| Course Code | 21MAB201T | Course Name | TRANSFORMS AND E | BOUNDARY VALUE PROBLEMS | | ourse egory | В | Basic Sciences | | | L T P C 3 1 0 4 | | | | | | | | |
|--|---|---|----------------------------------|----------------------------------|--------------------------|--|--------------------|-------------------------------|--------------------------------------|--|---|----------------|---|---------------------------------|---|-----------------------------------|-------------------|-------------------|-------------------|
| Pre- requisite Courses | | Co- Nil requisite Nil Courses | | | Progressi ve Nil Courses | | | | | | | | | | | | | | |
| Course C | Offering Departme | ent | Mathematics | Data Book / Codes / Standards | | Nil | | | | | | | | | | | | | |
| Course Le | Course Learning Rationale (CLR): The purpose of learning this course is to: | | | | | | | Program Outcomes (PO) Program | | | | | | | | | | | |
| CLR-1: | Analyze partial differential equations, and interpret the solutions related to PDE in engineering problems. | | | | | 1 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | | Specific outcomes | |
| CLR-2: | Compute the Fo | urier serie | s expansion and express the sine | and cosine series. | | Co | | | | | | | | | | | | | |
| CLR-3: | Analyze one-dimensional wave and heat equations using PDE and Fourier series concepts. | | | | | En | De | LICT | | ' | En vir | | In | | Pr | | | | |
| CLR-4: | Analyze Fourier transforms and their properties. | | | | 1 [| | sig n/ | inv | | Th | | | | | | | | | |
| CLR-5: | LR-5: Analyze Z transform for solving discrete-time Signal problems. | | | | | | de | I IMA | | e en | on m | | div id | Со | oj ec | Lif | | | |
| Course Outcomes (CO): At the end of this course, learners will be | | | | rners will be able to: | r k | ne ob oberi ob le m Kn Ar obw aly sis | op m en t | of co | er n To ol Us ag e | gi ne er an d so cie ty | en t & Su st ai na bili ty | Et hic s | ua & Te a m W or k | m m un ica tio n | t M gt. & Fi na nc e | e Lo ng Le arn ing | P S O -1 | P S O -2 | P S O -3 |
| CO-1: | Construct and solve partial differential equations using various techniques. | | | | | 3 3 | - | - | - | - | - | - | - | - | - | - | - | - | - |
| CO-2: | 2: Explain the Fourier series expansion of a function in terms of sine and cosine series. | | | | | 3 3 | - | - | - | - | - | - | - | - | - | - | - | - | - |
| CO-3: | Identify partial differential equations and utilize Fourier series techniques to solve one dimensional wave and heat equations. | | | | | 3 3 | - | - | - | - | - | - | - | - | - | - | - | - | - |
| CO-4: | Apply Fourier tra | Apply Fourier transforms techniques in signal analysis. | | | | 3 3 | - | - | - | - | - | - | - | - | - | - | - | - | - |
| CO-5: | Solve discrete-time signal problems using Z transforms. | | | | | 3 3 | - | - | - | - | - | - | - | - | - | - | T - | - | - |

Unit-1 - Partial Differential Equations

Formation of partial differential equations by eliminating arbitrary constants & arbitrary functions- Solutions of standard types of first order partial differential equations — Lagrange's linear equation — Linear partial differential equations of second and higher order with constant coefficients of homogeneous types.

| Unit-2 - Fourier Series 12 Hour |
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Dirichlet's conditions – General Fourier series – Odd and even functions - Half range sine and cosine series - Parseval's identity – Harmonic Analysis

Unit-3 - Applications of Partial differential equations

12 Hour

Classification of second order partial differential equations - Method of separation of variables - Solutions of one dimensional wave equation - One dimensional equation of heat conduction (Insulated edges excluded) - Steady state condition with zero boundary - Steady state condition with non-zero boundary conditions

Unit-4 - Fourier Transforms 12 Hour

Fourier transform pair – Properties -Fourier sine and cosine transforms – Properties – Transforms of simple functions - Convolution theorem (without proof) – Parseval's identity.

Unit-5 - Transforms 12 Hour

Z - transforms – Properties of Z transforms – Inverse Z transforms – Convolution theorem (without Proof) – Solution of linear difference equations with constant coefficients using Z-transform

| Learning Resources 3. | Sons, 2015. B.S. Grewal, Higher Engineering Mathematics, Khanna Publishers, 43rd Edition, 2015. Veerarajan T., Transforms and Partial Differential Equations, Tata McGraw-Hill, | New Delhi, 10th edition, 2016. 6. Kandasamy P., etal. Engineering Mathematics, Vol.II & Vol.III (4 th revised edition), S. Chand & Co., New Delhi, 2000 |
|-----------------------|---|--|
| Resources 3. | New Delhi, 3rd edition,2012. Ramana B.V., Higher Engineering Mathematics, Tata McGraw Hill New Delhi, 2010 3rd Edition. | |

| | | | Continuous Learnin | g Assessment (CLA) | | Summative Final Examination (40% weightage) | | |
|---------|------------------------------|-------------|-----------------------------------|--------------------|---------------------------|---|----------|--|
| | Bloom's Level of Thinking | CLA-1 Avera | mative age of unit test 0%) | CL | g Learning .A-2 0%) | | | |
| | | Theory | Practice | Theory | Practice | Theory | Practice | |
| Level 1 | Remember | 20% | - | 20% | - | 20% | - | |
| Level 2 | Understand | 20% | - | 20% | - | 20% | - | |
| Level 3 | Apply | 30% | - | 30% | - | 30% | - | |
| Level 4 | Analyze | 30% | - | 30% | - | 30% | - | |
| Level 5 | Evaluate | - | - | - | - | - | - | |
| Level 6 | Create | - | - | - | - | - | - | |
| | Total | 10 | 00 % | 10 | 0 % | 100 % | | |

| Course Designers | | | | | | | | | |
|--|--|--|--|--|--|--|--|--|--|
| Experts from Industry | Experts from Higher Technical Institutions | Internal Experts | | | | | | | |
| 1. Mr. Madhan Shanmugasundaram, Infosys Technologies | 1. Prof. Y.V.S.S. Sanyasiraju, IIT Madras | 1. Dr. B.Vennila hod.maths.ktr@srmist.edu.in | | | | | | | |
| | 2. Prof. K.C. Sivakumar, IIT Madars | | | | | | | | |