Ley points a process of making two substitution enpressions identical disperent logical atomic enpressions identical disperent logical atomic enpressions identical disperent logical atomic enpressions depends by finding a substitution process.

- 2) It takes two literals as inputs and make them identical using substitution.
- 3) The UNIFY algorithm is used for unification, which takes two atomic sentences and returns a unifier for those sentences (its any enist)
- 4) unibication bails it the expressions do not match with each other,
- 5) The substitution variables are called most general unifier or MGU.

Conditions bor Unification

- 1) Predicate symbol must be same, atome or expression with different predicate symbol can mever be unified.
- 2) Number of arguments in both expressions must be identical.

3) unibication will bail if there are hove similar variables present in the same expression.

Questions

- 1) Find the MQU of UNIFY (prime (11), prime (4))
- Here, $\Psi 1 = \text{prime}(11)$ and $\Psi 2 = \text{prime}(\Psi)$ So, $\Rightarrow 5$ prime(11), prime $(\Psi)^2$ SUBST $\alpha = \{11/4\}$ $S1 = \}$ { prime(11), prime $(\Psi)^2$, Successfully unified. unifier = $\{11/4\}$
- 2) UNIFY (Knows (Richard, x), knows (Richard, John))

 Here, U1 = Knows (Richard, x) and U2 = knows (Richard, John)

 SO => & Knows (Richard, x), Knows (Richard, John)

 SUBST O = & John/x3

S1 => L knows (Richard, John), knows (Richard, John) } successfully unibied, Unibier = { John/2}

3) Find the MGU of \$Q (a, g(x,a), f(y)) Q(a, g(f(b), a), x)} > Here, 41 = 3Q(a, g(n, a), f(y))} and 42 = fa (a, g (b (b), a), x)} $So \Rightarrow f \in (a, g(n, a), f(y)), \in (a, g(f(b), a), x)$ SUBST $0 = \{f(b)/n\}$, $S1 \Rightarrow \{\alpha(\alpha, g(f(b), a), f(y)), \alpha(a, g(f(b), a), f(y))\}$ { 1/11 } = 0 T2003 SUBSTO = { b/y}

52 > fa(a, g(f(b), a), f(b)), a(a, g(f(b),a) fr/11/

50 his (x, 2, 2, 2, 2, 2) 2 month = 19 3001

Successfully unibied.

harris John Carlons

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