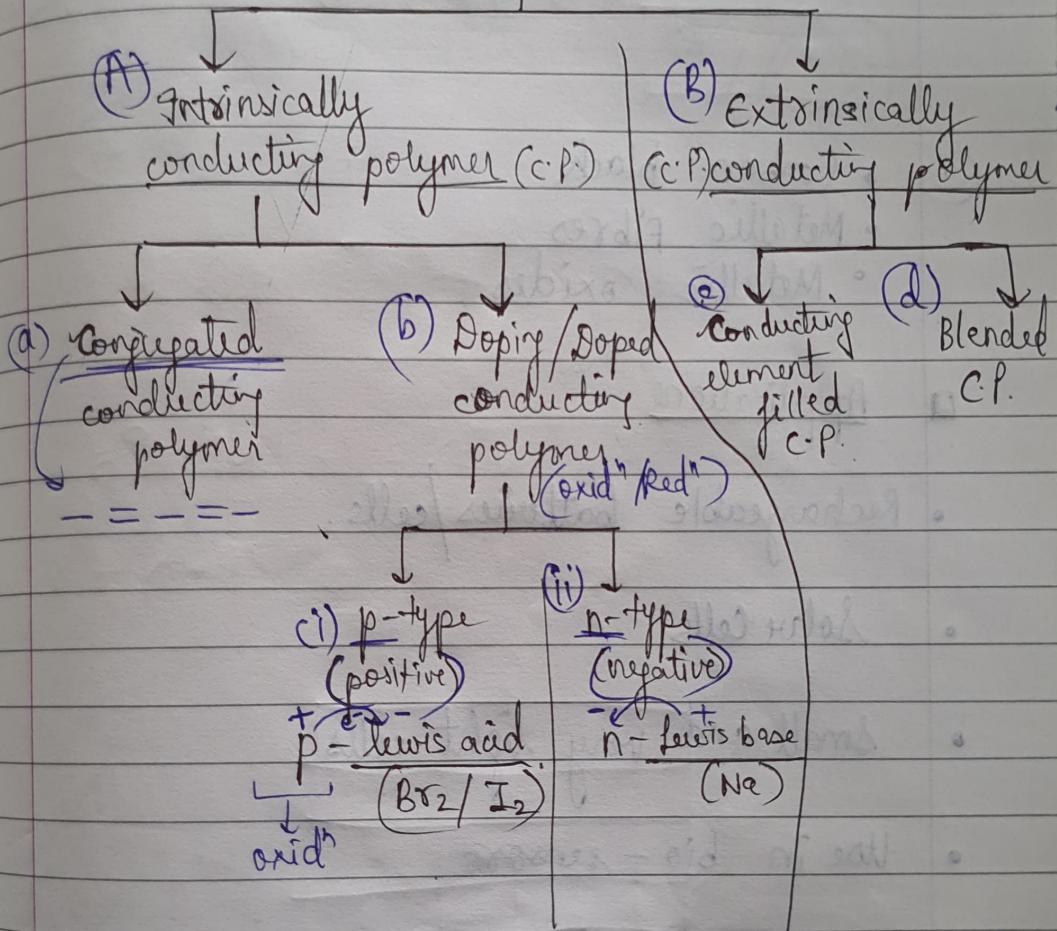
LEO → loss of e^- is oxidⁿ
 GER → gain of e^- is redⁿ
 Page No. _____ Date 5/2/22

CHEMISTRY

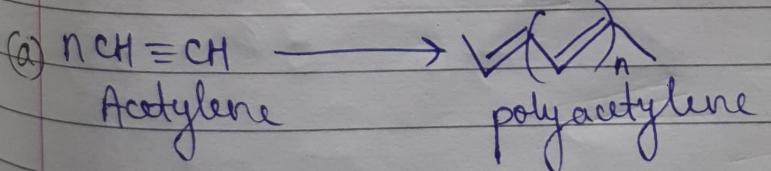
Conducting Polymers

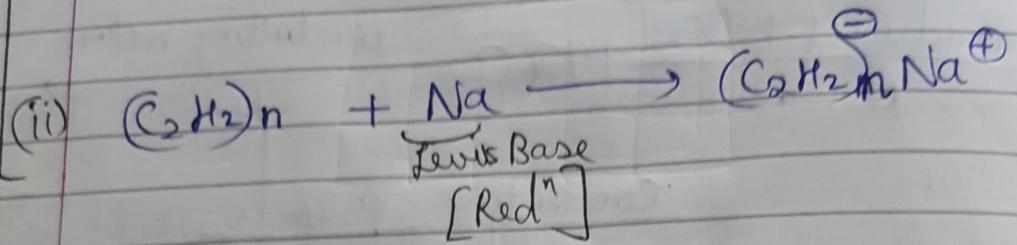
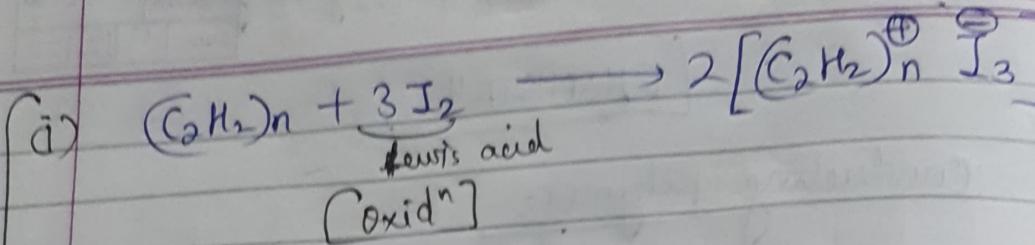
Conducting nature 1977
 ↙ NOT known ↘ known.

