Network Model (6):

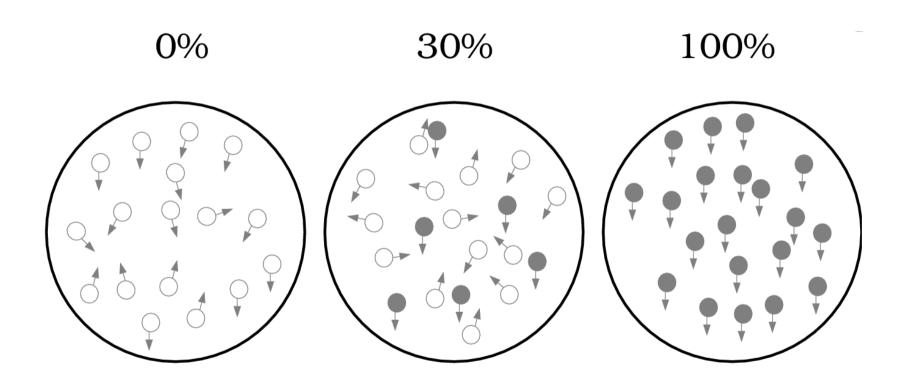
Decision Making Network

Neuron models	HH neuron model
	LIF neuron model
	Exponential IF model
Synapse models	Exponential/Alpha synapse
	AMPA/GABA/NMDA synapse
Network Models	E/I balance network
	Continuous attractor network
	Working memory model
	Decision making model

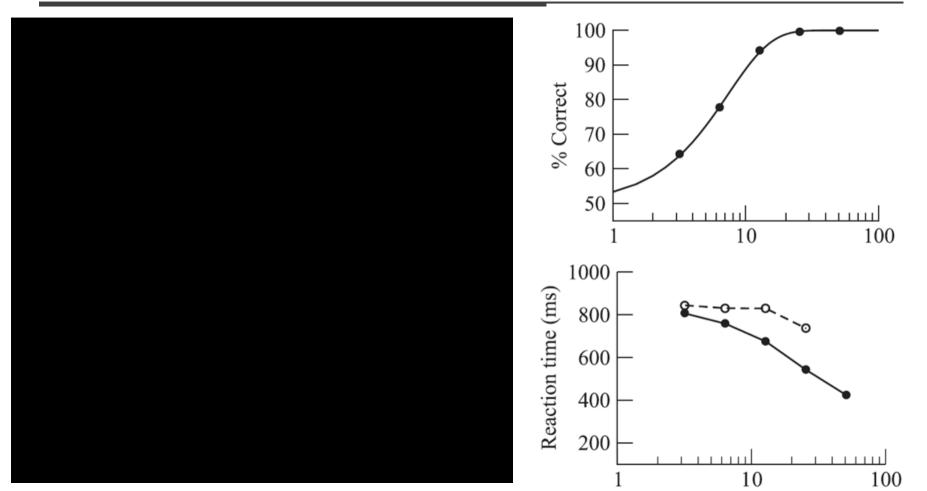
Abstract: neural correlates of model variables are unclear

• Unrealistic: leak of information is missing, etc

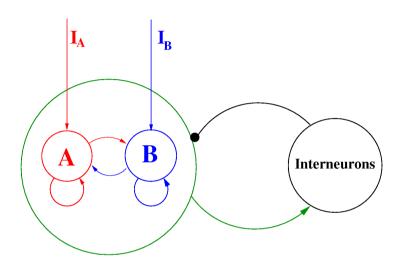
 Limited: cannot capture the reaction time difference between correct and incorrect trials



Random moving dot with varies coherence level



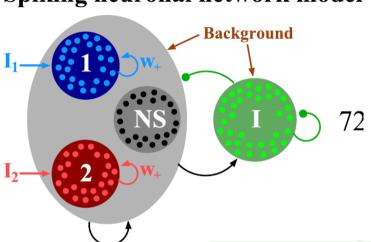
A cortical circuit model for decision making

