

## Class Assessment - 1

Q.1 What is Optimization? Define the types of Optimization?

**Optimization** refers to the process of improving the performance, efficiency, and effectiveness of code. This can involve reducing the execution time, memory usage, or resource consumption of a program. Optimization is crucial in large-scale applications or in scenarios where performance is critical.

Types of Optimization are:

1. Time-Complexity Optimization:

- Algorithm selection:- Choosing efficient algorithm for a task.
- Data structure selection:- Selecting appropriate data structures that are time-efficient.

2. Space Complexity:

- Memory allocation(and deallocation):- To avoid bottlenecks and memory leaks, managing memory allocation and deallocation efficiently is important.
- Data compression:- Compressing data to reduce storage requirements.

3. Code readability:

- Commenting
- Formatting
- Modularization

4. Energy consumption optimization:

- Power-saving techniques
- Using cache

5. Performance profiling

- Identifying bottlenecks
- Prioritize optimization

Q.2 Minimize the function for the code  $f(x,y)=x^2+y^2+3x+4y+5$ .

```

1  import sympy as sp
2  x,y=sp.symbols('x y')
3  print("Given Function f(x,y) is:-  $f=x^2+y^2+3x+4y+5$  ")
4  f=x**2+y**2+3*x+4*y+5
5  print("Derivative w.r.t x: ")
6  dfdx=sp.diff(f, x)
7  print(dfdx)
8  print("Derivative w.r.t y: ")
9  dfdy=sp.diff(f, y)
10 print(dfdy)
11 val = sp.solve([dfdx, dfdy], [x, y])
12 x_val = val[x].evalf()
13 y_val = val[y].evalf()
14 val1= [x_val, y_val]
15 print("Minimum found at (x,y):- ",val1)
16 min_f=f.subs({x: x_val,y: y_val})
17 print("Minimum value of the function is:-",min_f)

```

Output:

```

Given Function f(x,y) is:-  $f=x^2+y^2+3x+4y+5$ 
Derivative w.r.t x:
 $2x + 3$ 
Derivative w.r.t y:
 $2y + 4$ 
Minimum found at (x,y):-  $[-1.50000000000000, -2.00000000000000]$ 
Minimum value of the function is:-  $-1.25000000000000$ 

```