Conducting Polymers



* Examples





- (c)
- Carbon black
 - Metallic fibres
 - Metallic oxides

Applications

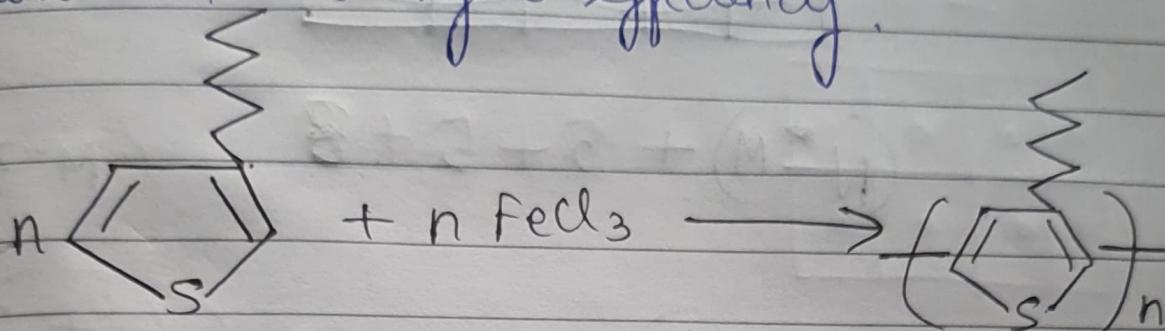
- Rechargeable batteries / cells.
- Solar Cells
- Small and very light cells.
- Use in bio-sensors.

P3HT

[Poly (3 hexyl Thiopene)]
 (Homopolymer)

- Regioregular property
- used as semiconductor.
- Easy ~~to~~ maintenance
- Low cost & high efficiency.

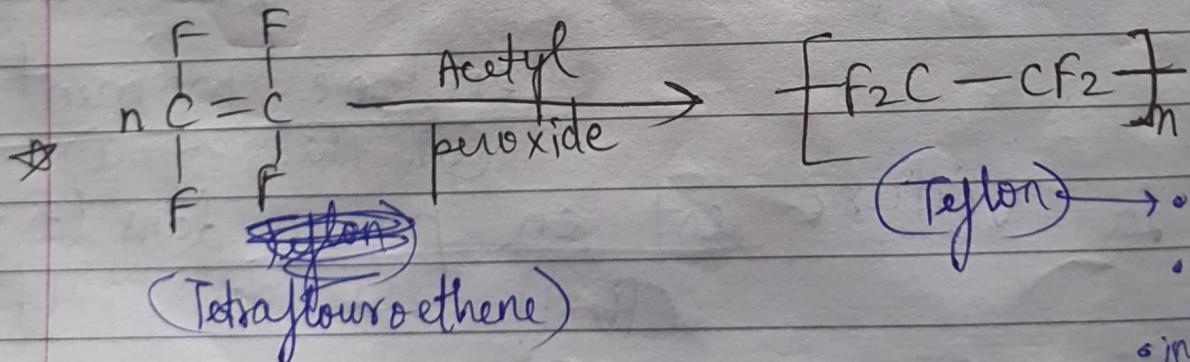
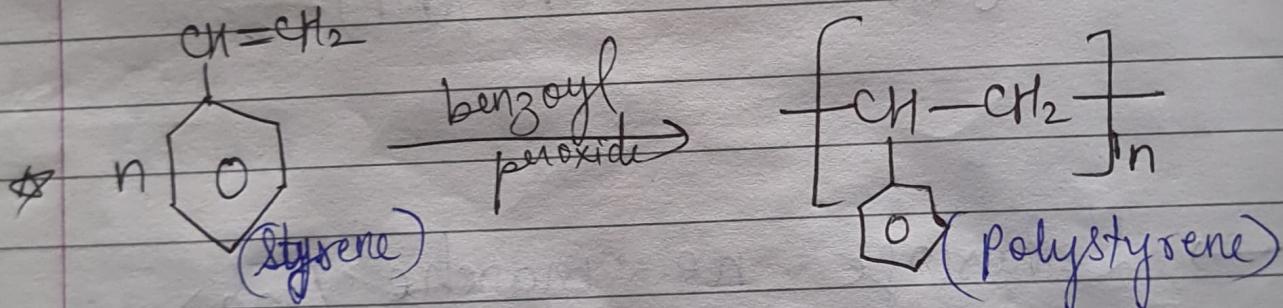
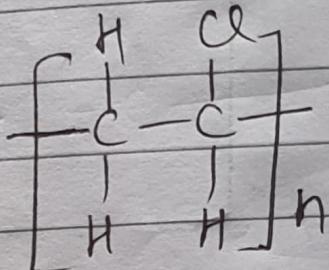
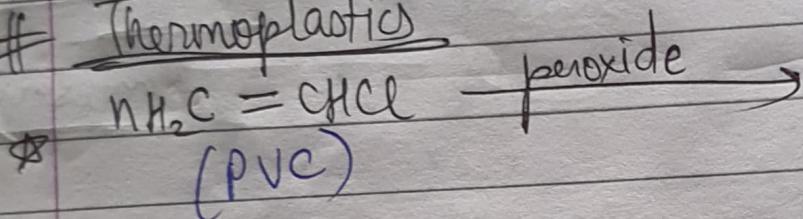
e.g.