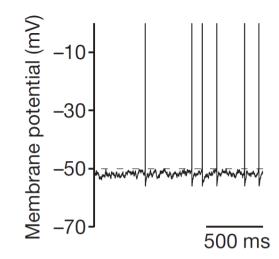


Wang, Neuron 2002
Wong and Wang J Neurosci 2006

- 2-population excitatory neurons (integrate-and-fire neurons driven by Poisson input)
- Slow reverberatory excitation mediated by the NMDA receptors at recurrent synapses
- Winner-take-all competition by feedback inhibition

Spiking neuronal network model





$$C_m \frac{dV(t)}{dt} = -g_L(V(t) - V_L) - I_{syn}(t) \qquad I_{syn}(t) = I_{ext,AMPA}(t) + I_{rec,AMPA}(t) + I_{rec,NMDA}(t) + I_{rec,GABA}(t)$$

$$I_{ ext{ext}, ext{AMPA}}(t) = g_{ ext{ext}, ext{AMPA}} \left(V(t) - V_E
ight) s^{ ext{ext}, ext{AMPA}} \left(t
ight)$$

$$I_{ ext{rec}, ext{AMPA}} \left(t
ight) = g_{ ext{rec}, ext{AMPA}} \left(V(t) - V_E
ight) \sum_{j=1}^{C_E} w_j s_j^{ ext{AMPA}} \left(t
ight)$$

$$I_{ ext{rec}, ext{NMDA}}(t) = \frac{g_{ ext{NMDA}}(V(t) - V_E)}{(1 + [ext{Mg}^{2+}] \exp(-0.062V(t))/3.57)} \sum_{j=1}^{C_E} w_j s_j^{ ext{NMDA}} \left(t
ight)$$

$$I_{ ext{rec}, ext{GABA}}(t) = g_{ ext{GABA}} \left(V(t) - V_i
ight) \sum_{j=1}^{C_f} s_j^{ ext{GABA}} \left(t
ight)$$

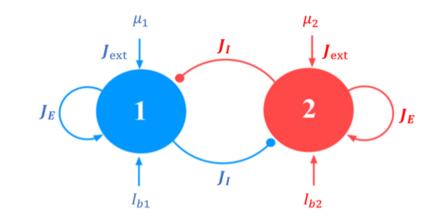
$$\frac{ds_{j}^{\text{AMPA}}(t)}{dt} = -\frac{s_{j}^{\text{AMPA}}(t)}{\tau_{\text{AMPA}}} + \sum_{k} \delta(t - t_{j}^{k})$$

$$\frac{ds_{j}^{\text{GABA}}(t)}{dt} = -\frac{s_{j}^{\text{GABA}}(t)}{\tau_{\text{GABA}}} + \sum_{k} \delta(t - t_{j}^{k})$$

$$\frac{ds_{j}^{\text{NMDA}}(t)}{dt} = -\frac{s_{j}^{\text{NMDA}}(t)}{\tau_{\text{NMDA,decay}}} + \alpha x_{j}(t)(1 - s_{j}^{\text{NMDA}}(t))$$

$$\frac{dx_{j}(t)}{dt} = -\frac{x_{j}(t)}{\tau_{\text{NMDA,rise}}} + \sum_{k} \delta(t - t_{j}^{k})$$