6/22

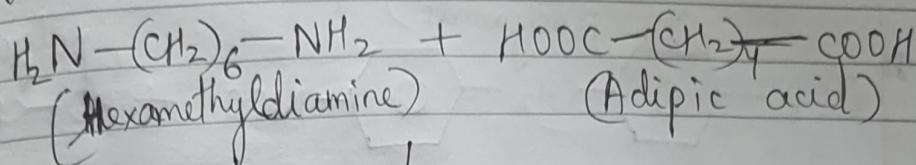
CHMISTRY

Thermoplastics

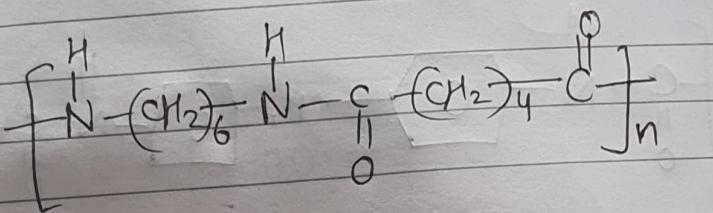


Thermosets

* Nylon 6,6

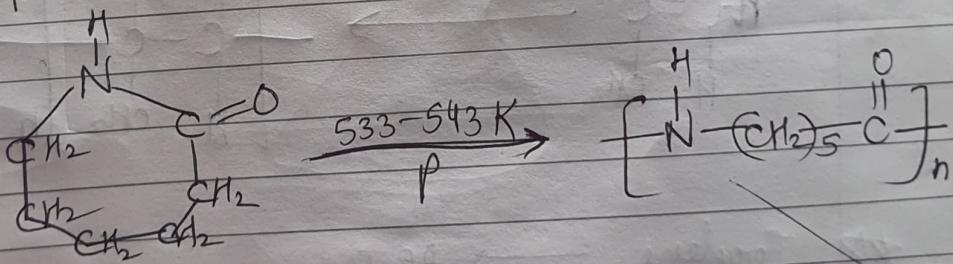


↓
525 K, P.

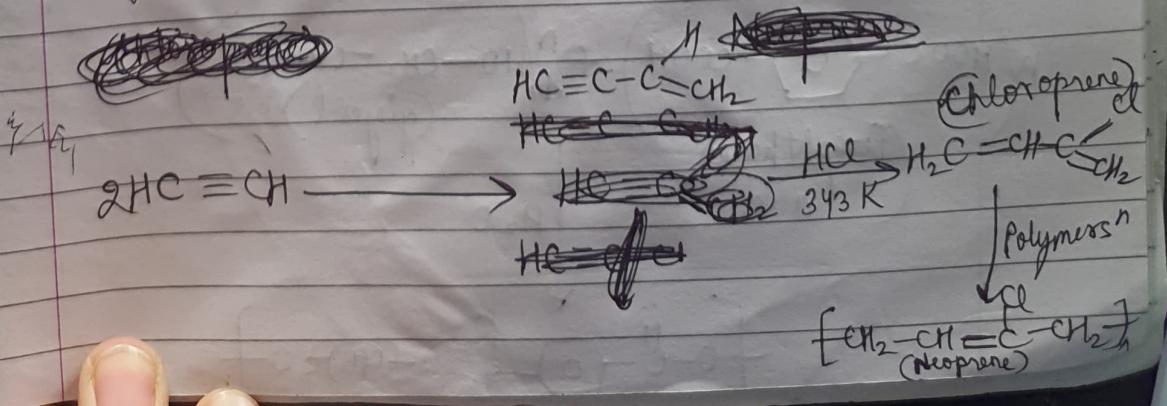


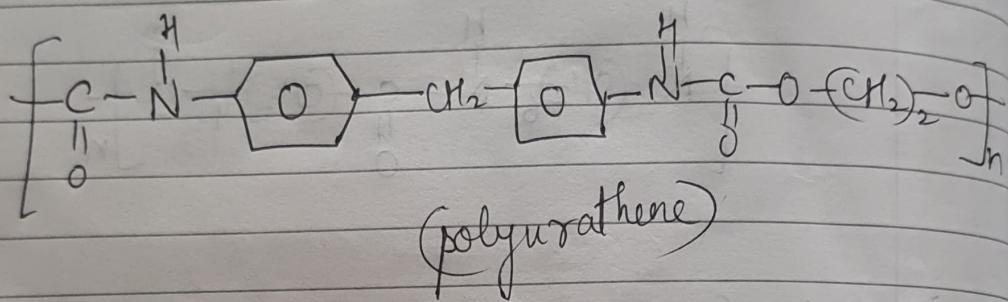
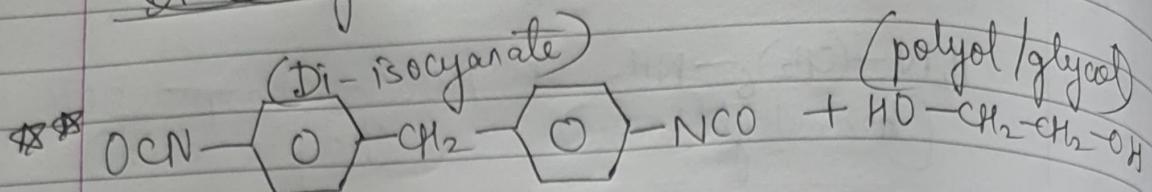
* Nylon 6

Caprolactum

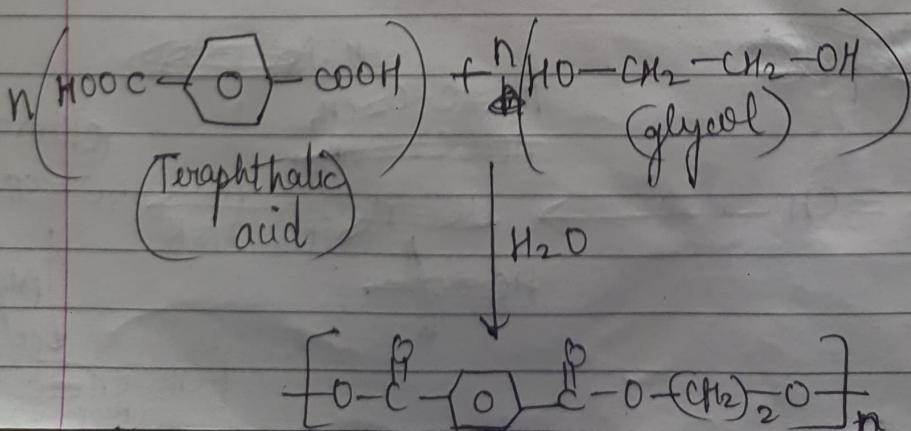
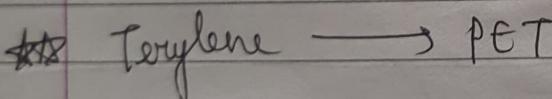
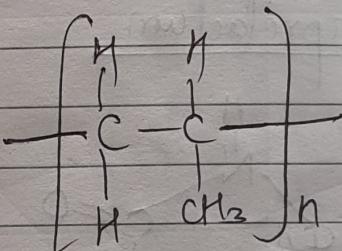
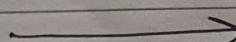
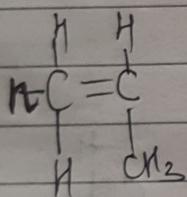


Synthetic Rubber



Di-isocyanate

★ ★



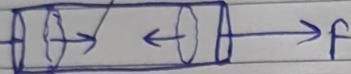
CHEMISTRY

Mechanical Properties of Solids

Solid :

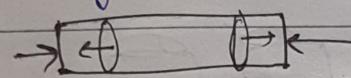
★ ★ Stress :

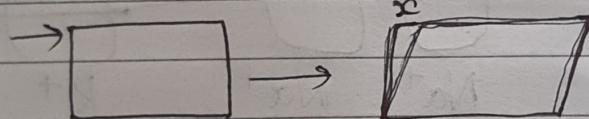
Internal Restoring force

① Tensile: 

$$(i) \sigma = \frac{F_r}{A} \quad (\text{Internal Restoring force}) \quad (\text{Unit: } N/m^2)$$

F_r → Internal Restoring force
 A → Area of cross-section

(ii) Compressive 

② Shearing: 

★ ★ Strain: ~~ratio b/w change in dimension
original dimension~~

Ratio b/w change in dimension
original dimension

$$\text{Strain} = \frac{\Delta l}{l}$$

Stress \propto Strain

$$\text{stress} = E \cdot \text{strain}$$

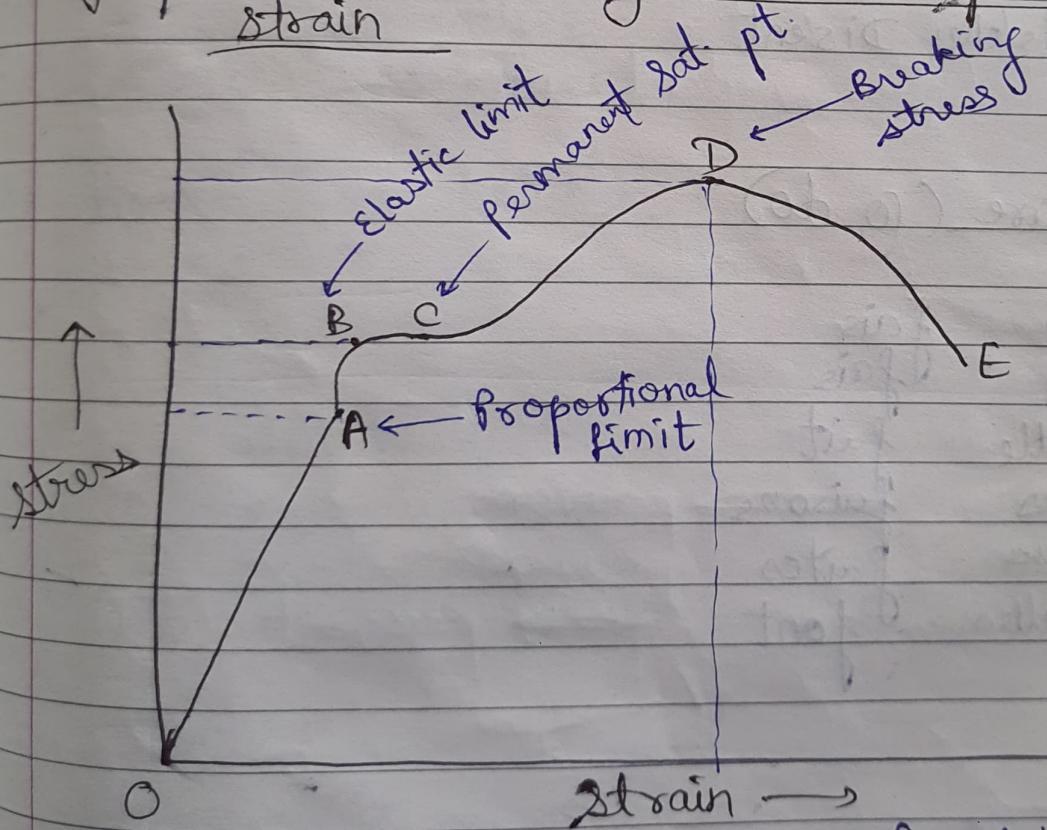
$$E = \frac{\text{stress}}{\text{strain}}$$