Model Reduction



Synaptic variables

$$\frac{dS_1}{dt} = F(I_1) \gamma (1 - S_1) - S_1 / \tau_s$$

$$\frac{dS_2}{dt} = F(I_2) \gamma (1 - S_2) - S_2 / \tau_s$$

Coherence-dependent inputs

$$\mu_1 = \mu_0 (1 + c')$$

$$\mu_2 = \mu_0 (1 - c')$$

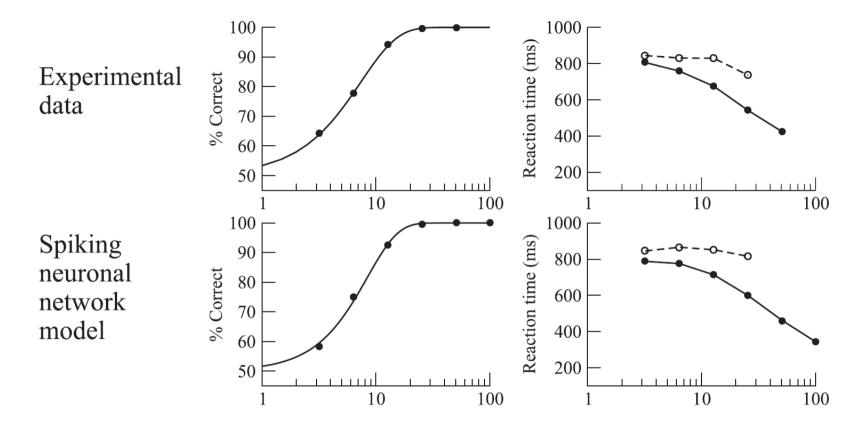
Input Current to each population

Firing rates

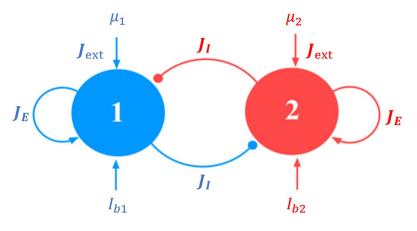
$$I_1 = J_E S_1 + J_I S_2 + I_{b1} + J_{ext} \mu_1$$

$$I_2 = J_E S_2 + J_I S_1 + I_{b2} + J_{ext} \mu_2.$$

$$r_i = F(I_i) = \frac{aI_i - b}{1 - \exp(-d(aI_i - b))}$$



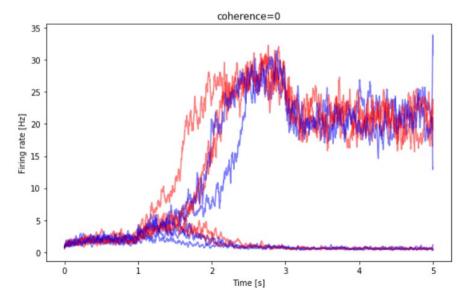
Wong and Wang J Neurosci 2006

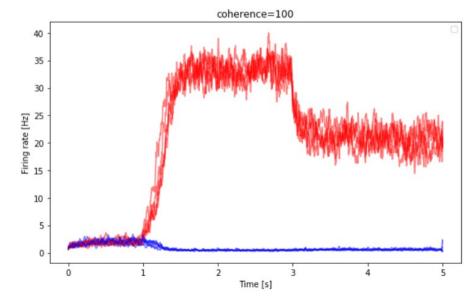


Coherence-dependent inputs

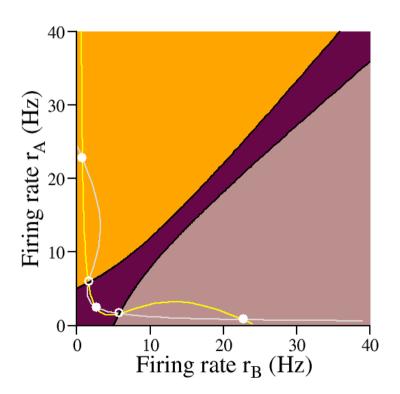
$$\mu_1 = \mu_0(1 + c')$$

 $\mu_2 = \mu_0(1 - c')$

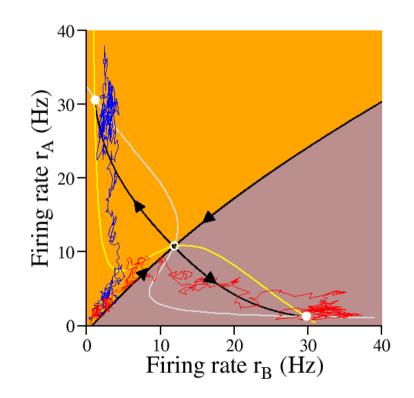




Without stimulation



Stimulus with c'=6.4%



c'=51.2%