Elasticity

Young's Modulus (Y) :-

$$Y = \frac{\text{stress}}{\text{strain}}$$

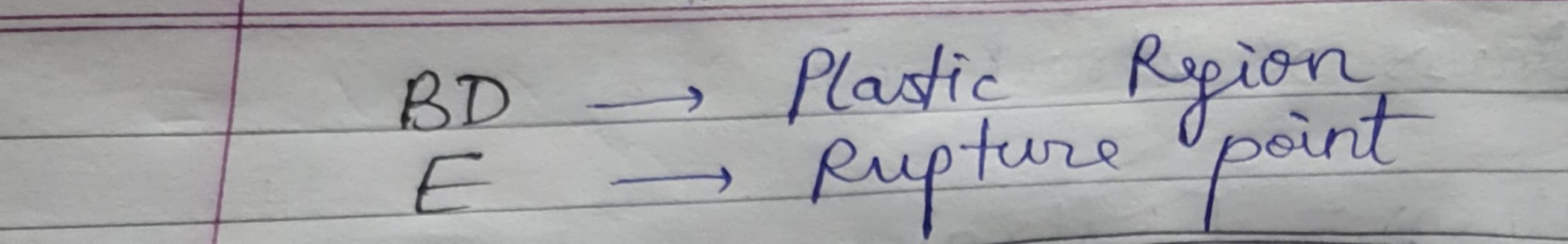
Graph demonstrating relationship b/w stress & strain



OA \rightarrow Stress \propto strain (Hooke's law obeyed)

AB \rightarrow Stress \npropto strain

After B point \rightarrow small stress and large strain



BD
E

Plastic Region
rupture point

CHEMISTRY

Number avg. mol. wt. method

Total wt. of the polymer
no. of mol

$$\begin{matrix} n_1 & n_2 & n_3 \\ M_1 & M_2 & M_3 \end{matrix}$$

$$\bar{M}_n = \frac{\sum n_i M_i}{\sum n_i} = \frac{\sum w_i}{\sum w_i/M_i}$$

Average wt. mol. wt. method

$$\bar{M}_w = \frac{\sum w_i M_i}{\sum w_i} = \frac{\sum n_i M_i^2}{\sum n_i M_i}$$

* 9 moles, $M_1 = 30,000$

* 5 moles, $M_2 = 50,000$

$$\bar{M}_n = \frac{[9(30,000) + 5(50,000)]}{(9+5)}$$

$$= \frac{270,000 + 250,000}{14}$$

$$= \frac{520,000}{14}$$

=

$$M_w = \frac{(9)(30,000)^2 + (5)(50,000)^2}{9(30,000) + 5(50,000)}$$

$\boxed{PDI = \frac{M_w}{M_n}}$

→ tells whether it is
homogeneous or
heterogeneous.

Poly-dispersity index.

Q A poly-dispersed sample of polystyrene is prepared by mixing 3 ~~samples~~ in the following mono-dispersed samples in the following proportion:

① 1gm ; 10,000 M.W.

② 2gm ; 50,000 M.W.

③ 2gm ; 1,00,000 M.W.

Calculate PDI.

Ans $M_w = \frac{(1)(10,000) + 2(50,000) + 2(1,00,000)}{1+2+2}$

$$= \frac{3,10,000}{5}$$

$$= 62,000$$

$$Mn = \frac{1+2+2}{(10,000 + 50,000 + 1,00,000)}$$

$$= \frac{5}{10 + 4 + 2} = \frac{5}{1,00,000} = \frac{5,00,000}{1,00,000} = 50,000$$

$$= \frac{31,250}{62,500} = \frac{31,250}{75,000} = \frac{31,250}{25,000} = 125$$

$$= 31,250$$

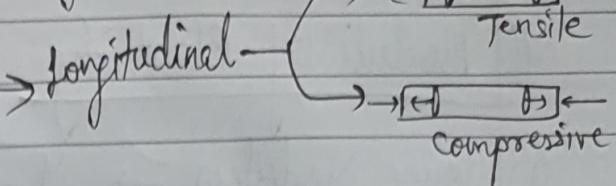
$$PDI = \frac{M_w}{M_n}$$

~~$$= \frac{248}{62,000}$$~~

~~$$= \frac{31250}{6250}$$~~

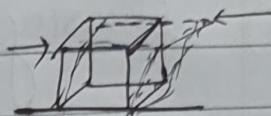
$$125 = 1.98\%$$

Mechanical Properties of Solids

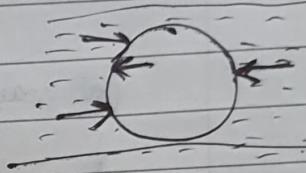


* Stress

Shearing

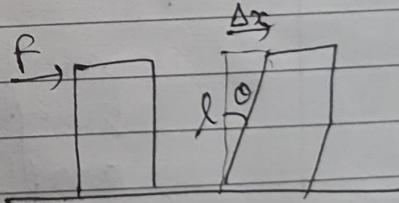


Volumetric/Bulk



* Strain

$$\epsilon = \frac{\Delta x}{l}$$



$$\rightarrow \frac{\Delta V}{V}$$

Relation b/w stress & strain

stress \propto strain

$$\text{stress} = E \cdot \text{strain}$$

$$E = \frac{\text{stress}}{\text{strain}}$$

Young's Modulus.

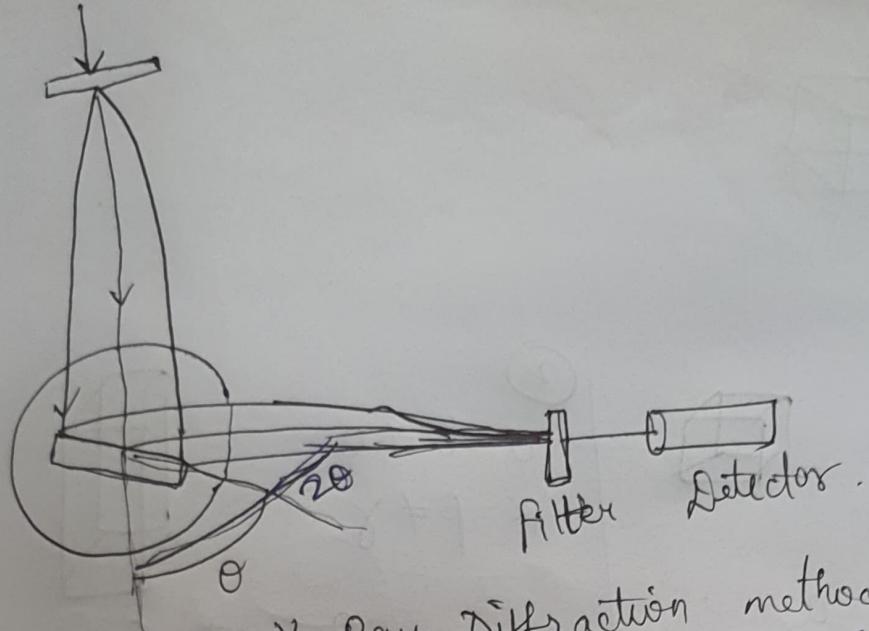
Moduli of Elasticity.

(i) Young Modulus $\rightarrow Y = \frac{\text{Stress}}{\text{Strain}} = \frac{F/A}{\Delta l/l} \Rightarrow F^{\text{my}} / A - \Delta l / l$

(ii) Shearing $\rightarrow \frac{F/A}{\Delta l^2}$

(iii) Bulk / Volume

9/12/22



* XRD → X-Ray Diffraction method.

• used to obtain structure / pattern of crystal.

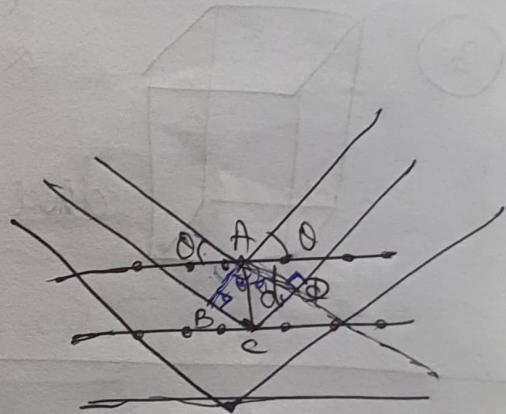
• Source (X-Ray)

$$n\lambda = 2d \sin\theta$$

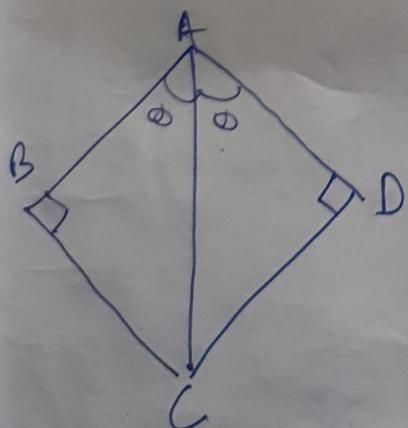
n = whole no

λ = wavelength of radiation

d = interplanar spacing



$$\sin\theta = \frac{BC}{AC}$$

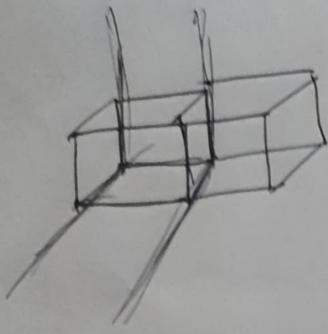


$$BC + CD = n\lambda$$

$$2BC = n\lambda$$

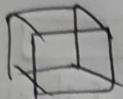
$$n\lambda = 2 AC \sin\theta$$

$$\boxed{n\lambda = 2 d \sin\theta}$$



①

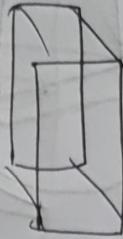
$$a = b = c \\ \alpha = \beta = \gamma$$



$$d_{\text{rel}} = \frac{a}{\sqrt{h^2 + k^2 + l^2}}$$

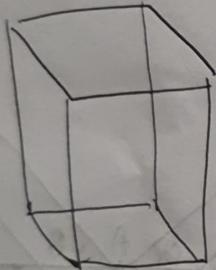
②

$$a = b \neq c \\ \alpha = \beta \neq \gamma$$



$$d_{\text{rel}} = \frac{a}{\sqrt{h^2 + k^2}} + \frac{c}{\sqrt{l^2}}$$

③

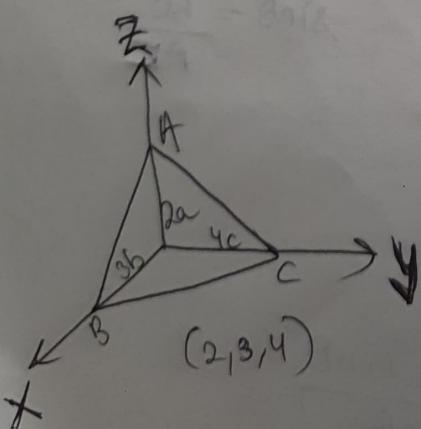


$$a \neq b \neq c$$

$$\alpha \neq \beta \neq \gamma$$

$$d_{\text{rel}} =$$

$$\frac{a}{\sqrt{h^2}} + \frac{b}{\sqrt{k^2}} + \frac{c}{\sqrt{l^2}}$$



Q How to obtain mirror indices?

$$\text{g} \quad \begin{array}{cccc} 1 & 2 & 3 & 4 \end{array}$$

$$\begin{array}{cccc} 2 & \frac{1}{2} & \frac{1}{3} & \frac{1}{4} \end{array}$$

$$\begin{array}{cccc} 3 & \frac{6}{12} & \frac{4}{12} & \frac{3}{12} \end{array}$$

$$\Rightarrow \begin{array}{ccc} 6 & 4 & 3 \end{array} \rightarrow \cancel{(6, 4, 3)} \quad (6, 4, 3)$$

$$\text{g} \quad \begin{array}{ccc} 1 & 1 & -4 \end{array}$$

$$\begin{array}{ccc} 1 & \frac{1}{4} & -\frac{1}{4} \end{array}$$

$$4 \quad \begin{array}{ccc} 4 & 4 & -1 \end{array} \rightarrow \cancel{(4, 4, -1)} \quad (4, 4, -1)$$

$$-1 \Rightarrow \bar{1} \quad \cancel{(1, 1, 1)} \\ (1 \text{ is } 3\text{ bar})$$

representation of
-ve no. in
mirror indices.

length of cubic lattice in lithium method in which the separation

Q Calculate the mirror indices of mirror place which cut the plane at $(2a, 3b, c)$ and $(2a, -3b, -3c)$

$$\begin{array}{cccc} 1 & 2 & 3 & 1 \\ \frac{1}{2} & \frac{1}{3} & \frac{1}{3} & \frac{1}{3} \end{array}$$

$$3 \quad 2 \quad 6 \rightarrow \cancel{(1, 2, 6)} \quad (3, 2, 6)$$

$$\begin{array}{cccc} 2 & -3 & -3 \\ \frac{1}{2} & \frac{-1}{3} & \frac{-1}{3} \end{array}$$

$$3, -2, -2 \rightarrow \cancel{(3, 2, 2)} \quad (3, 2, 2)$$

Q The parametric of an orthorombic unit cell are

$$a = 50 \text{ cm}$$

$$b = 100 \text{ cm}$$

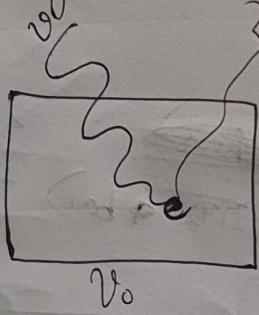
$$c = 150 \text{ cm}$$

Determine the spacing b/w the 1, 2, 3 plane

$$\text{Ans} \quad \frac{50}{1} + \frac{100}{2} + \frac{150}{3} \\ = 50 + 50 + 50 = 150 \text{ cm}$$

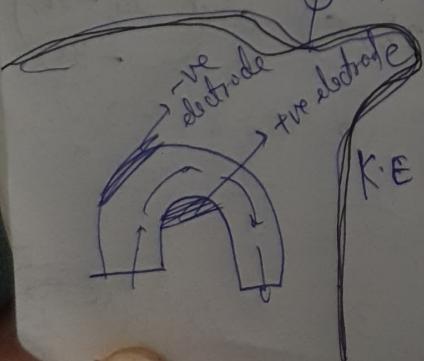
~~length of a unit cell~~

(XPS → X-Ray Photon Electron Spectroscopy)



$$h\nu = BE + KE + \phi$$

$\phi \rightarrow$ work fn of instrument.



$$KE = h\nu - BE - \phi$$

12/12/22

CHEMISTRY

$$\gamma = \frac{\text{stress}}{\text{strain}}$$

$$\text{Strain} = \frac{\Delta l}{l}$$

$$\text{Stress} = \frac{\text{Force}}{\text{Area}}$$

Q1

A wire 2m long and 2mm in diameter when stretched by weight of ~~8~~ 8kg

$$\Delta l = 0.24 \text{ mm}$$

Find γ , strain & stress.

Ans

$$l = 2\text{m}$$

$$d = 2\text{mm}$$

$$r = 1\text{mm} = 1 \times 10^{-3}\text{m}$$

$$m = 8\text{kg}$$

$$F = mg = (8 \times 9.8) \cancel{\text{N}}$$

$$\Delta l = 0.24\text{mm} = 2.4 \times 10^{-4}\text{m}$$

$$\textcircled{c} \text{ strain} = \frac{\Delta l}{l} = \frac{2.4 \times 10^{-4}}{2} = 1.2 \times 10^{-4} = 0.12\text{mm}$$

$$\textcircled{c} \text{ stress} = \frac{\frac{4}{3} \pi r^2 \times 9.8}{1.57 \times 10^{-6}} = 2.5 \times 10^7 \text{ N/m}^2$$

$$\textcircled{c} \gamma = \frac{\text{stress}}{\text{strain}} = 2.08 \times 10^{11} \text{ N/m}^2$$

Q2 A mild steel wire of radius 0.5mm & length 3m is stretched by a force of 49N. If ~~$\gamma_{steel} = 2.1 \times 10^{11} \text{ N/m}^2$~~ . calculate stress, strain, elongation.

$$l = 3\text{m}$$

$$r = 0.5\text{mm} = 5 \times 10^{-4}\text{m}$$

$$F = 49\text{N}$$

$$\text{Stress} = \frac{f}{A} = 6.238 \times 10^7 \text{ N/m}^2$$

$$\text{Strain} = \frac{\text{Stress}}{\gamma} = 2.97 \times 10^{-4}$$

$$\Delta l = (\text{Strain})(l) = 8.91 \times 10^{-4} \text{ m}$$

Q3 $l = 1 \text{ m}$

$$d = 2 \text{ mm}$$

$$m = 40 \text{ kg}$$

$$\gamma = 7 \times 10^{10} \text{ N/m}^2$$

$$\text{Stress} = ? \quad \text{Strain} = ?$$

$$\text{Stress} = \frac{F}{A} = \frac{(40)(9.8)}{(3.14)(\cancel{2})} \times 10^6$$

$$= \frac{4(98)(10^6)}{3.14 \cancel{157}}$$

$$\text{Strain} = \frac{\text{Stress}}{\gamma} = \frac{?}{7 \times 10^{10}}$$

$$l = 1.5 \text{ m}$$

$$\gamma = 0.4 \text{ mm}$$

$$\Delta l = 1.2 \text{ mm}$$

$$\gamma = 12.5 \times 10^{10} \text{ N/m}^2$$

$$\therefore F = ?$$

$$\text{Strain} = \frac{\Delta l}{l} = \frac{1.2 \times 10^{-3}}{1.55}$$

$$= 0.8 \times 10^{-3}$$

$$\begin{aligned}\text{Stress} &= (\text{strain}) (\gamma) \\ &= (0.8 \times 10^{-3}) (12.5 \times 10^{10}) \\ &= 10 \times 10^7 = 10^8\end{aligned}$$

$$\frac{1.2 \times 10^{-3}}{1.55}$$

$$\begin{aligned}F &= (10^8) (3.14) \cancel{(0.4 \times 10)} \\ &\quad (4)(9)(10^{-8}) \\ &= 50.24 \text{ N}\end{aligned}$$

$$\begin{aligned}&314 \\ &\cancel{16} \\ &\cancel{1084} \\ &\cancel{1884} \\ &\cancel{314} \\ &\cancel{5024}\end{aligned}$$

Q5

$$\Delta l = ?$$

$$l = 5 \text{ m}$$

strain = 1% of 0.1

$$A = 1 \text{ mm}^2$$

$$m = 10 \text{ kg}, \text{ stress} = ?$$

$$\frac{1}{100} \times \frac{1}{10} \times 5 = \Delta l$$

$$\Delta l = 0.005 \text{ m} = 5 \times 10^{-3} \text{ m} = 5 \text{ mm}$$

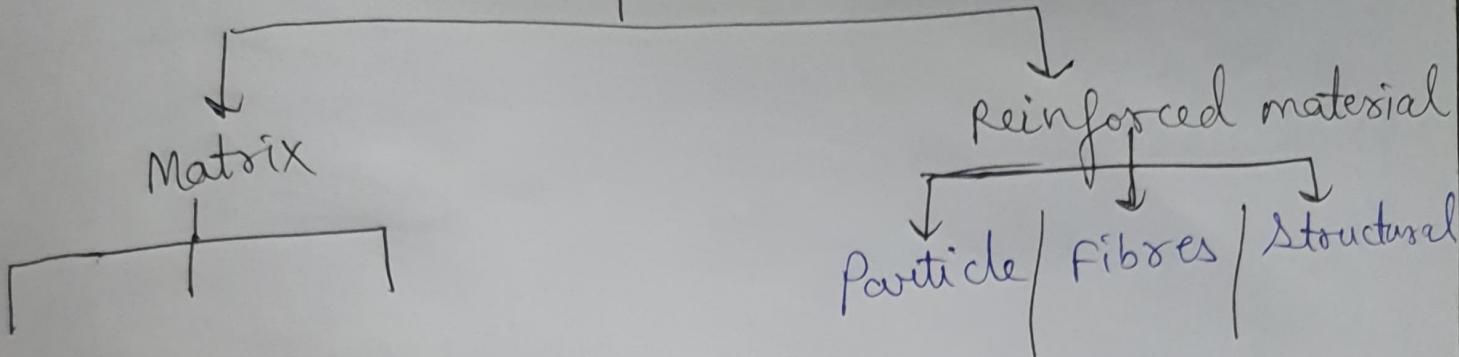
$$\text{stress} = \frac{(10)(9.8)}{1 \times 10^{-6}} = 98 \times 10^6 \text{ N/m}^2$$

$$= 9.8 \times 10^7 \text{ N/m}^2$$

14/12/22

CHMISTRY

COMPOSITES



Matrix + Reinforced material = Composites